

Modular and Verified Automatic Program Repair

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Abstract

We study the problem of suggesting code repairs at *design time*, based on the warnings issued by modular program verifiers. We introduce the concept of a *verified* repair, a change to a program's source that removes bad execution traces while increasing the number of good traces, where the bad/good traces form a partition of all the traces of a program. Repairs are property-specific. We demonstrate our framework in the context of warnings produced by the modular cccheck (a.k.a. Clousot) abstract interpreter, and generate repairs for missing contracts, incorrect locals and objects initialization, wrong conditionals, buffer overruns, arithmetic overflow and incorrect floating point comparisons. We report our experience with automatically generating repairs for the .NET framework libraries, generating verified repairs for over 80% of the warnings generated by cccheck.

Categories and Subject Descriptors D. Software [D.1 Programming Techniques]: D.1.0 General, D.2.1 Requirements/Specifications, D.2.2 Design Tools and Technique, D.2.4 Software/Program Verification D.2.5 Testing and Debugging D.2.6 Programming Environments

General Terms Design, Documentation, Experimentation, Human Factors, Languages, Reliability, Verification.

Keywords Abstract interpretation, Design by contract, Program repair, Program transformation, Refactoring, Static analysis.

1. Introduction

Programs have bugs. Sound static analyzers, such as automatic program verifiers, can catch bugs but usually leave the problem of repairing the program to the developer. During active development, reports of possible bugs may be of little interest to programmers. On the other hand, if a program

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OOPSLA'12, October 19–26, 2012, Tucson, Arizona, USA. Copyright © 2012 ACM 978-1-4503-1561-6/12/10...\$10.00

verifier can suggest code repairs, it can potentially help the programmer write correct code.

We focus on the problem of suggesting code repairs starting from the warning issued by a modular program verifier. A modular verifier uses contracts (*i.e.*, preconditions, post-conditions, and object invariants) to decompose the verification problem from the level of a whole program to the level of individual methods. Developer-supplied contracts are essential not only for scalability but also for documenting intent as well as localizing the cause of failures [25].

The first step in addressing the problem is to focus attention on the bugs that matter to developers. In our case, we consider contract violations and runtime errors. A tool like cccheck [12], the CodeContracts static checker, can spot those errors at design time. Ideally, cccheck should not only report the warnings, but also provide a (set of) possible fixes, that are then presented to the programmer to choose among or reject.

The second step in addressing the problem is to define what a code repair is. Previous work on automatic program repair by Perkins *et al.* [27] defines a repair to be a code transformation such that the repaired program passes a given set of test cases (including the one exposing the bug). This definition is not well-suited to the context of verification and active program development as it requires running the repaired program, which may not always be possible, and it is only as good as the given regression test suite.

Because of these limitations and our desire to statically reason about program defects and repairs, we propose a different definition for repair. A *verified* repair reduces the number of *bad* executions in the program, while preserving, or increasing, the number of *good* runs. A bad run is one that violates a given specification (assertion, precondition, run-time guard, etc.). A good run is one that meets all specifications of the original program. These two sets of traces form a partition of *all the traces* of a program.

Using abstract interpretation, we design a general framework in which code repairs can be expressed. We define several abstractions of trace semantics in order to permit a wide variety of program repairs. One abstraction restricts what is observable about program state to the program points containing assertions, which is necessary since we expect program repairs to change the control flow of programs. A

Figure 1. Cocheck detects the possible null-dereference of a and a definite buffer underflow in P. It suggests the precondition a != null and initializing i to 1. The resulting correct program is P'.

Boolean abstraction further restricts the observations to the Boolean values of assert expressions, which permits changes to program variables appearing in the program and the assertion expression itself. Based on this semantic foundation, one can design different algorithms for code repairs. In general there is no unique recipe for designing verified code repairs, in the same way as in abstract interpretation there is no unique way of designing abstract domains.

We relate the problem of designing code repairs to program verification/analysis as follows. There are three components in program analysis: the program, the semantic knowledge about program behavior, and the property to be verified. In program analysis, the problem is to refine the semantic knowledge so to derive that the properties hold for the program (verification) or do not hold (bug finding). In code repairs, the problem is to refine the program using the semantic knowledge so that it satisfies the properties of interest. In cccheck, or similar tools, the semantic knowledge is given by the abstract state, belonging to some abstract domain, which was computed by the analysis. The next natural step is to exploit the abstract state to derive the semantic code fix. Therefore, code repairs are domain-dependent. We envision code repairs to be standard part of the design of static analyses, abstract domains and verification systems in general.

Main contributions We define the notions of verified repairs in terms of abstractions of trace semantics. We present sound algorithms for suggesting program repairs to: contracts (preconditions, postconditions, assumptions, pure methods), initialization (wrong constants, buffer size, object fields), guards (negation, strengthening, weakening), buffer overflows, floating point comparisons, and overflowing expressions. While we use cccheck as our verifier, the proposed repairs can be easily adapted and implemented in most any static analyzer.

It is worth noting that our formalization of verified repairs is with respect to the specifications of the original program. As we will see, some repairs are verified by construction. For others, we need to apply the repair and check the repaired program to ensure it does not violate other assertions, *i.e.*, we want to avoid the situation where repairing an assertion causes the failure of another assertion downstream. The fact that all repairs are local to a method means that verifying

a repair only requires local analysis and can be applied to incomplete programs. In general, for a given warning, several distinct repairs are possible. Repairs can be ranked according to some metric of interest, e.g., complexity, size of the change, etc. We show that the local analysis is very fast – in the order of 150ms per method – and that the repair inference is just a tiny portion of that time. We can infer thousands of repairs in large C# libraries and we can propose a repair for more than 80% of the warnings issued by the analyzer. We are confindent that our code repairs can be used in an interactive IDE.

Plan The remainder of the paper is organized as follows. Section 2 illustrates the kind of repairs we are able to produce automatically. Section 3 presents a trace-based semantics of programs. Section 4 defines abstractions over traces and formalizes two kinds of verified repairs. Section 5 extends those abstractions when a static analyzer is used. Section 6 describes the cccheck verifier, the types of errors it can find, and the specific repairs enabled by cccheck. Section 7 discusses our experience with automatically repairing very large C# programs, Section 8 reviews related work and Section 9 concludes the paper.

2. Examples of Program Repairs

Repair by Contract Introduction. It is often the case that the code of a method is correct only when executed under certain conditions. In the example of Fig. 1, when the parameter a is null, there will definitely be a failure due to a null dereference of the parameter. In this case, the Cccheck tool suggests the precondition a != null using a Requires contract [6].

In the example of Fig. 2, when length is negative, the array allocation will always fail. In this case, there are two possible repairs: (i) add an explicit assumption 0 <= length; or (ii) add the postcondition to GetALength stating it will always return a non-negative value. Cccheck suggests both to the programmer and lets her choose which one to apply. The first repair is useful when GetALength is a third-party or external code, as it makes the programmer assumption explicit and prevents Cccheck from generating a warning. The second repair documents the behavior of GetALength, clearly stating the contract clients of the method can rely upon.

```
int[] ContractRepairs(int index)
{
  var length = GetALength(); // (1)
  var arr = new int[length];
  arr[index] = 9876;
  return arr;
}
```

Figure 2. Cccheck spots several possible errors in the code (allocation of an array of negative size, buffer overruns). See the paper text for a description the proposed repairs.

```
string GetString(string key)
{
  var str = GetString(key, null);
  if (str == null)
  {
   var args = new object[1];
   args[1] = key; // (*)
   throw new ApplicationException(args);
}
  return str;
}
```

Figure 3. A (simplified) code snippet from CustomMarshalers.dll. Cccheck detects the buffer overrun at (*), and suggests the allocation of a larger buffer at the line above or changing the index to 0.

In this example, both a buffer underflow and overflow are possible. In these cases, Cccheck proposes the precondition 0 <= index and the assumption Assume(index < length), making explicit the relationship between the return value of GetALength and the parameter index.

Repair of Initialization and Off-By-One Errors. Another class of errors arises from the improper initialization of variables (especially loop induction variables) or use of constants just outside a safe zone. In the for loop of Fig. 1, Cccheck detects a buffer underflow and localizes the cause to be in the initialization of i. Cccheck infers that: (i) the constraint 0 < i should hold on loop entry; and (ii) any positive initial value for i removes the buffer undeflow. The initialization i=1 is the one that enables most good runs, and it is therefore the one suggested to the user. In the example of Fig. 3, Cccheck detects a buffer underflow and suggests two potential repairs: allocate a buffer of length at least 2; use 0 to index the array (to avoid the buffer overflow, without introducing an underflow).

Repairing Guards of Conditional Statements. Let us consider the code snippet in Fig. 4, taken from one of the .NET framework libraries. At program point (*): (i) c != null should hold, otherwise the program will crash with a null-pointer exception; (ii) cccheck determines that c is null for all the executions reaching that point (a definite error).

```
void ValidateOwnerDrawRegions(
  ComboBox c, Rectangle updateRegionBox)
{
  if (c == null)
  {
    var r = new Rectangle(0, 0, c.Width); // (*)
    // use r and c
  }
}
```

Figure 4. A (simplified) snippet from a bug found in System.Windows.Forms.dll. cccheck proposes the repair c != null as a precondition or as a replacement for the guard of the if-then statement.

```
IMethodCallMessage ReadArray(
   object[] callA, object handlerObject)
{
   if (callA == null) return null;
   var num = 0;
   if (NonDet())) num++;
   if (callA.Length < num)
      throw new SerializationException();

// here callA.Length >= num

this.args = (object[])callA[num++];
   // ...
}
```

Figure 5. A (simplified) snippet from a bug found mscorlib.dll. Cccheck proposes to change the guard to callA.Length <= num

Cccheck suggests three repairs: the *necessary* precondition c != null; flipping the guard from c == null to c != null; removing the branch altogether. Note that neither repair removes any *good* trace present in the original program, but does remove bad traces. Also, there is no *best* repair. We do not rank repairs: we simply report them at the program point where they should be applied.

In Fig. 5, cccheck suggests to strengthen the if-guard to the condition callA.Length <= num, as a buffer overflow may happen otherwise (a Serialization exception is not considered an error).

Repairing Erroneous Floating Point Comparisons. Floating point comparisons may produce unexpected results [23]. The .NET semantics enforces the runtime to use: (i) for stack values, the most precise floating point representation available from the hardware; (ii) for heap values, the representation exactly matching the nominal type. In the code of Fig. 6, the parameter d0 may be a very small, non-zero double represented by 80 bits on x86. The test succeeds, but the next assignment causes the truncation of the value of d0 to a 64-bit quantity, that may be zero, violating the object

```
class FloatingPoint
{
   double d;

[ContractInvariantMethod]
   void ObjectInvariant()
   {
      Contract.Invariant(this.d != 0.0);
   }

   public void Set(double d0)
   {
      // here d0 may have extended double precision
      if (d0 != 0.0)
        this.d = d0; // d0 can be truncated to 0.0
   }
}
```

Figure 6. A (simplified) snippet from a bug found mscorlib.dll. The store field causes the truncation of d0 which may break the invariant, despite the guard. Cccheck proposes repairing the guard by adding the truncation to d0.

Figure 7. Cccheck detects and automatically proposes a repair for overflow in the computation of the variable mid, using the loop invariants automatically inferred by the abstract interpreter.

invariant. Cccheck identifies the problem and suggests repairing the guard to (double) d0 != 0.0, *i.e.*, forcing the comparison of the 64-bit truncation of d0 to zero.

Repairing Overflowing Expressions. Verified repairs are very helpful for dealing with unintended arithmetic overflows. Consider the classical binary search example of Fig. 7: The expression at (*) may overflow, setting index to a negative value, causing a buffer underflow in the next line. Cccheck suggests repairing the expression to inf + (sup - inf) / 2, which: (i) allows more good runs (inputs that previously caused the overflow now are ok); (ii) is based

Figure 8. A code snippet from a bug in mscorlib.dll. Cccheckdetects that count + destIndex may overflow and suggests repairing the expression to the non-overflowing count > dest.Length - destIndex.

on the loop invariant automatically discovered by cccheck: $0 \le \inf \le \sup < \text{array.Length.}$

In the example of Fig. 8, count can be a very large positive value, causing count + destIndex to overflow. Cccheck suggests repairing the expression to count > dest.Length - destIndex.

3. Trace Semantics

We formalize the notion of a verified program repair via a trace semantics. As we are only interested in repairs of violations of safety properties, we only consider finite traces.

Let P be a program. P(pc) denotes the statement at program point pc, and $P[pc \mapsto S]$ denotes the program that is the same as P everywhere except pc, where it contains the statement S. If S is a compound statement, a remapping of S's program points may be needed. We keep the remapping implicit to simplify the notation. We let \mathbb{E} denote the set of pure Boolean expressions.

Let Σ be a set of states, and $\tau_P \in \wp(\Sigma \times \Sigma)$ be a non-deterministic transition relation. For a state $s \in \Sigma$, s(C) denotes the basic command associated with the state, e.g., an assignment, an assumption, or an assertion. The set of blocking states, i.e., states with no successors, is $\mathfrak{B} = \{s \in \Sigma \mid \forall s'. \neg \tau_P(s,s')\}$. The set of erroneous state, i.e., states violating some assertion e, is $\mathfrak{E} = \{s \in \Sigma \mid s(C) = \text{assert } e \land s \not\models e\} \subseteq \mathfrak{B}$.

