Part a:

Input:

1.0 0.5 1000

Output:

Single-server queueing system

mean interarrival time 1.0 minutes

Mean service time 0.5

Number of customers 1000

Average delay in queue 0.612097304909462

Average number in queue 0.6234633689776302

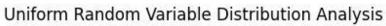
Server utilization 0.497061551565219

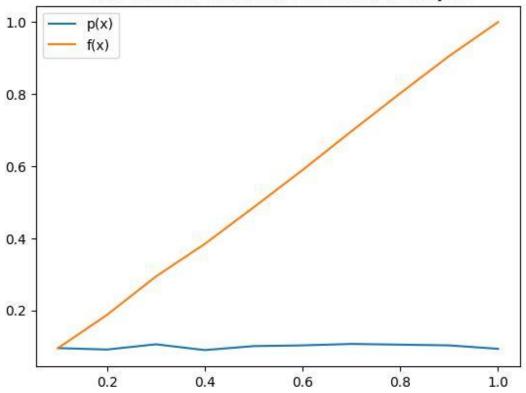
Time simulation ended 981.7694757483404

Part b:

KT	Average delay in queue 🍸	Average number in queue Y	Server utilization Y	Time the simulation ended $f Y$
0.5	0.62	0.66	0.54	951.5
0.6	0.78	0.81	0.62	962.66
0.7	1.77	1.76	0.7	1001.03
0.8	2.31	2.26	0.76	1021.49
0.9	5.08	5.15	0.86	1005.01

Part c: For uniform distribution: $p(x) = [0.1, 0.2, 0.3, 0.4, 0.5, 0.6, 0.7, 0.8, 0.9, 1.0] \\ f(x) = [192, 184, 213, 181, 203, 207, 215, 211, 207, 188]$

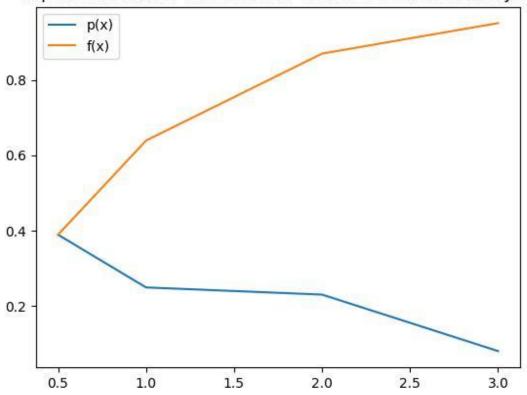




For exponential distribution of arrival time:

p(x): [0.3896, 0.2497, 0.2307, 0.0809] f(x): [0.3896, 0.6393, 0.8701, 0.9510]

Exponential Arrival Time Random Variable Distribution Analysis



For exponential distribution of service time:

p(x): [0.415, 0.233, 0.226, 0.08]

f(x): [0.415, 0.648, 0.874, 0.954]

