Competitive Programmer's CodeBook

 ${\bf MIST_EaglesExpr}$

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7 Dynamic Programming 7.1 LCS	

1 Useful Tips

Big Integer C++ __int128_t

C++ FastIO

ios::sync_with_stdio(false);
cin.tie(nullptr);

Python FastIO

import sys; input = sys.stdin.readline

Input From File

freopen("input.txt", "r",
stdin);

Python Array Input

list(map(int, input().split()))

2 Formula

2.1 Area Formula

Rectangle Area = length * width

Square Area = Side * Side

Triangle $Area = \frac{1}{2} * length * width$

Circle $Area = \pi * radius^2$

 $\begin{array}{cccc} \mathbf{Parallelogram} & Area & = & base & * \\ & & height & & & \end{array}$

Pyramid Base $Area = \frac{1}{2} * base * slantHeight$

Polygon

a $Area = \frac{1}{2} |\sum_{n=1}^{n-1} (x_i y_{i+1})|$

b $Area = a + \frac{b}{2} - 1$ (for int coordinates). Here a = int points inside polygon and b = int points outside polygon.

2.2 Perimeter Formulas

 $\begin{array}{cccc} \textbf{Rectangle} \ Perimeter & = & 2 & * \\ & (length + width) & & & \end{array}$

Square Perimeter = 4 * side

Triangle Perimeter = 4 * side

Circle $Perimeter = 2 * \pi * radius$

2.3 Volume Formula

Cube $Volume = side^3$

 $\begin{array}{cccc} \textbf{Rect Prism } Volume & = & length * \\ & width * height \end{array}$

Cylinder $Volume = \pi * radius^2 * height$

Sphere $Volume = \frac{4}{3} * \pi * radius^3$

Pyramid $Volume = \frac{1}{3} * baseArea * height$

2.4 Surface Area Formula

Cube $SurfaceArea = 6 * side^2$

 $\begin{array}{ll} \textbf{Rectangle Prism} \ Surface Area = \\ 2* (length*width+length*\\ height+width*height) \end{array}$

Cylinder $SurfaceArea = 2 * \pi * radius * (radius + height)$

Sphere $SurfaceArea = 4 * \pi * radius^2$

 $\begin{array}{ll} \textbf{Pyramid} \ SurfaceArea &= \\ basearea+\frac{1}{2}*perimeterOfBase* \\ slantHeight \end{array}$

2.5 Triangles

Side Lengths a, b, c

Semi Perimeter $p = \frac{a+b+c}{2}$

Area $A = \sqrt{p(p-a)(p-b)(p-c)}$

Circumstance $R = \frac{abc}{4A}$

In Radius $r = \frac{A}{p}$

2.6 Summation Of Series

•
$$c^k + c^{k+1} + \dots + c^n = c^{n+1} - c^k$$

•
$$1+2+3+\ldots+n=\frac{n(n+1)}{2}$$

$$\bullet \ \, \frac{1^2 + 2^2 + 3^2 + \ldots + n^2}{\frac{n(n+1)(2n+1)}{6}} = \\$$

•
$$1^3 + 2^3 + 3^3 + \dots + n^3 = (\frac{n(n+1)}{2})^2$$

2.7 Miscellaneous

- $2^{100} = 2^{50} * 2^{50}$
- $\bullet \ \begin{bmatrix} F_n \\ F_{n-1} \end{bmatrix} = \begin{bmatrix} 1 & 1 \\ 1 & 0 \end{bmatrix}^{n-1} \begin{bmatrix} F_1 \\ F_0 \end{bmatrix}$
- $\bullet \ logn! = log1 + log2 + ... + logn$

3 Graph Theory

All about graph.

3.1 BFS

```
void bfs(int start, int
   target = -1) {
  queue < int > q;
 q.push(start);
 vis[start] = true;
  while (!q.empty()) {
    int u = q.front();
    q.pop();
    for (int i : adj[u]) {
      if (!vis[i]) {
        vis[i] = true;
        q.push(i);
      }
    }
 }
}
```

3.2 DFS

3.3 Dijkstra-Algorithm

```
void Dijkstra(int start) {
  //\ \textit{vector} < \textit{pair} < \textit{int} \ , \ \textit{int} >>
      adj[N];
  priority_queue < pair < int ,</pre>
      int>, vector<pair<int,</pre>
      int>>, greater<pair<int</pre>
       , int>>> pq;
  pq.push({0, start});
  while (!pq.empty()) {
     auto it = pq.top();
    pq.pop();
     int wt = it.first;
     int u = it.second;
     if (vis[u])
       continue;
     vis[u] = 1;
    for (pair<int, int> i :
         adj[u]) {
       int adjWt = i.second;
       int adjNode = i.first;
       if (dist[adjNode] > wt
             + adjWt) {
         dist[adjNode] = wt +
               adjWt;
         pq.push({dist[
              adjNode], adjNode
              });
       }
    }
  }
}
```

3.4 Bellman-Ford

```
vector<int> dist;
vector<int> parent;
vector<vector<pair<int, int</pre>
   >>> adj;
// resize the vectors from
   main function
void bellmanFord(int
   num_of_nd, int src) {
  dist[src] = 0;
  for (int step = 0; step <</pre>
     num_of_nd; step++) {
    for (int i = 1; i <=</pre>
        num_of_nd; i++) {
      for (auto it : adj[i])
           {
        int u = i;
        int v = it.first;
```

```
int wt = it.second;
         if (dist[u] != inf
            & &
             ((dist[u] + wt)
                 < dist[v])) {
           if (step ==
               num_of_nd - 1)
               {
             cout << "
                 Negative⊔
                 cycle_found\n
                 ∟";
                 return;
           }
           dist[v] = dist[u]
               + wt;
           parent[v] = u;
        }
      }
    }
  }
  for (int i = 1; i <=</pre>
      num_of_nd; i++)
    cout << dist[i] << "";
  cout << endl;</pre>
}
```

$\begin{array}{cc} \textbf{3.5} & \textbf{Floyed-Warshall Algo-} \\ & \textbf{rithm} \end{array}$

```
typedef double T;
typedef vector <T> VT;
typedef vector < VT > VVT;
typedef vector<int> VI;
typedef vector <VI> VVI;
bool FloydWarshall(VVT &w,
   VVI &prev) {
 int n = w.size();
 prev = VVI(n, VI(n, -1));
 for (int k = 0; k < n; k
     ++) {
    for (int i = 0; i < n; i</pre>
       ++) {
      for (int j = 0; j < n;
           j++) {
        if (w[i][j] > w[i][k
            ] + w[k][j]) {
          w[i][j] = w[i][k]
              + w[k][j];
          prev[i][j] = k;
        }
     }
    }
```

3.6 Kruskal-Algorithm (MST)

```
vector<pair<int, pair<int,</pre>
   int>>> Krushkal(vector<</pre>
   pair<int, pair<int, int</pre>
   >>> &edges, int n) {
  sort(edges.begin(), edges.
      end());
  vector<pair<int, pair<int,</pre>
      int>>> ans;
  DisjointSet D(n);
  for (auto it : edges) {
    if (D.findUPar(it.second
        .first) != D.findUPar
        (it.second.second)) {
      ans.push_back({it.
          first, {it.second.
          first, it.second.
          second}});
      D.unionBySize(it.
          second.first, it.
          second.second);
    }
  }
  return ans;
```

$\begin{array}{cc} \textbf{3.7} & \textbf{Prims-Algorithm} \\ & (\textbf{MST}) \end{array}$

```
void Prims(int start) {
    // map < int, vector < pair <
        int, int >>> adj, ans;
    priority_queue < pair < int,
        pair < int, int >>, vector
        <pair < int, pair < int,
        int >>>, greater < pair <
        int, pair < int, int >>>>
        pq;
    pq.push({0, {start, -1}});
    while (!pq.empty()) {
        auto it = pq.top();
    }
}
```

```
pq.pop();
    int wt = it.first;
    int u = it.second.first;
    int v = it.second.second
    if (vis[u]) continue;
    vis[u] = 1;
    if (v != -1) ans [u].
       push_back({v, wt});
    for (pair<int, int> i :
       adj[u]) {
      int adjWt = i.second;
      int adjNode = i.first;
      if (!vis[adjNode]) pq.
          push({adjWt, {
          adjNode, u}});
    }
 }
}
```

3.8 Strongly-Connected-Components

```
vector < bool > visited; //
   keeps track of which
   vertices are already
   visited
// runs depth first search
   starting at vertex v.
// each visited vertex is
   appended to the output
   vector when dfs leaves it
void dfs(int v, vector<</pre>
   vector < int >> const &adj,
   vector < int > & output) {
 visited[v] = true;
 for (auto u : adj[v])
    if (!visited[u])
      dfs(u, adj, output);
 output.push_back(v);
// input: adj -- adjacency
   list of G
// output: components -- the
    strongy connected
   components in G
// output: adj_cond --
   adjacency list of G^SCC (
   by root vertices)
```

```
void scc(vector<vector<int>>
   const &adj, vector <</pre>
   vector < int >> & components ,
    vector < vector < int >> &
   adj_cond) {
  int n = adj.size();
  components.clear(),
     adj_cond.clear();
 vector<int> order; // will
      be a sorted list of G'
     s vertices by exit time
 visited.assign(n, false);
  // first series of depth
     first searches
  for (int i = 0; i < n; i</pre>
     ++)
    if (!visited[i])
      dfs(i, adj, order);
  // create adjacency list
     of G^T
  vector < vector < int >>
     adj_rev(n);
  for (int v = 0; v < n; v
     ++)
    for (int u : adj[v])
      adj_rev[u].push_back(v
 visited.assign(n, false);
 reverse(order.begin(),
     order.end());
  vector < int > roots(n, 0);
     // gives the root
     vertex of a vertex's
     SCC
  // second series of depth
     first searches
 for (auto v : order)
    if (!visited[v]) {
      std::vector<int>
         component;
      dfs(v, adj_rev,
         component);
      components.push_back(
         component);
      int root = *
         min_element(begin(
          component), end(
```

```
for(int i=0;i<n;i++)</pre>
          component));
      for (auto u :
                                                {
                                               int mid = jump[i
          component)
        roots[u] = root;
                                                   ][j-1];
    }
                                               if(mid != -1)
                                                   jump[i][j] =
  // add edges to
                                                   jump[mid][j
      condensation graph
                                                   -1];
  adj_cond.assign(n, {});
                                           }
  for (int v = 0; v < n; v</pre>
                                      }
                                    }
      ++)
    for (auto u : adj[v])
      if (roots[v] != roots[
                                    void dfs(vector<vector<int</pre>
          u])
                                        >> &adj, int node, int
        adj_cond[roots[v]].
                                        h = 0) {
            push_back(roots[u
                                       visited[node] = true;
            ]);
                                       height[node] = h;
}
                                       first[node] = euler.size
                                       euler.push_back(node);
                                       for (auto to : adj[node
3.9 LCA
                                          ]) {
                                         if (!visited[to]) {
struct LCA {
                                           parent[to] = node;
  vector < int > height, euler,
                                           dfs(adj, to, h + 1);
      first, segtree, parent
                                           euler.push_back(node
                                               );
  vector < bool > visited;
  vector < vector < int >> jump;
                                      }
  int n;
                                    void build(int node, int b
  LCA(vector<vector<int>> &
                                        , int e) {
     adj, int root = 0) {
                                       if (b == e) {
    n = adj.size();
                                         segtree[node] = euler[
    height.resize(n);
                                            b];
    first.resize(n);
                                       } else {
    parent.resize(n);
                                         int mid = (b + e) / 2;
    euler.reserve(n * 2);
                                         build(node << 1, b,</pre>
    visited.assign(n, false)
                                            mid);
                                         build(node << 1 | 1,
    dfs(adj, root);
                                            mid + 1, e);
    int m = euler.size();
                                         int 1 = segtree[node
    segtree.resize(m * 4);
                                             << 1], r = segtree[
    build(1, 0, m - 1);
                                            node << 1 | 1];
                                         segtree[node] = (
    jump.resize(n, vector <
                                            height[1] < height[
        int > (32, -1));
                                            r]) ? 1 : r;
                                      }
    for(int i=0;i<n;i++) {</pre>
                                    }
        jump[i][0] = parent[
            il:
                                    int query(int node, int b,
    }
                                         int e, int L, int R) {
```

for(int j=1; j<20; j++) {</pre>

if (b > R || e < L)</pre>

```
return -1;
    if (b >= L \&\& e <= R)
      return segtree[node];
    int mid = (b + e) >> 1;
    int left = query(node <<</pre>
         1, b, mid, L, R);
    int right = query(node
        << 1 | 1, mid + 1, e,
         L, R);
    if (left == -1)
      return right;
    if (right == -1)
      return left;
    return height[left] <</pre>
       height[right] ? left
        : right;
  }
  int lca(int u, int v) {
    int left = first[u],
       right = first[v];
    if (left > right)
      swap(left, right);
    return query(1, 0, euler
       .size() - 1, left,
       right);
  int kthParent(int u, int k
     ) {
      for(int i=0;i<19;i++)</pre>
          if(k & (1LL<<i)) u</pre>
               = jump[u][i];
      return u;
  }
};
```

3.10 Max Flow

```
const int N = 505;
int capacity[N][N];
int vis[N], p[N];
int n, m;

int bfs(int s, int t) {
  memset(vis, 0, sizeof vis)
    ;
  queue<int> qu;
  qu.push(s);
  vis[s] = 1;
```

```
while (!qu.empty()) {
   int u = qu.front();
    qu.pop();
    for (int i = 0; i <= n +</pre>
        m + 2; i++) {
      if (capacity[u][i] > 0
           && !vis[i]) {
        p[i] = u;
        vis[i] = 1;
        qu.push(i);
      }
    }
 }
 return vis[t] == 1;
int maxflow(int s, int t) {
 int cnt = 0;
 while (bfs(s, t)) {
    int cur = t;
    while (cur != s) {
      int prev = p[cur];
      capacity[prev][cur] -=
          1;
      capacity[cur][prev] +=
          1;
      cur = prev;
    }
    cnt++;
 }
 return cnt;
```

4 Data Structures

Different Data Structures.

4.1 Segment Tree

```
constexpr int N = 100005;
int arr[N], seg[N];

void build(int ind, int low,
    int high) {
  if (low == high) {
    seg[ind] = arr[low];
    return;
  }
  int mid = (low + high) /
    2;
  build(2 * ind + 1, low,
    mid);
```

```
build(2 * ind + 2, mid +
     1, high);
  seg[ind] = seg[2 * ind +
                                    }
     1] + seg[2 * ind + 2];
int query(int ind, int low,
   int high, int 1, int r) {
                                       mid);
  if (low >= 1 && high <= r)</pre>
      return seg[ind];
  if (low > r || high < 1)</pre>
     return 0;
  int mid = (low + high) /
     2;
  int left = query(2 * ind +
      1, low, mid, l, r);
  int right = query(2 * ind
     + 2, mid + 1, high, 1,
     r);
  return left + right;
void update(int ind, int low
   , int high, int node, int
    val) {
  if (low == high) {
    seg[ind] = val;
                                      return;
    return;
 }
  int mid = (low + high) /
  if (low <= node && node <=</pre>
      mid) update(2 * ind +
     1, low, mid, node, val)
  else update(2 * ind + 2,
     mid + 1, high, node,
     val);
  seg[ind] = seg[2 * ind +
     1] + seg[2 * ind + 2];
4.2
     Segment Tree Lazy
```

```
constexpr int N = 100005;
int arr[N];

struct {
   int sum, prop;
} seg[4 * N];

void build(int ind, int low,
   int high) {
   if (low == high) {
      seg[ind].sum = arr[low];
   }
}
```

```
seg[ind].prop = 0;
    return;
 int mid = (low + high) /
  build(2 * ind + 1, low,
 build(2 * ind + 2, mid +
     1, high);
  seg[ind].sum = seg[2 * ind]
      + 1].sum + seg[2 * ind
      + 2].sum;
 seg[ind].prop = 0;
void update(int ind, int low
   , int high, int 1, int r,
    int val) {
  if (1 > high || r < low)</pre>
     return;
  if (low >= 1 && high <= r)</pre>
    seg[ind].sum += (high -
       low + 1) * val;
    seg[ind].prop += val;
  int mid = (low + high) /
  update(2 * ind + 1, low,
     mid, 1, r, val);
  update(2 * ind + 2, mid +
     1, high, l, r, val);
  seg[ind].sum = seg[2 * ind]
      + 1].sum + seg[2 * ind
      + 2].sum + (high - low
      + 1) * seg[ind].prop;
int query(int ind, int low,
   int high, int 1, int r,
   int carry = 0) {
  if (1 > high || r < low)</pre>
     return 0;
  if (low >= 1 && high <= r)</pre>
    return seg[ind].sum +
       carry * (high - low +
        1);
  int mid = (low + high) /
  int q1 = query(2 * ind +
     1, low, mid, l, r,
     carry + seg[ind].prop);
  int q2 = query(2 * ind +
```

4.3 Fenwick Tree

```
int fenwick[N];

void update(int ind, int val
    ) {
    while (ind < N) {
       fenwick[ind] += val;
       ind += ind & -ind;
    }
}
int query(int ind) {
    int sum = 0;
    while (ind > 0) {
       sum += fenwick[ind];
       ind -= ind & -ind;
    }
    return sum;
}
```

4.4 DisjointSet

```
class DisjointSet {
 vector < int > parent, sz;
public:
 DisjointSet(int n) {
    sz.resize(n + 1);
    parent.resize(n + 2);
    for (int i = 1; i <= n;</pre>
       i++) parent[i] = i,
       sz[i] = 1;
  int findUPar(int u) {
     return parent[u] == u ?
      u : parent[u] =
     findUPar(parent[u]); }
  void unionBySize(int u,
     int v) {
    int a = findUPar(u);
    int b = findUPar(v);
    if (sz[a] < sz[b]) swap(</pre>
       a, b);
    if (a != b) {
      parent[b] = a;
      sz[a] += sz[b];
```

```
}
};
     TRIE
4.5
const int N = 26;
class Node {
 public:
  int EoW;
  Node* child[N];
  Node() {
    EoW = 0;
    for (int i = 0; i < N; i</pre>
        ++) child[i] = NULL;
  }
};
void insert(Node* node,
   string s) {
  for (size_t i = 0; i < s.</pre>
     size(); i++) {
    int r = s[i] - A';
    if (node->child[r] ==
        NULL) node->child[r]
        = new Node();
    node = node->child[r];
  }
  node -> EoW += 1;
int search(Node* node,
   string s) {
  for (size_t i = 0; i < s.</pre>
      size(); i++) {
    int r = s[i] - A';
    if (node->child[r] ==
        NULL) return 0;
  }
  return node -> EoW;
void print(Node* node,
   string s = "") {
  if (node->EoW) cout << s</pre>
      << "\n";
  for (int i = 0; i < N; i</pre>
      ++) {
    if (node->child[i] !=
       NULL) {
      char c = i + 'A';
      print(node->child[i],
```

s + c);

```
}
 }
bool isChild(Node* node) {
 for (int i = 0; i < N; i</pre>
     ++)
    if (node->child[i] !=
       NULL) return true;
 return false;
bool isJunc(Node* node) {
 int cnt = 0;
  for (int i = 0; i < N; i</pre>
     ++) {
    if (node->child[i] !=
       NULL) cnt++;
 }
 if (cnt > 1) return true;
  return false;
int trie_delete(Node* node,
   string s, int k = 0) {
  if (node == NULL) return
  if (k == (int)s.size()) {
    if (node -> EoW == 0)
       return 0;
    if (isChild(node)) {
      node -> EoW = 0;
      return 0;
    return 1;
 int r = s[k] - A';
  int d = trie_delete(node->
     child[r], s, k + 1);
  int j = isJunc(node);
  if (d) delete node->child[
     r];
  if (j) return 0;
  return d;
void delete_trie(Node* node)
    {
  for (int i = 0; i < 15; i</pre>
     ++) {
    if (node->child[i] !=
       NULL) delete_trie(
       node->child[i]);
 }
```

```
delete node;
}
```

5 Algorithms

All about algorithms.

