

# Use of satellite data for understanding and predicting oil sardine (*Sardinella longiceps*) catch variability along the southwest coast of India

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## Introduction

The Indian oil sardine (*Sardinella longiceps* Valenciennes, 1847) is one of the most commercially important fish resources along the southwest (Malabar) coast of India and contributes to about 40% of the marine fish catch of the state of Kerala (Srinath 1998). Landings of the oil sardine peak during, (June-Sept) and after (Oct-Dec), the summer monsoon period, in conjunction with the onset and early relaxation of coastal upwelling. However, the landings of this pelagic finfish are highly variable for reasons not well understood. Earlier researchers have indicated that the variable yields may be due to changing food sources and variable offshore habitats (needs reference and better explanation). However, Longhurst and Wooster (1990) described a decadal variability in sardine abundance on the Malabar coast and established a significant positive correlation with sea level, upwelling intensity, sea surface temperature, and rainfall.

The life cycle (include graphic of the life-cycle) of the oil sardine fishery begins with the entry of adult fish into the inshore areas during June – July, corresponding with the onset of the southwest monsoon (Chidambaram 1950, Antony Raja 1969) and restricted along the narrow strip of the western India continental shelf, within 20 km from the shore. The fish migrate from offshore to coastal waters and vice versa coinciding with the prevailing wind conditions (Hornell 1910). A gradual increase in temperature ranging from 26 to 28°C is favorable for their inshore migration (Chidambaram 1950). According to Nair et al. (2016), the exact location of oil sardine spawning grounds along the Indian coastline is still unclear; however, it is generally believed that the spawning of oil sardine occurs during the southwest monsoon period (Jun-

Jul) when temperature, salinity and suitable food availability are conducive for larval survival (Murty and Edelman 1966, Jayaprakash and Pillai 2000, Krishnakumar et al. 2008), although some studies suggest that spawning can occur as late as September (Hornell 1910, Hornell and Nayudu 1923, Antony Raja 1969, Prabhu and Dhulkhed 1970).

After eggs are spawned, they develop rapidly into larvae within 24 hrs (Nair 1959). Variation in the bloom initiation time and intensity lead to changes in the food supply to sardine larvae and corresponding changes in their growth rate and survival and the later recruitment of sardines into the fishery (George et al. 2012). The phytoplankton bloom that provides for sardine larvae food is dependent upon coastal upwelling. Oil sardines grow rapidly during the first few months and mature to full size during the first 2.5 years.

The age at first maturity occurs at less than one year, at about 150 mm size, and the range of sardines that are fished typically range from 150-220 mm in size and 1-2.5 years old. On the southwest coast, the oil sardine fishery commences soon after the outbreak of monsoon in June and continues until March-April. Along the Kerala coast catches are fairly high throughout the year except during March-May (Figure 1). Along the west coast, the length composition of catches ranges between 50- 220mm. Virgin spawners (140-160 mm) enter the fishery on the Kerala coast during June/July and as the season progresses to September-December, adults occur in reduced quantities and catches are dominated by age-1 juveniles (120-140 mm) that were spawned in the prior season (citation). Seasons of rainfall extremes (weak or intense) cause recruitment failure, while a daily rainfall of 20-30 mm during June-August along the southwest coast may indicate good recruitment to the fishery (citation).

As the success of commercial fishery for each season is determined by the number of juveniles recruited at the beginning of the same season, rainfall, which affects spawning success, has been used to forecast the strength of juvenile brood entering the fishery. Though earlier studies have shown that most of spawning activity occurs in the near-shore area or in the mouths of estuaries, there are observations of eggs and larvae in the shelf region even at 200m depth (citation). Also, studies from other upwelling ecosystems (citation), have shown that the planktonic stage larvae accumulate in frontal zones as well as in river plumes. Studies from Bakun (citation), Bakun and English (citation), Cury and Roy (citation) etc. explain the linkage to the atmospheric and oceanic processes based on number of hypothesis like Optimal environment window, Match-mismatch hypothesis etc. Also, the changes in the fishery in either short term or long term is explained for other similar theories such as population expansion (Mac Call's hypothesis) and the Wasp waist hypothesis.

Remote sensing satellites can be used to detect changes in ocean physical, biological and chemical properties, such as surface temperature, winds, surface height, surface waves, rainfall and surface salinity, as well as the ecosystem and water quality changes. These tools are relevant for fisheries management (IOCCG 2009; citation?) as well as development of predictive capabilities. Add more discussion regarding prior work/references on using satellite data to predict oil sardine catch. Satellite chlorophyll, SST and SSH have been used to estimate sardine habitat of the west coast of the USA (Zwolinski et al. 2011). In the last few years, satellite measurements of chlorophyll have been used to predict high densities of oil sardines. This is used a functional tool for producing forecasts for fisherman and has lead to increases in their efficiency (catch per unit effort) (citation)

In this paper, we revisit the analysis of environmental covariates that correlate with oil sardine catch using remote-sensing data and generalized additive modelling (Wood 2017). Based on biological information concerning how environmental conditions in the coastal waters affect spawning density, exposure of sardines to the coastal fishery, and larval and juvenile sardine survival, we develop a set of hypotheses about which satellites covariates should correlate with current or future landings. We use generalized additive modelling of the long-term landing data with long-term remote-sensing data to test for these correlations.

## Study Area

Being land-locked to the north, the northern Indian Ocean is the only part of the world oceans that is not connected to the polar region and lies entirely in the tropics. It also experiences exclusively the seasonally reversing monsoon that is coupled with processes in the Pacific Ocean (Webster et al. 1999). The western Arabian Sea that experiences high atmospheric pressure during most of the year, lies adjacent to the Horn of Africa as well as the Arabian peninsula. This results in the Aeolian transport (referred to as Shamal activity) to the basin as well as persistent upwelling off-Somalia and along the coast of Yemen (Preusser et al. 2002, Rao et al. 2003, Singh et al. 2008). High plankton biomass, resulting in elevated productivity in this region is advected towards central Arabian Sea through Ekman pumping. This process is intensified during ISM and during the early spring-bloom period in February through March. A persistent Oxygen Minimum Zone (OMZ) in the north and central Arabian Sea basin results in large net-export of CO<sub>2</sub> from waters to the atmosphere (Sarma et al. 1998, Naqvi et al. 2000, Kumar et al. 2001). Often this coastal productivity affects to the OMZ and vice-a-versa (Devol et al. 2006). Monsoonal reversal of winds and, in turn, coastal currents, along with high amount

of river discharge, generates high degrees of variability in the productivity induced from either mixing or upwelling in the eastern Arabian Sea (Sarupria and Bhargava 1993, Srinivas and Dineshkumar 2006, Habeebrehman et al. 2008, Jayaram et al. 2010, Chauhan et al. 2011, Joshi and Rao 2012, Gupta et al. 2016).

In this work, we focus on the the southeastern Arabian Sea (SEAS) (Figure 2). The SEAS has relatively narrow continental shelf on the western shoreline of the Indian peninsula and is influenced by ISM as well as IWM and tidal interactions as well as discharge from multiple rivers (Shetye et al. 1995, Oasim 2003, Menon et al. 2005). This region also recurrently witnesses intense spring blooms of *Trichodesmium* spp. This, along with coastal current dynamics, upwelling and high rainfall, results in high coastal productivity with surface chlorophyll values up to 32-39 mg m<sup>-3</sup> off the Kerala coast (Madhupratap et al. 2001, Jayaram et al. 2010, Raghavan et al. 2010, Chauhan et al. 2011). The SEAS also experience high chlorophyll concentration (~40 mg m<sup>-2</sup>) and net primary productivity (~1300 mgC m<sup>-2</sup> d<sup>-1</sup>) off Kochi during summer upwelling (Gupta et al. 2016). In the southern SEAS coastal waters off Kochi, extreme variability in productivity during the ISM (40-1225 mgCm<sup>-2</sup>d<sup>-1</sup>), post-ISM (21-263 mgCm<sup>-2</sup>d<sup>-1</sup>) and during inter-monsoon period (12-648 mgCm<sup>-2</sup>d<sup>-1</sup>) have been observed (Sarupria and Bhargava 1993, Srinivas and Dineshkumar 2006, Habeebrehman et al. 2008, Jayaram et al. 2010, Joshi and Rao 2012, Gupta et al. 2016).

## Hypotheses concerning correlation between covariate and catches

Spawning occurs during the summer monsoon, primarily during quarter 3. During this time, sardines move inshore from offshore and become exposed to the primarily coastal fishery. Factors that affect inshore migration or spawning should affect the catch in quarter 3, which is primarily of spawning fish. The following are the major factors that are hypothesized to affect the catch in quarter 3 due to either a stronger spawning class or higher (or lower) exposure of the spawning age fish to the fishery due to higher (or lower) inshore migration.

### Quarter 3 (spawning) catch correlates

- Precipitation low or high during either the summer monsoon (June-July) or pre-monsoon (Apr-May) is associated with low spawning.

- Low sea surface temperature is associated with delayed and limited spawning in Pacific sardines (Jacobson and MacCall 1995). The reasons for this may be behavioral as low temperature as associated with poor survival of larvae. Larval mortality rates may be higher in colder water due to increased zooplankton predation and upwelling (associated with cold surface temperatures) advects larvae into offshore waters.
- In addition to advection of larvae offshore, upwelling brings low oxygen water to the surface which discourages inshore migration to coastal spawning areas. Thus due to both lower SST and lower dissolved oxygen, strong upwelling during the spawning season is expected to be negatively associated with the spawning biomass in the near-shore region.
- Salinity is also associated with spawning initiation; however we do not have long-term salinity data.
- Spawners are age 2+ fish, thus the biomass in the previous two seasons should be correlated with the biomass of spawners this year. This should especially be the case for the biomass in quarters 4, 1 and 2 of the previous season as these were age 1-2 fish. A stronger cohort of age 1-2 fish in the previous year should be associated with a stronger spawner class in the current year. Note that it could also be the case that higher catch of age 1-2 fish in the previous season would be associated with lower spawners in the current year due to depletion. However during the majority of our study period, the fishery was largely artisanal and is not thought to be sufficient to deplete the population.

After spawning, during the 4th quarter of the current calendar year and the 1st and 2nd quarters of the next calendar year, the length distribution of the catch shifts to smaller fish as juveniles begin shoaling inshore (citation). The catch during the non-spawning part of the season should be correlated with factors associated with increased juvenile shoaling and survival of eggs and larvae from previous seasons' spawning. The former is associated with higher exposure of the non-spawning biomass to the coastal fishery and the latter is associated with a stronger (larger) non-spawning biomass.

## **Post-spawning catch correlates**

The post-spawning period corresponds to catch in quarter 4 of the current calendar year and quarters 1 and 2 of the next calendar year. The main environmental covariates that should be important are those associated with egg and larval survival as these have been found to be the

most important drivers of recruitment (citation) and covariates associated with shoaling and inshore migration of juvenile fish.

- Sea surface temperature is associated with egg and larval survival (Jacobson and MacCall 1995).
- Upwelling is associated with higher productivity and higher density of zooplankton, which leads to better larval and juvenile growth and survival. Thus the strength of upwelling during the post-spawning quarters should be associated with higher non-spawning biomass in subsequent years.
- Chlorophyll blooms are signatures of high productivity from nutrient influx either due to upwelling or coastal inputs. Thus the bloom intensity in prior years should be associated with future non-spawning biomass. In addition, juveniles shoal in response to chlorophyll blooms (citation) and thus the near shore chlorophyll bloom intensity in the current season should be associated with higher post-spawning catches due to higher exposure of the non-spawning biomass to the coastal fishery.
- Fish age 1-2 should be correlated with spawners in the previous two seasons, since a larger spawner class should be associated with higher recruitment. Thus catch in quarter 3 the previous two calendar years is expected to be correlated with the catch after the summer monsoon (quarter 4 of the current calendar year with quarter 1 and 2 of the next calendar year).
- Because age 2 fish also appear in the catch after quarter 3, we also expect the post-spawning catch in the previous season to be correlated with the post-spawning catch in the current season.

## Data

### Sardine landing data

Quarterly fish landing data have been collected by the Central Marine Fisheries Research Institute (CMFRI) in Kochi, India, since the early 1950s using a stratified multi-stage sample design that takes into account landing centers, number of fishing days, and boat net combinations in fishing operations. These data are used to produce the quarterly total landings estimates with

a precision of  $\pm 5\%$  (CMFRI, 1969-1994; Bal and Rao, 1990, Srinath, 2005). The quarterly landing data were log-transformed to stabilize the seasonal variance.

*Add discussion of the composition of the fishery since the early 1950s. Fishery largely artisanal until recently. Add discussion of why researchers consider the catch to be an index of total biomass and that fishery is not having a large impact on the standing biomass (because fishery has been traditionally coastal and non-motorized).*

## Covariate data

We analysed monthly composites of the following environmental data derived from satellites: Sea Surface Temperature (SST), chlorophyll-a (CHL), upwelling (UPW) and precipitation. Sea surface temperature: For 1981 to 2002, we used Pathfinder Version 5.2 product on a 4km grid, and for 2003 to 2016, we used Advanced Very-High Resolution Radiometer (AVHRR) data at a 0.1 degree spatial scale. Chlorophyll-a, we used SeaWiFS data on a 0.1 degree spatial scale for 1981 to 2002 and MODIS data from 2003 to 2017 at 0.05° spatial scale. The SST and CHL data were averaged across thirteen 1 degree by 1 degree boxes which roughly parallel the bathymetry (Figure 2). The SST and CHL satellite data were retrieved from the NOAA ERDDAP server (See the Appendices for full details).

For an index of coastal upwelling, we used the sea-surface temperature differential between near shore and 3 degrees offshore as described by Naidu et al. (1999) and Smitha et al. (2008). The index is computed as the average SST in boxes 3 degrees offshore of boxes 1-5 in Figure 2 minus the average SST in boxes 1-5. For SST, we used the remote-sensing sea-surface temperature data sets described above. This SST-based upwelling index has been validated as a more reliable metric of upwelling off the coast of Kerala compared to wind-based upwelling indices (Smitha et al. 2008).

The precipitation data were downloaded from two different sources. The first was an estimate of the monthly precipitation over Kerala from land-based gauges. This time series is available from the start of our landing data (1956). The second was a remote-sensing precipitation product from the NOAA Global Precipitation Climatology Project. This provides a precipitation estimate using a global 2.5 degree grid. We used the 2.5 by 2.5 degree box defined by latitude 8.75 to 11.25 and longitude 73.25 to 75.75 for the precipitation off the coast of Kerala. These data are available from 1979 forward. Full details on the precipitation data sets are available in the Appendices.

## Models

We investigated correlations between environmental variables and sardine catch during spawning and post-spawning periods using generalized additive models (GAMs, Wood 2017). GAMs allow one to model the effect of a covariate as a flexible non-linear function and it was known that the effects of the environmental covariates were likely to be non-linear, albeit in an unknown way. Our approach is similar to that taken by Jacobson and MacCall (1995) in a study of the effects of SST on Pacific sardine recruitment.

The model for catch in quarter 3 was of the form

$$\ln(S_t) = \alpha + f_1(c_1) + f_2(c_2) + s_1(\ln(C_{t-1})) + s_2(\ln(C_{t-2})) + \epsilon$$

where  $\ln(S_t)$  is the log catch in the 3rd quarter of year  $t$ . Catch in the 3rd quarter (July-Aug) captures mainly spawning age fish as it overlaps with the tail end of the spawning season—the fishery is closed July to mid-August during the height of the summer monsoon and spawning season. The model seeks to explain the variability in catch in the 3rd quarter via a non-linear function of the covariates,  $c_1$  and  $c_2$ , plus a non-linear function of total catch in prior years. The catches were logged to stabilize and normalize the variance. The model is primarily statistical, meaning it should not be thought of as being a population growth model. It is a form of model that is often used for modelling the effects of covariates on the number of fish that recruit into the fishery (e.g. Jacobson and MacCall 1995, add others or a textbook). The covariates tested are those discussed in the section on covariates that have been hypothesized to drive the size of the spawning biomass exposed to the fishery. The relevant covariate may be in the concurrent with the catch or in a prior year.

The model for catch in the non-spawning quarters (October to June) took a similar form

$$\ln(N_t) = \alpha + f_1(c_1) + f_2(c_2) + s_1(\ln(S_{t-1})) + s_2(\ln(N_{t-1})) + \epsilon$$

where  $\ln(N_t)$  is the log of the total catch in the post-spawning season October to June (a nine-month period that spans two calendar years). We included the catches during the spawning season ( $S_t$ ) separately from the non-spawning season ( $N_t$ ). The covariates that affect the egg and larval survival may be quite different from those affecting the age-1 to age-2 or age-2 to age-3 survival. We wanted to be able to model these separately. The covariates tested are those discussed in the section on covariates that have been hypothesized to drive both survival and growth of juvenile fish and the factors that lead migration of fish inshore and thus exposed to

the coastal fishery.

Model selection was conducted in a step-wise fashion. The length of the covariate data was 33-35 years (1982 to 2015 or 2017) for most covariates and this was not sufficient for fitting all covariates simultaneously. The model for the effect of the past of biomass on current biomass (density-dependence) was first determined. Once a sufficient model for the density-dependence was determined, the covariates were studied individually and then jointly. F-tests and AIC on nested sets of GAM models (Wood et al. 2016) were used to evaluate the support for models. One feature of GAMs is that they allow the ‘flexibility’ or smoothing parameter of the response curve to be estimated. However we fixed the degree of flexibility so that reasonably smooth responses were achieved. Multi-modal or overly wiggly response curves would not make sense for our covariates. We used GAMs with smooth terms represented by penalized regression splines (Wood 2011, using the mgcv package in R) and fixed the smoothing term at an intermediate value.

## Results

### Catches in prior seasons as explanatory variables

There was support for including the post-spawning catch in the previous year as an explanatory variable for the catch during the spawning season (3rd quarter). Models with  $\ln(N_{t-1})$  were strongly supported over an intercept only model (Table 1, time-dependency test). However the addition of the catch two years prior,  $\ln(N_{t-2})$ , lead to either no decrease in the residual deviance (i.e. increase in the explained variance) and in fact, increased the residual deviance for the model with non-linearity (Table 1, Linearity test). We also tested the support for non-linearity in the effect of the prior year catch on the catch in the spawning season. This was done by comparing models with  $\ln(N_{t-1})$  included as a linear term or as a non-linear function  $s(\ln(N_{t-1}))$  (Table 1, Linearity test). The residual deviance decreased using a non-linear response however the cost was 1.4 degrees of freedom. The result was only weak (non-significant) support for allowing a non-linear response. The full set of models tested, including tests using catch during the spawning months in previous seasons as a covariate are shown in Tables A1 and A2. The results were the same if we used the full landings data set from 1956 to 2015 (Table A3). Overall, the landings in prior seasons was only weakly explanatory for the catch in the spawning months, and the maximum  $R^2$  was less than 30% (Table 1).

The results were similar for models of the landings during the non-spawning months ( $N_t$ ) of the sardine season (Table 2). The most supported model for  $N_t$  used a non-linear response to landings during the non-spawning months of the previous season:  $\ln(N_t) \sim \ln(N_{t-1})$  with a non-linear response to landings during the spawning months two seasons prior (Table 2). There was low support for including landings from the non-spawner months two seasons prior or for using the landings during the spawning months in the prior season (Tables A4, A5, and A6).

## Environmental covariates as explanatory variables

There was no support for using precipitation during the summer monsoon (Jun-Jul) or pre-monsoon period (Apr-May) as an explanatory variable for the catch during the spawning months (Table B1) nor the non-spawning months (Table B2). This was the case whether precipitation in the current or previous season was used, if precipitation was included as non-linear or non-linear effect, or if the smoothing term (degree of non-linearity allowed) was estimated and thus not constrained, and if either precipitation during monsoon (Jun-Jul) or pre-monsoon (Apr-May) were used as the covariate.

However, we found significant correlation between average sea surface temperature during the early post-spawning period (Jul-Dec) and catch during the spawning season (Table 3, Table B3). Sea surface temperature has been found to be correlated with sardine biomass in a number of other studies [Jacobson and MacCall (1995); add the others]. The residual deviance was lowest in a model with SST in both the prior year and two years prior included and with a non-linear response for both. This a similar result to Jacobson and MacCall (1995) who found that SST in multiple prior years was supported as explanatory variables for sardine recruitment and productivity. However the reduction in degrees of freedom was high for this model and it was not supported, despite having the lowest residual degrees of freedom, given the cost (loss of degrees of freedom). The model with the lowest AIC was a model with only the current year and a non-linear response. The response shows a step-response with a negative effect at low temperatures and then an increased effect at higher temperatures (Figure 3). This type of step-response has been found in studies of the effect of SST on recruitment in Pacific sardines (*citations from Jacobson and MacCall*). The  $R^2$  for this model was 0.40 (Table 3).

The strongest predictor of the catch during the spawning season however was the upwelling strength during Jan-Mar (4-6 months prior) in the previous season (Tables 3 and B4). Jan-Mar is a period when the young of the year and age-1 fish would be found feeding in large shoals in the coastal region. This is also the time of year with the second highest catches and

catches that are dominated by small-sized fish (*citation*). The best supported model included only the upwelling strength in the prior year, without SST included as a covariate (Table 3). The  $R^2$  for this model was 0.60 and the fitted versus observed catches for this model are shown in Figure 4.

For catch in the non-spawning months (Oct-Jun), sea surface temperature during the spawning months in the current season was a significant predictor similar to what was found for catches in the spawning months. Upwelling in the prior season was also a significant predictor, but the important months were Oct-Dec. This period is important for larval and early juvenile survival and growth, and other studies have also found this to be a critical period for future stock size in sardines (*citation*). The model with the lowest residual variance and lowest AIC was the model which included both the SST and upwelling covariates (Table 3). The  $R^2$  for this model was 0.73 and the fitted versus observed catches for this model are shown in Figure 4.

Chlorophyll-a density is speculated to be an important predictor of larval sardine survival and growth. In addition, sardines shoal in response to coastal chlorophyll blooms, which brings them in contact with the coastal fisheries. Thus Chlorophyll-a density is assumed to be an important either covariate or driver of future or current sardine catches. However, we had chlorophyll-a remote-sensing data only from 1998 onward. Our simplest covariate model required 5 degrees of freedom, thus we were limited in the analyses we could conduct. In addition, the years, 1998-2014, have relatively low variability in catch sizes; the logged catch sizes during this period range from 10-11 during the spawning months and 11-12 during the non-spawning months. Second degree polynomial models were fit (Appendix C) to the average log chlorophyll-a density in the current and prior season from quarters 3 (Jul-Sep), 4 (Oct-Dec), and 1 (Jan-Mar). Chlorophyll-a density was not a significant predictor for the spawning catch for any of the tested combinations of current or prior season and quarter. The only significant effect was seen for non-spawner catches using chlorophyll-a density in Oct-Dec of the current and prior season (Table C1). This matches results which found that the upwelling index in Oct-Dec of the prior season was a predictor for the non-spawning months' catch. The upwelling index and chlorophyll-a density are both indices of low-trophic level productivity.

## Discussion

Needs to be written. The results make sense biologically and are supported by other studies.

Discuss why precipitation did not come up. Implications. Supports the use of SST and upwelling indices for forecasting.

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## Figure Legends

Figure 1. Quarterly catch data 1956-2014 from Kerala. The catches have a strong seasonal pattern with the highest catches in quarter 4. Note that quarter 3 is July-Sept and that the fishery is closed July 1 to Aug 15, thus the fishery is only open 1.5 months in quarter 3. The per month catch rate is second highest in quarter 3 although total catch is lower in quarter 3.

Figure 2. Close up of Kerala State with the latitude/longitude boxes used for the satellite data. Kerala State is marked in grey and the oil sardine catch from this region is being modeled.

Figure 5. Key currents and circulation patterns in the Indian Ocean that affect winter and summer monsoon associated upwelling.

Figure 6. Cartoon of the sardine life-cycle in the SE Indian Ocean and how it interacts with the fishery. [missing]

Figure 7. Average Chlorophyll-a bloom intensity in 2016 by quarter. Red is high density chlorophyll-a. Black is missing data due to cloud cover. Data from NOAA.

Figure 8. Monthly rainfall 1956-2014 from Kerala.

Figure 9. Monthly Upwelling Index 1981-2012 off the Kerala coast from north to south. The boxes are shown in Figure 2. The upwelling index is the difference between the near-shore and 3 degrees longitude offshore sea surface temperature.

Figure 10. Monthly surface chlorophyll-a (Chl-a) 1997-2017 off the Kerala coast from north to south. The boxes are shown in Figure 2.

Figure 11. Monthly average sea surface temperature (SST) off the Kerala coast (box 4 only in Figure 2. ). Panel A) shows the monthly average SST from 2000 to 2005. Panel B) shows the monthly average SST over all available years 1981-2015.

Figure 3. Effects of covariates estimated from the GAM models. Panel A) Effect of SST during the spawning months (Jul-Sep) on catch during the spawning months. Low SST is associated with lower than expected catch during the spawning months. Panel B) Effect of upwelling (inshore/off-shore SST differential) during Jan-Mar of the prior season on catch during the next spawning months (Jul-Sep). The index is the difference between offshore and inshore SST, thus a negative value indicates warmer coastal surface water than off-shore. Warm coastal water during Jan-Mar when sardines are foraging along the coast, is associated with lower catch during the next spawning season. Panel C) Effect of SST during the spawning months (Jul-Sep) on catch during the subsequent non-spawning months (Oct-Jun). Low SST is

associated with lower than expected catch during the following non-spawning months. Panel D) Effect of upwelling (inshore/off-shore SST differential) during Oct-Dec of the prior season on catch during the non-spawning months (Oct-Jun) the next season. Strong upwelling (positive upwelling index) in the early larval and juvenile period (Oct-Dec) is associated with higher than expected catch in the next season.

