Data Processing

Técnicas de Perceção de Redes

Mestrado Integrado em Engenharia de Computadores e Telemática DETI-UA



Qualitative Data

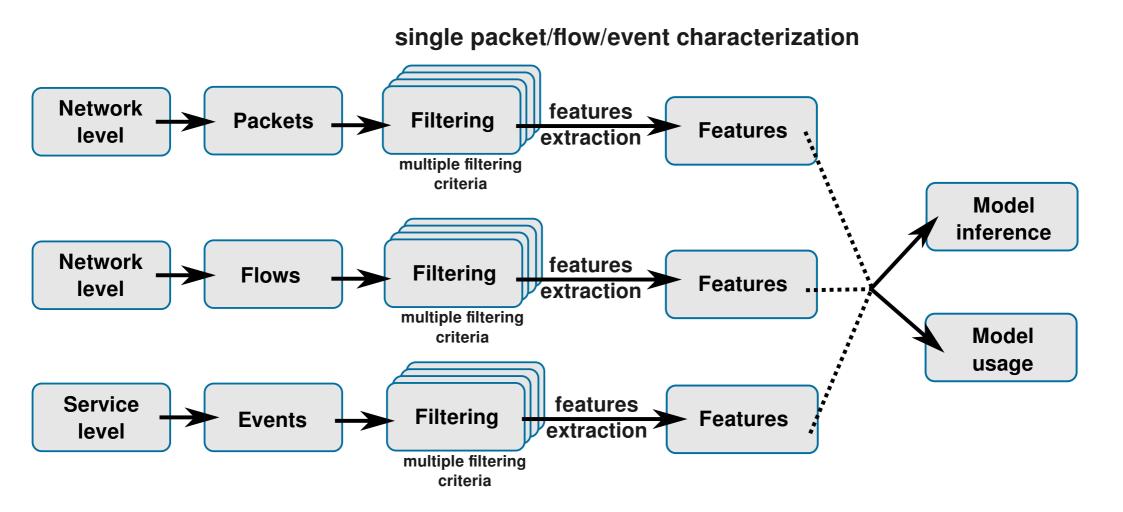
- Most monitored data is qualitative.
 - An event (with description) at a specific time (with a time-stamp).
 - 00:01:23.4566 IP Packet [from A to B with 64 bytes]
 - 21:04:23.4566 Error [id 404]
 - ***** ...
- Must be converted to quantitative data.
- Some is pre-processed and it is already presented as quantitative.
 - Packets sent: 5467.
 - Bytes seen in the last 10 minutes: 18471947.
 - May require some additional processing.
 - Packets sent at 1s: 300pkts, Packets sent at 2s: 350pkts → Packets sent between 1s-2s: 350-300=50pkts.

Modeling Single Actions vs. Behaviors

- Models require numerical/quantitative data.
 - Inputs for any descriptive model are usually called features.
 - Features should describe the modeling object.
 - Excluding NLM models.
- Models may describe single events:
 - One packet sent/received, one conversation (flow), one service request...
 - For network awareness the information of a single event is not enough to describe and detect advanced anomalies. Specially stealth anomalies.
 - Allow the detection of port scans, unusual service requests, etc...
- Any complex interaction generates multiple events.
- Behavior models describe the characteristics of a set of complex interactions over time.
 - Requires the aggregation of single events data over time.
 - Models are constructed based on historic data.
 - Using a set of multiple observations (time windows).
 - This models should allow to test new data and make decisions periodically.