5.1 KMP

```
vector<int> prefix_function(
    string s) {
    int n = (int)s.length();
    vector < int > pi(n);
    for (int i = 1; i < n; i</pre>
        ++) {
        int j = pi[i - 1];
         while (j > 0 \&\& s[i]
             != s[j]) j = pi[
            j - 1];
         if (s[i] == s[j]) j
        pi[i] = j;
    }
    return pi;
}
vector < int > find_matches(
   string text, string pat)
    int n = pat.length(), m
        = text.length();
    string s = pat + "$" +
        text;
    vector < int > pi =
        prefix_function(s),
        ans:
    for (int i = n; i <= n +</pre>
         m; i++) {
         if (pi[i] == n) {
             ans.push_back(i
                 -2 * n);
    }
    return ans;
}
```

5.2 Monotonic Stack (Immediate Small)

```
for (int i = n - 1; i >= 0;
   i--) {
```

```
while (!stk.empty() && v[i
      ] >= v[stk.top()]) stk.
    pop();
ind[i] = stk.empty() ? -1
      : stk.top();
stk.push(i);
}
// 3 1 5 4 10
// 2 2 4 4 -1
```

6 Number Theory/Math

All about math.

6.1 nCr

```
int inverseMod(int a, int m)
    { return power(a, m - 2)
    ; }

int nCr(int n, int r, int m
    = mod){
    if(r==0) return 1;
    if(r>n) return 0;
    return (fact[n] *
        inverseMod((fact[r] *
        fact[n-r]) % m , m)) %
        m;
}
```

6.2 Power

```
int power(int base, int n,
    int m = mod) {
    if (n == 0) return 1;
    if (n & 1) {
        int x = power(base, n /
            2);
        return ((x * x) % m *
            base) % m;
    }
    else {
        int x = power(base, n /
            2);
        return (x * x) % m;
    }
}
```

6.3 Miller Rabin

```
using u64 = uint64_t;
using u128 = __uint128_t;
u64 binpower(u64 base, u64 e
   , u64 mod) {
  u64 result = 1;
  base %= mod;
  while (e) {
    if (e & 1) result = (
       u128)result * base %
       mod;
    base = (u128)base * base
        % mod;
    e >>= 1;
  }
  return result;
}
bool check_composite(u64 n,
   u64 a, u64 d, int s) {
  u64 x = binpower(a, d, n);
  if (x == 1 | | x == n - 1)
     return false;
  for (int r = 1; r < s; r</pre>
     ++) {
    x = (u128)x * x % n;
    if (x == n - 1) return
       false;
  }
 return true;
bool MillerRabin(u64 n, int
   iter = 5) { // returns
   true if n is probably
   prime, else returns false
  if (n < 4) return n == 2
     | | n == 3;
  int s = 0;
  u64 d = n - 1;
  while ((d & 1) == 0) {
    d >>= 1;
    s++;
  for (int i = 0; i < iter;</pre>
     i++) {
    int a = 2 + rand() % (n
       - 3);
    if (check_composite(n, a
        , d, s)) return false
```

```
}
return true;
}
```

6.4 Sieve

```
const int N = 1e7 + 3;
vector<int> primes;
int notprime[N];
void sieve() {
  primes.push_back(2);
  for (int i = 2; i < N; i</pre>
     += 2) {
    notprime[i] = true;
  }
  for (int i = 3; i < N; i</pre>
     += 2) {
    if (!notprime[i]) {
      primes.push_back(i);
      for (int j = i * i; j
          < N; j += 2 * i) {
        notprime[j] = true;
      }
    }
 }
}
```

6.5 Inverse Mod

```
int modInverse(int a, int m)
    {
    int m0 = m, t, q;
    int x0 = 0, x1 = 1;
    if (m == 1) return 0;
    while (a > 1) {
        q = a / m;
        t = m;
        m = a % m, a = t;
        t = x0;
        x0 = x1 - q * x0;
        x1 = t;
    }
    if (x1 < 0) x1 += m0;
    return x1;
}</pre>
```