Figure 12. Fitted versus observed catch with models with and without environmental covariates. Panel A) Fitted versus observed log catch in the spawning months with only non-spawning catch in the previous season as the covariate:  $S_t = s(N_{t-1}) + \varepsilon$ . Panel B) Fitted versus observed log catch in the spawning months with Jan-Mar upwelling in the prior season added as a covariate to the model:  $s(V_{t-1})$ . Panel C) Fitted versus observed log catch in the non-spawning months with only non-spawning catch in the previous season and spawning catch two seasons prior as the covariates:  $N_t = s(N_{t-1}) + s(S_{t-2}) + \varepsilon$ . Panel D) Fitted versus observed log catch in the non-spawning months with current season SST in Jul-Sep ( $V$ ) and Oct-Dec upwelling in the prior season ( $W$ ) added as covariates:  $s(V_t) + \beta W_{t-1}$ .  $W$  was added linearly since the data were insufficient to estimate four non-linear effects.

Table 1. Model selection tests of time-dependency and linearity for the  $S_t$  model using F-tests of nested models fit to log landings data.  $S_t$  is the catch during the spawning period (Qtr 3 = July-Sep) of season  $t$  (Jul-Jun).  $N_{t-1}$  is the catch during the prior sardine season after the spawning period (the 9-months following Qtr 3, Oct-Jun, of the previous sardine season).  $N_{t-2}$  is the same for two seasons prior.  $s()$  is a non-linear function of the response variable.

Model	Residual df	Residual deviance	F	p value	AIC
Time dependency test 1982-2015 data					
$\ln(S_t) = \alpha + \varepsilon$ ( $\text{Var}(\varepsilon) = 1.97$ )	33	65.13			122.59
$\ln(S_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2 \text{adj} = 23\%$ , $\text{Var}(\varepsilon) = 1.51$ )	32	48.37	10.85	0.002	114.47
$\ln(S_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(N_{t-2}) + \varepsilon$ ( $R^2 \text{adj} = 21\%$ , $\text{Var}(\varepsilon) = 1.55$ )	31	48.18	0.12	0.729	116.34
Linearity test 1982-2015 data					
$\ln(S_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2 \text{adj} = 23\%$ , $\text{Var}(\varepsilon) = 1.51$ )	32	48.37			114.47
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2 \text{adj} = 27\%$ , $\text{Var}(\varepsilon) = 1.44$ )	30.6	44.8	1.74	0.199	113.76
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(N_{t-2})) + \varepsilon$ ( $R^2 \text{adj} = 25\%$ , $\text{Var}(\varepsilon) = 1.47$ )	28.2	42.91	0.54	0.618	116.14
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2 \text{adj} = 28\%$ , $\text{Var}(\varepsilon) = 1.42$ )	27.7	40.87	0.97	0.419	115.33

Table 2. Model selection tests for the  $N_t$  model using AIC for models fit to log landings data.  $S_t$  is the catch during the spawning season.  $N_t$  is the catch during the non-spawning period (Qtrs 4, 1 and 2: Oct-Jun) of season  $t$  (Jul-Jun).  $S_{t-1}$  and  $N_{t-1}$  are the catch during the prior sardine season during and after the spawning period respectively.  $S_{t-2}$  and  $N_{t-2}$  are the same for two seasons prior.

Model	Residual df	Residual deviance	F	p value	AIC
$\ln(N_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ $(R^2 adj = 39\%, \text{Var}(\varepsilon) = 0.88)$	31	27.42			93.54
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ $(R^2 adj = 47\%, \text{Var}(\varepsilon) = 0.77)$	29.5	23.04	5.2	0.02	89.79
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(N_{t-2})) + \varepsilon$ $(R^2 adj = 51\%, \text{Var}(\varepsilon) = 0.71)$	27.2	19.95	2.28	0.115	88.81
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(S_{t-2})) + \varepsilon$ $(R^2 adj = 60\%, \text{Var}(\varepsilon) = 0.58)$	26.5	15.97	10	0.008	82.62

Table 3. Top covariates for the spawner ( $S_t$ ) and non-spawner ( $N_t$ ) models. The models are nested; the roman numeral indicates the level of nestedness. Models at levels II and higher are shown with the component that is added to the base level model (M0 or M1) at top. The full set of covariate models tested are given in Appendix B. The fitted versus observed catches from the covariate models are shown in Figure 12.

Model	Residual df	Residual deviance	F	p value	AIC
Spawner catch models with covariates					
$V_t$ = Jul-Sep SST current season					
$W_{t-1}$ = Jan-Mar upwelling prior season					
I-M0: $\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \epsilon$ ( $R^2 adj = 27\%$ , $\text{Var}(\epsilon) = 1.49$ )	29.6	44.66			111.57
II: $\ln(S_t) = M0 + s(V_t)$ ( $R^2 adj = 40\%$ , $\text{Var}(\epsilon) = 1.21$ )	26.9	33.93	4.85	0.011	106.7
III: $\ln(S_t) = M0 + s(V_t) + s(W_{t-1})$ ( $R^2 adj = 59\%$ , $\text{Var}(\epsilon) = 0.84$ )	24.3	21.55	5.59	0.006	95.97
II: $\ln(S_t) = M0 + s(W_{t-1})$ ( $R^2 adj = 60\%$ , $\text{Var}(\epsilon) = 0.81$ )	26.8	22.49	9.83	0	93.42
Spawner catch models with covariates					
$V_t$ = Jul-Sep SST current season					
$W_{t-1}$ = Oct-Dec upwelling prior season					
I-M1: $\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \epsilon$ ( $R^2 adj = 61\%$ , $\text{Var}(\epsilon) = 0.59$ )	25.6	15.58			80.66
II: $\ln(N_t) = M1 + s(V_t)$ ( $R^2 adj = 68\%$ , $\text{Var}(\epsilon) = 0.47$ )	23	11.53	3.85	0.028	75.23
III: $\ln(N_t) = M1 + s(V_t) + \beta W_{t-1}$ ( $R^2 adj = 73\%$ , $\text{Var}(\epsilon) = 0.41$ )	22.1	9.57	5.28	0.034	71.14
II: $\ln(N_t) = M1 + s(W_{t-1})$ ( $R^2 adj = 68\%$ , $\text{Var}(\epsilon) = 0.48$ )	23.3	11.84	3.54	0.041	75.47

## **Figures**

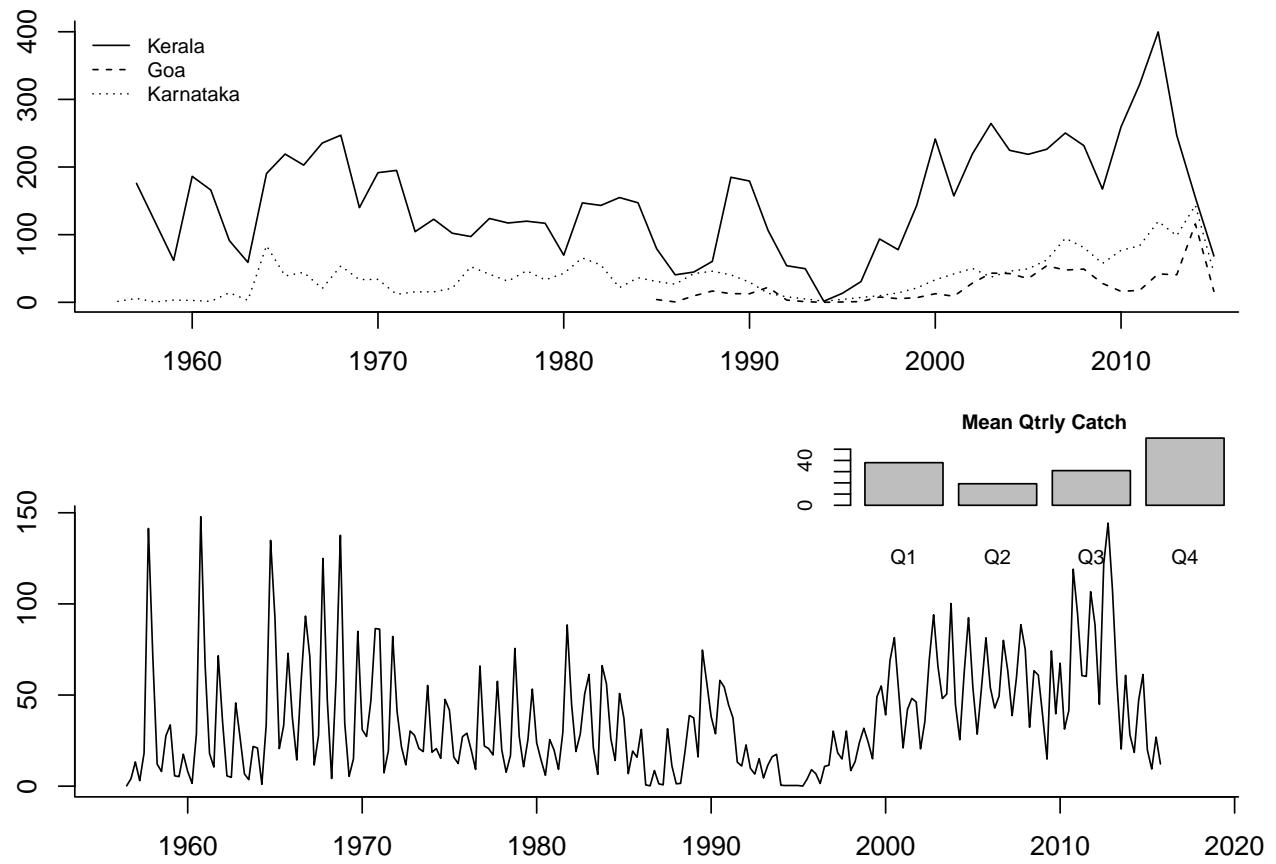


Figure 1

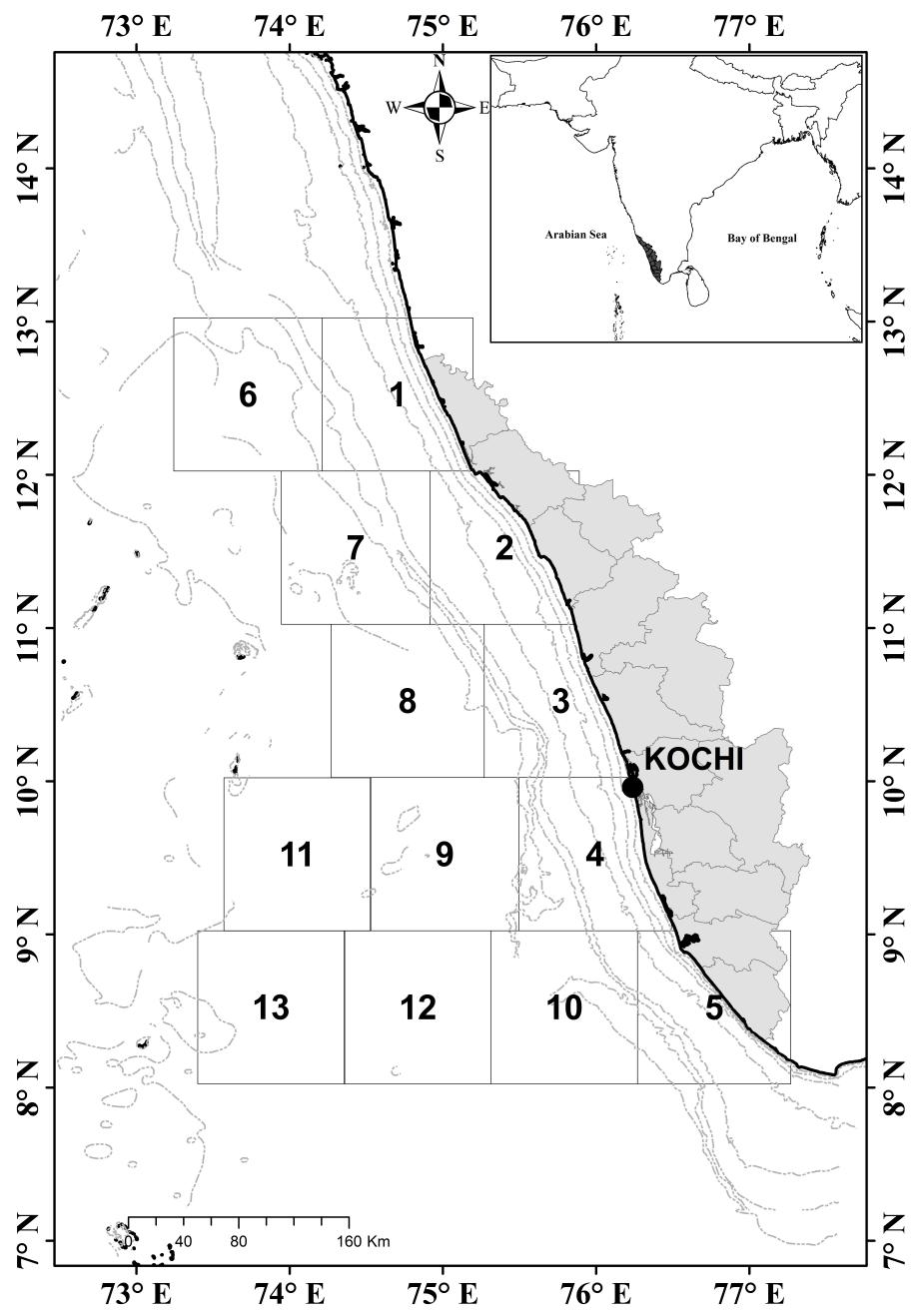


Figure 2

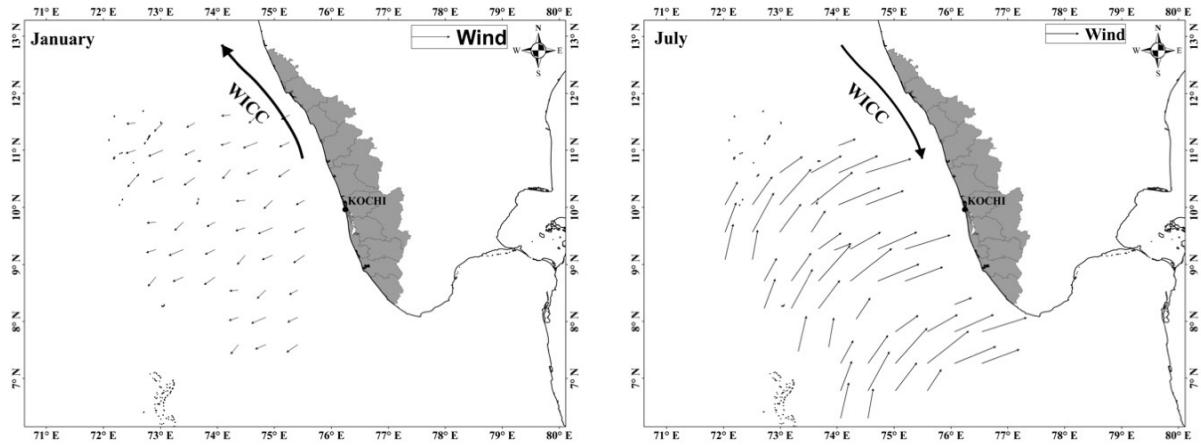
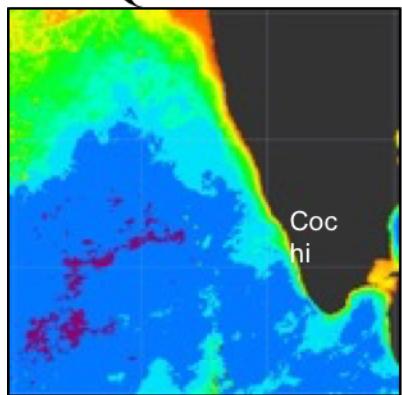
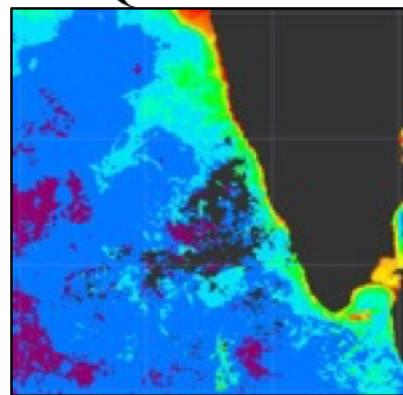


