

# Tutorial 2

## Q1:

(1)

<integer\_literal, 2>  
<\*>  
<id, r>

(2)

<while>  
<(>  
<integer\_literal, 1>  
<)>  
<{>  
<id, x>  
<=>  
< integer\_literal, 0>  
<;>

(3)

<string\_literal, "This is a test program.">

(4)

<id, A>  
<[>  
<id, i>  
<]>  
<+>  
<id, j>

## Q2:

According to the diagram, we can draw the transition table as follows:

	a	b
0	{0,1}	{0}
1	$\emptyset$	{2}
2	$\emptyset$	{3}
3	$\emptyset$	$\emptyset$

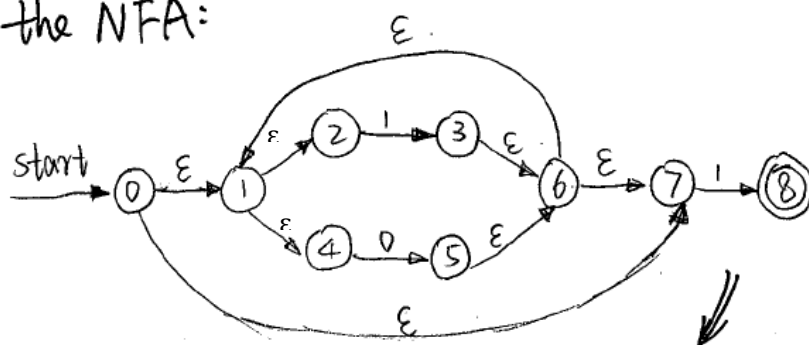
From the table, we know that: when we are in State 0, and the input is 0, the next state we can

move to can be State 0 or State 1, so the next state we will go to is infinite, so this diagram is NFA instead of DFA.

### Q3:

(1)

(1) According to the RE  $(1/0)^*1$ , we get the NFA:



(2)

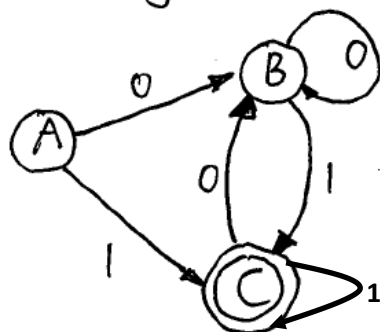
I	$I_0$	$I_1$
$\{0, 1, 2, 4, 7\}^A$	$\{5, 6, 1, 2, 4, 7\}^B$	$\{3, 6, 1, 7, 2, 4, 8\}^C$
$\{5, 6, 1, 2, 4, 7\}^B$	$\{5, 6, 1, 7, 2, 4\}^B$	$\{8, 3, 6, 1, 2, 4, 7\}^C$
$\{3, 6, 1, 7, 2, 4, 8\}^C$	$\{5, 6, 1, 7, 2, 4\}^B$	$\{3, 6, 1, 2, 7, 4, 8\}^C$

Assume  $A = \{0, 1, 2, 4, 7\}$

$B = \{5, 6, 1, 2, 4, 7\}$

$C = \{3, 6, 1, 7, 2, 4, 8\}$

Then we get the DFA



**Q4:**

(1) NFA  $\rightarrow$  DFA

I	$I_0$	$I_1$
$\{A F\} \textcircled{1}$	$\{B E F\} \textcircled{2}$	$\emptyset \textcircled{5}$
$\{B E F\} \textcircled{2}$	$\emptyset \textcircled{5}$	$\{D\} \textcircled{3}$
$\{D\} \textcircled{3}$	$\{C A F\} \textcircled{4}$	$\emptyset \textcircled{5}$
$\{C A F\} \textcircled{4}$	$\{B E F\} \textcircled{2}$	$\emptyset \textcircled{5}$

Then, we can get the DFA:

