

x	y	F <sub>0</sub>	F <sub>1</sub>	F <sub>2</sub>	F <sub>3</sub>	F <sub>4</sub>	F <sub>5</sub>	F <sub>6</sub>	F <sub>7</sub>
0	0	0	0	0	0	0	0	0	0
0	1	0	0	0	0	<u>1</u>	(1)	<u>1</u>	1
1	0	0	0	(1)	<u>1</u>	0	0	<u>1</u>	1
1	1	0	(1)	0	<u>1</u>	0	<del>1</del>	0	1

x	y	F <sub>8</sub>	F <sub>9</sub>	F <sub>10</sub>	F <sub>11</sub>	F <sub>12</sub>	F <sub>13</sub>	F <sub>14</sub>	F <sub>15</sub>
0	0	1	1	1	1	1	1	1	1
0	1	0	0	0	0	1	1	1	1
1	0	0	0	1	1	0	0	<del>1</del>	1
1	1	0	1	0	1	0	<del>1</del>	<del>0</del>	1

①  $F_0 = 0$   $F \leftarrow 0$  clear

②  $F_1 = xy$   $F \leftarrow A \wedge B$  AND

③  $F_2 = xy'$   $F \leftarrow A \wedge \bar{B}$

④  $F_3 = xy' + xy$   
 $= x(y' + y)$   
 $= x(1)$

[0+1]

$F_3 = x$   $F \leftarrow A$  Transfer A

⑤

⑥  $F_5 = x'y + xy$   
 $= y(x' + x)$

$F_5 = y(1)$

⑦  $F_6 = x'y + xy'$

$A \oplus B = \overline{A}B + A\bar{B}$

$x \oplus y$

## Logic Microoperations

Date \_\_\_\_\_

Page \_\_\_\_\_

→ logic microoperations specify binary operations for strings of bits stored in registers.

→ These operations consider each bit of the registers separately and treat them as binary variables.

Example:-

$$R_3 \leftarrow R_1 \oplus R_2$$

$R_1$	1 0 1 0
$R_2$	1 1 0 0
	<hr/>
$R_2$ after $P=1$	0 1 1 0

This is according to truth table of XOR  
But this will be carried out only when  
 $P=1$   
whereas  $P$  is a control function

There are 16 various Microoperations which can  
be carried out on to the register



1 1 1  
1 0 1

x y'  
1 0

Boolean function	Microoperation	Name
① $F_0 = 0$	$F \leftarrow 0$	Clear
② $F_1 = xy$	$F \leftarrow A \wedge B$	AND
③ $F_2 = xy'$	$F \leftarrow A \wedge \bar{B}$	XOR
④ $F_3 = x$	$F \leftarrow A$	Transfer A
⑤ $F_4 = x'y$	$F \leftarrow \bar{A} \wedge B$	XOR
⑥ $F_5 = y$	$F \leftarrow B$	Transfer B
⑦ $F_6 = x \oplus y$	$F \leftarrow A \oplus B$	Exclusive - OR
⑧ $F_7 = x + y$	$F \leftarrow A \vee B$	OR
⑨ $F_8 = (x + y)'$	$F \leftarrow \overline{A \vee B}$	NOR
⑩ $F_9 = (x \oplus y)'$	$F \leftarrow \overline{A \oplus B}$	Exclusive - NOR
⑪ $F_{10} = y'$	$F \leftarrow \bar{B}$	Complement B
⑫ $F_{11} = x + y'$	$F \leftarrow A \vee \bar{B}$	
⑬ $F_{12} = x'$	$F \leftarrow \bar{A}$	complement A
⑭ $F_{13} = x' + y$	$F \leftarrow \bar{A} \vee B$	
⑮ $F_{14} = (xy)'$	$F \leftarrow \overline{A \wedge B}$	NAND
⑯ $F_{15} = 1$	$F \leftarrow \text{all 1's}$	Set to all 1's

