

# An Analysis of Student Mental Health

Winter Semester 2022-2023 (Semester 4)

Submitted To: Prof. Dr. Revathi G K

**Submitted By:** 

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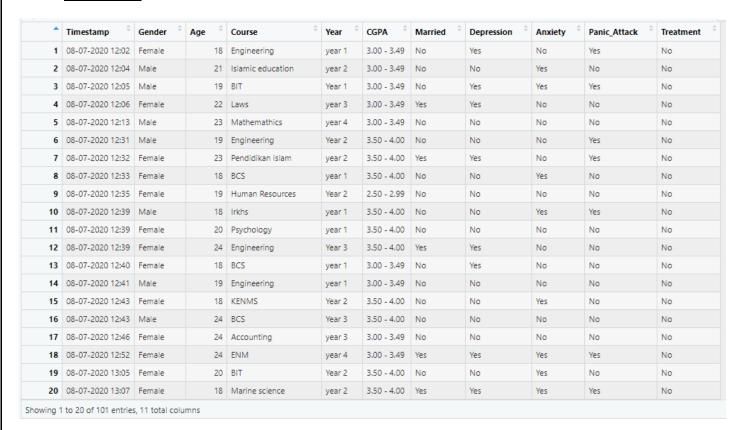
# **Introduction**

Mental health refers to a state of emotional, cognitive and behavioural well being. Unfortunately, it doesn't get the attention that it requires. This negligence has a significant impact on health, social, economic factors and human rights.

Surveys by the Indian Council of Medical Research (ICMR) revealed that 12-13 per cent of students in India suffer from psychological, emotional and behavioural conditions.

Through this analysis, we aim to understand the relation between depression among college students and their CGPA, Age, Gender and some other factors.

# **Dataset**



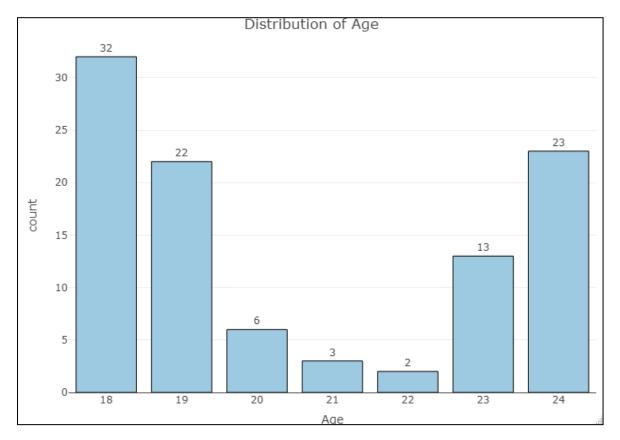
Source - https://www.kaggle.com/datasets/shariful07/student-mental-health

Project GitHub Link: <a href="https://github.com/Ra-Sp/Student-Mental-Health-Analysis">https://github.com/Ra-Sp/Student-Mental-Health-Analysis</a>

