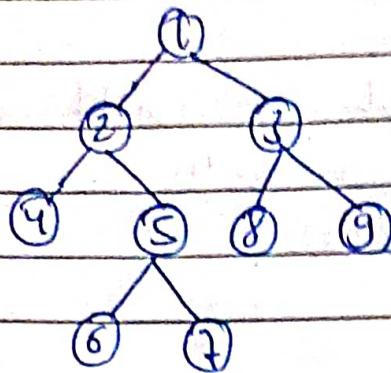


→ LCA (Lowest Common Ancestor) :



$\text{lca}(1, 7)$  is 2

ancestors of 4 are 2, 1

ancestors of 2 are 5, 2, 1

$\text{lca} = 2$

$\text{lca}(5, 9) = 1$

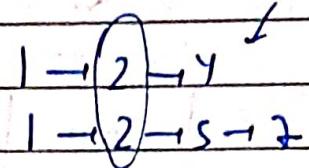
$\checkmark \text{lca}(2, 6) = 2$

a) Brute force

$\text{lca}(4, 2)$

node(4) path from root

node(2) \_\_\_\_\_



$TC \rightarrow O(N) + O(N) = O(N)$

$SC \rightarrow O(N) + O(N) = O(2N)$

last matched node is our answer.

b) We do dfs traversal

$\text{lca}(n_1, n_2)$  we have following 3 cases for every node

(i) If node is same as  $n_1$  or  $n_2$  we return node

(ii) If one side subtree contains  $n_1$  and other contains  $n_2$  return node.

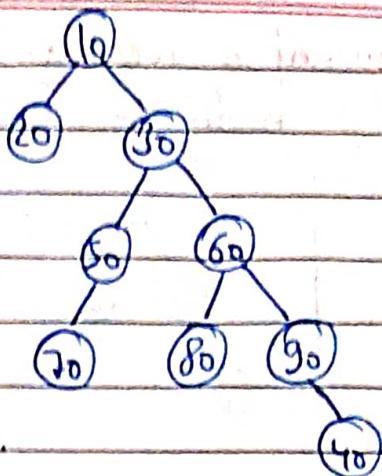
(iii) If none of node subtrees contain  $n_1$  or  $n_2$  return NULL.

$TC \rightarrow O(N)$

$SC \rightarrow O(N)$  skewed tree

(case)

(1)  $n_1 = 10, n_2 = 40$   
return 10

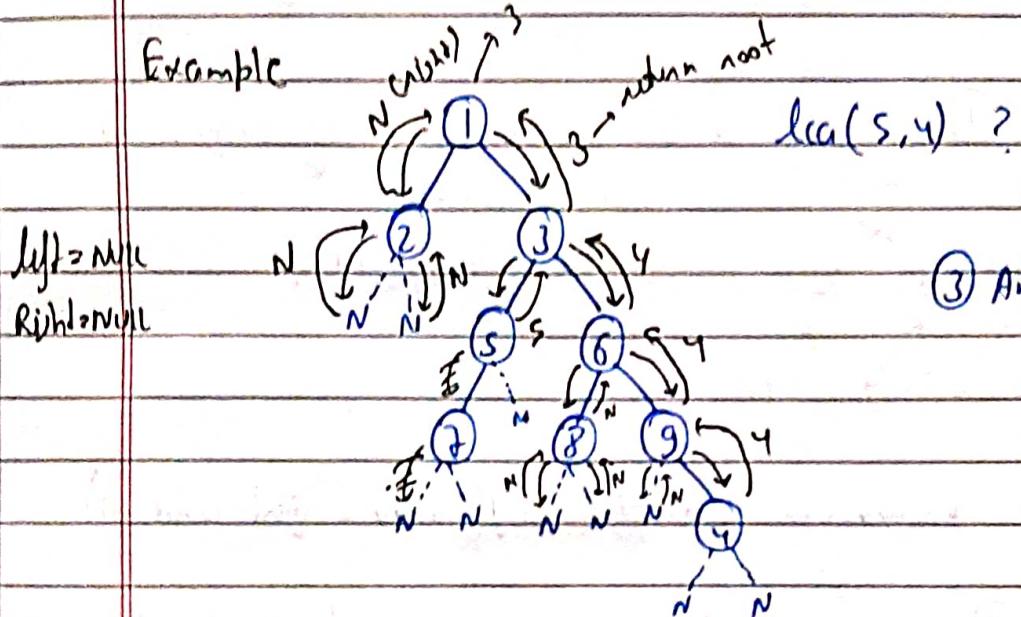


(case (ii))  $n_1 = 30, n_2 = 40$   
cum-nodes = 60  
return 60

(case (iii)) when we at node

(2) If left & right  
subtree don't contain  
 $n_1$  or  $n_2$  return NULL.

Example



(3) Ans

TreeNode \*f(TreeNode \*root, TreeNode \*p, TreeNode \*q)

{

if (p == NULL) return root; // case 3

if (p == p || root == q) return root; // case 1

TreeNode \*left = f(root-&gt;left, p, q);

TreeNode \*right = f(root-&gt;right, p, q);

if (root ==

if (left == NULL)

return right;

else if (right == NULL)

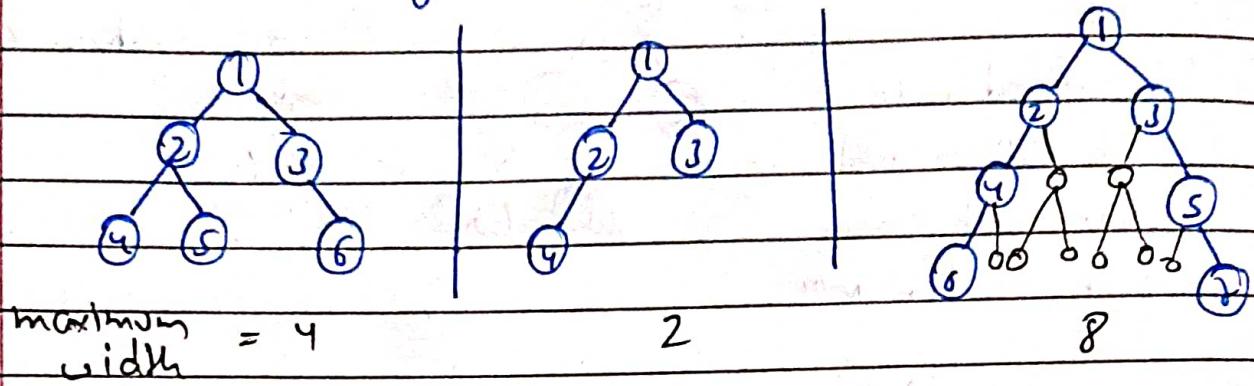
return left;

else

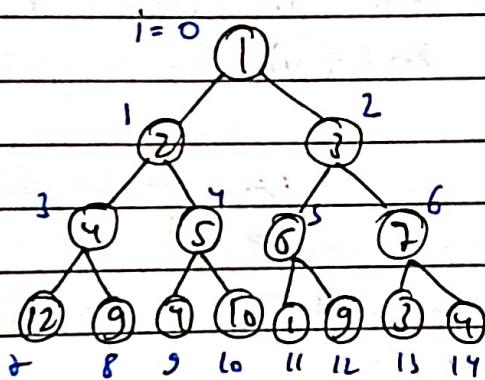
return root; // case 2

}

→ Maximum width of a Binary Tree :  
width = no. of nodes in a level between any 2 nodes



## logic

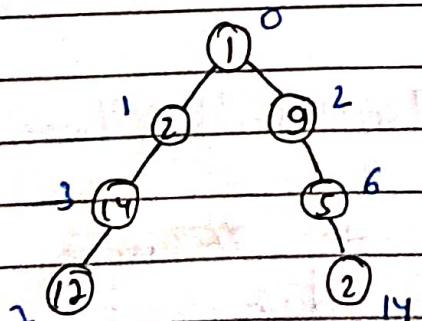


- \* We do indexing of every node

left  $\rightarrow (2i+1)$

right child  $\rightarrow (2i+2)$

\* at every level maximum width is  $(\text{left index} - \text{right index} + 1)$



for o-band  
indexing

for 1-band  
indexing

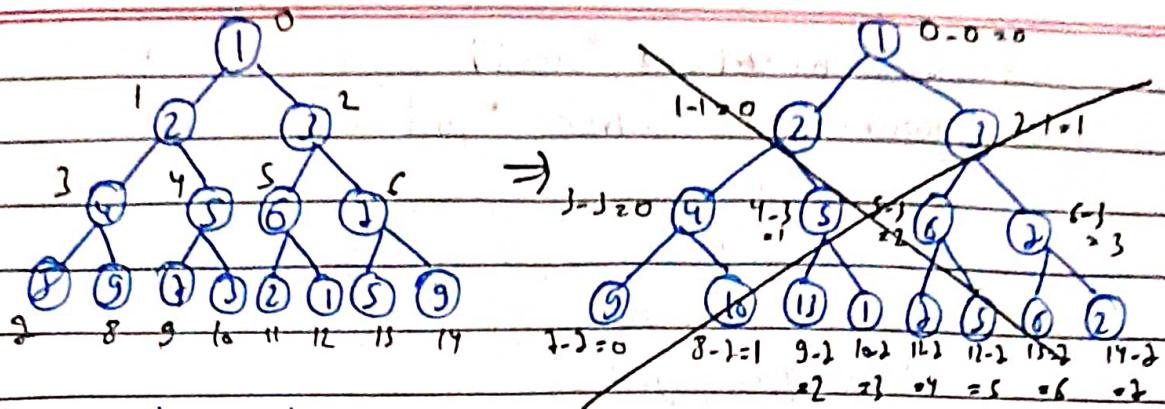
A diagram illustrating a branching operation. A horizontal line represents a stack or path. A node labeled  $i$  is positioned above the line. Two arrows point downwards from node  $i$  to two separate nodes below the line, labeled  $2i+1$  and  $2i+2$ .