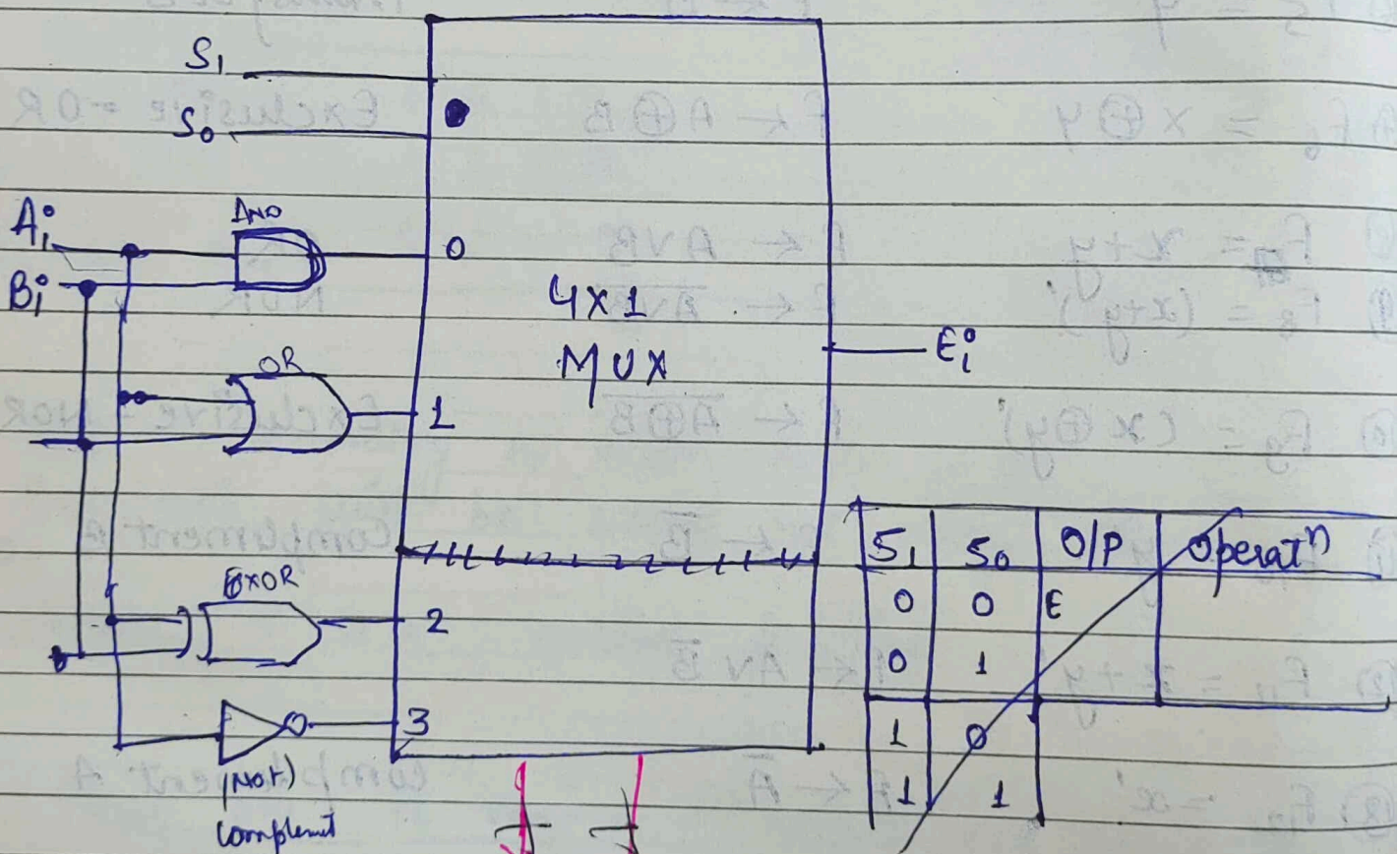


# Basic Hardware Implementation of logic circuit

wherein we'd be considering only 4 operations  
i.e.,

- ① AND
- ② OR
- ③ XOR
- ④ Complement

for implementation let us take or consider  
a ~~multiple~~ multiplexer of size  $4 \times 1$





MSB: Most Significant Bit  
LSB: Least Significant Bit

$S_1$	$S_0$	Output	Operation
0	0	$E = A \wedge B$	AND
0	1	$E = A \vee B$	OR
1	0	$E = A \oplus B$	XOR
1	1	$E = \bar{A}$	Complement

- This How logic ckt is design
- Over here only one state is define

### \* Application of logic Microoperation

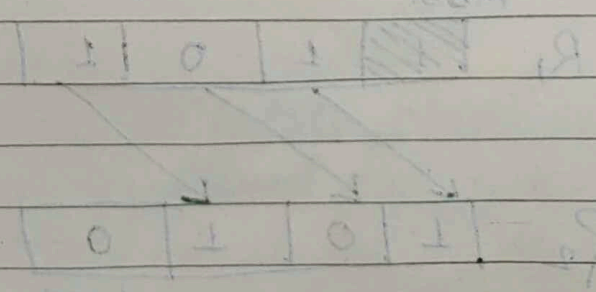
#### Types of Shift

(1) Logical Shift

A logical shift is one that transfers the serial input through the serial output.

#### Serial - Logical Shift Left

how the data for the shift  
what about first bit  
which is 0





MSB: Most Significant bit  
LSB: Least Significant bit

## Shift Micro operation

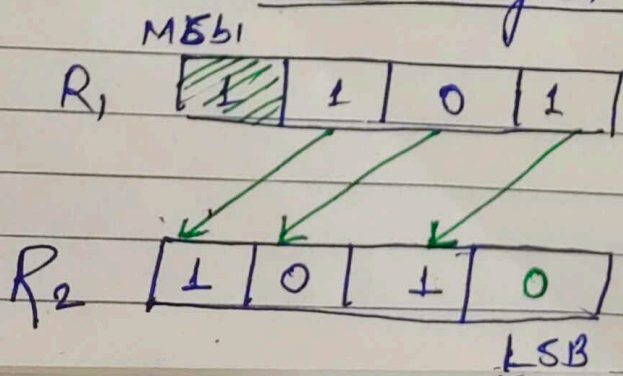
- Shift Microoperation is used for serial transfer of data.
- Used in conjunction with arithmetic, logic and other data processing operations.
- The content of the register can be shifted to the left or the right.
- The first flip-flop receives its binary information from the serial input. (either onto the MSB or LSB side)
- The information transferred through the serial input determines the type of shift.

### Types of shift

#### ① logical shift

A logical shift is one that transfers 0 through the serial input.

Shl - logical shift left.



Now the que arises for the 2<sup>nd</sup> position what about MSB 1 and LSB position



Note:

→ So, the MSB would be discarded

→ And, though as per the definition of logical shift 0 would be transferred to through serial input over here, ~~so~~ which would be zero (0).

### Shr - logical Shift right

R<sub>1</sub>

1	1	0	1
---	---	---	---

 (LSB) → discarded

R<sub>2</sub>

0	1	1	0
---	---	---	---

(MSB)

As per the definition of logical shift 0 would be transferred through serial input over here, which would be zero (0).

Slit variation to this logical shift right [instead of providing zero] to it as a serial input we are having second type of shift that is a [circular shift] which perform the rotation operation.

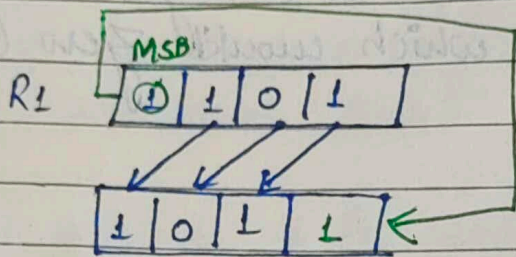
### ② Circular shift :-

- A circular shift (also known as a rotate operation) circulates the bits of the register around the two ends without loss of information.

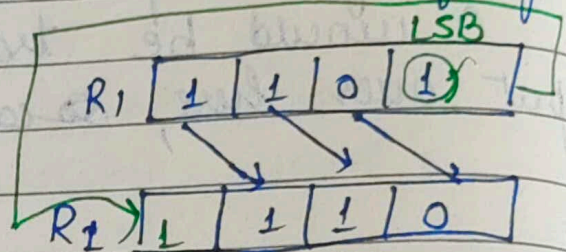


- This is accomplished by connecting the serial output of the shift register to its serial input

cl - circular shift left



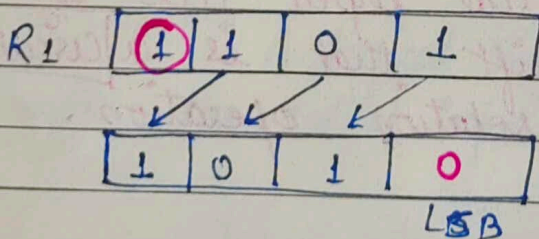
cr - circular shift right



### ③ Arithmetic Shift

- An arithmetic shift is a micro-operation that shifts a signed binary number to the left or right.  
(+ve & -ve info)
- An arithmetic shift-left multiplies a signed binary number by 2.
- An arithmetic shift-right divides the number by 2.