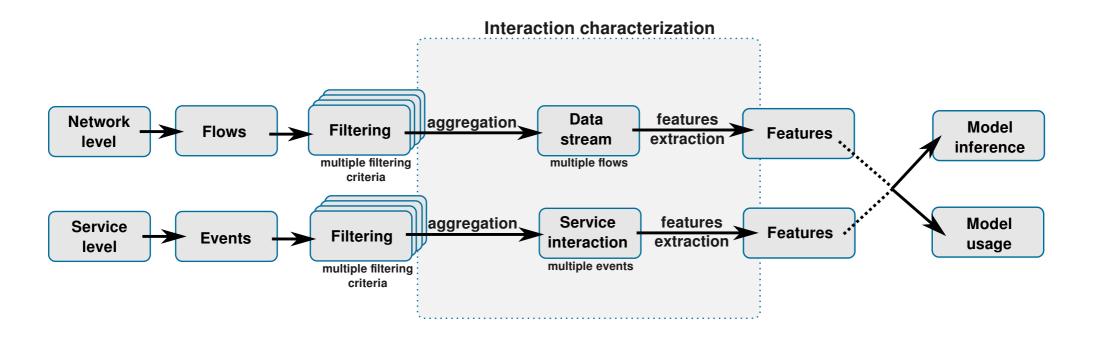
Single Event Model Features



Data Filtering and Aggregation (1)

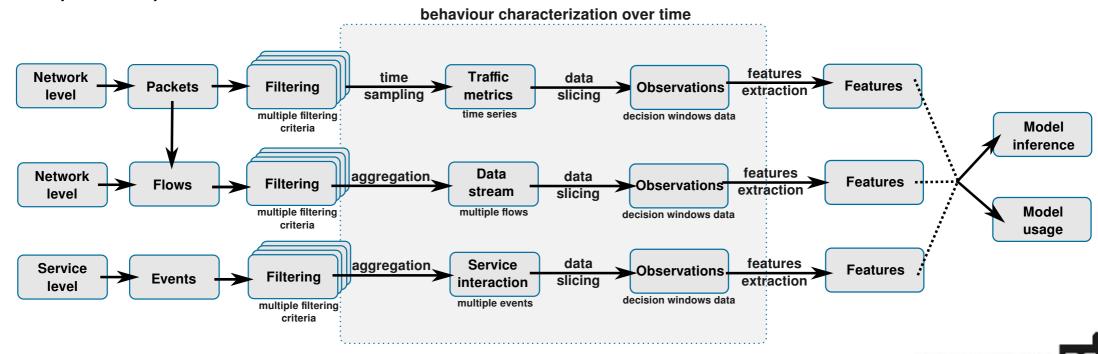
- Filtering is the method by the raw data is selected according to multiple criteria.
 - Some data may be discarded.
 - Data may be divided to created differentiated and relevant features.
 - → E.g., download/upload, to TCP port 443, 80 or 22, with destination/source in different IP networks, etc...
- Aggregation is the fist step to create a behavior model.
 - Any network entity (human or non-human) interaction results in multiple observable events.
 - Multiple packets, multiple flows, multiple service requests, etc...
 - A set of aggregated network flows is usually called datastream.
 - A flow is described by a 5-tupple (transport protocol and source IP addresses and ports).
 - A datastream is any aggregation of flow using a tuple smaller than 5.
 - Ex1 all traffic from a specific terminal (1-tuple: source address);
 - Ex2 all traffic from a specific terminal to port TCP 443 (3-tuple: TCP transport, source address, destination port);
 - Ex2 all traffic from a specific terminal using port TCP 443 to a specific service (4-tuple: TCP transport, source address, destination port, destination server addresses);
 - A set of service events is called a service interaction.

Data Filtering and Aggregation (2)



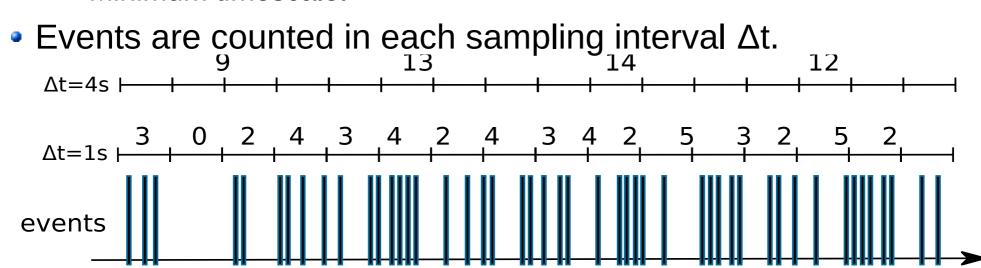
Behavior Models

- Any behavior should be described over time.
 - Data must be sliced over time, to create sub-sets of data that will allow to describe complex interactions within a time window, over time.
 - Behavior may change from observation window to observation window.
 - Model should be created from a set of historic observation windows.
 - Model is applied to any new data (new observation window data).
- Raw packet data is qualitative and must be sampled (a simplified aggregation process).



