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K. Raghavendra

Section-2

~~b) If  $L_1 \cup L_2$  is regular and  $L_1$  is finite then  $L_2$  is regular.~~

b) If  $L_1 \cup L_2$  is regular and  $L_1$  is finite then  $L_2$  is regular.

Ans:- The statement is true, because we cannot make an irregular set  $S$  regular by adding a finite number of elements to it.

for example,  $R' \cup F' = T'$  be regular,

as  $F' \rightarrow F'$  represents a finite set.

$R' \cup (F' - R') = T$  } both the sets are disjoint

$$\Rightarrow R' = T - (F' - R')$$

$$\Rightarrow R' = T \cap (F' - R')$$

$T \rightarrow$  Regular and finite

$F' - R'$  should also be a finite

set / Regular set.

Q. If  $L_1 \cup L_2$  is regular, (if  $L_1$  is finite then  $L_2$  is regular)