FBR: Dynamic Memory-Aware Fast Rerouting

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Network Failure Protection

- Increasingly strict reliability requirements for modern computer networks
- In case of network failures, instantly reroute packages around failures
- However, fast rerouting requires additional forwarding rules (memory!)

We initiate the study of **memory-aware fast rerouting** techniques. Our aim is to develop a fast rerouting algorithm that explicitly models the memory limit on the routers.

Control Plane vs. Data Plane

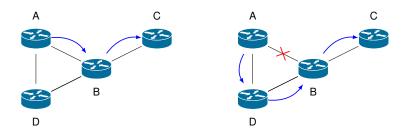
Control plane

- Determines how packets are forwarded
- Encodes the forwarding in data plane

Data plane

 Handles the packet-level forwarding using forwarding tables created by control plane logic

Motivation for Fast Rerouting



- Router and link failures are inevitable
- Convergence (in control plane) to new routing is slow
- Meanwhile, reroute based only on local failure information
 - Maintains connectivity until new routing is installed in data plane

Fast Rerouting in MPLS

- Multi-Protocol Label Switching: forwarding only by packet label
- Routers can mutate the packet label during forwarding
- Proactively compute data plane with protection paths
- Store information in label to aid routers in choosing intact protection paths

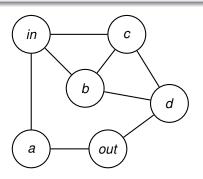
Our Contribution

We present Forward-Backward Routing (FBR) that generates highly failure resilient fast rerouting, while never exceeding the given memory limits of the routers.

Network Model

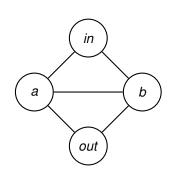
Definition

A *network topology* is an undirected graph G = (V, E), where V is a set of *routers* and $E \subseteq V \times V$ is a set *links* between *routers*.



Demand: flow from in with label ℓ_0 to out

Packet Forwarding Using Label Switching



 τ : forwarding table

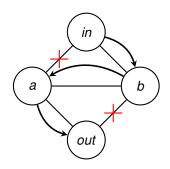
Router	Label	Priority	Router	Label
in	ℓ_1	1 a		ℓ_1
		2	b	ℓ_{2}
	$ar{\ell}_{2}$		b	ℓ_2
а	ℓ_1	1	out	ℓ_1
		2	b	ℓ_1
		3	in	ℓ_{2}
b	ℓ_1	1	out	ℓ_1
	$\overline{\ell_2}$		_ out _	ℓ_2
		2	а	ℓ_1

Memory usage = number of rules

$$M(\tau, in) = M(\tau, a) = M(\tau, b) = 3$$

Packet Forwarding Using Label Switching

Demand: (in, out, ℓ_1)



 $F = \{(in, a), (b, out)\}$

 τ_F : active forwarding table

Router	Label	Priority	Router	Label
in	ℓ_1	-1	a	
		2	b	ℓ_{2}
	$ar{\ell_2}^-$		b	ℓ_2
а	ℓ_1	1	out	ℓ_1
		-2	— b	
		-3	in	$-\ell_2$
b	ℓ_1	-1	out	$-\ell_1$
	$-\bar{\ell}_2$			$\frac{\ell_2}{\ell_2}$
		2	а	ℓ_1

Step	Router	Label	Forwarding rules
1	in	ℓ_1	$(1, a, \ell_1), (2, b, \ell_2)$
2	b	ℓ_{2}	$(1, out, \ell_2), (2, a, \ell_1)$
3	а	ℓ_1	$(1, out, \ell_1)$
4	out	ℓ_1	

Objective for Memory-Aware Fast Rerouting

Goal: High resilience to failures without exceeding any router's memory

Measure for failure resilience:

$$connectedness(\tau, D) = \sum_{F \subseteq E} p_F \cdot connectivity(\tau_F, D),$$

where

connectivity (τ_F, D) = ratio of successful deliveries to achievable deliveries

 $\textit{connectivity}, \textit{connectedness} \in [0,1]$

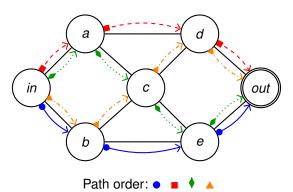
Forward-Backward Routing (FBR)

