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1. Calculate missing value

Algorithm:

- 1.start.
- 2.Find the number of values given for $f(x)$
- 3.We know that $\Delta \equiv (E - 1)$. Here we have to put the value of Δ from step-1.
- 4.If there is one value missing then we have to put one number or if there are two values missing then we have to put two numbers in y . We put values into x for generating new equations.
- 5.Now solve the equation for getting new values.
- 6.End.

2. Bisection Method

Algorithm:

1. Start

2. Read a_1 , b_1 , TOL

*Here a_1 & b_1 are initial guesses

TOL is the absolute error or tolerance i.e. the desired degree of accuracy*

3. Compute: $f_1 = f(a_1)$ & $f_3 = f(b_1)$

4. If $(f_1 * f_3) > 0$, then display initial guesses are wrong and go to step 11 otherwise continue.

5. $root = (a_1 + b_1)/2$

6. If $[(a_1 - b_1) / root] < TOL$, then display root and go to step 11

* Here [] refers to the modulus sign.*

7. Else, $f_2 = f(root)$

8. If $(f_1 * f_2) < 0$, then $b_1 = root$

9. Else if $(f_2 * f_3) < 0$ then $a_1 = root$

10. else go to step 5

Now the loop continues with new values

11. Stop

3.Regular Falsi Method:

Algorithm:

- 1.Start
2. Read values of x_0 , x_1 and
 *Here x_0 & x_1 are the two initial guesses
3. Computer function values $f(x_0)$ and $f(x_1)$
4. Check whether the product of $f(x_0)$ and $f(x_1)$ is negative or not.
 If it is positive take another initial guesses
 If it is negative then go to step 5
5. Determine:

$$X = [x_0 * f(x_1) - x_1 * f(x_0)] / (f(x_1) - f(x_0))$$
- 6.check whether the product of $f(x_1)$ and $f(x)$ is negative or not.
 If it is negative, then assign $x_0 = x$;
 If it is positive, assign $x_1 = x$;
7. Check whether the value of $f(x)$ is greater than 0.00001 or not
 If yes, go to step 5.
 If no, go to step 8.
8. Display the root as x
9. Stop

4. Newton-Rapshon Method:

Algorithm:

1. Start
2. Read x , e , n , d
 - * x is the initial guess
 - e is the absolute error i.e the desired degree of accuracy
 - n is for operating loop
 - d is for checking slope*
3. Do for $i = 1$ to n in step of 2
4. $f = f(x)$
5. $f1 = f'(x)$
6. If ($[f1] < d$), then display too small slope and go to 11.
 - * $[]$ is used as modulus sign*
7. $x1 = x - f/f1$
8. If ($[(x1 - x)/x1] < e$), the display the root as $x1$ and go to 11.
 - * $[]$ is used as modulus sign*
9. $x = x1$ and end loop
10. Display method does not converge due to oscillation.
11. Stop

5. Newton Forward Interpolation:

Algorithm:

1. Start
2. Declare $x[20]$, $y[20]$, f , s , d , h , p as float data type and i , j , n as integer data type
3. Read the record n and read the elements of x & y using for loop
4. Calculate $h = x[2] - x[1]$
5. Read the point which is going to be searched
6. Calculate $s = (f - x[1])/h$
 $p = 1$
 $d = y[1]$
7. Using for loop calculate p & d
 - a. $y[j] = y[j+1] - y[j-1]$
 - b. $p = p * (s * i + 1) / i$
 - c. $d = d + p * y[1]$
8. print f & d
9. Stop

6. Newton Backward Interpolation:

Algorithm:

1. Start
2. Declare $x[20]$, $y[20]$, f , s , d , h , p as float data type and i , j , n as integer data type
3. Read the record n and read the elements of x & y using for loop
4. Calculate $h = x[2] - x[1]$
5. Read the point which is going to be searched
6. Calculate $s = (f - x[n]/h)$,
 $d = y[n]$,

