Business Case: Walmart - Confidence Interval and

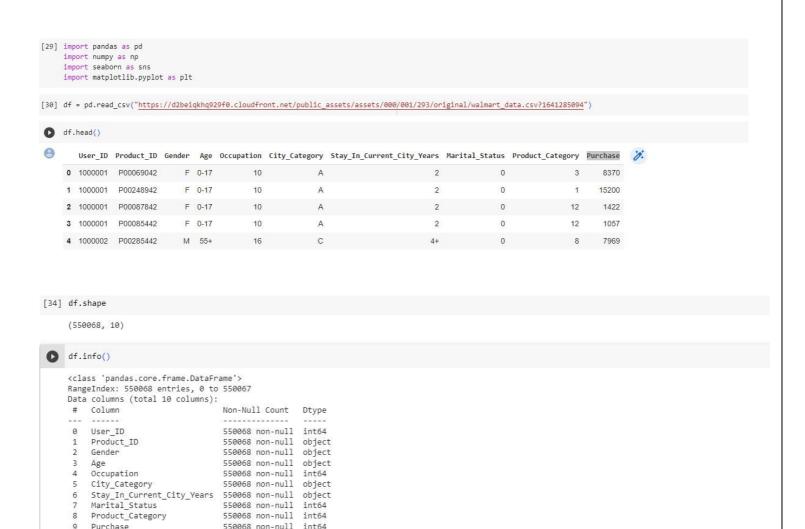
Date: 05/07/2023

Business Problem

9 Purchase

dtypes: int64(5), object(5) memory usage: 42.0+ MB

The Management team at Walmart Inc. wants to analyze the customer purchase behaviour (specifically, purchase amount) against the customer's gender and the various other factors to help the business make better decisions. They want to understand if the spending habits differ between male and female customers: Do women spend more on Black Friday than men? (Assume 50 million customers are male and 50 million are female) & same for material status & different age groups.

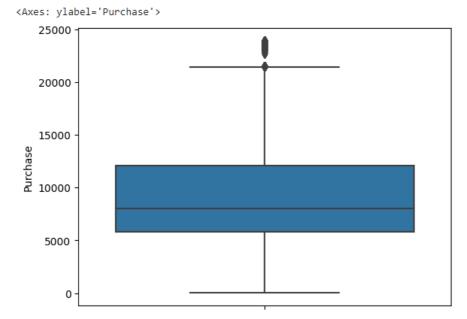


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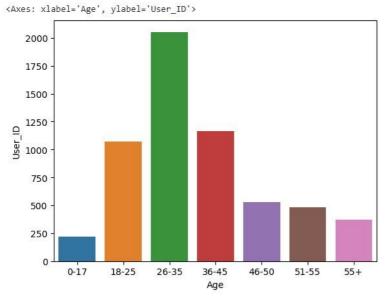
```
[36] # Count of Null values in each column

df.isnull().sum()
```

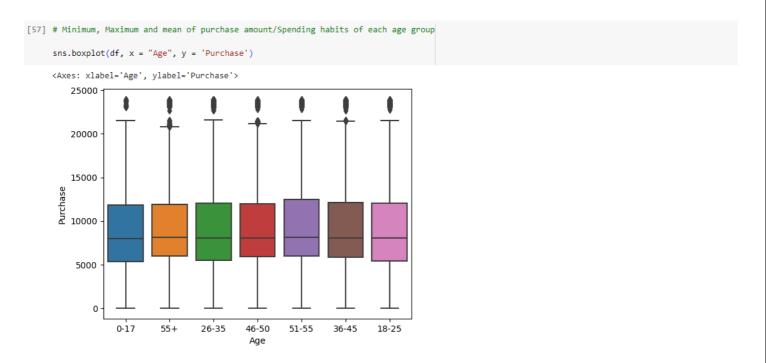
```
[39] # checking outliers in purchase amount
sns.boxplot(data = df, y = "Purchase")
```







People of age group btween 18 & 45 are willing to purchase more. So targeting people of this age group can enhance the number of sales especially age group of 26-35.



