VISVESVARAYA TECHNOLOGICAL UNIVERSITY

"JnanaSangama", Belgaum -590014, Karnataka.



LAB RECORD

Bio Inspired Systems (23CS5BSBIS)

Submitted by

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in partial fulfillment for the award of the degree of

BACHELOR OF ENGINEERING

in

COMPUTER SCIENCE AND ENGINEERING



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CERTIFICATE

This is to certify that the Lab work entitled "Bio Inspired Systems (23CS5BSBIS)" carried out by **Raghavendra R (1BM22CS214)**, who is bonafide student of **B.M.S. College of Engineering.** It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements of the above mentioned subject and the work prescribed for the said degree.

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Github Link:

https://github.com/RaghavendraR-CS214/BIS-LAB/tree/main

Genetic Algorithm for Optimization Problems:

Genetic Algorithms (GA) are inspired by the process of natural selection and genetics, where the fittest individuals are selected for reproduction to produce the next generation. GAs are widely used for solving optimization and search problems. Implement a Genetic Algorithm using Python to solve a basic optimization problem, such as finding the maximum value of a mathematical function.

```
Genetic Algorithm for aphinigation problems
 import standom
 impart numpy as no
 def filmess. function (x):
     neturn x ** 2
population-sige = 10
germation = 50
mutation state = 0.1
chossover nate = 0.8
det carate-population (size):
neturn np.nondom.unifurm (-10,20, size)
det evaluale- (itners (population).
    neturn up weray ((filners further (ind) fund in population])
def select-parents (population, litners)
      total fitners = np. sum(ftners)

selection-proces = fitners Lotat fitners.
      return population[np.nondom.choice (ten(population), sige= 2, p= reliction-proba)
def chossover (panents, panents):
     if random.random() < crowsover_rate;
            alpha = random. nandom ().
            child = alpha* parents + (1- alpha) *parenta
            neturn shild
    return parent 1
       if nordom nardom () < medalion nate:
             mutahon-point = random unform (-10, 10)
            . relian mutohon-point
```

```
det guretic algorithm ():
       ropulation = create population (population size)
       histourale-filmers = np. inf
       kut-ourall-individual = Nona
        hest gen = -1
        for you in go range (gorarahous).
             filmer = evaluate fortruers (population)
             hunt (+ = np mane (filmen)
             hust indi = population [np. organicax(filmus)]
             if butfit & > best ownall fil news
                   bent - accall filmers = bent-fit
                    best-overall-indi = best-indi
                    best-yunation - gen.
            newpap = []
            fun - in Mange (pop-size 1/2).
                 ponents, parents - elect-parents (population, ptras)
                 childs = cossour (parents, parents)
                 dilla = crossour (parents, parents).
                  childs = mulate (childs)
                 dilde mulate (childe)
                 new-pop, extend ([child, chid2])
            population = reparray (new-pap)
         nelin kent our all, hent fitner, best o enall ft,
best-solution, kust fitrum, hust-gen genushi-dlgo ().
print + ( + Best toletion: d'ant solution) with fitners: hest finners & al
     generalini : (bert-gen 4")
     Best Solution: _ 9.897485096 with Fitners 97.46021123
     at gueration: 26
```

```
import random

# Define the fitness function
def fitness_function(x):
    return x ** 2
```

```
# Generate initial population
def generate_population(size, lower bound, upper bound):
   return [random.uniform(lower bound, upper bound) for in range(size)]
# Selection - select individuals based on fitness
def selection(population, fitness values):
   total fitness = sum(fitness values)
   probabilities = [f / total fitness for f in fitness values]
           selected = random.choices(population, weights=probabilities,
k=len(population))
   return selected
 Crossover - create new offspring by combining parents
def crossover(parent1, parent2, crossover rate):
   if random.random() < crossover rate:</pre>
       alpha = random.random()
       child1 = alpha * parent1 + (1 - alpha) * parent2
       child2 = alpha * parent2 + (1 - alpha) * parent1
       return child1, child2
   else:
       return parent1, parent2
# Mutation - introduce random variations
def mutate(individual, mutation rate, lower bound, upper bound):
   if random.random() < mutation rate:</pre>
        individual += random.uniform(-1, 1)
          individual = max(lower bound, min(upper bound, individual)) # Keep
within bounds
   return individual
# Genetic Algorithm
def genetic algorithm(population_size, lower_bound, upper_bound, generations,
mutation rate, crossover rate):
          population = generate population (population size, lower bound,
upper bound)
   for generation in range(generations):
        # Evaluate fitness
        fitness values = [fitness function(ind) for ind in population]
        # Selection
```

```
selected population = selection(population, fitness values)
        # Crossover
       next generation = []
       for i in range(0, len(selected population), 2):
           parent1 = selected population[i]
                       parent2 = selected population[i + 1 if i + 1 
len(selected population) else 0]
           child1, child2 = crossover(parent1, parent2, crossover rate)
           next generation.extend([child1, child2])
        # Mutation
          population = [mutate(ind, mutation rate, lower bound, upper bound)
for ind in next generation]
        # Log best fitness of the generation
       best fitness = max(fitness values)
                 # print(f"Generation {generation + 1}: Best Fitness
{best fitness:.4f}")
    # Return the best fitness value from the final generation
   return max(fitness function(ind) for ind in population)
<sup>‡</sup> Parameters
population size = 10
lower bound = -10
upper bound = 10
generations = 50
mutation rate = 0.1
crossover rate = 0.8
print("Raghavendra R, 1BM22CS214")
# Run Genetic Algorithm
best fitness = genetic algorithm(population size, lower bound, upper bound,
generations, mutation rate, crossover rate)
print(f"Best fitness found: {best fitness:.4f}")
```

```
    PS C:\Users\Dell\Desktop\BIS> & C:/Users/Dell/AppData
enetic.py
    Raghavendra R, 1BM22CS214
    Best fitness found: 100.0000
```

Particle Swarm Optimization for Function Optimization:

Particle Swarm Optimization (PSO) is inspired by the social behavior of birds flocking or fish schooling. PSO is used to find optimal solutions by iteratively improving a candidate solution with regard to a given measure of quality. Implement the PSO algorithm using Python to optimize a mathematical function.

```
LAB - 2 :
     Partide swarm Optimization (PSO)
impart numpy as no
 def f(x):
   neturn a++a
n-particles = 30 # no of particles
n-dins = 1 # 1-dimensional problem
 n_ilons = 100 # Number & iterations
 w=0.7 # Inunha weight
 ex= 1.5 # cognitive co-efficient
 ca=1.5 # social co-efficient
 pos = np. nandom uniform (-10, 10, size=(n-particles, n-dims) # positions
 ual = np.nandom.unifam(-1, 1, size=(n-particles, n-dims)). # velocity
 # initialize personal bent pos & scares
phent-pos = pos.copy()
phont-scare = np. array ([+(p) for p in pos])
# initialize global hust pos & scone
ghest-pos = ghest-pos[np margin (phint-scare)]
ghest-peace = np. min (phost-scare)
# Main PSO Loop
 for + in nange (n-ikn):
      for i in range (n-practiles) =
           Fileners = + (PO[i])
            il filtrum < phent-scaru[i]:
                phent-some [17 = fiterers
                prent-possin = possin
            if filmen & phent-score:
                gbent-scare = fiteren
                gbest- pos = possi]
```

```
Evaluate the fileness aring the objective further (1/10), update the best position & Global kent
      for i in range (n-particles):
          n1 = np.nandom.nandom (size=(n_dins))
n2 = np.nandom.nandom(size=(n_dinus))
                                                                                             position, if the new position better than previous
           val (i) = (w * vel (i) + c1 * n1 * (phust-pos(i) - pos(i)) +
                             c2+12+ (ghunt-pos-pos[i]))
                                                                                           Update the relocities & positions: update a velocity bared on best position & global test position.
          possi] = possi] + velsi]
      print (1" the fts : 3/(n. den), Bentscore: Lighert-score 3")
                                                                                            update a position wring position & colority
                                                                                             repeat the step untill it reaches the max
   print (" In Ophing abon Complete!")
   point (f"But position (global bunt): (ghist pos 3")
                                                                                     6) After the final Thrations, print a best positions and the best value.
   print(f" But Score ( global Bent Altrew ): (ghest-score 5")
   OUTPUT
        optimization complete!
       Best position ( y what Bust): [-2.813 12189 e -05]
       But rane ( global Best Filtrers): [1.84542157e-13]
   - Algorithm
 1) Define the problem:
          choose an objective to optimise
2) initialize parameter:
          set the number of particles, inertia wight, cognitive
  co-efficient & Social co-efficient
3) week a snihal swam of particles with nandom pos
  with the bounds & velocities.
```

```
import random
def objective function(x):
   return sum(x i ** 2 for x i in x)
class Particle:
   def init (self, dimension, bounds):
       self.position = [random.uniform(bounds[0], bounds[1]) for _ in
range(dimension)]
       self.velocity = [random.uniform(-1, 1) for _ in range(dimension)]
       self.pBest = list(self.position)
       self.pBest fitness = objective function(self.position)
class PSO:
   def init (self, dimension, bounds, num particles=30,
max_iterations=100):
       self.dimension = dimension
       self.bounds = bounds
       self.num particles = num particles
```

```
self.particles = [Particle(dimension, bounds) for in
range (num particles)]
       self.gBest = list(self.particles[0].position)
        self.gBest fitness = self.particles[0].pBest fitness
       self.w = 0.5
       self.c1 = 1.5
       self.c2 = 1.5
   def optimize(self):
        for iteration in range(self.max iterations):
            for particle in self.particles:
                fitness = objective function(particle.position)
                # Update personal best (pBest)
                if fitness < particle.pBest fitness:</pre>
                    particle.pBest = list(particle.position)
                    particle.pBest fitness = fitness
                # Update global best (gBest)
                if fitness < self.gBest fitness:</pre>
                    self.gBest = list(particle.position)
                    self.qBest fitness = fitness
            # Update velocity and position for each particle
            for particle in self.particles:
                for i in range(self.dimension):
                    # Update velocity
                    r1, r2 = random.random(), random.random()
                    particle.velocity[i] = (self.w * particle.velocity[i]
(particle.pBest[i] - particle.position[i])
                                            + self.c2 * r2 * (self.gBest[i] -
particle.position[i]))
                    # Update position
                    particle.position[i] += particle.velocity[i]
                    # Ensure position stays within bounds
                    particle.position[i] = max(self.bounds[0],
min(particle.position[i], self.bounds[1]))
       return self.qBest, self.qBest fitness
```

```
# Define parameters
dimension = 2  # Number of dimensions
bounds = (-10, 10)  # Search space bounds for each dimension
num_particles = 30  # Number of particles in the swarm
max_iterations = 100  # Maximum number of iterations
print('Raghavendra R, 1BM22CS214')

# Create PSO instance and optimize
pso = PSO(dimension, bounds, num_particles, max_iterations)
best_position, best_fitness = pso.optimize()

# Output the result
print(f"Best Position: {best_position}")
print(f"Best Fitness: {best_fitness}")
```

```
    PS C:\Users\Dell\Desktop\BIS> & C:/Users/Dell/AppData/Local/Programs/Pythoso.py
    Raghavendra R, 1BM22CS214
    Best Position: [-2.3539251665798946e-13, -3.852646973375009e-12]
    Best Fitness: 1.4898298338354198e-23
```

Ant Colony Optimization for the Traveling Salesman Problem:

The foraging behavior of ants has inspired the development of optimization algorithms that can solve complex problems such as the Traveling Salesman Problem (TSP). Ant Colony Optimization (ACO) simulates the way ants find the shortest path between food sources and their nest. Implement the ACO algorithm using Python to solve the TSP, where the objective is to find the shortest possible route that visits a list of cities and returns to the origin city.

Algorithm:

```
import numpy as np.
  definit phenomones (n. temo):
                                                                                              nuxt-city = np. nandom choice (nange (n) ),
      return up full (n,n), taul)
                                                                                                      P= Mob)
                                                                                                    vis gold (non + city)
 det calculate distance (city +, city 2).
      action up linate ranm (city 1 - city 2)
                                                                                                  bunappend (hert wity)
                                                                                                 current = next-city
def calculate-prob (pheronomis, dist, alphaa, keka, vis, current)
                                                                                                      for i in range (lon (tour) - 1)
                                                                                                       all hurs appured (bur)
                                                                                            all-town on oppureds (burlongth)
               mobs [] = (phiromorus(aly) .. alpha) .
      deltin prob prob sum().
                                                                                                  phenomenus [been(i), town [i13]] += delfa bace
                                                                                                 phinomonis bustiss, bustis) + + dalla lau
det are top (cities, m, alpha, hita, who, o, terahons):
     land: 1/ (no npmoon ([calculate lither [i], where []) for i in rangel
            far(+1) in sange (n)3))
                                                                                            if men-bunden < bent-townlen
                                                                                                  hunt-town lon = min-town ten
                                                                                                  Test-how tes = all howrs [np. angmin (all han-len)]
     must bun ten = (wat ( ing )).
                                                                           _name_ = "_ muin_";
     for = in range (iterations)
        all-bans = []
                                                                                  distances = npannay ([[calo-dist (cx, c2) for (2 in either]
                                                                                                   for (1 in others)
        for - in range (m):
            coment: uprandom, nondent (0, i).
```

```
import numpy as np
import random

class ACO:
    def __init__(self, n_ants, n_iterations, alpha, beta, rho, deposit,
cities):
        self.n_ants = n_ants # Number of ants
        self.n_iterations = n_iterations # Number of iterations
        self.alpha = alpha # Pheromone influence
        self.beta = beta # Distance influence
        self.rho = rho # Evaporation rate
        self.deposit = deposit # Pheromone deposit constant
```

```
self.cities = cities # Coordinates of cities
       self.n cities = len(cities) # Number of cities
       self.distances = self.calculate distances() # Distance matrix
       self.pheromones = np.ones((self.n cities, self.n cities)) # Initial
pheromones
   def calculate distances(self):
       """Calculate Euclidean distances between cities."""
       distances = np.zeros((self.n cities, self.n cities))
       for i in range(self.n cities):
           for j in range(self.n cities):
               distances[i][j] = np.linalg.norm(np.array(self.cities[i]) -
np.array(self.cities[j]))
       return distances
   def construct solution(self):
       """Construct a solution (path) for one ant."""
       path = [random.randint(0, self.n cities - 1)] # Random starting city
       while len(path) < self.n cities:</pre>
           current city = path[-1]
           next city = self.choose next city(current city, path)
           path.append(next city)
       return path
   def choose next city(self, current city, path):
       """Choose the next city based on pheromone and distance."""
       probabilities = []
       for next city in range(self.n cities):
           if next city not in path:
               pheromone = self.pheromones[current city][next city] **
self.alpha
               visibility = (1 / self.distances[current city][next city]) **
self.beta
               probabilities.append(pheromone * visibility)
               probabilities.append(0)
       probabilities = np.array(probabilities) / sum(probabilities)
       return np.random.choice(range(self.n cities), p=probabilities)
   def calculate distance(self, path):
       """Calculate the total distance of a path."""
       return sum(self.distances[path[i - 1]][path[i]] for i in
```

```
range(len(path)))
   def update pheromones(self, paths, distances):
        """Update pheromones based on the paths taken by ants."""
       self.pheromones *= (1 - self.rho) # Evaporation
       for path, distance in zip(paths, distances):
           pheromone contribution = self.deposit / distance
            for i in range(len(path)):
                self.pheromones[path[i - 1]][path[i]] +=
pheromone contribution
   def run(self):
        """Run the ACO algorithm."""
       best path = None
       best distance = float('inf')
       for in range(self.n iterations):
           paths = [self.construct_solution() for _ in range(self.n_ants)]
            distances = [self.calculate distance(path) for path in paths]
           self.update pheromones(paths, distances)
            # Update the global best path
           for path, distance in zip(paths, distances):
                if distance < best distance:</pre>
                    best path, best distance = path, distance
       return best path, best distance
# Example Usage
if __name__ == "_ main _ ":
    # Random city coordinates
   cities = [(0, 0), (2, 3), (5, 5), (8, 1)]
   aco = ACO(n_ants=10, n_iterations=100, alpha=1, beta=2, rho=0.1,
deposit=100, cities=cities)
   best path, best distance = aco.run()
   print("Raghavendra R, 1BM22CS214")
   print("Best Path:", best path)
   print("Best Distance:", best distance)
```

Raghavendra R, 1BM22CS214 Best Path: [3, 2, 1, 0]

Best Distance: 20.273360299226525

Program 4

Cuckoo Search (CS):

Cuckoo Search (CS) is a nature-inspired optimization algorithm based on the brood parasitism of some cuckoo species. This behavior involves laying eggs in the nests of other birds, leading to the optimization of survival strategies. CS uses Lévy flights to generate new solutions, promoting global search capabilities and avoiding local minima. The algorithm is widely used for solving continuous optimization problems and has applications in various domains, including engineering design, machine learning, and data mining.

```
LAB-4: Cucckoo reanch.
  1) Define objective function.
  2) Init parameter
             n = number of nests
            pa = prictato ility
            maxinen = max 20 g gun
 3) Initialize population: Randomly generate
 4) Evaluate filmen of each rust
 s) while (knomination uniteria not met).
     a) Generale new sor by levy flight
     6) Evaluate the new sol
     c) if the new sold in bother
     d) find regalbility (po)
    e) keep foract & best one's
    output.
6)
```

```
import numpy as np
import math
 Objective function (example: Sphere function, you can replace it)
def objective function(x):
   return sum(x**2) # Minimize the sum of squares
def levy_flight(beta, d):
   sigma u = (math.gamma(1 + beta) * math.sin(math.pi * beta / 2) /
               (math.gamma((1 + beta) / 2) * beta * 2 ** ((beta - 1) /
2)))**(1 / beta)
   u = np.random.normal(0, sigma u, d) # Draw from Gaussian distribution
   v = np.random.normal(0, 1, d)
   step = u / (abs(v) **(1 / beta))
   return step
 Cuckoo Search Algorithm
def cuckoo search(n, d, alpha, pa, maxGen):
   # n: Population size, d: Dimension of the problem
   # alpha: Step size, pa: Discovery probability, maxGen: Max iterations
   nests = np.random.uniform(-10, 10, (n, d))
   fitness = np.array([objective function(nest) for nest in nests])
   best nest index = np.argmin(fitness)
   best nest = nests[best nest index]
   best fitness = fitness[best nest index]
   beta = 1.5
    # Step 2: Iterative loop
   for gen in range(maxGen):
       for i in range(n):
            # Generate a new solution via Lévy flight
           step = levy flight(beta, d)
           new nest = nests[i] + alpha * step * (nests[i] - best nest)
           new nest = np.clip(new nest, -10, 10) # Keep solutions within
bounds
```

```
new fitness = objective function(new nest)
            if new fitness < fitness[i]: # Replace with better solution</pre>
                 nests[i] = new nest
                 fitness[i] = new fitness
        # Abandon some nests with a probability pa
        for i in range(n):
            if np.random.rand() < pa:</pre>
                # Replace with new random solution
                 nests[i] = np.random.uniform(-10, 10, d)
                 fitness[i] = objective function(nests[i])
        # Update the current best
        best nest index = np.argmin(fitness)
        if fitness[best nest index] < best fitness:</pre>
            best nest = nests[best nest index]
            best fitness = fitness[best nest index]
        # print(f"Generation {gen+1}, Best Fitness: {best fitness:.5f}")
    return best nest, best fitness
d = 5
alpha = 0.01
pa = 0.25
maxGen = 100
print('Raghavendra R, 1BM22CS214')
best solution, best value = cuckoo search(n, d, alpha, pa, maxGen)
print("Best Solution:", best solution)
print("Best Fitness Value:", best value)
     print('Raghavendra R, 1BM22CS214')
     best_solution, best_value = cuckoo_search(n, d, alpha, pa, maxGen)
     print("Best Solution:", best_solution)
     print("Best Fitness Value:", best_value)
 → Raghavendra R, 1BM22CS214
     Best Solution: [ 2.99476164 -5.96167039 1.09747839 4.21310143 -8.73101689]
     Best Fitness Value: 16.05788538276054
```

Evaluate new fitness

Grey Wolf Optimizer (GWO):