$$2i \quad 2i+1$$

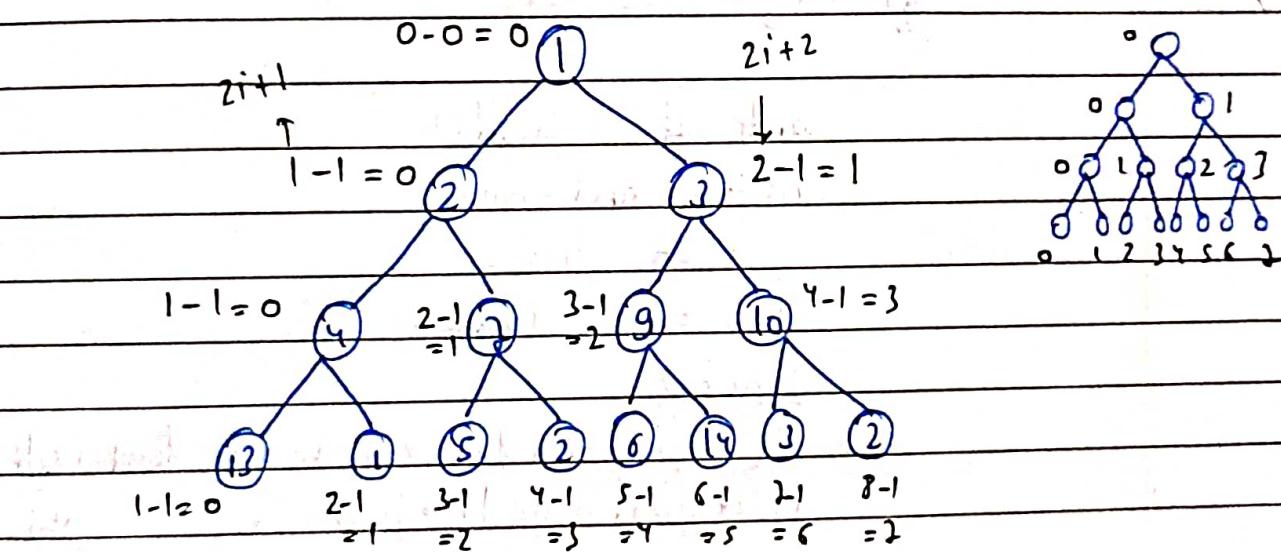
↳ Segment tree & its logic  
आता ही।

→ Problem in this approach is overflow

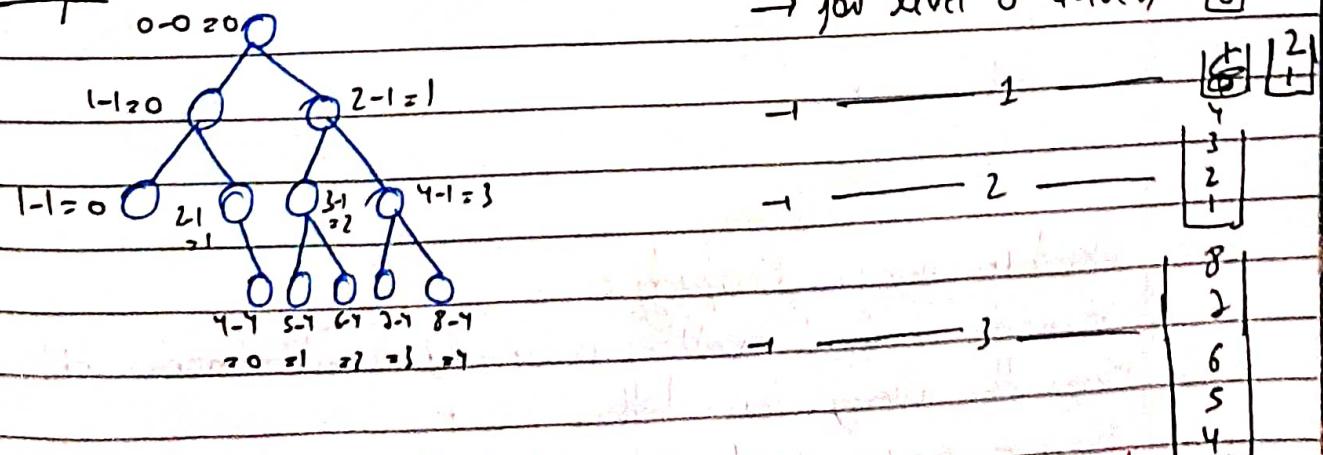
when doing  $(i+1)$  or  $(i+2)$  when the tree is skewed then these value will be very large causing Overflow



~~We changed the index logic in every level for every index subtract the min index (min index is always queue.front() → start)~~



### Example



See level 4 property

$T \in O(N)$

```

int width(TreeNode *root)
{
    queue<pair<TreeNode *, int>> q;
    int ans = 0;
    long long i = 0;
    q.push({root, i});
    while (!q.empty())
    {
        long long n = q.size();
        long long min = q.front().second;
        int first, last;
        for (int j = 0; j < n; j++)
        {
            auto it = q.front();
            i = it.second - min;
            if (j == 0) first = i;
            if (j == n - 1) last = i;
            q.pop();
            if (it.first->left) q.push({it.first->left, 2 * i + 1});
            if (it.first->right) q.push({it.first->right, 2 * i + 2});
        }
        ans = max(ans, last - first + 1);
    }
    return ans;
}

```

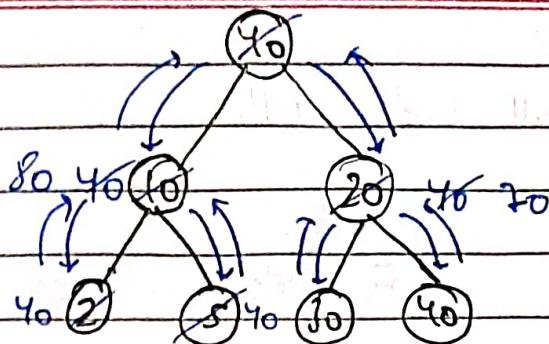
### → Children Sum Property:

$\forall$  node  $\Rightarrow$   $(\text{node} \rightarrow \text{val}) == (\text{node} \rightarrow \text{left} \rightarrow \text{val}) + (\text{node} \rightarrow \text{right} \rightarrow \text{val})$

a) Make the Binary Tree follow CSP

→ You can increase value of any node by +1 any no. of time

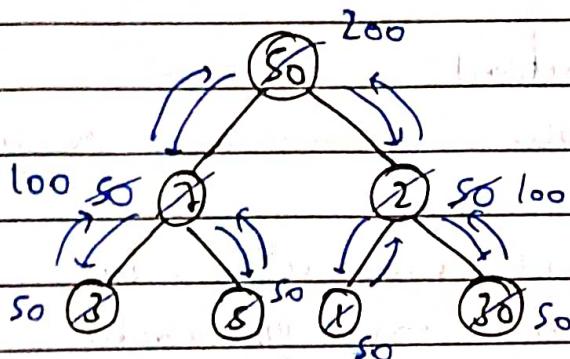
(1)



- If sum of left & right child  $y < \text{root}$ , change both left & right child by root.

- while backtracking  $y$   
 $(l+r) > \text{root}$  make root equal  $l+r$

(2)



void f(TreeNode \*root)

 $O(N)$ 

{ if(root == NULL) return;

int child = 0;

if(root-&gt;left)

child += root-&gt;left-&gt;data;

if(root-&gt;right)

child += root-&gt;right-&gt;data;

if(child &gt;= root-&gt;data) root-&gt;data = child;

else

{ if(root-&gt;left) root-&gt;left-&gt;data = root-&gt;data;

if(root-&gt;right) root-&gt;right-&gt;data = root-&gt;data;

}

f(root-&gt;left); f(root-&gt;right);

int t = 0;

if(root-&gt;left) t += root-&gt;left-&gt;data;

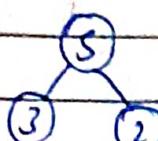
if(root-&gt;right) t += root-&gt;right-&gt;data;

if(root-&gt;left &amp;&amp; root-&gt;right) root-&gt;data = t; // leaf node

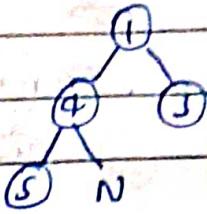
(x)

### Children Sum Parent

Given BT. Check if all nodes follow CSP.



1 (True)



N 0

```
int f(Node *root)
```

- \* if (root == NULL) return;
- \* if (root->left == NULL && root->right == NULL) return;

int sum = 0;

if (root-&gt;left) sum += root-&gt;left-&gt;data;

if (root-&gt;right) sum += root-&gt;right-&gt;data;

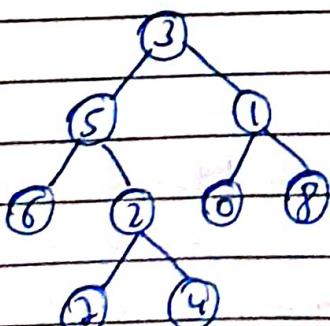
when root-&gt;data == sum &amp;&amp; f(root-&gt;left) &amp;&amp; f(root-&gt;right)

}

- if a node is leaf we don't calculate further we return 1;

(x)

### Print all Nodes at a distance k



k = 2 target = 5

o/p [2, 4, 1]

Step 1 : We ~~make~~ or parent of every node to store in map.

Step 2, we do level order traversal till R or till R<sup>k</sup>  
distance RST & it's  $\leq$  target it

vector<int> f(TreeNode \*root, TreeNode \*target, int r)

{ queue<TreeNode\*> q;

q.push(root);

unordered\_map<TreeNode\*, TreeNode\*> m;

while(!q.empty())

TreeNode \*node = q.front();

q.pop();

if(node == target)

m[node->left] = node;

q.push(node->left);

if(node->right)

m[node->right] = node;

q.push(node->right);

}

q = queue<TreeNode\*>();

unordered\_map<TreeNode\*, bool> visited;

visited[target] = 1;

q.push(target);

int dis = 0;

while(!q.empty())

{

int n = q.size();

if(dis == k) break;

for(int i = 0; i < n; i++)

{

TreeNode \*node = q.front();

q.pop();

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10/10/2023

Page 1

map it node नहीं है तो  
default value zero होता है

special case for root  
(root के बिल्कुल parent नहीं)

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Date \_\_\_\_\_  
Page \_\_\_\_\_

{ }  
if (m[node] && visited[m[node]] == 0)

    visited[m[node]] = 1;

    g.push(m[node]);

{ }  
if (node->left && visited[node->left] == 0)

    visited[node->left] = 1;

    g.push(node->left);

{ }  
if (node->right && visited[node->right] == 0)

    visited[node->right] = 1;

    g.push(node->right);

}  
dist++;

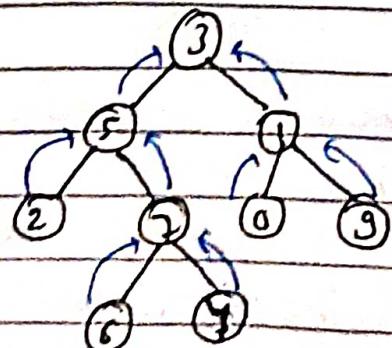
vector<int> ans;

while (!g.empty())

    ans.push\_back(g.front()->val);

    g.pop();

