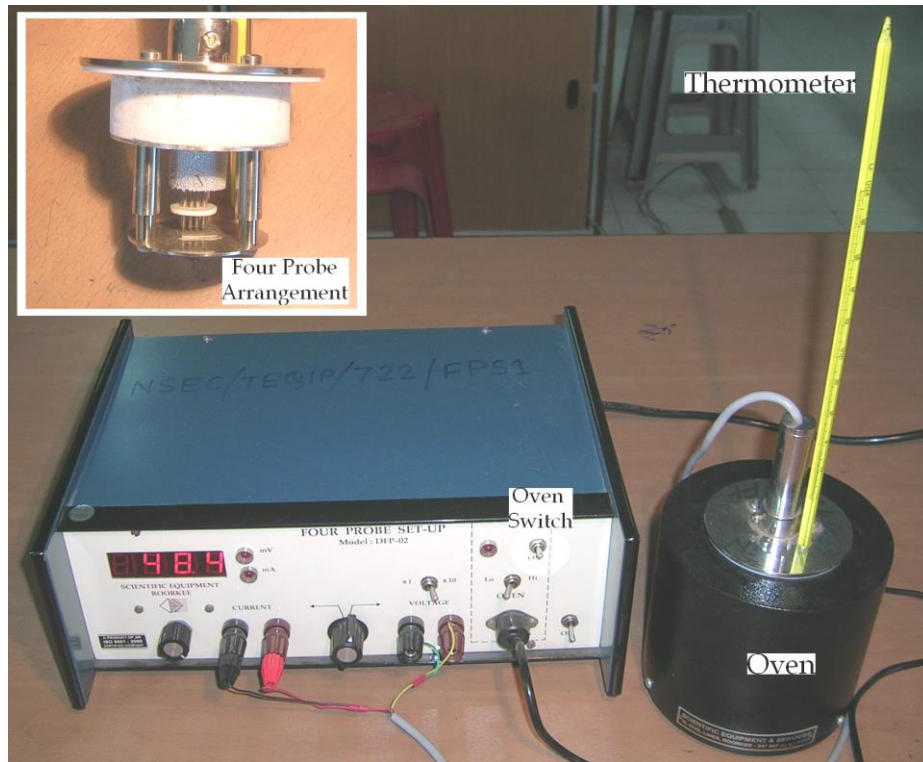


Instrument No. – BG-

Date:

## DETERMINATION OF THE BAND GAP OF A SEMICONDUCTOR BY FOUR PROBE METHOD



### APPARATUS :

Ge single crystal (n type with thickness ( $w$ ) = 0.05 cm.), four probe arrangement [distance between probes ( $S$ ) = 0.2 cm.], oven and thermometer.

### THEORY:

In figure four probes are spaced  $S_1$ ,  $S_2$ ,  $S_3$  and  $S_4$  apart. Current  $I$  is passed through the outer probes (1 & 4) and the floating potential  $V$  is measured approx the inner pairs of probes 2 & 3.

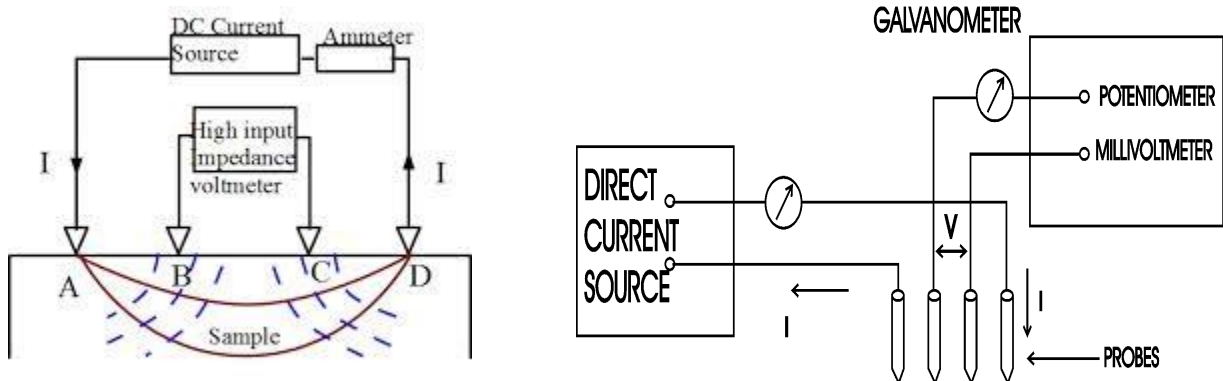


Figure : Circuit Used For Resistivity Measurements.

