

$$7 \\ \text{Sum} = 7$$

$$\text{Difference} = 3$$

$$\text{Product} = 56$$

$$\text{Quotient} = 6$$

$$\text{Ans} = 343$$

$$\text{Root of } 400 = 20$$

Arithmetic mean of the data = 8.666667

[1] 104

[1] 1 3 6 11 14 20 29 39 59 72 87 104

Practical 1 :- using R array list and frac

```
> # Addition  
> 3+4  
> cat ("Sum =", 7)  
> # Subtraction  
> n=10-7  
> cat ("Difference")  
> # Multiplication  
> m=7*8  
> cat ("Product")  
> # Division  
> d=3075/5  
> cat ("Quotient")  
> # Power  
> p=7**3  
> cat ("Ans =", p)  
> # Square root  
> s=sqrt(400)  
> cat ("Root of")  
> # Raw data  
> #(1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20)  
> x=c(1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20)  
> m=mean(x)  
> cat ("Arithmatic mean")  
> # Summarise  
> sum(x)  
> cumsum(x)  
> # Discrete
```

Practical 1 :- using R execute the basic commands, array list and frames

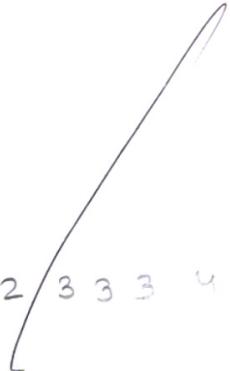
```
> # Addition  
> 3+4  
> cat ("Sum =", 7)  
> # Subtraction  
> n = 10-7  
> cat ("Difference =", n)  
> # Multiplication  
> m = 7 * 8  
> cat ("Product =", m)  
> # Division  
> d = 30/5  
> cat ("Quotient =", d)  
> # Power  
> p = 7 ** 3  
> cat ("Ans =", p)  
> # Square root  
> s = sqrt(400)  
> cat ("Root of 400 =", s)  
> # Raw data  
> # (1, 2, 3, 5, 3, 6, 9, 10, 20, 13, 15, 17)  
> x = c(1, 2, 3, 5, 3, 6, 9, 10, 20, 13, 15, 17) # vector  
> m = mean(x)  
> cat ("Arithmetic mean of the data =", m)  
> # Summation  
> sum(x)  
> cumsum(x) # Cumulative sum  
> # Discrete frequency distribution.
```

FOR EDUCATIONAL USE

y
 1 2 3 4 5 6 7
 5 5 3 4 3 4 3

Freq

1	1
2	2
3	3
4	4
5	5
6	6
7	7
[1]	1 1 1 1 1 2 2 2 2 2
	7 7 7



{ [1] 27

[1] 1

[1] 7

[1] 1 7

[1]	1.000000	1.414214	1.000000	1.000000	1.414214
	1.414214	1.732051	1.732051	2.000000	2.000000
	2.236068	2.236068	2.449490		

[14]	2.000000	2.000000	2.645751	2.645751	1.000000
	1.000000	1.414214	1.732051	2.449490	2.236068
	1.414214	2.449490	2.49490		

{ [27] 2.045751)

[1]	4	1	1	2	4	4
	1	4	7	10	13	16
						19

[1]	100	93	86	79	72	65	58	51
[1]	1	16	49	100	169	256	36	

> $y = c(1, 2, 1, 1, 2, 2, 2, 3,$
 $3, 6, 5, 2, 6, 6, 7)$

> table(y)

> transform(table(y))

> sort(y) # as

> length(y) # ?

> min(y)

> max(y)

> range(y)

> sqrt(y)

> x = c(44, 46, 48)

> x = c(44, 46, 48)

> x %>% 5

> y = c(1, 4, 7)

> seq(1, 20, 3)

> seq(100, 50, -1)

> y^2

ndaram

> $y = c(1, 2, 1, 1, 2, 2, 2, 3, 4, 4, 5, 5, 6, 4, 4, 7, 7, 1, 1, 2,$
 $3, 6, 5, 2, 6, 6, 7)$
> table(y)

> transform(table(y)) ~~# columnwise~~

6
> sort(y) ~~# ascending order~~
> length(y) ~~# no. of elements~~
> min(y)
> max(y)
> range(y)
> sqrt(y)

> $x = c(44, 46, 56, 67, 89, 34) \% .5$
> $x = c(44, 46, 56, 67, 89, 34)$
> $x \% .1<5$
> $y = c(1, 4, 7, 10, 13, 16, 19)$ ~~# A.P~~
> seq(1, 20, 3)
> seq(100, 50, -7)
> y^2

[1] 3 3 3 3

Arithmetic mean = 3.047619

Arithmetic mean = 3.047619

	x	f
1	1	2
2	2	5
3	3	7
4	4	9
5	5	3

[1] 4
[1] 8 16
[1] 64
[1] 16 256

49 64 81 100
343 512 729 1000
2401 4096 6561 10000

x	x^2	x^3	x^4
1	1	1	1
2	4	8	16
3	9	27	81
4	16	64	256
5	25	125	625
6	36	216	1296
7	49	343	2401
8	64	512	4096
9	81	729	6561
10	100	1000	10000