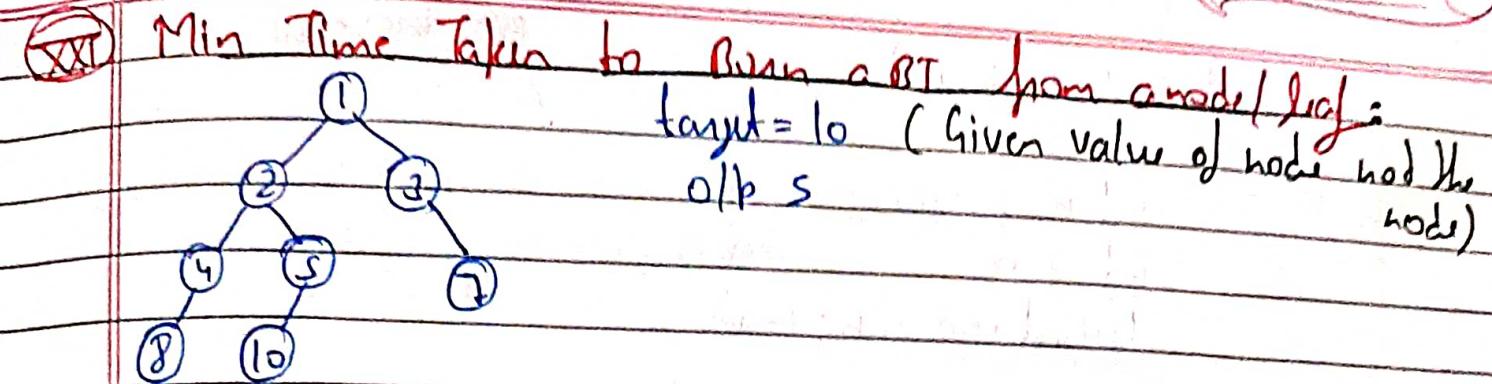
return ans;



root जो बिल्कुल parent नहीं।

$T \rightarrow O(N) + O(N)$

$S \rightarrow O(N) + O(N) + O(N)$



`Node *t;` // Global declaration

`int mintime(Node *root, int target)`

`{ t = root, target);`

`queue<Node *> q;`

`unordered_map<Node *, Node *> m;`

`q.push(root);`

`while(!q.empty())`

`{`

`Node *node = q.front();`

`q.pop();`

`if(node->left)`

`{ m[node->left] = node;`

`q.push(node->left);`

`}`

`if(node->right)`

`{ m[node->right] = node;`

`q.push(node->right);`

`}`

`q = queue<Node *>();`

`unordered_map<Node *, bool > visited;`

`q.push(t);`

`visited[t] = 1;`

`int ans = 0;`

Calculating Parent

while (!q.empty())

BFS traversal

{  
int n = q.size();

int f20;

for (int i = 0; i < n; i++)

}

Node \*node = q.front();

q.pop();

{  
if (m[node] && visited[m[node]] == 0)

visited[m[node]] = 1;

q.push(m[node]);

f = 1;

}  
if (node->left && visited[node->left])

visited[node->left] = 1;

q.push(node->left);

f = 1;

}  
if (node->right && visited[node->right])

visited[node->right] = 1;

q.push(node->right);

f = 1;

y(j)

ans++;

return ans;

Scan

void l(Node \*root, int target)

{  
if (root == NULL) return;

if (root->data == target) { t = root; return; }

if (root->left, target);

if (root->right, target);

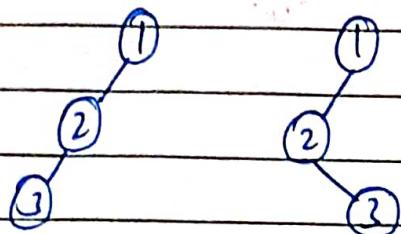
## Point To Remember

You can make Unique BT only when

- i) Inorder & Preorder Given
- ii) Inorder & Postorder Given

eg PreOrder 1 2 3

PostOrder 3 2 1

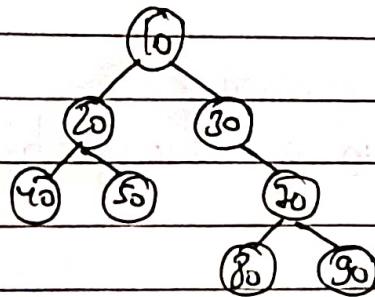


→ Two BT are possible or may be more, Therefore Inorder is necessary to make Unique BT

## (XII) Construct BT from Inorder & Preorder :

in[] = { 40, 20, 50, 10, 30, 80, 70, 90 }

pre[] = { 10, 20, 40, 50, 30, 70, 80, 90 }



a) int preindex=0; // Global  
 Node \* f(int a[], int b[], int is, int ie)  
 {  
 if(is>ie) return NULL;  
 Node \*root = new Node(b[preindex++]);

int inindex;

for(int i=is; i<=ie; i++)  
 if(in[i]==root->key)  
 { inindex=i; break; }

root->left = f(a, b, is, inindex-1);

root->right = f(a, b, inindex+1, ie);

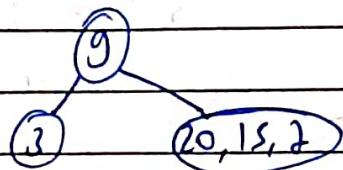
} return root;

logic in[] = {3, 9, 20, 15, 7}

Root L R pre[] = {9, 3, 15, 20, 7}

\* pre ता root दोनों के (pre ता वह एक वर्ती है जो हर एक Node के लिए in[] में उपलब्ध है) and right child subtree (right)

e.g. for node 9 in the array in[]



b) Trinode \* buildTree (vector<int>&pre, vector<int>&in)

{ unordered\_map<int, int> m;

for (int i=0; i<in.size(); i++)

    m[in[i]] = i;

    int preIndex = 0;

    Trinode \*root = f(pre, in, 0, in.size() - 1, preIndex, m);

    return root;

}

Trinode \*f (vector<int>&pre, vector<int>&in, int instant,

                int incnd, int &preIndex, unordered\_map<int, int>&m)

{

    if (instant > incnd) return NULL;

    Trinode \*root = new Trinode (pre[preIndex++]);

    int x = m[root->val];

    root->left = f(pre, in, instant, x-1, preIndex, m);

    root->right = f(pre, in, x+1, incnd, preIndex, m);

    return root;

}

(xiii) Construct BT from in-order & post-order :  $O(N)$

```

TruNode * buildTree (vector<int> &in, vector<int> &post)
{
    map<int,int> m;
    for (int i=0; i<in.size(); i++)
        m[in[i]] = i;
    int postIndex = post.size() - 1;
    TruNode * root = f (in, 0, in.size() - 1, post, postIndex, m);
    return root;
}

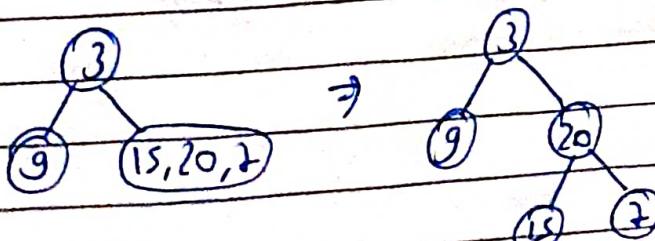
TruNode * f (vector<int> &in, int instant, int incnd, vector<int> &post,
             int &postIndex, map<int,int> &m)
{
    if (instant > incnd) return NULL;
    TruNode * root = new TruNode (post[postIndex--]);
    int x = m[root->val];
    root->right = f (in, x+1, incnd, post, postIndex, m);
    root->left = f (in, instant, x-1, post, postIndex, m);
    return root;
}

```

root at right then left with 1  
b/w postorder is L R Root

e.g: in[] = [9, 3, 15, 20, 7]

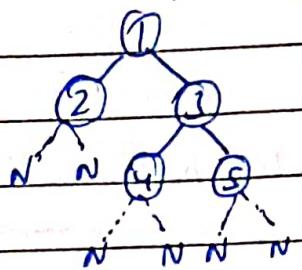
post[] = {9, 15, 7, 20, 3} \* postorder if root to right then to left



(24)

Serialize And De-serialize BT:

- Given root of BT just serialize it then de-serialize it  
 (i) Serialize: convert BT into string (it's your choice to choose bfs & dfs)



string  $s = "1,2,3,\#, \#, 4,5,\#, \#, \#, \#"$

- (ii) Deserialize: take this string & convert it in BT

string serialize(TreeNode\* root)  $O(n)$   
 { string s;  $O(n)$

if (root == NULL) return s;

queue<TreeNode\*> q;

q.push(root);

while (!q.empty())

{

TreeNode\* node = q.front();

q.pop();

if (node == NULL) s += "#,";

else

s += (to\_string(node->val) + ",");

if (node != NULL)

{ q.push(node->left);

q.push(node->right);

}

return s;

}

sh changes like  $1 \rightarrow 2 \rightarrow 3 \rightarrow \# \rightarrow \# \dots$   
' ; ' won't fit stop.

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```
TreeNode * deserialize(string data)
{
    if(data.size() == 0) return NULL;
    queue<TreeNode*> q;
    stringstream s(data);
    string str; delimiter
    getline(s, str, ',');
    TreeNode *root = new TreeNode(stoi(str));
    q.push(root);
    while(!q.empty())
    {
```

```
        TreeNode *node = q.front();
        q.pop();
        getline(s, str, ',');
        if(str == "#")
            node->left = NULL;
        else
        {
            TreeNode *new_node = new TreeNode(stoi(str));
            node->left = new_node;
            q.push(new_node);
        }
        getline(s, str, ',');
        if(str == "#")
            node->right = NULL;
        else
        {
            TreeNode *new_node = new TreeNode(stoi(str));
            node->right = new_node;
            q.push(new_node);
        }
    }
    return root;
}
```

stringstream header file

### ① stringstream

- syntax: `stringstream s(str);` // used for breaking words
- it helps you to read the string as if it was a stream (like cin)

### ② getline

- used to read a string or a line from a input stream
- ★ it extracts characters from the input stream and appends it to the string object until the delimiter character is encountered.

e.g. `string s = "abc,1,2,ef,gh"`

```
stringstream st(s);
while (getline(st, str, ','))
```

~~cout < str << endl;~~

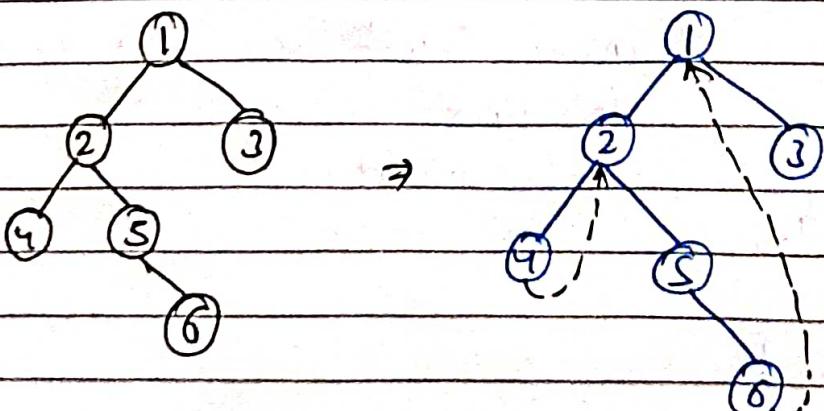
o/p abc  
      |  
      ef  
      gh

☞ automatically ~~st~~ ends with  
st is stringstream ~~st~~  
~~st~~

### ③ string s(5, 'k');

outputs: o/p kkkkk

→ Morris Traversal : TC - O(N) SC - O(1)



a) Inorder

```
vector<int> f(TreeNode *root)
```

```
{ vector<int> inorder;
```

```
TreeNode *cur = root;
```

```
while(Front != NULL)
```

```
{
```

```
if(cur->left == NULL)
```

```
{ inorder.push_back(cur->val);
```

```
cur = cur->right;
```

```
}
```

```
else
```

```
{ TreeNode *brv = cur->left;
```

```
while(brv->right != brv->right != cur)
```

```
brv = brv->right;
```

```
if(brv->right == NULL)
```

```
{ brv->right = cur;
```

```
cur = cur->left;
```

in total this  
while loop run N  
times

making the link

for pre-order  
write this line here

```
} else
```

```
{
```

```
brv->right = NULL;
```

```
inorder.push_back(cur->val);
```

```
cur = cur->right;
```

removing  
link

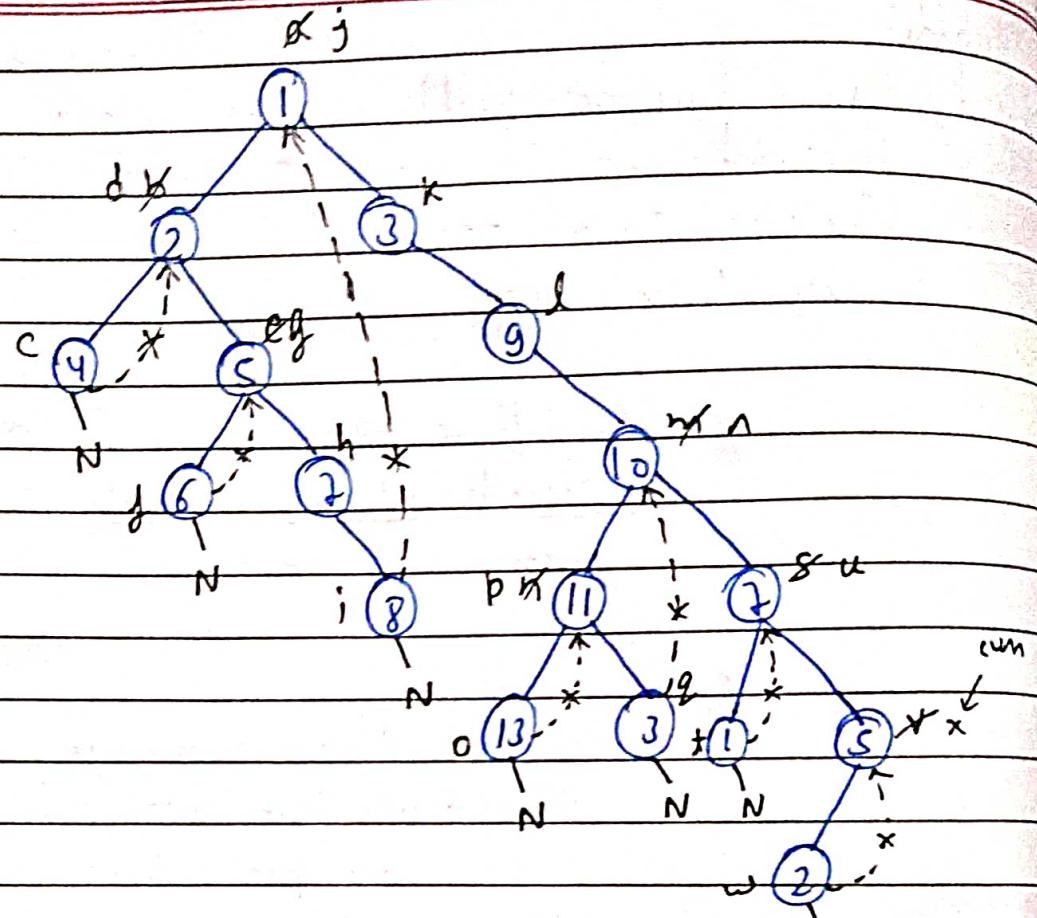
link

```
}
```

return inorder;

steps start cur to left null to at (brv = cur->left) and  
we go right -> right -> right so on until (brv->right != NULL)

(a, b, ~\*) are just current variable



4 2 6 5 7 8 1 3 9 13 11 3 10 1 7 2 5

\* A node is traversed at most 3 times  
(like node 8)

runzum-right  
\*\* = NULL  
while loop stop

b) Postorder:

```
vector<int> postordu(TreeNode *root){
```

```
    TreeNode *cur = root;
    vector<int> ans;
    while(cur != NULL)
    {
```

variable jaldi se  
kisi to kisi don't be  
confused.

```
        if((cur->right == NULL))
```

```
        {
```

```
            ans.push_back(cur->val);
            cur = cur->left;
        }
```

chi

```

Traverse *brrv = cur->right;
while(brrv->left && brrv->left != cur)
    brrv = brrv->left;
    } (brrv->left == NULL)
}

```

```

brrv->left = cur;
brv.push_back(brv->val);
cur = cur->right;
}

```

else

```

{
    brrv->left = NULL;
    cur = cur->left;
}
}

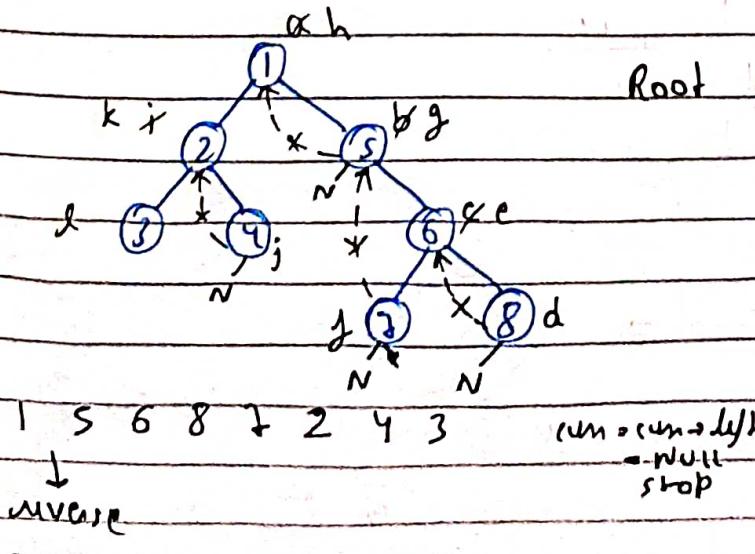
```

```

reverse(brv.begin(), brv.end());
return brv;
}

```

- \* Here we modify pre-order Morris Traversal: Root  $\rightarrow$  Left  $\rightarrow$  Right to (Root  $\rightarrow$  Right  $\rightarrow$  Left)
- \* Here we make thread from leftmost node of right subtree to cur node,
- \* We cover right subtree first then left subtree

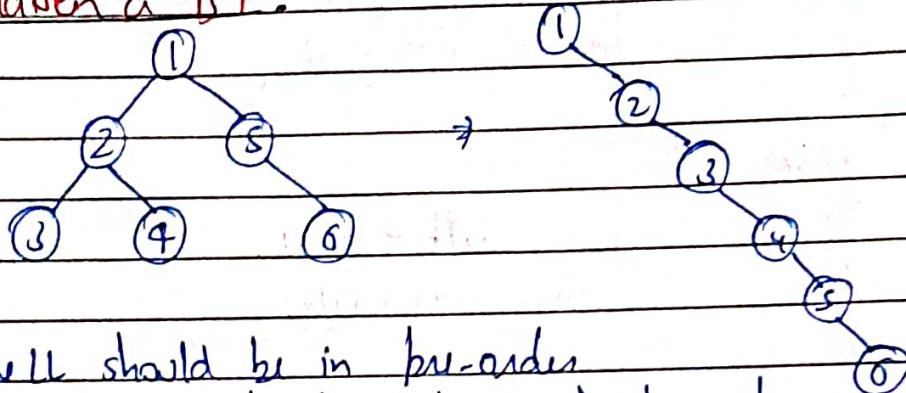


reverse

Very Imp Point

→ Preorder - Root L R

→ ~~Post~~ In Preorder at change or  $\leftrightarrow$  Root R L & store the result in vector → then reverse the vector we get Postorder.

(25) Flatten a BT:

- The LL should be in pre-order
- The LL right pointers should point next node to left child be null.

a)  $O(N)$   $O(N)$  Recursion

TreeNode \*buv = NULL;  
void flatten(TreeNode \*root)

{

If (root == NULL) return;

flatten(root->right);

flatten(root->left);

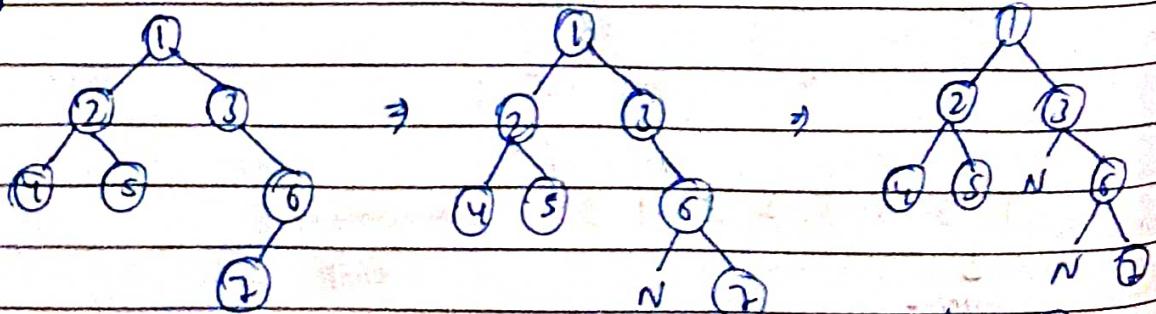
root->right = buv;

root->left = NULL;

buv = root;

}

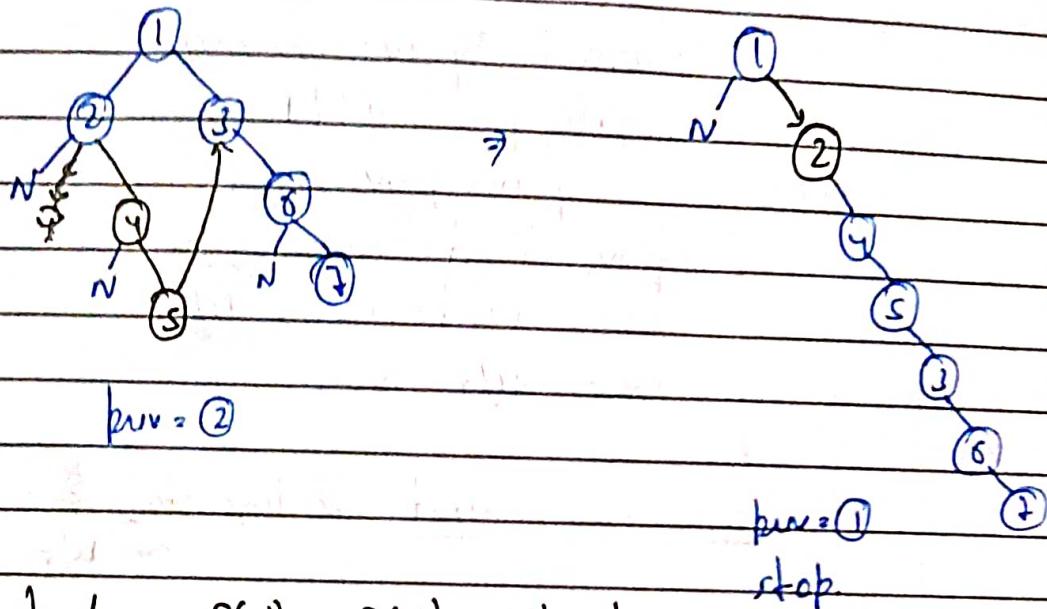
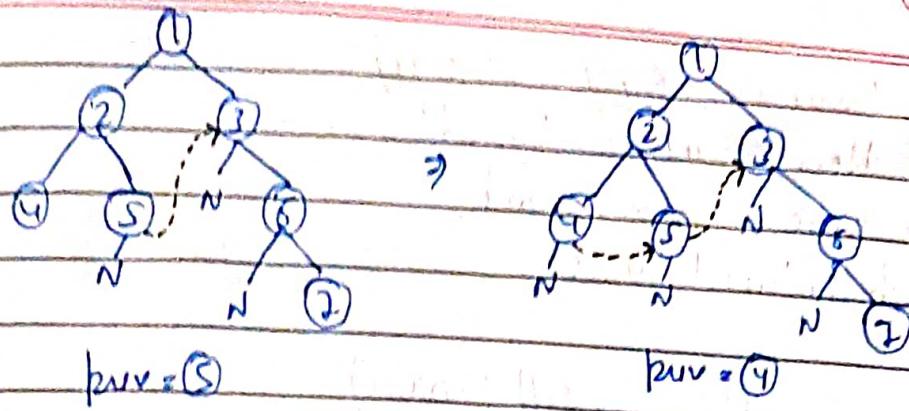
See video  
if not get



buv = N

buv = ⑥

. buv = ①



b) Using stack  $O(N)$   $O(N)$  Iterative

