

h	0.8 dfdy				-1					
x	k1	k2	k3	k4	Y_Predict	y_exact	fcorrect	Y_Correct	Error	
0					0	0		0		
0.8	0	0.4	0.24	0.608	0.251733	0.249329	0.548267	0.251733	0.009643	
1.6	0.5483	0.72896	0.656683	0.822921	0.804063	0.801897	0.795937	0.804063	0.002702	
2.4	0.7959	0.877562	0.844912	0.920007	1.492182	1.490718	0.907818	1.492182	0.000982	
3.2	0.9078	0.944691	0.929942	0.963865	2.241642	2.240762	0.958358	2.241642	0.000393	
4	0.9584				3.030432	3.018316	0.969568	3.014701	-0.0012	
4.8	0.9696				3.804063	3.80823	0.995937	3.798075	-0.00267	
5.6	0.9959				4.632761	4.603698	0.967239	4.589358	-0.00311	
6.4	0.9672				5.355649	5.401662	1.044351	5.381578	-0.00372	
7.2	1.0444				6.305508	6.200747	0.894492	6.183339	-0.00281	
8	0.8945				6.785667	7.000335	1.214333	6.972333	-0.004	
8.8	1.2143				8.250638	7.800151	0.549362	7.791949	-0.00105	
9.6	0.5494				7.659514	8.600068	1.940486	8.549452	-0.00589	
10.4	1.9405				11.36599	9.40003	-0.96599	9.437547	0.003991	
11.2	-0.966				6.091967	10.20001	5.108033	10.05306	-0.01441	
12	5.108				19.58493	11.00001	-7.58493	11.23835	0.021668	

$$\begin{aligned}
 k_1 &= f(x_n, y_n) \\
 k_2 &= f(x_n + 0.5h, y_n + h(0.5k_1)) \\
 k_3 &= f(x_n + 0.5h, y_n + h(0.5k_2)) \\
 k_4 &= f(x_n + h, y_n + hk_3) \\
 y^{n+l} &= y^n + h / 6(k_1 + 2k_2 + 2k_3 + k_4)
 \end{aligned}$$

$$y_{n+1}^P = y_n + \frac{h}{24} (55f_n - 59f_{n-1} + 37f_{n-2} - 9f_{n-3}) + \frac{251}{720} h^5 y^V(\xi)$$

$$y_{n+1}^C = y_n + \frac{h}{24} (9f_{n+1} + 19f_n - 5f_{n-1} + f_{n-2}) - \frac{19}{720} h^5 y^V(\xi)$$