[1] 7 1
[1] 9 12 4
[1] 6 21 13 5 12 6 14 7
18 24 27 15 30

```

> rep(3,4)
> x = c(1,2,3,4,5) #
> f = c(2,5,1,7,4,3) +
> m = sum(x*f) \
> cat ("Arithmetic m")
> y = rep(x,f)
> n = mean(y)
> cat ("Arithmetic /")
> data frame(x,f)

```

```

> x = c(2,4,7,8,9,10)
> x^2
> x^3
> x^4
> data frame(x,x)

```

```

> x = c(2,4,7,8,9,10)
> x-3
> x+5
> 3*x
> x=c(2,4,7,8,10)

```

```
> rep(3,4)  
> x = c(1,2,3,4,5) # Obs  
> f = c(2,5,7,4,3) # Freq  
> m = sum(x*f) / sum(f)  
> cat("Arithmetic mean = ", m)  
> y = rep(x,f)  
> n = mean(y)  
> cat("Arithmetic mean = ", n)  
> data frame(x,f)
```

```
> x = c(2,4,7,8,9,10)  
> x^2  
> x^3  
> x^4  
> data frame(x, x^2, x^3, x^4)
```

```
> x = c(2,4,7,8,9,10)  
> x-3  
> x+5  
> 3*x  
> x = c(2,4,7,8,9,10)
```

X
1
2
3
4
5
6
7
8
9
10

F
1
2
3
3
5
2
1

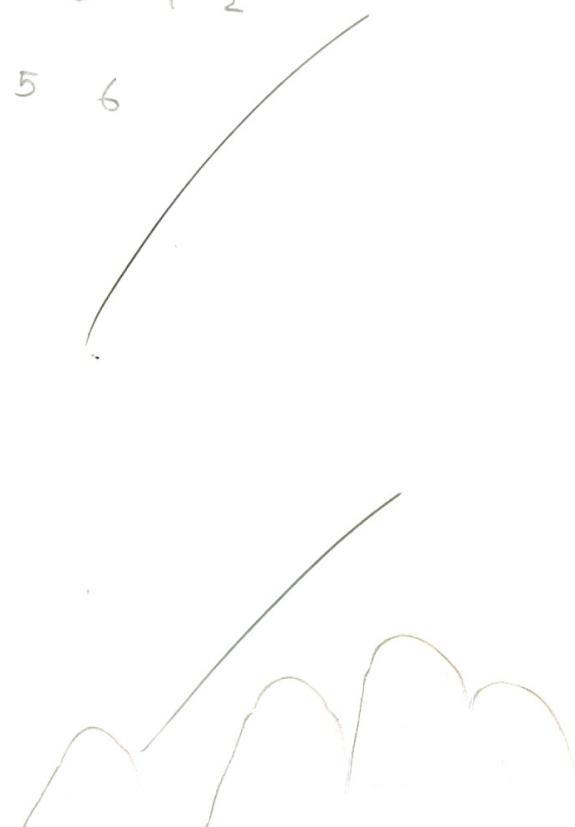
cumsum.F
1
3
6
11
13
14

F(x)
2
8
21
40
18
10

[1] 6 4 1 0 1 2

[1] 3 4 5 6

[1] 20 19 18



> F = c(1, 2, 3, 5, 2, 1)

> data frame (x, F, cumsum(F), F * xc)

1

> x = c(2, 4, 7, 8, 9, 10)

> abs(x - 8)

> x = 3:20

> x

> length(x)

> y = 20:3

> y

✓ *Thm*

	[,1]	[,2]	[,3]
[1,]	1	0	3
[2,]	4	7	-1

	[,1]	[,2]	[,3]
[1,]	1	3	7
[2,]	0	4	-1

	[,1]	[,2]
[1,]	1	4
[2,]	0	7
[3,]	3	-1

	[,1]	[,2]
[1,]	2	3
[2,]	4	5
[3,]	6	7

	[,1]	[,2]	[,3]
[1,]	2	4	6
[2,]	3	5	7

[1] 6

[1] 6

[1] 3 2

[1] 2 3

Practical 2 :- Create a matrix using R and Perform the operations addition, inverse, transpose and multiplication

```
> A = matrix(c(1,0,3,4,7,-1), nrow=2, ncol=3, byrow=TRUE)
```

```
> B = matrix(c(1,0,3,4,7,-1), nrow=2, ncol=3, byrow=FALSE)
```

```
> C = matrix(c(1,0,3,4,7,-1), nrow=3, byrow=FALSE)
```

```
> # Transpose of matrix
```

```
> A = matrix((2:7), nrow=3, byrow=TRUE)
```

```
> A
```

```
> t(A) # transpose of A
```

```
> length(A) # number of elements in A
```

```
> length(t(A))
```

```
> dim(A)
```

```
> dim(t(A))
```

```
> # Algebra of matrices
```

```
> # Addition
```

```
> A = matrix(c(2,4,5,0,-2,-1), nrow=3, byrow=TRUE)
```

```
> B = matrix(seq(1,7,3), nrow=3, byrow=TRUE)
```

```
> A
```

	$[,1]$	$[,2]$
$[1,]$	4	10
$[2,]$	7	10
$[3,]$	13	16

	$[,1]$	$[,2]$
$[1,]$	3	8
$[2,]$	12	10
$[3,]$	11	15

	$[,1]$	$[,2]$
$[1,]$	1	0
$[2,]$	-2	10
$[3,]$	-15	-17

	$[,1]$	$[,2]$
$[1,]$	6	12
$[2,]$	15	0
$[3,]$	-6	-3

	$[,1]$	$[,2]$
$[1,]$	8	20
$[2,]$	29	20
$[3,]$	20	29

	$[,1]$	$[,2]$	$[,3]$	$[,4]$
$[1,]$	28	36	44	52
$[2,]$	29	32	35	38

$[1] \quad 2 \quad 4$

> B

> A + B

> A - B

subtraction

> # scalar multiplication

> 3 * A

> # linear multiplication

> 5 * A - 2 * B

> # matrix multiplication

> A = matrix(c(4, 7, -3, 0, 1, 2), nrow = 2, byrow = TRUE)

> B = matrix((3:14), nrow = 3, byrow = TRUE) # 3 by 4

> A %*% B

> dim(A %*% B)

> H

$$\begin{bmatrix} [1,] \\ [2,] \\ [3,] \end{bmatrix} \quad \begin{bmatrix} [1,1] \\ 0.5 \\ 1 \end{bmatrix} \quad \begin{bmatrix} [1,2] \\ 1 \\ 2 \end{bmatrix} \quad \begin{bmatrix} [1,3] \\ 2 \\ 3 \end{bmatrix}$$

$$\begin{bmatrix} [1,] \\ [2,] \\ [3,] \end{bmatrix} \quad \begin{bmatrix} [1,1] \\ 0.5 \\ -4.0 \end{bmatrix} \quad \begin{bmatrix} [1,2] \\ -0.5 \\ 3.0 \end{bmatrix} \quad \begin{bmatrix} [1,3] \\ 0.5 \\ -1.0 \end{bmatrix}$$

$$[1] -2$$

$$\begin{array}{l} a \\ b \\ c \end{array} \quad \begin{bmatrix} [1,1] \\ 1 \\ -2 \\ 0 \end{bmatrix} \quad \begin{bmatrix} [1,2] \\ 2 \\ 4 \\ 4 \end{bmatrix} \quad \begin{bmatrix} [1,3] \\ 3 \\ 6 \\ 0 \end{bmatrix} \quad \begin{bmatrix} [1,4] \\ 4 \\ -3 \\ 3 \end{bmatrix}$$

> # inverse
 > A = matrix
 > solve(A)

> # vectors
 > a = c(1,4)
 > b = c(0,1)
 > c = c(2,1)
 > rbind(a,

```
> # inverse of a matrix  
> A = matrix(c(2, 0, 3, -4, 6, 7, 11, 8, 2), nrow=3, byrow=TRUE)  
> solve(A)
```

```
> # vectors into matrix  
> a=c(1,4,-2,5)  
> b=c(0,4,0,3)  
> c=c(2,2,1,2)  
> rbind(a,b,c)
```

2) \mathbb{W}^m

[1] 5.9375

Arithmetic mean = 5.9375

[1] 6.5

median = 6.5

mode = 7.625

Q₁ = 4.75

Q₃ = 7

P₄₆ = 7

D₆ = 7

Range of x = 7

Coefficient of range of x = 0.6353536

Coefficient of Q.D. = 0.1914894

Practical 3
median.m

```
> x=c(2,3  
> mean(x)  
> cat ("Ar  
> median()  
> cat ("me  
> cat ("m
```

```
# Position  
# calculate  
> cat ("Q,  
> cat ("Q,  
> cat ("@P46  
> cat ("D6
```

```
> #measur  
> #range,  
CO-EFFI  
> l=max(x)  
> s=min(x)  
> cat ("Ra  
> cat ("coef
```

```
> Q1 = quan  
> Q3 = qua  
> cat ("CO
```

practical 3: using R execute the statistical function: mean, median, mode, quartiles, range, inter quartile range.

```
> x=c(2,3,5,4,6,5,4,6,7,8,9,8,7,7,7)
> mean(x)
> cat("Arithmetic mean =", mean(x))
> median(x)
> cat("median =", median(x))
> cat("mode =", (3*median(x)-2*mean(x)))
```

position values

```
# calculate Q1, Q2, Q3, Q4, P46, D6
> cat("Q1 =", quantile(x, 0.25))
> cat("Q3 =", quantile(x, 0.75))
> cat("P46 =", quantile(x, 0.46))
> cat("D6 =", quantile(x, 0.6))
```

measure of Dispersion

range, Co-efficient of Range, Quartile deviation, Co-efficient of Quartile.

```
> l=max(x)
> s=min(x)
> cat("Range of x =", (l-s))
> cat("Coefficient of range of x =", ((l-s)/(l+s)))
```

```
> Q1=quantile(x, 0.25)
> Q3=quantile(x, 0.75)
> cat("Co-efficient of Q.D =", ((Q3-Q1)/(Q3+Q1)))
```

```

> cat (" variance of data : ", var(x))
> cat (" S.D : ", sd(x))

> cat (" Coefficient of variance : ", sd(x) * 100 / mean(x))

> x = c(2, 3, 5, 6, 2, 4, 8, 9, 10, 8, 6, 7, 7, 7)
> n = length(x)
> m1 = sum(x) / n
> m1
> cat (" First raw moment = ", m1)
> m2 = sum(x^2) / n
> cat (" Second raw moment = ", m2)
> m3 = sum(x^3) / n
> cat (" Third raw moment = ", m3)
> m4 = sum(x^4) / n
> cat (" Fourth raw moment = ", m4)

> m = mean(x)
> cat (" M1 = ", sum(x - m) / n)
> cat (" M2 = ", sum((x - m)^2) / n)
> cat (" M3 = ", sum((x - m)^3) / n)
> cat (" M4 = ", sum((x - m)^4) / n)

```

#ungrouped data

> x = c(2, 3, 5, 6, 9, 10)	# observation
> F = c(1, 2, 3, 4, 2, 1)	# frequency
> y = rep(x, f)	
> mean(y)	
> median(y)	
> quantile(y, 0.25)	
> sd(y)	

Variance of data : 3.795833

S.D. : 1.94829

Coefficient of variance : 32.8133

[1] 6

First raw moment = 6

Second raw moment = 41.85714

Third raw moment = 317.5714

Fourth raw moment = 2538.714

$$M_1 = 6$$

$$M_2 = 5.857143$$

$$M_3 = -3.857143$$

$$M_4 = 70.14286$$

[1] 5.769231

[1] 6

```

> cat("variance of data:", var(x))
> cat("S.D:", sd(x))

> cat("Coefficient of variance:", sd(x) * 100/mean(x))

> x=c(2,3,5,6,2,4,8,9,10,8,6,7,7,7)
> n=length(x)
> m1= sum(x)/n
> m1
> cat("First raw moment =",m1)
> m2 = sum(x^2)/n
> cat("Second raw moment =",m2)
> m3= sum(x^3)/n
> cat("Third raw moment =",m3)
> m4= sum(x^4)/n
> cat("Fourth raw moment =",m4)

> m=mean(x)
> cat("M1 =", sum(x-m)/n)
> cat("M2 =", sum((x-m)^2)/n)
> cat("M3 =", sum((x-m)^3)/n)
> cat("M4 =", sum((x-m)^4)/n)

```

#ungrouped data

```

> x=c(2,3,5,6,9,10)
> f=c(1,2,3,4,2,1)
> y=frep(x,f)
> mean(y)
> median(y)
> quantile(y,0.25)
> sd(y)

```

observation

frequency

5

[1] 2.420532

[1] 5.858974

Arithmetic mean of the data = 40.90476

Median of the data = 39.79167

Mode of the data = 36.42857

ver(y)

Groups

Classes

Frequency

> lb = Seq[

> ub = Seq[

> x = (lb +

> f = CC

> am = S

> cat ("

> n = Sum

> h = 10

> ICF = C

> mc = r

> me =

> cat ("

> F = C

> moc:

> L = 1

> F1 =

> F0 =

> F2 =

> mo

> Cat

Sundaram®

ver(y)

Grouped data

Classes : 0-10 10-20

Frequency : 6 8 15 24 19 14 12

> lb = seq(0, 70, 10)

lower bounds

> ub = seq(10, 80, 10)

upper bounds

> x = (lb+ub)/2

> f = c(6, 8, 15, 24, 19, 14, 12, 7)

> am = sum(x*f) / sum(f)

> cat("Arithmetic mean of the data =", am)

> n = sum(f)

> h = 10

classwidth

> lcf = cumsum(f)

C.F.

> mc = min(which(lcf >= n/2)) # median class

> me = lb[mc] + (n/2 - lcf[mc-1])*h / f[mc] # formula

> cat("median of the data =", me)

> F = c(6, 8, 15, 24, 19, 14, 12, 7)

> moc = which(f == max(f)) # modal class

> L = lb[moc]

> f1 = f[moc]

> f0 = f[moc-1]

> f2 = f[moc+1]

> mo = L + (f1-f0)*h

> cat("mode of the data =", mo)

Qkm

[1] 0.2050781

[1] 0.828125

[1] 5

[1] 6 5 6 5 6 8 5 7 5 7 5 5 7 7 6 6 5 6

[1] 126 109 112 113 123 113 125 115 113 104 119 111
105 106 114 115 115 118 113

[1] 5.646917e-05

[1] 0.88899845

[1] 42.86824 50.23960 50.29588 52.93246 53.0027
53.89097 52.35800 51.51630

[9] 55.57225 52.08748 51.86291 56.59724 43.23428
50.27744 51.88562 50.63198

[17] 50.10814 48.019223 47.70830 44.85384 51.9712
53.21037 53.15392 54.27955

[25] 52.89709

Practical 4
#Binomial
Parameters
and p =
dbinom
find t
> dbinom
> #Pbinom
> #Find
coin
> Pbinom

> #qbinom

> #Pbin

> qbinom

> #rbir

m nur

> rbinom

> rbinom

> no

> par

> d

> g

> dna

> pno

> rno

Sundaram®

Practical 4 :-

Binomial distribution

Parameter of Binomial distribution are $n = \text{no. of trials}$ and $P = \text{probability of success.}$

`dbinom(x, n, p)` - This function gives the probability at

> `dbinom(6, 10, 0.5)` # $P(X=6)$

> # `Pbinom(x, n, p)` this function gives cumulative probability

> # Find the probability of getting 6 or less heads when a coin is tossed 10 times.

> `Pbinom(6, 10, 0.5)` # $P(X \leq 6)$

> # `qbinom(p(x), n, p)`

> # `Pbinom` is inverse of `qbinom`

> `qbinom(0.4, 10, 0.5)`

> # `rbinom(m, n, p)` this function gives a distribution of m numbers out of n which probability of success.