Intuition

- Find a list of alternative paths from ingress to egress
- In case of failure: route along the first path
- If that path fails, backtrack towards ingress
- When the next path is reached, switch to that path
- Repeat

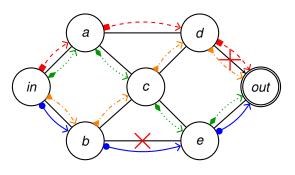
FBR Example

Demand: in to out with initial label •



FBR Example

Demand: in to out with initial label •



Path order: • • • •

$$F = \{(b, e), (d, out)\}$$

Trace: $in - b - b - in - a - d - d - a - c - e - out$

Encoding the Paths

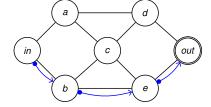
1 unique label for every path encoded

For each path:

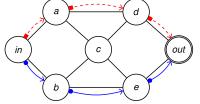
- Skip encoding if it exceeds memory!
- Encode forwarding with a unique label ℓ_i
- (If not last path) For each router in the path:
 - Add a local lookup to upgrade to the next label ℓ_{i+1}
 - Add backtracking rules with label ℓ_{i+1}

FBR Example: Encoding

 τ : forwarding table Router Label Priority Router Label in ℓ_1 b ℓ_1 а b ℓ_1 ℓ_1 е d ℓ_1 out ℓ_1 е

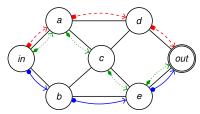


FBR Example: Encoding



	au : forwarding table					
	Router	Label	Priority	Router	Label	
	in	ℓ_1	1	b	ℓ_1	
			2	in	$\ell_{ extsf{2}}$	
		$\overline{\ell_2}$	1 1	a	$-\ell_2$	
	а	ℓ_2	1	d	ℓ_2	
	b	ℓ_1	1	е	ℓ_1	
			2	b	ℓ_1 ℓ_2	
		$\overline{\ell_2}$	1	in	$-\ell_2$	
	С					
	d	ℓ_2	1	out	ℓ_2	
-	е	ℓ_1	1	out	ℓ_1	
			2	e	$rac{\ell_1}{\ell_2}$	
		ℓ_2	1 1	b	ℓ_2	

FBR Example: Encoding



If m(v) = 5 for *in* then no more paths can be added.

	au : forwarding table				
Ro	outer	Label	Priority Router		Label
	in	ℓ_1	1	b	ℓ_1
			2	in	ℓ_{2}
		$\overline{\ell_2}$	1 1	a	$-\overline{\ell_2}$
			2	in	$ \frac{\ell_2}{\ell_2} \frac{\ell_3}{\ell_3}$
		$\bar{\ell}_3$	1 1		$^ _{\ell_3}$ $^ ^-$
	а	ℓ_2	1	d	ℓ_2
			2	а	ℓ_3
		$-\bar{\ell}_3$	1 1		$^ _{ar{\ell_3}}$ $^ ^-$
	b	ℓ_1	1	е	ℓ_1
			2	b	$-\frac{\ell_1}{\ell_2^2}$
		$\overline{\ell_2}$	1 1	in	$-\ell_2$
	С	ℓ_3	1	е	ℓ_3
	d	ℓ_{2}	1	out	ℓ_2
			2	d	$rac{\ell_2}{\ell_3} - rac{\ell_3}{\ell_3} - rac{\ell_3}{\ell_3}$
		$-\overline{\ell}_3$	1 1	a	$^ _{\ell_3}$ $^ ^-$
	е	ℓ_1	1	out	ℓ_1
			2	e	ℓ_{2}
		$ \frac{\overline{\ell_2}}{\overline{\ell_3}}$ $ -$	1 1	b	$ \begin{array}{c} \ell_1 \\ -\frac{\ell_2}{\ell_2} \\ -\frac{\ell_3}{\ell_3} \end{array} $
		$\overline{\ell}_3$	1 1	out	$-\ell_3$

Theoretical Properties

Theorem

Forward-Backward Routing is loop-free.