Figure 5

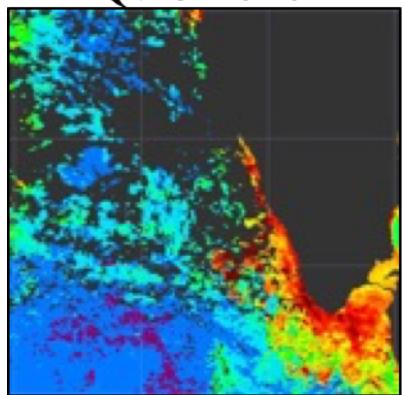
Qtr 1 2016



Qtr 2 2016



Qtr 3 2016



Qtr 4 2016

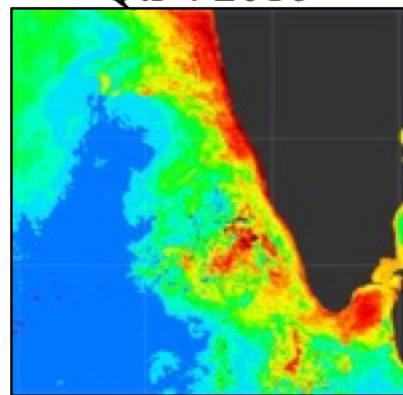


Figure 7



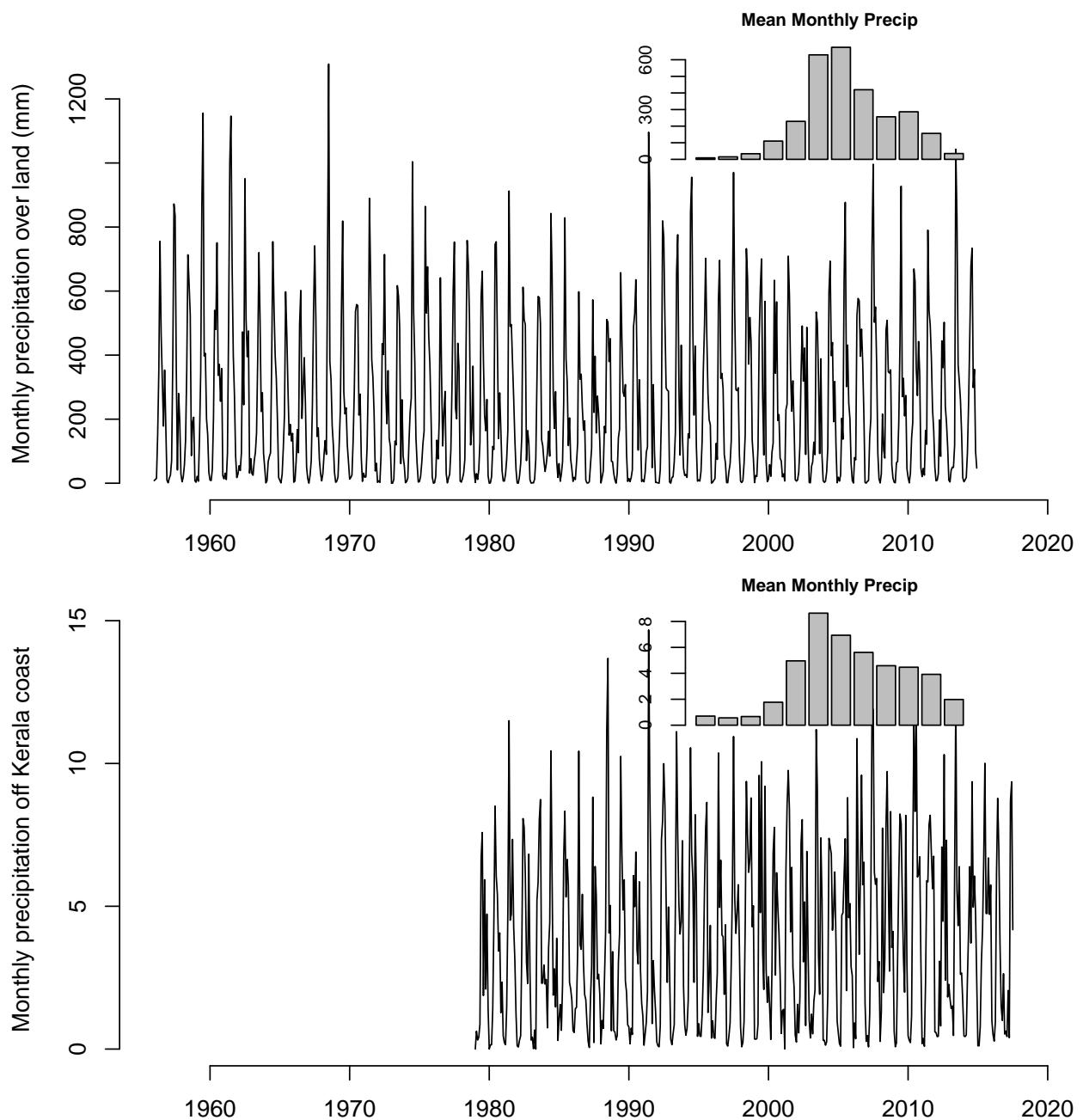


Figure 8

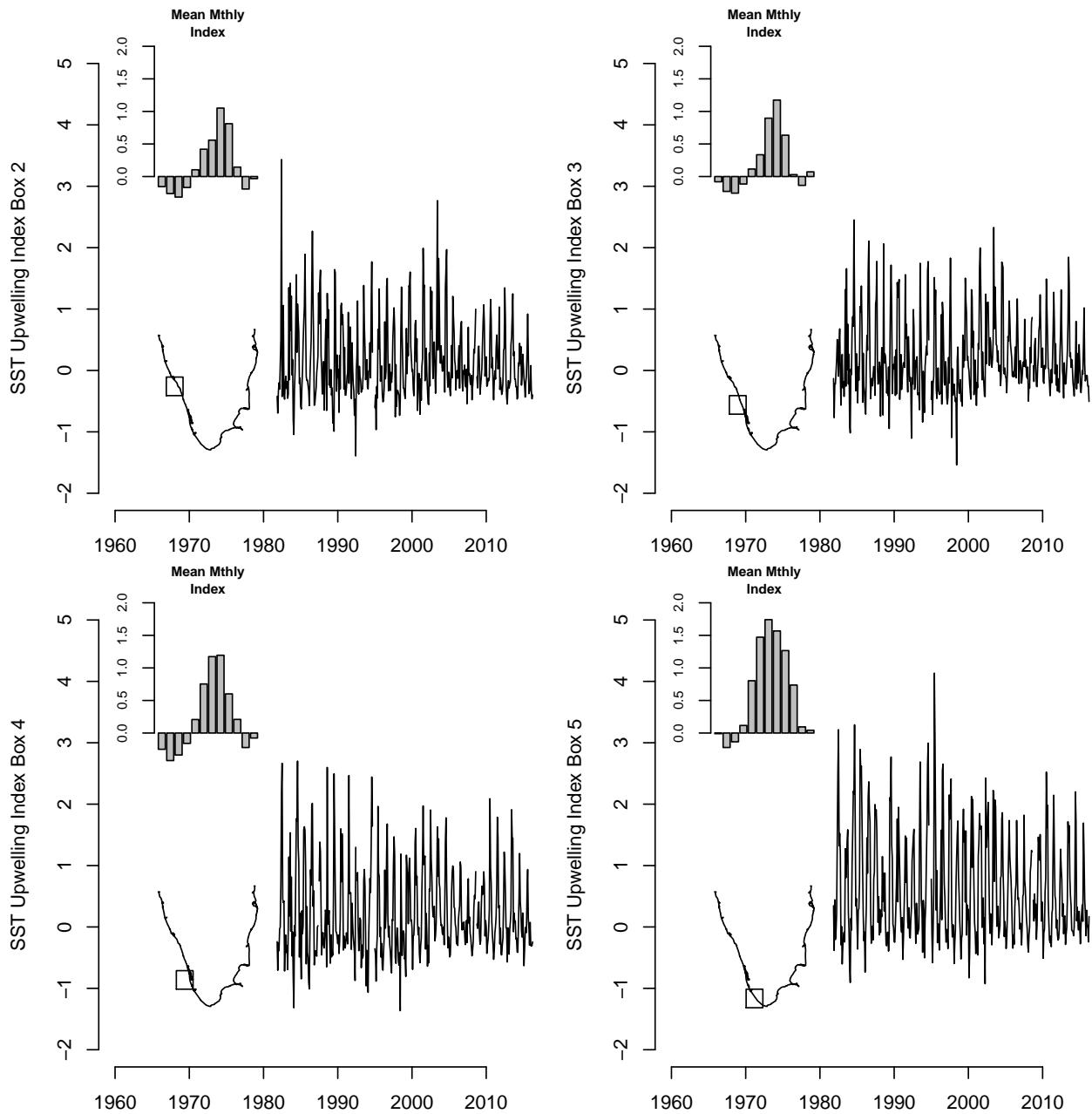


Figure 9

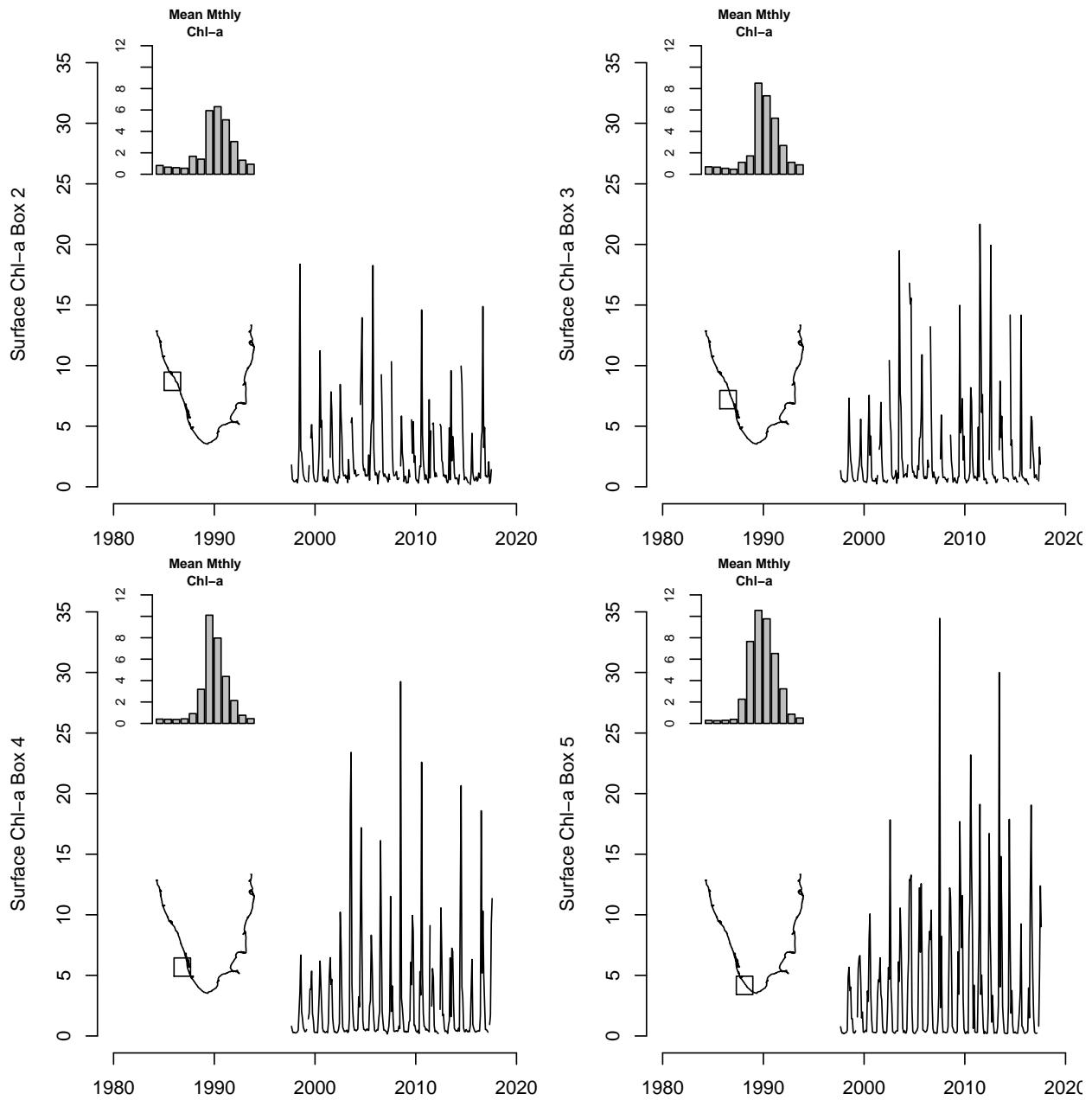


Figure 10

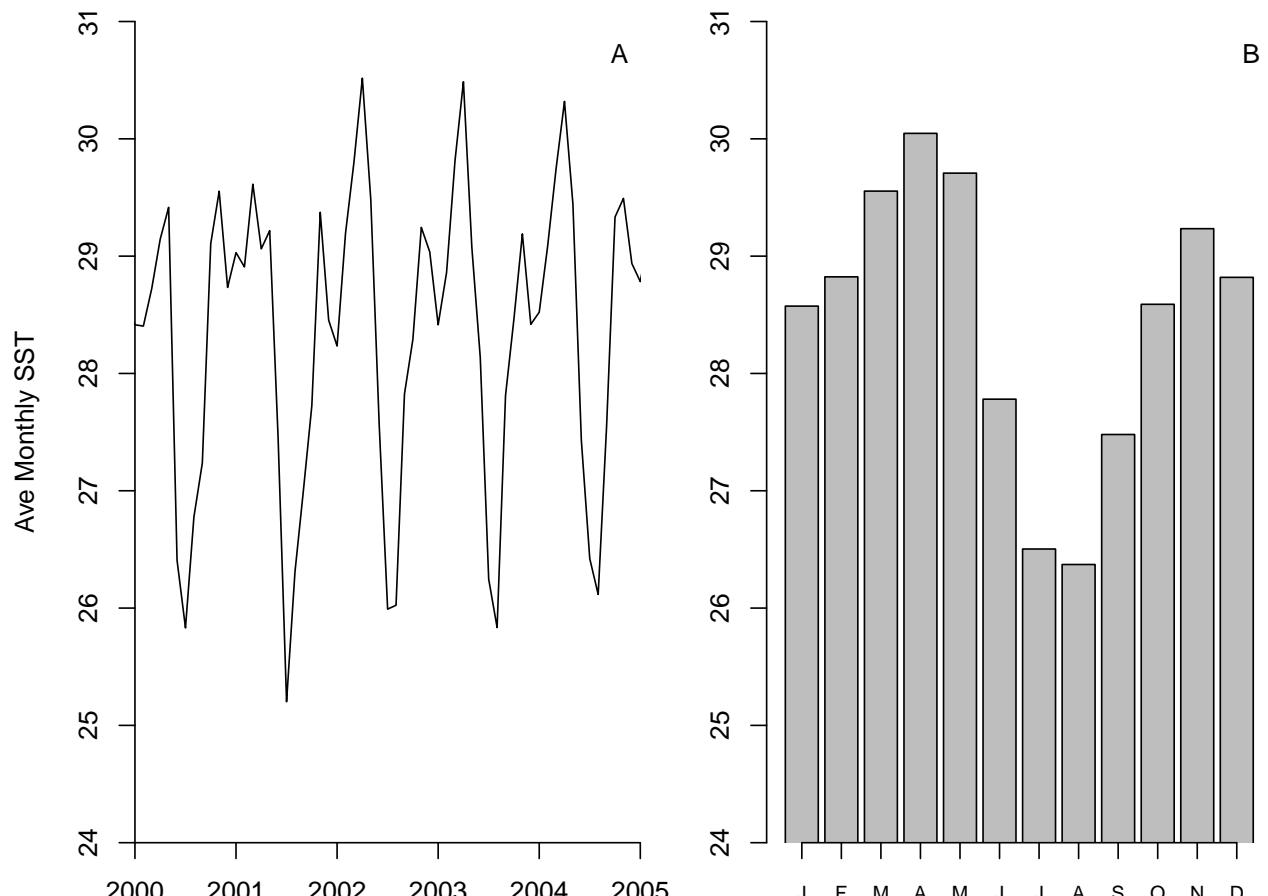


Figure 11

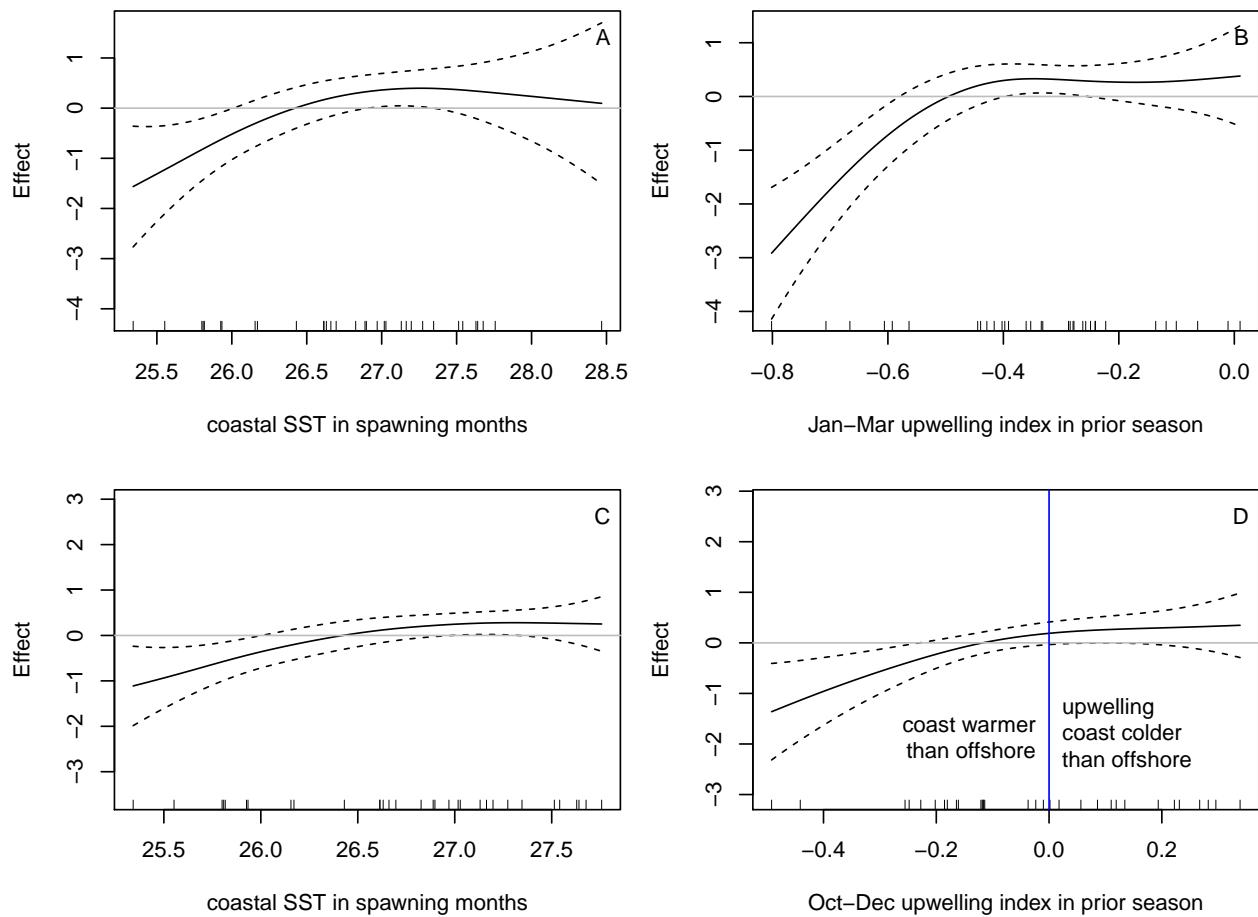


Figure 3

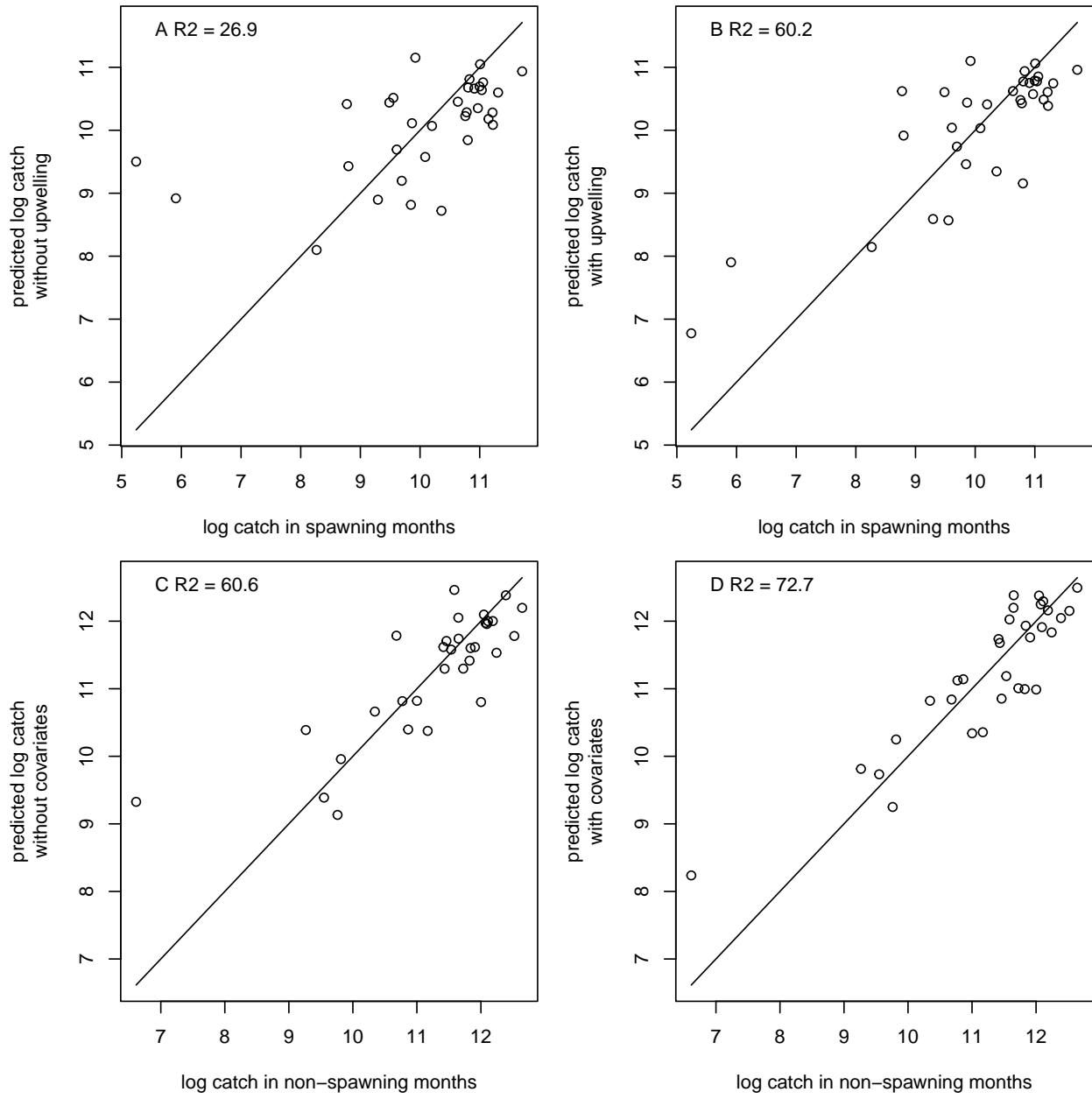


Figure 12

## **Appendices**

## Appendix A: Tests for prior season catch as covariate

Table A1. Model selection tests of time-dependency the log catch during spawning months using F-tests of nested linear models.  $S_t$  is the catch during the spawning period (Jul-Sep).  $N_t$  is the catch during the non-spawning period (Oct-Jun).  $S_{t-1}$  and  $N_{t-1}$  are the catch during the prior season during and after the spawning period respectively.  $S_{t-2}$  and  $N_{t-2}$  are the same for two seasons prior. Test A uses catch during the spawning period as the explanatory variable. Test B uses catch during the non-spawning period as the explanatory variable. Test C uses both. For Test C, the nestedness is lines 1-3 and lines 1-2 and 4.

