

python



Class: Machine Learning



Topic



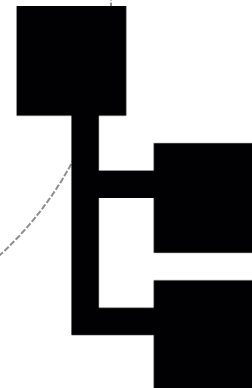
**Types of Tasks, Machine Learning Algorithms and
Linear Regression**



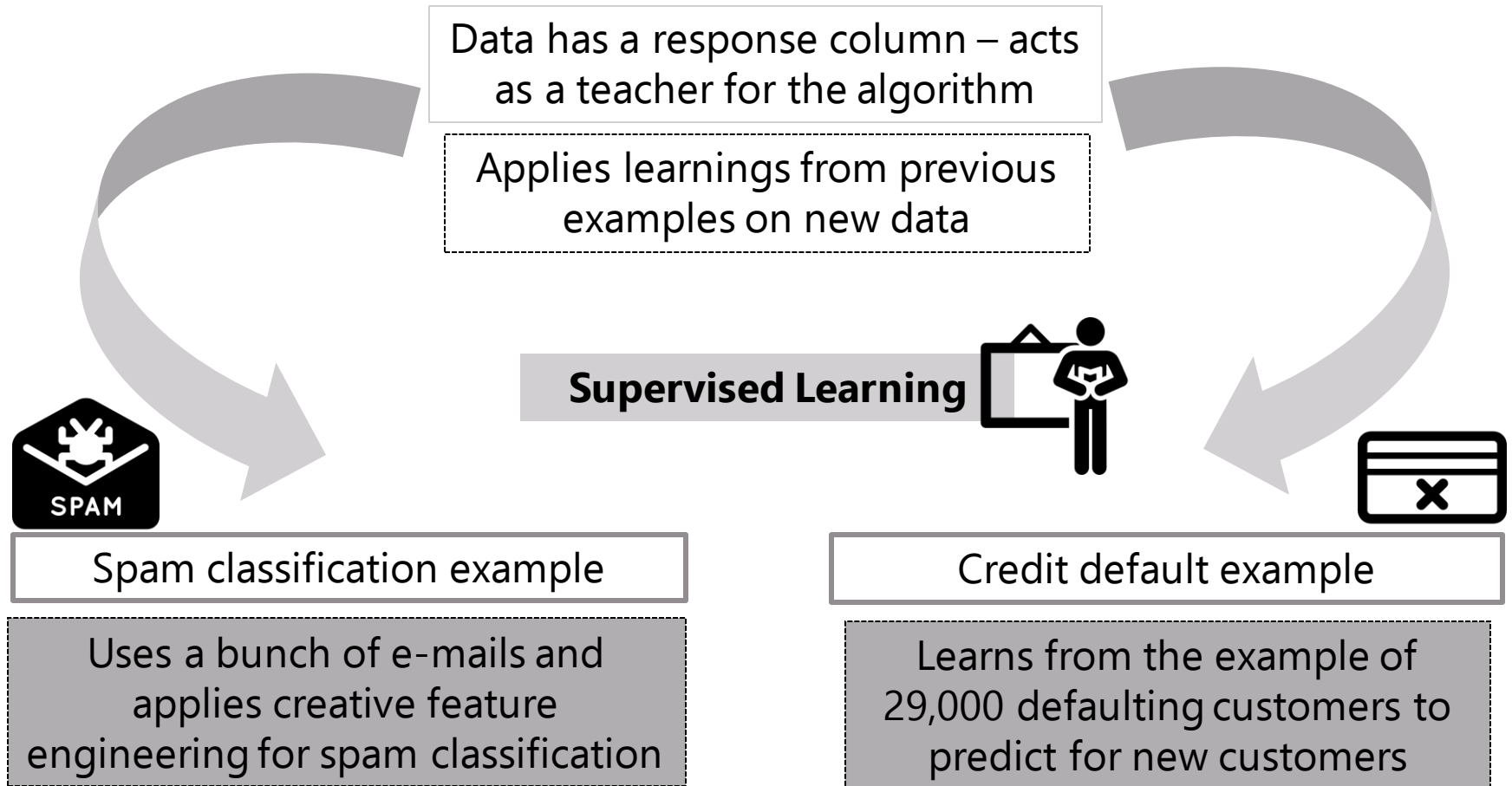
Machine Learning

What Kinds of Problems Does it Solve?

Machine
Learning
algorithm tasks
can be broadly
categorized



Types of Tasks



Types of Tasks

2 kinds of problems

Supervised Learning



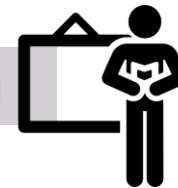
Distinction depends on the type of response

Types of Tasks

Response is **categorical** – 2 possible values

Classification

Supervised Learning



Spam classification example



Credit default example



Types of Tasks

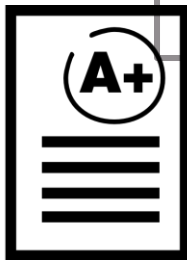
Response can be **continuous** or **real valued**

Solve regression problem

Supervised Learning



Predicting final test scores of students
based on their past performance



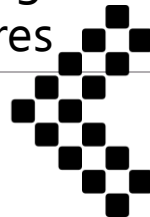
Types of Tasks

The machine gets no teacher – the data does not have a definitive response column

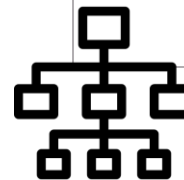
Unsupervised Learning



The computer finds meaningful patterns only from features



Most useful in finding groups in data, based on the features



Exercise

From the credit data, can you think of a case where you might need to group customers based only on the information regarding bill amounts and payment history?



Types of Tasks



Roots in behavioural psychology

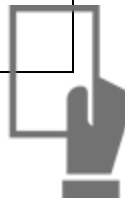
The computer is shown each data point sequentially



Reinforcement Learning



If it gets it right, it gets a reward and is penalized otherwise

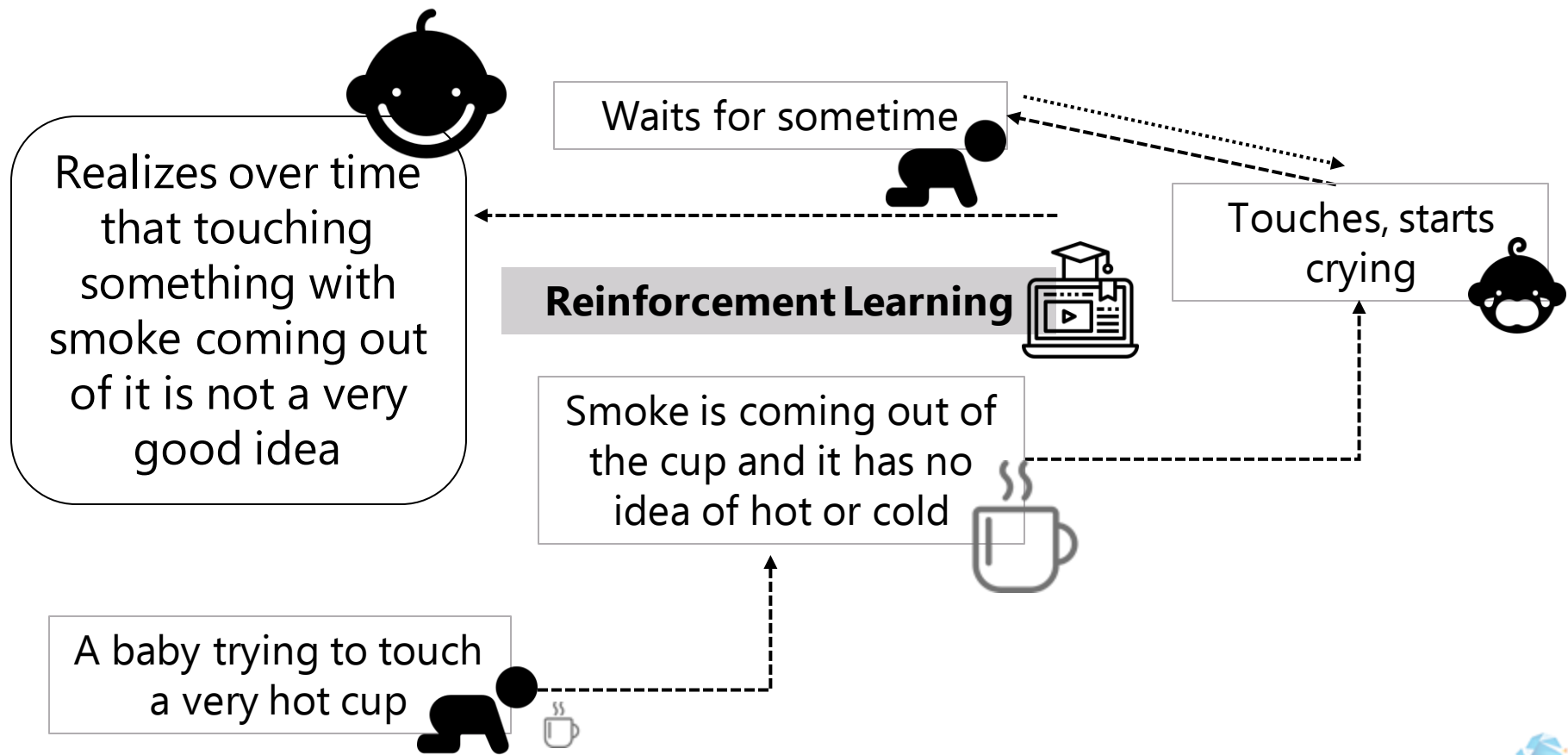


While starting, it typically makes many mistakes but learns gradually



Types of Tasks

Example



Types of Tasks

Example

Relatively new way of solving some problems in Machine Learning

Reinforcement Learning

Logic games are traditionally defined as a sequence of decisions

Example: Poker, Backgammon, Othello, Chess

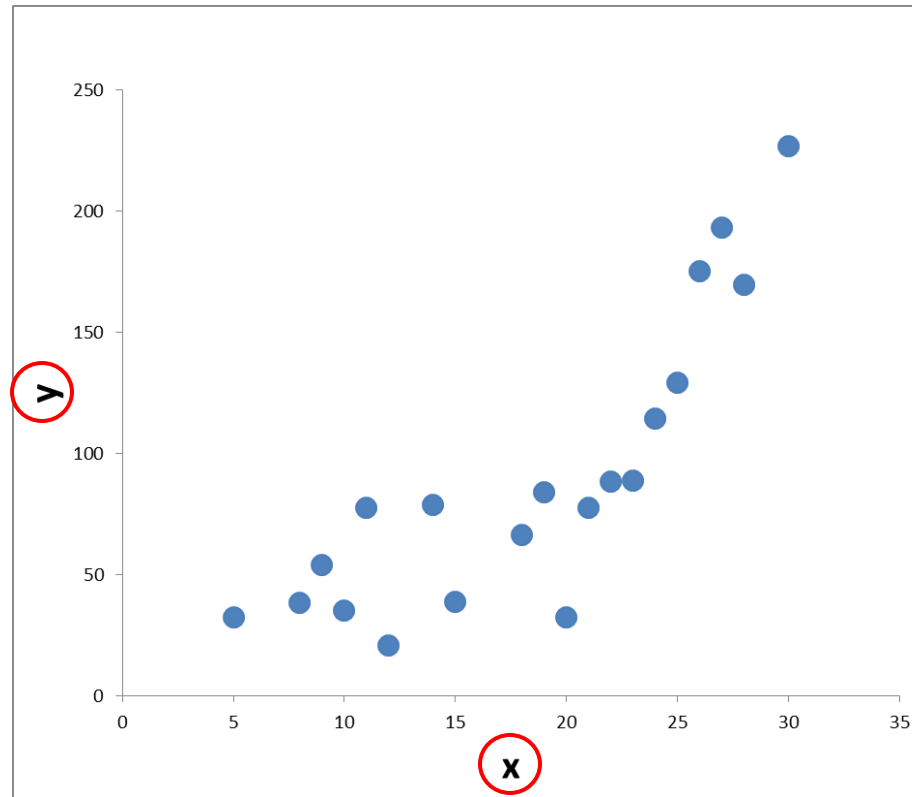


Supervised Machine Learning Algorithm



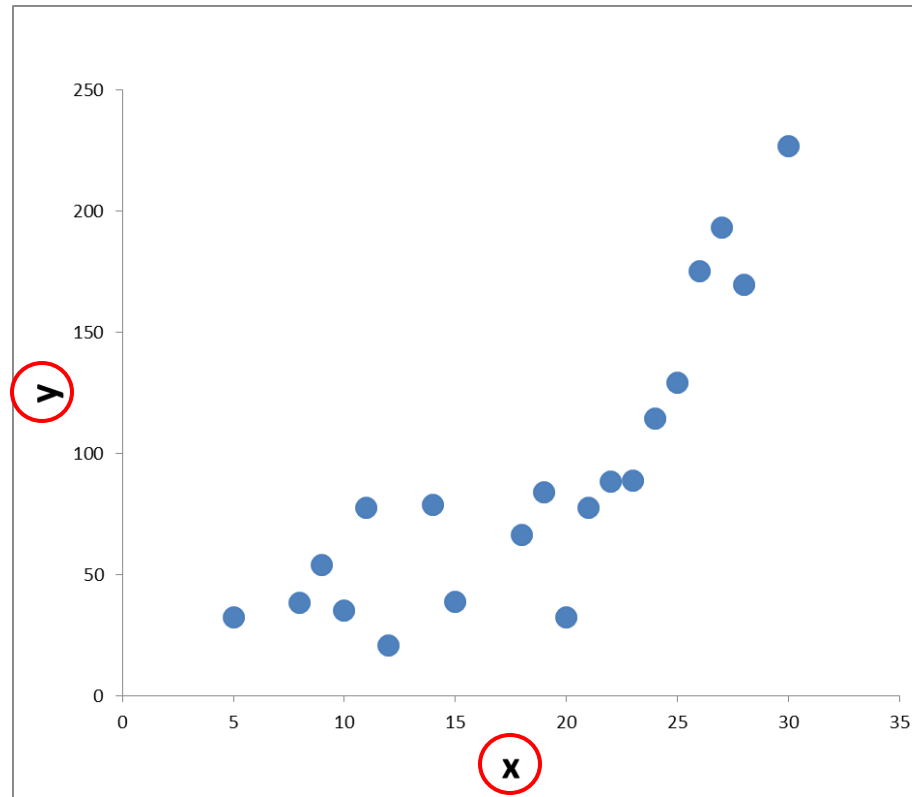
Requires a response, popularly denoted by **y** and at least one feature, denoted by **x**

How Does it Work?