Proof sketch: Paths are loop-free and are only used once.

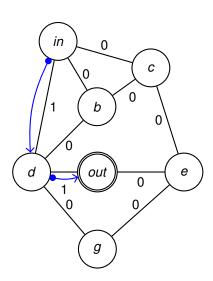
Theorem

For a k-connected network topology, FBR can achieve (k-1)-resilience using 3k-2 rules per demand per router.

Proof sketch: In a *k*-connected graph, at least *k* edges must be removed to disconnected the graph. FBR creates *k* edge-disjoint paths to attempt.

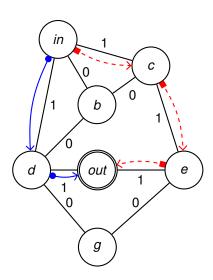
Idea: Increase weight of used edges to increase disjointedness of paths.

- Pick next demand d
- Find shortest path p in G
- Update weights $W(d, e) := W(d, e) \cdot 2 + 1$ for each $e \in p$



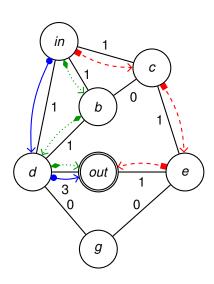
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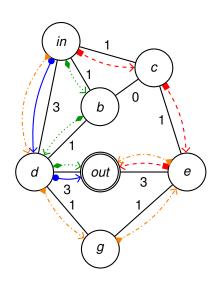
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Methodology

Evaluation specifications

- 259 real-world networks from Topology Zoo
- Failure scenarios of size 0 to 4
- 1000 failure scenario limit for each size of F
- We assume link failures are independent, with probability 0.001 for a single link failure
- All routers are assumed to have the same memory limit

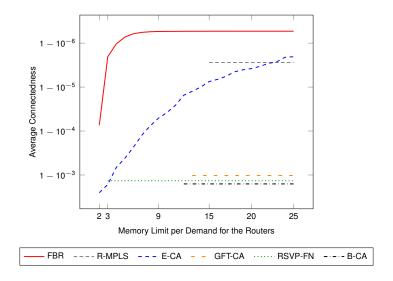
All experiments were conducted using the data plane simulation toolkit MPLS-Kit [2022] on a compute-cluster.

Related Work

Fast rerouting algorithms

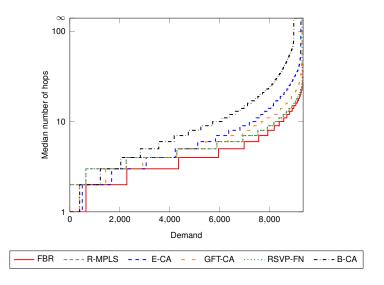
- RSVP-FN: industry standard [RFC 4090, 2005]
- R-MPLS: recent work that augments RSVP-FN [CoNEXT, 2022]
- B-CA: static arborescence approach [Trans. on Netw., 2017]
- GFT-CA: static DAG approach [INFOCOM, 2021]
- E-CA: dynamic memory-aware arborescence approach

Results: Connectedness and Memory Usage



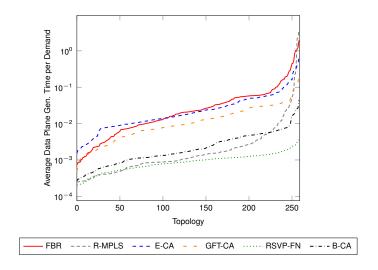
FBR achieves highest connectedness at any memory limitation!

Results: Number of Hops



FBR uses the fewest number of hops.

Results: Data Plane Generation Time



FBR is generally slower than the others, but still always under 2 seconds.

Conclusion

Forward-Backward Routing

- Memory-aware fast rerouting
- Outperforms previous work w.r.t. failure resilience and memory usage
- Uses the fewest number of hops
- Maximum generation time per demand is 2 seconds

Future Work

Improved path generation algorithm.