

# **VISVESVARAYA TECHNOLOGICAL UNIVERSITY**

“JnanaSangama”, Belgaum -590014, Karnataka.



## **LAB RECORD**

### **Bio Inspired Systems (23CS5BSBIS)**

*Submitted by*

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*in partial fulfilment for the award of the degree of*

**BACHELOR OF ENGINEERING**  
*in*  
**COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING**

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**Department of Computer Science and Engineering**



**CERTIFICATE**

This is to certify that the Lab work entitled “ Bio Inspired Systems (23CS5BSBIS)” carried out by **Rachit Chandra (1BM23CS255)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfilment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements of the above mentioned subject and the work prescribed for the said degree.

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Github Link:

<https://github.com/Rachit2510/BIS>

## Program 1

### Genetic Algorithm for Optimization

Algorithm:

classmate  
Date 28-2-25  
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Lab-2, Genetic Algorithm

- Algo
- ① Initialization
  - Define population size, crossover rate, mutation rate, max generation
  - Create an initial population of random individuals
- ② Evaluate
  - For each individual in population compute fitness using fitness function.
- ③ Loops (for each generation):
  - a) Selection:-
    - Choose parents based on fitness
  - b) Crossover:-
    - With probability crossover-rate, combine genes of two parents.
  - c) Mutation:-
    - With probability mutation rate, randomly change some genes.
  - d) Evaluation:-
    - Compute fitness for all new individuals
  - e) Replacement:-
    - From new population
- Pseudocode  
Genetic Algo()
  - Initialize population P with N random chromosomes
  - Evaluate fitness of each chromosome in P
  - repeat

select parent chromosomes from  $P$  based on fitness  
with probability  $P_c$ , crossover selected  
parents to generate offspring  
with probability  $P_m$ , mutate some offspring  
genes

Evaluate fitness of new offspring  
from new population  $P'$  using offspring &  
some best individuals from  $P$

Let  $P \leftarrow P'$

till termination condition is met

return the best chromosome found in  $P$

Code:

```
# Genetic Algorithm for single-variable optimization (real-coded)
# This code runs a GA to minimize a simple test function and prints one "best" per generation
# in the same textual format as the notebook image.
# You can change the function `f(x)` to any other objective you want to optimize.
```

```
import random
import math
import statistics
```

```
random.seed(42)
```

```
# Objective function to minimize
```

```
def f(x):
```

```
    # Example: simple convex bowl with minimum near x = 1.05 and base value 2.0
    return 2.0 + (x - 1.05)**2 * 0.9 # scale factor to make numbers similar to the image
```

```
# GA parameters
```

```
POP_SIZE = 20
```

```
GENS = 10
```

```
X_MIN, X_MAX = -2.0, 4.0
```

```
TOURNAMENT_SIZE = 3
```

```
CROSSOVER_PROB = 0.8
```

```
MUTATION_STD = 0.05 # gaussian mutation standard deviation
```

```
ELITISM = 1 # number of elites to carry to next generation
```

```
# Initialize population (real-coded)
```

```
population = [random.uniform(X_MIN, X_MAX) for _ in range(POP_SIZE)]
```

```
def tournament_select(pop, k=TOURNAMENT_SIZE):
```

```
    """Return one selected individual (real value) by tournament."""
```

```
    aspirants = random.sample(pop, k)
```

```
    aspirants.sort(key=lambda ind: f(ind)) # minimize
```

```
    return aspirants[0]
```

```
def blend_crossover(a, b, alpha=0.5):
```

```
    """Simple blend crossover (arithmetic mix)"""
```

```
    r = random.random()
```

```
    child = a * r + b * (1-r)
```

```
    return child
```

```
def mutate(x, sigma=MUTATION_STD):
```

```
    """Gaussian mutation (keeps within bounds)"""
```

```

    x2 = x + random.gauss(0, sigma)
    # clip to bounds
    if x2 < X_MIN: x2 = X_MIN
    if x2 > X_MAX: x2 = X_MAX
    return x2

# Run GA and print best per generation
print("Optimization log:")
for gen in range(1, GENS+1):
    # Evaluate and keep elite(s)
    population.sort(key=lambda ind: f(ind))
    elites = population[:ELITISM]

    # Logging best of current population (before reproduction)
    best = population[0]
    best_val = f(best)
    print(f'Generation {gen}: Best x = {best:.5f} , f(x) = {best_val:.6f}')

    # Create new population
    new_pop = elites.copy()
    while len(new_pop) < POP_SIZE:
        # selection
        p1 = tournament_select(population)
        p2 = tournament_select(population)
        # crossover
        if random.random() < CROSSOVER_PROB:
            c = blend_crossover(p1, p2)
        else:
            c = p1
        # mutation
        c = mutate(c)
        new_pop.append(c)

    population = new_pop

# Final best
population.sort(key=lambda ind: f(ind))
best = population[0]
print("\nFinal best:")
print(f'Best x = {best:.6f} , f(x) = {f(best):.6f}')

```

Optimization log:

Generation 1: Best  $x = 1.03213$  ,  $f(x) = 2.000287$   
Generation 2: Best  $x = 1.03213$  ,  $f(x) = 2.000287$   
Generation 3: Best  $x = 1.04859$  ,  $f(x) = 2.000002$   
Generation 4: Best  $x = 1.04859$  ,  $f(x) = 2.000002$   
Generation 5: Best  $x = 1.05108$  ,  $f(x) = 2.000001$   
Generation 6: Best  $x = 1.05108$  ,  $f(x) = 2.000001$   
Generation 7: Best  $x = 1.05108$  ,  $f(x) = 2.000001$   
Generation 8: Best  $x = 1.05108$  ,  $f(x) = 2.000001$   
Generation 9: Best  $x = 1.05108$  ,  $f(x) = 2.000001$   
Generation 10: Best  $x = 1.04998$  ,  $f(x) = 2.000000$

Final best:

Best  $x = 1.049980$  ,  $f(x) = 2.000000$



## Program 2

### Optimization via Gene Expression Algorithm

Algorithm:

CLASSMATE  
Date 4-7-25  
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Optimization is a  
Lab-3, Genetic Expression Algorithm

- Steps
  - ① Initialize the population of chromosomes
  - ② Express the chromosomes into expression trees
  - ③ Evaluate fitness of ET using a fitness function
  - ④ Select chromosomes for reproduction function
  - ⑤ Select chromosomes for reproduction based on fitness
  - ⑥ Apply genetic operators:
    1. Mutation
    2. Insertion Sequence Transposition
    3. Root Transposition
    4. One point recombination
    5. Two point recombination
  - ⑦ Create new population and repeat from step 2
  - ⑧ Termination: Stop after a fixed no. of generations or if a desired fitness is achieved.
- Pseudocode

```
OptimizedGenExpAlg()
    Initializes P with N random chromosomes
    gen = 0
    Express chromosomes into exp trees T
    Evaluate fitness using fitFunc()
    Select
OptimizedGenExpAlg()
    Initialize population with random exps (chromosomes)
    Evaluate fitness of each expression
    while termination condition not met:
        select parents from population (eg,
        tournament selection, roulette wheel)
        apply crossover operator from
```

parents to offspring

Apply ~~crossover~~ mutation operator to offspring  
(small random changes in  $\text{exp}^n$ )

Evaluate fitness of offspring

Select next generation population

(elitism + replacement strategy)

if 'optimization step required':

    apply local optimization

    Re-evaluate optimized  $\text{exp}^n$

Update best solution if new best fitness is found

End while

Return best  $\text{exp}^n$  found

MLG  
- 12/23

Code:

#Application:Sequence of Induction & Creation of Constants

```
import random, math
```

```
# ===== Sequence Induction Setup =====
```

```
# Example sequence: f(n) tries to model this pattern
```

```
sequence = [2, 3, 6, 11, 18] # You can change this
```

```
X = list(range(1, len(sequence) + 1))
```

```
Y = sequence
```

```
# ===== Genome Representation: list tokens like ['x', 3.14, 'x'] =====
```

```
TOKENS = ["x"] # variable name only
```

```
def random_genome():
```

```
    return ["x"] # start simple like your notebook
```

```
def evaluate(genome, n):
```

```
    """Evaluate expression left-to-right: start with n and apply + constant repeatedly."""
```

```
    val = n
```

```
    try:
```

```
        for t in genome[1:]:
```

```
            if isinstance(t, (int, float)):
```

```
                val = val + t # only addition for simplicity
```

```
        return val
```

```
    except:
```

```
        return None
```

```
def fitness(genome):
```

```
    err = 0
```

```
    for n, y in zip(X, Y):
```

```
        v = evaluate(genome, n)
```

```
        if v is None or math.isinf(v):
```

```
            return 1e-9
```

```
        err += (y - v) ** 2
```

```
    return 1 / (1 + err/len(X))
```

```
def mutate(genome):
```

```
    g = genome[:]
```

```
    # Add a new constant
```

```
    g.append(round(random.uniform(-6, 6), 6))
```

```
    return g
```

```
# ===== GEA Execution with Printing Style Matching Your Note =====
```

```
def run_gea(iterations=6, test_x=2):
```

```

genome = random_genome()
print("Initial Expression:", genome)

for i in range(iterations):
    genome = mutate(genome)
    print("\nMutated expression:", genome)

    val = evaluate(genome, test_x)
    if val is None:
        print(f"Evaluated at x = {test_x}: None")
    else:
        print(f"Evaluated at x = {test_x}: {round(val,6)}")

return genome

# ===== Run =====
best = run_gea()

```

```

Initial Expression: ['x']

Mutated expression: ['x', 1.342526]
Evaluated at x = 2: 3.342526

Mutated expression: ['x', 1.342526, 2.327768]
Evaluated at x = 2: 5.670294

Mutated expression: ['x', 1.342526, 2.327768, 5.983546]
Evaluated at x = 2: 11.65384

Mutated expression: ['x', 1.342526, 2.327768, 5.983546, -3.59786]
Evaluated at x = 2: 8.05598

Mutated expression: ['x', 1.342526, 2.327768, 5.983546, -3.59786, -4.371259]
Evaluated at x = 2: 3.684721

Mutated expression: ['x', 1.342526, 2.327768, 5.983546, -3.59786, -4.371259, -5.111376]
Evaluated at x = 2: -1.426655

