

Ex.No.5B

Date:11/3/2021

A* ALGORITHM

Aim: To implement A* search using python

Methodology:

1. Initialize the open list, put the starting node on the open list (you can leave its f at zero).
2. Initialize the closed list
3. while the open list is not empty
 - a) find the node with the least f on the open list, call it "q"
 - b) pop q off the open list
 - c) generate q's 8 successors and set their parents to q
 - d) for each successor
 - i) if successor is the goal, stop search
 $\text{successor.g} = \text{q.g} + \text{distance between successor and q}$
 $\text{successor.h} = \text{distance from goal to successor}$
 $\text{successor.f} = \text{successor.g} + \text{successor.h}$
 - ii) if a node with the same position as successor is in the OPEN list which has a lower f than successor, skip this successor.
 - iii) if a node with the same position as successor is in the CLOSED list which has a lower f than successor, skip this successor otherwise, add the node to the open list end (for loop)
 - e) push q on the closed list.
 end (while loop)

Code:

```
tree = {'A': [['B', 9], ['E', 15]],
        'B': [['A', 9], ['D', 5]],
        'D': [['B', 5], ['E', 2], ['F', 10]],
        'E': [['A', 15], ['D', 2], ['F', 1]],
        'F': [['E', 1], ['D', 10]]
        }

heuristic = {'A': 20, 'B': 24, 'D': 16, 'E': 12, 'F': 0}
cost = {'A': 0}
def AStarSearch():
    global tree, heuristic
    closed = [] # closed nodes
```

```

opened = [['A', 20]] # opened nodes
"""find the visited nodes"""
while True:
    fn = [i[1] for i in opened] #  $f(n) = g(n) + h(n)$ 
    chosen_index = fn.index(min(fn))
    node = opened[chosen_index][0] # current node
    closed.append(opened[chosen_index])
    del opened[chosen_index]
    if closed[-1][0] == 'F': # break the loop if node G has been found
        break
    for item in tree[node]:
        if item[0] in [closed_item[0] for closed_item in closed]:
            continue
        cost.update({item[0]: cost[node] + item[1]}) # add nodes to cost dictionary
        fn_node = cost[node] + heuristic[item[0]] + item[1] # calculate  $f(n)$  of current node
        temp = [item[0], fn_node]
        opened.append(temp) # store  $f(n)$  of current node in array opened
"""find optimal sequence"""
trace_node = 'F' # correct optimal tracing node, initialize as node G
optimal_sequence = ['F'] # optimal node sequence
for i in range(len(closed)-2, -1, -1):
    check_node = closed[i][0] # current node
    if trace_node in [children[0] for children in tree[check_node]]:
        children_costs = [temp[1] for temp in tree[check_node]]
        children_nodes = [temp[0] for temp in tree[check_node]]
        if cost[check_node] + children_costs[children_nodes.index(trace_node)] ==
cost[trace_node]:
            optimal_sequence.append(check_node)
            trace_node = check_node
    optimal_sequence.reverse()
return closed, optimal_sequence
if __name__ == '__main__':
    visited_nodes, optimal_nodes = AStarSearch()

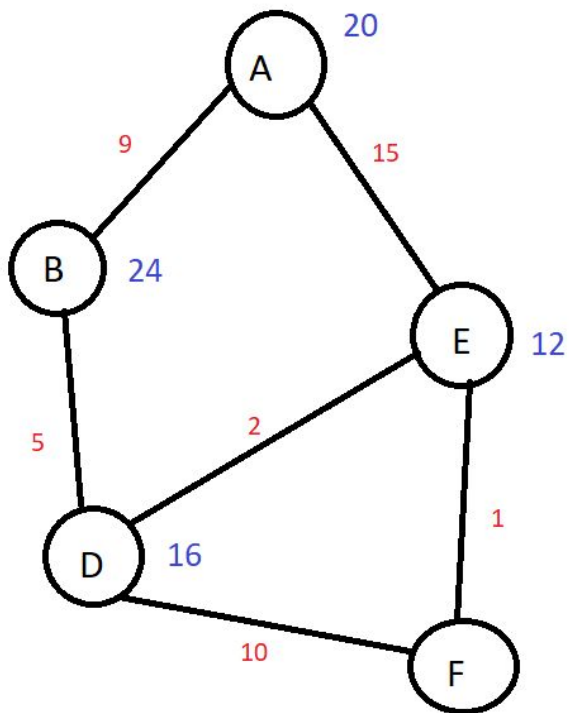
    print('Ideal-Nodes', 'Cost')
    for i, j in visited_nodes:
        print(' ', i, ' ', j)

    #print('visited nodes: ' + str(visited_nodes))
    print('Traversal: -')
    for i in optimal_nodes:

        print(i, end=' -> ')

```

Graph:



$$\begin{array}{ll} A \rightarrow B = 9 & A \rightarrow E = 15 \\ B_{\text{value}} = 24 & E_{\text{value}} = 12 \\ f(n) = 9 + 24 = 33 & f(n) = 15 + 12 = 27 \checkmark \\ \\ A \rightarrow E \rightarrow D = 15 + 2 & A \rightarrow E \rightarrow F = 15 + 1 \\ D_{\text{value}} = 16 & F_{\text{value}} = 11 \\ f(n) = 17 + 16 = 33 & f(n) = 16 + 11 = 27 \checkmark \\ \\ A \rightarrow E \rightarrow F \end{array}$$

Output:

```
Ideal-Nodes Cost
  A          20
  E          27
  F          16
Traversal: -
A -> E -> F ->
```

Result: We have successfully studied and implemented A* algorithm.