6.6 Bitset Sieve

6.7 Divisors

```
constexpr int N = 1000005;
int Prime[N + 4], kk;
bool notPrime[N + 5];
void SieveOf() {
  notPrime[1] = true;
  Prime[kk++] = 2;
  for (int i = 4; i <= N; i</pre>
      += 2) notPrime[i] =
      true;
  for (int i = 3; i <= N; i</pre>
      += 2) {
    if (!notPrime[i]) {
      Prime[kk++] = i;
      for (int j = i * i; j
          <= N; j += 2 * i)
          notPrime[j] = true;
    }
  }
}
void Divisors(int n) {
  int sum = 1, total = 1;
  int mnP = INT_MAX, mxP =
     INT_MIN, cntP = 0,
     totalP = 0;
  for (int i = 0; i <= N &&</pre>
     Prime[i] * Prime[i] <=</pre>
      n; i++) {
    if (n % Prime[i] == 0) {
      mnP = min(mnP, Prime[i
         ]);
      mxP = max(mnP, Prime[i
          ]);
```

```
int k = 0;
    cntP++;
    while (n % Prime[i] ==
       0) {
      k++;
     n /= Prime[i];
    sum *= (k + 1); //
      NOD
    totalP += k;
    int s = 0, p = 1;
    while (k-- \ge 0) {
     s += p;
     p *= Prime[i];
    total *= s; // SOD
  }
}
if (n > 1) {
  cntP++, totalP++;
  sum *= 2;
  total *= (1 + n);
  mnP = min(mnP, n);
  mxP = max(mnP, n);
cout << mnP << "" << mxP
   << "" << cntP << ""
   << totalP << "" << sum
    << "u" << total << "\n
```

6.8 Euler's Totient Phi Function

}

```
const int N = 5000005;
int phi[N];
unsigned long long phiSum[N
   ];
void phiCalc() {
  for (int i = 2; i < N; i</pre>
     ++) phi[i] = i;
  for (int i = 2; i < N; i</pre>
      ++) {
    if (phi[i] == i) {
      for (int j = i; j < N;
           j += i) {
        phi[j] -= phi[j] / i
      }
    }
  }
```

6.9 Log a base b

```
int logab (int a, int b){
  return log2(a) / log2(b);
}
```

7 Dynamic Programming

7.1 LCS

```
string s, t;
vector < vector < int >> dp (3003,
    vector < int > (3003, -1));
vector < vector < int >> mark
   (3003, vector < int > (3003))
int f(int i, int j) {
  if (i < 0 || j < 0) return
       0;
  if (dp[i][j] != -1) return
       dp[i][j];
  int res = 0;
  if (s[i] == t[j]) {
    mark[i][j] = 1;
    res = 1 + f(i - 1, j -
        1);
  else {
    int iC = f(i - 1, j);
    int jC = f(i, j - 1);
    if (iC > jC) mark[i][j]
        = 2;
    else mark[i][j] = 3;
    res = max(iC, jC);
  return dp[i][j] = res;
}
```

```
void printWay(int i, int j)
    {
    if (i < 0 || j < 0) return
       ;
    if (mark[i][j] == 1)
       printWay(i - 1, j - 1),
       cout << s[i];
    else if (mark[i][j] == 2)
       printWay(i - 1, j);
    else if (mark[i][j] == 3)
       printWay(i, j - 1);
}</pre>
```

7.2 LIS

```
]) {
        dp[i] = 1 + dp[prev]
           ];
        hash[i] = prev;
    }
    if (mx < dp[i]) {</pre>
      mx = dp[i];
      lastInd = i;
    }
  }
  vector<int> printSeq;
  printSeq.push_back(v[
     lastInd]);
  while (hash[lastInd] !=
      lastInd) {
    lastInd = hash[lastInd];
    printSeq.push_back(v[
        lastInd]);
  }
  reverse(printSeq.begin(),
     printSeq.end());
  cout << mx << "\n";
  for (int i : printSeq)
     cout << i << "";
  cout << "\n";
}
```