Data Sampling (1)

- Sampling transforms Qualitative into Quantitative data.
- Events must be defined, identified and grouped:
 - All packets from IP 10.0.0.1,
 - All 400 errors accessing site X, etc...
- Sampling/Counting Interval
 - Time window in each the number of a specific event is counted, associated with a time index, and stored.
 - Minimum timescale.

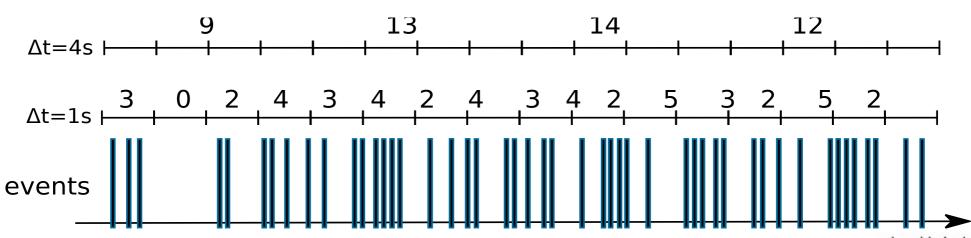


Data Sampling (2)

- Results in discrete time sequences for event:
 - For $\Delta t=1$: $X_k = \{3,0,2,4,3,4,2,4,3,4,2,5,3,2,5,2\}$

$$X_0 = 3, X_1 = 0, ..., X_{12} = 2$$

- For $\Delta t = 4$: $Y_k = \{9, 13, 14, 12\}$
- Time sequences may be multi-dimensional:
 - Time sequences of n-tuples.
 - e.g., Number of packets, upload e download.
 - $Z_k^{=} \{ (3,9), (0,45), ... (67,90) \}$



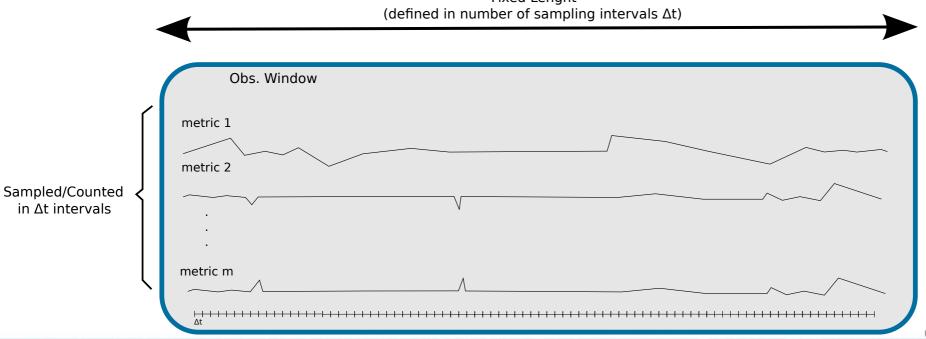
Time Windows and Entity Behavior **Profile**

- Sampling/Counting Window.
 - Provides time series of multiple metrics.
 - e.g., number of packets received by a terminal each second.
- Observation Window.
 - Features/Characteristics extraction Window.
 - Uses multiple Sampling/Counting Windows,
 - Statistics of respective time series.
 - Provides a n-tuple characterizing an entity behavior at a specif time.
 - e.g., 2-tuple with mean and variance of the number of packets received by a terminal in 30 seconds (30 counting 1s windows).
- Entity Behavior Profile
 - Pattern from multiple Observation Windows.
 - Provides a model to classify entities and detect anomalies.
 - May include time dynamics over time.