Traces are sequences of states. Concatenation is denoted by juxtaposition and extended to sets of traces. $\vec{\Sigma}^n$ is the set of non-empty finite traces $\vec{s} = \vec{s_0} \dots \vec{s_{n-1}}$ of length $|\vec{s}| = n \geq 0$ including the empty trace $\vec{\epsilon}$ of length $|\vec{\epsilon}| \triangleq 0$. $\vec{\Sigma}^+ \triangleq \bigcup_{n \geqslant 1} \vec{\Sigma}^n$ is the set of non-empty finite traces and $\vec{\Sigma}^* = \vec{\Sigma}^+ \cup \{\vec{\epsilon}\}$. The set of finite bad traces, i.e., traces containing an error is $\vec{\mathfrak{E}} = \{\vec{s} \in \vec{\Sigma}^+ \mid \exists i \in [0, |\vec{s}|). s_i \in \mathfrak{E}\}$. The bad (resp. good) traces of $T \subseteq \vec{\Sigma}^*$ are $\mathcal{B}(T) \triangleq T \cap \vec{\mathfrak{E}}$ (resp. $\mathcal{C}(T) \triangleq T \cap (\vec{\Sigma}^* \setminus \vec{\mathfrak{E}})$). The function $\mu \in \wp(\Sigma^*) \to \wp(\Sigma^*)$ filters the maximal traces out of a set of traces. Given a set of traces T, $\mu(T)$ is the largest set satisfying the properties: $\mu(T) \subseteq T$ and $\forall \tau \in \mu(T)$. $\not\exists \tau' \in T. \exists \tau''. \tau'' \neq \vec{\epsilon} \land \tau' = \tau \tau''$.

The *maximal execution traces* or *runs* are prefix traces generated by applying the transition relation from the initial states until a fixpoint is reached (partial execution traces) followed by a projection on the maximal traces:

$$\vec{\tau}_{\mathbf{P}}^{+}(S) = \mu(\mathsf{lfp}\lambda T.\ S \cup \{\sigma_{0} \dots \sigma_{n}\sigma_{n+1} \mid \sigma_{0} \dots \sigma_{n} \in T \land \tau(\sigma_{n}, \sigma_{n+1})\}). \tag{1}$$

The bad (resp. good) finite complete runs, or simply bad (resp. good) runs of P are $\mathcal{B}_{P} \triangleq \mathcal{B}(\vec{\tau}_{P}^{+})$ (resp. $\mathcal{G}_{P} \triangleq \mathcal{G}(\vec{\tau}_{P}^{+})$).

The definitions above (and in the following) can be extended as in [3] to take into account infinite runs, but we avoid doing it here to keep the presentation as simple as possible.

4. Verified Repairs

Hereafter, we assume that P is the program containing a bug and P' the repaired version. Intuitively, P' should have more good runs and fewer bad runs than P. Because a repair may change the program's control flow, introducing new states, and possibly new assertions, the concrete traces of P and P' may appear very different. Thus, the simple inclusions $\mathcal{G}_{P'} \supseteq \mathcal{G}_P$ and $\mathcal{B}_{P'} \subseteq \mathcal{B}_P$ may be too strict and hold only for trivial repairs.

Instead, we compare the semantics of P and P' at a higher level of abstraction. First, we remove all states but those containing assertion statements (the *assertion trace semantics*). Then, we remove all new assertions introduced in P'. Abstract interpretation [4] provides the right framework to formalize this.

Basic Elements of Abstract Interpretation. We first recall some basic facts and notations about abstract interpretation. A Galois connection $\langle L, \leqslant \rangle \xleftarrow{\gamma} \langle \overline{L}, \sqsubseteq \rangle$ consists of posets $\langle L, \leqslant \rangle, \langle \overline{L}, \sqsubseteq \rangle$ and maps $\alpha \in L \to \overline{L}, \gamma \in \overline{L} \to L$ such that $\forall x \in L, y \in \overline{L}: \alpha(x) \sqsubseteq y \iff x \leqslant \gamma(y)$. In a Galois connection, the abstraction α preserves existing least upper bounds (lubs) hence is monotonically increasing so, by duality, the concretization γ preserves existing greatest lower bounds (glbs) and is monotonically increasing. The composition of Galois connections is a Galois connection.

Assertion Trace Semantics. The assertion abstraction $\alpha_{\mathtt{A}}$ removes all states but those referring to assertions. The abstraction $\alpha_{\mathtt{A}}^1 \in \vec{\Sigma}^* \to \vec{\Sigma}^*$ on a single trace:

$$\alpha_{\mathtt{A}}^{1}(\vec{s}) = \left\{ \begin{array}{ll} \vec{\epsilon} & \vec{s} = \vec{\epsilon} \\ s\alpha_{\mathtt{A}}^{1}(\vec{s'}) & \vec{s} = s\vec{s'} \wedge s(\mathtt{C}) = \mathtt{assert e} \\ \alpha_{\mathtt{A}}^{1}(\vec{s'}) & \vec{s} = s\vec{s'} \wedge s(\mathtt{C}) \neq \mathtt{assert e} \end{array} \right.$$

can be lifted to a set of traces $\alpha_{\mathtt{A}} \in \wp(\vec{\Sigma}^*) \to \wp(\vec{\Sigma}^*)$: $\alpha_{\mathtt{A}}(T) = \bigcup_{\vec{s} \in T} \alpha^1_{\mathtt{A}}(\vec{s})$. The function $\alpha_{\mathtt{A}}$, is a complete \cup -morphism. Thus, it exists a unique concretization $\gamma_{\mathtt{A}}$ such that $\langle \wp(\vec{\Sigma}^*), \subseteq \rangle \xleftarrow{\gamma_{\mathtt{A}}} \langle \wp(\vec{\Sigma}^*), \subseteq \rangle$ [4]. The assertion trace semantics of P is $\alpha_{\mathtt{A}}(\vec{\tau}_{\mathtt{P}}^+)$.

In general, a repair may introduce new assertions (that may or may not hold). As the goal of a repair is to address failing assertions of the original program, we remove from the assertion semantics of P' all the *new* assertions and the *new* variables before comparing the behaviors of P and P'.