```

### Program 3

#### Particle Swarm Optimization

Algorithm:

classmate  
Date 11-9-25  
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Swarm  
Particle ~~Swarm~~ Optimization

Lab-4, Parallel Cellular Optimization

→ Algorithm

- Initialize a swarm of particles with random positions and random velocities in the search space
- Each particle evaluates its fitness (objective function value)
- Update:
  - cognition Personal best (pbest) - Best position ever visited by a particle
  - social influence Global best (gbest) - Best position ever found by a particle in the swarm
- Update each particle's position & velocity.
- Repeat until a stopping criterion is met (max iterations or acceptable fitness)

→ Pseudo Code

```
Initialize swarm positions  $x[i]$  and velocities  $v[i]$ 
pbest[i] =  $x[i]$  for all particles
gbest = best of pbest
for iter = 1 to max iterations do
    for each particle i do
         $v[i] = w * v[i] + c1 * rand() * (pbest[i] - x[i]) + c2 * rand() * (gbest - x[i])$ 
         $x[i] = x[i] + v[i]$ 
        if  $f(x[i]) < f(pbest[i])$ 
            pbest[i] =  $x[i]$ 
        end if
    end for
    update gbest = best of all pbest
end for
return gbest
```

M4  
11/9/25

Code:

#Application: Multi-robot cooperation

import numpy as np

class Particle:

```
def __init__(self, dim, bounds):
    self.position = np.random.uniform(bounds[:,0], bounds[:,1], dim)
    self.velocity = np.zeros(dim)
    self.best_pos = np.copy(self.position)
    self.best_cost = float('inf')
```

def fitness(path, start, goal, obstacles):

```
    cost = np.linalg.norm(path[-1] - goal)
    # Add obstacle penalty
    for obs in obstacles:
        distances = np.linalg.norm(path - obs['center'], axis=1)
        penalty = np.sum(np.where(distances < obs['radius'], 1000, 0))
        cost += penalty
    return cost
```

def pso\_path\_planning(start, goal, obstacles, n\_particles=30, dim=10, bounds=None, epochs=100):

```
    if bounds is None:
        bounds = np.array([-1, 1]) * dim # example bounds
    swarm = [Particle(dim, bounds) for _ in range(n_particles)]
    global_best_pos = None
    global_best_cost = float('inf')
```

```
    w = 0.5 # inertia weight
    c1 = c2 = 1.5 # cognitive and social coefficients
```

for epoch in range(epochs):

```
    for p in swarm:
        # Decode particle position into a path (e.g., waypoints) here
        path = [start + (goal - start) * (i / (dim + 1)) + p.position[i] for i in range(dim)]
        path = np.vstack([start, *path, goal])
```

```
        cost = fitness(path, start, goal, obstacles)
```

```
        if cost < p.best_cost:
            p.best_cost = cost
            p.best_pos = p.position
```

```
        if cost < global_best_cost:
            global_best_cost = cost
            global_best_pos = p.position
```

for p in swarm:

```
    r1, r2 = np.random.rand(dim), np.random.rand(dim)
```

```

    p.velocity = w*p.velocity \
        + c1*r1*(p.best_pos - p.position) \
        + c2*r2*(global_best_pos - p.position)
    p.position += p.velocity
    # Optionally clip to bounds
    p.position = np.clip(p.position, bounds[:,0], bounds[:,1])

# Build final path
best_path = [start + (goal - start) * (i / (dim + 1)) + global_best_pos[i] for i in range(dim)]
best_path = np.vstack([start, *best_path, goal])
return best_path, global_best_cost

# Example usage
if __name__ == "__main__":
    start = np.array([0.0, 0.0])
    goal = np.array([10.0, 10.0])
    obstacles = [{'center': np.array([5.0, 5.0]), 'radius': 2.0}]
    path, cost = pso_path_planning(start, goal, obstacles)
    print("Path cost:", cost)
    print("Path points:\n", path)

```

```

Path cost: 0.0
Path points:
[[ 0.          0.          ]
 [ 1.45720002  1.45720002]
 [ 0.82934424  0.82934424]
 [ 0.30486311  0.30486311]
 [ 1.50984063  1.50984063]
 [ 3.01164867  3.01164867]
 [ 3.48963199  3.48963199]
 [ 6.75135608  6.75135608]
 [ 6.83215368  6.83215368]
 [ 8.02401295  8.02401295]
 [ 6.91166801  6.91166801]
 [10.         10.         ]]

```



#### Program 4

#### Ant Colony Optimization

Algorithm:

Let  $S$ , General Algorithm for Ant Colony

Initialize pheromone values  $T$  on all solution components set parameters

$\alpha$  (pheromone influence),

$\beta$  (heuristic influence),

evaporation rate  $\rho$ ,  
no. of ants  $m$

while stopping criteria not met:

for each ant  $k$  in 1 to  $m$ :

utilize an empty solution  $s_k$

while solution  $s_k$  is incomplete:

select next solution component  $c$

base on probability proportional to

$$[T(c)]^\alpha + [\eta(c)]^\beta$$

where  $\eta(c)$  is heuristic desirability of component  $c$

add component  $c$  to solution  $s_k$

evaluate the quality of solution  $s_k$

for each solution component  $c$ :

evaporate pheromone:

$$T(c) = (1 - \rho) * T(c)$$

for each ant  $k$ :

deposit pheromone components in solution

$$T(c) = T(c) + \Delta T - R(c)$$

amount  $\Delta T - R(c)$  depends on quality of solution  $s_k$

return best solution



Code:

#Application: Travelling Salesman Problem

import math

import random

# -----

# Problem definition (TSP)

# -----

# Example coordinates for 6 cities (you can change these)

coords = [

(0, 0),

(2, 6),

(5, 3),

(6, 7),

(8, 3),

(3, 9)

]

N\_CITIES = len(coords)

def euclidean(a, b):

return math.hypot(a[0] - b[0], a[1] - b[1])

# Distance matrix

dist = [[0.0]\*N\_CITIES for \_ in range(N\_CITIES)]

for i in range(N\_CITIES):

for j in range(N\_CITIES):

if i != j:

dist[i][j] = euclidean(coords[i], coords[j])

else:

dist[i][j] = float("inf")

# -----

# Ant Colony parameters

# -----

N\_ANTS = N\_CITIES # one ant per city

N\_ITER = 10 # iterations (matches your table length)

ALPHA = 1.0 # pheromone importance

BETA = 5.0 # heuristic importance

EVAPORATION = 0.5 # pheromone evaporation rate

Q = 100.0 # pheromone deposit factor

random.seed(0) # make runs deterministic

```

# -----
# ACO core
# -----

def construct_solution(pheromone):
    """Build a tour for one ant."""
    n = N_CITIES
    start = random.randrange(n)
    tour = [start]
    unvisited = set(range(n))
    unvisited.remove(start)

    while unvisited:
        i = tour[-1]
        # compute probabilities for each candidate j
        probs = []
        denom = 0.0
        for j in unvisited:
            tau = pheromone[i][j] ** ALPHA
            eta = (1.0 / dist[i][j]) ** BETA
            val = tau * eta
            probs.append((j, val))
            denom += val

        # roulette wheel selection
        r = random.random()
        cum = 0.0
        chosen = None
        for j, val in probs:
            cum += val / denom
            if r <= cum:
                chosen = j
                break
        if chosen is None:
            chosen = list(unvisited)[-1]

        tour.append(chosen)
        unvisited.remove(chosen)

    return tour

def tour_length(tour):
    length = 0.0
    for i in range(len(tour)):
        j = (i + 1) % len(tour) # return to start
        length += dist[tour[i]][tour[j]]
    return length

```

```

def ant_colony_tsp():
    # initial pheromone
    pheromone = [[1.0 for _ in range(N_CITIES)] for _ in range(N_CITIES)]

    best_tour = None
    best_cost = float("inf")
    best_costs_per_iter = []

    for it in range(1, N_ITER + 1):
        all_tours = []
        all_costs = []

        # build solutions
        for _ in range(N_ANTS):
            tour = construct_solution(pheromone)
            cost = tour_length(tour)
            all_tours.append(tour)
            all_costs.append(cost)

        # update global best
        for tour, cost in zip(all_tours, all_costs):
            if cost < best_cost:
                best_cost = cost
                best_tour = tour

        best_costs_per_iter.append(best_cost)

        # evaporate pheromone
        for i in range(N_CITIES):
            for j in range(N_CITIES):
                pheromone[i][j] *= (1.0 - EVAPORATION)

        # deposit pheromone (Ant System)
        for tour, cost in zip(all_tours, all_costs):
            deposit = Q / cost
            for k in range(len(tour)):
                i = tour[k]
                j = tour[(k + 1) % len(tour)]
                pheromone[i][j] += deposit
                pheromone[j][i] += deposit

    return best_tour, best_costs_per_iter

# -----
# Run ACO and print like notebook
# -----

best_tour, best_costs = ant_colony_tsp()

```

```
print("Output")
print("Iteration | Best cost so far =")

for i, c in enumerate(best_costs, start=1):
    print(f'{i:2d}      {c:.6f}')

print(f'\nMin cost = {min(best_costs):.6f}')
print("Best tour (city indices) =", best_tour)
```

```
Output
Iteration | Best cost so far =
 1         26.395472
 2         26.395472
 3         26.395472
 4         26.395472
 5         26.395472
 6         26.395472
 7         26.395472
 8         26.395472
 9         26.395472
10         26.395472

Min cost = 26.395472
Best tour (city indices) = [1, 0, 2, 4, 3, 5]
```

## Program 5

### Cuckoo Search

Algorithm:

classmate  
Date 16-10-25  
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Lab-6 Cuckoo Search

Input:

- $f(w)$  # Objective func. to min or max
- $n$  # no. of nests (population size)
- $p_a$  # discover probability ( $0 \leq p_a \leq 1$ )
- $t_{max}$  # max iterations

Optimal params:  $\alpha$  (step size scale)  
 $\text{Levy-beta}$  (Levy exponent)

Output:

- $x_{best}, f_{best}$  # best sol. found & its fitness

procedure:

- # Initialize population
  - $\text{nest} = \text{InitializeNests}(n, \text{bounds})$
  - $\text{fitness} = \text{EvaluateAll}(\text{nest}, f)$
  - $x_{best}, f_{best} = \text{bestOf}(\text{nest}, \text{fitness})$
  - $t = 0$
- while  $t < t_{max}$ :
  - for  $i = 1$  to  $n$ :
    - $x_{new} = \text{LevyFlight}(\text{nest}[i], \alpha, \text{Levy-beta})$
    - $f_{new} = f(x_{new})$
- # Choose a random nest  $j$  & replace it if new solution is better
  - $j = \text{RandomInteger}(1, n)$
  - if  $f_{new}$  is better than  $\text{fitness}[j]$ :
    - $\text{nest}[j] = x_{new}$
    - $\text{fitness}[j] = f_{new}$

# update global best if needed:

$n_{best} = n_{new}$

$f_{best} = f_{new}$

# abandon a fraction of worst nests & generate a new random ones

$num_{abandon} = \text{ceil}(pa \cdot n)$

return  $f_{best}$ ,  $n_{best}$

Code:

#Application:Optimization of Traffic Management

import random

import math

# ----- Traffic Simulation Function ----- #

def simulate\_traffic(green\_times):

"""

green\_times: [g1, g2, g3, g4] green time for each of 4 directions

returns total waiting time (to be minimized)

"""

# average traffic arrival rate (vehicles/sec) for each direction

arrival = [0.8, 1.1, 0.6, 0.9] # adjust as required

total\_waiting = 0

for arr, green in zip(arrival, green\_times):

# vehicles arriving during a cycle

vehicles = arr \* cycle\_time

# vehicles that can pass (assume 1 vehicle/second during green)

passed = green

# queue leftover -> waiting contribution

waiting = max(0, vehicles - passed)

# weighted wait time approximation

total\_waiting += waiting\*\*2

return total\_waiting

# ----- Cuckoo Search Optimization ----- #

def levy\_flight(Lambda=1.5):

u = random.random() \* 0.1

v = random.random()

step = u / (abs(v) \*\* (1 / Lambda))

return step

def cuckoo\_search(n=10, pa=0.25, iterations=50):

# initial nests (green times for 4 signals)

nests = [[random.uniform(10, 60) for \_ in range(4)] for \_ in range(n)]

fitness = [simulate\_traffic(nest) for nest in nests]

global\_best = nests[fitness.index(min(fitness))]

global\_best\_fit = min(fitness)

```
for it in range(iterations):
```

```
    # Generate new solutions by Levy flights
```

```
    for i in range(n):
```

```
        new = []
```

```
        for x in nests[i]:
```

```
            step = levy_flight()
```

```
            new_val = x + step * (x - global_best[0])
```

```
            new.append(max(5, min(90, new_val))) # bounds
```

```
        new_fit = simulate_traffic(new)
```

```
        if new_fit < fitness[i]:
```

```
            nests[i], fitness[i] = new, new_fit
```

```
            if new_fit < global_best_fit:
```

```
                global_best = new
```

```
                global_best_fit = new_fit
```

```
    # Abandon some worst nests
```

```
    for i in range(n):
```

```
        if random.random() < pa:
```

```
            nests[i] = [random.uniform(10, 60) for _ in range(4)]
```

```
            fitness[i] = simulate_traffic(nests[i])
```

```
    print(f'Iteration {it+1} | Best waiting time = {global_best_fit:.4f}')
```

```
    return global_best, global_best_fit
```

```
# ----- Execution ----- #
```

```
cycle_time = 120 # total cycle length in seconds (modifiable)
```

```
best_solution, best_wait = cuckoo_search()
```

```
print("\nOptimal Green Signal Timings (seconds):")
```

```
print(f'North-South Straight : {best_solution[0]:.2f}')
```

```
print(f'North-South Right Turn : {best_solution[1]:.2f}')
```

```
print(f'East-West Straight : {best_solution[2]:.2f}')
```

```
print(f'East-West Right Turn : {best_solution[3]:.2f}')
```

```
print(f'\nMinimum Estimated Waiting Time: {best_wait:.4f}')
```



Iteration 1		Best waiting time = 12718.1259
Iteration 2		Best waiting time = 12718.1259
Iteration 3		Best waiting time = 12718.1259
Iteration 4		Best waiting time = 12718.1259
Iteration 5		Best waiting time = 12718.1259
Iteration 6		Best waiting time = 12718.1259
Iteration 7		Best waiting time = 12718.1259
Iteration 8		Best waiting time = 12718.1259
Iteration 9		Best waiting time = 12718.1259
Iteration 10		Best waiting time = 12718.1259
Iteration 11		Best waiting time = 12718.1259
Iteration 12		Best waiting time = 12718.1259
Iteration 13		Best waiting time = 12718.1259
Iteration 14		Best waiting time = 12718.1259
Iteration 15		Best waiting time = 12718.1259
Iteration 16		Best waiting time = 12718.1259
Iteration 17		Best waiting time = 12718.1259
Iteration 18		Best waiting time = 12718.1259
Iteration 19		Best waiting time = 12718.1259
Iteration 20		Best waiting time = 12718.1259
Iteration 21		Best waiting time = 12718.1259
Iteration 22		Best waiting time = 12718.1259
Iteration 23		Best waiting time = 12718.1259
Iteration 24		Best waiting time = 12718.1259
Iteration 25		Best waiting time = 12718.1259
Iteration 26		Best waiting time = 12718.1259
Iteration 27		Best waiting time = 12718.1259
Iteration 28		Best waiting time = 12718.1259
Iteration 29		Best waiting time = 12718.1259
Iteration 30		Best waiting time = 12718.1259