Observation Window (1)

- An observation is constructed based on multiple sampling/counting metrics.
- Sampling/counting metrics should <u>quantify</u> activity events:
 - Start/End of activity.
 - Traffic Flows, Calls, Service usage, etc...
 - Amount of activity.
 - Traffic per sampling interval, activity duration, actions per sampling interval, etc...
 - Activity targets
 - → IP addresses contacted, UCP/TCP ports used, services user IDs, points of access, etc...
 Fixed Length



Observation Window (2)

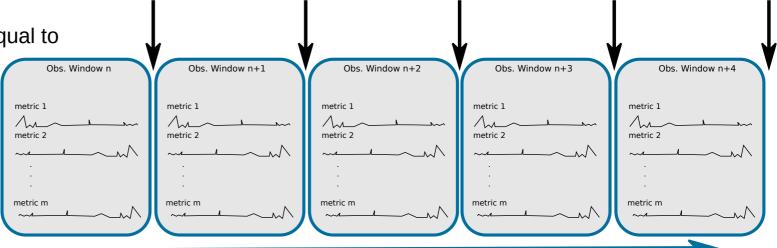
decision

decision

Sequential

Decision interval is equal to

window size.



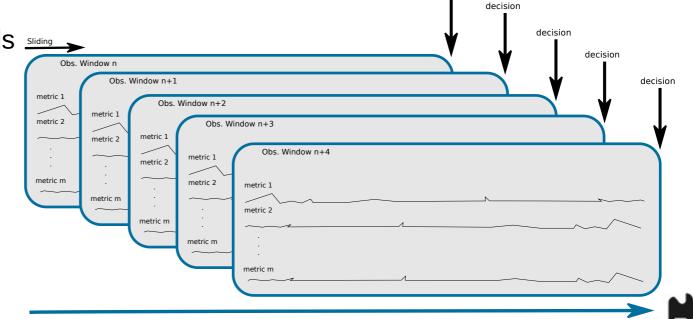
decision

decision

decision

Sliding

Allows for longer periods of observation, while maintaining a short period of decision.

