

3.17

$S \rightarrow (L) | a$

$L \rightarrow L, S | S$

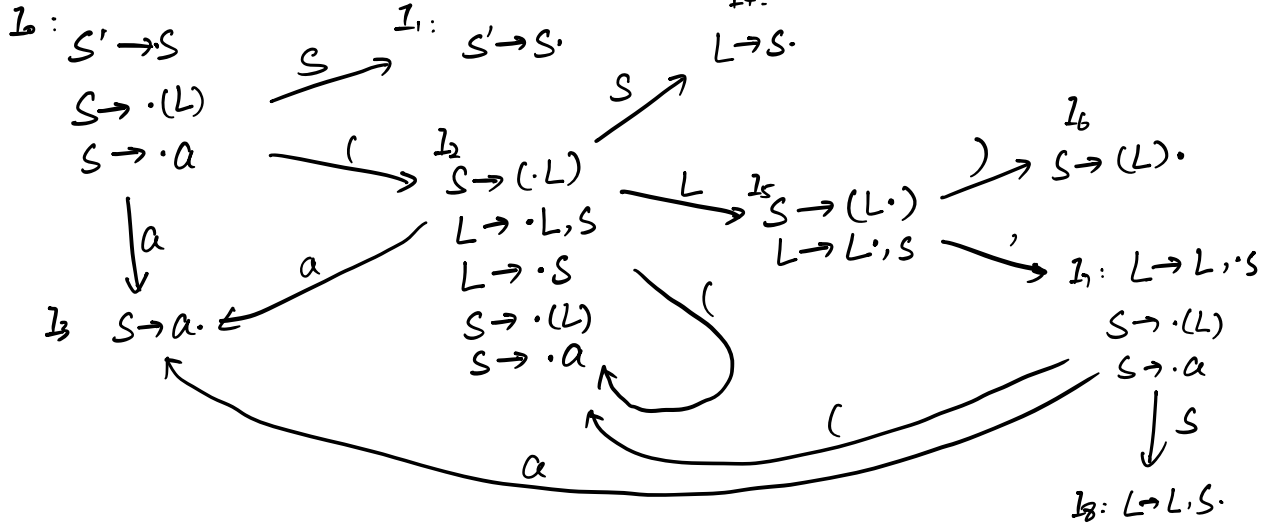
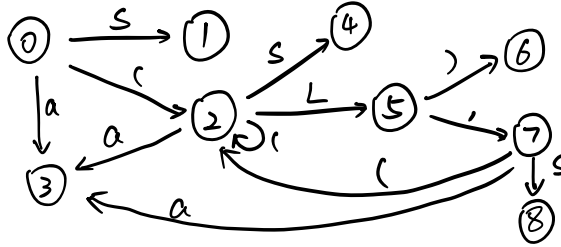


示意图:

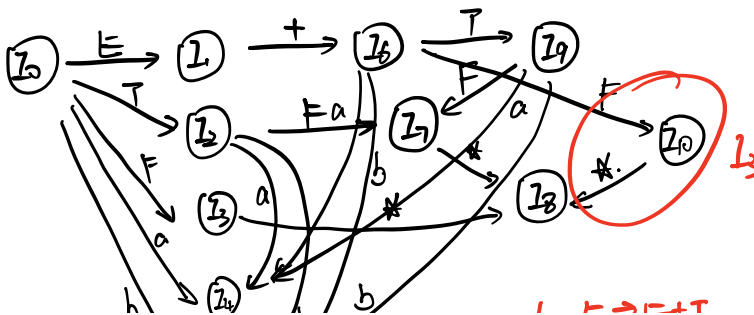
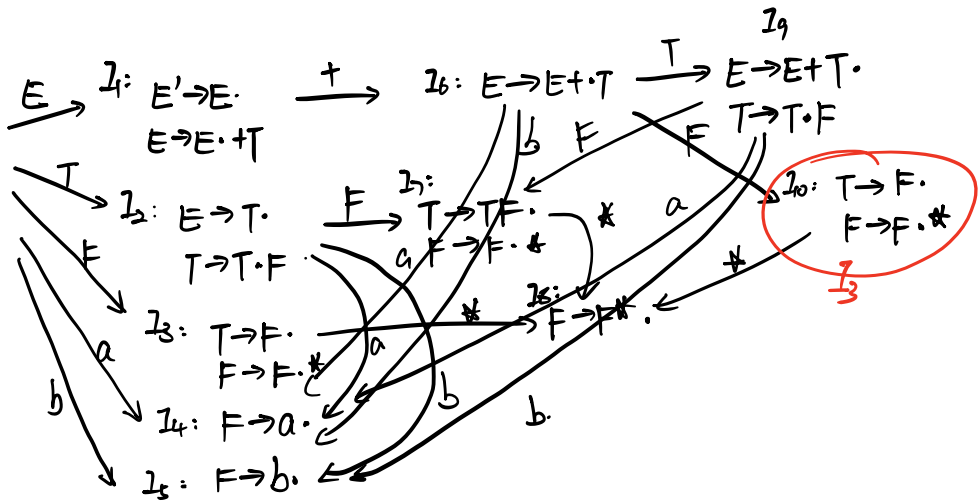


3.19 (a)

DFA:

LR(0) items:

- $E' \rightarrow \cdot E$
- $E \rightarrow \cdot E + T$
- $E \rightarrow \cdot T$
- $T \rightarrow \cdot T F$
- $T \rightarrow \cdot F$
- $F \rightarrow \cdot F^*$
- $F \rightarrow \cdot a$
- $F \rightarrow \cdot b$



$T: \{+, a, b, \cdot, \cdot\}$
 $E: \{+, \cdot\}$
 $F: \{+, a, b, \cdot, \cdot\}$



1. $E \rightarrow E^*$ 2. $E \rightarrow T$
 3. $T \rightarrow TF$ 4. $T \rightarrow F$ 5. $F \rightarrow F^*$ 6. $F \rightarrow a$
 7. $F \rightarrow b$

	a	b	+	*	\$	E	T	F
0	S4	S5				1	2	3
1			S6		acc			
2	S4	S5	R		R			7
3	r4	r4	r4	S8	r4			
4	r6	r6	r6	r6	r6			
5	r7	r7	r7	r7	r7			
6	S4	S5					9	3
7	r3	r3	r3	S8	r3			
8	r5	r5	r5	r5	r5			
9	S4	S5	r1		r1			7

3.21 (a)

$S \rightarrow AaAb \mid BbBa \quad A \rightarrow \varepsilon \quad B \rightarrow \varepsilon$

对于 $S \rightarrow AaAb \mid BbBa$, $FIRST(AaAb) = \{a\}$, $FIRST(BbBa) = \{b\}$.

$FIRST(AaAb) \cap FIRST(BbBa) = \emptyset$. \therefore 为 LL(1) 文法

当输入 ε 时, $FOLLOW(A) = \{a, b\}$, $FOLLOW(B) = \{a, b\}$.

$FOLLOW(A) \cap FOLLOW(B) \neq \emptyset$. 无法预知 ε 归约成 A 还是 B.

\therefore 不为 SLR(1) 文法