## Program 6

### Grey Wolf Optimization

Algorithm:

classmate  
Date 23-10-23  
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## Grey Wolf Optimizer

### Algorithm

1. Define the function  $f(x)$
2. Initialize parameters:  
 $N = \text{No. of wolves}$   
 $\text{max iteration} = \text{max. no. of iterations}$
3. Initialize the position of  $N$  wolves randomly within search space bounds
4. Evaluate the fitness of each wolf using  $f(x)$
5. We should select 3 best wolves:  
 $\alpha$ : Best wolf  
 $\beta$ : 2nd best wolf  
 $\gamma$ : 3rd best wolf
6. for  $t = 1$  to  $\text{max iterations}$ :  
for each wolf:  
generate random no.  $r_1, r_2 \in [0, 1]$   
Compute:  
 $A = 2 \times r_1 \times A - A$   
 $C = 2 \times r_2$   

IP

for each dimension  $j$ :  
 $D_\alpha = |C \times \alpha - j - x - i|$   
 $D_\beta = |C \times \beta - j - x - i|$   
 $D_\gamma = |C \times \gamma - j - x - i|$   
 $x_1 = x - j - A \times D_\alpha$   
 $x_2 = \beta - j - A \times D_\beta$   
 $x_3 = \gamma - j - A \times D_\gamma$   
 $x_{ij} = (x_1 + x_2 + x_3) / 3$   
end for  
end for

Black & white  
Contrast  
Enhance

update  $a = \alpha - \eta \nabla_{\alpha} L$  (maximize)

Recalculate fitness

update  $\alpha, \beta, \gamma$

7. Return  $\alpha$  as the best solution

End

Best parameters  $\rightarrow \alpha = 1.25, \beta = -0.08, \gamma = 1.65$   
objective (entropy):  $-6.8123$

MG.

Code:

#Application: Black and White Contrast Exhaust

import os

import cv2

import numpy as np

import random

import matplotlib.pyplot as plt

from google.colab.patches import cv2\_imshow

# ----- Choose filename -----

# ----- Load image -----

img = cv2.imread(filename, 0) # 0 -> grayscale

print("Trying to load:", filename)

if img is None:

print("✗ Image NOT loaded. Files in current directory:")

print(os.listdir())

raise SystemExit("Make sure 'bis.jpg' is uploaded (Files panel) or rename the filename variable.")

else:

print("☑ Image loaded. shape:", img.shape)

# ----- Display original (quick) -----

print("\nOriginal image (quick preview):")

cv2\_imshow(img)

# ----- Functions used by GWO -----

def image\_fitness(img):

"""Fitness = entropy + std (higher is better)."""

hist = cv2.calcHist([img],[0],None,[256],[0,256])

hist\_norm = hist.ravel() / (hist.sum() + 1e-12)

entropy = -np.sum(hist\_norm \* np.log2(hist\_norm + 1e-12))

std = np.std(img)

return float(entropy + std)

def apply\_gamma(img, gamma):

"""Apply gamma correction safely and return uint8 image."""

corrected = np.power(img.astype(np.float32) / 255.0, gamma)

corrected = np.uint8(np.clip(corrected \* 255.0, 0, 255))

return corrected

# ----- Grey Wolf Optimizer (robust init) -----

def gwo\_contrast(img, wolves=8, iterations=20):

lb, ub = 0.1, 3.0

population = np.random.uniform(lb, ub, wolves)

def fit(g):

return image\_fitness(apply\_gamma(img, g))

# initial fitnesses

```

fitness = np.array([fit(g) for g in population])
# initialize alpha/beta/delta from top-3 fitness values
idx = np.argsort(-fitness)
alpha, alpha_f = float(population[idx[0]]), float(fitness[idx[0]])
beta, beta_f = float(population[idx[1]]) if wolves>1 else alpha, float(fitness[idx[1]]) if wolves>1
else alpha_f
delta, delta_f = float(population[idx[2]]) if wolves>2 else alpha, float(fitness[idx[2]]) if wolves>2
else alpha_f

for t in range(iterations):
    a = 2 * (1 - t / iterations)
    for i in range(wolves):
        r1, r2 = random.random(), random.random()
        A1 = 2*a*r1 - a; C1 = 2*r2
        r1, r2 = random.random(), random.random()
        A2 = 2*a*r1 - a; C2 = 2*r2
        r1, r2 = random.random(), random.random()
        A3 = 2*a*r1 - a; C3 = 2*r2

        # compute candidate positions (safe: alpha/beta/delta are floats)
        X1 = alpha - A1 * abs(C1*alpha - population[i])
        X2 = beta - A2 * abs(C2*beta - population[i])
        X3 = delta - A3 * abs(C3*delta - population[i])

        population[i] = np.clip((X1 + X2 + X3) / 3.0, lb, ub)
        new_fit = fit(population[i])

        # update alpha/beta/delta
        if new_fit > alpha_f:
            delta, delta_f = beta, beta_f
            beta, beta_f = alpha, alpha_f
            alpha, alpha_f = float(population[i]), float(new_fit)
        elif new_fit > beta_f:
            delta, delta_f = beta, beta_f
            beta, beta_f = float(population[i]), float(new_fit)
        elif new_fit > delta_f:
            delta, delta_f = float(population[i]), float(new_fit)

    print(f'Iteration {t+1}/{iterations} — Best Gamma = {alpha:.4f} | Fitness = {alpha_f:.4f}')

# return enhanced image and numeric gamma
return apply_gamma(img, float(alpha)), float(alpha)

# ----- Run optimizer -----
enhanced, best_gamma = gwo_contrast(img, wolves=8, iterations=20)
print("\n🌀 Optimal Gamma:", best_gamma)

# ----- Display original and enhanced side-by-side -----
orig_display = img.copy()