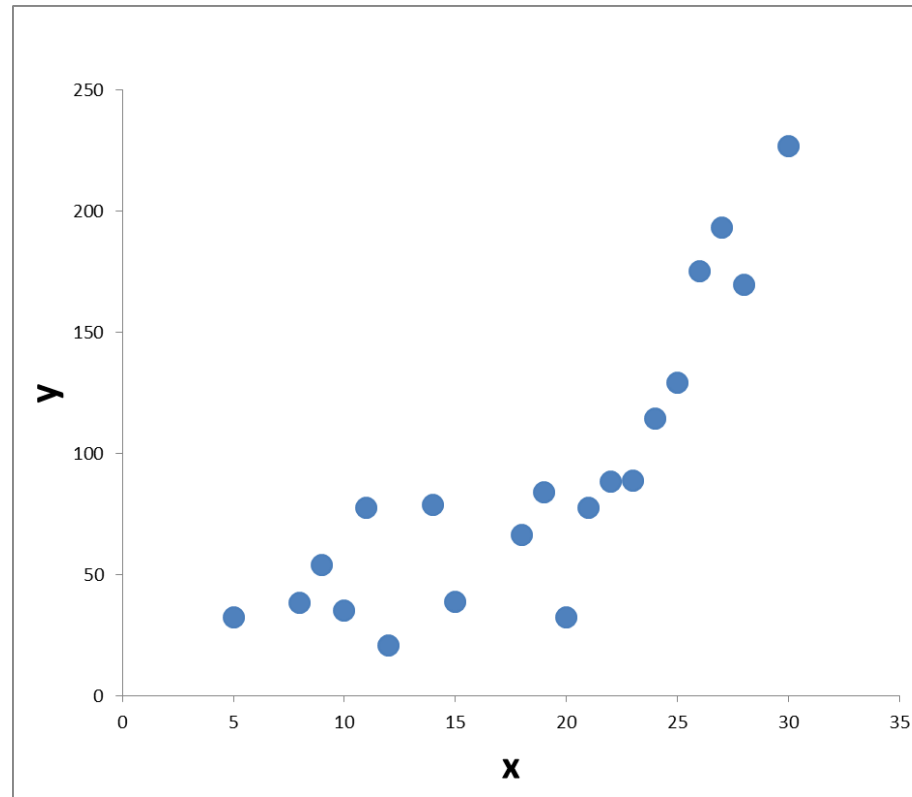
As x increases, the value of y tends to increase

How Does it Work?



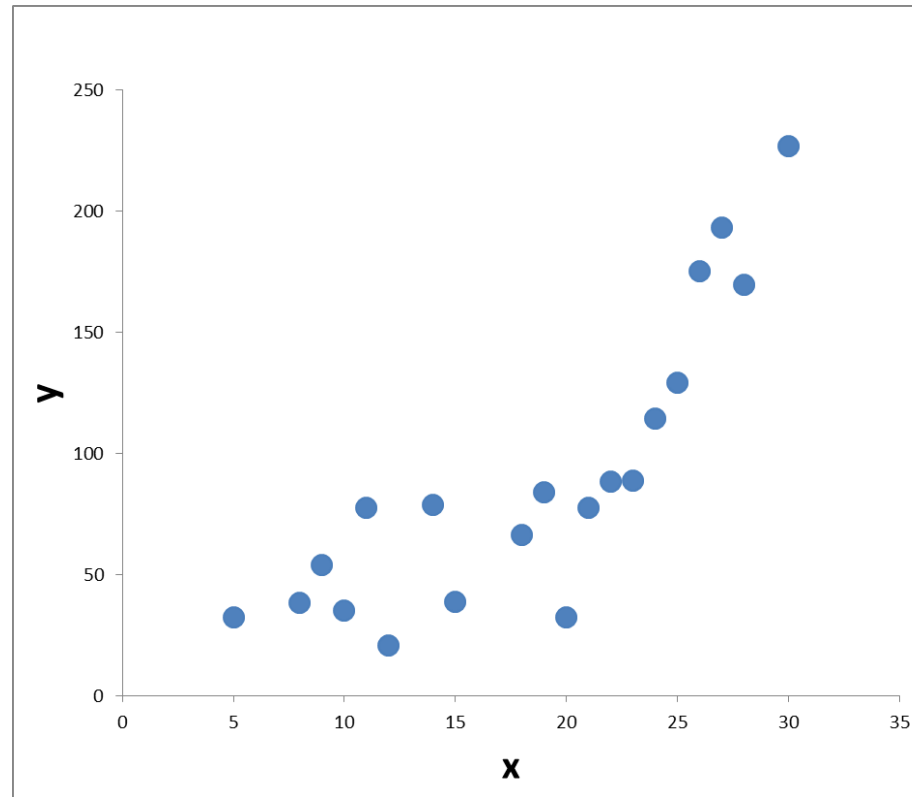
The exact relationship between the 2 variables is not known

How Does it Work?



The task for the computer is to find something that approximates the true relationship

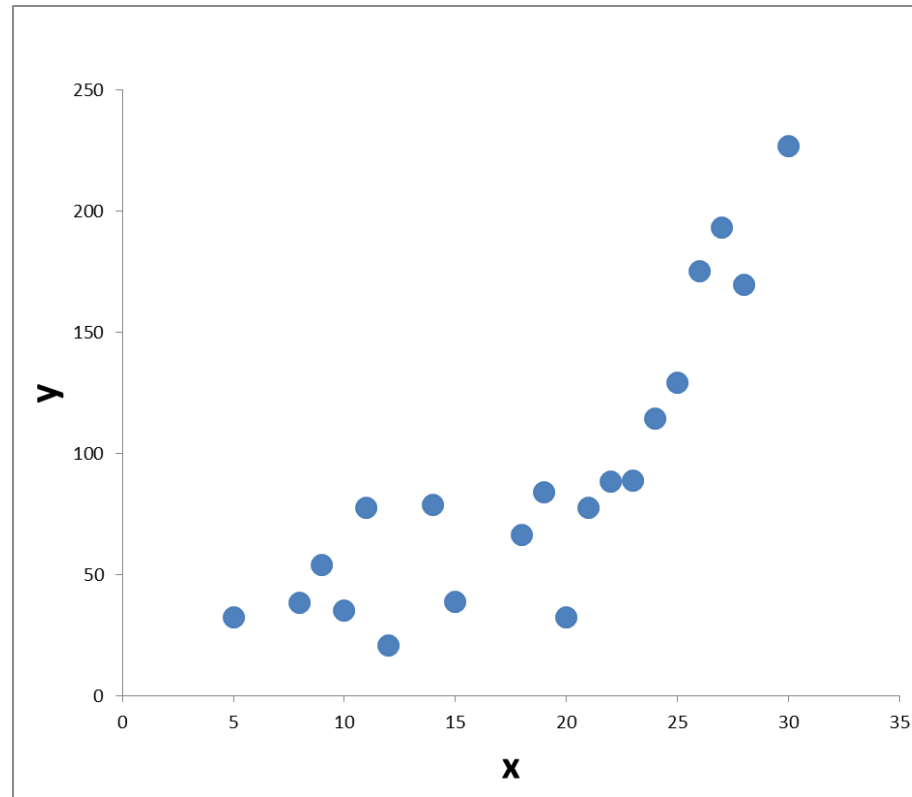
How Does it Work?



Finding a function capital **F** that best describes the data

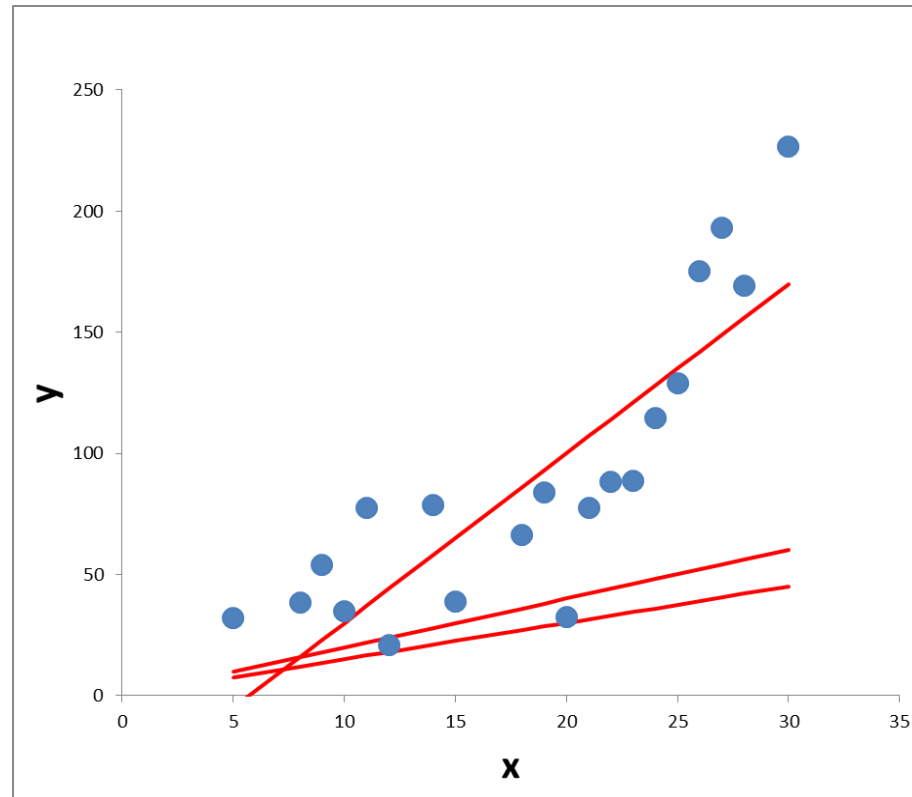


How Does it Work?



F can have many forms that are not necessarily algebraic

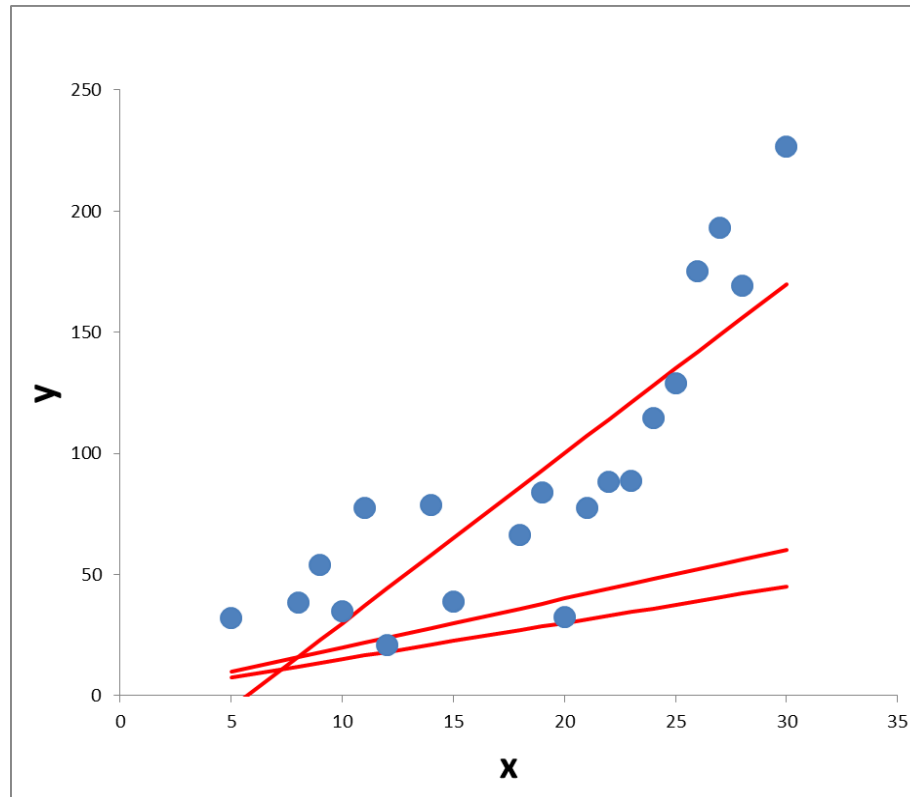
How Does it Work?