Model	Residual df	Residual deviance	F	p value	AIC
Time dependency test A 1983-2015 data					
$\ln(S_t) = \alpha + \varepsilon$ ( $\text{Var}(\varepsilon) = 2.03$ )	32	65.09			120.07
$\ln(S_t) = \alpha + \beta \ln(S_{t-1}) + \varepsilon$ ( $R^2 \text{adj} = 10\%, \text{Var}(\varepsilon) = 1.84$ )	31	56.91	4.61	0.04	117.63
$\ln(S_t) = \alpha + \beta_1 \ln(S_{t-1}) + \beta_2 \ln(S_{t-2}) + \varepsilon$ ( $R^2 \text{adj} = 13\%, \text{Var}(\varepsilon) = 1.78$ )	30	53.27	2.05	0.163	117.45
Time dependency test B 1983-2015 data					
$\ln(S_t) = \alpha + \varepsilon$ ( $\text{Var}(\varepsilon) = 2.03$ )	32	65.09			120.07
$\ln(S_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2 \text{adj} = 23\%, \text{Var}(\varepsilon) = 1.56$ )	31	48.33	10.45	0.003	112.24
$\ln(S_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(N_{t-2}) + \varepsilon$ ( $R^2 \text{adj} = 21\%, \text{Var}(\varepsilon) = 1.6$ )	30	48.11	0.14	0.714	114.09
Time dependency test C 1983-2015 data					
$\ln(S_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2 \text{adj} = 23\%, \text{Var}(\varepsilon) = 1.56$ )	31	48.33			112.24
$\ln(S_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(S_{t-1}) + \varepsilon$ ( $R^2 \text{adj} = 22\%, \text{Var}(\varepsilon) = 1.59$ )	30	47.65	0.43	0.517	113.77
$\ln(S_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(S_{t-2}) + \varepsilon$ ( $R^2 \text{adj} = 22\%, \text{Var}(\varepsilon) = 1.6$ )	30	47.89	0.28	0.601	113.94

Table A2. Model selection tests of time-dependency the catch during spawning months using non-linear responses instead of linear responses as in Table A1 See Table A1 for an explanation of the parameters and model set-up.

Model	Residual df	Residual deviance	F	p value	AIC
Time dependency test A 1983-2015 data					
$\ln(S_t) = \alpha + \beta \ln(S_{t-1}) + \varepsilon$ ( $R^2adj = 10\%$ , $\text{Var}(\varepsilon) = 1.84$ )	31	56.91			117.63
$\ln(S_t) = \alpha + s(\ln(S_{t-1})) + \varepsilon$ ( $R^2adj = 20\%$ , $\text{Var}(\varepsilon) = 1.63$ )	29	48.2	2.73	0.085	115.01
$\ln(S_t) = \alpha + s_1(\ln(S_{t-1})) + s_2(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 20\%$ , $\text{Var}(\varepsilon) = 1.62$ )	26.2	44.27	0.86	0.466	116.82
Time dependency test B 1983-2015 data					
$\ln(S_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2adj = 23\%$ , $\text{Var}(\varepsilon) = 1.56$ )	31	48.33			112.24
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 27\%$ , $\text{Var}(\varepsilon) = 1.49$ )	29.6	44.66	1.71	0.203	111.57
$\ln(S_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(N_{t-2})) + \varepsilon$ ( $R^2adj = 26\%$ , $\text{Var}(\varepsilon) = 1.51$ )	27.3	42.64	0.57	0.594	113.79
Time dependency test C 1983-2015 data					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 27\%$ , $\text{Var}(\varepsilon) = 1.49$ )	29.6	44.66			111.57
$\ln(S_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(S_{t-1})) + \varepsilon$ ( $R^2adj = 32\%$ , $\text{Var}(\varepsilon) = 1.39$ )	26.9	38.53	1.66	0.202	111.12
$\ln(S_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 28\%$ , $\text{Var}(\varepsilon) = 1.47$ )	26.8	40.64	0.98	0.414	113.05

Table A3. Model selection tests of time-dependency for the catch during spawning months using 1956-2015 data. See Table A1 for definitions.

Model	Residual df	Residual deviance	F	p value	AIC
Time dependency test B linear 1956-2015 data					
$\ln(S_t) = \alpha + \varepsilon$ $(R^2adj = 0\%, \text{Var}(\varepsilon) = 1.42)$	57	80.84			187.85
$\ln(S_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ $(R^2adj = 15\%, \text{Var}(\varepsilon) = 1.21)$	56	67.58	10.79	0.002	179.46
$\ln(S_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(N_{t-2}) + \varepsilon$ $(R^2adj = 13\%, \text{Var}(\varepsilon) = 1.23)$	55	67.58	0	0.97	181.46
Linearity test 1956-2015 data					
$\ln(S_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ $(R^2adj = 15\%, \text{Var}(\varepsilon) = 1.21)$	56	67.58			179.46
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ $(R^2adj = 16\%, \text{Var}(\varepsilon) = 1.19)$	54.6	65.7	1.13	0.312	179.64
$\ln(S_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(N_{t-2})) + \varepsilon$ $(R^2adj = 14\%, \text{Var}(\varepsilon) = 1.22)$	52.3	65	0.25	0.811	182.78

Table A4. Model selection tests of time-dependency the  $N_t$  model using F-tests of nested models fit to 1983 to 2014 log landings data. The years are determined by the covariate data availability.  $N_t$  is the catch during the non-spawning period (Qtrs 4, 1 and 2: Oct-Jun) of season  $t$  (Jul-Jun).  $S_{t-1}$  and  $N_{t-1}$  are the catch during the prior sardine season during and after the spawning period respectively.  $S_{t-2}$  and  $N_{t-2}$  are the same for two seasons prior. Test A uses catch during the spawning period as the explanatory variable. Test B uses catch during the non-spawning period as the explanatory variable. Test C uses both. For Test C, the nestedness is lines 1-3 and lines 1-2 and 4.

Model	Residual df	Residual deviance	F	p value	AIC
Time dependency test A 1983-2014 data					
$\ln(N_t) = \alpha + \varepsilon$ ( $\text{Var}(\varepsilon) = 1.49$ )	31	46.19			106.56
$\ln(N_t) = \alpha + \beta \ln(S_{t-1}) + \varepsilon$ ( $R^2\text{adj} = 28\%$ , $\text{Var}(\varepsilon) = 1.08$ )	30	32.39	12.77	0.001	97.2
$\ln(N_t) = \alpha + \beta_1 \ln(S_{t-1}) + \beta_2 \ln(S_{t-2}) + \varepsilon$ ( $R^2\text{adj} = 28\%$ , $\text{Var}(\varepsilon) = 1.08$ )	29	31.31	1	0.325	98.12
Time dependency test B 1983-2014 data					
$\ln(N_t) = \alpha + \varepsilon$ ( $\text{Var}(\varepsilon) = 1.49$ )	31	46.19			106.56
$\ln(N_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2\text{adj} = 39\%$ , $\text{Var}(\varepsilon) = 0.91$ )	30	27.41	20.17	0	91.85
$\ln(N_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(N_{t-2}) + \varepsilon$ ( $R^2\text{adj} = 38\%$ , $\text{Var}(\varepsilon) = 0.93$ )	29	27	0.43	0.517	93.38
Time dependency test C 1983-2014 data					
$\ln(N_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2\text{adj} = 39\%$ , $\text{Var}(\varepsilon) = 0.91$ )	30	27.41			91.85
$\ln(N_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(S_{t-1}) + \varepsilon$ ( $R^2\text{adj} = 37\%$ , $\text{Var}(\varepsilon) = 0.94$ )	29	27.32	0.1	0.759	93.75
$\ln(N_t) = \alpha + \beta_1 \ln(N_{t-1}) + \beta_2 \ln(S_{t-2}) + \varepsilon$ ( $R^2\text{adj} = 37\%$ , $\text{Var}(\varepsilon) = 0.94$ )	29	27.4	0.01	0.93	93.84

Table A5. Model selection tests of time-dependency the  $N_t$  model using non-linear responses instead of linear responses as in Table A4. See Table A4 for an explanation of the parameters and model set-up.

Model	Residual df	Residual deviance	F	p value	AIC
Time dependency test A 1983-2014 data					
$\ln(N_t) = \alpha + \beta \ln(S_{t-1}) + \varepsilon$ ( $R^2adj = 28\%$ , $\text{Var}(\varepsilon) = 1.08$ )	30	32.39			97.2
$\ln(N_t) = \alpha + s(\ln(S_{t-1})) + \varepsilon$ ( $R^2adj = 31\%$ , $\text{Var}(\varepsilon) = 1.03$ )	28.1	29.4	1.68	0.207	96.88
$\ln(N_t) = \alpha + s_1(\ln(S_{t-1})) + s_2(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 38\%$ , $\text{Var}(\varepsilon) = 0.93$ )	25.1	24.35	1.84	0.166	95.69
Time dependency test B 1983-2014 data					
$\ln(N_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2adj = 39\%$ , $\text{Var}(\varepsilon) = 0.91$ )	30	27.41			91.85
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 47\%$ , $\text{Var}(\varepsilon) = 0.79$ )	28.5	22.99	4.07	0.04	88.28
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(N_{t-2})) + \varepsilon$ ( $R^2adj = 51\%$ , $\text{Var}(\varepsilon) = 0.73$ )	26.3	19.89	1.87	0.171	87.3
Time dependency test C 1983-2014 data					
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 47\%$ , $\text{Var}(\varepsilon) = 0.79$ )	28.5	22.99			88.28
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(S_{t-1})) + \varepsilon$ ( $R^2adj = 45\%$ , $\text{Var}(\varepsilon) = 0.81$ )	25.9	21.83	0.55	0.631	90.96
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )	25.6	15.58	4.26	0.015	80.66

Table A6. Table A5 with 1956-2015 data instead of 1983 to 2014 data. See Table A4 for an explanation of the parameters and model set-up.

Model	Residual df	Residual deviance	F	p value	AIC
Time dependency test A 1956-2015 data					
$\ln(N_t) = \alpha + \beta \ln(S_{t-1}) + \varepsilon$ ( $R^2adj = 19\%$ , $\text{Var}(\varepsilon) = 0.78$ )	55	43.02			151.71
$\ln(N_t) = \alpha + s(\ln(S_{t-1})) + \varepsilon$ ( $R^2adj = 20\%$ , $\text{Var}(\varepsilon) = 0.77$ )	53.4	41.68	1.04	0.348	152.24
$\ln(N_t) = \alpha + s_1(\ln(S_{t-1})) + s_2(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 20\%$ , $\text{Var}(\varepsilon) = 0.78$ )	50.7	40.21	0.71	0.534	154.53
Time dependency test B 1956-2015 data					
$\ln(N_t) = \alpha + \beta \ln(N_{t-1}) + \varepsilon$ ( $R^2adj = 31\%$ , $\text{Var}(\varepsilon) = 0.67$ )	55	36.81			142.84
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 33\%$ , $\text{Var}(\varepsilon) = 0.65$ )	53.6	35.24	1.75	0.191	142.2
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(N_{t-2})) + \varepsilon$ ( $R^2adj = 33\%$ , $\text{Var}(\varepsilon) = 0.65$ )	51.3	33.96	0.87	0.439	143.8
Time dependency test C 1956-2015 data					
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 33\%$ , $\text{Var}(\varepsilon) = 0.65$ )	53.6	35.24			142.2
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(S_{t-1})) + \varepsilon$ ( $R^2adj = 34\%$ , $\text{Var}(\varepsilon) = 0.64$ )	51.2	33.5	1.12	0.342	143.28
$\ln(N_t) = \alpha + s_1(\ln(N_{t-1})) + s_2(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 32\%$ , $\text{Var}(\varepsilon) = 0.65$ )	51	33.97	0.75	0.513	144.43

Table A7. Model selection tests for the  $N_t$  model using AIC for models fit to log landings data with catch during the spawning season  $S_t$  added as a covariate. Data 1983 to 2014 were used.

