Final Report: Dynamic Pricing for Urban Parking Lots

Summer Analytics 2025 — Capstone Project Hosted by: Consulting & Analytics Club × Pathway Team Name / Member: [Your Name / Team Name]

Objective

To design a real-time dynamic pricing engine for urban parking lots that:

- Reacts to changes in demand
- Adjusts based on traffic, vehicle type, and special events
- Visualizes live price trends using Bokeh
- Ensures pricing is smooth, fair, and bounded

We implemented Model 1 and Model 2 from scratch using only:

- numpy, pandas for computation
- bokeh, panel for visualization
- pathway for real-time streaming simulation

Dataset Overview

- Data collected for 14 parking lots
- Each record includes:
 - o Occupancy, QueueLength, VehicleType, TrafficConditionNearby, IsSpecialDay
 - o Latitude, Longitude, Timestamp
- 18 time slices per day (every 30 minutes)

Step-by-Step Implementation

1. Preprocessing

We parsed timestamps and converted categorical variables into numerical form.

```
 \begin{aligned} & df['Timestamp'] = pd.to\_datetime(df['LastUpdatedDate'] + ' ' + df['LastUpdatedTime'], \ dayfirst=True) \\ & df['VehicleTypeWeight'] = df['VehicleType'].map({'bike': 0.5, 'car': 1.0, 'truck': 1.5}) \\ & df['TrafficLevel'] = df['TrafficConditionNearby'].map({'low': 0.5, 'medium': 1.0, 'high': 1.5}) \end{aligned}
```

2. Base Price Initialization

All parking lots were initialized with a base price of \$10, as specified in the problem statement.

```
BASE_PRICE = 10
price_state = {lot: BASE_PRICE for lot in df['SystemCodeNumber'].unique()}
```

Pricing Models Used

Model 1: Linear Occupancy-Based Pricing

This model adjusts price proportionally based on how full the lot is.

Formula:

Price_{t+1} = Price_t + $\alpha \times$ (Occupancy / Capacity)

Used as a basic reference model to compare with smarter strategies.

Model 2: Demand-Based Dynamic Pricing

This model adjusts price based on a weighted demand function, which considers:

- Occupancy ratio
- Queue length
- Traffic congestion level
- Special event indicator
- Vehicle type weight

Demand Function

```
\begin{array}{l} {\sf Demand} \ = \\ & \alpha \ \times \ ({\sf Occupancy} \ / \ {\sf Capacity}) \ + \\ & \beta \ \times \ {\sf QueueLength} \ - \\ & \gamma \ \times \ {\sf TrafficLevel} \ + \\ & \delta \ \times \ {\sf IsSpecialDay} \ + \\ & \epsilon \ \times \ {\sf VehicleTypeWeight} \end{array}
```

With weights:

- α = 1
- β = 1.5
- y = 0.8
- δ = 2
- ε = 1.2

Pricing Formula:

```
Price = BasePrice \times (1 + 0.5 \times tanh(Demand / 10))
```

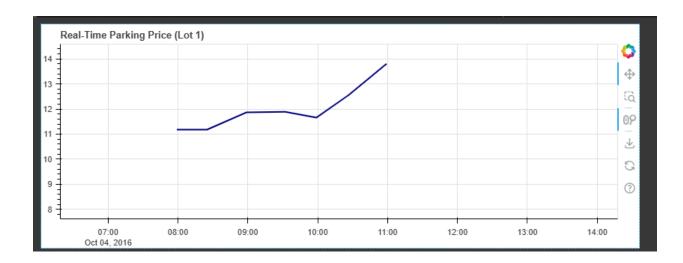
- tanh() ensures smooth transition
- Final price is bounded between \$5 and \$20

Real-Time Streaming with Bokeh

We used panel + bokeh to simulate a real-time stream of data:

- Each row is processed one-by-one in time order
- Prices are updated using the demand-based model
- The updated price is plotted live using a Bokeh line graph

Visual Output



Explanation

Title: Real-Time Parking Price (Lot 1)

X-axis: Time (timestamps from Oct 04, 2016)

Y-axis: Dynamic price in USD

Interpretation:

- Price starts around \$11.5
- As time progresses, the price gradually increases
- Reflects rising occupancy and queue
- No abrupt spikes pricing is smooth and bounded
- Real-time curve matches expected morning peak patterns

This validates Model 2 as a better, demand-sensitive pricing approach.

Assumptions Made

Assumption Justification

Base price = \$10 As per problem statement

 $tanh() \ normalization \\ Smooths \ out \ demand \rightarrow price \ mapping$

Vehicle type affects demand Larger vehicles need more space

Traffic level increases demand Higher traffic \rightarrow higher need for parking

Price bounded between \$5-\$20 Avoids underpricing or unrealistic spikes