Assumption: F is linear

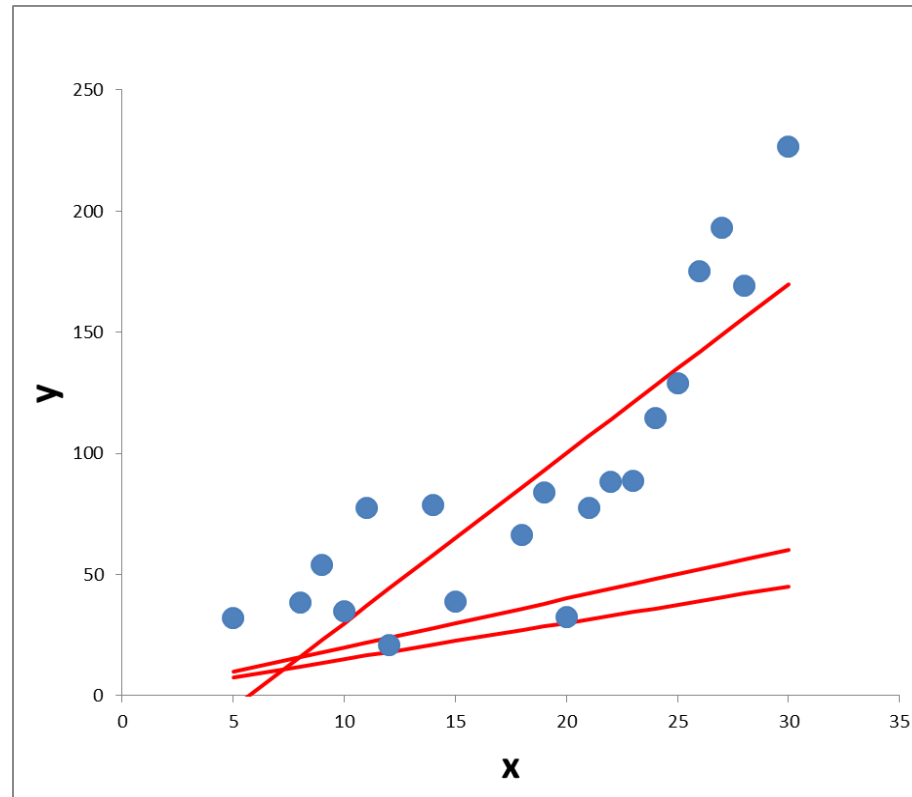


Machine Learning Algorithm



Equation: $y = a + bx$
Therefore, $F(x) = a + b x$

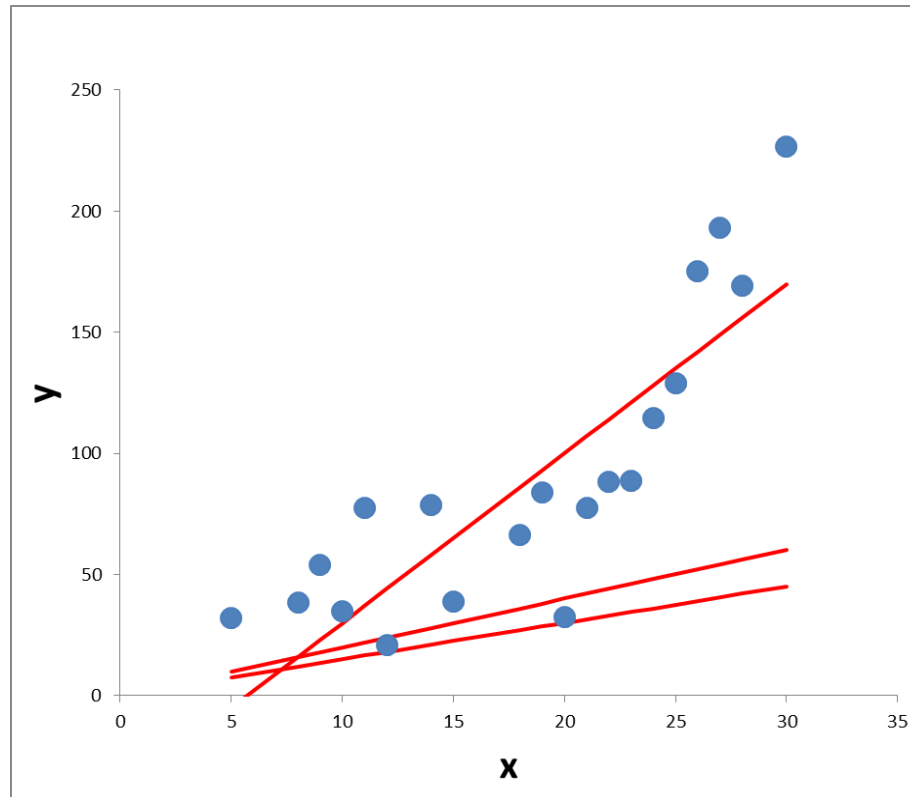
Machine Learning Algorithm



Finding the straight line that best describes the given data



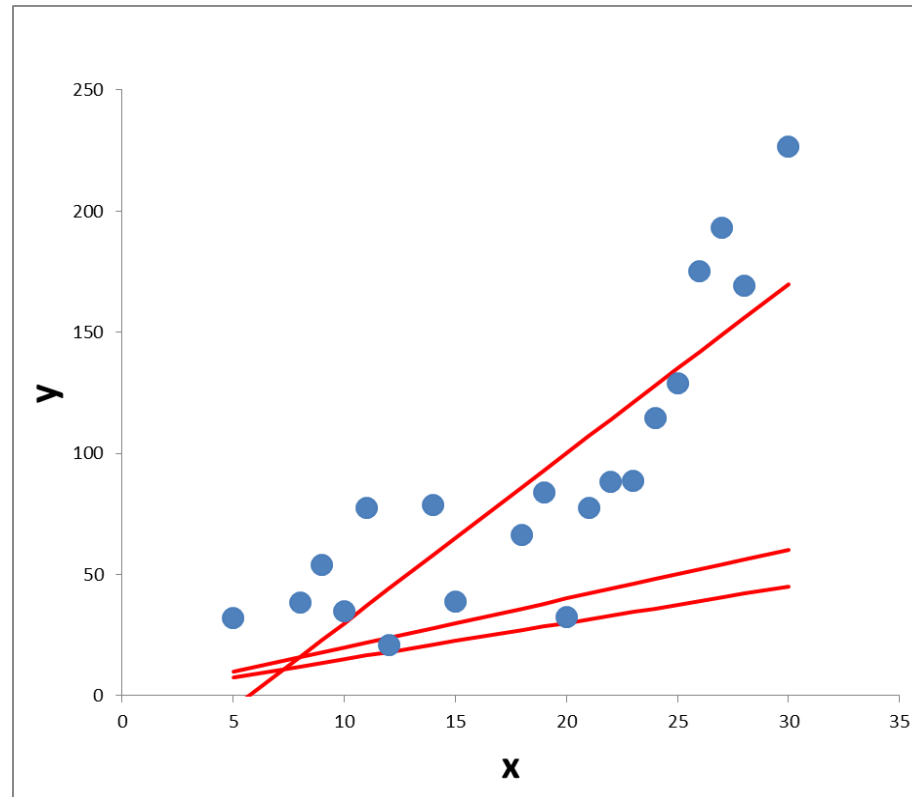
Machine Learning Algorithm



There are many red lines possible that seem to pass through the data



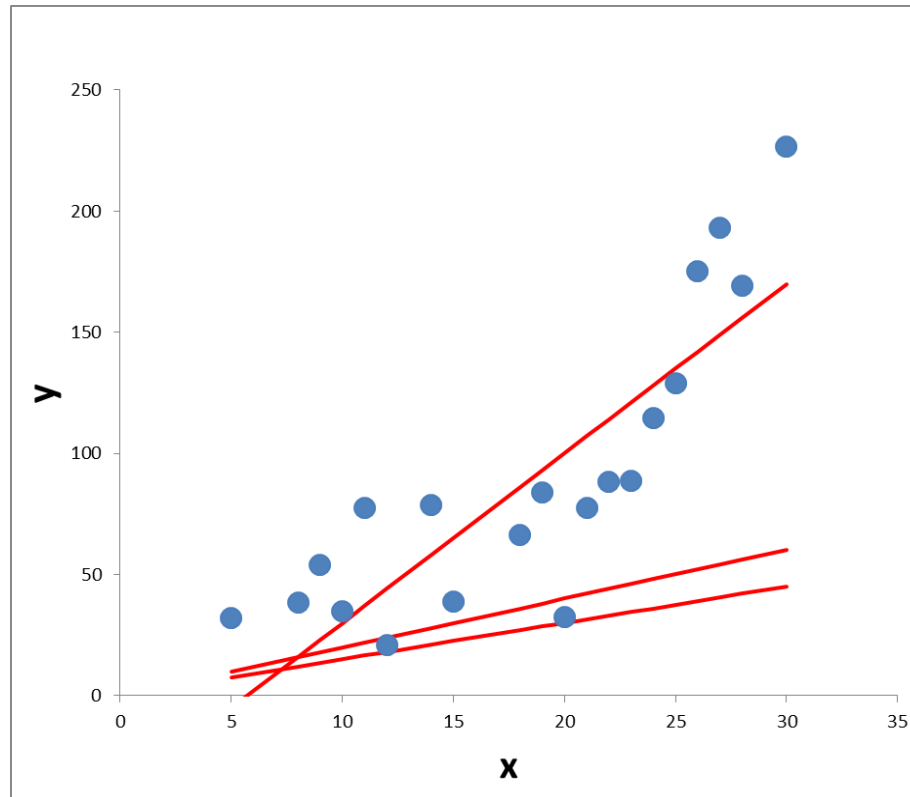
Machine Learning Algorithm



All are not equally good!

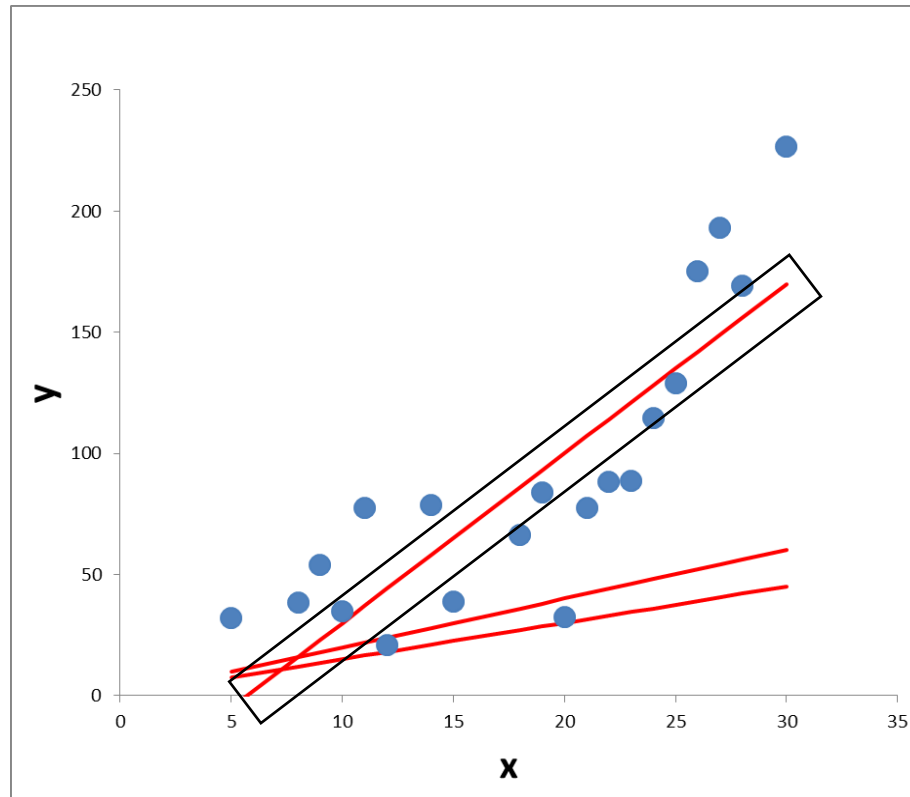


Machine Learning Algorithm



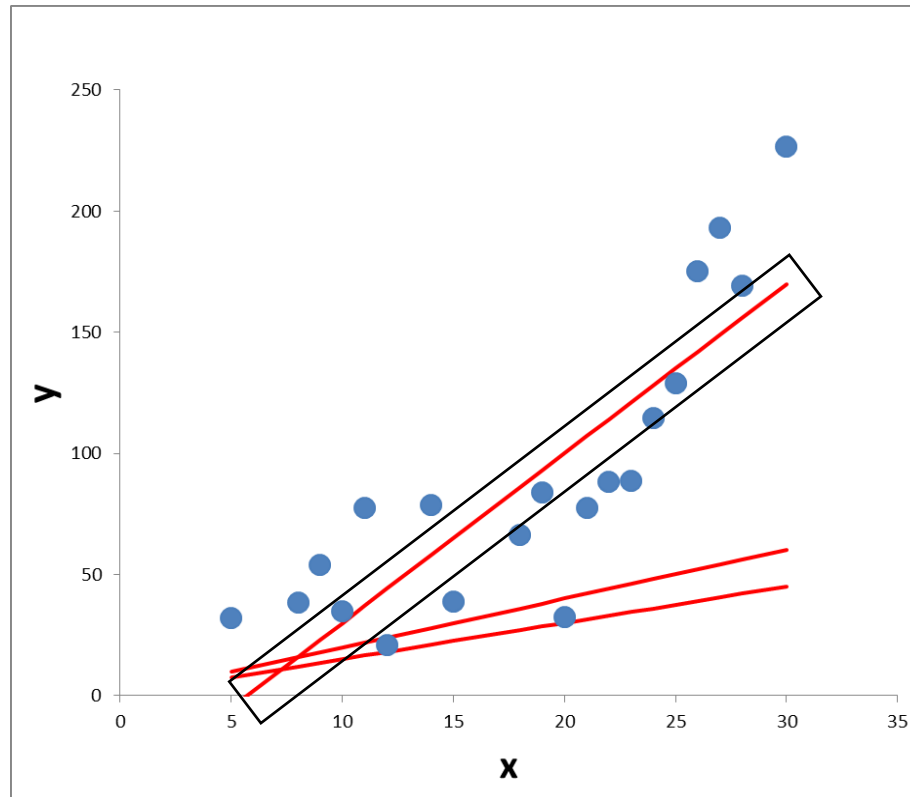
2 lines pass through the outside of the data boundary, 1 line passes through the middle of the data

Machine Learning Algorithm



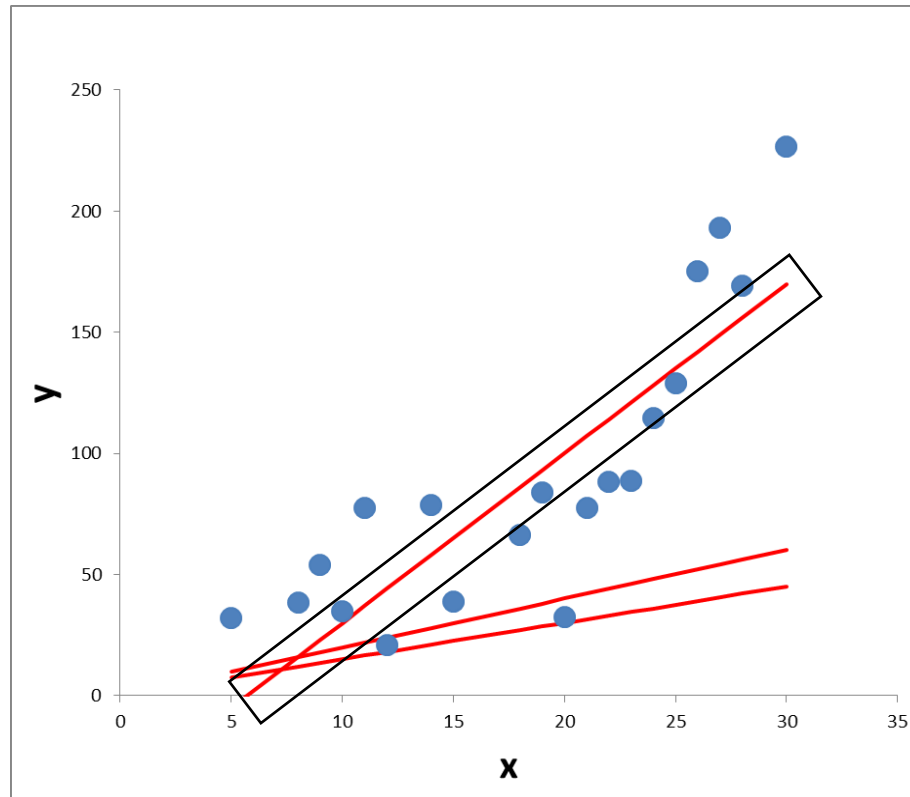
2 lines pass through the outside of the data boundary, 1 line passes through the middle of the data

