## Q.1) Matrix chain multiplication -find the min no. of multiplications & the best sequence.

```
#mcm_dp
def PrintMat(m):
  for i in m:
     print(i)
#optimal parenthesization
def PrintOptimalParens(s, i, j):
  if i == j:
     print(f"A{i+1}",end="") #way to print a mat A1, A2, A3, etc
  else:
     print("(", end="") #print function not to move to a new line after printing the output. Instead,
it will stay on the same line, allowing subsequent calls to print to continue printing on the same line.
     PrintOptimalParens(s, i, s[i][j])
     PrintOptimalParens(s, s[i][j] + 1, j)
     print(")", end="")
def MatrixChainMult(p):
  n = len(p) - 1
  max_val = 999999 #float('inf')
  m = [[0 \text{ for } x \text{ in range}(n)] \text{ for } x \text{ in range}(n)]
  S = [[0 \text{ for } x \text{ in range}(n)] \text{ for } x \text{ in range}(n)]
  # m[i, j] = Minimum number of scalar multiplications needed to compute the matrix
A[i]A[i+1]...A[j] = A[i..j]
  # The cost is zero when multiplying one matrix.
  for i in range(0, n):
     m[i][i] = 0
```

```
# L is the chain length.
for L in range(2, n + 1):
  for i in range(0, n - L + 1):
    j = i + L - 1
    m[i][j] = max_val
    for k in range(i, j):
       # q = cost / scalar multiplications
       q = m[i][k] + m[k + 1][j] + p[i] * p[k + 1] * p[j + 1]
       if q < m[i][j]:
          m[i][j] = q
          S[i][j] = k
mp = [[m[i][i] \text{ for } i \text{ in } range(0, n)]]
for L in range(1, n):
  temp = [m[i][i + L] for i in range(0, n - L)]
  mp.append(temp)
print("\nMatrix M:")
PrintMat(mp)
sp = []
for L in range(1, n):
  temp = [(S[i][i + L] + 1) \text{ for } i \text{ in range}(0, n - L)]
  sp.append(temp)
print("\nMatrix S:")
PrintMat(sp)
print("\nOptimal Parenthesization:")
PrintOptimalParens(S, 0, n - 1) #passing the whole matrix S
```

```
PS C:\Users\HP\OneDrive\Desktop\ml 7th sem codes> python mcm_dp.py
 Enter the number of dimensions: 5
 Enter dimensions:
 10
 100
 20
 5
 80
 The dimension array: [10, 100, 20, 5, 80]
 Matrix M:
 [0, 0, 0, 0]
 [20000, 10000, 8000]
 [15000, 50000]
  [19000]
 Matrix S:
 [1, 2, 3]
 [1, 3]
 [3]
 Optimal Parenthesization:
 ((A1(A2A3))A4)
 Best possible matrix (Minimum number of)multiplications is 19000
○ PS C:\Users\HP\OneDrive\Desktop\ml 7th sem codes>
```