> `rbinom(20, 10, 0.6)`

> `rbinom(20, 150, 0.75)`

> # normal distribution

> # Parameters of normal distribution are mean & standard deviation.

> # `dnorm(x, mean, sd)`

> # gives probability of x

> `dnorm(40, 35, 1.2)`

> `Pnorm(40, 35, 1.2)` # gives cumulative Probability of x, $P(X \leq 40)$

> `rnorm(25, 50, 20)`

[1] 6

[1] 6

Geometric mean of the data = 6

Harmonic mean of the data = 2

Geometric mean of the data = 4.304491

Harmonic mean of the data = 3.914943

MP

Practical 5 :-

```
> # Geometric mean and harmonic mean  
> # Raw data  
> # Calculate the geometric data mean of 3,6,9,8  
> x=c(3,6,9,8)  
> (3 * 6 * 9 * 8)^(1/4) # these three formulas are same  
> (prod(x))^(1/4)  
> g=exp(mean(log(x)))  
> cat("geometric mean of the data = ", g)  
> # Harmonic mean  
> # calculate the harmonic mean of 2,3,5  
> x=c(2,3,5)  
> n=length(x)  
> h=n/sum(1/x)  
> cat("Harmonic mean of the data = ", h)
```

ungrouped Frequency distribution

```
> x=c(2,3,5,7,8)
```

```
> F=c(2,4,6,3,1)
```

```
> y=rep(x,F)
```

```
> g=rexp(mean(log(y)))
```

```
> cat("Geometric mean of the data = ", g)
```

```
> n=sum(F)
```

```
> h=n/sum(1/y)
```

```
> cat("Harmonic mean of the data = ", h)
```

Geometric mean of the data = 30.82104

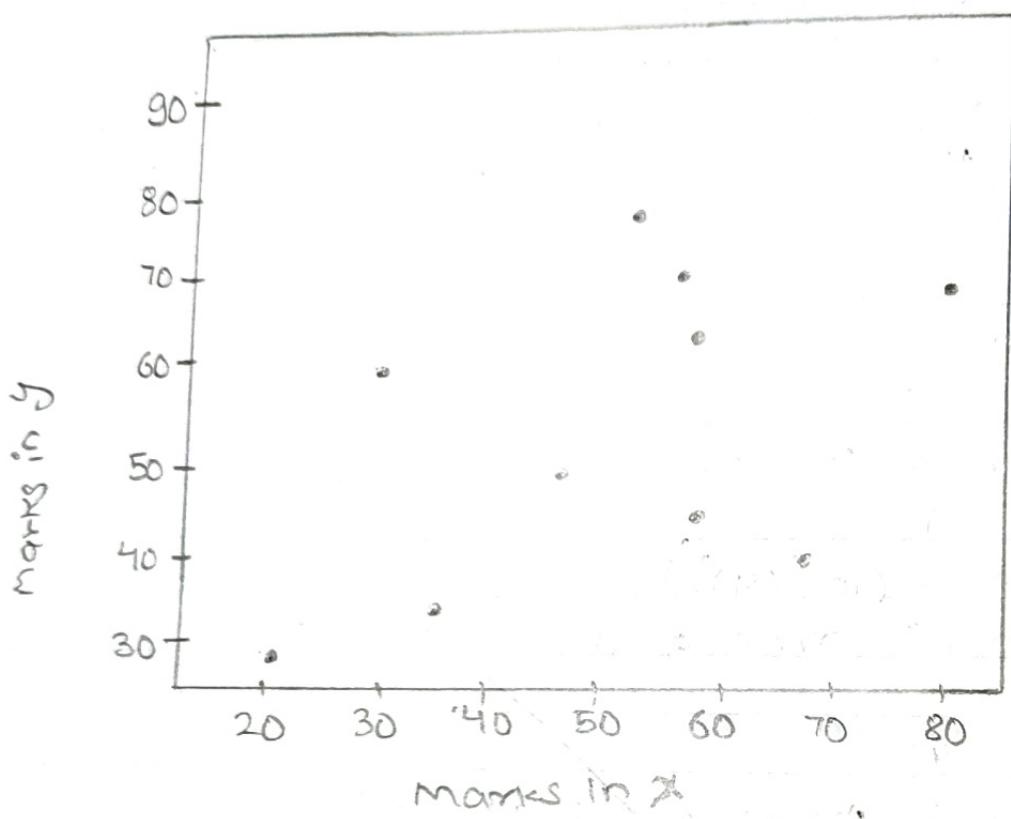
Harmonic mean of the data = 24.33666

```
># Grouped  
># calculate  
># classes:  
># freq :  
  
>lb = seq(0  
>ub = seq(1  
>x = (lb +  
>f = c(10  
>y = rep(1  
>g = exp  
>cat("Ge  
>n = sum  
>h = n / su  
>cat("H
```

```
> # Grouped Frequency distribution  
> # calculate the G.M , H.M for the data.  
> # classes: 0-10 10-20 20-30 30-40 40-50 50-60  
> # freq : 10 20 30 50 40 30  
  
> lb = seq(0,50,10)  
> ub = seq(10,60,10)  
> x = (lb+ub)/2  
> F = c(10,20,30,50,40,30)  
> y = rep(x,F)  
> g = exp(mean(log(y)))  
> cat("Geometric mean of the data = ", g)  
> n = sum(F)  
> h = n/sum(1/y)  
> cat("Harmonic mean of the data = ", h)
```

Nur

Scattered Diagram



Coefficient of Correlation = 0.6511619

Call:

lm (formula = $y \sim x$)

Coefficients:

(Intercept)	x
3	4

(Intercept)	x
3	4

[1] 63

[1,1]

[1,1] 3

[2,1] 4

[1] 3

[1] 4

Practical 6:-

> # 1. Draw Scattered Diagram 2. calculate correlation coefficients
> $x = c(34, 56, 78, 21, 45, 32, 78, 53, 65, 54)$
> $y = c(32, 45, 62, 27, 49, 59, 90, 76, 43, 65)$
> plot(x, y, main = "Scattered Diagram", xlab = "marks in x",
ylab = "marks in y")

> r = cor(x, y)
> cat("Coefficients of correlation", r)
> x = c(2, 4, 6, 8, 10, 12)
> y = c(11, 19, 27, 35, 43, 51)
y on x
> lm(y ~ x) ## linear model y on x ($y = a + bx$)

> co = coef(lm(y ~ x))
> co
find σ_{xy} if $\sigma_x = 15$
> xc1 = 63
> y1 = a + b * xc1
> y1
> mco = matrix(co)
> mco
> a = mco[1, 1]
> a
> b = mco[2, 1]
> b

Call:

lm(formula = x ~ y)

Coefficients:

(Intercept) \cdot y

-0.75 0.25

(Intercept) y

-0.75 0.25

[1,] [1]

-0.75

[2,] [2]

0.25

[1] -0.75

[1] 0.25

[1] 15



(Intercept)

37.16316 \cdot x
2.071002

[1,] [0,1]

[2,] 37.16316
2.071002

[1] 37.16316

> # x on y

> lm(x~y)

*
> co = coef(lm(x~y))
> co

> mco = matrix(co)

> mco

> a = mco[1,1]

> a

> b = mco[2,1]

> b

> # find x if y=63

> y1 = 63

> xc1 = a+b*y1

> xc1

> xc = c(15, 26, 20, 28, 30, 35, 40, 45)

> y = c(82, 99, 92, 107, 125, 135, 145, 160)

> # x on y

> y0x = lm(x~y)

> co = coef(y0x)

> co

> mco = matrix(co)

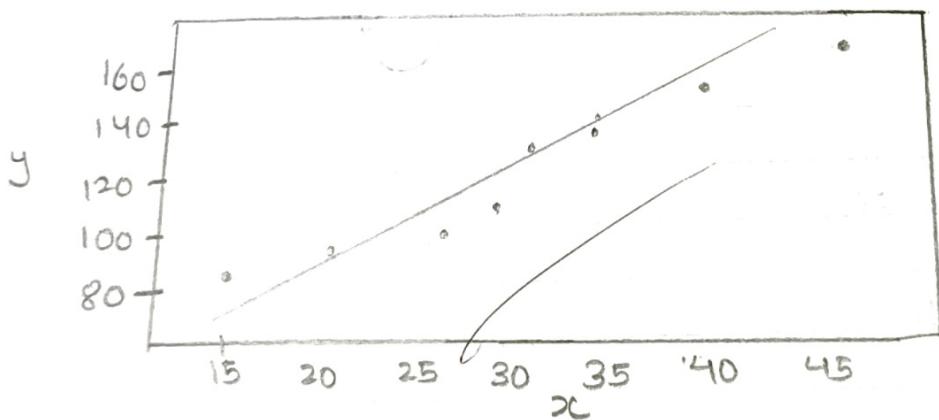
> mco

> a = mco[1,1]

> a

[1] 2.71002

	x	y	esty
1	15	82	77.81346
2	26	99	107.62367
3	20	92	91.36355
4	28	107	113.04371
5	30	125	118.46375
6	35	135	132.01385
7	40	145	145.56395
8	45	160	159.11405



Intercept y
-12.2157099 0.3563235

[1,1]

[1,1] -12.2157099

[2,1] 0.3563235

[1] -12.21571

[1] 0.3563235

> b = rmc
> b
> # line
> esty
> datac

RP1

7

1

```
> b = mco[2,1]
```

```
> b
```

```
> # line of Regression y on x is y = 37.16316 + 2.71002 * x
```

```
> esty = fitted(yox)
```

```
> data.frame(x, y, esty)
```

```
> plot(x, y, pch = "+")
```

```
> points(x, esty, pch = "*");
```

```
> lines(x, esty)
```

```
> # dc on y
```

```
> dc0y = lm(x ~ y)
```

```
> co = coef(dc0y)
```

```
> co
```

```
> mco = matrix(co)
```

```
> mco
```

```
> a = mco[1,1]
```

```
> a
```

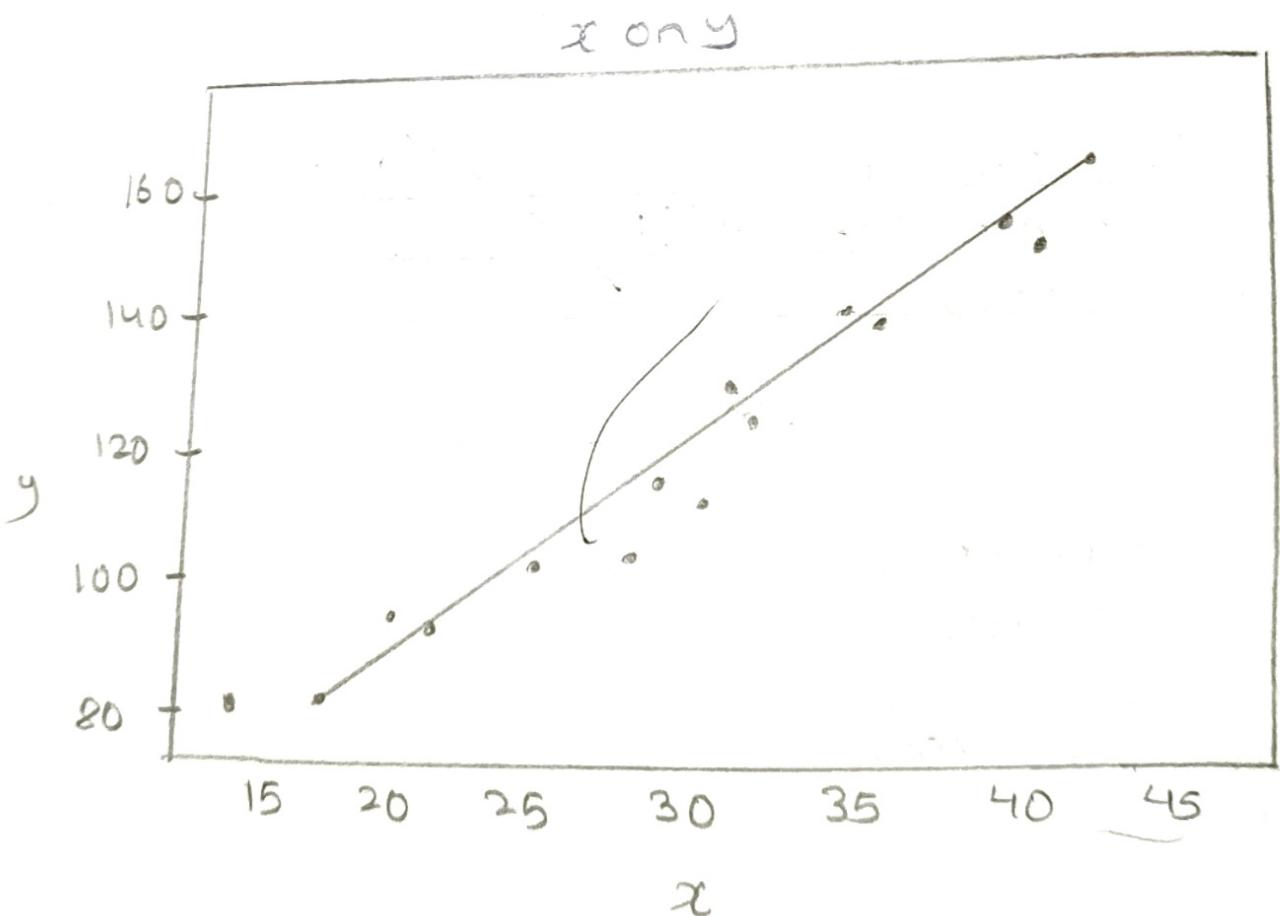
```
> b = mco[2,1]
```

```
> b
```

```
> # line of Regression of x on y is
```

```
> dc = -12.2157099 + 0.3563235 * y
```

x	y	$\text{est } x$
15	82	17.00281
26	99	23.06031
20	92	20.56605
28	107	25.91090
30	125	32.32472
35	135	35.88796
40	145	39.45119
45	160	44.79605



> estrc = fitted(y ~ x)
> data.frame(x, y, estrc)

> plot(x, y, main = "x on y", pch = "+");
> points(estrc, y, pch = "*");
> lines(estrc, y)

John

Z calculated : 1.777778

P value : 0.07544036

Z calculated : -4.535574

Practical 7

># Hypothesis Testing Large Sample Test (z test)
># A random sample of 400 chocolate bars is taken showing the mean weight 10.2 gm and sd 2.25, test the hypothesis that mean weight of bar is 10 gm.

> n = 400 # sample size
> m₀c = 10.2
> s_d = 2.25 # sd
> m₀ = 10 # std value
> # H₀ : m = 10
> # H₁ : m ≠ 10
> zcal = (m₀c - m₀) / (s_d / sqrt(n))
> cat ("z calculated : ", zcal)
> p_v = 2 * (1 - pnorm(abs(zcal))) # 2 failed test
> cat ("P value : ", p_v)
> # conclusion : P value > 0.05, therefore accept H₀.
> # mean weight of chocolate bar is 10 gm.

># Experience has shown that 20% of a manufacturer's product is of the top quality in one day's production of 400 articles only 50 are of the top quality.

># Test the hypothesis 10% = 5%.

> n = 400

> p₀ = 20/100

> p = 50/400

># H₀ = Population proportion = 0.2

># H₁ = Population proportion = 0.2

> zcal = (p - p₀) / (sqrt((p + (1-p)) / n))

> cat ("z calculated ", zcal)

FOR EDUCATIONAL USE

P value : $5.744712 e^{-06}$

$Z_{\text{calculated}} = 2.119926$
 $P_{\text{value}} = 0.0340064$

```

> Pv = 2 * (1 - pnorm (abs (zra1)))
> cat ("P value : ", Pv)
> # conclusion : Pvalue < 0.05 therefore Reject H0
> # proportion of top quality product is not 20%.