ashl - arithmetic shift left



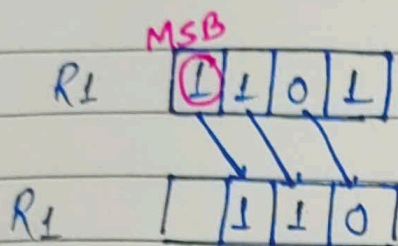
Here MSB

Signifies Sign  
 means 1 means  
 a -ve no.

Here LSB  
 would  
 be zero



ashr - arithmetic shift right



In arithmetic shift right the content of MSB would be copied directly to the MSB itself there won't be change in that because it is shift right operation

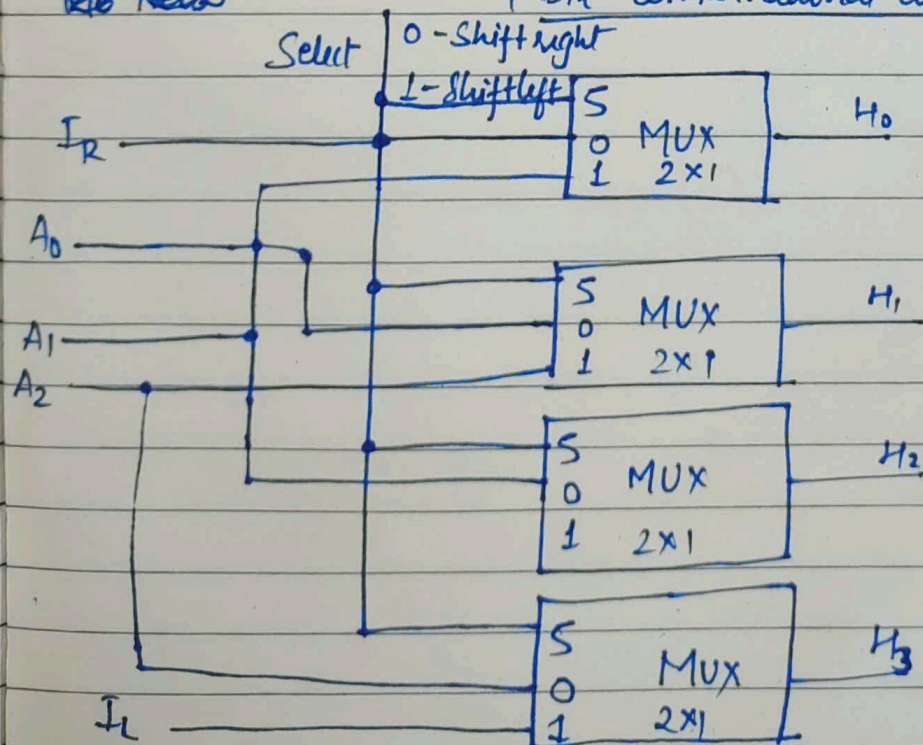
Note

Hence, Shift left is our normal logical shift left but in arithmetic shift right we need to check for the MSB. MSB should not change. because it is a sign and sign should not change.

HARDWARE IMPLEMENTATION OF THIS PARTICULAR SHIFTER OF CIRCUIT

~~IS~~ NEED

4-bit combinational circuit shifter



Serial I/P

S	H <sub>0</sub>	H <sub>1</sub>	H <sub>2</sub>	H <sub>3</sub>
0	I <sub>R</sub>	A <sub>0</sub>	A <sub>1</sub>	A <sub>2</sub>
1	A <sub>1</sub>	A <sub>2</sub>	A <sub>3</sub>	I <sub>L</sub>

Serial I/P