Machine Learning Algorithm



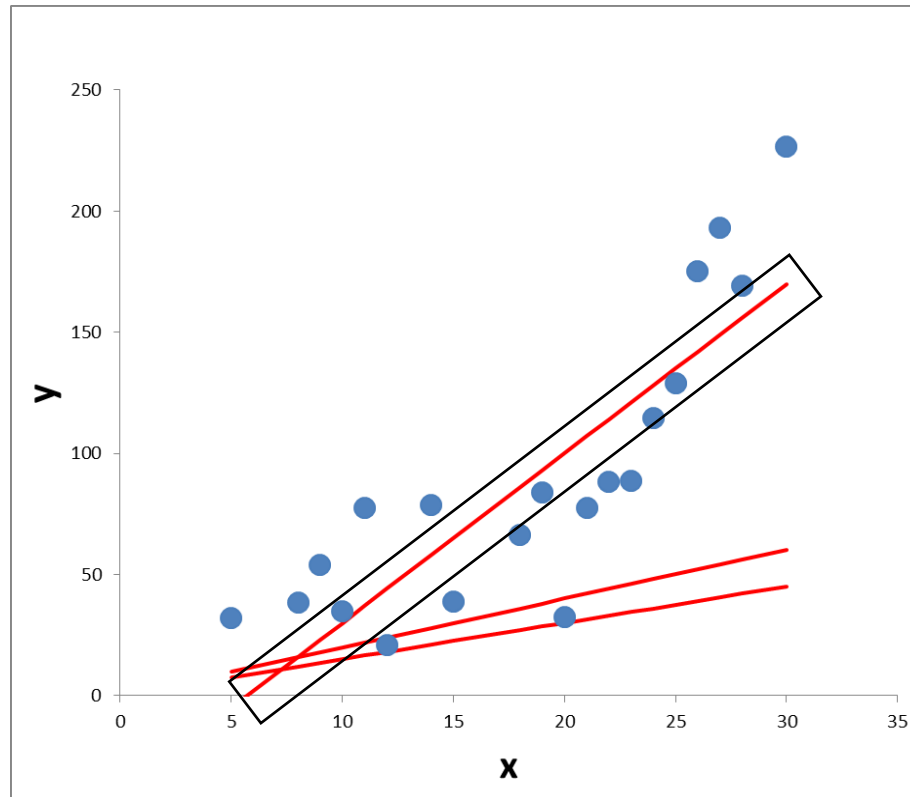
Why do you think that this line better summarizes the data than the other 2 lines?

Machine Learning Algorithm



Given these lines, how does the computer find the best line?

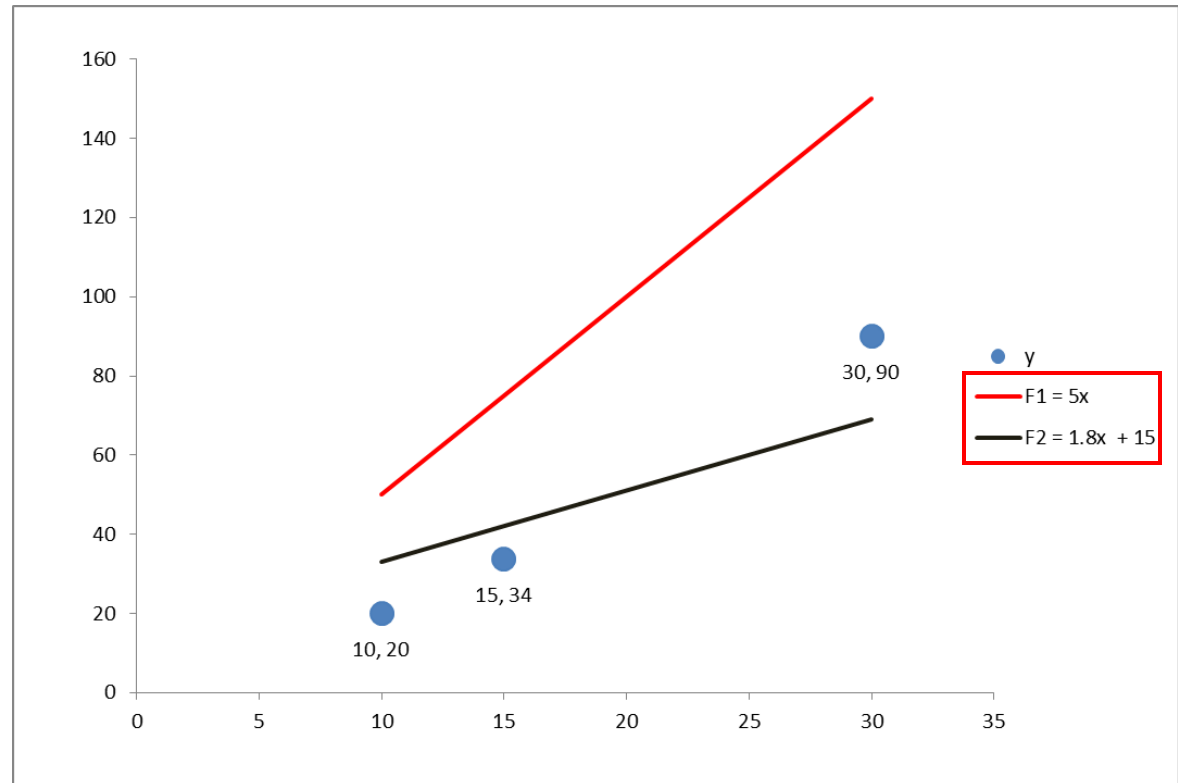
Machine Learning Algorithm



Define an error for each line; compute how much error each line makes

Linear Regression

x	y
10	20
15	34
30	90

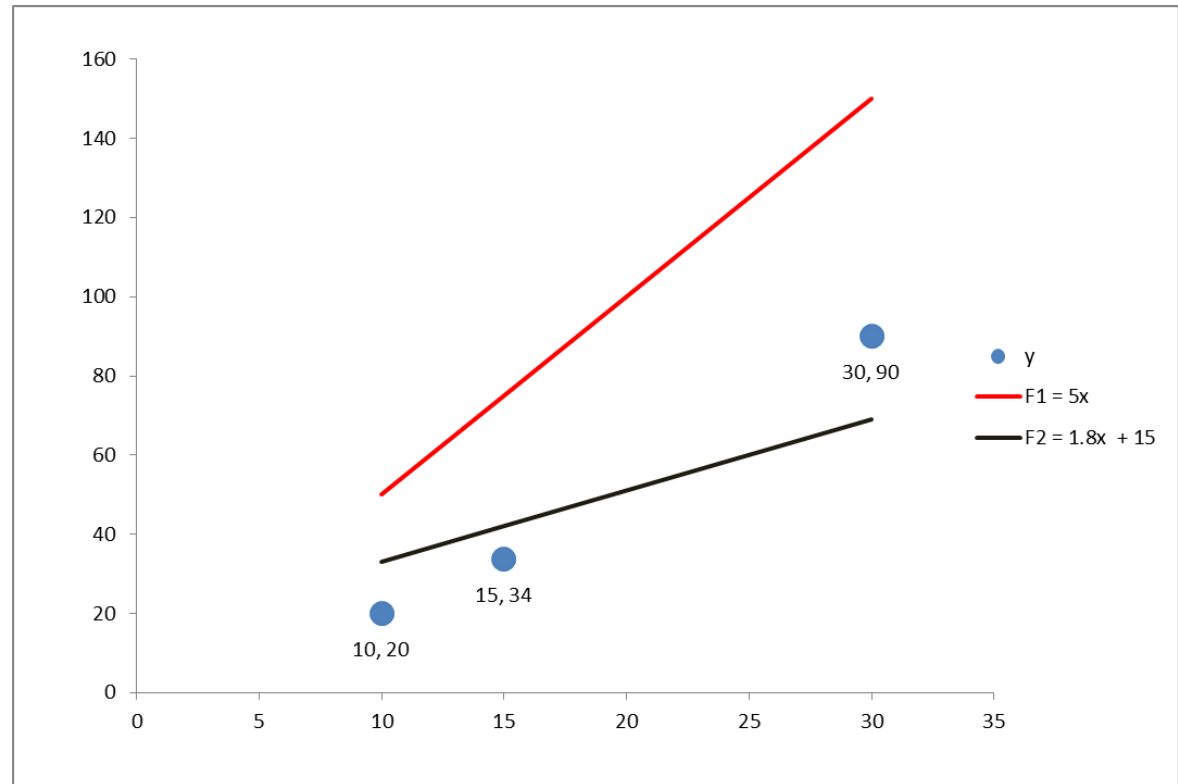


There are 2 functions **F1** and **F2** that act as candidate lines for summarizing the data

Linear Regression

x	y
10	20
15	34
30	90

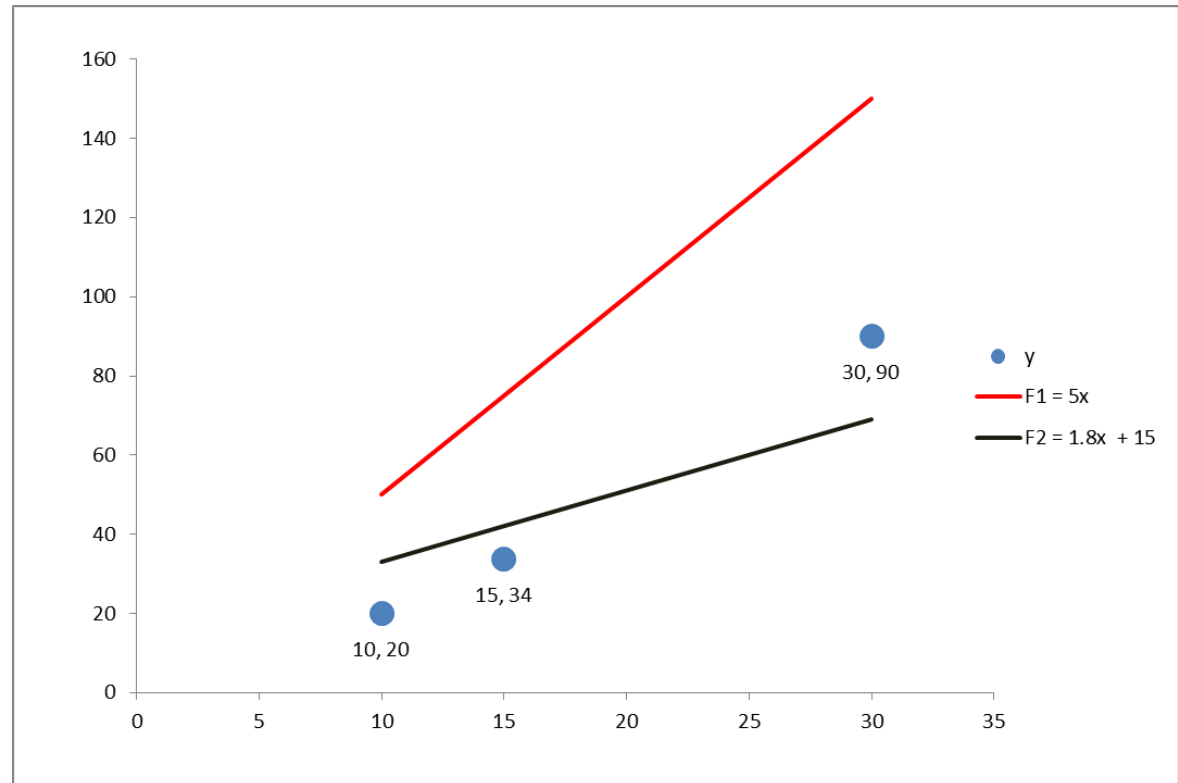
Plotting the data points
along straight lines



Linear Regression

x	y
10	20
15	34
30	90

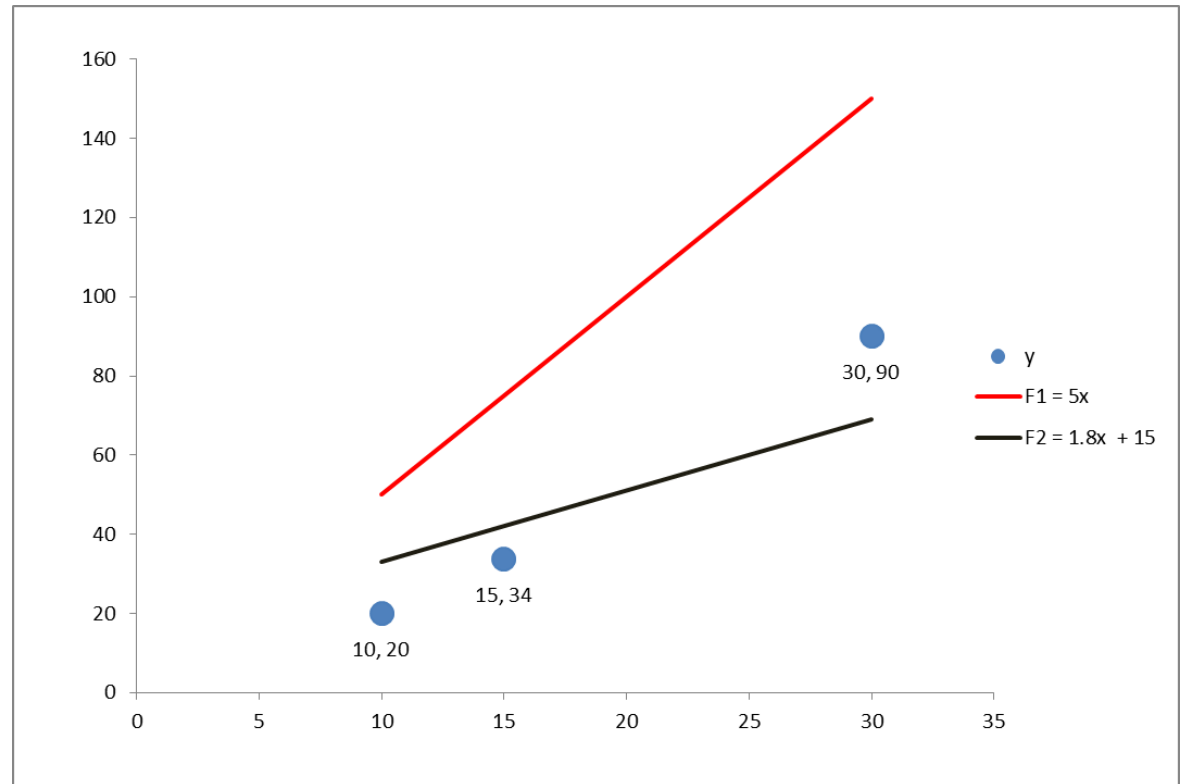
F2 is a better representation of data than **F1**



Linear Regression

x	y
10	20
15	34
30	90

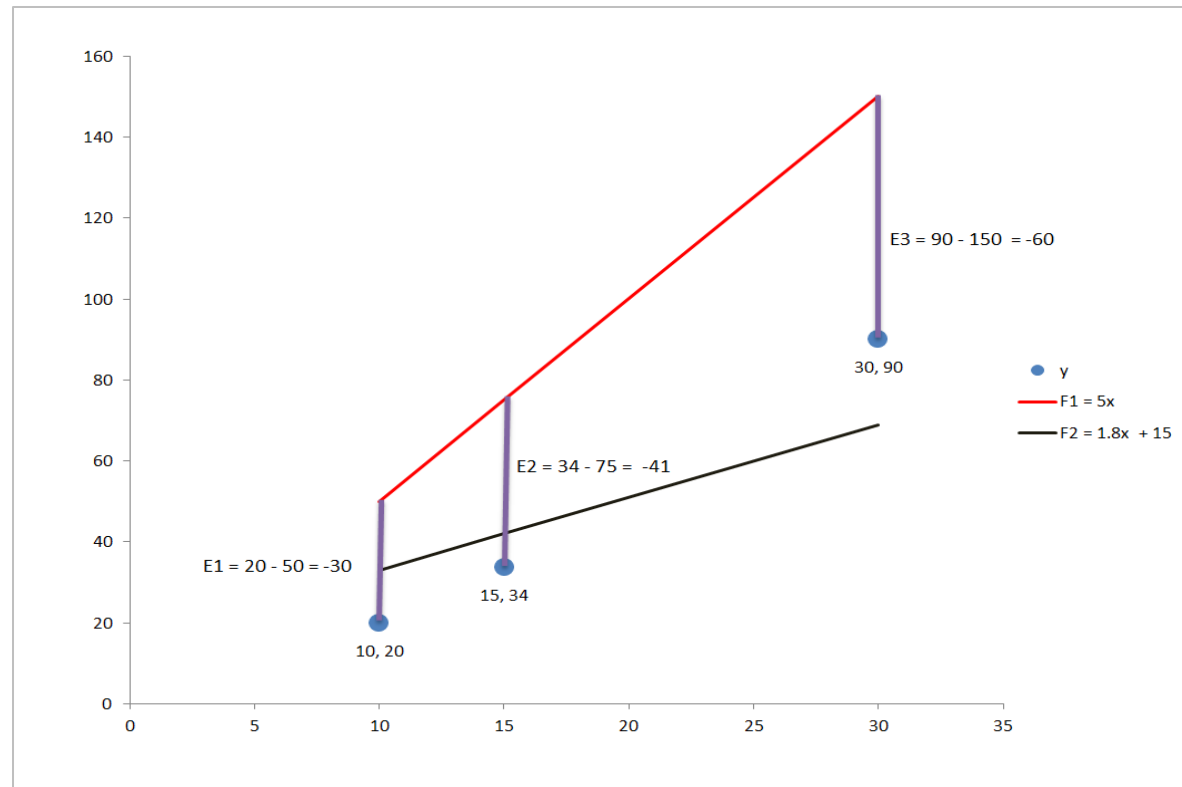
The computer needs to calculate how much error each line makes while summarizing the data



Calculating Errors

x	y
10	20
15	34
30	90

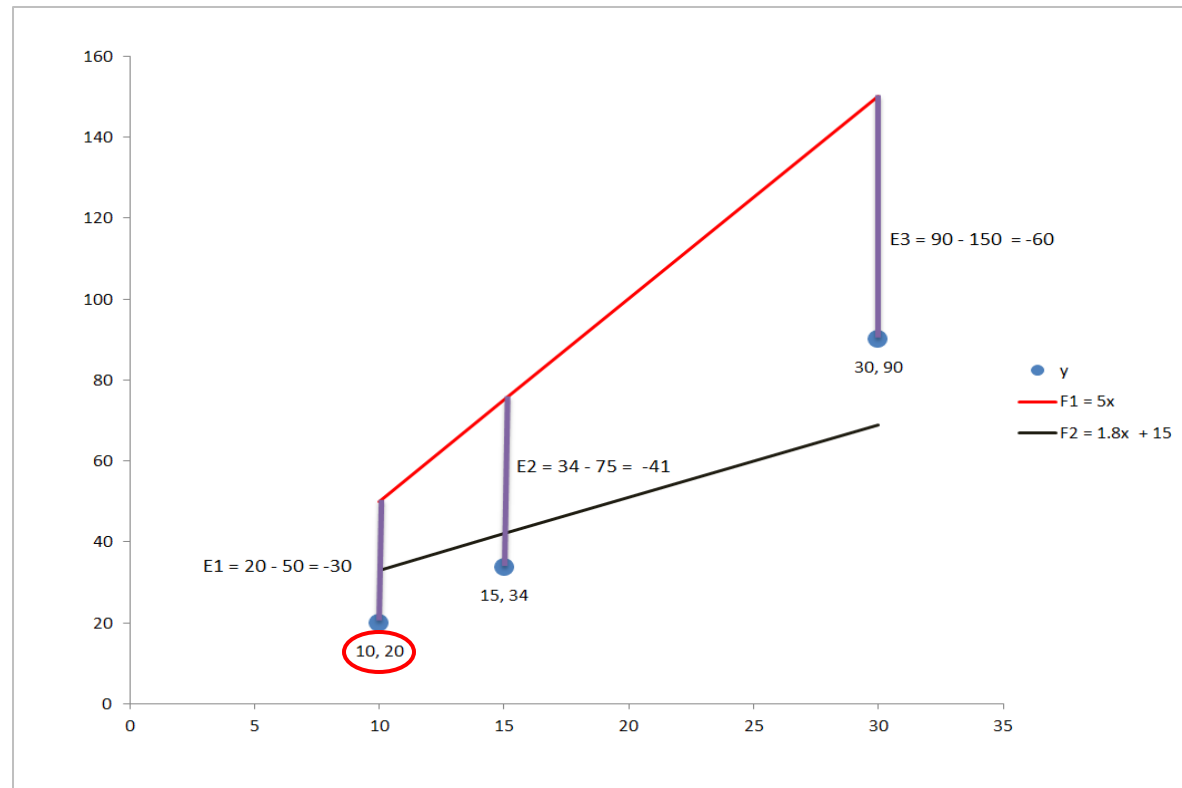
The error measure calculates vertical distance from points in the line to the data points



Calculating Errors

x	y
10	20
15	34
30	90

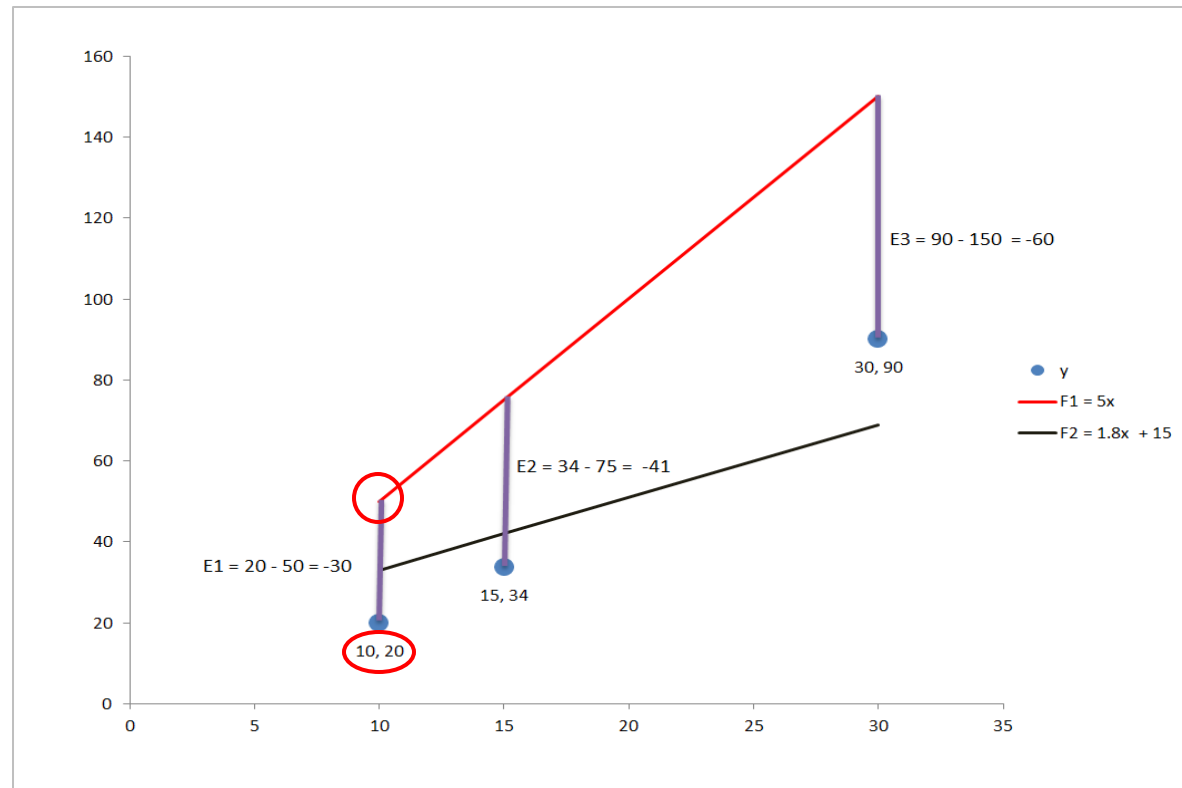
The error measure calculates vertical distance from points in the line to the data points



Calculating Errors

x	y
10	20
15	34
30	90

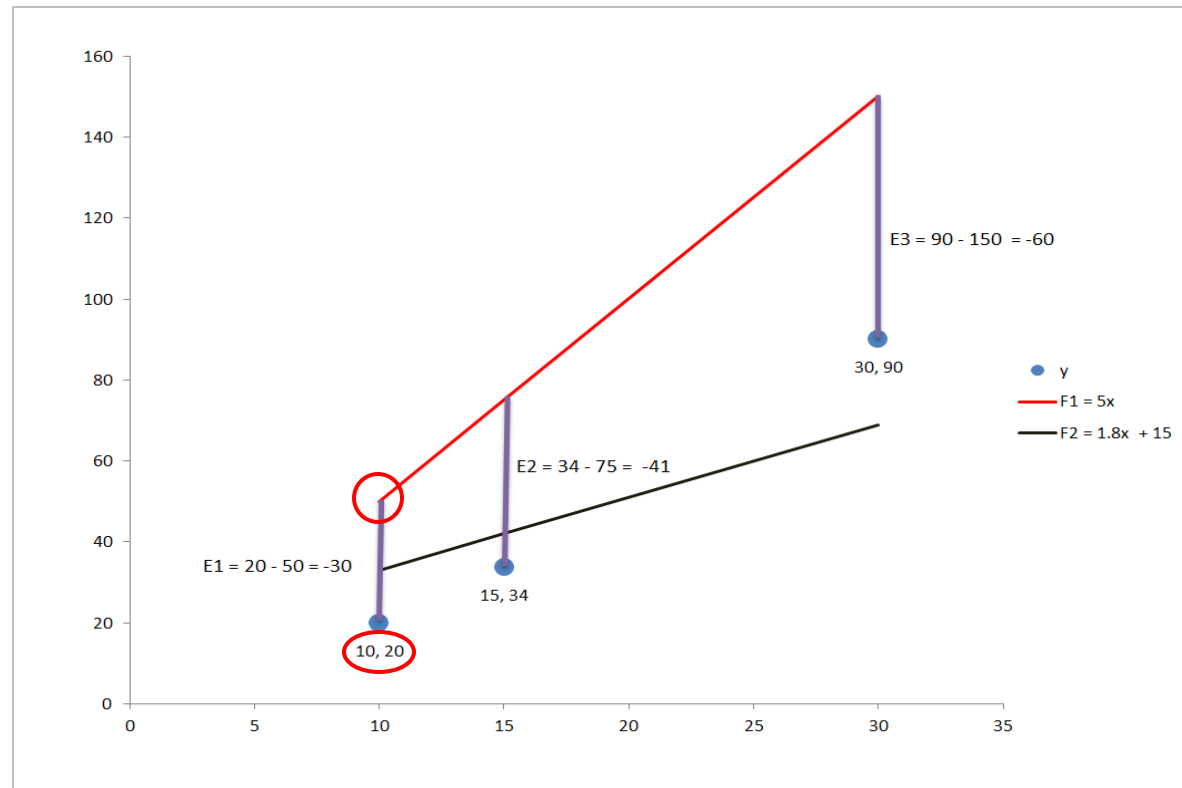
The function **F1** which is 5 times of **x**, puts the line at **50** on the **y** axis



Calculating Errors

x	y
10	20
15	34
30	90

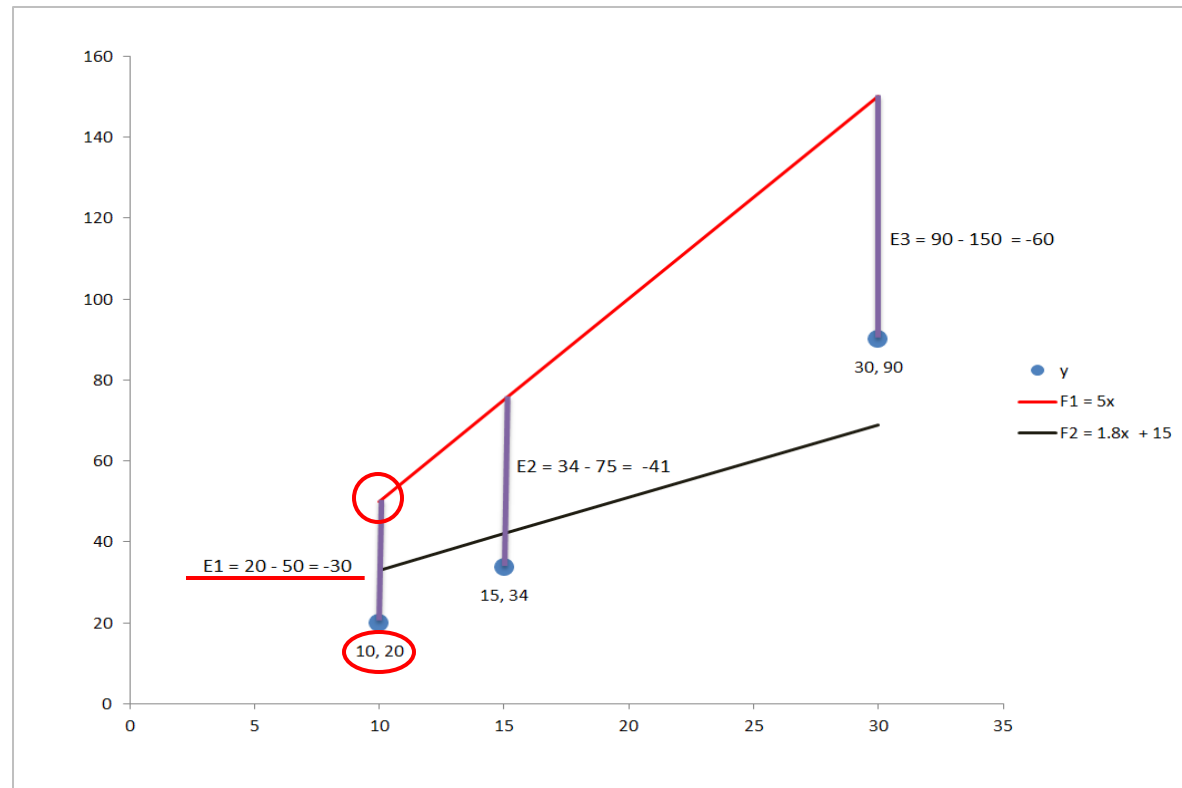
This according to **F1** is the expected value of **y** when **x** is equal to **10**



Calculating Errors

x	y
10	20
15	34
30	90

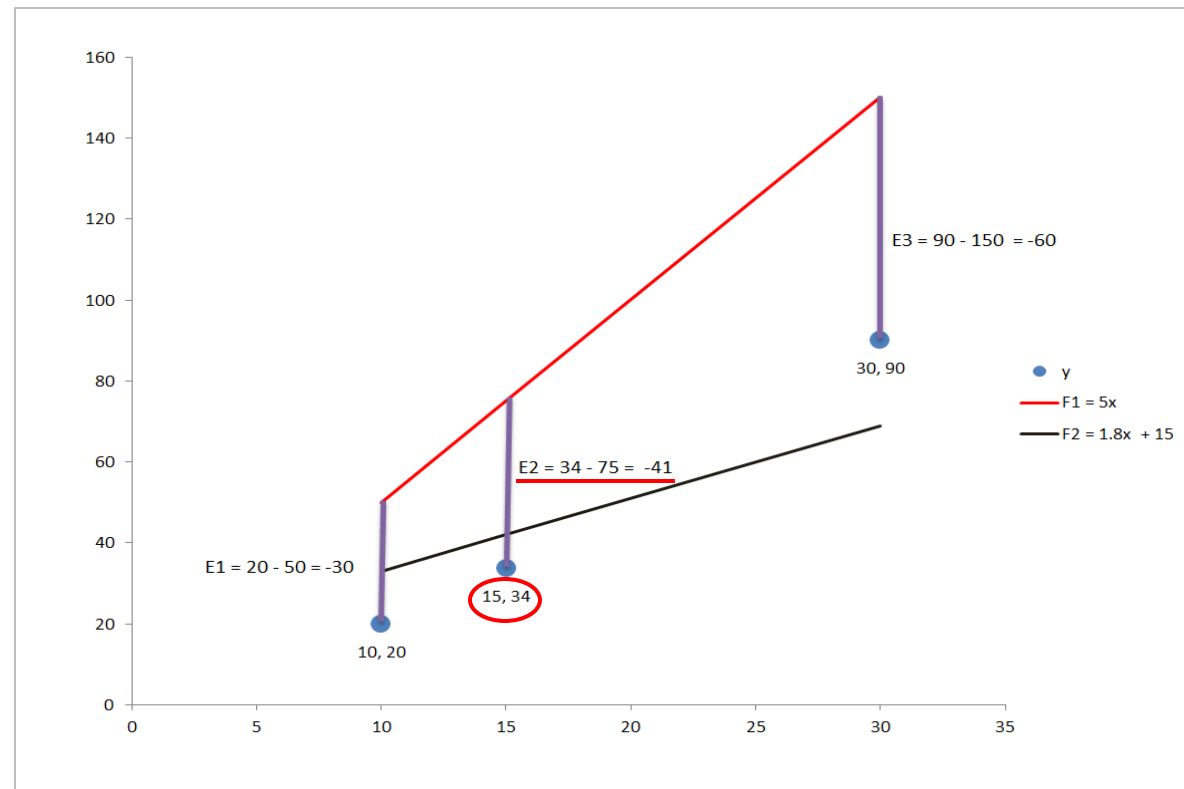
The error the line makes for the first point is the difference between the observed **y** and the expected **y**



Calculating Errors

x	y
10	20
15	34
30	90

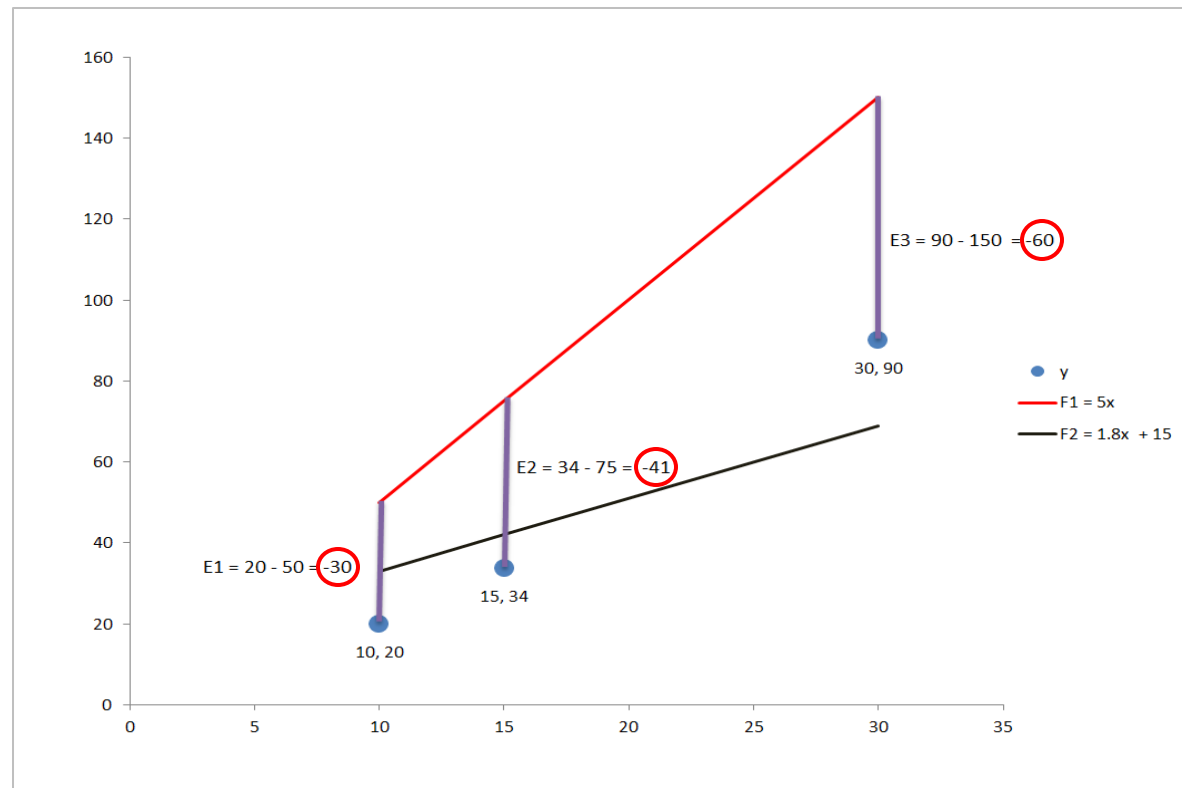
The error for the second point **15, 34** is **-41**



Calculating Errors

x	y
10	20
15	34
30	90

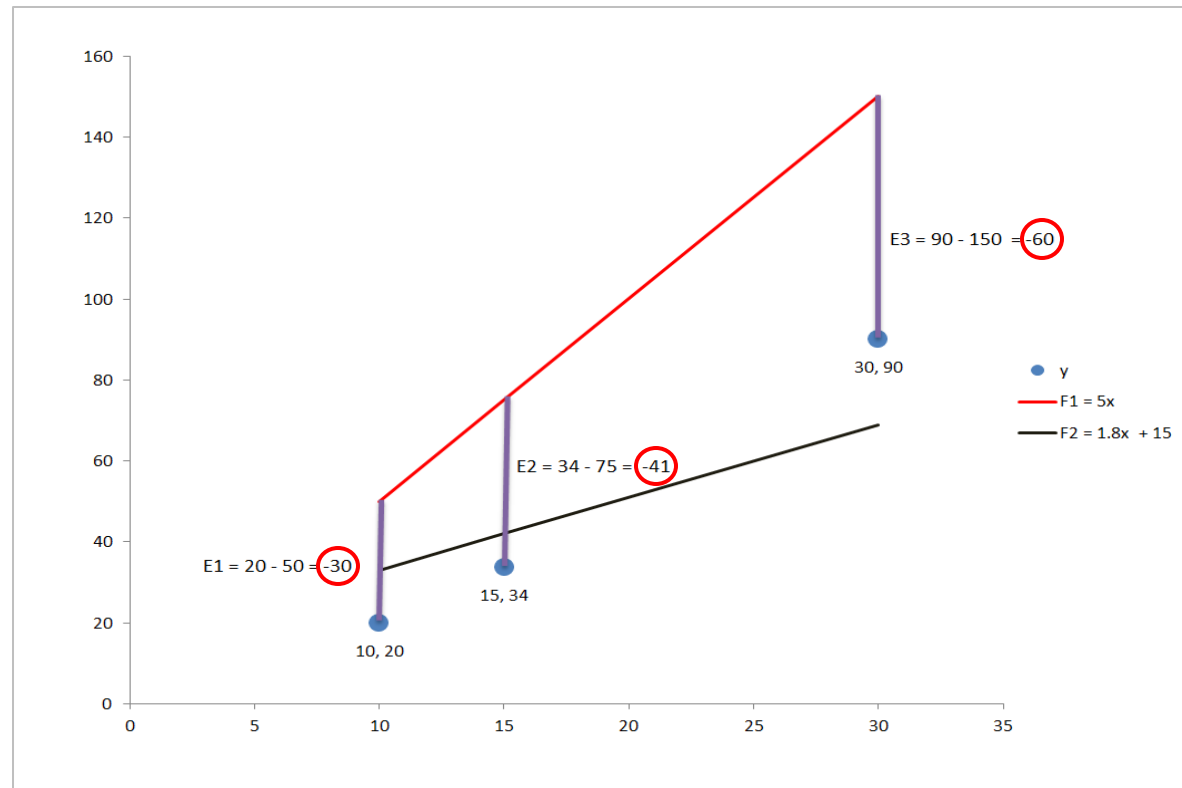
Sum up errors for all points to get the total error that line **F1** makes over entire data



Calculating Errors

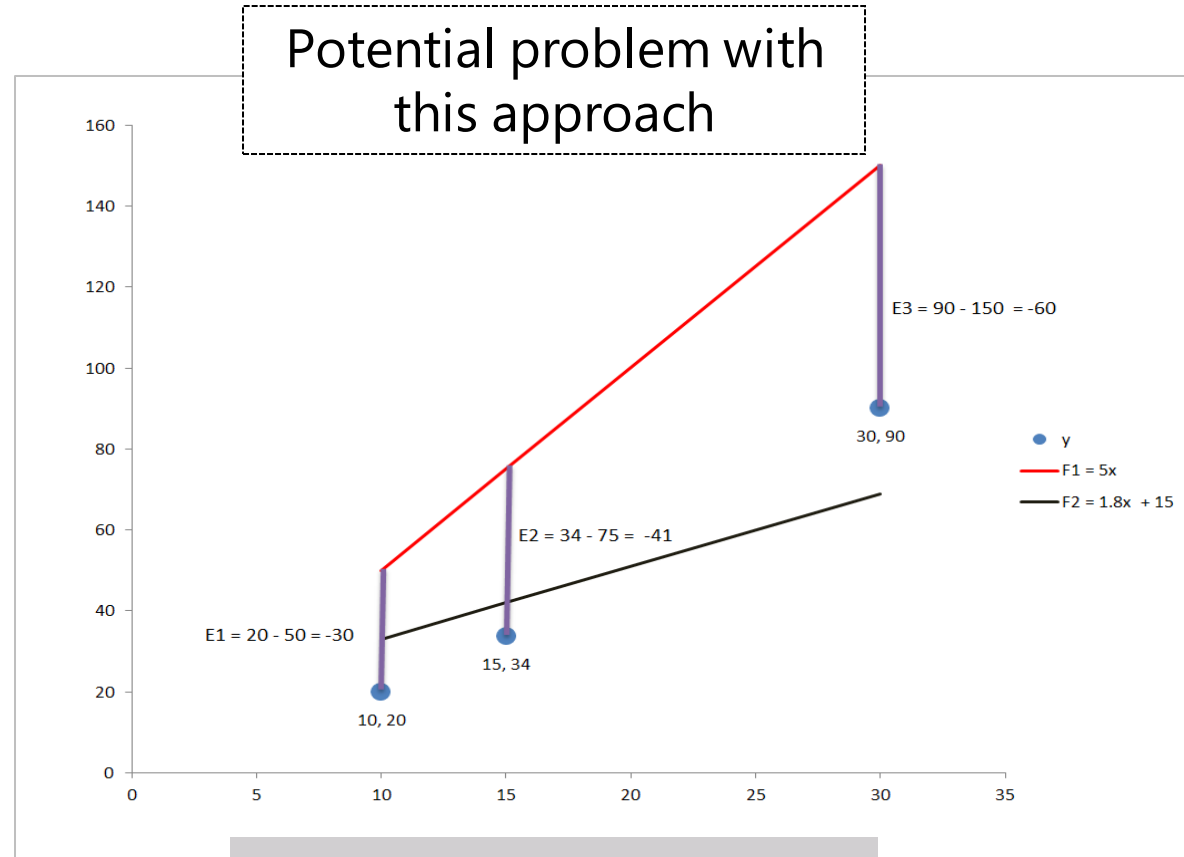
x	y
10	20
15	34
30	90

Total error for **F1**
 $= E1 + E2 + E3$
 $= -30 - 41 - 60 = \underline{-131}$



Calculating Errors

x	y
10	20
15	34
30	90



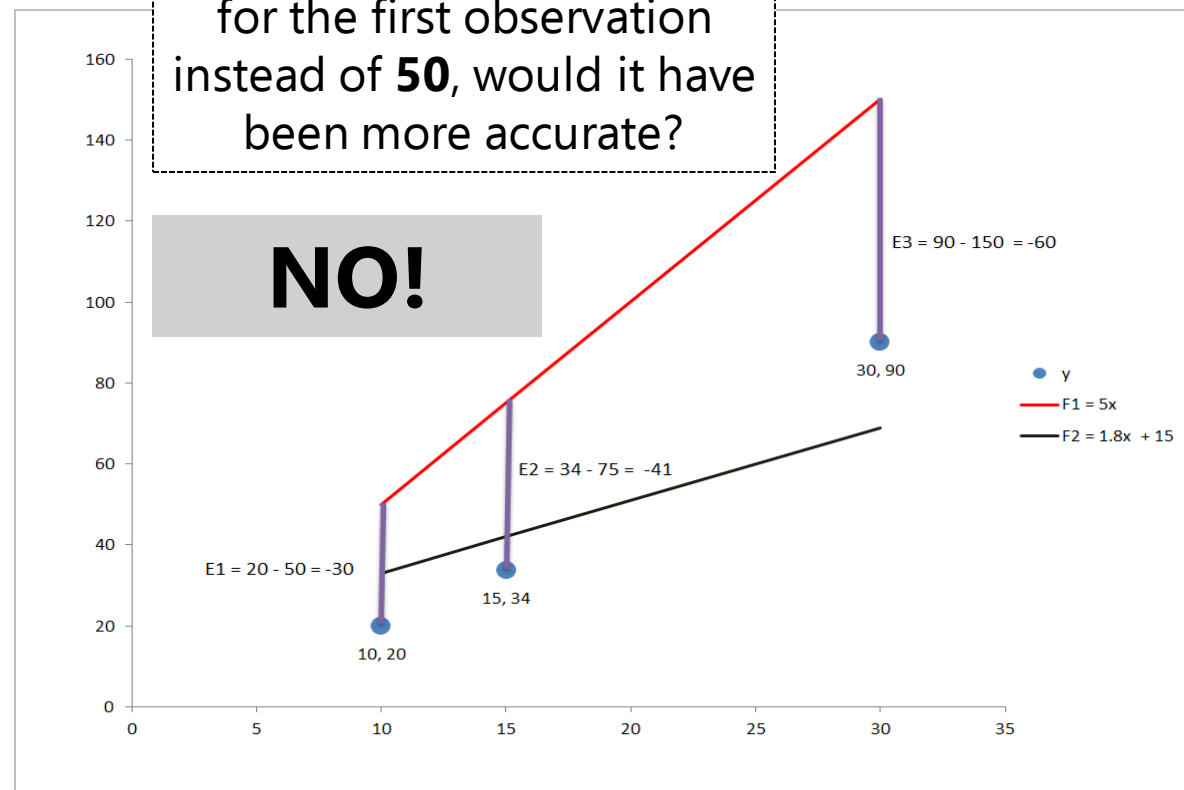
Distinguishes between negative and positive error

Calculating Errors

x	y
10	20
15	34
30	90

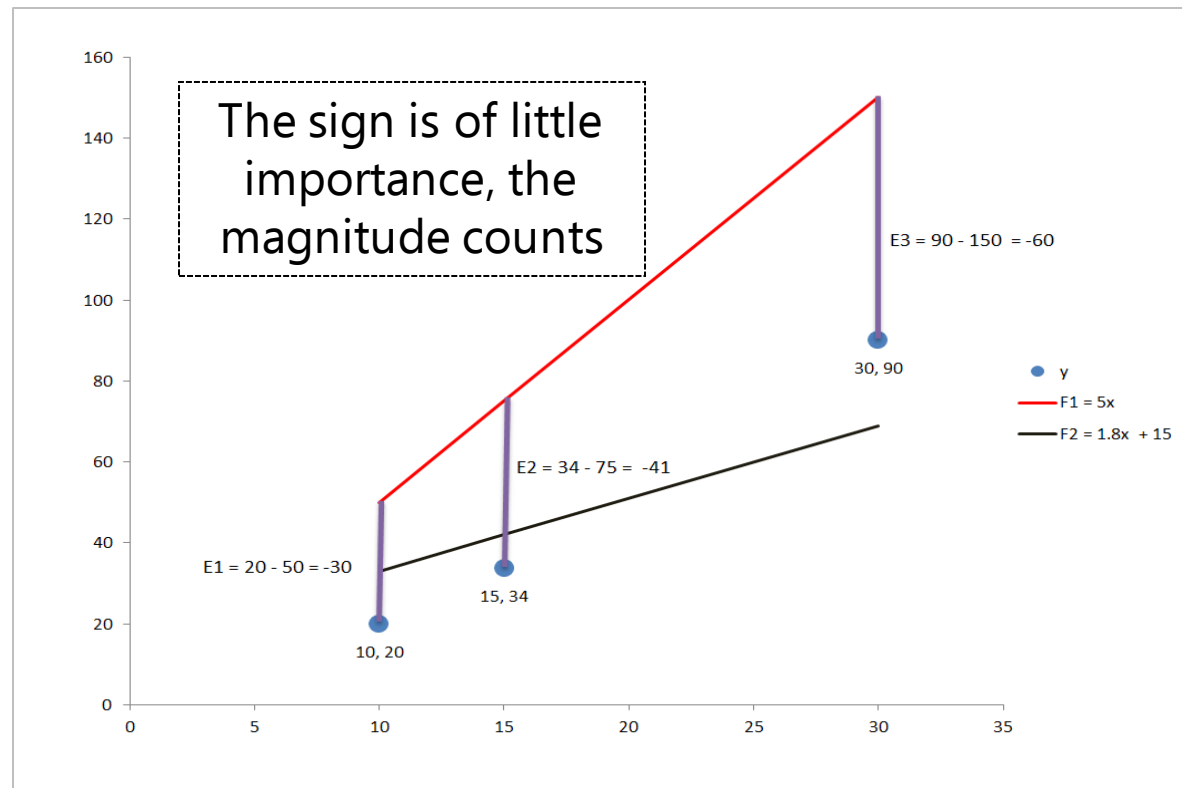
Had the line predicted **-10** instead of **50**, would it have been more accurate?

NO!