```
void flatten(TreeNode *root)
{
    if(root == NULL) return;
    stack> st;
    st.push(root);
    while(!st.empty())
    {
        }
```

```
TreeNode *cur = st.top();
```

```
st.pop();
```

```
y(cur->right) st.push(cur->right);
```

```
y(cur->left) st.push(cur->left);
```

```
y(!st.empty())
```

```
cur->right = st.top();
```

```
cur->left = NULL;
```

```
)
```

i) Morris Traversal  $O(n)$  SI-O(1)

```
void flatten(TreeNode *root)
{
    TreeNode *curr = root;
    while(curr != NULL)
    {
```

$y((curr->left) = NULL)$

$TreeNode *prev = curr->left;$

$while(prev->right) = NULL$

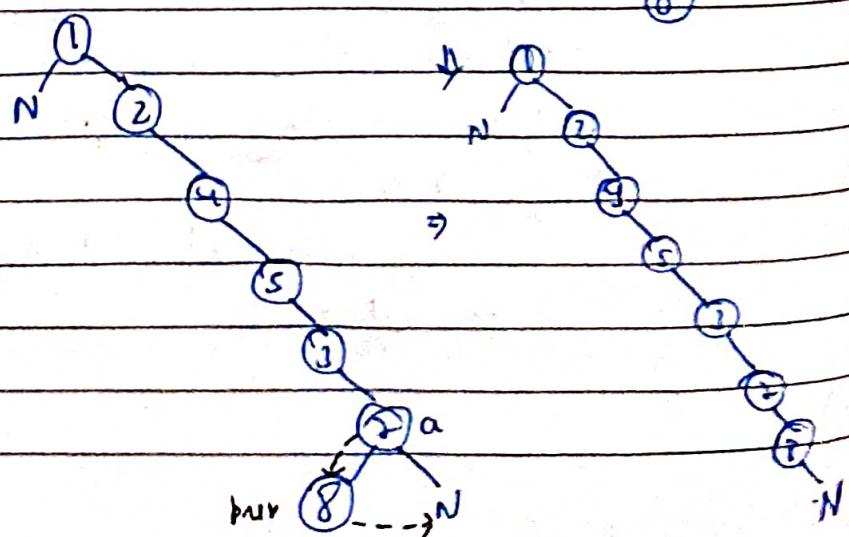
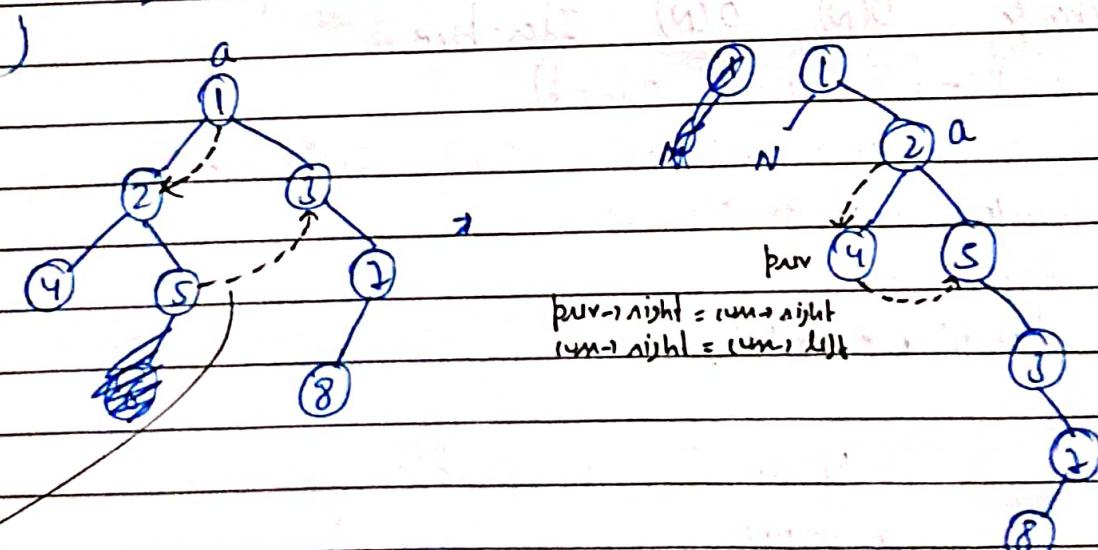
$prev = prev->right;$

$prev->right = curr->right;$

$curr->right = curr->left;$

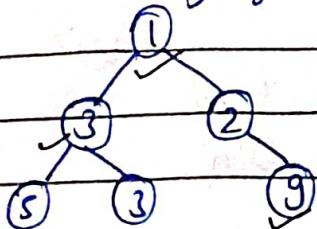
$curr->left = NULL;$

$curr = curr->right; // link change \leftarrow right$   
non left



Q26) Find largest Value in Each Tree Row:

return array of largest value in each row of the tree



dp [1, 3, 9]

DFS

TC - O(N)

SC - O(h) → due to recursion

vector<int> layout(TreeNode \*root)

```

{
    vector<int> ans;
    traverse(root, ans, 0);
    return ans;
}
  
```

void traverse(TreeNode \*root, vector<int> &ans, int level)

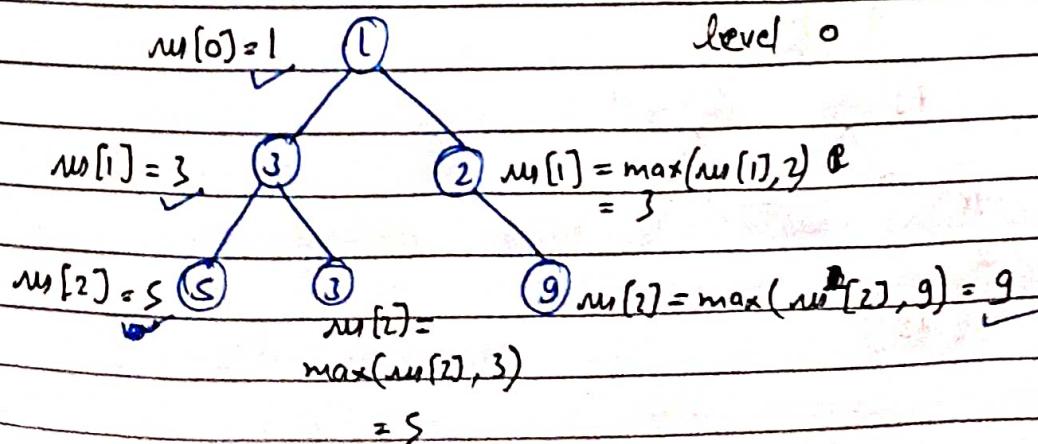
```

{
    if (root == NULL) return;
    if (ans.size() == level)
        ans.push_back(root->val);
    else
        ans[level] = max(ans[level], root->val);
  
```

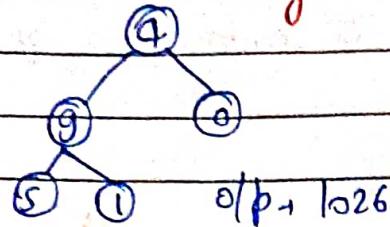
traverse(root->left, ans, level+1);

traverse(root->right, ans, level+1);

}



(22) Sum Root to Leaf Numbers :



$$495 + 491 + 40$$

DFS

TC - O(N)

SC - O(h)

a) int ans = 0;

```

int sumNumbers(TreeNode *root)
{
    f(root, 0);
    return ans;
}
  
```

```

void f(TreeNode *root, int ans)
{
  
```

```

    if (root == NULL) return;
```

```

    if (root->left == NULL && root->right == NULL) // leaf
    {
      
```

```

        ans = (ans * 10) + root->val;
      
```

```

        return;
      }
    
```

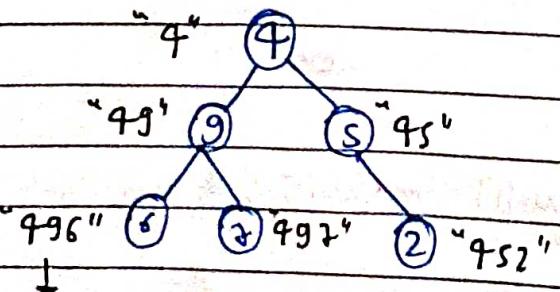
```

    f(root->left, ans * 10 + root->val);
  
```

```

    f(root->right, ans * 10 + root->val);
  }
  
```

b) we can use string concept also to pass in f() in place of ans

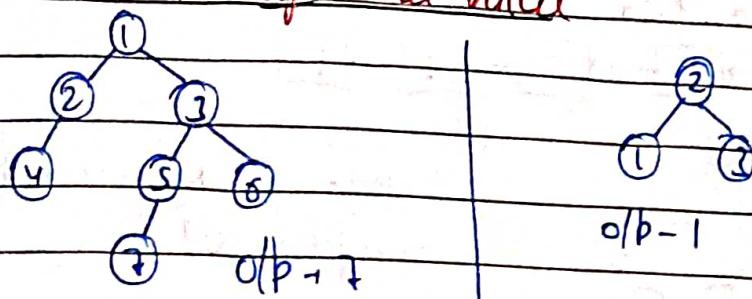


do H.G.

```

    ↘ ans += stoi("496")
  
```

28) Find Bottom Left Tree Value



0/b-1

int findBottomLTreeNode \*root)

```

{
    int ans=0, ma=0;
    f(root, 1, ma, ans);
    return ans;
}

```

void f(TreeNode \*root, int level, int ans, int ma)

```

{
    if (root == NULL) return;
    if (level > ma)
        ma = level;
    ans = root->val;
    ma = level;
}

```

address will therefore

If ma changed can't be  
backtracked.

```

    f(root->left, level+1, ma, ans);
    f(root->right, level+1, ma, ans);
}

```

29)

Copying a Vector;

vector<int> v = {3, 9, 2, 5, 1, 9, 6};

vector<int> ans;

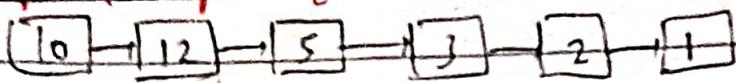
copy(v.begin() + 2, v.end() - 2, back\_inserter(ans));

for (auto x : ans)

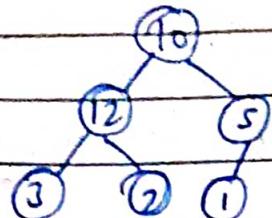
cout << x << " ";

0/b-2 5 1

## 29) BT from linked list :



$i+1$   
 $2i+1$        $2i+2$



+ Given LL Representation of  
Complete BT

```
void convert(Node *head, Trunode *root)
```

BFS

$O(N)$   
 $O(N)$

```
if (head == NULL) return;
```

```
queue<Trunode *> q;
```

```
root = new Trunode(head->data);
```

```
q.push(root);
```

```
head = head->next;
```

```
while (!q.empty() && head != NULL)
```

```
}
```

```
Trunode *temp = q.front();
```

```
q.pop();
```

```
temp->left = new Trunode(head->data);
```

```
q.push(temp->left);
```

```
head = head->next;
```

```
if (head)
```

```
{ temp->right = new Trunode(head->data);
```

```
q.push(temp->right);
```

```
head = head->next;
```

```
}
```

```
}
```

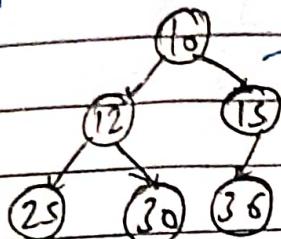
- while loop की एक इताहा तो particular node के left & right नहीं होते।

- \* b/w Node & Trunode की मध्य-मूल रूपरेखा है :-  
मध्य Trunode की संरचना है :-

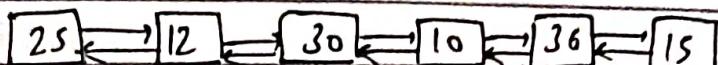
in-place

7

(30) BT to DLL:

prev's left  $\rightarrow$  left will be prev, right will be next.

inorder: 25 12 30 10 36 15



$\rightarrow$  The order of nodes in DLL must be same as inorder of the given BT.

Node \*prev = NULL;

Node \*bToDLL(Node \*root)

inorder  
↓

if (root == NULL) return NULL;

left  $\leftarrow$  Node \*head = bToDLL(root->left);
 $\left\{ \begin{array}{l} \text{if (prev == NULL) head = root;} \\ \text{else} \end{array} \right. \quad // \text{दोस्ती दर्शाएँ (DLL में head assign हो जाएगा)}$ 

Root

root-&gt;left = prev;

prev-&gt;right = root;

prev = root;

right  $\leftarrow$  bToDLL(root->right);

return head;

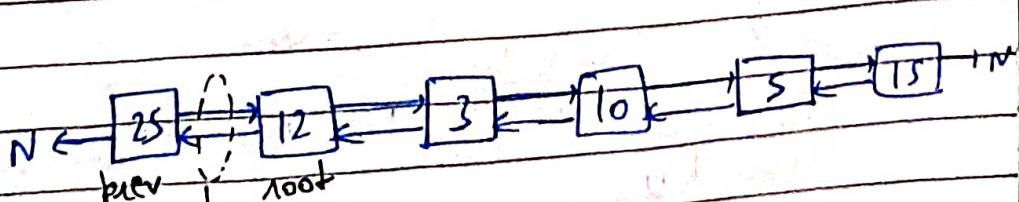
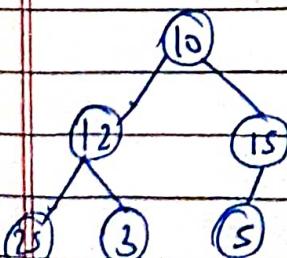
}

left वाले, केंद्र करो, right वाले

L

Root

R



धूम वाला फैला लिंक होगा जहाँ

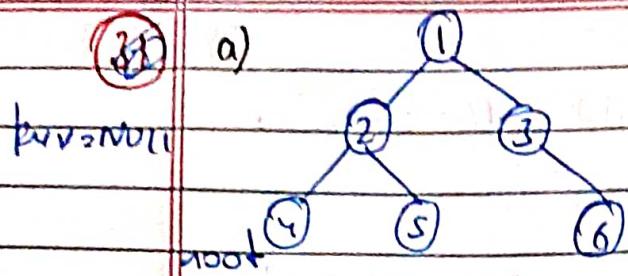
root-&gt;left = prev

prev-&gt;right = root

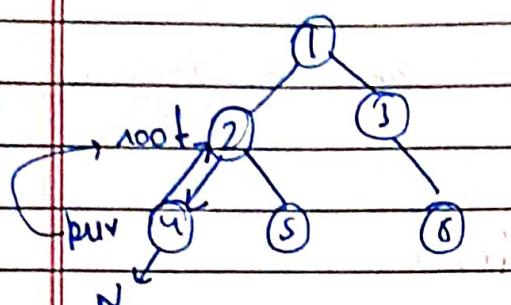
$\text{root} \rightarrow \text{left} = \text{NULL}$  return

(3)

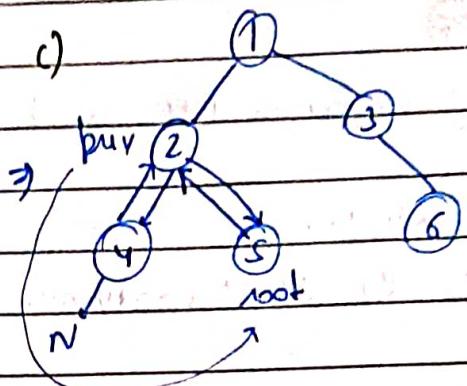
a)

 $\text{head} = \text{root} \rightarrow \text{right}$  $\text{prev} = \text{root} \rightarrow \text{left}$  $\text{root} \rightarrow \text{right} = \text{NULL}$  when  
when head;

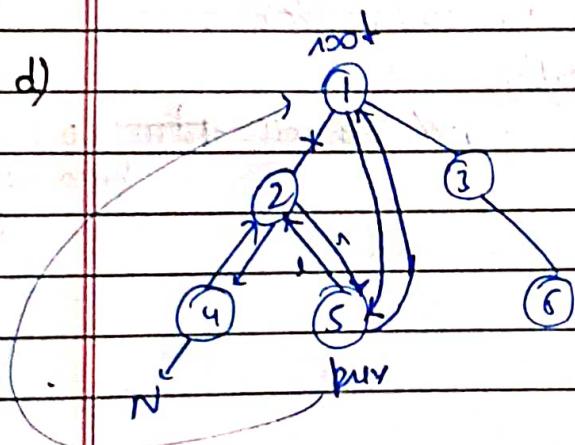
b)



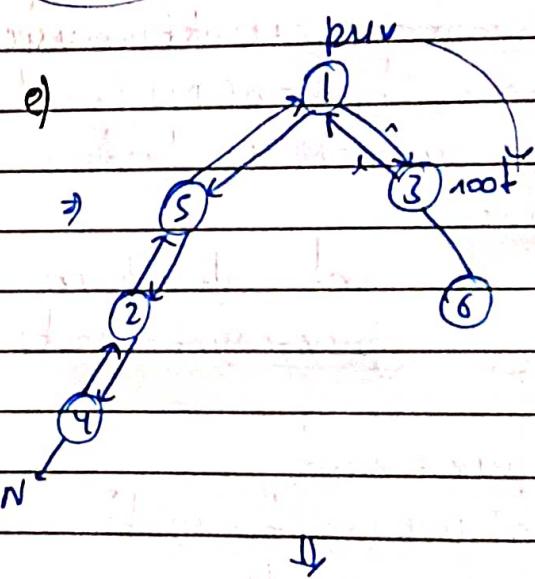
c)



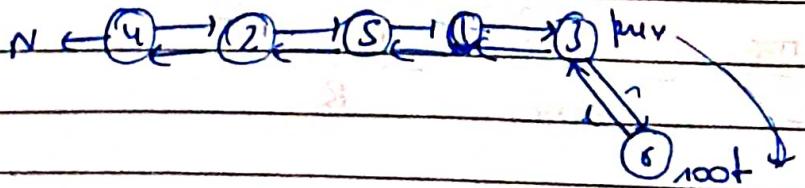
d)



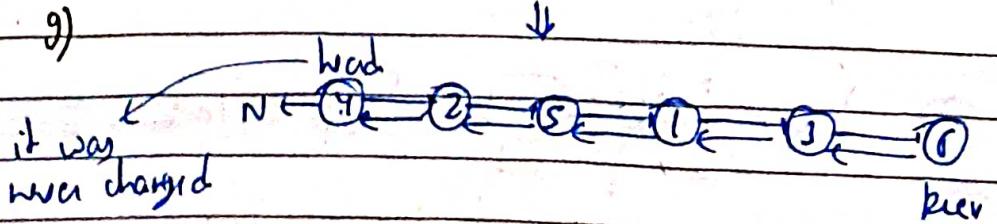
e)



f)



g)

 $\Rightarrow (\text{root} \rightarrow \text{right}) = \text{NULL}$  when

when head;

### (3) BT to CDLL