The potential difference  $V$  between probes 2 & 3 can be written as

$$V = \frac{I\rho_0}{2\pi s} \quad \dots(i)$$

Where  $\rho_0$  is the resistivity of the material,  $I$  is the amount of current passing through the material. Therefore,

$$\rho_0 = 2\pi s \frac{V}{I} \quad \dots(ii)$$

Since the thickness of the crystal is very small compared to the probe distance a correction factor for it has to be applied.

$$\rho = \frac{\rho_0}{G_7} = \frac{\rho_0}{f\left(\frac{w}{s}\right)}$$

Now substituting the values,

$$\rho_0 = 2 \times 3.14 \times 0.2 \times \frac{V}{I} = 1.256 \frac{V}{I}$$

and the correction factor  $G_7$  i.e.  $f\left(\frac{w}{s}\right)$  is 5.89

$$\rho = \frac{\rho_0}{5.89} = \frac{1.256}{5.89} \frac{V}{I}$$

$$\therefore \rho = 0.213 \frac{V}{I} \quad \dots(iii)$$

Thus  $\rho$  may be calculated for various temperatures.

Now, if we plot  $\log_{10} \rho$  vs.  $\frac{1}{T}$ , we get a curve which is linear at higher temperatures.

We know resistivity,  $\rho = C \exp\left(\frac{E_g}{2KT}\right)$ , where  $C$  is a constant. From this expression we can

$$\text{have: } \ln \rho = \left(\frac{E_g}{2K}\right) \frac{1}{T} + \ln C$$

Therefore, width of the energy gap may be determined from the slope of the linear portion of the experimental curve:  $\frac{\Delta \log_{10} \rho}{\Delta \frac{1}{T}} = \frac{\Delta \ln \rho}{2.303 \times \Delta \frac{1}{T}} = \frac{1}{2.303} \times \frac{E_g}{2K}$

Thus we have

$$E_g = 2.303 \times 2K \frac{\Delta \log_{10} \rho}{\Delta \frac{1}{T}} \quad \dots(iv)$$

Where  $K$  is Boltzman's Constant [ $K = 8.6 \times 10^{-5}$  eV/Kelvin]

## Procedure:

1. Switch on the circuit (*make sure that the oven is switched off*).
2. Align the voltmeter/ammeter display changer switch at ammeter position and fix the value of the probe current to any fixed value (**approx. 6 – 8 mA**).
3. Align the display changer switch to voltmeter position and note the temperature and record the corresponding voltage value.
4. Switch on the oven at **low heating mode**.
5. As the temperature starts to increase, record all the corresponding values of the voltage at the **interval of 10 °C up to 60 °C** and from thereon till **140 °C at the interval of 5 °C**.
6. Switch off **the oven** and then switch off **the circuit**.
7. Calculate all the terms in the table.
8. Plot a graph between  $\log_{10}\rho$  vs  $T^{-1}$ .
9. Take the slope from the *linear portion* of the mean graph.
10. Complete the calculation to find out the value of the Band gap for the given semiconductor.

## OBSERVATIONS:

Current  $I = \text{ \_\_\_\_\_\_ }$  mA (constant)

Distance between probes ( $s$ ) = 0.2 cm.

Thickness of the crystal ( $w$ ) = 0.05 cm.

Sl no.	Temp (°C)	Voltage Readings		Temperature (T in K)	$\rho$ ( $\Omega\text{cm.}$ )	$T^{-1}$ ( $\text{K}^{-1}$ )	$\log_{10} \rho$
		Raw data	Voltage (millivolts)				

**RESULT:** The band gap of the germanium sample is found out to be \_\_\_\_\_ eV.  
(The standard value of band gap for Ge semiconductor is 0.7 eV)

## DISCUSSIONS: