

第七课:GraphX 入门

法律声明

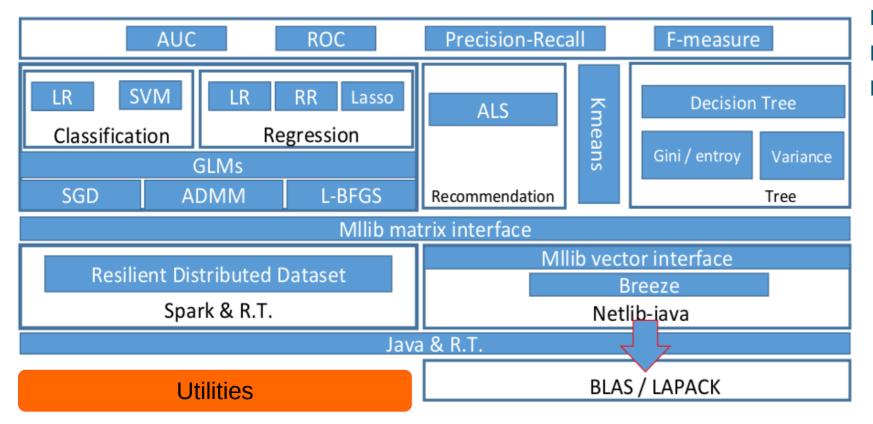


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课程详情访问炼数成金培训网站 http://edu.dataguru.cn

上周回顾





- MLlib 架构
- K-Means
- 协同过滤

本周内容



- GraphX 简介
 - 图的定义
 - GraphX 图处理
 - GraphX 架构
 - GraphX 操作
- 实例演示
 - 图例演示
 - PageRank 演示

什么是图



- 图是表示物件与物件之间的关系的方法,是图论的基本研究对象。
- 图是由一些小圆点(称为顶点)和连结这些圆点的直线或曲线(称为边)组成的。

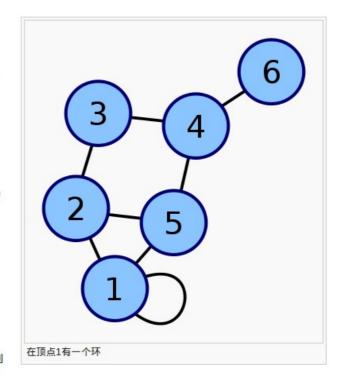
基本术语 [编辑]

参见:图论术语

- 阶(Order):图G中顶集V的大小称作图G的阶。
- **子图** (Sub-Graph):图G'称作图G的子图如果 $V(G') \subseteq V(G)$ 以及 $E(G') \subseteq E(G)$ 。
- 生成子图 (Spanning Sub-Graph) :指满足条件V(G')=V(G)的G的子图G。
- **度** (Degree) 是一个顶点的度是指与该顶点相关联的总边数,顶点v的度记作d(v)。度和边有如下关系: $\sum_{v \in V} d(v) = 2 \left| E \right|_{\rm e}$
- **出度**(Out-degree)和**入度**(In-degree):对有向图而言,顶点的度还可分为出度和入度。一个顶点的出度为 d_o ,是指有 d_o 条边以该顶点为起点,或说与该点关联的出边共有 d_o 条。入度的概念也类似。
- 邻接矩阵
- 自环 (Loop): 若一条边的两个顶点相同,则此边称作自环。
- 路径(Path):从顶点u到顶点v的一条路径是指一个序列 $v_0,e_1,v_1,e_2,v_2,...e_k,v_k$, e_i 的起点终点为 v_{i-1} 及 v_i ;k称作路径的长度; $v_0=u$,称为路径的起点; $v_k=v$,称为路径的终点。如果u=v,称该路径是闭的,反之则称为开的;如果 $v_1,...,v_k$ 两两不等,则称之为简单路径(Simple path,注意,u=v是允许的)。
- **行迹** (Trace) : 如果路径P(u,v)中边各不相同,则该路径称为u到v的一条行迹。
- **轨道**(Track):即简单路径。
- 闭的行迹称作回路(Circuit),闭的轨道称作圈(Cycle)。

(现存文献中的命名法并无统一标准。比如在另一种定义中,walk对应上述的path,path对应上述的track,trail对应上述的trace。)

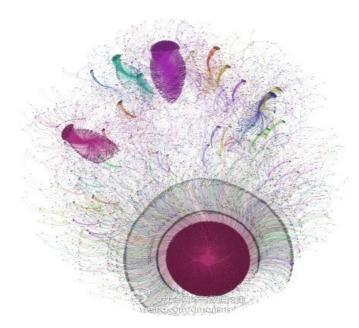
- 距离(Distance):从顶点u出发到顶点v的最短路径若存在,则此路径的长度称作从u到v的距离。若从u到v根本不存在路径,则记该距离为无穷(∞)。
- 距离矩阵
- 桥 (Bridge) :若去掉一条边,便会使得整个图不连通,该边称为桥。

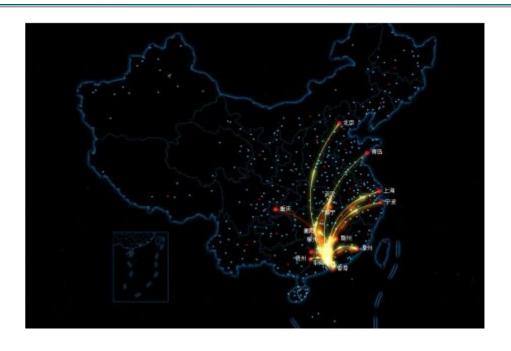


图的应用



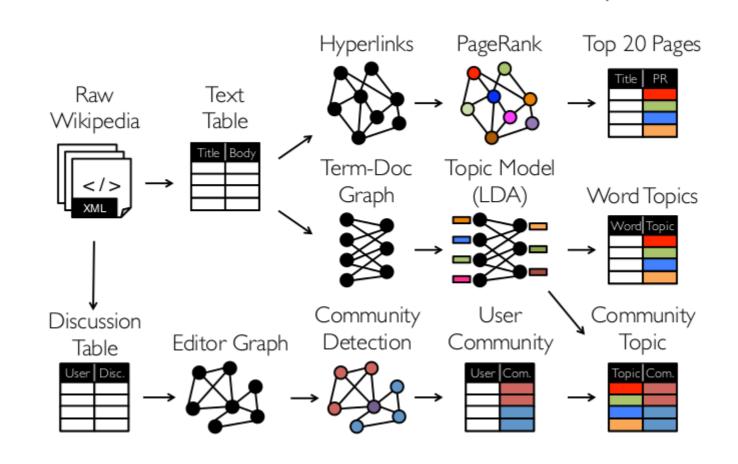
- PageRank
- 社交网络
- 网络交易
- 微博
- 交通状况监控
- 监控电商卖家刷评分
- 0 0 0 0





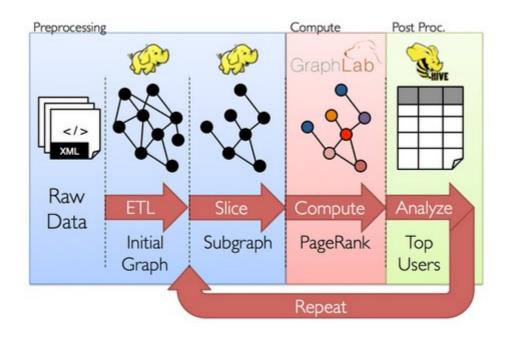
图的处理





图的处理











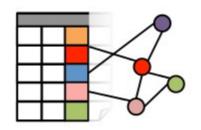






New API

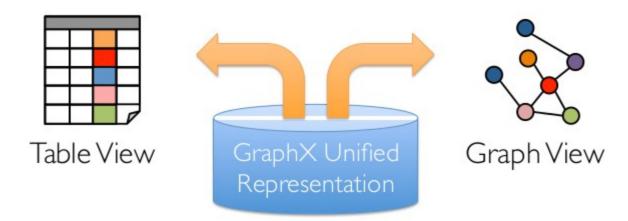
Blurs the distinction between Tables and Graphs



New System

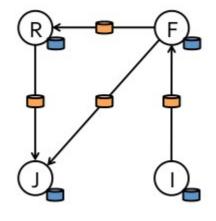
Combines Data-Parallel Graph-Parallel Systems







Property Graph



Vertex Property Table

ld	Property (V)
Rxin	(Stu., Berk.)
Jegonzal	(PstDoc, Berk.)
Franklin	(Prof., Berk)
Istoica	(Prof., Berk)

Edge Property Table

SrcId	Dstld	Property (E)
rxin	jegonzal	Friend
franklin	rxin	Advisor
istoica	franklin	Coworker
franklin	jegonzal	PI



```
class VertexRDD[@specialized VD: ClassTag](
    val partitionsRDD: RDD[ShippableVertexPartition[VD]],
    val targetStorageLevel: StorageLevel = StorageLevel.MEMORY_ONLY)
    extends RDD[(VertexId, VD)](partitionsRDD.context, List(new OneToOneDependency(partitionsRDD))) {
```



```
/**

* A 64-bit vertex identifier that uniquely identifies a vertex within a graph. It does not need

* to follow any ordering or any constraints other than uniqueness.

*/

type VertexId = Long
```



```
class EdgeRDD[@specialized ED: ClassTag, VD: ClassTag](
    val partitionsRDD: RDD[(PartitionID, EdgePartition[ED, VD])],
    val targetStorageLevel: StorageLevel = StorageLevel.MEMORY_ONLY)
    extends RDD[Edge[ED]](partitionsRDD.context, List(new OneToOneDependency(partitionsRDD))) {
```

```
边
```

```
case class Edge[@specialized(Char, Int, Boolean, Byte, Long, Float, Double) ED] (
   var srcId: VertexId = 0,
   var dstId: VertexId = 0,
   var attr: ED = null.asInstanceOf[ED])
  extends Serializable {
```

```
class EdgeDirection private (private val name: String) extends Serializable {
    /**
    * Reverse the direction of an edge. An in becomes out,
    * out becomes in and both and either remain the same.

    */

def reverse: EdgeDirection = this match {
    case EdgeDirection.In => EdgeDirection.Out
    case EdgeDirection.Out => EdgeDirection.In
    case EdgeDirection.Either => EdgeDirection.Either
    case EdgeDirection.Both => EdgeDirection.Both
}
```



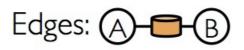
```
class EdgeTriplet[VD, ED] extends Edge[ED] {
    /**...*/
    var srcAttr: VD = _ // nullValue[VD]

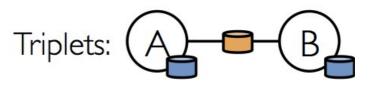
/**...*/
    var dstAttr: VD = _ // nullValue[VD]

/**...*/
protected[spark] def set(other: Edge[ED]): EdgeTriplet[VD,ED] = {
        srcId = other.srcId
        dstId = other.dstId
        attr = other.attr
        this
}
```