The Grey Wolf Optimizer (GWO) algorithm is a swarm intelligence algorithm inspired by the social hierarchy and hunting behavior of grey wolves. It mimics the leadership structure of alpha, beta, delta, and omega wolves and their collaborative hunting strategies. The GWO algorithm uses these social hierarchies to model the optimization process, where the alpha wolves guide the search process while beta and delta wolves assist in refining the search direction. This algorithm is effective for continuous optimization problems and has applications in engineering, data analysis, and machine learning.

```
LAB-5:
 - Initialize the populations of wolfver (positions) reardomly.

within the search space:

There the maximum number of iterations (2) and population.
 - Define the filmens fuction to evaluate Colt.
Revaluate the fibrurs of each wolf in the population. I deathy.
The alpha (best solution), beta (second-best) and della
(Mired-best) wolver
For 1-1 to T.
    For each wolf i in population:
    For each dimension d:
           A1 = 2+a + nand () - a
          D-alpha = [11+ alpha[d) - x-1[d]]
            XI = X-alphald] - As + D-alpha
            A2 = D*a*sand() - a
           D-bela = 12 + x-bela (d) - x-i(d)
           x2 = x_bela(d) - A2+D_bela
           c3 2 trand()
           Della = c3+2-della(d)-x-i[d]
           X3 = X-dillald) - A3+ Dillella
           x-[d] = (xi + x2 + x3)/3
   aplote alpha, bela & della volves barde
```

```
import numpy as np
\frac{\text{def}}{\text{objective function}(\mathbf{x})}:
   return x ** 2 # The function to minimize
def initialize wolves(num wolves, search space):
   return np.random.uniform(search space[0], search space[1], num wolves)
def update position(alpha, beta, delta, wolf, a):
   r1, r2 = np.random.rand(), np.random.rand()
   C = 2 * r2
   D = abs(C * alpha - wolf)
   X1 = alpha - A * D
   r1, r2 = np.random.rand(), np.random.rand()
   C = 2 * r2
   D = abs(C * beta - wolf)
   X2 = beta - A * D
   r1, r2 = np.random.rand(), np.random.rand()
   A = 2 * a * r1 - a
   C = 2 * r2
   D = abs(C * delta - wolf)
   X3 = delta - A * D
   return (X1 + X2 + X3) / 3
def grey wolf optimization(obj_func, num_wolves=5, max_iter=50,
search space=(-10, 10):
   # Initialize wolves' positions
   wolves = initialize_wolves(num_wolves, search_space)
   fitness = np.array([obj func(wolf) for wolf in wolves])
   # Identify alpha, beta, delta
   sorted indices = np.argsort(fitness)
   alpha, beta, delta = wolves[sorted indices[0]],
wolves[sorted indices[1]], wolves[sorted indices[2]]
```

```
a = 2 # Initial value for the parameter a
   for iteration in range(max iter):
        for i in range(num wolves):
            wolves[i] = update position(alpha, beta, delta, wolves[i], a)
            wolves[i] = np.clip(wolves[i], search space[0], search space[1])
 Ensure wolves stay within bounds
        # Recalculate fitness and update alpha, beta, delta
        fitness = np.array([obj func(wolf) for wolf in wolves])
        sorted indices = np.argsort(fitness)
       alpha, beta, delta = wolves[sorted indices[0]],
wolves[sorted indices[1]], wolves[sorted indices[2]]
        # Decrease a linearly
        # print(f"Iteration {iteration+1}: Alpha = {alpha}, Fitness =
{obj func(alpha)}")
   return alpha, obj func(alpha)
# Run the algorithm
print("Raghavendra R, 1BM22CS214")
best position, best fitness = grey wolf optimization(objective function)
print(f"Best Position: {best position}")
print(f"Best Fitness: {best fitness}")
     # Run the algorithm
     print("Raghavendra R, 1BM22CS214")
```

```
# Run the algorithm

print("Raghavendra R, 1BM22CS214")

best_position, best_fitness = grey_wolf_optimization(objective_function)

print(f"Best Position: {best_position}")

print(f"Best Fitness: {best_fitness}")

Raghavendra R, 1BM22CS214

Best Position: 6.50615910073754e-05

Best Fitness: 4.233010624410991e-09
```

Parallel Cellular Algorithms and Programs:

Parallel Cellular Algorithms are inspired by the functioning of biological cells that operate in a highly parallel and distributed manner. These algorithms leverage the principles of cellular automata and parallel computing to solve complex optimization problems efficiently. Each cell represents a potential solution and interacts with its neighbors to update its state based on predefined rules. This interaction models the diffusion of information across the cellular grid, enabling the algorithm to explore the search space effectively. Parallel Cellular Algorithms are particularly suitable for large-scale optimization problems and can be implemented on parallel computing architectures for enhanced performance.

```
imput numpy on my
import norder
def sitners (pos):
     return sum (x+2 for x in pos)
grad sigs = (10, 10)
mina, maxx = -10,20
 mane-it = 50
def inhalize (gred-size doin, mins, maxx):
      pup = np. grows ((grid-sig/6), grid-sig/(1), dm))
     (on i in nange (greid-size (07):
          for j in range (great size [1])!
              popli, j] = (nondo manylam (minx, marx) fu - in nonge (din)]
def get-neighbours (, j):
       nughbors . ()
        for di = (-1,0, 1):
            il not in [-1,0,1]:
                  il not (di=0 & dj==0)1
                     ni, nj = (i+di) % qud(o), (j+dj) % gud(2)
                     nigh append ((ni, ny))
       ruten nighborn
det update-cell (pop. fetrus, i, j, mix, maxx):
      neighbours = get-neighbours (i, j).
      bust-neight = mon (neighbors, key - lambda x: [trus (2/0), x(2)])
      new-pos = pop ( kert-neyhboralo), bent-neyhfil) + \np-random unfor
                   (al, al, dim).
      new pos = np clip (new-pos, mina, maxx).
      retur newpos.
```

```
best-index = up-win and irolax (np. argmin (filmen), from gred 1/pge)

best-pos = population (best-index[vi), hest-index[vii]

best-filmen = np-min (filmen-gred)

point (a Raghanacha R, 18 Meecs214)

point (best-filmen)

output

Best-filmen = [-0.5305, -0.4244]

Best-filmen = 02002457
```

```
import numpy as np
import random

# Step 1: Define the Problem (Optimization Function)
def fitness_function(position):
    """Example fitness function: Sphere function"""
    return sum(x**2 for x in position)

# Step 2: Initialize Parameters
grid_size = (10, 10)  # Grid size (10x10 cells)
dim = 2  # Dimensionality of each cell's position
minx, maxx = -10.0, 10.0  # Search space bounds
max_iterations = 50  # Number of iterations

# Step 3: Initialize Population (Random positions)
def initialize_population(grid_size, dim, minx, maxx):
    population = np.zeros((grid_size[0], grid_size[1], dim))
```

```
for i in range(grid size[0]):
        for j in range(grid size[1]):
           population[i, j] = [random.uniform(minx, maxx) for in
range(dim)]
   return population
# Step 4: Evaluate Fitness (Calculate fitness for each cell)
def evaluate fitness(population):
   fitness grid = np.zeros((grid size[0], grid size[1]))
   for i in range(grid size[0]):
        for j in range(grid size[1]):
            fitness grid[i, j] = fitness function(population[i, j])
   return fitness grid
 Step 5: Update States (Update each cell based on its neighbors)
def get neighbors(i, j):
    """Returns the coordinates of neighboring cells."""
   neighbors = []
   for di in [-1, 0, 1]:
        for dj in [-1, 0, 1]:
            if not (di == 0 and dj == 0): # Exclude the cell itself
                ni, nj = (i + di) % grid size[0], (j + dj) % grid size[1]
                neighbors.append((ni, nj))
   return neighbors
def update cell(population, fitness grid, i, j, minx, maxx):
    """Update the state of a cell based on the average state of its
neighbors."""
   neighbors = get neighbors(i, j)
   best neighbor = min(neighbors, key=lambda x: fitness grid[x[0], x[1]])
    # Update cell position to move towards the best neighbor's position
   new position = population[best neighbor[0], best neighbor[1]] + \setminus
                   np.random.uniform(-0.1, 0.1, dim) # Small random
perturbation
    # Ensure the new position stays within bounds
   new position = np.clip(new position, minx, maxx)
   return new position
# Step 6: Iterate (Repeat for a fixed number of iterations)
opulation = initialize population(grid size, dim, minx, maxx)
```

```
for iteration in range(max iterations):
    fitness grid = evaluate fitness(population)
    # Update each cell in parallel (simultaneously)
   new population = np.zeros like(population)
   for i in range(grid size[0]):
        for j in range(grid size[1]):
            new population[i, j] = update cell(population, fitness grid, i,
j, minx, maxx)
   population = new population
    # Print best fitness at each iteration
   best fitness = np.min(fitness grid)
    # print(f"Iteration {iteration + 1}, Best Fitness: {best fitness}")
# Step 7: Output the Best Solution
best index = np.unravel index(np.argmin(fitness grid), fitness grid.shape)
best position = population[best index[0], best index[1]]
best fitness = np.min(fitness grid)
print("Raghavendra R,1BM22CS214")
print("Best Position Found:", best position)
print("Best Fitness Found:", best fitness)
    print("Raghavendra R, 1BM22CS214")
    print("Best Position Found:", best_position)
    print("Best Fitness Found:", best_fitness)
→▼ Raghavendra R, 1BM22CS214
    Best Position Found: [-0.01963782 0.04692507]
    Best Fitness Found: 0.00026949831673197134
```

Optimization via Gene Expression Algorithms:

Gene Expression Algorithms (GEA) are inspired by the biological process of gene expression in living organisms. This process involves the translation of genetic information encoded in DNA into functional proteins. In GEA, solutions to optimization problems are encoded in a manner similar to genetic sequences. The algorithm evolves these solutions through selection, crossover, mutation, and gene expression to find optimal or near-optimal solutions. GEA is effective for solving complex optimization problems in various domains, including engineering, data analysis, and machine learning.

```
pop = [gun erate random] (un in range (population rige)]
                                                                              (un gon in range (tremenation)
impact operation
                                                                                    for ind in population:
                                                                                        Indi evaluate fithus (3)
impurt math
POPULATION- sige = 200
                                                                                     kent-ind = relict-kent-individual (pop. 3)
  nal = 0.1
                                                                                     while lon (rue pop) < population size:
                                                                                         if nondom random () (nossour nate:
 inate = 0.7
                                                                                               parents = nandom choice (pop)
 maxtru = 5
                                                                                               paretz = random choia (pap)
 Function = [++, 1 *1, 1/1]
                                                                                               offspring = xoussiver (parents, parents)
 terminal = ['x', '1', '2', '3']
                                                                                               new pop-append (offi pring)
 class individual
      det _ net_ (self, expression)
                                                                                               individual= nundom choice (pop)
        fell expression = expression
                                                                                               mulate (md)
          Telf filmer - float ("inf")
                                                                                               rempopapped (individual)
     det evaluate (relf, x-val):
               expr = set, expression replace ('x', sh(x well)
              suf filmer = eval (exper)
         except Exception ane:
                relf dhus = float ('inf')
det generate ():
                                                                      יוויטו
   exp = guncactu-random (max how)
   relien individual (expr)
def general-random (depth)
     of depth == 0 in nardum nardum () < 0.3:
                                                                                                1 - 3333333--
          return nardem choice (term nat)
```

```
import random
import operator
import math
# Constants for the genetic algorithm
POPULATION SIZE = 100
GENERATIONS = 5
MUTATION RATE = 0.1
CROSSOVER RATE = 0.7
MAX TREE DEPTH = 5
TERMINALS = ['x', '1', '2', '3']
# Class to represent an individual in the population
class Individual:
   def init (self, expression):
        self.expression = expression
        self.fitness = float('inf')
    # Function to evaluate the fitness of an individual
   def evaluate fitness(self, x value):
        try:
            expr = self.expression.replace('x', str(x value))
            # Using eval to evaluate the expression
            self.fitness = eval(expr)
       except Exception as e:
            self.fitness = float('inf')
 Function to generate a random individual
def generate random individual():
   expression = generate random expression(MAX TREE DEPTH)
   return Individual(expression)
 Function to generate a random expression (tree-like structure)
def generate random expression(depth):
   if depth == 0 or random.random() < 0.3:</pre>
        # Return a terminal (e.g., x or constants)
       return random.choice(TERMINALS)
   else:
        # Return a function with two subexpressions
```

```
function = random.choice(FUNCTIONS)
       left = generate random expression(depth - 1)
       right = generate random expression(depth - 1)
       return f"({left} {function} {right})"
# Function to perform crossover between two individuals
def crossover(parent1, parent2):
   # For simplicity, we just swap subexpressions between two individuals
   expr1, expr2 = parent1.expression, parent2.expression
   split1 = random.choice(expr1.split())
   split2 = random.choice(expr2.split())
   offspring expr = expr1.replace(split1, split2, 1)
   return Individual(offspring expr)
# Function to mutate an individual
def mutate(individual):
   if random.random() < MUTATION RATE:</pre>
        # Replace a random part of the expression with a new one
       mutated expr = individual.expression
       split expr = mutated expr.split()
       mutated expr = mutated expr.replace(random.choice(split expr),
generate random expression(MAX TREE DEPTH), 1)
       individual.expression = mutated expr
# Function to select the best individual
def select best individual(population, x value):
   best individual = min(population, key=lambda ind: ind.fitness)
   best individual.evaluate fitness(x value)
   return best individual
Main function to run the GEP algorithm
def run gep algorithm():
   population = [generate random individual() for in
range(POPULATION SIZE)]
   for generation in range(GENERATIONS):
        # Evaluate fitness for each individual
       for individual in population:
            individual.evaluate fitness(3) # Example with x=3
       # Select the best individual
       best individual = select best individual(population, 3)
```

```
# Print the fitness of the best individual in each generation
        print(f"Generation {generation + 1}: Best fitness =
(best individual.fitness)")
        # Create a new population using crossover and mutation
        new population = []
       while len(new population) < POPULATION SIZE:</pre>
            if random.random() < CROSSOVER RATE:</pre>
                parent1 = random.choice(population)
                parent2 = random.choice(population)
                offspring = crossover(parent1, parent2)
                new population.append(offspring)
           else:
                individual = random.choice(population)
                mutate(individual)
                new population.append(individual)
       population = new_population
# Run the algorithm
if name == " main ":
   print("Raghavendra R,1BM22CS214")
```

```
# Run the algorithm

if __name__ == "__main__":
    print("Raghavendra R, 1BM22CS214")
    run_gep_algorithm()

Raghavendra R, 1BM22CS214
Generation 1: Best fitness = 0.007894736842105263
Generation 2: Best fitness = 0.0164141414141416
Generation 3: Best fitness = 0.0164141414141416
Generation 4: Best fitness = 1.0
Generation 5: Best fitness = 1
```