```

Node *prev=NULL;
Node *curr (Node *root)
{
    Node *ans=f(root);
    ans->left+=prev;
    prev->right=ans;
    return ans;
}
Node *f() // same as previous Question

```

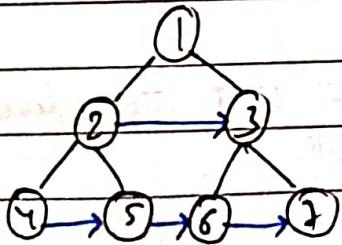
### (3) Populating next right pointers in each Node:

struct Node{

int val;

Node \*left, \*right, \*next;

};



Given a perfect BT

initially all next pointers are null

~~Node \*connect(Node \*root)~~

```

{
    Node *next_level=root;
    while(next_level!=NULL)
    {
        Node *next_level=curr_level;
        while(next_level)
        {
            if(next_level->left!=NULL)

```

next\_level = nl

~~Node \*next\_level=curr\_level;~~

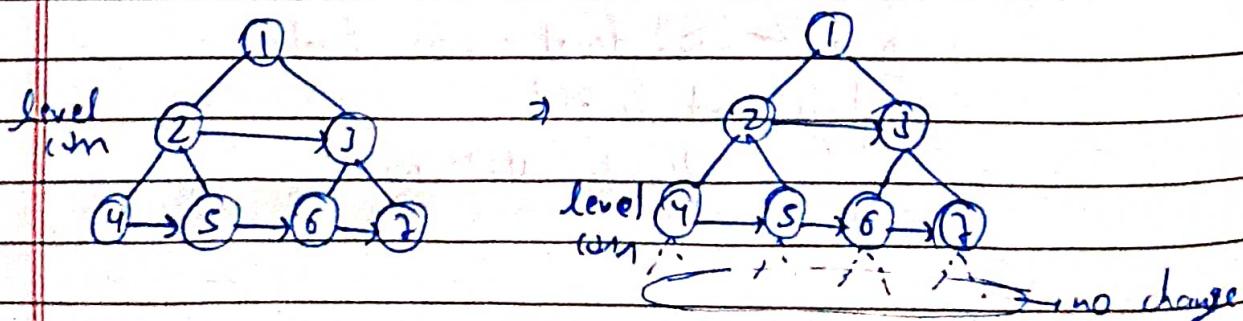
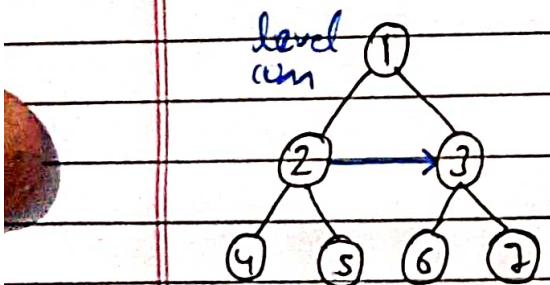
~~while(next\_level)~~

~~{if(nl->left!=NULL)~~

```

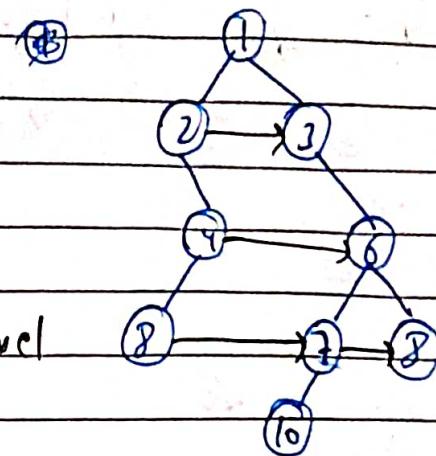
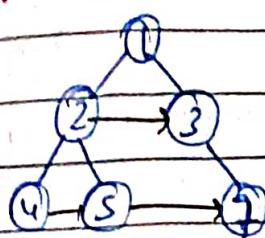
Node *connect(Node *root)
{
    Node *level = root;
    while(level != NULL)
    {
        Node *cur = level;
        while(cur != NULL)
        {
            if(cur->left != NULL)
                cur->left->next = cur->right;
            if(cur->right != NULL)
                cur->right->next = cur->next->left;
            cur = cur->next;
        }
        level = level->left;
    }
}
    
```

- \* level at fix cat, cur के बारे में है
- \* cur अपर्याप्त बिंदे वाले level को join करना



- \* cur->next->left help in level fi  
आगे नहीं मिले।

(3) Populating next right pointer in each Node II:



logic: dummy node at every level  
help in connecting

```

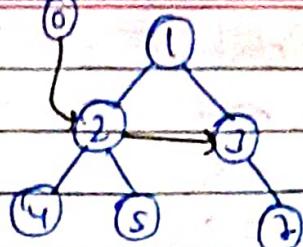
Node *connect(Node *root)
{
    if(root == NULL) return root;
    Node *level = root;
    while(level != NULL)
    {
        Node *curr = level;
        Node *dum = new Node(0);
        Node *temp = dum;
        while(curr != NULL)
        {
            if(curr->left)
            {
                temp->next = curr->left;
                temp = temp->next;
            }
            if(curr->right)
            {
                temp->next = curr->right;
                temp = temp->next;
            }
            curr = curr->next;
        }
        level = dum->next;
    }
}
  
```

dummy  
node

temp

a)

level



b) level 0 1

N N

while loop

until P[i] == null, where i == cur-next then stop

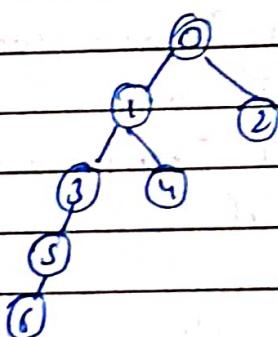
level = dom-next = null stop

Level = dom-next = null  
stop

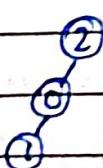
### (34) Construct BT from Parent Array:

O(N) . If two element have same parent the one that appear first in the array will be left child.

(i)  $a[ ] = \left\{ -1, 0, 0, 1, 1, 3, 5 \right\}$   
 $0/b = 0 1 2 3 4 5 6$



(ii)  $a[ ] = \{2, 0, -1\}$   
 $0/b = 2 0 1$



Node \* createTree(int parent[], int N)

```
unordered_map<int, Node*> m; // to store nodes
for(int i=0; i<N; i++) { } simply index को node
m[i] = new Node(i); } तो है।
```

Node \*root = NULL;

```
for(int i=0; i<N; i++) { }
```

{ if(parent[i] == -1)

root = m[i]; }  
} continue; }  
} root of tree calculation

gives left child full & at right it will

classmate

Date \_\_\_\_\_

Page \_\_\_\_\_



$y(m[\text{parent}[i]] \rightarrow \text{left} = \text{NULL})$

$m[\text{parent}[i]] \rightarrow \text{left} = m[i];$

else

$m[\text{parent}[i]] \rightarrow \text{right} = m[i];$

when root;

)  $\rightarrow$   $m[\text{parent}[0]] = 6$

$\cdot \text{parent}[] = \{ -1, 0, 0, 1, 1, 3, 5 \}$

\* any index is the value in tree nodes and any value gives the parent node of that particular index.

say  $i = 5$

$\rightarrow$   $m[5] = 3$  at left child is 5

$\text{parent}[i] = 3$

$m[\text{parent}[i]] = 3$

$m[\text{parent}[i]] \rightarrow \text{left}$

$m[\text{parent}[i]] \rightarrow \text{left} = m[i]$

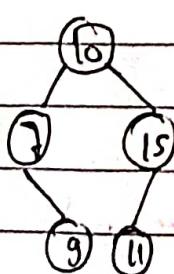
(3)  
5

map at 2nd node

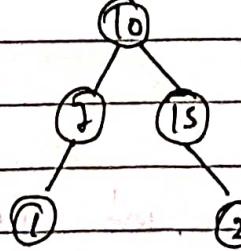
7, 8, 9, 10, 11

3rd convert at 5

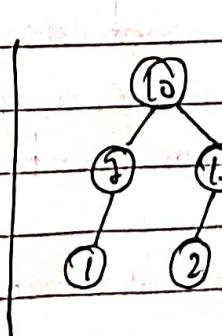
### ⑮ Foldable BT



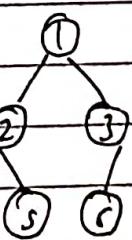
0/b  
1



1



0



0

left & right subtrees should be structure wise foldable.

```

bool isfoldable(Node *root)
{
    if (root == NULL) return 1;
    bool a = return J(root->left, root->right);
}
bool J(Node *b, Node *g)
{
    if (b == NULL || g == NULL) return b == g;
    return J(b->left, g->left) && J(b->right, g->right);
}

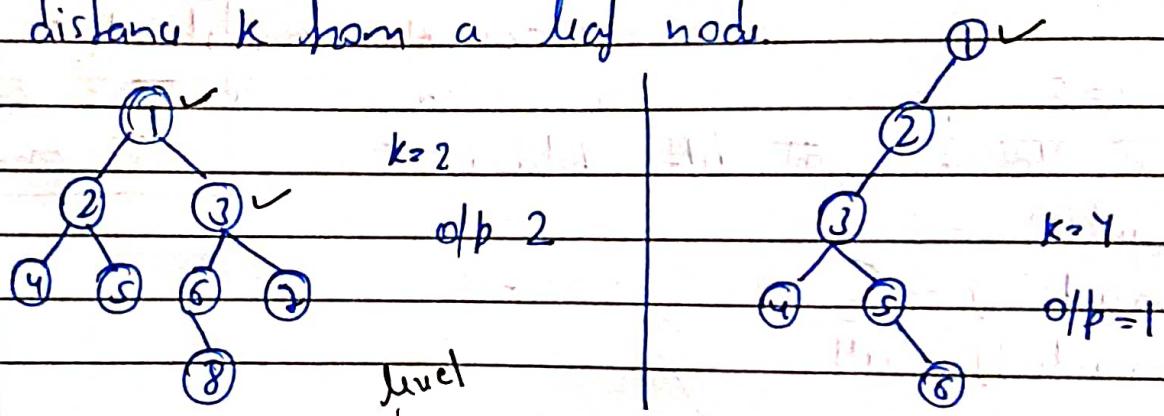
```

(See the implementation of map)

36)

Nodes at distance :

→ task is to print all distinct nodes that are distance k from a leaf node.



unordered\_map<int, pair<Node \*, bool>> m;

int nodisatdis(Node \*root, int k)

{

int count = 0;

J(root, k, 0, count);

return count;

}

void J(Node \*root, int k, int level, int &count)

{ if (root == NULL) return;

m[level].first = root;

m[level].second = false;

```

        } { if (root->left == NULL && root->right == NULL) // leaf
        } { if ((level-k) >= 0 && m[level-k].second == false)
        } { m[level-k].second = true;
        } { count++;
    }
}

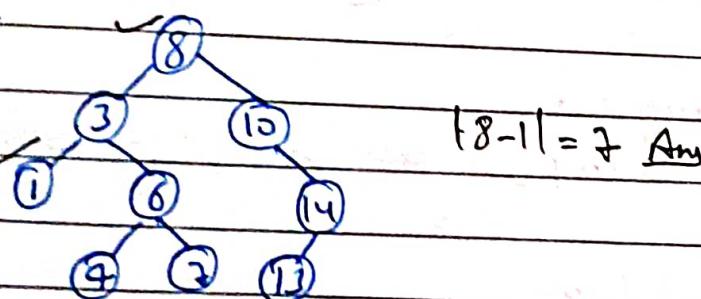
if (root->left != NULL && node != map[root].left)
    f(root->left, k, level+1, count);
if (root->right != NULL && node != map[root].right)
    f(root->right, k, level+1, count);
}

```

एक गृह एवं  
होड़ ने निप पर  
सत्ति न पर इनका  
मिल मप (visited)

### Q3) Maximum Difference B/w Node And Ancestor:

→ find maximum  $\Delta v = |a.val - b.val|$  &  $a$  is the ancestor of  $b$ .