Minimum, maximum & aveage amount spending across each age group is almost same. Hence spending habits/pattern of any particular age group does not have exterior impact on buisness' growth

- Constructing confidence intervals for spending of Male & Female

```
Male_avg_spending of each male & Female users

Male_avg_spending = df[df["Gender"] == 'M'].groupby("User_ID")["Purchase"].mean()
Female_avg_spending = df[df["Gender"] == 'F'].groupby("User_ID")["Purchase"].mean()

[21] # Generating 10000 samples from from Male_avg_spending using bootstrap

bootstrap_male_samples_mean = []
for i in range (10000):
    bootstrap_male_samples = np.random.choice(Male_avg_spending, size = 150)
    bootstrap_male_mean = np.mean( bootstrap_male_samples)
    bootstrap_male_samples_mean.append( bootstrap_male_mean)

[22] # Generating 10000 samples from from Female_avg_spending using bootstrap

bootstrap_Female_samples_mean = []
for i in range (10000):
    bootstrap_Female_samples = np.random.choice(Female_avg_spending, size = 150)
    bootstrap_Female_samples = np.mean(bootstrap_Female_samples)
    bootstrap_Female_samples_mean.append( bootstrap_Female_samples)
    bootstrap_Female_samples_mean.append( bootstrap_Female_mean)
```

- Constructing 90% Confidence interval for Gender

```
[] # 90% Confidence interval for male
    x1 = np.percentile(bootstrap_male_samples_mean, 5)
    x2 = np.percentile(bootstrap_male_samples_mean, 95)
    confidence_interval_95_perc_male = [x1,x2]
    print(confidence_interval_95_perc_male)

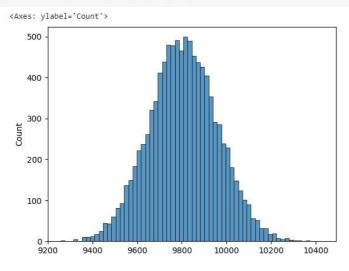
[9704.836238251994, 9897.662672384728]

[] # 90% Confidence interval for Female
    x1 = np.percentile(bootstrap_Female_samples_mean, 5)
    x2 = np.percentile(bootstrap_Female_samples_mean, 95)
    confidence_interval_95_perc_Female = [x1,x2]
    print(confidence_interval_95_perc_Female)

[8876.44348434495, 9053.530573409798]
```

Above two results show where average spending of 50 million male and 50 million female customers may lie respectively with 90% confident

[24] sns.histplot(bootstrap_male_samples_mean)



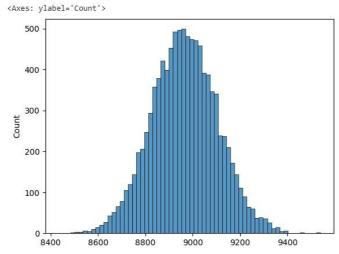
From the above confidence interval, it is concluded that average spending of Male of population lie in [9509.200069956547, 10105.55971532105] with 95% confident and average spending is 9807.17

```
#95% Confidence interval for Female customers

x1 = np.percentile(bootstrap_Female_samples_mean, 2.5)
x2 = np.percentile(bootstrap_Female_samples_mean, 97.5)
confidence_interval_95_perc_Female = [x1,x2]

print(np.mean(bootstrap_Female_samples_mean))
print(confidence_interval_95_perc_Female)

8965.12662296556
[8691.32669226636, 9243.767080631997]
[28] sns.histplot(bootstrap_Female_samples_mean)
```



From the above confidence interval, it is concluded that average spending of Male of population lie in [8691.32669226636, 9243.767080631997] with 95% confident and average spending is 8965.12

From the above, Since 95% Confidence intervals for spending of Male & Female are not overlapping, it is concluded that average spending of Male is greater than that of female. Company should come up with reason for the low average spending of female compared to male and new marketing strategy to increase the average spending of female

Business Case: Walmart - Confidence Interval and

90% Confidence intervals

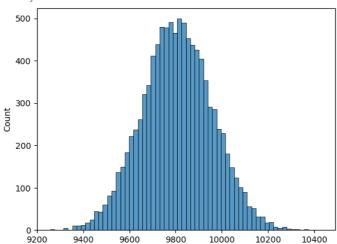
```
# 90% Confidence interval for male
x1 = np.percentile(bootstrap_male_samples_mean, 5)
x2 = np.percentile(bootstrap_male_samples_mean, 95)
confidence_interval_95_perc_male = [x1,x2]

print(f"mean of male population-->{np.mean(bootstrap_male_samples_mean)}")
print(confidence_interval_95_perc_male)
```

mean of male population-->9807.171414801314
[9555.77366640113, 10060.153198606573]