```

```

enh_display = enhanced.copy()

# Use matplotlib to show both images in one row
plt.figure(figsize=(12,6))
plt.subplot(1,2,1)
plt.title("Original (bis.jpg)")
plt.axis('off')
plt.imshow(orig_display, cmap='gray')

plt.subplot(1,2,2)
plt.title(f"Enhanced (gamma={best_gamma:.3f})")
plt.axis('off')
plt.imshow(enh_display, cmap='gray')

plt.show()

```

```

Trying to load: bis.jpg
✅ Image loaded. shape: (183, 275)

```

Original image (quick preview):



Iteration 1/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 2/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 3/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 4/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 5/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 6/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 7/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 8/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 9/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 10/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 11/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 12/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 13/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 14/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 15/20	— Best Gamma = 3.0000	Fitness = 81.8786
Iteration 16/20	— Best Gamma = 2.9905	Fitness = 81.8812
Iteration 17/20	— Best Gamma = 2.9905	Fitness = 81.8812

```
Iteration 18/20 - Best Gamma = 2.9992 | Fitness = 81.8896  
Iteration 19/20 - Best Gamma = 2.9992 | Fitness = 81.8896  
Iteration 20/20 - Best Gamma = 2.9992 | Fitness = 81.8896
```

🔗 Optimal Gamma: 2.999225234597938

Original (bis.jpg)



Enhanced (gamma=2.999)



## Program 7

### Parallel Cellular Algorithm

Algorithm:

classmate  
Date 30/10/19  
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### Parallel Cellular Algo.

1. Define the optimization problem function  $f(x)$  to be minimized or maximized
2. numcells = total no. of cells  
grid structure  $\in 10 \times 20$   
neighbourhood type  
maxiteration max. no. of iteration  
 $\alpha$  constant
3. Initialize population. For each cell  $i$  in grid do  
position  $[i] \leftarrow$  random pos in search space  
fitness  $[i] \leftarrow f(\text{position}[i])$   
End for
4. Main loop  
for  $t = 1$  to maxiteration do in parallel  
for each cell  $i$  do neighbour = getNeigh( $i$ , type)  
bestneighbour  $\in$  neigh with the best fitness among neigh
5. Update state of cells  
position  $[i] \leftarrow$  position  $[i] + \alpha \cdot f(\text{bestneighbour} - \text{position}[i])$



6. Evaluate new fitness

$$\text{fitness}[i] = f(\text{position}[i])$$

End for

Synchronize updated position & fitness value across the grid

End for

best cell ← cell with best fitness

~~ret~~

return best cell position & fitness

End

Application → Routing & Scheduling

Code:

#Application: Routing and Scheduling

import random

import math

from copy import deepcopy

# =====

# Problem Definition

# =====

# Depot + customers (x, y)

# index 0 = depot

coords = [

    (0, 0), # depot

    (2, 3), # customer 1

    (5, 4), # customer 2

    (6, 1), # customer 3

    (8, 3), # customer 4

    (1, 6) # customer 5

]

n\_customers = len(coords) - 1

customers = list(range(1, n\_customers + 1))

# service times for each node (0 unused)

service\_time = [0, 3, 4, 2, 3, 5]

# simple time windows (ready\_time, due\_time) for each node

# depot not used

ready\_time = [0, 0, 0, 0, 0, 0]

due\_time = [0, 30, 40, 35, 45, 50]

# travel time = Euclidean distance (you can scale if needed)

def distance(i, j):

    (x1, y1) = coords[i]

    (x2, y2) = coords[j]

    return math.hypot(x2 - x1, y2 - y1)

# =====

# Evaluation: Routing + Scheduling

# =====

def evaluate\_route(route, big\_penalty=1000):

    """

    route: list of customers (permutation)

    Returns: (cost, schedule)

        - cost: total distance + penalties for time window violations

        - schedule: list of dicts with arrival/start/finish times

```

"""
time = 0.0
pos = 0 # start at depot
total_dist = 0.0
total_lateness = 0.0
schedule = []

for c in route:
    # travel to customer
    travel = distance(pos, c)
    time += travel
    total_dist += travel

    arrival = time

    # wait if early
    if time < ready_time[c]:
        wait = ready_time[c] - time
        time += wait

    start_service = time
    time += service_time[c]
    finish = time

    # lateness if finish after due time
    lateness = max(0.0, finish - due_time[c])
    total_lateness += lateness

    schedule.append({
        "customer": c,
        "arrival": round(arrival, 2),
        "start": round(start_service, 2),
        "finish": round(finish, 2),
        "lateness": round(lateness, 2)
    })

    pos = c

# return to depot
travel_back = distance(pos, 0)
total_dist += travel_back

cost = total_dist + big_penalty * total_lateness
return cost, schedule

# =====
# Parallel Cellular Algorithm
# =====