Let $\delta_{P,P'}$ denote a *repair* that transforms program P to program P' and let $\mathbb{A}(\delta_{P,P'})$ be all the *new* assertions introduced by the repair in P'. Let $\pi_{\delta_{P,P'}} \in \Sigma \to \Sigma$ denote the state projection over all the common variables of P and P'. The function $\alpha^1_{\delta_{P,P'}} \in \vec{\Sigma}^* \to \vec{\Sigma}^*$ removes all the new assertions and new variables from a trace:

$$\alpha^1_{\delta_{\mathsf{P},\mathsf{P}}}(\vec{s}) = \left\{ \begin{array}{ll} \vec{\epsilon} & \vec{s} = \vec{\epsilon} \\ \pi_{\delta_{\mathsf{P},\mathsf{P}}}(s)\alpha^1_{\delta_{\mathsf{P},\mathsf{P}}}(\vec{s'}) & \vec{s} = s\vec{s'} \land s(\mathsf{C}) \not\in \mathbb{A}(\delta_{\mathsf{P},\mathsf{P}}) \\ \alpha^1_{\delta_{\mathsf{P},\mathsf{P}}}(\vec{s'}) & \vec{s} = s\vec{s'} \land s(\mathsf{C}) \in \mathbb{A}(\delta_{\mathsf{P},\mathsf{P}}) \end{array} \right.$$

and its lifting to sets $\alpha_{\delta_{\mathtt{P},\mathtt{P}}} \in \wp(\vec{\Sigma}^*) \to \wp(\vec{\Sigma}^*)$, defined as $\alpha_{\delta_{\mathtt{P},\mathtt{P}}}(T) = \bigcup_{\vec{s} \in T} \alpha^1_{\delta_{\mathtt{P},\mathtt{P}}}(\vec{s})$, is a complete \cup -morphism, so that it exists a concretization function $\gamma_{\delta_{\mathtt{P},\mathtt{P}}}$, such that $\langle \wp(\vec{\Sigma}^*), \, \subseteq \rangle \xleftarrow{\gamma_{\delta_{\mathtt{P},\mathtt{P}}}} \langle \wp(\vec{\Sigma}^*), \, \subseteq \rangle$.

Verified Repairs. We are now ready to formally define the concepts of a *verified repair* and a repaired program *improving* another program.

DEFINITION 1 (Verified repair, improvement). If $\alpha_A(\mathcal{G}_P) \subseteq \alpha_{\delta_{P,P'}} \circ \alpha_A(\mathcal{G}_{P'})$ and $\alpha_A(\mathcal{B}_P) \supset \alpha_{\delta_{P,P'}} \circ \alpha_A(\mathcal{B}_{P'})$, then we say that $\delta_{P,P'}$ is a verified repair for P and that P' is an improvement of P.

The above definition denies the identity (i.e., program P itself) as a trivial improvement, since the number of bad traces should strictly decrease. It allows the removal of an always failing assertion as a repair. If an assertion fails in some executions and passes in others, then its removal is disallowed (as the subset inclusion on good runs will fail). For a given program P, there may be several distinct improvements P'₁, P'₂... (e.g., Fig. 2 or Fig. 4). One can define an additional scoring function to rank P'1, P'2.... The definition of verified repair naturally induces a partial order on programs (and hence on improvements): a program Q improves R, written R \sqsubseteq Q if $\delta_{R,Q}$ is a verified repair for R. We only compare the "same" assertions over two versions of the program, so P' may introduce new bugs, which requires a new code fix, etc. The code fixing process can be iterated to a fixpoint. In general, the least fixpoint may not exist (more hypotheses are needed).

The definition above requires not only all the assertions to be the same, but also that the variables have the same concrete values. We can relax this by introducing a further abstraction $\alpha_t^1 \in \vec{\Sigma} \to \wp(\Sigma_a), \Sigma_a \triangleq \epsilon \cup \{\texttt{true}, \texttt{false}\} \times \mathbb{E},$ which abstracts from a state everything but the assertion and its truth value. Furthermore α_t^1 forgets the execution order —

it only focuses on the truth value of the assertions:

$$\alpha_t^1(\vec{s}) = \left\{ \begin{array}{ll} \emptyset & \vec{s} = \vec{\epsilon} \\ \{\langle b, \mathbf{e} \rangle\} \cup \alpha_t^1(\vec{s'}) & \vec{s} = s\vec{s'} \wedge s(\mathbf{C}) = \mathtt{assert} \ \mathbf{e} \\ & \wedge b = s \models \mathbf{e} \\ \alpha_t^1(\vec{s'}) & \vec{s} = s\vec{s'} \wedge s(\mathbf{C}) \neq \mathtt{assert} \ \mathbf{e} \end{array} \right.$$

The lifting to sets of traces $\alpha_t \in \wp(\vec{\Sigma}^*) \to \wp(\Sigma_a)$, defined as $\alpha_t(T) = \bigcup_{\vec{s} \in T} \alpha_t^1(\vec{s})$, is a complete \cup -morphism, so that it exists a concretization function γ_t such that $\langle \wp(\vec{\Sigma}^*), \subseteq \rangle \xleftarrow{\gamma_t} \langle \wp(\Sigma_a), \subseteq \rangle$.

DEFINITION 2 (Verified assertion repair, assertion improvement). If $\alpha_t \circ \alpha_A(\mathcal{G}_P) \subseteq \alpha_t \circ \alpha_{\delta_{P,P}}, \circ \alpha_A(\mathcal{G}_{P'})$ and $\alpha_t \circ \alpha_A(\mathcal{B}_P) \supset \alpha_t \circ \alpha_{\delta_{P,P'}}, \circ \alpha_A(\mathcal{B}_{P'})$, then we say that $\delta_{P,P'}$ is a verified assertion repair for P and that P' is an assertion improvement for P.

Thus, an assertion improvement P' focuses on the assertion behavior, guaranteeing that: (i) the repair decreases the number of assertions violated; (ii) no regression is introduced. A verified assertion repair is a weaker concept than verified repair, as it allows the addition of new traces that change the behavior of the program while not breaking the old assertions. We say that a program Q a—improves R, written R $\sqsubseteq_a \mathbb{Q}$ if $\delta_{R,\mathbb{Q}}$ is verified assertion repair for R.

Here we are interested in repairing failing assertions. However, one can think of modifying the Definition 2 to focus on other behaviors to fix, *e.g.*, memory allocation, resources usage, or performance.

5. Program Repairs from a Static Analyzer

When the state space Σ is finite, the fixpoint equation (1) can be exactly computed and the abstractions and the definitions in Section 4 can be applied as they are. The state space can be made finite either by requiring the programmer to provide loop invariants (as in deductive verification [15]) or by fixing ahead of time a *finite* set of predicates to be used (as in predicate abstraction [2]).

In practice, state space finiteness is too strong a requirement. We want to avoid it, unlike [14, 30]. For instance, under the finiteness hypotheses we cannot *automatically* provide a repair for the overflowing expression in Fig. 7. The repair is based on the knowledge of the loop invariant $0 \le \inf \le \sup < \operatorname{array}$. Length (to prove that $\sup - \inf$ does not underflow). In general to infer such an invariant the abstract domain should at least include the abstract domain of intervals [4], which is of infinite width and height.

An abstract interpretation-based static analyzer, like cccheck, does not make the finite states hypothesis. It computes an over-approximation of the trace semantics of P ¹:

$$\vec{\tau}_{\mathtt{P}}^{+} \subseteq \gamma(\mathtt{cccheck}(\mathtt{P})).$$
(2)

```
int NotDecidable(int x)
{
  string s = null;
  if(P(x))
    s = "Hello_world";
  return s.Length;
}
```

Figure 9. An example showing the undecidability of code repairs. The predicate P is true for each x, but it cannot be decided.