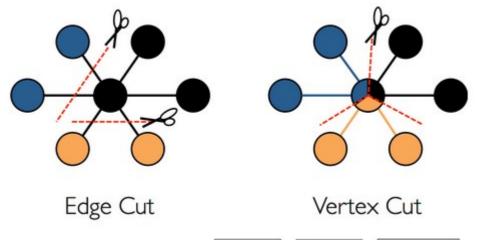




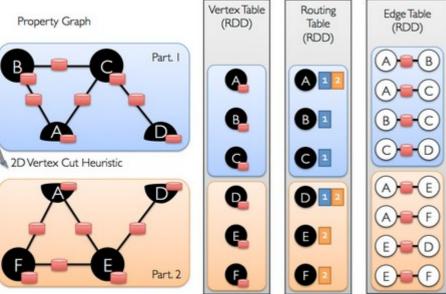










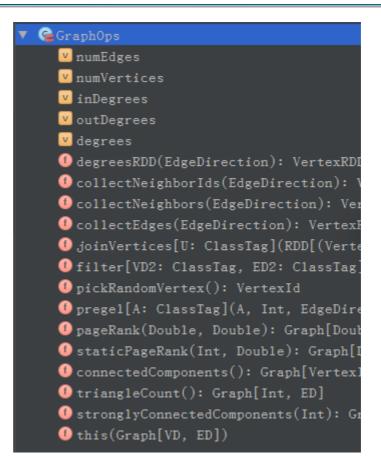


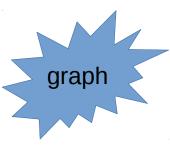






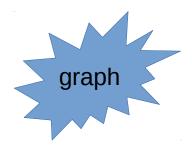
```
GraphImp1
  f this()
  edges
  f persist(StorageLevel): Graph[VD, ED]
  f cache(): Graph[VD, ED]
  unpersistVertices(Boolean): Graph[VI
  f partitionBy(PartitionStrategy): Grag
  f partitionBy(PartitionStrategy, Int)
  freverse: Graph[VD, ED]
  f mapVertices[VD2: ClassTag]((VertexId
  mapEdges[ED2: ClassTag]((PartitionII
  f mapTriplets[ED2: ClassTag]((Partition)
  f subgraph(EdgeTriplet[VD, ED] => Bool
  mask[VD2: ClassTag, ED2: ClassTag](
  froupEdges((ED, ED) => ED): Graph[VI
  f mapReduceTriplets[A: ClassTag](Edgel
  OuterJoinVertices[U: ClassTag, VD2:
  f accessesVertexAttr(AnyRef, String):
  this(VertexRDD[VD], ReplicatedVertex
O GraphImp1
  f apply[VD: ClassTag, ED: ClassTag](R
  fromEdgePartitions[VD: ClassTag, ED:
  f apply[VD: ClassTag, ED: ClassTag](RI
  f apply[VD: ClassTag, ED: ClassTag](Ve
  fromExistingRDDs[VD: ClassTag, ED: (
  fromEdgeRDD[VD: ClassTag, ED: ClassT
```





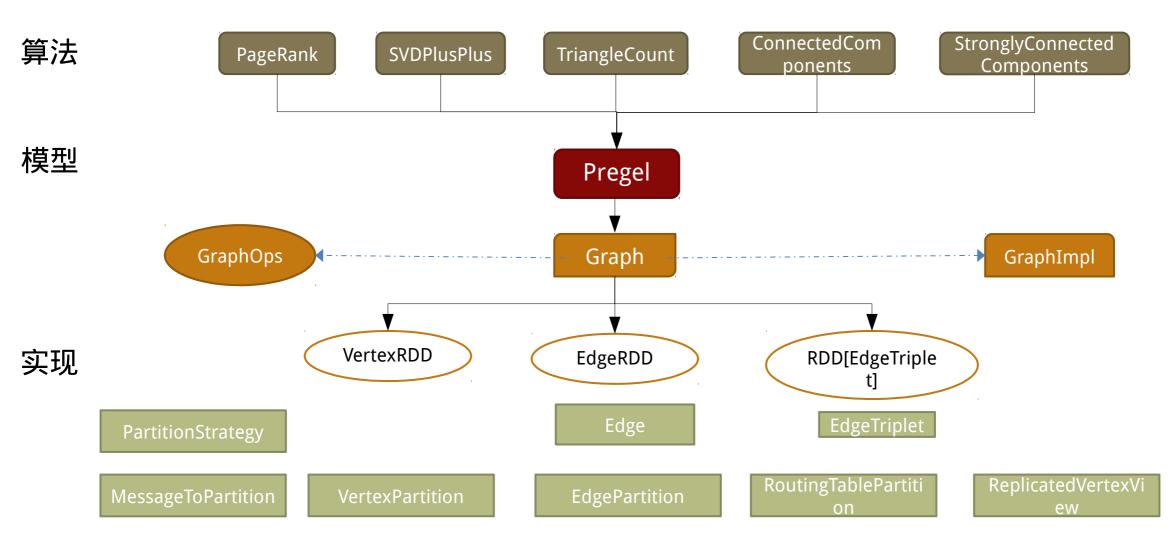


```
object GraphLoader extends Logging {
 /**...*/
 def edgeListFile(
     sc: SparkContext,
     path: String,
     canonicalOrientation: Boolean = false,
     minEdgePartitions: Int = 1,
     edgeStorageLevel: StorageLevel = StorageLevel.MEMORY_ONLY,
     vertexStorageLevel: StorageLevel = StorageLevel.MEMORY_ONLY)
   : Graph[Int, Int] =
   val startTime = System.currentTimeMillis
   // Parse the edge data table directly into edge partitions
   val lines = sc.textFile(path, minEdgePartitions).coalesce(minEdgePartitions)
   val edges = lines.mapPartitionsWithIndex { (pid, iter) =>
     val builder = new EdgePartitionBuilder[Int, Int]
     iter.foreach { line =>
       if (!line.isEmpty && line(0) != '#') {
         val lineArray = line.split("\\s+")
         if (lineArray.length < 2) {</pre>
           logWarning("Invalid line: " + line)
         val srcId = lineArray(0).toLong
         val dstId = lineArray(1).toLong
         if (canonicalOrientation && srcId > dstId) {
           builder.add(dstId, srcId, 1)
         } else {
           builder.add(srcId, dstId, 1)
```



GraphX 架构





GraphX 操作





GraphX 操作



```
/** Summary of the functionality in the property graph */
class Graph[VD, ED] {
// Information about the Graph ===============================
val numEdges: Long
val numVertices: Long
val inDegrees: VertexRDD[Int]
val outDegrees: VertexRDD[Int]
val degrees: VertexRDD[Int]
// Views of the graph as collections ============
val vertices: VertexRDD[VD]
val edges: EdgeRDD[ED, VD]
 val triplets: RDD[EdgeTriplet[VD, ED]]
 // Functions for caching graphs ===========
 def persist(newLevel: StorageLevel = StorageLevel.MEMORY_ONLY): Graph[VD, ED]
 def cache(): Graph[VD, ED]
 def unpersistVertices(blocking: Boolean = true): Graph[VD, ED]
 def partitionBy(partitionStrategy: PartitionStrategy): Graph[VD, ED]
 // Transform vertex and edge attributes =====================
 def mapVertices[VD2](map: (VertexID, VD) => VD2): Graph[VD2, ED]
 def mapEdges[ED2](map: Edge[ED] => ED2): Graph[VD, ED2]
 def mapEdges[ED2](map: (PartitionID, Iterator[Edge[ED]]) => Iterator[ED2]): Graph[VD, ED2]
 def mapTriplets[ED2](map: EdgeTriplet[VD, ED] => ED2): Graph[VD, ED2]
 def mapTriplets[ED2](map: (PartitionID, Iterator[EdgeTriplet[VD, ED]]) => Iterator[ED2])
 : Graph[VD, ED2]
```

```
def reverse: Graph[VD, ED]
def subgraph(
  epred: EdgeTriplet[VD,ED] => Boolean = (x => true),
 vpred: (VertexID, VD) => Boolean = ((v, d) => true))
: Graph[VD, ED]
def mask[VD2, ED2](other: Graph[VD2, ED2]): Graph[VD, ED]
def groupEdges(merge: (ED, ED) => ED): Graph[VD, ED]
// Join RDDs with the graph ==========
def joinVertices[U](table: RDD[(VertexID, U)])(mapFunc: (VertexID, VD, U) => VD): Graph[VD, ED]
def outerJoinVertices[U, VD2](other: RDD[(VertexID, U)])
 (mapFunc: (VertexID, VD, Option[U]) => VD2)
: Graph[VD2, ED]
// Aggregate information about adjacent triplets ================================
def collectNeighborIds(edgeDirection: EdgeDirection): VertexRDD[Array[VertexID]]
def collectNeighbors(edgeDirection: EdgeDirection): VertexRDD[Array[(VertexID, VD)]]
def mapReduceTriplets[A: ClassTag](
 mapFunc: EdgeTriplet[VD, ED] => Iterator[(VertexID, A)],
  reduceFunc: (A, A) => A,
  activeSetOpt: Option[(VertexRDD[_], EdgeDirection)] = None)
 : VertexRDD[A]
```

