Polynomial function
$$f(x) = a_n x^n + a_n x^{n-1} + \dots + a_n x^2 + a_n x' + a_0 \qquad (a_n \neq 0)$$

| ε× | Bounca | check | e e | | a) | Plot | |
|----|---------|-------|------|------|-----|------------|-----------|
| | | 2004 | 2007 | 2009 | | • | |
| | | 6 | 1 3 | 1 5 | 10) | Projection | For 2010 |
| | Revonce | 27.5 | 34 | 38 | () | rate of | increase? |
| | | | | | | | |

$$M = \frac{X_2 - Y_1}{X_2 - X_1} = \frac{38 - 34}{5 - 3} = \frac{4}{2} = 2$$

$$Y = mx + b = 2x + b$$

$$(0, 27.5)$$

$$27.5 = 2(0) + 6$$
 $27.5 = 6$
 $Y = 2x + 27.5$

another specific example

Y= F(X)=az x2+ a, x + a0 (= ax2+bx+c)

quadractie function

EX) A(x)=.017313x2+.7545* +313,9

16 x 6 53

X=1 corresponds to 1958

a) Predict (or in 2013

 α) $A(23) = .012313(23)^2 + .7545(23) +313.9$

b) A(56) = .0123 13(56)2+.7545(56) +313,9

rational functions

Section 215

P3

$$f(x) = \frac{p(x)}{q(x)}$$

$$G(x) = \frac{x^2+1}{x^2-1}$$

Domain: all ceul numbers except values

Power functions

$$f(x) = \chi^r$$

$$\underbrace{EX}_{\cdot} \cdot f(X) = \sqrt{X} = X^{1/2}$$

combinations

$$h(x) = (1+7x)^{1/2} + \frac{1}{(x^2+2)^{3/2}}$$

sepply / demand