Our goal is to exploit the information gathered by a cccheck-like tool to automatically suggest verified repairs for incomplete programs. We let

$$\overline{\mathcal{B}}_{P} \triangleq \mathcal{B}(\gamma(\text{cccheck}(P)))$$

(resp. $\overline{\mathcal{G}}_{P} \triangleq \mathcal{G}(\gamma(\operatorname{cccheck}(P))))$ denote the *inferred* bad runs (resp. good runs) of P. Definition 1 and Definition 2 can immediately be extended to use $\overline{\mathcal{B}}_{P}$ and $\overline{\mathcal{G}}_{P}$ instead of \mathcal{B}_P and \mathcal{G}_P . Because of over-approximation, it may be the case that more bad traces are inferred than the ones in the program's concrete semantics. In practice, this means that sometimes cccheck cannot detect that an assertion is always satisfied in the concrete, and it suggests a repair for it, to shut off the warning. Nevertheless, this is not a problem for us, for three main reasons. First, verified code repairs are supposed to be used as design-time suggestions in the IDE: the programmer has the last word on whether or not to apply a code repair. Second, the code repair generated from a false warning helps the programmer understanding the nature of the alarm. Third, by construction, verified repairs improve the program in the sense of Definition 1 or Definition 2. If the repair is such that $P \sqsubseteq P'$, then it introduces in P' only checks that at worst are redundant with those that were already present in P. Otherwise, if the repair satisfies $P \sqsubseteq_a P'$, the repair is guaranteed to not violate assertions that were (proven) definitely valid in P.

EXAMPLE 1. Let us consider the example in Fig. 9. The predicate P is such that $\forall x. P(x) = \text{true}$, but it cannot be decided. Such a predicate exists because of Gödel's incompleteness theorems. Therefore, the s dereference cannot be proven, and two code fixes can be suggested, satisfying respectively Definition 1 and Definition 2: (i) the (trivial) addition of the assumption s!= null just before the return statement, adding a *redundant* check at runtime; (ii) the initialization s = "". Both repairs will stop cccheck from reporting the warning.

6. Program Repairs in Practice

Actual verified repairs are property-specific. They exploit the inferred semantic information and the specification (in the form of contracts or runtime errors) to automatically pro-

 $^{^1}$ The concretization function γ maps cccheck abstract domains into concrete execution traces. In general there is no best abstraction α .

duce a program repair. We infer program repairs by leveraging: (i) a backwards *must* analysis to propose new contracts, initializations, and guards; (ii) a forward *may* analysis to propose off-by-one, floating point comparisons, and arithmetic overflows code repairs.

6.1 Clousot

We extended cccheck, an abstract interpretation-based static analyzer for .NET [12], to generate verified repairs. Cccheck has four main phases: (i) assertion gathering; (ii) fact inference; (iii) proving; (iv) report warnings and suggest repairs. In the first phase, Cccheck gathers the program assertions, either provided by the programmer, *e.g.*, as contracts, or by language semantics, *e.g.*, division by zero, null pointer, *etc.* Then, it uses abstract interpretation to infer facts about the program.

Cccheck includes abstract domains for heap abstraction [10], nullness checking [11], scalable numerical analysis [18, 22], universally and existentially quantified properties [5], and floating point comparisons. [23] Cccheck uses the inferred facts to discharge the gathered assertions.

Cccheck's decision procedure has four possible outcomes: (i) *true*, the assertion holds for all executions reaching it, if any; (ii) *false*, every execution reaching the assertion, if any, will cause it to fail (*e.g.*, Fig. 4); (iii) *bottom*, no execution will ever reach the assertion; (iv) *top*, we do not know, as the assertion may be violated sometimes or the analysis was too imprecise. If the outcome is *top* or *false*, Cccheck tries to find a verified repair before reporting the warning/error to the user. If a verified repair is found (in general there may be more than one repair for a warning) then: (i) it is reported to the user via a graphical interface; and (ii) it is used by the warning scoring algorithm to produce a ranking of warning (*e.g.*, a warning with a verified repair) gets a higher score than a warning without a verified repair).

The above outcomes give an easy algorithm to check whether $P \sqsubseteq_a P'$: check (for the matching asserts) if cccheck reports fewer *top* and *false* for P' than P without reducing the number of the *true* results. Correctness follows by the analyzer soundness property (2). In practice re-analysis is not a big problem: on average a method is analyzed in 156ms.

6.2 Repairs Inferred by Backwards Analysis

The precondition inference of [6] is a goal-directed backward analysis $\mathbb{B}_{pc}(e)$, starting from a failing assertion e. For each program point pc, if $\mathbb{B}_{pc}(e)$ does *not* hold at pc, then e will *necessarily* fail later in the program. The expression $\mathbb{B}_{pc}(e)$ is a necessary condition for e at pc. We omit here the details of \mathbb{B} , leaving it as a parameter. Different choices are possible, enabling a fine tuning of the precision/cost ratio. In general, \mathbb{B} is an under-approximation of the semantics, com-

puting fixpoints when loops are encountered 2 . The advantage of using a necessary condition is that we are guaranteed not to remove any good trace. We use the analysis $\mathbb B$ to suggest repairs, by matching $\mathbb B_{pc}(e)$ and the statement P(pc) as follows.

Repair by Contract. Contracts (preconditions, postconditions, object invariants, assertions and assumptions) are used for code documentation and by the static checker to perform the assume/guarantee reasoning. The backward analysis can be used to suggest contracts.

Definition 1 generalizes the precondition inference problem of [6]. As a consequence, the inference of *necessary* preconditions is a form of verified repair. A candidate necessary *pre*condition is $\mathbb{B}_{\text{entry}}(e)$. If $\mathbb{B}_{\text{entry}}(e)$ meets the visibility and inheritance constraints of the enclosing method [20], then it can be suggested as precondition. Otherwise it is suggested as an assumption or a candidate object invariant. In both cases $P \subseteq \mathbb{B}_{\text{entry}}(e)$; P follows from the fact that \mathbb{B} only produces necessary conditions (hence cutting bad runs).

It may be the case that the backwards analysis stops at pc \neq entry, *i.e.*, before reaching the entry point of the method. For instance, this happens when variable in the goal expression is the return value from a method. We can still suggest a repair, either in the form of an Assume or as a candidate postcondition for the callee. No good trace is removed: $P \sqsubseteq P[pc \mapsto (P(pc); Assume(\mathbb{B}_{pc}(e)))]$.

EXAMPLE 2. For the array store in Fig. 2, Cccheck collects the two assertions $0 \le \text{index}$ and index < arr.Length. The inferred facts are not sufficient to prove that the assertions will not fail, so Cccheck propagates the assertions backwards. For the first assertion, $\mathbb{B}_{\text{entry}}(0 \le \text{index}) = 0 \le \text{index}$ is suggested as precondition (index is a parameter). The precondition is necessary, because if index < 0 then a buffer underflow definitely will occur. The precondition is not sufficient, as it does not guarantee that the array indexing is in bounds.

