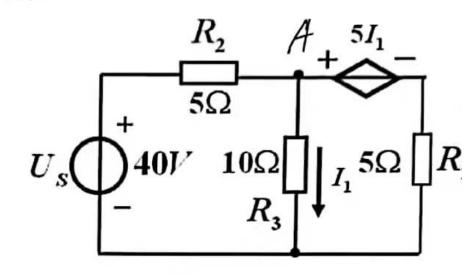
题号	1	2	3	4	5	6	7	8	9	总分
题分	10	10	10	10	10	12	12	14	12	100
得分										

(10分) 求如图所示电路中受控源的功率。



$$(\frac{1}{5} + \frac{1}{5} + \frac{1}{10}) U_A = \frac{40}{5} + \frac{5I_1}{5}$$

$$= \frac{1}{2} U_A = 8 + I_1$$

$$= 10I_1 = U_A$$

$$= U_A = 20V$$

$$= I_2 = \frac{U_A - 5I_1}{5} = 2A$$

$$= 20W$$

$$= 5I_1 \times 2 = 20W$$

2、(10分)应用叠加定理求图示电路中的U。

$$U = -\frac{24}{9} + \frac{544}{9} + \frac{200}{9} = 80V$$

3、(10分)用节点分析法求图示电路中受控源的功率。

$$(1+\frac{1}{2})U_{A} - \frac{1}{2}U_{B} = -4$$

$$-\frac{1}{2}U_{A} + (\frac{1}{2} + \frac{1}{3})U_{B} - \frac{1}{3}U_{c} = 3U$$

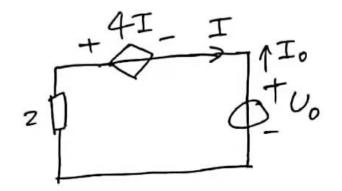
$$U_{c} = 5V$$

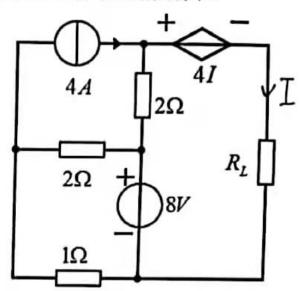
$$U_{A} - U_{c} = U$$

$$U_{A} = 20V \qquad U = 15V$$

$$P = 15 \times 4 = 60W$$

 $\{ (10\, eta)$ 电路如图所示,负载 R_L 等于多少可以获得最大功率,并求此最大功率。

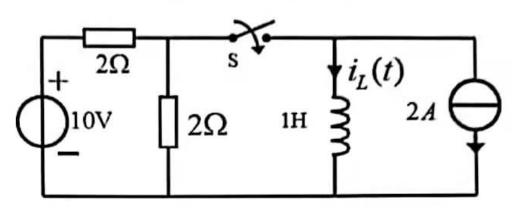




$$bI = -\frac{V_0}{V_0}$$

$$R_1 = \frac{V_0}{I_0} = -\frac{V_0}{I} = 652$$

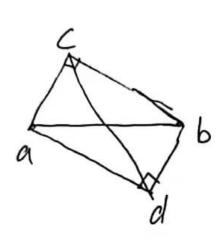
5、(10分) 图示电路已处于稳态,t=0时开关 \mathbf{S} 关闭,求 $t\geq 0$ 时的 $i_L(t)$ 。

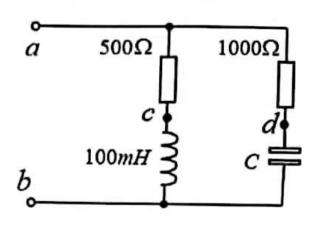


$$\lambda_{L}(D^{+}) = -2A$$
 $\lambda_{L}(D^{+}) = -2A$
 $\lambda_{L}(D^{+}) = \frac{1}{2} - 2 = 3A$
 $t = 15$
 $t = 15$
 $t = 3 - 5e^{-t}$

6、(12分) 电路如图所示, 为使 R 获得最大功率, 求 H 及此最大功率。

7、(12分)如图所示正弦稳态电路,已知 $\omega=100 rad/s$, $U_{ab}=U_{cd}$,求电容C的值。

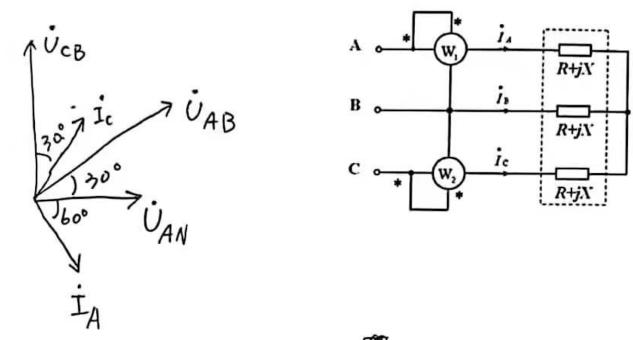




$$\frac{V_{ac}}{V_{cb}} = \frac{V_{4b}}{V_{ad}}$$

$$C = \frac{1}{w \times c} = \frac{1}{10^2 \times 5 \times 10^4} = 0.2 \mu F$$

8、(14分)图示为对称三相电路,已知线电压为 380V,两功率表的读数分别为: $P_1=0$, $P_2=1.65$ KW,求负载的阻抗参数 R+jX。



$$AB^{o} \times I_{c} V^{os30^{\circ} = 165^{\circ}}$$

$$I_{A} = I_{B} = I_{c} = 5^{\circ}A.$$

$$z = 44 \angle 60^{\circ} = 44 \cos 60^{\circ} + j 44 \sin 60^{\circ}$$

= 22+j38 JZ

分数 九、 $(12 分)$ 如图所示电路,已知 $i_s = 10 + 15\sqrt{2} \sin t + 10\sqrt{2} \sin(2t - 30^\circ) A$,求图中电流表和电压
表的读数及 $i_1(t)$ 。
(1) fe /2
$A_0 = 0 \qquad \bigvee_{i=0}^{2\Omega} \prod_{i=0}^{2\Omega} \prod_{i=0$
(2) \$ 18 A V = 15 V
Alleria
3) = 1/2 1/2 jw1 = 2
$\frac{1}{100} = -1.5$
I(2) =
$A_2 = 8A \qquad V_3 = 16V$
A = 1152+82 = 17V
$V = \sqrt{15^2 + 16^2} = 21.9V$
1,(41=# + 8,525in(2+-66,87°)
15.125int