[34] sns.histplot(bootstrap_male_samples_mean)

<Axes: ylabel='Count'>



```
# 90% Confidence interval for Female

x1 = np.percentile(bootstrap_Female_samples_mean, 5)

x2 = np.percentile(bootstrap_Female_samples_mean, 95)

confidence_interval_95_perc_Female = [x1,x2]

print(f"mean of male population-->{np.mean(bootstrap_Female_samples_mean)}")

print(confidence_interval_95_perc_Female)

mean of male population-->8965.12662296556

[8734.888411179081, 9194.574121684527]
```

[35] sns.histplot(bootstrap_Female_samples_mean)

<Axes: ylabel='Count'>
500
400
200
100
8400 8600 8800 9000 9200 9400

From the above two 90% confidential intervals for male & female, 90% confidential interval for male is [9555.77366640113, 10060.153198606573] and for female is [8734.888411179081, 9194.574121684527].

Business Case: Walmart - Confidence Interval and

- Constructing confidence interval for spending of Married and unmarried customers:

```
[40] # 95% Confidence interval for married

x1 = np.percentile(bootstrap_married_samples_mean, 2.5)
x2 = np.percentile(bootstrap_married_samples_mean, 97.5)
confidence_interval_95_perc_married = [x1,x2]

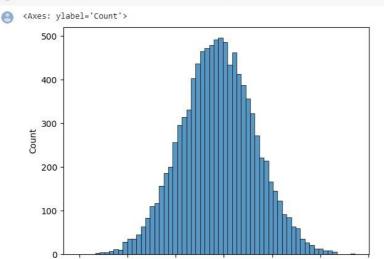
print(f"Avearge spending of married---->{np.mean(bootstrap_married_samples_mean)}")
print(confidence_interval_95_perc_married)
```

Avearge spending of married--->9575.553733639006 [9274.548913013039, 9883.403051659669]

sns.histplot(bootstrap_married_samples_mean)

9000

9200



9400

From the above confidence interval, it is concluded that average spending of Mrried customers of population lie in [9274.548913013039, 9883.403051659669] with 95% confident and average spending is 9575.553733639006

10000

10200

9800

9600

```
# 95% Confidence interval for unmarried

x1 = np.percentile(bootstrap_unmarried_samples_mean, 2.5)

x2 = np.percentile(bootstrap_unmarried_samples_mean, 97.5)

confidence_interval_95_perc_unmarried = [x1,x2]

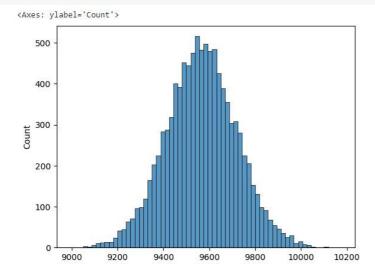
print(f"Avearge spending of married--->{np.mean(bootstrap_unmarried_samples_mean)}")

print(confidence_interval_95_perc_unmarried)

Avearge spending of married--->9564.813887277192

[9258.498494372996, 9870.272470760434]
```

[[43] sns.histplot(bootstrap_unmarried_samples_mean)



From the above confidence interval, it is concluded that average spending of Unmarried customers of population lie in [9258.498494372996, 9870.272470760434] with 95% confident and average spending is 9564.813887277192

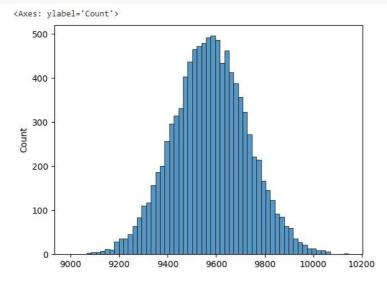
From the above 95% confidence intervals for spending of married & unmarried customers, it is concluded that two intervals are overlapping, confidence intervals are almost same and mean of spending of married & unmarried customers are almost same, hence material status does not have any impact on purchase

90% Confidence intervals - Married Vs Unmarried

```
[46] # 90% Confidence interval for married
     x1 = np.percentile(bootstrap_married_samples_mean, 5)
     x2 = np.percentile(bootstrap_married_samples_mean, 95)
     confidence_interval_90_perc_married = [x1,x2]
     print(f"Avearge spending of married--->{np.mean(bootstrap_married_samples_mean)}")
     print(confidence_interval_90_perc_married)
     Avearge spending of married--->9575.553733639006
```