For the second assertion, $\mathbb{B}_{\text{entry}}(\text{index} < \text{arr.Length}) = \text{true}$, but $\mathbb{B}_{(1)}(\text{index} < \text{arr.Length}) = \text{index} < \text{length}$ must hold between the return value of GetALength and the method parameter, otherwise the program will necessarily fail. Therefore, Cccheck suggests to make the assumption explicit using the repair Contract.Assume (index < length). For the array creation, the safety condition $0 \le \text{length}$ cannot be proven either, and the cause is traced back to the value returned by GetALength. Two repairs are possible: either an assumption (to document it) or a postcondition for GetALength.

Initialization. The necessary condition analysis $\mathbb{B}(e)$ can be used to infer repairs for initialization and guards. Let k be a compile-time constant and i=k the statement at the pro-

 $^{^2}$ Please note that $\mathbb B$ is *not* Dijkstra's wp predicate transformer. The weakest precondition requires the program to be correct on all the possible paths, no matter which non-deterministic choice is made.

gram point pc. If $\mathbb{B}_{pc}(e) = i = k'$, with $k' \neq k$, then we have detected an erroneous initialization. We can suggest the repair i = k': $P' \triangleq P[pc \mapsto (i = k')]$. More generally, if the necessary condition is $i \diamond k'$, with \diamond a relational operator, then i should be initialized to a value satisfying $i \diamond k'^3$. However, the initialization repair may: (i) change the behavior of the program; (ii) cause assertions not in $\delta_{P,P'}$ to fail in P'. Therefore, to verify the repair before suggesting it to the user, we analyze P' in background to check that no additional assertion failure is introduced by the repair, so that $P \sqsubseteq_a P'$. In general there are many \overline{k}' satisfying $i \diamond k'$ and $P \sqsubseteq_a P'$. We leverage the constraint solver in (the numerical abstract domains of) cccheck to provide a satisfiable assignment. In most of the cases we get the most general \overline{k}' .

EXAMPLE 3. In Fig. 1, Cocheck infers the necessary condition $1 \le i$, finds the initialization i = 0, and suggests repairing it with i = 1. Similarly, in Fig. 3, Cocheck propagates the constraint 1 < args. Length, finds the array creation setting args. Length = 1, and suggests the repair of a larger allocation new object[2].

Repairing Guards. We can use $\mathbb{B}(e)$ to check whether a guard is too weak or even contradictory. If at a program point pc, $P(pc) = Assume\ g, i.e.$, g is the guard at program point pc 4 , and $\mathbb{B}_{pc}(e) = !g$, then we can suggest to use !g instead of g, after checking that no new assertion failure is introduced. Similarly, if $g \triangleq a \le b$ and $\mathbb{B}_{pc}(e) = a \le b$, we can suggest a guard strengthening (after an additional run of cccheck). Therefore $P \sqsubseteq_a P[pc \mapsto Assume(\mathbb{B}_{pc}(e))]$.

EXAMPLE 4. In the example of Fig. 4, the safety condition c != null contradicts the if-statement guard c == null. Hence it is proposed as a verified repair: all the assertions after (*) are unreached in P, and the else branch is empty. A new run of Cccheck is therefore not necessary. Please note that false may also be proposed as a guard, *i.e.* the branch of the conditional can be removed altogether.

In the example of Fig. 5, the assertion num < callA.Length is stronger than the (implicit else-)condition callA.Length >= num, and hence proposed as a repair ⁵.

Ensuring correct object initialization. When e is an assertion in a public method m and $\mathbb{B}_{\mathtt{entry}}(\mathtt{e})$ involves only private fields of this object, then $\mathbb{B}_{\mathtt{entry}}(\mathtt{e})$ is a necessary invariant on the object fields. In particular, if $\mathbb{B}_{\mathtt{entry}}(\mathtt{e})$ contains only readonly fields ⁶ then it should hold after the invocation of any of the constructors. Otherwise, suppose the constructor c does not establish $\mathbb{B}_{\mathtt{entry}}(\mathtt{e})$. Then the sequence of calls c,

```
public class MyClass
{
  private readonly SomeObj s;

public MyClass(SomeObj s)
  {
    Contract.Requires(s != null);

    this.s = s;
}

public MyClass()
  {
  }

public int Foo()
  {
    return this.s.f;
  }
  // ...
}
```

Figure 10. An example of object initialization repair. The repair can either initialize this.s to a non-null value in MyClass() or add an object invariant to avoid the null dereference of s in Foo.

m will cause the assertion e to fail. We can repair it in two ways. The first way is to repair the constructor c so to establish $\mathbb{B}_{\text{entry}}(e)$. This alternative corresponds to assuming $\mathbb{B}_{\text{entry}}(e)$ to be (part of) the object invariant, and repairing the constructor to meet the invariant. We should check that the repair does not violate some other assertion (to ensure that $P \sqsubseteq_a P$). The second way is to deny the invocation of m when the object is created via c. This corresponds to the object invariant $b_c||B_{\text{entry}}(e)$. The Boolean flag b_c captures whether the class was initialized via the constructor c. The object invariant removes only bad runs so that: $P \sqsubseteq P$.

EXAMPLE 5. Let us consider the class in Fig. 10, abstracting a common pattern in system code. When Foo is invoked this.s != null should hold necessarily. Otherwise the client code:

```
x = new MyClass();
x.Foo();
```

causes a null dereference exception. To rule out bad executions we can either modify the implementation of MyClass or we can add a contract to specify the correct usage pattern.

The field this.s is private, so it cannot be made a precondition of Foo: it is a condition on the object fields that should be established on object creation. The first constructor, MyClass(SomeObj), satisfies it. The second constructor, MyClass(), does not. Adding the assignment this.s = new SomeObj() to MyClass() removes the problem. An

 $[\]overline{{}^3}$ Note that k does not satisfy $i \diamond k'$, otherwise cccheck should have proven it before

 $^{^4}$ As common, we assume that conditional and loop guards are represented by Assume statements, and control flow modelled by gotos.

⁵In an early stage of Cccheck pipeline, all such assumptions are made explicit

⁶ A readonly field can only be assigned inside constructors.

alternative is to add the object invariant

Contract.Invariant(this.b || this.s != null);
where the readonly private Boolean field is assigned this.b
= true in MyClass().

Method purity. Suppose that the necessary condition $B_{pc}(e)$ mentions an object on the heap o, e.g., o.f != null. If the instruction at pc is a method call and no information is provided on m then Cccheck assumes the worst for o, and the object gets havoced. As a consequence, the propagation of B(e) stops at pc. A repair is to mark the method m as [Pure], *i.e.*, its execution as no visible side-effects. The purity marker has no effect on the concrete semantics, but it largely improves the precision of static analyzers: $P \sqsubseteq P'$.

6.3 Repairs Inferred From the Abstract Domains

Off-by one. The semantic facts inferred at a given program point can be used to suggest repairs. In particular, one can use the information inferred by the numerical abstract domain(s) to suggest repairs for off-by-one errors. If cccheck cannot prove an assertion a < b at program point pc but it can prove a <= b, then it can suggest using a-1 instead of a, provided it does not introduce any new warning. In this case, $P \sqsubseteq_a P[pc \mapsto P(pc)[a \mapsto a-1]]$.