# **Exploratory Data Analysis (EDA)**

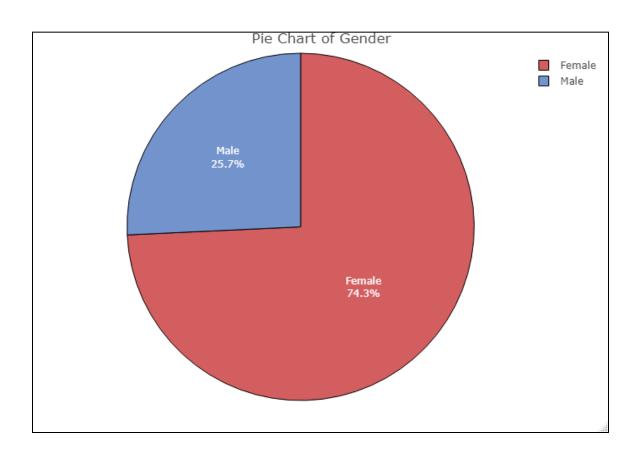
# **Distribution of Age:**

### Code:



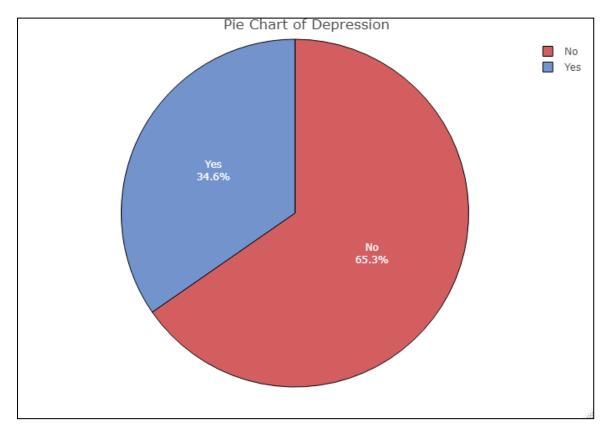
### **Gender Distribution:**

### Code:



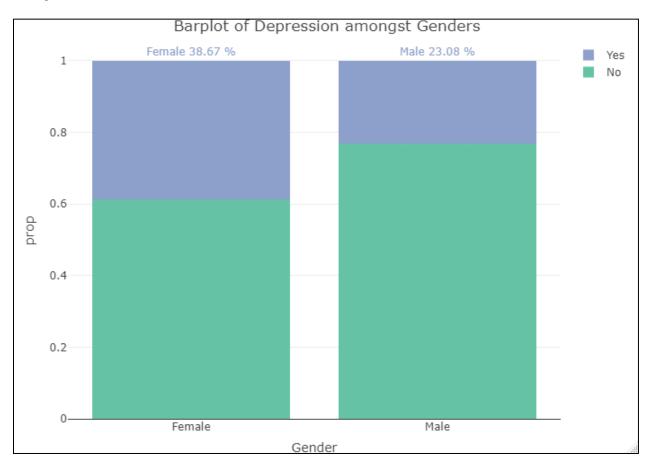
# **Depression Distribution:**

### Code:



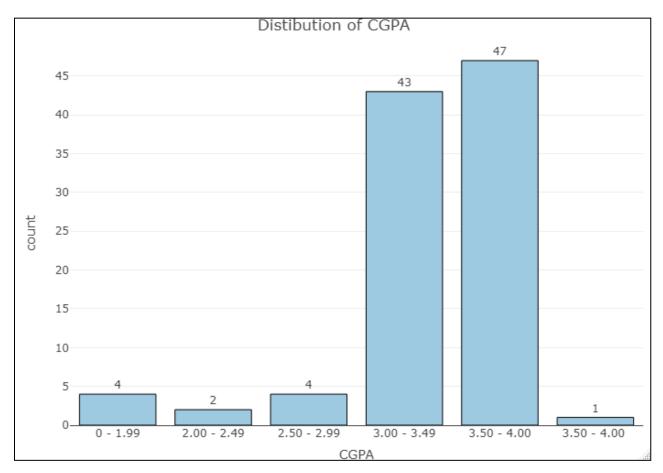
# **Depression amongst Genders:**

### Code:



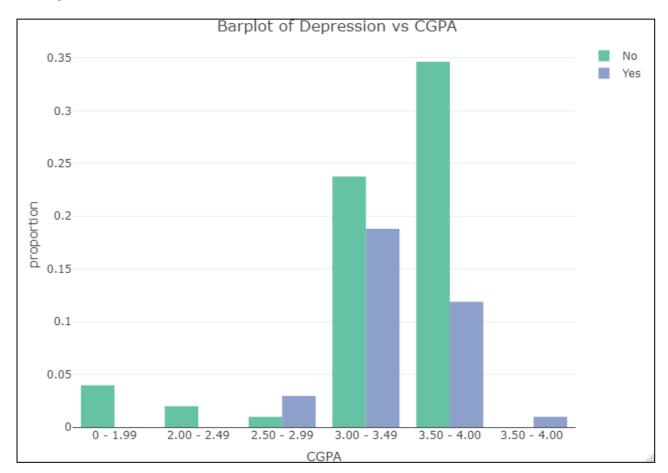
### **Distribution of CGPA:**

# Code:



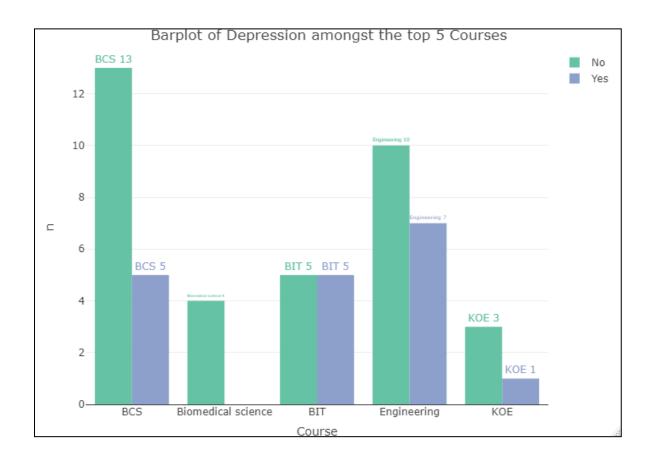
# **Depression vs CGPA:**

# Code:



# Depression amongst top 5 courses:

### Code:



### Why Logistic Regression and not Linear Regression?

Linear regression attempts to model the relationship between two variables by fitting a linear equation to observed data. One variable is considered to be an explanatory variable, and the other is considered to be a dependent variable. For example, one might want to relate the weights of individuals to their heights using a linear regression model. (ref: <a href="http://www.stat.yale.edu/Courses/1997-98/101/linreg.htm">http://www.stat.yale.edu/Courses/1997-98/101/linreg.htm</a>)

But, for our dataset, where most questions have only classification based "Yes/ No" responses, linear regression is not suitable, because it is unbounded in nature.

Consider a scenario where we need to classify whether an email is spam or not. If we use linear regression for this problem, there is a need for setting up a threshold based on which classification can be done. Say if the actual class is malignant, predicted continuous value 0.4 and the threshold value is 0.5, the data point will be classified as not malignant which can lead to serious consequence in real time. (ref: <a href="https://towardsdatascience.com/logistic-regression-detailed-overview-46c4da4303bc">https://towardsdatascience.com/logistic-regression-detailed-overview-46c4da4303bc</a>)

