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Summary

Title	E - Tile Grid with One HoleEditorial
Source	AtCoder
URL	https://atcoder.jp/contests/arc203/tasks/arc203_e
Difficulty	
Tags	
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Problem Statement

There is a grid with H rows and W columns, where the cell at the i -th row from the top and j -th column from the left is denoted as (i,j) . The grid has a hole only in cell (r,c) . We will tile all cells without a hole using several tiles. You are given non-negative integers N and M such that $H \times W = L \times (N+M)+1$. A tile of 1 row and L columns is called a horizontal tile, and a tile of L rows and 1 column is called a vertical tile. Determine whether there exists a way to tile using exactly N horizontal tiles and M vertical tiles without rotation, and also show one such way if it exists. For details on the output format and more precise conditions, check the output section. Solve T test cases for each input file. Constraints $1 \leq T \leq 5$, $1 \leq H \leq 1000$, $1 \leq W \leq 1000$, $2 \leq H \times W \leq L \leq 1000$, $0 \leq N \leq M \leq 1$, $1 \leq r \leq H$, $1 \leq c \leq W$, $H \times W = L \times (N+M)+1$. The sum of $N+M$ over all test cases is at most 6×10^5 . All input values are integers.

Input

The input is given from Standard Input in the following format: T case_1 case_2 \dots case_ T . Each case is given in the following format: H W L N M r c . Output the answers in the following format: output_1 output_2 \dots output_ T . Here, output_ t represents the output for the t -th test case. For each case, if it is possible to tile satisfying the conditions, let (A_i, B_i) be the leftmost cell covered by the i -th horizontal tile and (C_j, D_j) be the topmost cell covered by the j -th vertical tile, and output in the following format: Yes A_1 B_1 A_2 B_2 \dots A_N B_N C_1 D_1 C_2 D_2 \dots C_M D_M . More precisely, output integer sequences $A=(A_1, A_2, \dots, A_N)$, $B=(B_1, B_2, \dots, B_N)$ of length N and $C=(C_1, C_2, \dots, C_M)$, $D=(D_1, D_2, \dots, D_M)$ of length M that satisfy all of the following conditions: The union of $\{(A_i, B_i+l)\mid i=1, 2, \dots, N, l=0, 1, \dots, L-1\}$, $\{(C_j+l, D_j)\mid j=1, 2, \dots, M, l=0, 1, \dots, L-1\}$, and $\{(r, c)\}$ equals $\{(h, w)\mid h=1, 2, \dots, H, w=1, 2, \dots, W\}$. Note that due to the constraint $H \times W = L \times (N+M)+1$, when this condition holds, tiles do not overlap with each other. If it is impossible to satisfy the conditions, output No. Sample Input 1 3 1 3 2 1 0 1 1 1 3 2 1 0 1 2 3 3 2 1 3 1 1. Sample Output 1 Yes 1 2 No Yes 3 2 2 1 1 2 1 3. In the third test case, there is a hole in the top-left cell. It can be tiled as follows: 

Output

Output the answers in the following format: output_1 output_2 \dots output_ T . Here, output_ t represents the output for the t -th test case. For each case, if it is possible to tile satisfying the conditions, let (A_i, B_i) be the leftmost cell covered by the i -th horizontal tile and (C_j, D_j) be the topmost cell covered by the j -th vertical tile, and output in the following format: Yes A_1 B_1 A_2 B_2 \dots A_N B_N C_1 D_1 C_2 D_2 \dots C_M D_M . More precisely, output integer sequences $A=(A_1, A_2, \dots, A_N)$, $B=(B_1, B_2, \dots, B_N)$ of length N and $C=(C_1, C_2, \dots, C_M)$, $D=(D_1, D_2, \dots, D_M)$ of length M that satisfy all of the following conditions: Note that due to the constraint $H \times W = L \times (N+M)+1$, when this condition holds, tiles do not overlap with each other. If it is impossible to satisfy the conditions, output No. Sample Input 1 3 1 3 2 1 0 1 1 1 3 2 1 0 1 2 3 3 2 1 3 1 1. Sample Output 1 Yes 1 2 No Yes 3 2 2 1 1 2 1 3. In the third test case, there is a hole in the top-left cell. It can be tiled as follows: 

Constraints

Input The input is given from Standard Input in the following format: T case_1 case_2 \vdots case_ T Each case is given in the following format: H W L N M r c Output Output the answers in the following format: output_1 output_2 \vdots output_ T Here, output_ t represents the output for the t -th test case. For each case, if it is possible to tile satisfying the conditions, let (A_i, B_i) be the leftmost cell covered by the i -th horizontal tile and (C_j, D_j) be the topmost cell covered by the j -th vertical tile, and output in the following format: Yes A_1 B_1 A_2 B_2 \vdots A_N B_N C_1 D_1 C_2 D_2 \vdots C_M D_M More precisely, output integer sequences $A=(A_1, A_2, \dots, A_N)$, $B=(B_1, B_2, \dots, B_N)$ of length N and $C=(C_1, C_2, \dots, C_M)$, $D=(D_1, D_2, \dots, D_M)$ of length M that satisfy all of the following conditions: The union of $\{(A_i, B_i+l) \mid i=1, 2, \dots, N, l=0, 1, \dots, L-1\}$, $\{(C_j+l, D_j) \mid j=1, 2, \dots, M, l=0, 1, \dots, L-1\}$, and $\{(r, c)\}$ equals $\{(h, w) \mid h=1, 2, \dots, H, w=1, 2, \dots, W\}$. Note that due to the constraint $H \times W = L \times (N+M)+1$, when this condition holds, tiles do not overlap with each other. If it is impossible to satisfy the conditions, output No. Input The input is given from Standard Input in the following format: T case_1 case_2 \vdots case_ T Each case is given in the following format: H W L N M r c

Sample Test Cases

Sample 1

Input:

```
Tcase_1case_2\vdotscase_T
```

Output:

```
HWLNMrc
```

Sample 2

Input:

```
output_1output_2\vdotsoutput_T
```

Output:

```
YesA_1B_1A_2B_2\vdotsA_NB_NC_1D_1C_2D_2\vdotsC_MD_M
```

Sample 3

Input:

```
3
1 3 2 1 0 1 1
1 3 2 1 0 1 2
3 3 2 1 3 1 1
```

Output:

```
Yes
1 2
No
Yes
3 2
2 1
1 2
1 3
```





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