Model	Residual df	Residual deviance	AIC
Add current season spawning information			
$\ln(N_t) = \alpha + \beta \ln(S_t) + \varepsilon$ $(R^2adj = 66\%, \text{Var}(\varepsilon) = 0.51)$	30	15.41	73.43
$\ln(N_t) = \alpha + s(\ln(S_t)) + \varepsilon$ $(R^2adj = 65\%, \text{Var}(\varepsilon) = 0.51)$	28.2	14.79	74.64
$\ln(N_t) = \alpha + \beta \ln(S_t) + s(\ln(S_{t-1})) + \varepsilon$ $(R^2adj = 72\%, \text{Var}(\varepsilon) = 0.42)$	27.1	11.51	68.8
$\ln(N_t) = \alpha + \beta \ln(S_t) + s(\ln(N_{t-1})) + \varepsilon$ $(R^2adj = 74\%, \text{Var}(\varepsilon) = 0.39)$	27.5	10.93	66.45

## Appendix B: Tests for environmental variables as covariates

Table B1. Model selection tests of GPCP precipitation as an explanatory variable for the catch during spawning months (Jul-Sep) using 1983 to 2015 data. The data range is determined by the years for which SST was available in order to use a consistent dataset across covariate tests.  $S_t$  is the catch during Jul-Sep of season  $t$ .  $V_t$  is the covariate in the current season which spans two calendar years from July to June in the next year.  $V_{t-1}$  is the covariate in the prior Jul-Jun season.

Model	Residual df	Residual deviance	F	p value	AIC
<b>V = Jun-Jul Precipitation</b>					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ $(R^2 adj = 27\%, \text{Var}(\varepsilon) = 1.49)$	29.6	44.66			111.57
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \beta V_t + \varepsilon$ $(R^2 adj = 25\%, \text{Var}(\varepsilon) = 1.53)$	28.6	44.32	0.23	0.634	113.29
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \varepsilon$ $(R^2 adj = 26\%, \text{Var}(\varepsilon) = 1.5)$	27	41.86	1.02	0.358	113.67
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \beta V_{t-1} + \varepsilon$ $(R^2 adj = 26\%, \text{Var}(\varepsilon) = 1.51)$	26	40.81	0.71	0.405	114.75
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + s(V_{t-1}) + \varepsilon$ $(R^2 adj = 25\%, \text{Var}(\varepsilon) = 1.52)$	24.6	39.46	0.6	0.509	115.67
<b>V = Apr-May Precipitation</b>					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ $(R^2 adj = 27\%, \text{Var}(\varepsilon) = 1.49)$	29.6	44.66			111.57
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \beta V_t + \varepsilon$ $(R^2 adj = 28\%, \text{Var}(\varepsilon) = 1.46)$	28.6	42.35	1.53	0.228	111.79
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \varepsilon$ $(R^2 adj = 27\%, \text{Var}(\varepsilon) = 1.49)$	26.6	41.15	0.39	0.684	113.64
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \beta V_{t-1} + \varepsilon$ $(R^2 adj = 24\%, \text{Var}(\varepsilon) = 1.54)$	25.6	41.06	0.06	0.803	115.52
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + s(V_{t-1}) + \varepsilon$ $(R^2 adj = 25\%, \text{Var}(\varepsilon) = 1.53)$	23.8	38.93	0.76	0.466	116.28

Table B3. Model selection tests of sea surface temperature off Cochi as the explanatory variable ( $V$ ) for the catch during spawning months (Jul-Sep) using 1983 to 2015 data. See Table B1 for an explanation of the models.

Model	Residual df	Residual deviance	F	p value	AIC
<b>V = Jul-Sep SST</b>					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 27\%$ , $\text{Var}(\varepsilon) = 1.49$ )	29.6	44.66			111.57
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \beta V_t + \varepsilon$ ( $R^2adj = 34\%$ , $\text{Var}(\varepsilon) = 1.35$ )	28.6	39.27	4.37	0.047	109.29
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \varepsilon$ ( $R^2adj = 40\%$ , $\text{Var}(\varepsilon) = 1.21$ )	26.9	33.93	2.57	0.105	106.7
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 40\%$ , $\text{Var}(\varepsilon) = 1.22$ )	26	32.87	0.93	0.337	107.53
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 39\%$ , $\text{Var}(\varepsilon) = 1.25$ )	24.5	32.36	0.26	0.711	109.13
<b>V = Jan-Dec SST</b>					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 27\%$ , $\text{Var}(\varepsilon) = 1.49$ )	29.6	44.66			111.57
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \beta V_t + \varepsilon$ ( $R^2adj = 35\%$ , $\text{Var}(\varepsilon) = 1.33$ )	28.6	38.51	4.9	0.036	108.66
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \varepsilon$ ( $R^2adj = 38\%$ , $\text{Var}(\varepsilon) = 1.26$ )	27.3	35.63	1.83	0.188	107.74
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 38\%$ , $\text{Var}(\varepsilon) = 1.27$ )	26.4	34.58	0.88	0.352	108.69
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 38\%$ , $\text{Var}(\varepsilon) = 1.26$ )	25	33.25	0.77	0.428	109.26

Table B4. Model selection tests of upwelling intensity off Cochi as the explanatory variable. See Table B1 for an explanation of the models.

Model	Residual df	Residual deviance	F	p value	AIC
<b>V = Jul-Sep Upwelling current and prior seasons</b>					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 27\%$ , $\text{Var}(\varepsilon) = 1.49$ )	29.6	44.66			111.57
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \beta V_t + \varepsilon$ ( $R^2adj = 35\%$ , $\text{Var}(\varepsilon) = 1.33$ )	28.6	38.65	4.58	0.043	108.77
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \varepsilon$ ( $R^2adj = 38\%$ , $\text{Var}(\varepsilon) = 1.27$ )	26.9	35.49	1.45	0.253	108.21
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 37\%$ , $\text{Var}(\varepsilon) = 1.29$ )	26	34.85	0.52	0.464	109.48
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_t) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 35\%$ , $\text{Var}(\varepsilon) = 1.33$ )	24.5	34.44	0.2	0.753	111.11
<b>V = Oct-Dec Upwelling prior season</b>					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 27\%$ , $\text{Var}(\varepsilon) = 1.49$ )	29.6	44.66			111.57
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 36\%$ , $\text{Var}(\varepsilon) = 1.3$ )	28.6	37.65	6.01	0.022	107.88
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 40\%$ , $\text{Var}(\varepsilon) = 1.22$ )	27.2	34.19	2.02	0.163	106.56
<b>V = Jan-Mar Upwelling prior season</b>					
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \varepsilon$ ( $R^2adj = 27\%$ , $\text{Var}(\varepsilon) = 1.49$ )	29.6	44.66			111.57
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 39\%$ , $\text{Var}(\varepsilon) = 1.24$ )	28.6	36.07	10.64	0.003	106.51
$\ln(S_t) = \alpha + s(\ln(N_{t-1})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 60\%$ , $\text{Var}(\varepsilon) = 0.81$ )	26.8	22.49	9.38	0.001	93.42

Table B5. Model selection tests of GPCP precipitation as an explanatory variable for the catch during the non-spawning months (Oct-Jun) using 1983 to 2014 data. The data range is determined by the years for which SST was available in order to use a consistent dataset across covariate tests.  $N_t$  is the catch during Oct-Jun of season  $t$ .  $V_t$  is the covariate in the current season which spans two calendar years from July to June in the next year.  $V_{t-1}$  is the covariate in the prior Jul-Jun season.

Model		Residual df	Residual deviance	F	p value	AIC
<b>V = Jun-Jul Precipitation</b>						
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )		25.6	15.58			80.66
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_t + \varepsilon$ ( $R^2adj = 62\%$ , $\text{Var}(\varepsilon) = 0.57$ )		24.6	14.68	1.6	0.217	80.68
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_t) + \varepsilon$ ( $R^2adj = 60\%$ , $\text{Var}(\varepsilon) = 0.59$ )		23.2	14.55	0.15	0.793	82.46
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.61$ )		24.6	15.49	0.17	0.679	82.41
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.58$ )		23.1	14.09	1.59	0.226	81.59
<b>V = Apr-May Precipitation</b>						
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )		25.6	15.58			80.66
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_t + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.61$ )		24.6	15.54	0.07	0.784	82.53
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_t) + \varepsilon$ ( $R^2adj = 58\%$ , $\text{Var}(\varepsilon) = 0.63$ )		22.7	15.24	0.26	0.755	84.44
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 60\%$ , $\text{Var}(\varepsilon) = 0.6$ )		24.6	15.42	0.26	0.61	82.31
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.61$ )		22.8	14.85	0.52	0.584	83.58

Table B6. Model selection tests of sea surface temperature off Cochi as the explanatory variable ( $V$ ) for the catch during the non-spawning months (Oct-Jun) using 1983 to 2014 data. See Table B5 for an explanation of the models.

Model	Residual df	Residual deviance	F	p value	AIC
<b>V = Jan-Dec SST</b>					
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )	25.6	15.58			80.66
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_t + \varepsilon$ ( $R^2adj = 68\%$ , $\text{Var}(\varepsilon) = 0.48$ )	24.6	12.3	6.95	0.015	75.04
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_t) + \varepsilon$ ( $R^2adj = 67\%$ , $\text{Var}(\varepsilon) = 0.49$ )	23.3	12.11	0.3	0.651	76.22
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )	24.6	15.03	1.1	0.302	81.45
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 65\%$ , $\text{Var}(\varepsilon) = 0.52$ )	23.2	12.72	3.33	0.07	77.99
<b>V = Jul-Sep SST</b>					
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )	25.6	15.58			80.66
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_t + \varepsilon$ ( $R^2adj = 66\%$ , $\text{Var}(\varepsilon) = 0.5$ )	24.6	12.89	5.83	0.025	76.55
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_t) + \varepsilon$ ( $R^2adj = 68\%$ , $\text{Var}(\varepsilon) = 0.47$ )	23	11.53	1.8	0.192	75.23
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.61$ )	24.6	15.59	NA	NA	82.6
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.62$ )	23.2	15.22	0.43	0.581	83.73

Table B7. Model selection tests of upwelling intensity off Cochi as the explanatory variable. See Table B5 for an explanation of the models.

Model		Residual df	Residual deviance	F	p value	AIC
<b>V = Jul-Sep Upwelling</b>						
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )		25.6	15.58			80.66
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_t + \varepsilon$ ( $R^2adj = 66\%$ , $\text{Var}(\varepsilon) = 0.51$ )		24.6	12.95	5.61	0.028	76.68
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_t) + \varepsilon$ ( $R^2adj = 67\%$ , $\text{Var}(\varepsilon) = 0.49$ )		23	11.89	1.38	0.266	76.11
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.6$ )		24.6	15.46	0.2	0.65	82.37
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 60\%$ , $\text{Var}(\varepsilon) = 0.6$ )		23.1	14.77	0.78	0.434	82.9
<b>V = Oct-Dec Upwelling</b>						
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )		25.6	15.58			80.66
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_t + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.61$ )		24.6	15.62	NA	NA	82.64
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_t) + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.62$ )		23.2	15.25	0.44	0.576	83.72
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_{t-1} + \varepsilon$ ( $R^2adj = 65\%$ , $\text{Var}(\varepsilon) = 0.53$ )		24.6	13.46	4.69	0.043	77.9
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_{t-1}) + \varepsilon$ ( $R^2adj = 68\%$ , $\text{Var}(\varepsilon) = 0.48$ )		23.3	11.84	2.68	0.108	75.47
<b>V = Jan-Mar Upwelling</b>						
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \varepsilon$ ( $R^2adj = 61\%$ , $\text{Var}(\varepsilon) = 0.59$ )		25.6	15.58			80.66
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_t + \varepsilon$ ( $R^2adj = 59\%$ , $\text{Var}(\varepsilon) = 0.61$ )		24.6	15.53	0.08	0.766	82.47
$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_t) + \varepsilon$		23	14.99	0.56	0.541	83.55

Model		Residual df	Residual deviance	F	p value	AIC
	$(R^2adj = 59\%, \text{Var}(\varepsilon) = 0.61)$					
	$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + \beta V_{t-1} + \varepsilon$	24.6	14.7	1.72	0.202	80.76
	$(R^2adj = 61\%, \text{Var}(\varepsilon) = 0.57)$					
	$\ln(N_t) = \alpha + s(\ln(N_{t-1})) + s(\ln(S_{t-2})) + s(V_{t-1}) + \varepsilon$	22.9	12.67	2.37	0.123	78.33
	$(R^2adj = 65\%, \text{Var}(\varepsilon) = 0.52)$					

## Appendix C: Tests for Chlorophyll-a as a covariate

Table C2. Model selection tests of Chlorophyll-a as an explanatory variable for the catch during spawning months (Jul-Sep) using 1998 to 2014 data. The data range is determined by the years for which CHL was available.  $S_t$  is the catch during Jul-Sep of season  $t$ .  $V_t$  is the covariate in the current season which spans two calendar years from July to June in the next year.  $V_{t-1}$  is the covariate in the prior Jul-Jun season. For Oct-Dec and Jan-Mar only Chlorophyll-a in the prior season is used since these months are after spawning in the current season. Non-linearity is modeled as a 2nd-order polynomial due to data constraints and appears as  $p()$  in the model equations. The non-spawner catch is modeled as a function of non-spawner catch in the prior year only, without spawner catch 2-years prior as in the other covariate analyses (Appendix B). This is done due to data constraints. The models are nested; the roman numeral indicates the level of nestedness. Models at levels II and higher are shown with the component that is added to the base level model (M1) at top.

