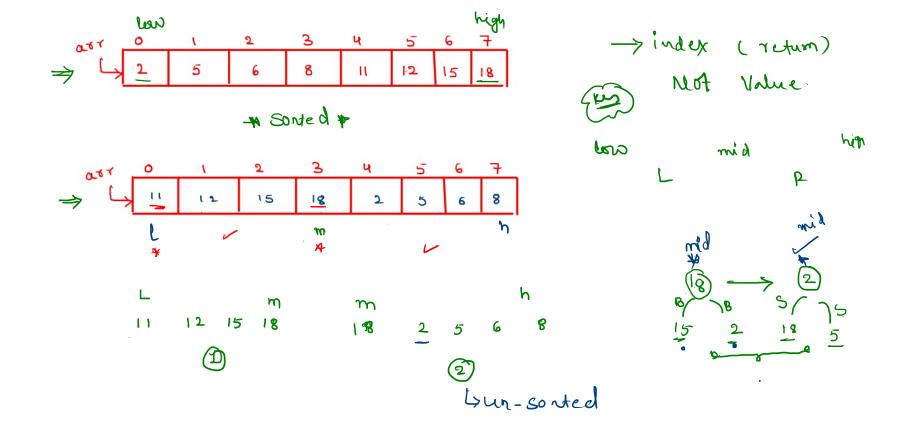
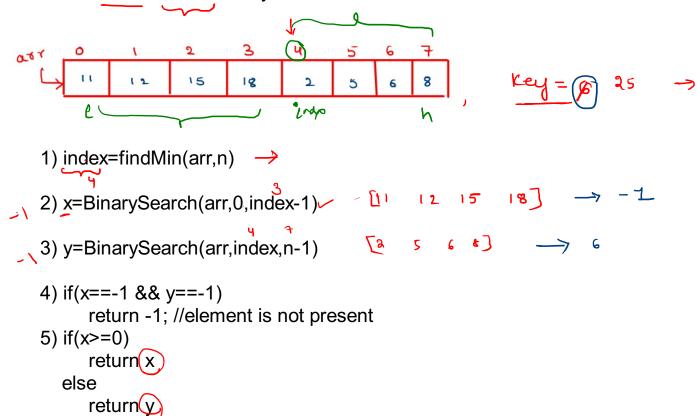


-> fing the index of smaller clament in the given array



```
function findMin(arr[],n) // find the number of times rotated
    low=0
   if(arr[low]<=arr[high]) } and return 0
    while(low<=high)
      mid=low+(high-low)/2
if(arr[mid])>arr[mid+1])
return n-mid+1
else if(arr[mid]<arr[mid-1])
                   retur n-mid
          else if(arr[low]<=arr[mid])//R.H.S unsorted region
                   low=mid+1 ✓
          else if(arr[mid]<=arr[high])//LH.S unsorted region
                 high=mid-1 /
  return [1], // to make compiler happy
```

2) Find an element in sorted rotated array



* 3) Search in a nearly sorted array element that should suppose to present at ith location can present on (i-1)th location or ith location or (i+1)th location]

$$\lim_{N \to \infty} \text{arr} [] = \{5, 10, 30, 20, 40\}, \underline{\text{key}} = 30 \longrightarrow 2$$

$$\lim_{N \to \infty} 2 \{(0, 3), (20, 40), (30, 20), (40)\}, \underline{\text{key}} = 30$$

$$\lim_{N \to \infty} 2 \{(0, 3), (20, 40), (30, 20), (40)\}, \underline{\text{key}} = 30$$

$$\lim_{N \to \infty} 2 \{(0, 3), (20, 40), (30, 20), (40)\}, \underline{\text{key}} = 30$$

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$$\lim_{N \to \infty} 2 \{(0, 3), (20, 40), (20, 40)\}, \underline{\text{key}} = 30$$

on Ly 5 10 $\frac{10}{30}$ 20 40 Modified

| Nearly Solved (First) | Ne B⋅S -> if (an[mid] == key)

return mid

> else if (mid-17 low 8 & an[mil-1] == key)

return mid-1

-) else if (mid+1 < high &> an[mid+1] == key) -> ansmid] VIs rey return midt)

low = mid+)

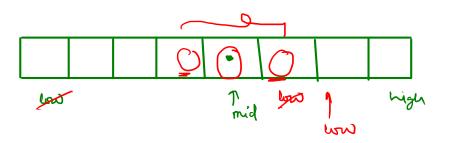
Key L ausmid] || LHS }

Key L ausmid] || LHS }

Some = mid+2 ×

Low = mid+2 ×

Low



Vey = 70

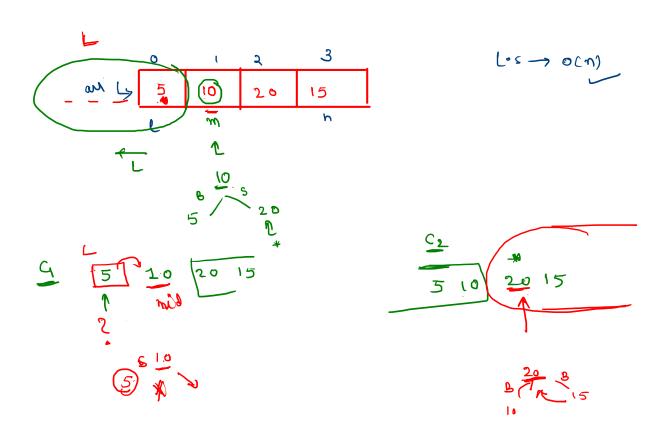
4) Find the peak element in array

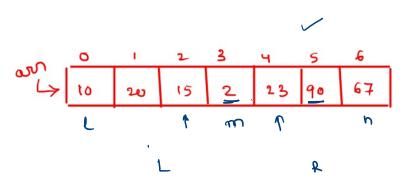
```
→ Input: array[]= {5, 10, 20, 15}

Output: 20

The element 20 has neighbours 10 and 15, both of them are less than 20.
```

The element 20 has neighbours 10 and 15, both of them are less than 20, similarly 90 has neighbours 23 and 67.







```
function findPeak(arr[],n)
    low=0
    high=n-1
    while(low<=high)
          mid=low+(high-low)/2
          if(mid>0 && mid<n-1) // skipping 1st and last element
             if(arr[mid]>arr[mid+1] && arr[mid]>arr[mid-1])
                   return arr[mid]
             else if(arr[mid+1]>arr[mid])//R.H.S
                           low=mid+1
                   else
                           high=mid-1
         else if(mid==0)
                         if(arr[0]>arr[1]) return arr[0]
                      else return arr[1]
         else if(midd=n-1)
                     if(arr[n-1]>arr[n-2]) return arr[n-1]
                     else
                                  return arr[n-2]
   return -1;
```