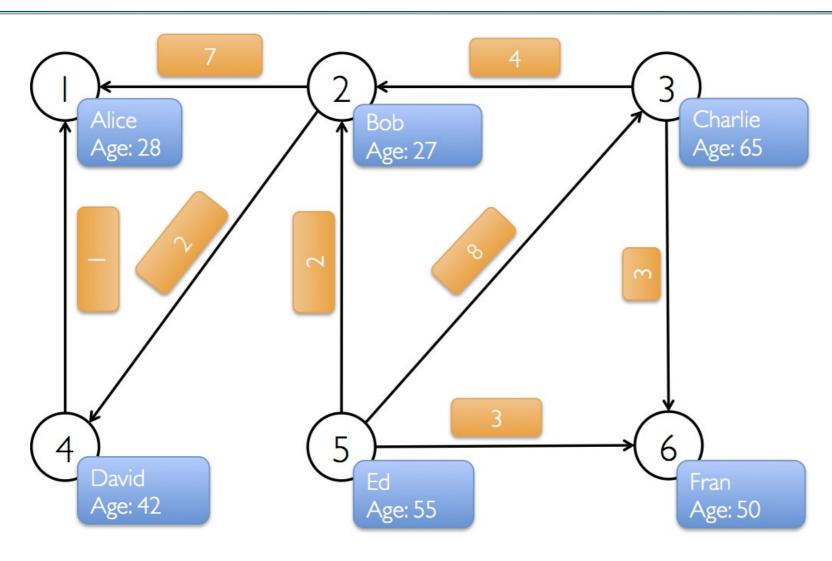
本周内容



- GraphX 简介
 - 图的定义
 - GraphX 图处理
 - GraphX 架构
 - GraphX 操作
- 实例演示
 - 图例演示
 - PageRank 演示

图例演示



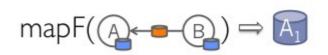


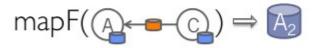
图例演示



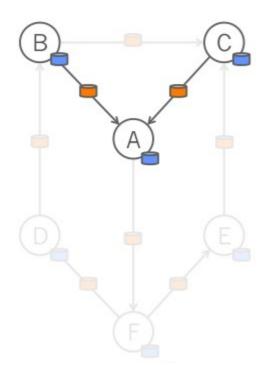
```
override def mapReduceTriplets[A: ClassTag](
    mapFunc: EdgeTriplet[VD, ED] => Iterator[(VertexId, A)],
    reduceFunc: (A, A) => A,
    activeSetOpt: Option[(VertexRDD[_], EdgeDirection)] = None): VertexRDD[A] = {
```

Map-Reduce for each vertex









PageRank



- PageRank, 即网页排名,又称网页级别、 Google 左侧排名或佩奇排名。
 - 是 Google 创始人拉里·佩奇和谢尔盖·布林于 1997 年构建早期的搜索系统原型时提出的链接分析算法。
 - 目前很多重要的链接分析算法都是在 PageRank 算法基础上衍生出来的。
- PageRank 是 Google 用于用来标识网页的等级 / 重要性的一种方法 , 是 Google 用来衡量一个网站的好坏的唯一标准。
- 在揉合了诸如 Title 标识和 Keywords 标识等所有其它因素之后 , Google 通过 PageRank 来调整结果,使那些更具"等级 / 重要性"的网页在搜索结果中令网站排名获得提升 , 从而提高搜索结果的相关性和质量。
- 其级别从0到 10 级, 10 级为满分。 PR 值越高说明该网页越受欢迎(越重要)。



PageRank



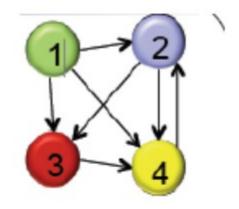
这是Google最核心的算法,用于给每个网页价值评分,是Google "在垃圾中找黄金"的关键算法,这个算法成就了今天的Google

PageRank vector **q** is defined as q = Gq where $G = \alpha S + (1-\alpha) \frac{1}{n} U$

- S is the destination-by-source stochastic matrix,
- U is all one matrix.
- n is the number of nodes
- α is the weight between 0 and 1 (e.g., 0.85)

Algorithm: Iterative powering for finding the first eigenvector

$$q^{next} = Gq^{cur}$$



$$G = \begin{bmatrix} 0 & 0 & 0 & 0 \\ 1/3 & 0 & 0 & 1 \\ 1/3 & 1/2 & 0 & 0 \\ 1/3 & 1/2 & 1 & 0 \end{bmatrix}$$

课程回顾



- GraphX 构成
- GraphX 操作
- 下周运维和优化
 - 运维(参数配置、 HistoryServer 、 Jobserver 、 ganglia 集成)
 - 优化(序化、压缩。。。)







Thanks

FAQ时间