EXAMPLE 6. In the example of Fig. 3, cccheck trivially finds that 1 <= args.Length = 1, and as 0 < 1, it suggests 0 as new array index. In the example of Fig. 5, it can prove that num <= callA.Length. However, it does not suggest replacing num with num-1 as this may introduce a new bug in the program (a buffer underflow at the same line).

Floating point comparison. The .NET type system allows two kinds of floating point numbers Float32 (32 bits) and Float64 (64 bits). The .NET specification requires that floats in locals (stack locations, parameters, return values) should be implemented by the underlying virtual machine with the highest precision available from the hardware (e.g., 80 bits registers in x86 architectures). On the other hand, heap locations (fields, array elements, statics) should always match the precision of their nominal type. As a consequence, when a local float is stored into a heap location its value is truncated. The comparison of values of different bit sizes may lead to very unexpected results.

For an expression $a \diamond b$ at pc, with \diamond relational operator, if cccheck deduces that one of the operands has an extended precision, while the other has nominal precision, it suggests the repair t, containing the truncation of the extended precision value to its nominal type. Therefore, $P \sqsubseteq P[pc \mapsto t]$.

EXAMPLE 7. In Fig. 6, cccheck infers the parameter d0 (of extended precision) is compared against a constant (of 64 bits), and it suggests adding the cast (double) d0 to force the truncation and guarantee that the comparison operator checks floating point values of the same bit size. In P' the object invariant is hence satisfied.

Arithmetic Overflows. We introduce a new algorithm to repair arithmetic overflows that leverages the decision procedure and the numerical facts inferred by Cccheck abstract domains. We consider expressions in the language:

The rewriting rules are in Fig. 11. They immediately induce a non-deterministic memoization-based algorithm. The algorithm starts with an expression a which may cause an overflow for some input, and rewrites it to an expression a' which is provably non-overflowing. The algorithm annotates each subexpression with a tag: ? means that we do not know if the expression may overflow; ! means that the expression is provably not-overflowing (for the values in the concretization of the current abstract state). If it succeeds, the algorithm guarantees that a': (i) evaluates to the same value as a when they are both interpreted over \mathbb{Z} ; and, (ii) no overflow happens when evaluated on \mathbb{Z}_p , where $p \in \{8, 16, 32, 64 \dots\}$ is the given integer precision.

The algorithm is incomplete by design, for performance reasons. It is an abstract interpretation of the trivial algorithm which enumerates all the equivalent expressions and then checks for non-overflowing. Next we detail the rules. A constant, a variable, and the comparison of non-overflowing expressions do not overflow. We can remove the uncertainty on an binary arithmetic expression if the underlying abstract state guarantees that the operation does not overflow. Moving the right operand of a subtraction to the right of a comparison operator removes a possible overflow. In the case of an addition, one should pay attention that -a does not overflow (i.e., a may be MinInt). Division by a constant overflows if k = 0 or if MinInt is divided by -1. Half-sum can be written in two ways (note that the rule $(a+b)/2 \rightarrow a/2 + b/2$ is incorrect when a, b are odd quantities). We can trade an addition for a subtraction, or a subtraction for an addition if we are guaranteed that the new expression does not overflow. Finally, we allow shuffling expressions by moving them on the same side of a relational operator, and we introduce strict inequalities to remove overflows (the dual rule for >= is not shown in the figure). Let P' be such that all the overflowing expressions are replaced by the result of the algorithm above. Then $P \sqsubseteq_a P'$.

EXAMPLE 8. In the binary search example (Fig. 7), Cccheck proves that all but one arithmetic expressions are not-overflowing. It infers the loop invariant $0 \le \inf \le \sup < \text{array.Length.}$ As a consequence, at (*), it can apply the rule for the half-sum (the difference of two non-negative values can never overflow), and it suggest the correct expression. Similarly, in Fig. 8, cccheck captures the possible overflow in the addition, and it suggests using a subtraction instead.

Figure 11. The rules used by the overflowing expression repair algorithm. The function ok(a) uses the inferred facts to check whether the expression a (or one of its subcomponents) does not overflow.

		Overall						Asserts	
Library	Methods	Time	Asserts	Validated	Warnings	Repairs	Time	with Repairs	%
system.Windows.forms	23,338	62:00	154,863	137,513	17,350	25,501	1:27	14,617	84.2
mscorlib	22,304	38:24	113,982	103,596	10,386	16,291	0:59	7,180	69.1
system	15,187	26:55	99,907	90,824	9,083	15,618	0:47	6,477	71.3
system.data.entity	13,884	51:31	95,092	81,223	13,869	28,648	1:21	12,906	93.0
system.core	5,953	32:02	34,156	30,456	3,700	9,591	0:27	2,862	77.3
custommarshaler	215	0:11	474	433	41	31	0:00	35	85.3
Total	80,881	3:31:03	498,474	444,045	54,429	95,680	4:51	44,077	80.9

Figure 12. The experimental results of verified repairs on the core .NET libraries. We report the number of methods, the overall analysis time, the number of assertions, validated assertions, warnings, the number of repairs, the time it took to infer them, the number of assertions with at least one repair and the percentage of warnings with at least one repair. Time is in minutes.

7. Experience

Shipped Libraries We generated verified repairs for the *shipped* core libraries of the .NET framework (they are not yet annotated with contracts). We run Cccheck with the default checks (nonnull, bounds, arithmetic) and the precondition, postcondition and object invariant inference on. Inference propagates preconditions and object invariants to the caller, where they become new assertions. The more refined the inference algorithm, the more complex the inferred preconditions [6].

The empirical results are in Fig. 12. For each assembly, we report the total number of analyzed methods and the overall analysis time. We also report the number of assertions, validated assertions (*true*, *bottom*), and warnings (*false*, *top*). The total number of repairs is obtained *after* simplification and includes *all* of the repairs enumerated

in Sec. 6. We use a simple simplification procedure to eliminate redundant repairs. In general, the simplification procedure takes as input a set of repairs R and returns a set of repairs R' such that: (i) the repairs in R and R' are equivalent; and (ii) #R < #R'. For instance, if x > 0 and x > 1 are inferred as repairs, we retain only the latter. The time includes the time to infer the repairs and simplify them. We also report the number of warnings for which we discovered at least one repair (in general several repairs are possible for the same warning) and the percentage over the total number of warnings.

Our first observation is that we can infer thousands of repairs in large libraries in a short time – the time to generate code repairs is only a tiny fraction of the overall run of Cccheck. We can propose a repair for a warning in almost 81% of the cases (overall). If the programmer decides to apply one of the repairs, the precision of the analyzer (the



Figure 13. The code repairs in the IDE.

percentage of all asserts that cccheck validates) rises by almost 10% (from 89% to almost 99%). We cannot apply repairs automatically, as in general there is more than one repair possible for a given warning.