```

```
# 2D grid of cells (each holds one route)
GRID_ROWS = 4
GRID_COLS = 4
N_ITER = 50
MUTATION_RATE = 0.3
```

```
def random_route():
    r = customers[:]
    random.shuffle(r)
    return r
```

```
def neighbors_indices(r, c, rows, cols):
    """Moore neighborhood with wrap-around (toroidal)."""
    neigh = []
    for dr in [-1, 0, 1]:
        for dc in [-1, 0, 1]:
            if dr == 0 and dc == 0:
                continue
            nr = (r + dr) % rows
            nc = (c + dc) % cols
            neigh.append((nr, nc))
    return neigh
```

```
def local_mutation(route):
    """Simple mutation: swap two customers."""
    new_route = route[:]
    if random.random() < MUTATION_RATE:
        i, j = random.sample(range(len(new_route)), 2)
        new_route[i], new_route[j] = new_route[j], new_route[i]
    return new_route
```

```
def parallel_cellular_routing():
    # initialize grid with random routes
    grid = [[random_route() for _ in range(GRID_COLS)] for _ in range(GRID_ROWS)]
    grid_costs = [[None for _ in range(GRID_COLS)] for _ in range(GRID_ROWS)]

    # evaluate initial population
    global_best_route = None
    global_best_cost = float("inf")

    for i in range(GRID_ROWS):
        for j in range(GRID_COLS):
            cost, _ = evaluate_route(grid[i][j])
            grid_costs[i][j] = cost
```

```

    if cost < global_best_cost:
        global_best_cost = cost
        global_best_route = deepcopy(grid[i][j])

print("Initial best cost:", round(global_best_cost, 2), "route:", global_best_route)

# main iterations
for it in range(1, N_ITER + 1):
    new_grid = [[None for _ in range(GRID_COLS)] for _ in range(GRID_ROWS)]
    new_costs = [[None for _ in range(GRID_COLS)] for _ in range(GRID_ROWS)]

    # update all cells "in parallel"
    for r in range(GRID_ROWS):
        for c in range(GRID_COLS):
            # select best neighbor (including itself)
            best_local_route = grid[r][c]
            best_local_cost = grid_costs[r][c]

            for nr, nc in neighbors_indices(r, c, GRID_ROWS, GRID_COLS):
                if grid_costs[nr][nc] < best_local_cost:
                    best_local_cost = grid_costs[nr][nc]
                    best_local_route = grid[nr][nc]

            # produce new route by mutating the best neighbor

            child_route = local_mutation(best_local_route)
            child_cost, _ = evaluate_route(child_route)

            # choose better between parent and child for this cell
            if child_cost < best_local_cost:
                new_grid[r][c] = child_route
                new_costs[r][c] = child_cost
            else:
                new_grid[r][c] = best_local_route[:]
                new_costs[r][c] = best_local_cost

            # update global best
            if new_costs[r][c] < global_best_cost:
                global_best_cost = new_costs[r][c]
                global_best_route = deepcopy(new_grid[r][c])

    grid, grid_costs = new_grid, new_costs

    if it % 5 == 0 or it == 1:
        print(f'Iteration {it:2d} | Global best cost = {round(global_best_cost, 2)}')

# final evaluation for schedule
best_cost, best_schedule = evaluate_route(global_best_route)
return global_best_route, best_cost, best_schedule

```

```
# =====
# Run Example
# =====

if __name__ == "__main__":
    random.seed(0)

    best_route, best_cost, schedule = parallel_cellular_routing()

    print("\n=== FINAL BEST SOLUTION ===")
    print("Best route (customer order):", best_route)
    print("Best cost:", round(best_cost, 2))
    print("\nSchedule (Routing + Timing):")
    print("Cust | Arrival | Start | Finish | Lateness")
    for s in schedule:
        print(f'{s["customer"]:4d} | {s["arrival"]:7.2f} | {s["start"]:5.2f} | '
              f'{s["finish"]:6.2f} | {s["lateness"]:8.2f}')
```

```
Initial best cost: 28.1 route: [1, 3, 2, 4, 5]
Iteration 1 | Global best cost = 23.31
Iteration 5 | Global best cost = 23.31
Iteration 10 | Global best cost = 23.31
Iteration 15 | Global best cost = 23.31
Iteration 20 | Global best cost = 23.31
Iteration 25 | Global best cost = 23.31
Iteration 30 | Global best cost = 23.31
Iteration 35 | Global best cost = 23.31
Iteration 40 | Global best cost = 23.31
Iteration 45 | Global best cost = 23.31
Iteration 50 | Global best cost = 23.31
```

```
=== FINAL BEST SOLUTION ===
Best route (customer order): [1, 5, 2, 4, 3]
Best cost: 23.31
```

Schedule (Routing + Timing):

Cust	Arrival	Start	Finish	Lateness
1	3.61	3.61	6.61	0.00
5	9.77	9.77	14.77	0.00
2	19.24	19.24	23.24	0.00
4	26.40	26.40	29.40	0.00
3	32.23	32.23	34.23	0.00