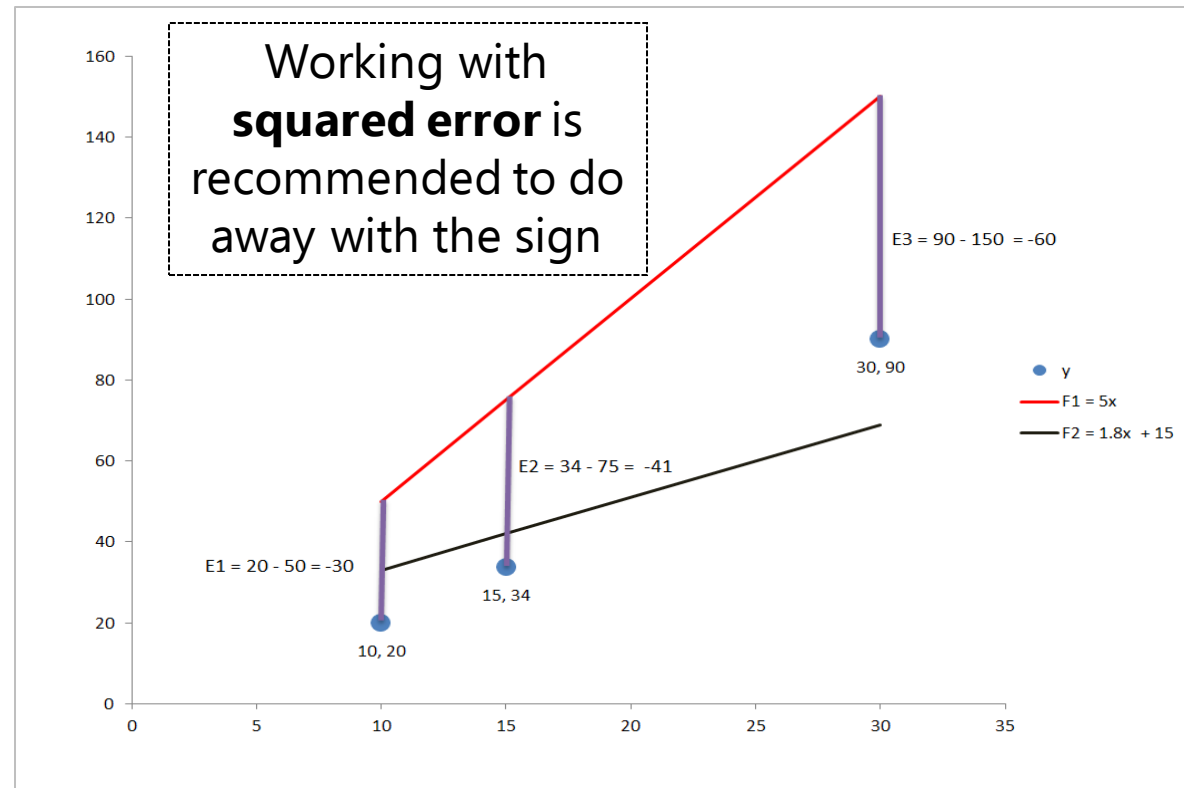
Calculating Errors

x	y
10	20
15	34
30	90



Calculating Errors

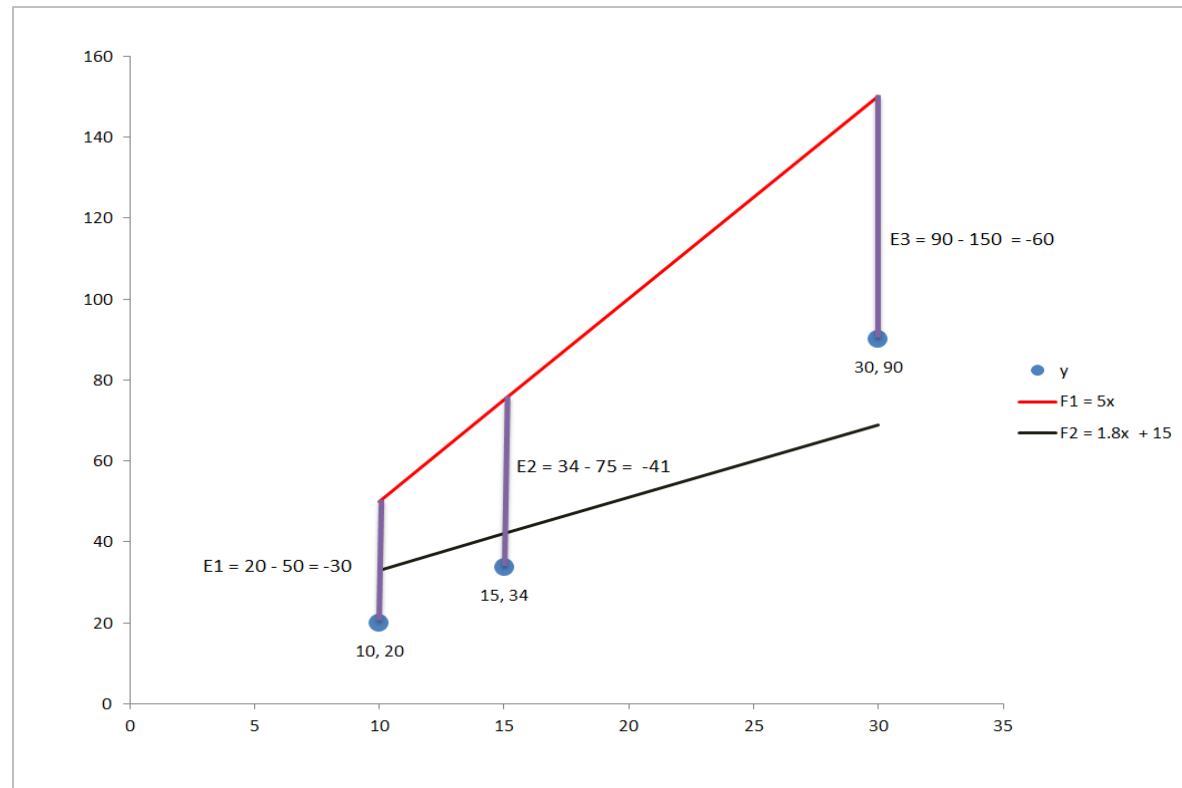
x	y
10	20
15	34
30	90



Calculating Errors

x	y
10	20
15	34
30	90

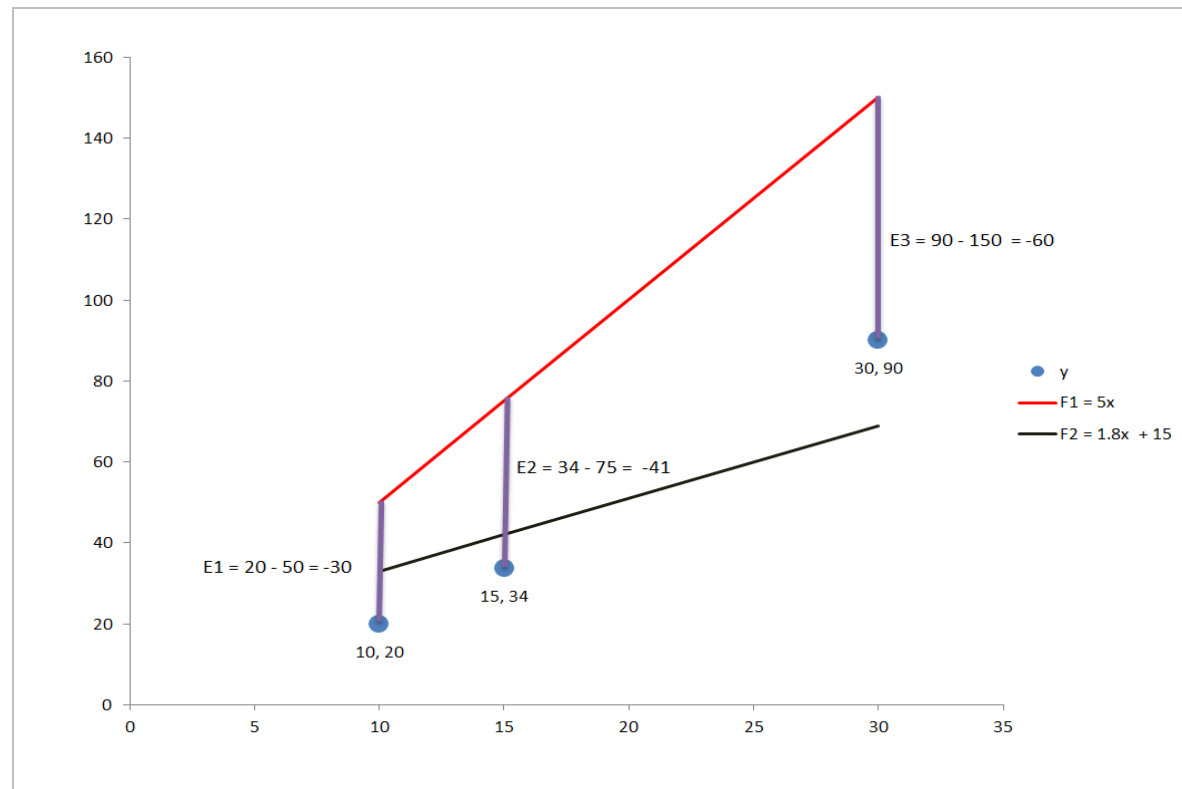
Calculate the error for each point made by the line



Calculating Errors

x	y
10	20
15	34
30	90

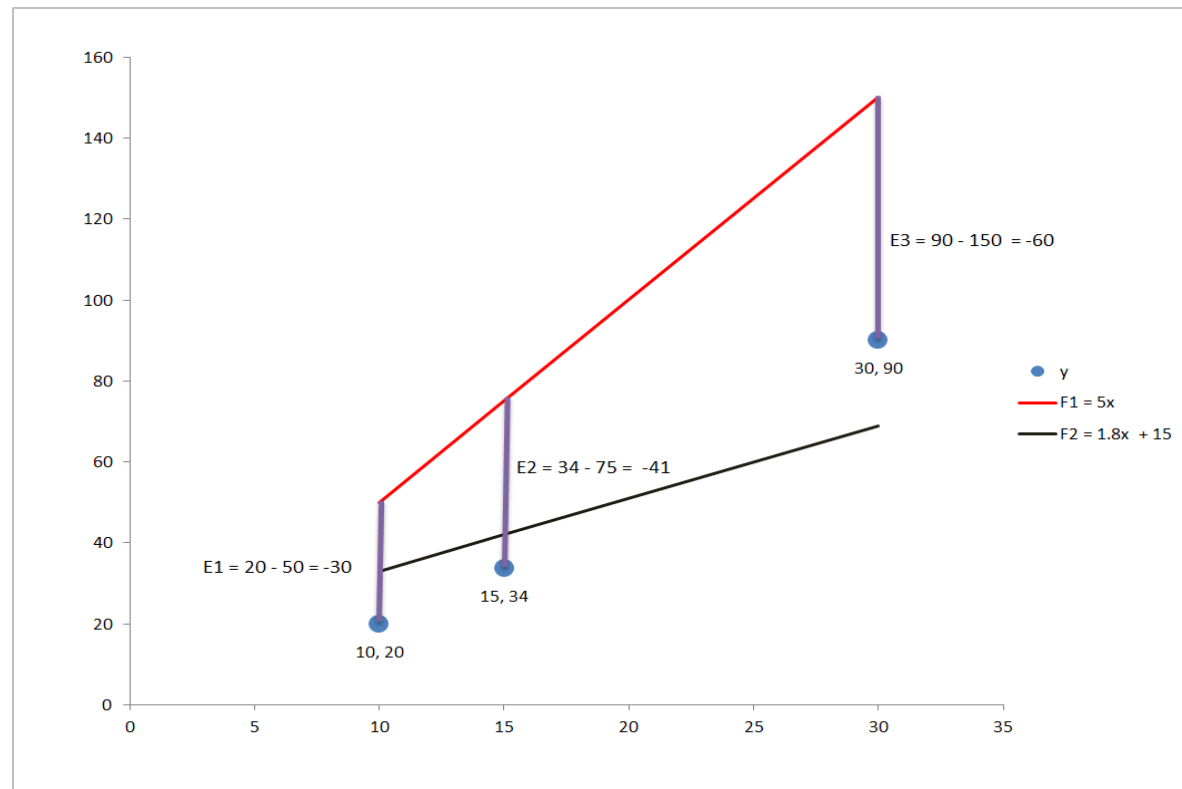
Take the squares and sum them up to get the total squared error made by the line **F1** equals **5** times **x** in summarizing the given data



Calculating Errors

x	y
10	20
15	34
30	90

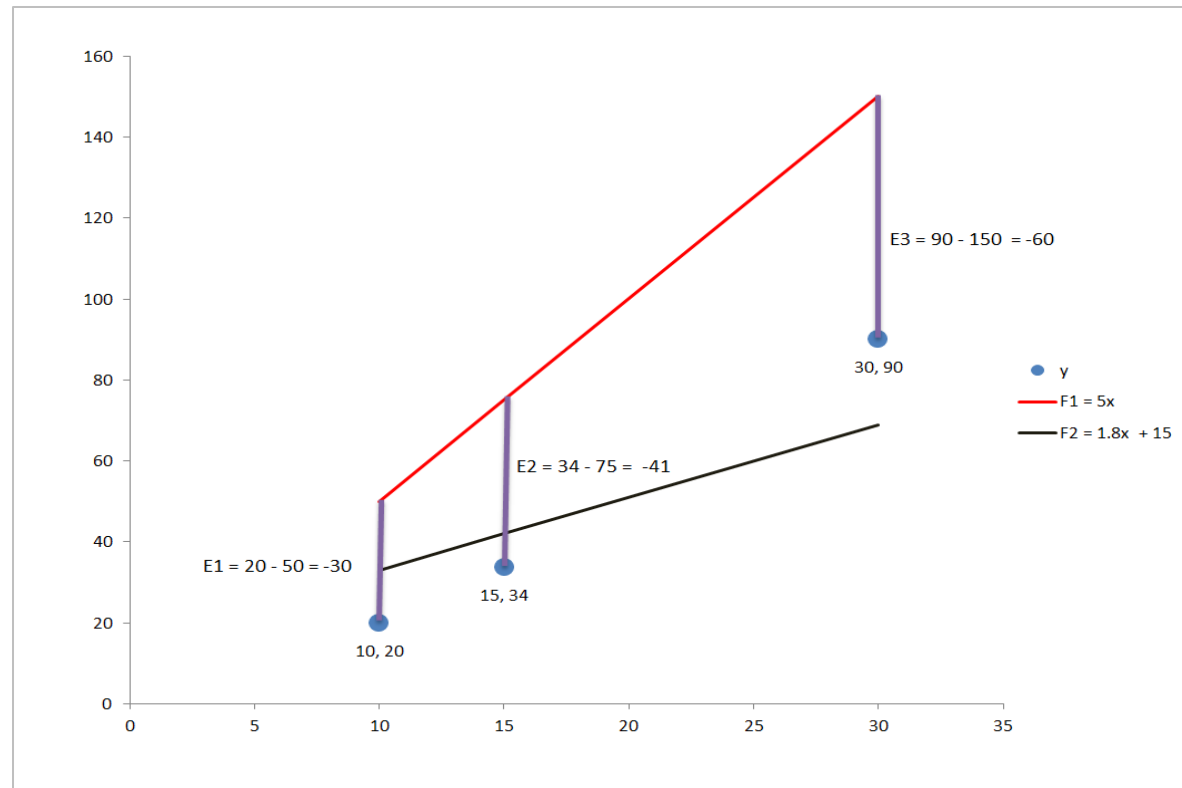
A prediction of **-10** and **50** for the first point with **x = 10**, both get a squared error of **900**, instead of **-30** and **+30** respectively



Calculating Errors

x	y
10	20
15	34
30	90

Total squared error for **F1**
 $= E_1^2 + E_2^2 + E_3^2$
 $= 900 + 1681 + 3600$
 $\sim \underline{\underline{6,181}}$



What We Have Learnt

Introduction to Machine Learning –
Definitions

Examples of Machine Learning in Real Life

Feature Engineering – Converting Raw Data
to Meaningful Information

Types of Tasks Performed in Machine
Learning

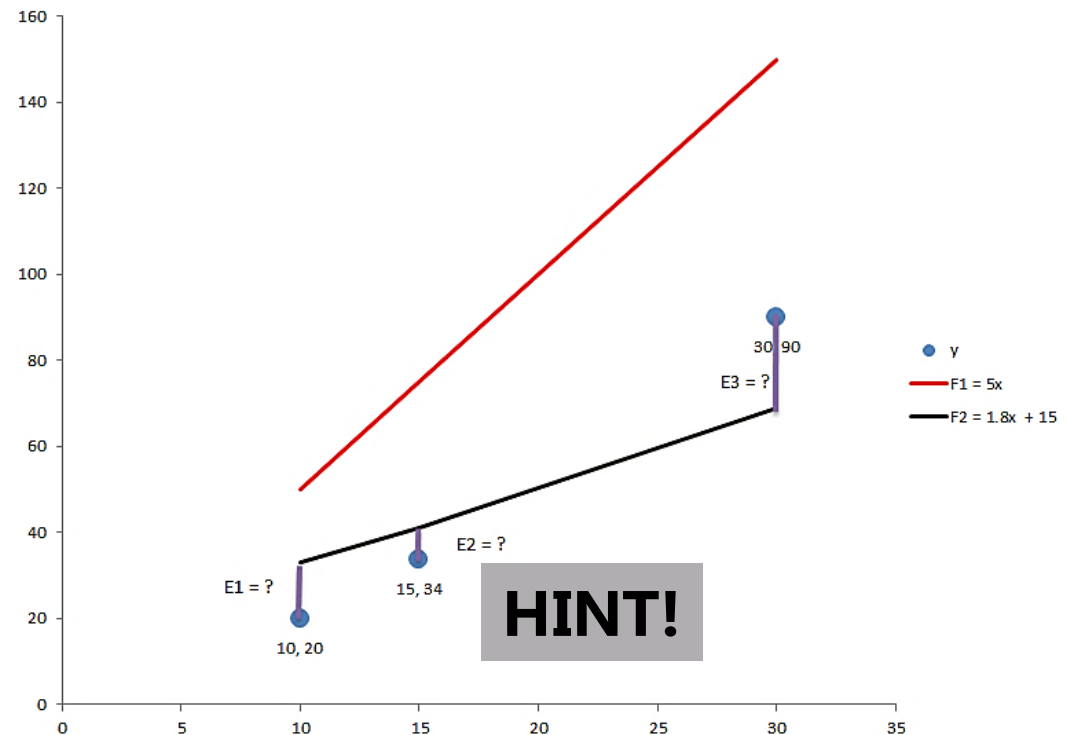
Quantify Error Made by an Algorithm in a Supervised
Learning Problem with a Continuous Response

Example – Error for an Algorithm Can be Manually
Calculated

Exercise

Calculate the total squared error made by the line F2

x	y	$F2 = 1.8x + 15$
10	20	33
15	34	41
30	90	69



Calculating Errors

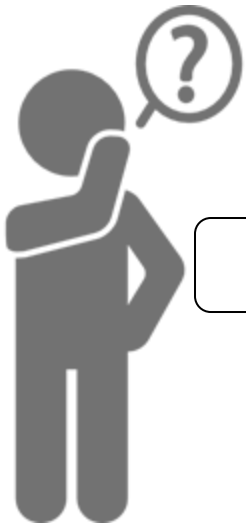
How is it Done?



There can be infinitely many possible straight lines that can summarize a given data set but all of them are not equally good

Calculating Errors

How is it Done?



So how do we find out the best possible line?

Mathematics



Calculating Errors

How is it Done?

Ordinary Least Squares

Based on some simple linear algebra and directly gives the best line

Mathematics



Calculating Errors

How is it Done?

More of an iterative procedure, based out of traditional numerical analysis

Gradient Descent

Mathematics



Calculating Errors

How is it Done?



For those getting started, it is not required to go through the mathematics

Most software, designed for Data Science can directly give the results for linear regression



Calculating Errors

How is it Done?

You can search the internet to understand the computational aspects of Ordinary Least Squares or Gradient Descent



Recap

Types of Tasks, Machine Learning Algorithms and Linear Regression

Types of Tasks

Supervised Learning

Unsupervised Learning

Reinforcement Learning

Supervised Machine Learning Algorithm

Exercise

Calculating Errors

Next

Using Scikit Learn for Machine Learning