Automatic application of repairs is out-of-the scope of our work: we want to provide the programmer with various *semantically* justified choices and let her decide how to repair the code. Repairs provide a witness for the warnings, and we use them to rank the warnings. We manually inspected some of the repairs generated by Cccheck and discovered new bugs in shipped and very well-tested libraries. Some of those bugs are illustrated by the examples in Sec. 2.

IDE integration The goal of verified repairs is to use them interactively. We integrated Cccheck in Visual Studio, via the Microsoft Roslyn CTP [26]. An example of the user experience is in Fig. 13. Roslyn exposes the C# (and VB) compiler(s) as a service. Plugins register to Roslyn as code issues and code action providers. Cccheck runs in background while the programmer is writing the program. Cccheck reports the assertion violations as code issues. For those assertions it can infer a code repair, Cccheck, reports it as a code action. The code action is shown in a preview window. The user choses to apply the code action or not.

Verified code repairs are realistic only if we can prove that the running time of the analysis + the generation of the fixes is small enough to be used in a real time programming environment. On average Cccheck analyzes 6+ methods per second and it infers 7.5 repairs per second (Fig. 12). The benchmarks above were run without any form of caching. However, to further improve the performances, Cccheck has a built-in cache mechanism which let the analysis run only on the methods that have been modified since the last analysis. In the past, we measured the effects of the cache mechanism to at least a $10\times$ speed-up.

Overall, we are very positive that the approach can be applied during active development: code repairs + Cccheck with cache are efficient enough to be used in the IDE.

8. Related Work

Automatic program repair is an active research subject in the testing community [28]. Starting from a program P exposing a bug, the goal is to derive P' such that the bug is repaired and no regression is introduced. The repair is obtained by pseudo-invariant inference [27], by genetic algorithms [19, 35], by a smart exploration of the space of repairs [1], or by instantiating some templates [34]. Our approach is different in that we do not use a *known* failing test

to infer the repair (we start from a warning issued by the analyzer), we do not need to run the program to apply our technique, the repair is inferred from the semantics of the program and it is verified. In particular, the repairs we generate are property-specific, so our technique is not subject to the "randomness" in the proposed repairs of the aforementioned techniques. Pex [32] uses symbolic execution to remove inputs that inevitably lead to an error. Our fixes are more general (e.g., we can fix overflowing expressions) and they soundly cope with loops – symbolic execution engines do not infer loop invariants. Starc [9] mixes dynamic and static analysis to repair data structures. We do tackle the problem of repairing data structures, but an interesting future research direction is to extend the definitions of Section 4 in that sense. Samini et al. [31] also combines dynamic and static analysis, but to repair PHP programs.

Eclipse [13] has a fix-it feature for repairing *syntactically* wrong programs. Whalen *et al.* [36] have a vision of an integrated *test* environment. Our vision is instead that of a *semantic* integrated environment [21], where a static analyzer runs in background, reports the errors, proposes the semantically justified repairs, and helps common programming tasks such as refactoring [7], searching, code reviewing *etc.*.

In the static analysis and verification community, recent work focused on the repairing of Boolean programs [14, 16, 30]. We are not constrained to Boolean programs (we handle arbitrary C# programs), we handle infinite state spaces, and we have a very precise yet universal notion of what a code repair is. We were able to generate repairs for the running examples of the above papers, with the exception of the concurrent examples of [16] – Cccheck does not analyze parallel programs. Surprisingly enough, for the running example of [14] we inferred a different repair (the initialization x = 1).

Other authors focused on repairing programs for specific properties. Martel [24] tackles the problem of repairing *floating* point arithmetic expressions. The goal of [24] is to infer (a good-enough approximation of) the most precise expression over machine floats equivalent to a given one. His work is a code repair as according to our Definition 2. The main differences with the algorithm in Fig. 11 is that we focus on ints, so we are only interested in *a* non-overflowing expression (there may be many in general), we perform online local rewriting instead of estimating the cost for the whole expression, we use all the numerical information inferred by the numerical abstract domains, not only the numerical ranges.

Vechev *et al* [33] present algorithms to introduce synchronization to remove bad interleavings. In spirit, their approach is very similar to ours, as they use abstract interpretation to verify a program, and when they fail they gave themselves the freedom to modify the program also when it cannot be proven in the abstract that it is wrong (it may be correct in the concrete). Apart from the handling of concurrency, the main difference is that we do not aim at applying

the fixes automatically, we give some semantic guarantees on the repairs (they should not remove good runs and should increase the number of validated assertions), and we do not aim for minimality.

A related research field is the localization and the explanation of bugs and warnings. Jose and Majumdar [17] present an algorithm to find the cause of a failing test. Their approach is different from ours in many ways. First, their algorithm requires the knowledge of a complete (failing) program execution – we use static analysis instead. Second, their error localization algorithm is based on finite techniques (bounded model checking, SAT, loops are handled by unrolling) so it is unlikely to cope with infinite state spaces as we do. Third, their scope is to find the origin of the bug, whereas we aim at proposing a repair for a possible error in the program. Rival [29] proposes a set of techniques to find the origin of alarms in an industrial strength static analyzer. Our verified repairs can be also used to explain the origin of the warnings of the static analyzer. Dillig, Dillig and Aiken [8] use abduction to infer the information a static analyzer is missing to carry on the correctness proof (or to prove the program is incorrect). The information is presented to the user who should validate or refuse it. We do not use abduction and we interact with the user by suggesting code changes, instead of logical formulas. To see how our technique compares to abduction, we converted the C benchmarks of [8] into C#. We skipped those relying on Cspecific patterns, e.g., string and pointer manipulation. We applied cccheck on the converted benchmarks. For most of them, cccheck not even shows a suggestion, as it was able to prove the correctness without additional help. For all the others, e.g., the one with real errors, cccheck suggested meaningfull assumptions and repairs. Overall, we did not experience any advantage of the abduction technique of [8] over ours.

9. Conclusions

We envision a future in which IDEs not only report semantic errors at design time but also suggest code repairs for them [21]. This paper is a first step in that direction. We introduced a new analysis for automatic, modular and verifiable program repair. We used abstract interpretation to formalize the concepts of a verified repair (which removes bad runs while possibly increasing good runs), and the weaker notion of verified *assertion* repair. We presented a set of verified repairs, implemented in our static analyzer for .NET. The repairs are extracted from the semantic information computed by the abstract interpreter.

Experience shows that the repairs: (i) are generated fast enough that they could be computed during active development; (ii) cover almost 4/5 of the warnings raised; and (iii) are precise enough to find new bugs for very well tested shipped libraries.

Acknowledgments

We thank Andrew Bagel, Patrick and Radhia Cousot, Manuel Fändrich, Matthieu Martel, Nikolai Tillman for the discussions. We are also gratefull to Mike Barnett who made the Roslyn integration possible.

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