# **Logistic Regression**

Logistic regression is used to calculate the probability of a binary event occurring, and to deal with issues of classification. For example, predicting if an incoming email is spam or not spam, or predicting if a credit card transaction is fraudulent or not fraudulent. In a medical context, logistic regression may be used to predict whether a tumor is benign or malignant. (ref: <a href="https://careerfoundry.com/en/blog/data-analytics/what-is-logistic-regression/">https://careerfoundry.com/en/blog/data-analytics/what-is-logistic-regression/</a>)

In this project, we have focused only on Binary logistic regression, which is the statistical technique used to predict the relationship between the dependent variable (Y) and the independent variable (X), where the dependent variable is binary in nature. For example, the output can be Success/Failure, 0/1, True/False, or Yes/No.

### **Logistic Regression model:**

### Using CGPA as the predictor and Depression as the response variable

```
> CGPA = health$CGPA
> Depressed = health$Depression
> data <- data.frame(CGPA, Depressed)
> data$Depressed = factor(data$Depressed, labels = c(0, 1))
> # fitting the logistic regression model
> model <- glm(Depressed ~ CGPA, data = data, family = binomial())
> summary(model)
glm(formula = Depressed ~ CGPA, family = binomial(), data = data)
Deviance Residuals:
   Min 1Q Median 3Q
                                      Max
-1.6651 -0.7679 -0.7679 1.2781 1.6524
Coefficients:
                  Estimate Std. Error z value Pr(>|z|)
(Intercept) -1.757e+01 1.978e+03 -0.009 0.993
CGPA2.00 - 2.49 -4.622e-09 3.426e+03 0.000 1.000
CGPA2.50 - 2.99   1.866e+01   1.978e+03   0.009   0.992
CGPA3.00 - 3.49 1.733e+01 1.978e+03 0.009 0.993
CGPA3.50 - 4.00 1.650e+01 1.978e+03 0.008 0.993
CGPA3.50 - 4.00 3.513e+01 4.423e+03 0.008 0.994
(Dispersion parameter for binomial family taken to be 1)
    Null deviance: 130.35 on 100 degrees of freedom
Residual deviance: 116.93 on 95 degrees of freedom
AIC: 128.93
Number of Fisher Scoring iterations: 16
```

### **Prediction**

# **Plotting the Regression Model:**

### Code:

### Plot:

