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Beautiful as private of any increased in the private of the priv		Description: Tests if the many use accordings they accorde then use	
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Secretification. Finds if the next of one surrous built is efficient bloom flower than the mean of another sample (a) university to the sample through the properties of the p			
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default and the provided of such that an apprise when the samples have equal variances and are independent Selection (1) in 1 in 2 in 2 in 1 in 2 in 2 in 2 in 2		Description: Tests if the mean of one sample (u1) with n1 data points is different/less than/mars than the mean	
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Description: Tests if the mean of one sample (µ1) with n1 data points is different/less than/more than the mean of archite samples (µ2) with Q data points when the samples have unequal variances and are independent in the properties of the prope			
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of another sample (µ2) with \( \text{2 class} \) distribution: \( \text{1(cf)} \) (if \( \text{2 class} \) (if \( 2		Description: Tests if the mean of one sample (u1) with n1 data points is different/less than/more than the mean	
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T = \frac{\( \text{i}_1 - \text{i}_2 \)}{\sum_{i_1}^2 + \text{i}_{i_2}^2}  Pared (Dependent) Nest  Description: Tests if the difference of the same sample before and after some treatment is equal/less than/more than some number µ0  Statistic µ6 (mean of differences between pairs)  Distribution: \( \text{in-times} \) (in demand of differences between pairs)  Distribution: \( \text{in-times} \) (in demand of differences between pairs)  Distribution: \( \text{in-times} \) (in demand of differences between pairs)  Distribution: \( \text{in-times} \) (in demand of differences between pairs)  Observable of consistency of the proportion of a demand of the pair of		Test Statistic: $n_1$ $n_2$	
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by a machine learning model)  One sample Test Proportion  Description: Tests if a proportion of a sample (p) is equal to or less than or more than some p0 ∈ (0.1)  Statistic: p (proportion)  Distribution: B(n,p0) (Binomial)  z = (p-pp)/ sqrt(pp(1-p0)/n)  p= no of success observations/n  Two Sample Test of Proportions  Description: Tests if a proportion of a sample (p1) is equal to/less than/ more than a proportion of another sample (p2)  Statistic: p1 + p2 (difference of proportion)  Distribution: Literally B(n1, p1)+B(n2,p2) (Difference of Binomials), but practically N(p1+p2,v) (Normal Approximation)  z= (p1+p2)/ sqrt(v(1-v)(1/n1 + 1/n2))  v= Number of oberservations in the success class across BOTH samples / (n1+n2)  ANOVA (ANalysis Of Wafances)  Variances  1/Pye2: Reject H0 when H0 is True  Type2: H0 not rejected when H0 is False  Large sample proportion hypothesis testing  Alt testing Interview  https://towardsdatascience.com/7-ab-testing-questions-and-answers-in-data-science-interviews-	Proportion Testing		
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- A/B Testing Experiment 1. Choose and characterize metrics to evaluate your experiments. What do you care about? How do you want to measure the effect?
  - $2. \, {\it Choose the significance level}, power, the length of the test, and {\it calculate the required sample size}.$
  - 3. Implement the A/B test with control/treatment groups and run the test.
  - 4. Analyze the results and draw valid conclusions