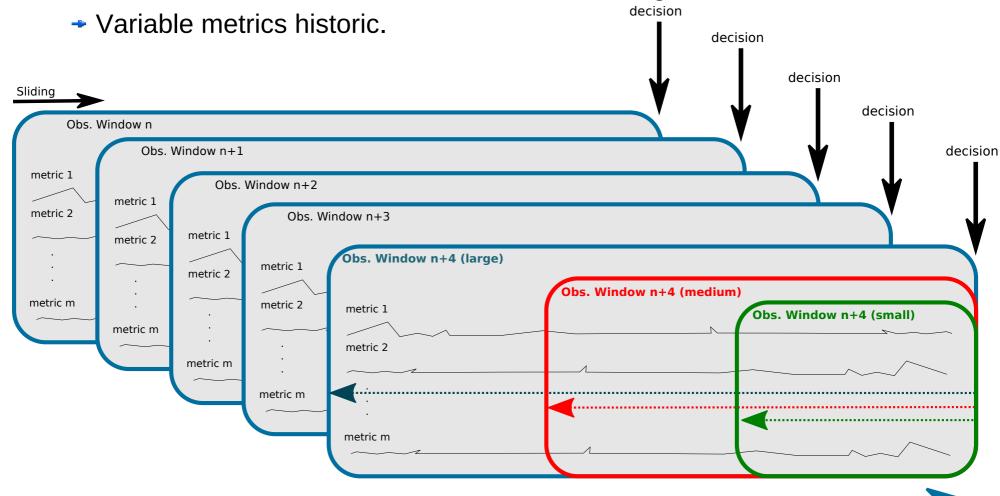


time

decision

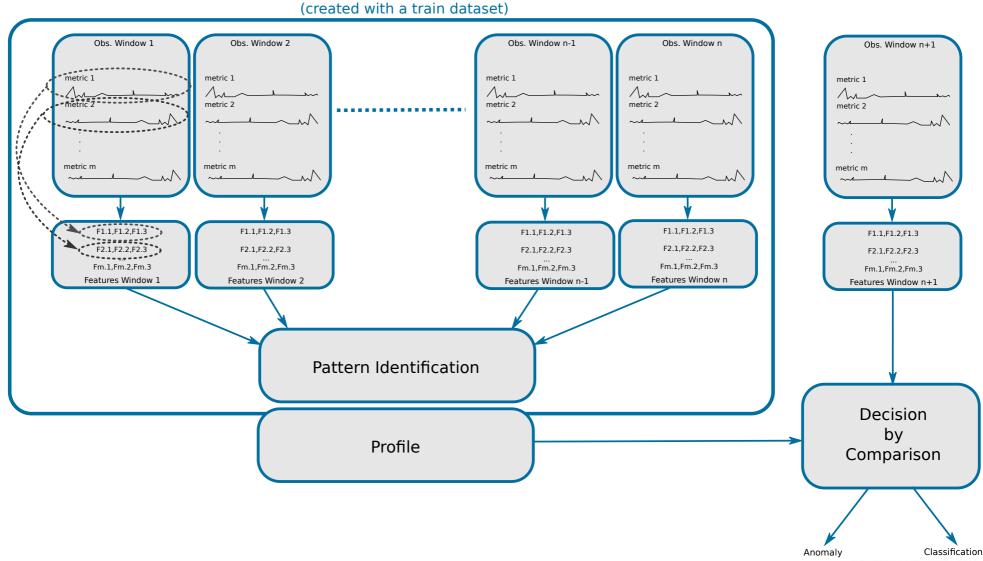
Multiple Observation Windows

- At each decision time point.
 - Construct observation widows with different lengths.



Entity Profiling

 Characterization of the observation windows after multiple observations.

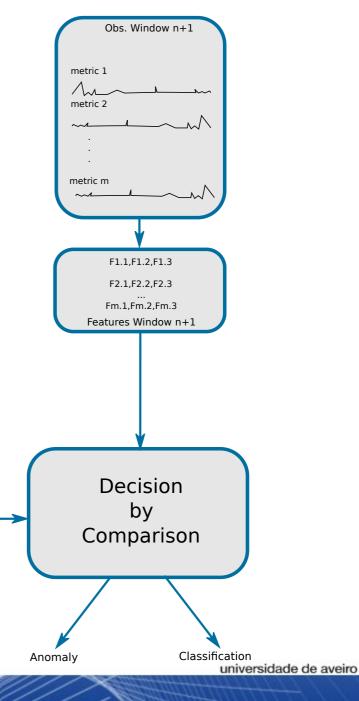


Profile Comparison

- A profile allows to:
 - Classify entity into groups,
 - Groups may be known or inferred.

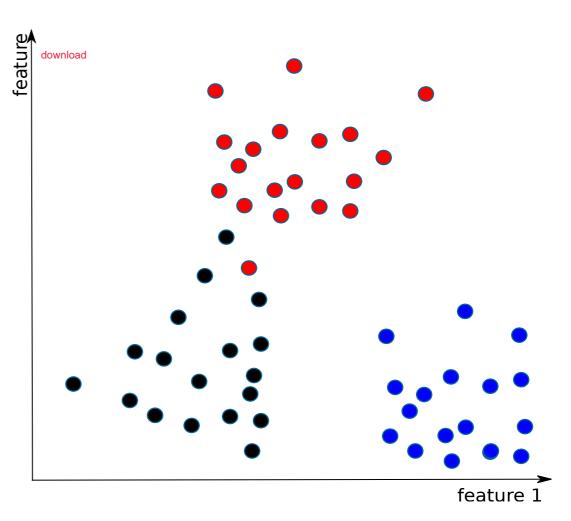
Profile

- Group "similar" entities ,
- Detect anomalous behaviors,
- Predict future events.



N-Dimensional Features Space

- A features' n-tuple defines a point in a N-Dimensional space that describes an entity behavior at a specific time.
- Allows to detect and define repetitive events and evolution over time.
- Allows to classify and discriminate behaviors.
- Allows to detect anomalies.



upload

Data Formats

- The ideal data format is a n-tuple per time interval.
 - n metrics measured over time (n per observation).
 (x1,x2,x3,x4,...,xn)_k
 - Bi-dimensional data structure (time x metrics).
 - Optimal storing digital format:
 - Binary storage (array/matrix).
 - Sparse matrices could be advantageous.
 - Usage of fixed formats with integer indexes.
 - Avoid complex data structures with complex indexing of data, e.g.: python dictionaries.
 - Text formats are acceptable only in test scenarios.
 - Non-relational databases could also be an option.
 - Dados n ordenados, pesquisa mt mais complexa

Observation Features

- Time-independent descriptive statistics.
 - Mean, variance, standard deviation, quantiles, etc...
- Time-dependent descriptive statistics.
 - Time-relations between metrics over time
 - E.g., mean/std of length of silences [number of sampling slots with metric equal to zero], mean/std of length of activity [number of sampling slots with metric greater than zero], etc...
 - (Pseudo-)Periodicity components.
 - Time dependent.
 - Time multi-fractality (repetition of "similar events" in multiple time-scale).
 - Auto-correlation, FFT, CWT, DWT, and other spectral/frequency analysis.
- (Parameters of) Probabilistic functions/models.
 - Base function/model may be time independent or time dependent.

Descriptive Statistics (1)

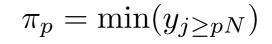
For a (equally) sampled-continuous time process:

$$X = \{x'_t = x_k, T_0 + k\Delta t \le t < T_0 + (k+1)\Delta t, k = 1, 2, \dots, N\}$$

- Mean: $\mu = \frac{1}{N} \sum_{i=1}^{N} x_i$
- Median: $m_d = F^{-1}(0.5)$
- Variance: $Var(X) = \sigma^2 = \frac{1}{N-1} \sum_{i=1}^{N} (x_i \mu)^2$
- Standard deviation: SQRT(Var(X))

• Quantiles/Percentiles
$$Y = \{y_j\}_{1 \le j \le N} = \operatorname{sorted}(\{x_k\}_{1 \le k \le N})$$

- 64th percentile (64%)=0.64 quantile
- Quartiles: 25%, 50%, and 75%





Descriptive Statistics (3)

Covariance

Metric that quantifies how much two random variables have simultaneous variations:

$$Cov_{X,Y} = \frac{1}{N} \sum_{i=1}^{N} (x_i - \mu_X)(y_i - \mu_Y)$$

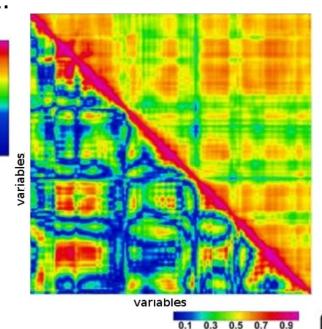
- Correlation coefficient
 - Normalized covariance, varies between -1 and 1:

$$\rho_{X,Y} = \frac{\text{Cov}_{X,Y}}{\sigma_X \sigma_Y} \quad \sigma_X = \sqrt{\text{Var}(X)}$$

- Correlation matrix
 - Defined by a (MxM) matrix, to quantify the correlation between M variables X;

$$C = \{c_{i,j}\}, i, j = 1, \dots, M$$

 $c_{i,j} = \rho_{X_i, X_j}$





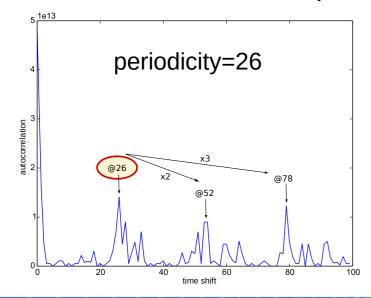
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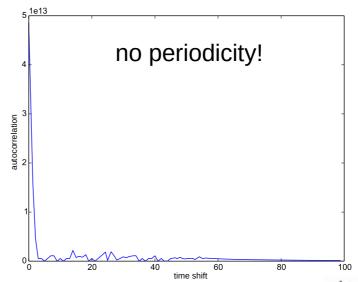
Periodicity Analysis (1) Autocorrelation