[9320.834743553214, 9830.855932759692]

```
[47] sns.histplot(bootstrap_married_samples_mean)
```



From the above confidence interval, it is concluded that average spending of Unmarried customers of population lie in [9320.834743553214, 9830.855932759692] with 90% confident and average spending is 9575.553733639006

Count

```
[51] # 90% Confidence interval for Unmarried

x1 = np.percentile(bootstrap_unmarried_samples_mean, 5)
x2 = np.percentile(bootstrap_unmarried_samples_mean, 95)
confidence_interval_90_perc_unmarried = [x1,x2]

print(f"Avearge spending of unmarried--->{np.mean(bootstrap_unmarried_samples_mean)}")
print(confidence_interval_90_perc_unmarried)

Avearge spending of unmarried--->9564.813887277192
[9311.596499382862, 9818.099171393029]

sns.histplot(bootstrap_unmarried_samples_mean)

Axes: ylabel='Count'>
500 -
```

From the above confidence interval, it is concluded that average spending of Unmarried customers of population lie in [9311.596499382862, 9818.099171393029] with 90% confident and average spending is 9564.813887277192

- Constructing confidential intervals for spending of users of different age groups

```
[54] # Average spending of each user for different age groups

df_age_0to17 = df[df["Age"] == '0-17'].groupby("User_ID")["Purchase"].mean()
 df_age_18t025 = df[df["Age"] == '18-25'].groupby("User_ID")["Purchase"].mean()
 df_age_26t035 = df[df["Age"] == '26-35'].groupby("User_ID")["Purchase"].mean()
 df_age_46t050 = df[df["Age"] == '46-50'].groupby("User_ID")["Purchase"].mean()
 df_age_51t055 = df[df["Age"] == '51-55'].groupby("User_ID")["Purchase"].mean()
 df_age_55plus = df[df["Age"] == '55+'].groupby("User_ID")["Purchase"].mean()
```

95% confidential interval - age

```
feel # Generating 95% confidential intervals for different age groups
    var_list = ["df_age_0to17", "df_age_18t025", "df_age_26to35", "df_age_46to50","df_age_51to55", "df_age_55plus"]
    j = 0
    for i in [df_age_0to17, df_age_18t025, df_age_26to35, df_age_46to50,df_age_51to55, df_age_55plus]:

    bootstrap_age_means_samples = []
    for k in range(10000):
        bootstrap_sample = np.random.choice(i,size = 100)
        bootstrap_sample_mean = np.mean(bootstrap_sample)
        bootstrap_age_means_samples.append(bootstrap_sample_mean)

    x1 = np.percentile(bootstrap_age_means_samples, 2.5)
    x2 = np.percentile(bootstrap_age_means_samples, 97.5)
    confidence_interval_95_perc = [x1,x2]

    print(f"95% confidence interval for {var_list[j]} ---> {np.mean(bootstrap_age_means_samples)}")
    print(f"95% confidence interval for {var_list[j]} ---> {confidence_interval_95_perc}")
    j = j+1
```

```
Avearge spending of customers ofdf_age_0to17 --->8986.72848095367

95% confidence interval for df_age_0to17 ---> [8614.300223107963, 9361.346915684746]

Avearge spending of customers ofdf_age_18t025 ---> [9125.518394569192, 9916.710043098492]

Avearge spending of customers ofdf_age_26t035 ---> [9125.518394569192, 9916.710043098492]

Avearge spending of customers ofdf_age_26t035 ---> [9250.557599560332, 9961.595398958218]

Avearge spending of customers ofdf_age_46t050 ---> 9563.898660593859

95% confidence interval for df_age_46t050 ---> [9205.637465568461, 9923.641059567131]

Avearge spending of customers ofdf_age_51t055 ---> [9205.7759060287091

95% confidence interval for df_age_51t055 ---> [9262.370652895197, 10007.162363225108]

Avearge spending of customers ofdf_age_55plus ---> 9404.807285298186

95% confidence interval for df_age_55plus ---> 94012.342841902377, 9811.377765104697]
```

From the above 95% confidence intervals for different age groups, it is concluded that average spending of age group 0-17 of population are lower compared to other age groups and there is no noticeable difference in avearge spending of other age groups Low average spending of age group 0 to 17 may be because they are students that they are not earning.

Name: Raghu Business Case: Walm	art – Confidence Inte	erval and		