```
int ans = INT_MIN;
```

```
int ancestor(TreeNode *root)
```

```
{ int maxi = 1, mini =
```

```
    when ||root, root->val, root->val||; when ans;
```

```
}
```

```
void f(TreeNode *root, int maxi, int mini)
```

```
{
```

```
    if (root == NULL) return;
```

```
    maxi = max(maxi, root->val);
```

```
    mini = min(mini, root->val);
```

```
    if (root->left != NULL, maxi, mini);
```

```
    if (root->right != NULL, maxi, mini);
```

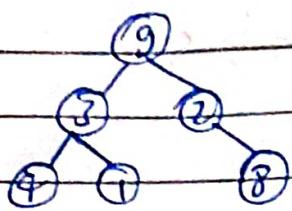
```
    ans = max(ans, maxi - mini);
```

```
}
```

(38)

### Verify Preorder Serialization of a BT:

Given string  $s = "9, 3, 4, \#, \#, 1, \#, \#, 2, \#, 6, \#"$   
 $\#$  is non Node



→ return due to its correct preorder traversal.

→ not allowed to construct BT.

a) Using stack

```

bool isValid(string preorder)
{
    stringstream s(preorder);
    string str;
    stack<string> st;
    while(getline(s, str, ',')) {
        if(str == "#") {
            if(st.empty() || st.top() == "#")
                return 0;
            st.pop();
        }
        else
            st.push(str);
    }
  
```

string cur = str;

while(!st.empty() && st.top() == "#")

{

st.pop();

if(st.empty())

return 0;

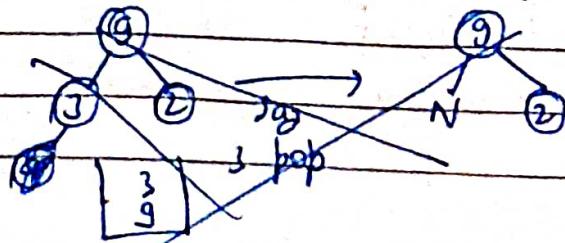
st.pop();

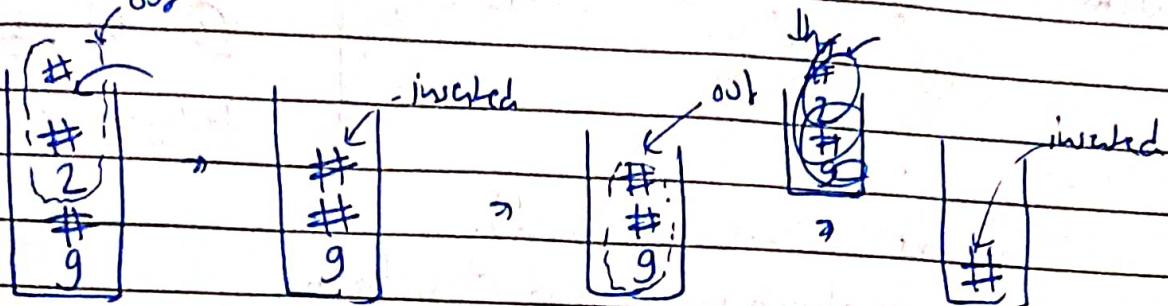
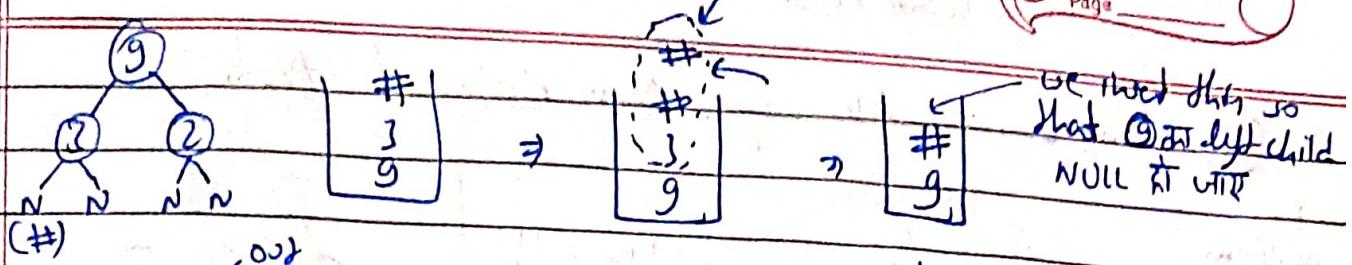
}

st.push(cur); // cur का push करते हैं

} when st.size() == 1 && st.top() == "#";

सोचें जब कोई character (node) वाला pop होता है तो  
 उसका अगला दोरी की जरूरत है, :- we push "#" also  
 so that जबकि उसे का node का left/right child null  
 हो जाए।





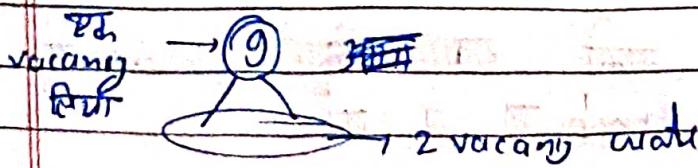
∴ last if condition  
st.size == 1 && st.top() == "#"

### b) Simple logic (vacancy logic)

```
bool isValid(string preorder)
{
    int vacancy = 1;
    stringstream s(preorder);
    string str;
    while (getline(s, str, ',')) {
        vacancy--;
        if (vacancy < 0) return 0;
        if (str != "#")
            vacancy += 2;
    }
    return vacancy == 0;
}
```

- वर ये node जिन्हीं के vacancy का काम करने के पर vacany होंगे (string का number)
- वर ये "#" जिन्हीं के vacancy कम होंगे।

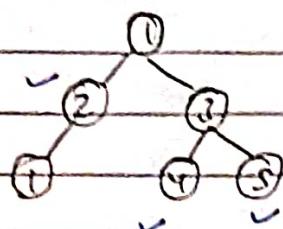
= vacancy--;  
always.



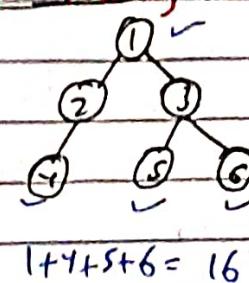
## 337. How to do Robin III Methods (See discuss)

## (39) Maximum Sum of Non-Adjacent Nodes:

DP problem



$$2+4+5 = 11$$



$$1+4+5+6 = 16$$

```

int getMaximum(Node *root)
{
    unordered_map<Node *, int> m;
    return f(root, m);
}

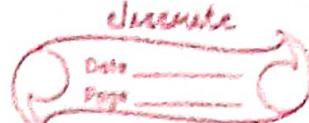
int f(Node *root, unordered_map<Node *, int> &m)
{
    if (root == NULL) return 0;
    if (m[root]) return m[root];
    int withoutnode = root->data;
    if (root->left)
        withoutnode += f(root->left->left, m);
    withoutnode += f(root->left->right, m);
    if (root->right)
        withoutnode += f(root->right->left, m);
    withoutnode += f(root->right->right, m);

    int withoutnode = f(root->left, m) + f(root->right, m);
    m[root] = max(withnode, withoutnode);
    return takeRoot;
}
  
```

map की वाले तरीके से जल्दी फिरी नोड +  
उपर पर सही value map के लिए

### Robin III sol

DP sol



int nob(TreeNode \*root)

{  
    in vector<int> m;

    when max(m[0], m[1]);

}

vector<int> nobSub(TreeNode \*root)

{

    if (root == NULL)

        when vector<int>(2, 0);

    vector<int> left = nobSub(root->left);

    vector<int> right = nobSub(root->right);

    vector<int> m(2, 0);

    m[0] = max(left[0], left[1]) + max(right[0], right[1]);

    m[1] = root->val + left[0] + right[0];

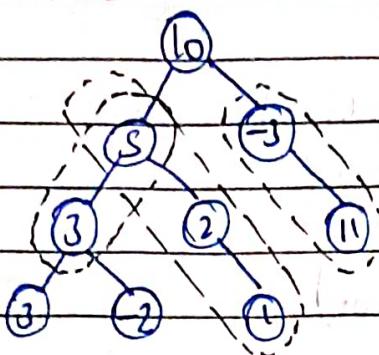
    when m[1]

}

- The left & right vector's first value is if root is not rooted, second value is if root is rooted.

## (10) Path Sum III

target = 8



int pathSum(TreeNode \*root, int t);

{ unordered\_map&lt;long long, int&gt; m;

int c=0;

long long curSum=0;

if (root, t, m, c, curSum);

return a;

}

void f(TreeNode \*root, int t, unordered\_map&lt;long long, int&gt; m,

int &amp;c, long long &amp;curSum)

{

if (root==NULL) return;

curSum+=root-&gt;val;

if (curSum==t) c++;

if (m[curSum-t]) c+=m[curSum-t];

\*

m[curSum]++;

f(root-&gt;left, t, m, c, curSum);

f(root-&gt;right, t, m, c, curSum);

}

Q1) SubArry with given sum k

nums = [2, 3, 5, -1, 0, 7, -2, 5]    k=5

prefix sum → 2 5 8 7 7 14 12 17

$$12-5 = 7 \quad (\text{7 at arr } 3\text{rd pos})$$

$\therefore (+= m[\text{sum}-k];)$

int sum(vector<int>& nums, int k)

{    unordered\_map<int,int> m;

    m[0]=1;

    int sum=0, c=0;

    for(int i=0; i<nums.size(); i++)

        sum+=nums[i];

        if(m[sum-k])    (+= m[sum-k]);

        m[sum]++;

    }

    return c;

}