

# EE3900 : Gate-Assignment

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Download all python codes from

[https://github.com/Rahul27n/EE3900/blob/main/Gate\\_Assignment/Gate\\_Assignment.py](https://github.com/Rahul27n/EE3900/blob/main/Gate_Assignment/Gate_Assignment.py)

and latex-tikz codes from

[https://github.com/Rahul27n/EE3900/blob/main/Gate\\_Assignment/Gate\\_Assignment.tex](https://github.com/Rahul27n/EE3900/blob/main/Gate_Assignment/Gate_Assignment.tex)

## 1 QUESTION: Q.33 EC-GATE-2016

The Discrete Fourier Transform (DFT) of the 4 point sequence  $x[n] = \{3, 2, 3, 4\}$  is given by  $X[k] = \{12, 2j, 0, -2j\}$ . If  $X_1[k]$  is the DFT of the 12 point sequence  $x_1[n] = \{3, 0, 0, 2, 0, 0, 3, 0, 0, 4, 0, 0\}$ , the value of  $\left| \frac{X_1[8]}{X_1[11]} \right|$  is :

## 2 SOLUTION

We can clearly observe that the sequence  $x_1[n]$  is a interpolation in time domain of the point sequence  $x[n]$  i.e;

$$x_1[n] = x\left[\frac{n}{3}\right] \quad (2.0.1)$$

We know that interpolation in time domain is equivalent to replication in the frequency domain.

$$X_1[k] = \{12, 2j, 0, -2j, 12, 2j, 0, -2j, 12, 2j, 0, -2j\} \quad (2.0.2)$$

Hence from (2.0.2) we have:

$$X_1[8] = 12 \quad (2.0.3)$$

$$X_1[11] = -2j \quad (2.0.4)$$

Therefore from (2.0.3) and (2.0.4) we have:

$$\left| \frac{X_1[8]}{X_1[11]} \right| = \left| \frac{12}{-2j} \right| = |6j| = 6 \quad (2.0.5)$$

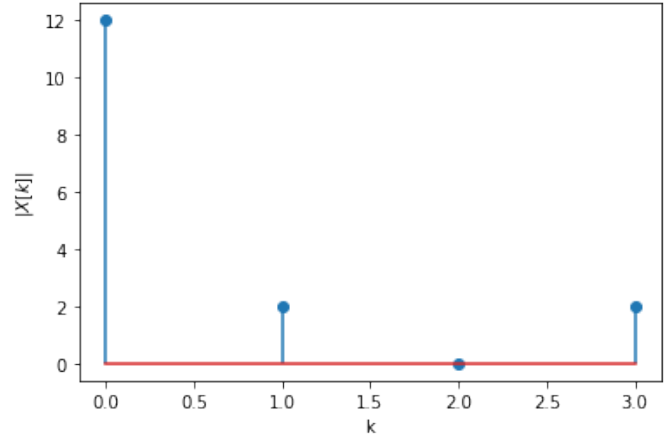


Fig. 0: Magnitude of  $X[k]$  vs  $k$

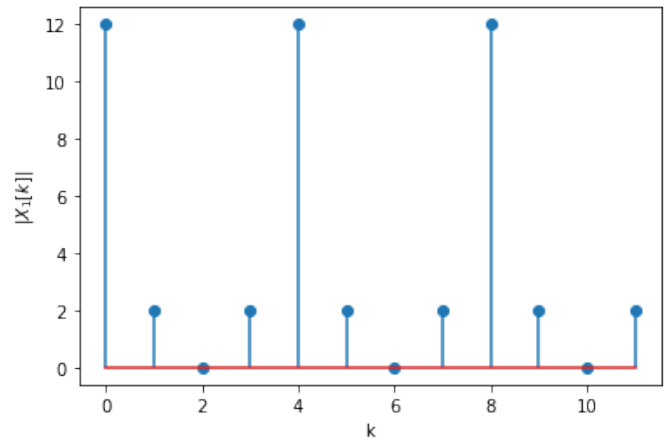


Fig. 0: Magnitude of  $X_1[k]$  vs  $k$