 $p = 1$
7. Using for loop calculate f & d
 - a. $y[j] = y[j] - y[j-1]$
 - b. $p = p * (s * k - 1) / k$
 - c. $d = d + p * y[n]$
8. print f & d
9. Stop

7. Lagrange's Formula:

Algorithm:

1. Start
2. Input number of terms n
3. Input the array ax
4. Input the array ay
5. For $i=0; i<n; i++$
6. $nr=1$
7. $dr=1$
8. for $j=0; j<n; j++$
9. if $j \neq i$. $nr=nr*(x-ax[j])$
10. $b.dr*(ax[i]-ax[j])$
11. End Loop j
12. $y+=(nr/dr)*ay[i]$
13. End Loop i
14. Print Output x, y
15. Stop

9. Trapezoidal Rule

Algorithm:

- 1.start.
2. input a, b, number of interval n
3. $h = (b - a) / n$
4. $sum = f(a) + f(b)$
5. If $n = 1, 2, 3, \dots, i$
Then, $sum = sum + 2 * f(a + i * h)$
6. Display output = $sum * h / 2$
- 7.stop.

10. Simpson's 1/3 Rule:

Algorithm:

- 1.start.
2. input a, b, number of interval n
3. $h = (b - a) / n$
4. $sum = f(a) + f(b) + 4 * f(a + h)$
5. $sum = sum + 4 * f(a + i * h) + 2 * f(a + (i - 1) * h)$
6. Display output = $sum * h / 3$
- 7.Stop

11. Simpson's 3/8 Rule:

Algorithm:

1.start

1. input a, b, number of interval n

2. $h = (b - a) / n$

3. $sum = f(a) + f(b)$

4. If n is odd

Then, $sum = sum + 2*y(a+i*h)$

5. else, when n is even

Then, $sum = sum + 3*y(a+i*h)$

6. Display output = $sum * 3*h/8$

7.Stop

12. Weddle's Rule:

Algorithm:

1. input a, b, number of interval n

2. $h = (b - a) / n$

3. If $(n \% 6 == 0)$ Then,

$Sum = sum + ((3*h/10)*(y(a) + y(a + 2*h) + 5*y(a+h) + 6*y(a+3*h) + y(a+4*h) + 5*y(a+5*h) + y(a + 6*h)))$;

$a = a + 6*h$

and Weddle's rule applicable then go step 6

4. else, Weddle's rule id not applicable

5. Display output

13. Picard's method:

Algorithm:

1.inputs

1.Given differential equation in the form of a function as
 $(dy/dx) = f(x, y)$

2.Initial value of function, that is, $f(x_0) = y_0$, where x_0 is initial value of x .Read x_0 and y_0

3.End value of x , that is x_n and number of iterations n

4.Read x_n and n

5.Read allowed error a_{error}

2. set $x \leq x_0$ and $y_i \leq y_0$

3.calculate step size $h \leq (x_n - x_0)$

4. print x_0 , “ “, y_0

5. for $i = 1$ to n do

$y_n = y_i + h * f(x_0, y_0)$

print x_n , “ “, y_n

if $abs(y_n - y_0) < a_{error}$ then stop

$y_0 \leq y_n$

end of iloopprint “ Maximum number of iterations reached”

6. stop

14. Euler's Method:

Algorithm:

Input:

Step 1-

(1) Given differential equation in the form of a function as $(dy/dx) = f(x, y)$

(2) Initial value of function, that is, $f(x_0) = y_0$, where x_0 is initial value of x .

(3) End value of x , that is x_n and number of steps n

Step 2. set $x \leq x_0$ and $y \leq y_0$

Step 3. calculate step size $h \leq (x_n - x_0)/n$

Step 4. print x_0 , “ “, y_0

Step 5. for $i = 1$ to n do

$y_n = y_0 + h * f(x_0, y_0)$

$x_0 \leq x_0 + h$

$y_0 \leq y_n$

print x_0 , “ “, y_0 end of i loop

step 6. stop