Model	Residual df	Residual deviance	F	p value	AIC
I-M1: $\ln(S_t) = \alpha + p(\ln(N_{t-1})) + \varepsilon$ $(R^2adj = 14\%, \text{Var}(\varepsilon) = 0.14)$	14	1.97			19.6
V = Jul-Sep Chlorophyll					
II: $\ln(S_t) = M1 + \beta V_t$ $(R^2adj = 25\%, \text{Var}(\varepsilon) = 0.13)$	13	1.69	0.7	0.423	19.02
III: $\ln(S_t) = M1 + p(V_t)$ $(R^2adj = 22\%, \text{Var}(\varepsilon) = 0.14)$	12	1.64	0.32	0.586	20.5
IV: $\ln(S_t) = M1 + p(V_t) + \beta V_{t-1}$ $(R^2adj = 16\%, \text{Var}(\varepsilon) = 0.15)$	11	1.62	0.15	0.71	22.25
V: $\ln(S_t) = M1 + p(V_t) + p(V_{t-1})$ $(R^2adj = 7\%, \text{Var}(\varepsilon) = 0.16)$	10	1.61	0.02	0.885	24.21
V = Oct-Dec Chlorophyll					
II: $\ln(S_t) = M1 + \beta V_{t-1}$ $(R^2adj = 20\%, \text{Var}(\varepsilon) = 0.14)$	13	1.8	0.01	0.911	20.1
III: $\ln(S_t) = M1 + p(V_{t-1})$ $(R^2adj = 22\%, \text{Var}(\varepsilon) = 0.14)$	12	1.63	1.3	0.277	20.35
V = Jan-Mar Chlorophyll					
II: $\ln(S_t) = M1 + \beta V_{t-1}$	13	1.8	0.04	0.837	20.05

Model	Residual df	Residual deviance	F	p value	AIC
$(R^2adj = 21\%, \text{Var}(\varepsilon) = 0.14)$					
III: $\ln(S_t) = M1 + p(V_{t-1})$	12	1.76	0.24	0.636	21.72
$(R^2adj = 16\%, \text{Var}(\varepsilon) = 0.15)$					

Table C1. Model selection tests of Chlorophyll-a as an explanatory variable for the catch during the non-spawning months (Oct-Jun) using 1998 to 2014 data. The data range is determined by the years for which CHL was available.  $N_t$  is the catch during Oct-Jun of season  $t$ .  $V_t$  is the covariate in the current season which spans two calendar years from July to June in the next year.  $V_{t-1}$  is the covariate in the prior Jul-Jun season. Non-linearity is modeled as a 2nd-order polynomial due to data constraints and appears as  $p()$  in the model equations. The non-spawner catch is modeled as a function of non-spawner catch in the prior year only, without spawner catch 2-years prior as in the other covariate analyses (Appendix B). This is done due to data constraints. The models are nested; the roman numeral indicates the level of nestedness. Models at levels II and higher are shown with the component that is added to the base level model (M1) at top.

Model	Residual df	Residual deviance	F	p value	AIC
I-M1: $\ln(N_t) = \alpha + p(\ln(N_{t-1})) + \varepsilon$ $(R^2 adj = 14\%, \text{Var}(\varepsilon) = 0.14)$	14	1.97			19.6
<b>V = Jul-Sep Chlorophyll</b>					
II: $\ln(N_t) = M1 + \beta V_t$ $(R^2 adj = 8\%, \text{Var}(\varepsilon) = 0.15)$	13	1.96	0.05	0.829	21.53
III: $\ln(N_t) = M1 + p(V_t)$ $(R^2 adj = 0\%, \text{Var}(\varepsilon) = 0.16)$	12	1.95	0.05	0.828	23.45
II: $\ln(N_t) = M1 + \beta V_{t-1}$ $(R^2 adj = 16\%, \text{Var}(\varepsilon) = 0.14)$	13	1.78	1.35	0.268	19.85
III: $\ln(N_t) = M1 + p(V_{t-1})$ $(R^2 adj = 13\%, \text{Var}(\varepsilon) = 0.14)$	11.7	1.73	0.28	0.668	21.15
<b>V = Oct-Dec Chlorophyll</b>					
II: $\ln(N_t) = M1 + \beta V_t$ $(R^2 adj = 16\%, \text{Var}(\varepsilon) = 0.14)$	13	1.79	1.91	0.197	19.99
III: $\ln(N_t) = M1 + p(V_t)$ $(R^2 adj = 25\%, \text{Var}(\varepsilon) = 0.12)$	12	1.46	3.53	0.09	18.53
IV: $\ln(N_t) = M1 + p(V_t) + \beta V_{t-1}$ $(R^2 adj = 46\%, \text{Var}(\varepsilon) = 0.09)$	11	0.98	5.2	0.046	13.66
V: $\ln(N_t) = M1 + p(V_t) + p(V_{t-1})$ $(R^2 adj = 43\%, \text{Var}(\varepsilon) = 0.09)$	10	0.93	0.44	0.52	14.92
II: $\ln(N_t) = M1 + \beta V_{t-1}$	13	1.4	5.06	0.045	15.79

Model	Residual df	Residual deviance	F	p value	AIC
$(R^2 adj = 34\%, \text{Var}(\varepsilon) = 0.11)$					
III: $\ln(N_t) = M1 + p(V_{t-1})$	11.3	1.33	0.36	0.677	17.32
$(R^2 adj = 31\%, \text{Var}(\varepsilon) = 0.11)$					
V = Jan-Mar Chlorophyll					
II: $\ln(N_t) = M1 + \beta V_t$	13	1.97	0.02	0.896	21.58
$(R^2 adj = 7\%, \text{Var}(\varepsilon) = 0.15)$					
III: $\ln(N_t) = M1 + p(V_t)$	12	1.71	1.52	0.246	21.2
$(R^2 adj = 13\%, \text{Var}(\varepsilon) = 0.14)$					
II: $\ln(N_t) = M1 + \beta V_{t-1}$	13	1.93	0.22	0.645	21.3
$(R^2 adj = 9\%, \text{Var}(\varepsilon) = 0.15)$					
III: $\ln(N_t) = M1 + p(V_{t-1})$	11.1	1.82	0.39	0.678	22.96
$(R^2 adj = 4\%, \text{Var}(\varepsilon) = 0.16)$					

Table C3. Model selection tests of Chlorophyll-a as an explanatory variable for the catch during the non-spawning months (Oct-Jun) using box 5.

Model	Residual df	Residual deviance	F	p value	AIC
I-M1: $\ln(N_t) = \alpha + p(\ln(N_{t-1})) + \epsilon$ $(R^2adj = 14\%, \text{Var}(\epsilon) = 0.14)$	14	1.97			19.6
<b>V = Jul-Sep Chlorophyll</b>					
II: $\ln(N_t) = M1 + \beta V_t$ $(R^2adj = 10\%, \text{Var}(\epsilon) = 0.15)$	13	1.91	0.35	0.568	21.12
III: $\ln(N_t) = M1 + p(V_t)$ $(R^2adj = 5\%, \text{Var}(\epsilon) = 0.16)$	12	1.87	0.29	0.602	22.7
II: $\ln(N_t) = M1 + \beta V_{t-1}$ $(R^2adj = 21\%, \text{Var}(\epsilon) = 0.13)$	13	1.68	2.13	0.17	18.92
III: $\ln(N_t) = M1 + p(V_{t-1})$ $(R^2adj = 17\%, \text{Var}(\epsilon) = 0.13)$	12	1.67	0.12	0.727	20.05
<b>V = Oct-Dec Chlorophyll</b>					
II: $\ln(N_t) = M1 + \beta V_t$ $(R^2adj = 21\%, \text{Var}(\epsilon) = 0.13)$	13	1.68	2.85	0.122	18.9
III: $\ln(N_t) = M1 + p(V_t)$ $(R^2adj = 19\%, \text{Var}(\epsilon) = 0.13)$	12	1.58	0.97	0.348	19.87
IV: $\ln(N_t) = M1 + p(V_t) + \beta V_{t-1}$ $(R^2adj = 43\%, \text{Var}(\epsilon) = 0.09)$	11	1.02	5.57	0.04	14.35
V: $\ln(N_t) = M1 + p(V_t) + p(V_{t-1})$ $(R^2adj = 38\%, \text{Var}(\epsilon) = 0.1)$	10	1.02	0	0.962	16.35
II: $\ln(N_t) = M1 + \beta V_{t-1}$ $(R^2adj = 29\%, \text{Var}(\epsilon) = 0.12)$	13	1.5	4	0.069	16.99
III: $\ln(N_t) = M1 + p(V_{t-1})$ $(R^2adj = 28\%, \text{Var}(\epsilon) = 0.12)$	11.7	1.41	0.57	0.511	17.81
<b>V = Jan-Mar Chlorophyll</b>					
II: $\ln(N_t) = M1 + \beta V_t$ $(R^2adj = 25\%, \text{Var}(\epsilon) = 0.12)$	13	1.59	2.85	0.122	17.99

Model	Residual df	Residual deviance	F	p value	AIC
III: $\ln(N_t) = M1 + p(V_t)$ $(R^2adj = 20\%, \text{Var}(\varepsilon) = 0.13)$	12	1.56	0.23	0.643	19.66
II: $\ln(N_t) = M1 + \beta V_{t-1}$ $(R^2adj = 8\%, \text{Var}(\varepsilon) = 0.15)$	13	1.96	0.08	0.787	21.52
III: $\ln(N_t) = M1 + p(V_{t-1})$ $(R^2adj = 24\%, \text{Var}(\varepsilon) = 0.12)$	8.9	1.21	1.49	0.285	19.71

## Appendix D: Correlation of covariates across the boxes

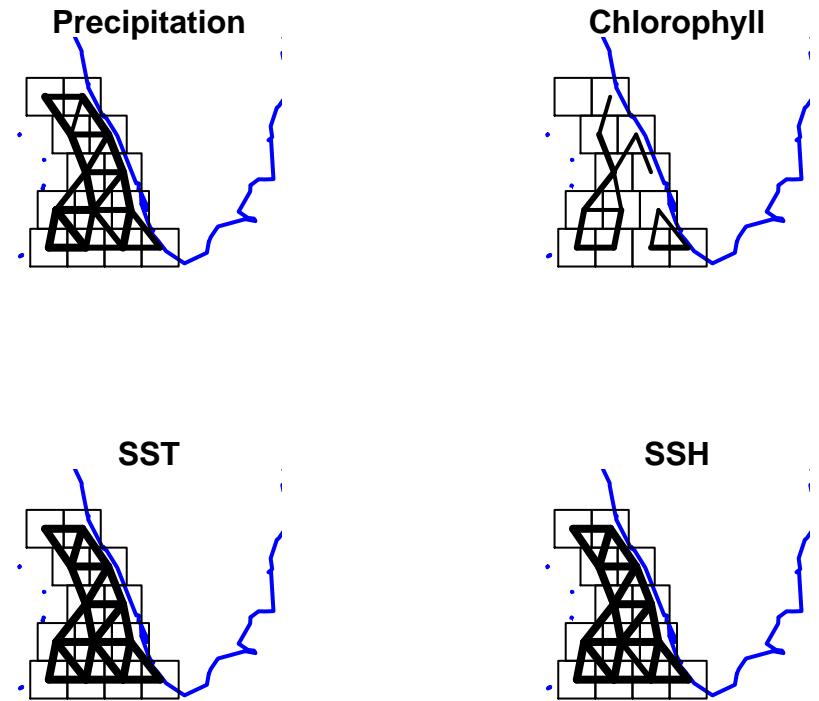


Figure C1. Correlation of the covariates across boxes. Correlation is shown by the width of the lines between neighboring boxes.