```

> # Intelligence test on two group of boys and girls gave following results

	Mean	S.D	N
> # Girls	61	2	64
> # Boys	60	4	100

IS there any significant difference in the mean score obtained by boys and girls (10s=1%)

$$> n1 = 64$$

$$> n2 = 100$$

$$> x1 = 61$$

$$> x2 = 60$$

$$> s1 = 2$$

$$> s2 = 4$$

$$> # H0 : m1 = m2$$

$$> # H1 : m1 \neq m2$$

$$> zra1 = (x1 - x2) / \sqrt{((s1^2/n1) + (s2^2/n2))}$$

$$> cat ("z calculated = ", zra1)$$

$$> Pv = 2 * (1 - pnorm (abs (zra1)))$$

$$> cat ("P value = ", Pv)$$

#> # conclusion : p value > 0.01 therefore accept H0.

> # so there is no significant difference in mean score of girls and boys.

$\text{>} Pv = 2 * (1 - \text{pnorm}(\text{abs}(zcal)))$
 $\text{>} \text{cat}("P\text{ value}:", Pv)$
 > # conclusion : Pvalue < 0.05 therefore Reject H₀
 > # proportion of top quality product is not 20%
 > # Intelligence test on two group of boys and girls
 gave following results

	Mean	S.D	N
> # Girls	61	2	64
> # Boys	60	4	100

Is there any significant difference in the mean score obtained by boys and girls ($\alpha = 1\%$)

$$\text{>} n_1 = 64$$

$$\text{>} n_2 = 100$$

$$\text{>} \bar{x}_1 = 61$$

$$\text{>} \bar{x}_2 = 60$$

$$\text{>} s_1 = 2$$

$$\text{>} s_2 = 4$$

$$\text{>} H_0 : \mu_1 = \mu_2$$

$$\text{>} H_1 : \mu_1 \neq \mu_2$$

$$\text{>} z_{\text{cal}} = (\bar{x}_1 - \bar{x}_2) / \sqrt{(s_1^2/n_1) + (s_2^2/n_2)}$$

$$\text{>} \text{cat}("z \text{ calculated} =", z_{\text{cal}})$$

$$\text{>} Pv = 2 * (1 - \text{pnorm}(\text{abs}(z_{\text{cal}})))$$

$$\text{>} \text{cat}("P \text{ value} =", Pv)$$

> # conclusion : p value > 0.01 therefore accept H₀.

so there is no significant difference in mean score of girls and boys.

	Name	Statistics	Math
1	Geeta	45	56
2.	Reeta	24	76
3	Dia	77	65
4	Roohi	65	56
5	Divya	87	66
6	Triveni	45	77
7	Mahi	68	87
8	Khushi	54	76
9	Ianshu	88	76

```
'data.frame': 9 obs. of 3 variables:
$Name : chr "Geeta" "Reeta" "Dia"
$Statistics : int 45 24 77 65 87 45 68 54 88
$Math : int 56 76 65 56 66 77 87 76 76
```

[] 45 24 77 65 87 45 68 54 88

[] 56 76 65 56 66 77 87 76 76

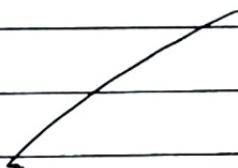
75%
-0.25

> # Practical 8

> # import the data from CSV(common Separated Value
to R.

> D = read.csv(file.choose(), header = TRUE)

> D



> str(D)

> x = (D\$statistics)

> x

> y = (D\$math)

> y

> # Find the skewness for x

> Q1 = quantile(x, 0.25)

> Q2 = quantile(x, 0.5)

> Q3 = quantile(x, 0.75)

> SK = (Q3 + Q1 - 2 * Q2) / (Q3 - Q1)

> SK

Skewness: -0.25

[1] 56 76 65 56 66 77 87 76 76

Coefficients of Kurtosis: -0.3079884



```
> cat ("Skewness : ", Sk)
```

```
> y
```

```
> # calculate coefficient of kurtosis for y
```

```
> m = mean (y)
```

```
> m4 = sum ((x-m)^4) / length(y)
```

```
> m2 = sum ((x-m)^2) / length(y)
```

```
> k = (m4/(m2^2)) - 3
```

```
> cat ("Coefficient of kurtosis ", k)
```

✓
John

	a	b
1	21	48
2	36	26
3	30	19

Pearson's chi-squared test

data : D

χ^2 -squared = 14.464 , df = 2 , P-value = 0.0007232

Chi-squared Test for given probabilities

data : v

χ^2 -squared = 4.1667 , df = 6 , P-value = 0.6541

> # Practical 9

> # hypertension chi

> a = c(21, 36, 30)

> b = c(45, 26, 19)

> d = data.frame(a, b)

> d

> chisq.test(d)

> # P value < 10% reject H0

> # conclusion: smoking habits and hypertension are associated.

> # 92 Aircraft accidents

> s m t w th f sa

> 14 16 8 12 11 9 14

> # H0: Accidents are evenly distributed

> # H1: Accidents are not evenly distributed

> x = c(14, 16, 8, 12, 11, 9, 14)

> chisq.test(x)

Qm

> # P value > 10%

> # Accept H0

> # conclusion: Accidents are not evenly distributed.