PCA(Pricipal component analysis) Unsupervised Learning

Covariance Matrix Computation

```
In [5]:
              import numpy as np
 In [6]:
             marks = np.array([[90,90,60,60,30],[60,90,60,60,30],[90,30,60,90,30]])
 In [7]:
             mean_marks = np.mean(marks, axis=1)
 In [8]:
           1 mean_marks
 Out[8]: array([66., 60., 60.])
 In [9]:
             covMat =np.cov(marks,bias=True)
In [10]:
             covMat
Out[10]: array([[504., 360., 180.],
                [360., 360., 0.],
                [180., 0., 720.]])
```

Compute Eigenvalue and Eigenvector

Sort Eigenvalue Choose k Eigenvector

```
In [14]: 1 eig_pairs = [(np.abs(eig_val[i]),eig_vec[:,i]) for i in range(len(eig_v
In [15]: 1 eig_pairs.sort(key=lambda x:x[0], reverse=True)
```

Transform the value in new subspace

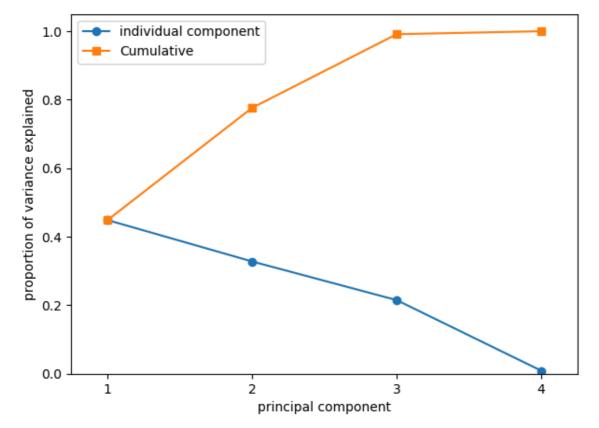
Calculate using sklearn

Uniqueness Of Principal Components

Proportion of Variance Explained

```
In [27]:
           1 eig_val[::-1].sort()
In [28]:
           1 eig_val
Out[28]: array([910.06995304, 629.11038668, 44.81966028])
In [31]:
           1 eig_val/eig_val.sum()
Out[31]: array([0.57453911, 0.39716565, 0.02829524])
In [29]:
             sklearn_pca.explained_variance_ratio_
Out[29]: array([0.57453911, 0.39716565])
             #Cumulative variance explained is
 In [ ]:
In [30]:
             sklearn_pca.explained_variance_ratio_.cumsum()
Out[30]: array([0.57453911, 0.97170476])
```

Deciding the number of components



In []: 1