- Autocorrelation
 - Correlation between the process and a shifted version (in time, by k samples) of the same process:

$$r_k = \frac{\sum_{i=1}^{N-k} (x_i - \mu_X)(x_{i+k} - \mu_X)}{\sum_{i=1}^{N} (x_i - \mu_X)^2}$$

- Autocorrelation local maximums (peaks), reveal periodicity.
 - Differences between positions (k) of local maximums give periodicity.



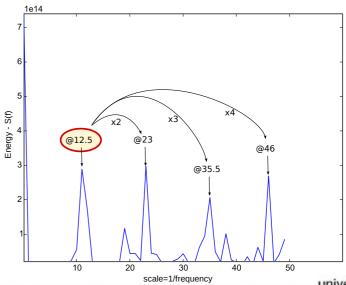


Periodicity Analysis (2) Periodograms

- Periodogram
 - ◆ Frequency analysis → Spectral density estimation: Energy per frequency.
 - Given by the modulus squared of the discrete Fourier transform.
 - → For a signal x_i sampled every Δt :

$$S(f) = \frac{\Delta t}{N} \left| \sum_{n=1}^{N} x_n e^{-j2\pi nf} \right|^2, -\frac{1}{2\Delta t} < t \le \frac{1}{2\Delta t}$$

 The inverse of the frequencies with higher energy give the different periods (of periodicity).



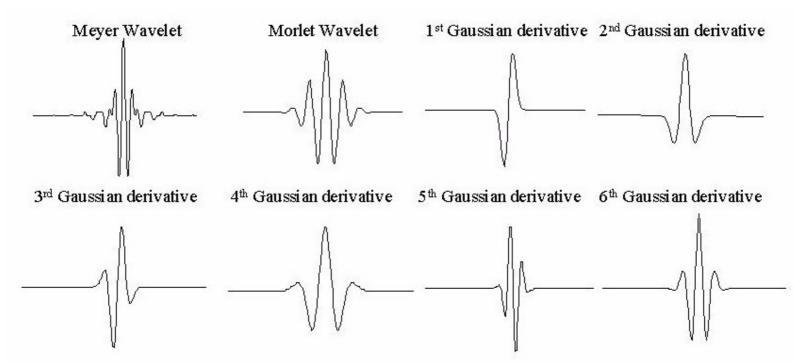
Periodicity Analysis (3) Scalograms

- Scalogram
 - → Joint Frequency/Time analysis → Wavelet Analysis
 - Energy per frequency/time.

$$\Psi_x^{\psi}(\tau, s) = \frac{1}{\sqrt{|s|}} \int_{+\infty}^{-\infty} x(t) \psi^*(\frac{t - \tau}{s}) dt$$

Wavelet functions

$$\psi^*(t)$$



Periodicity Analysis (4) Scalograms

• Given by the normalized modulus squared of the Wavelet transform. $|\nabla \psi(\tau, s)|^2$

$$\hat{E}_{x}(\tau, s) = \frac{\left|\Psi_{x}^{\psi}(\tau, s)\right|^{2}}{\sum_{\tau' \in \mathbf{T}} \sum_{s' \in \mathbf{S}} \left|\Psi_{x}^{\psi}(\tau', s')\right|^{2}}$$

Averaged over time.

$$\bar{e}_x(s) = \frac{1}{|\mathbf{T}|} \sum_{\tau \in \mathbf{T}} \hat{E}_x(\tau, s), \forall s \in \mathbf{S}$$

