

(Q1) Floyd's Cycle Detection / Tortoise & hare Algorithm

```
bool f(Node *head)
{
    if(head == NULL || head->next == NULL)
```

return 0;

Node *slow = head, *fast = head;

while(fast != NULL && fast->next != NULL)

{
 slow = slow->next;

fast = fast->next->next;

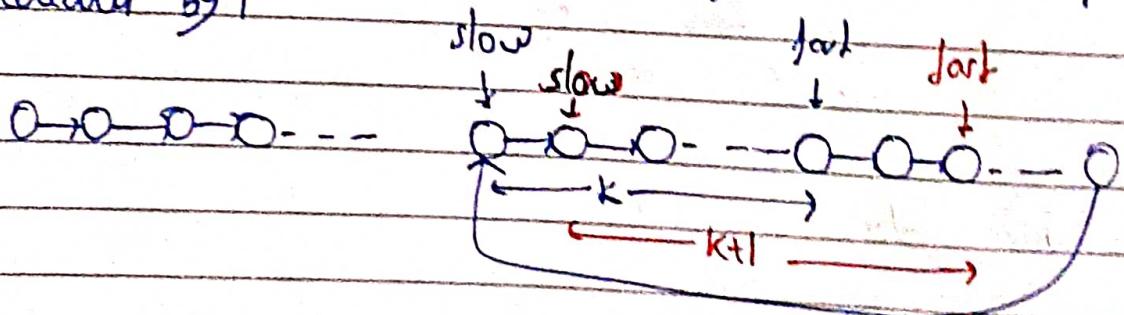
if(slow == fast)

return 1;

}
return 0;

Proof

- Fast pointer covers loop before or at the same time slow pointer enters.
- The difference b/w the distance of slow & fast pointer increases by 1



distance increases by 1 every time, so one time will come when distance is equal to n (no. of edges in loop)

k

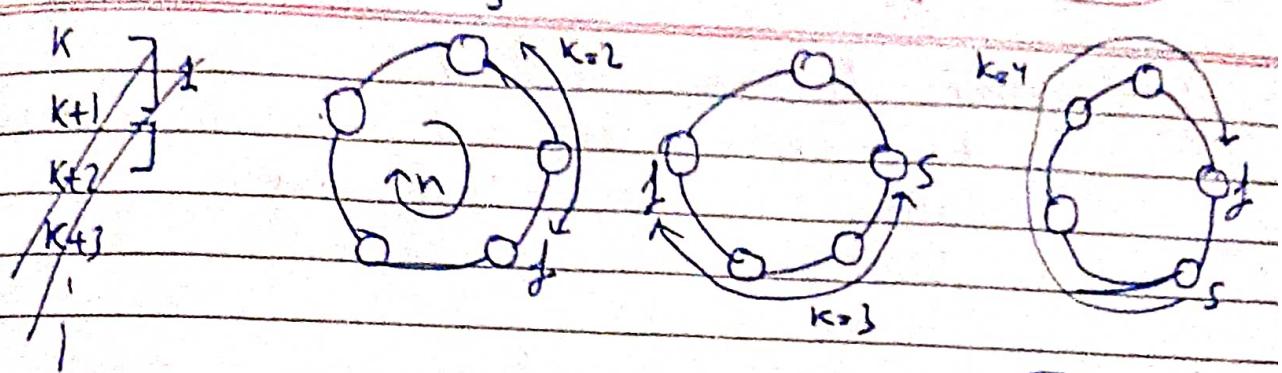
$k+1$

$k+2$

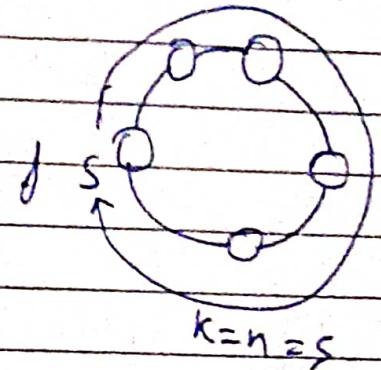
$k+3 = n$

$k+n$

then they meet, they are at same node



k तक ताके से m को रखा है।
एक समय में जब $k=n$ होता है तो
दोनों meet होते हैं।



~~Find & Remove~~ Detect & Remove Linked List Cycle II

find the node from where cycle start.

`listNode *detectCycle(listNode *head)`

```
{
    if(head == NULL || head->next == NULL) return NULL;
    listNode *slow = head, *fast = head, *temp = head;
    while(fast->next != NULL && fast->next->next != NULL)
    {
        slow = slow->next;
        fast = fast->next->next;
        if(slow == fast)
            break;
    }
}
```

$slow = slow \rightarrow next;$
 $fast = fast \rightarrow next \rightarrow next;$
 $if(slow == fast)$

break;

~~i) ($slow == temp$) return slow; It's first node in loop~~
~~while(slow != temp)~~

```
{
    if(slow == temp)
        return temp;
}
```

~~i) ($slow == fast$)~~
~~while(slow != temp)~~
~~{ slow = slow->next;~~
~~temp = temp->next; }~~
~~when temp;~~

~~} when null; } }~~

b) `listNode *f(listNode *head)`

{ `if(head==NULL || head->next==NULL) return NULL;` }

`listNode *slow = head, *fast = head;`

`while(fast!=NULL && fast->next!=NULL)`

{

`slow = slow->next;`

`fast = fast->next->next;`

`if(slow==fast)`

`break;`

}

when no

loop exist \leftarrow `if(fast==NULL || fast->next==NULL) return NULL;`

`while(head!=slow)`

{

`head = head->next;`

`slow = slow->next;`

}

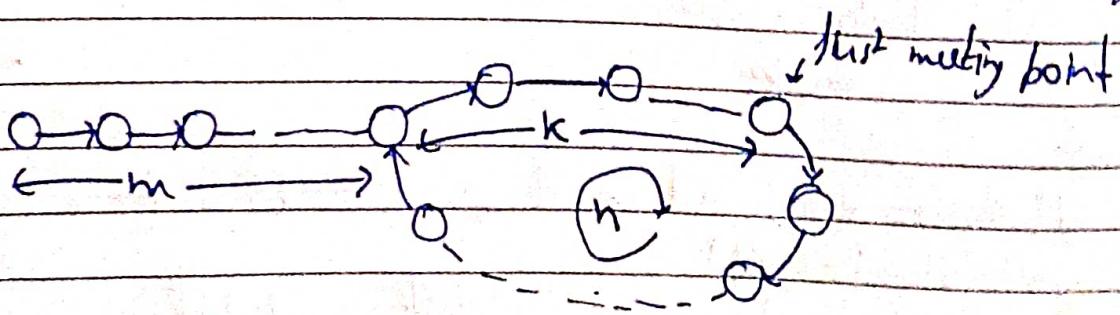
`return head;`

}

Proof

- before first meeting point

(distance travelled by slow) * 2 = (Distance travelled by fast)

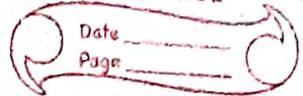


$$(m+k+x+y) * 2 = (m+k+y+n)$$

where x = no. of iterations made by slow pointers before the first meeting point

y ————— fast pointer —————

slow loop \rightarrow it , fast loop it \rightarrow ~~classmate~~

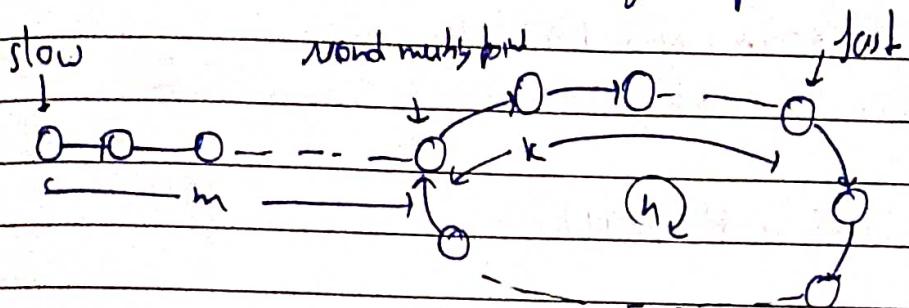


$$(m+k) = n(y-2x)$$

since everything by integer

$\therefore (m+k)$ by a multiple of n .

Now if $(m+k)$ by a multiple of n , then second multiply point is going to be the first node of loop.



- ① slow travel in distance to reach SMP
- ② fast will reach back to its position in $(m+k)$ times since $(m+k)$ is a multiple of n
 \therefore in m distance fast will reach SMP.

$$(m+k) = n(y-2x)$$

$$y=3, x=1 \quad | \quad y=5, x=2$$

$$m+k=n \quad | \quad (m+k)=n \quad \dots$$

• after the first multiply point
point ($y=m+k$) at 11122221

Link list में अलग-अलग कार्य वाले Question
में ek extra Node create कर दिया जाता है।

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⑤ Separate Odd & Even nodes in a LL

12 → 15 → 8 → 9 → 2 → 4 → 6 → N
odd 8 → 2 → 4 → 6 → 12 → 15 + 9

odd & even then odd
even maintain { }

{ Node *f(int n, Node *head)

Node *odd = new Node(-1);

Node *even = new Node(-1);

Node *o = odd, *e = even; o->next = head;

while(head != NULL)

{

if(head->data % 2 == 0)

{

e->next = head;

e = e->next;

}

else

{

o->next = head;

o = o->next;

}

head = head->next;

}

o->next = NULL;

e->next = odd->next;

return even->next;

}

} no change

Similar logic as previous

Given a LL of 0's, 1's & 2's, sort it

Node * p (Node * head)

{ If (head == NULL || head->next == NULL) return head;

Node * two_head = new Node(0);

Node * one_head =

Node * two_head =

Node * two_head = one_head, * one, one_head, * two = two_head,
+ one = head;

while (curr != NULL)

{ If (curr->data == 0)

two->next = curr;

two = two->next;

}

If (curr->data == 1)

one->next = curr;

one = one->next;

}

If (curr->data == 2)

two->next = curr;

two = two->next;

}

curr = curr->next;

}

two->next = (one_head->next != NULL) ? one_head->next :
two_head->next;

See

one->next = two_head->next;

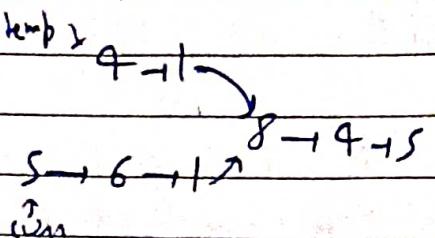
two->next = NULL;

when two_head->next;

}

(XII) Intersection of 2 LL

Given headA & headB of 2 LL when head at which they intersect or NULL .



o/p node pointing to B.

a) naive $O(n^2)$ $O(nm)$

2 for loop iterate over one LL & see if $(\text{cur} == \text{temp})$ then return node.
(say 2nd LL)

b) Hashing: $O(n+m)$ $SL + O(n)$

logic iterate over first LL & store address of every node in set. Then iterate over 2nd LL & see if address of current node exist in set.

Node *f(Node *h1, Node *h2)

{ consider set < Node * > S;
Node *head1 = h1, *head2 = h2;

while (head1 != NULL)

{ s.insert(head1);

head1 = head1->next;

}

while (head2 != NULL)

{

if (s.find(head2) == s.end())

when head2;

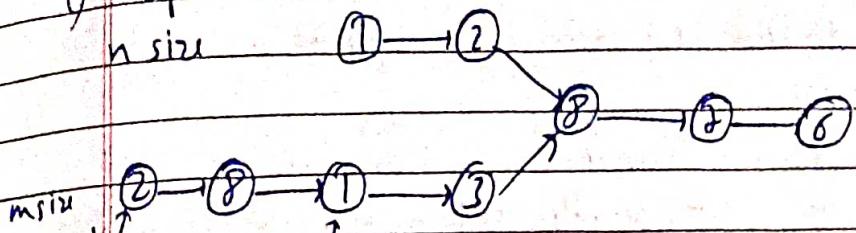
head2 = head2->next;

}

when NULL;

}

c) Optimized 1 ↴



- Just find h_1^2 length of both linked list (say n, m), you can use one loop to find it
- Take $\text{abs}(n-m)$ & move longer list by 2 pointers ahead (here 2).
- Now move simultaneously h_1 & h_2 till they are equal or null.

d) Optimized 2 :

$\text{Node} + 1 (\text{Node} * \text{headA}, \text{Node} * \text{headB})$

{ $(\text{headA} == \text{NULL} \text{ || } \text{headB} == \text{NULL})$ when NULL;

$\text{Node} + h_1 = \text{headA}, + h_2 = \text{headB};$

while ($h_1 \neq ! - h_2$)

{

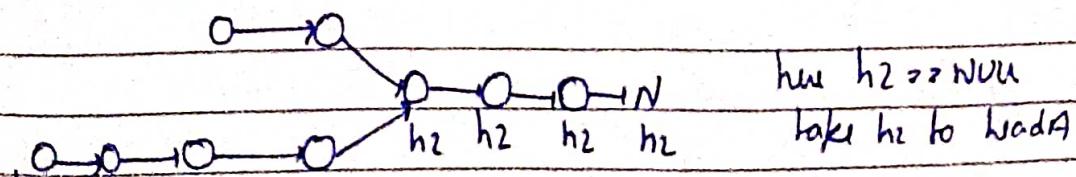
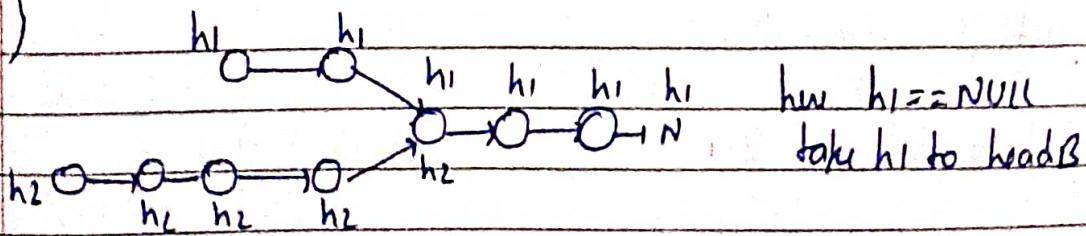
$h_1 = (h_1 == \text{NULL}) ? \text{headB} : h_1 \rightarrow \text{next};$

$h_2 = (h_2 == \text{NULL}) ? \text{headA} : h_2 \rightarrow \text{next};$

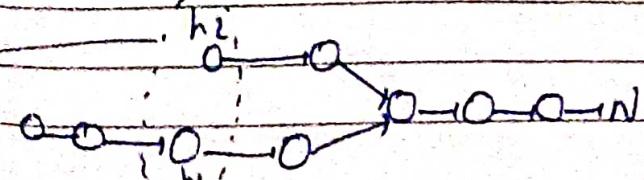
}

return h_1 ; // or h_2

logic



My
an
attire



Let say you have 3 t-shirt
you wear 1 t-shirt on monday.

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Least Recently Used \rightarrow

\uparrow

2nd 1st 3rd Tuesday Wednesday
Then LRU t-shirt by on monday

\rightarrow LRU Cache

- This DataStructure should σ have two function

- get(key) function
if key is present return value & change return -1.
make that node last recently used node (basically insert it right after head)
- put(key, value)
we have this (key, value) in Cache DS.

- If size of Cache is full then we remove the LRU guy & then we insert.

Example size of Cache = 2

put(1, 1) $\{ (1, 1) \}$ LRU by (1, 1)

put(2, 2) $\{ (1, 1), (2, 2) \}$ LRU by ~~(1, 1)~~ (2, 2)

get(1) \rightarrow return 1 LRU by now (2, 2) since you have used (1, 1)

put(3, 3) $\rightarrow \{ (1, 1), (3, 3) \}$ LRU by (1, 1)

get(2) \rightarrow -1

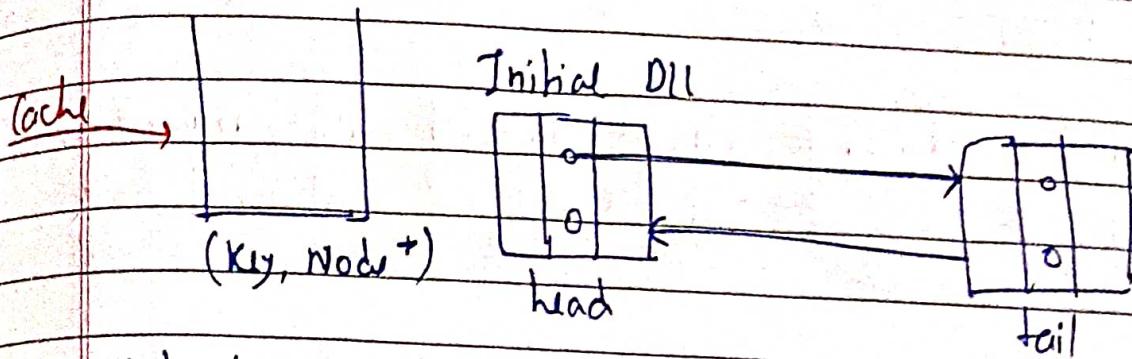
put(4, 4) $\rightarrow \{ (1, 1), (3, 3) \}$ LRU by (3, 3)

get(1) \rightarrow -1

get(3) \rightarrow 3

get(4) \rightarrow 4

- * We have to design both these function in $O(1)$ TC
- We will use Hashmap & DLL



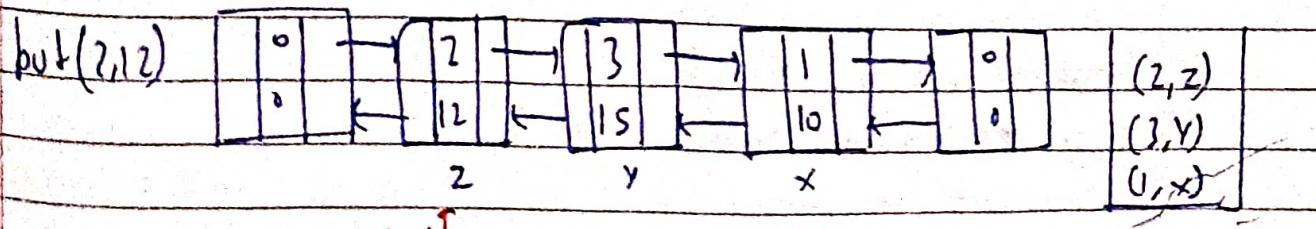
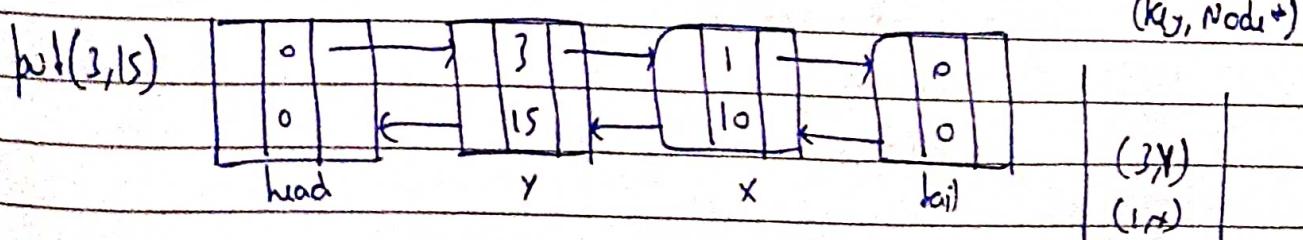
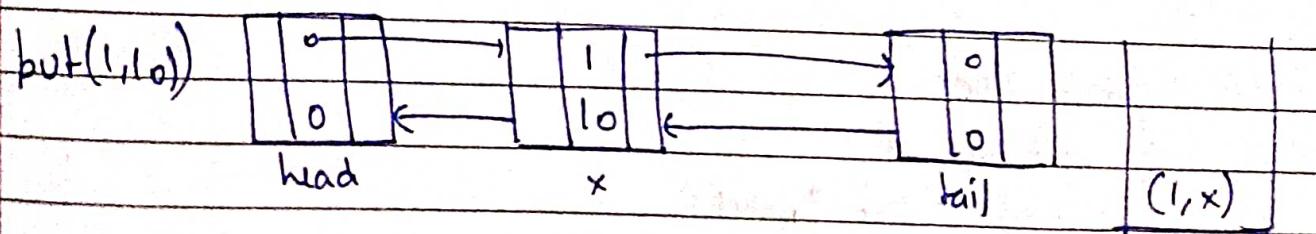
- * Hashmap will tell

Example : Cache size = 3

operations are put(1, 10) put(3, 15) put(2, 12) get(3) put(4, 20)
get(2) put(4, 25) get(6)

- * put(1, 10) : we go in hashmap & check if 1 is present or not
if not present & size < 3 then we insert (1, 10).

→ We insert always right after head



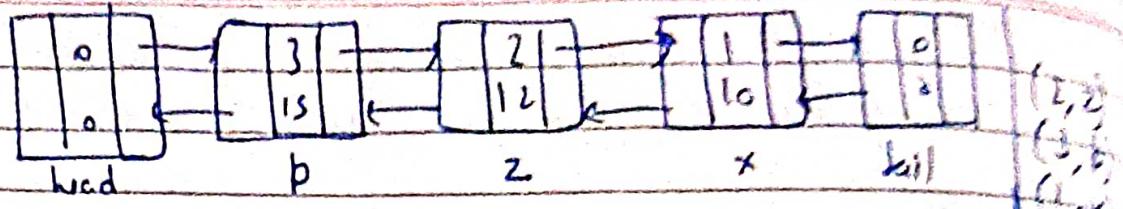
last↑
recently used
↑
most recently used

See Ht 1

Step
probs

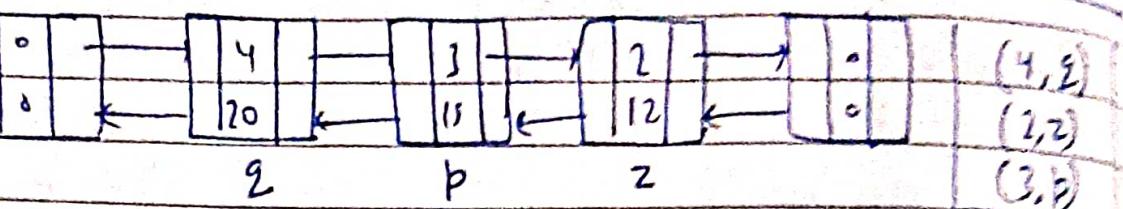
get(3)

15



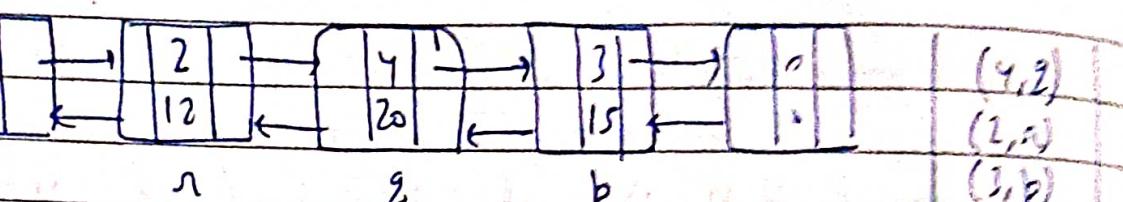
put(4, 20)

2



get(2)

n

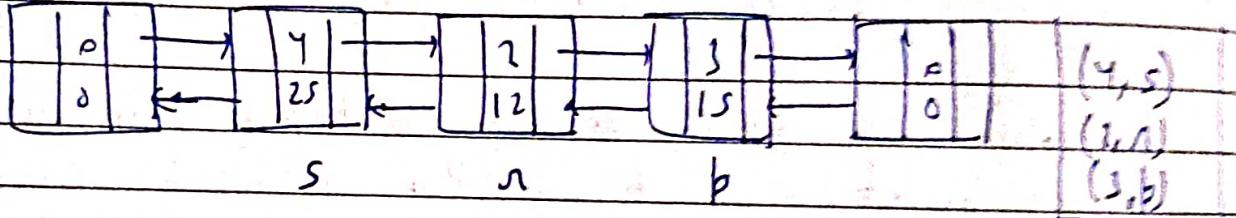


See Ht 1

Step

but(y, 25)

probs



get(6) → -1

struct Node

```
{
    int key, val;
    Node *next, *prev;
    Node(int x, int y)
    {
        key = x;
        val = y;
    }
};
```

Node *head = new Node(-1, -1);

Node *tail = new Node(-1, -1);

int size;

unordered_map<int, Node*> m;

```

LRUcache(int capacity)
{
    size = capacity;
    head->next = tail;
    tail->prev = head;
}

```

```

void delNode(Node *del)
{
    del->prev->next = del->next;
    del->next->prev = del->prev;
}

```

```

void addNode(Node *newNode)
{
    newNode->next = head->next;
    head->next = newNode;
    newNode->next->prev = newNode;
    newNode->prev = head;
}

```

```

int get(int key)
{
    if(m.find(key) != m.end())
    {
        Node *newNode = m[key];
        int val = newNode->val;
        m.erase(key);
        delNode(newNode);
        addNode(newNode);
        return val;
    }
    return -1;
}

```

```

void put(int key, int value)
{
    if(m.find(key) != m.end())
    {
        Node *existingNode = m[key];
        m.erase(key);
        deleteNode(existingNode);
    }
    if(m.size() == size)
    {
        m.erase(tail->prev->key);
        deleteNode(tail->prev);
    }
    addNode(newNode(key, value));
    m[key] = head->next;
}

```

* LRU cache is also implementable using Array but takes $O(n)$ time b. $O(n)$ space
 \downarrow
 capacity of cache.

(XIII)

Merge two Sorted list

$1 \rightarrow 2 \rightarrow 4$ $0 \rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5$
 $1 \rightarrow 3 \rightarrow 4$

```
Node * merge( Node * head1, Node * head2 )
{
    if( head1 == NULL && head2 == NULL ) return NULL;
    if( head1 == NULL ) return head2;
    if( head2 == NULL ) return head1;
```

```
Node * dum = new Node(10);
```

```
Node * ans = dum;
```

```
while( head1 != NULL && head2 != NULL )
{
```

```
    if( &head1->val < &head2->val )
```

```
    {
        ans->next = head1;
```

```
        ans = ans->next;
```

```
        head1 = head1->next;
```

```
}
```

```
else
```

```
    {
        ans->next = head2;
```

```
        ans = ans->next;
```

```
        head2 = head2->next;
```

```
}
```

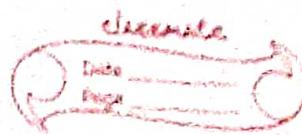
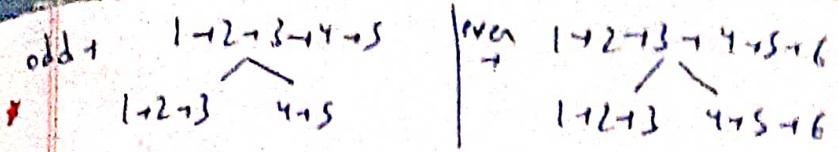
```
if( head1 == NULL )
```

```
    ans->next = head2;
```

```
if( head2 == NULL )
```

```
    ans->next = head1;
```

```
return dum->next;
```



XIV Merge Sort for LL $O(n \log n)$

Given pointer to the head of LL, sort using mergeSort

Node * mergeSort(Node * head)

```
{
    if(head == NULL || head->next == NULL) return head;
    Node * slow = head, * fast = head->next;
    while(fast != NULL && fast->next != NULL)
    {
        slow = slow->next;
        fast = fast->next->next;
    }
}
```

slow = slow->next;

fast = fast->next->next;

Node * first = head, * second = slow->next;

slow->next = NULL;

Node * h1 = mergeSort(first);

Node * h2 = mergeSort(second);

return merge(h1, h2);

}

saw function as previous Question

→ Similar Question MergeSort on Doubly LL. (3rd previous points
 (ans->next = head);)
 (head->prev = ans;)
 get correct STP)

XV Merge K Sorted LL:

lists → arrays $[[1, 2, 5], [1, 3, 4], [2, 6]]$ $\Rightarrow [1, 1, 2, 3, 4, 4, 5, 6]$

a) Naive ~~TC~~ $O(n \log n)$

- store all the elements in LL & sort it in $n \log N$.

b) $(1, 2, 5), \underbrace{(1, 3, 4)}, (2, 6), (7, 8)$ $\Rightarrow O(n + O(nk))$ $\xrightarrow{\text{no. of lists}}$
 $\xrightarrow{\text{merge taken } O(n)}$

But what if we have to merge k sorted lists so on.

Q) Priority Queue (min heap) $(N \log k)$ $\Omega(1), O(\log k)$
 with linked list for next element $\overline{O(N)}$ $\overline{\Omega(1)}$

class comb

{ public:

```
int operator()(ListNode *a, ListNode *b)
{
    return a->val > b->val;
};
```

$\text{ListNode } *f(\text{vector<} \text{ListNode } *> \&\text{lists})$

{ $\text{if } (\text{lists.size()} == 0) \text{ return null;}$

priority queue<ListNode *, vector<ListNode *>, comb> b;

for(int i=0; i<lists.size(); i++)
 {

if(lists[i] == null)
 b.push(lists[i]);

}

$\text{ListNode } *dum = \text{new ListNode}(0);$

$\text{ListNode } *ans = dum;$

while(!b.empty())
 {

$\text{ans->} \text{next} = b.\text{top}();$

$\text{ans} = \text{ans}-\text{next};$

$\text{ListNode } *temp = b.\text{top}();$

$b.\text{pop}();$

if(temp->next == null)

$b.\text{push}(\text{temp}-\text{next});$

$\text{ans->} \text{next} = \text{NULL};$

when dum->next;

}

$T(\rightarrow O(N^2/k))$ $S(\rightarrow O(1))$

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- d) आठी दो LL को जोड़ कर पहले LL को assign (basically head को when $list[0]$ से)

```
listNode *f(vector<listNode *>&lists)
```

```
{ if(lists.size() == 0) return NULL;
```

```
int first = 0, last = lists.size() - 1;
```

```
while(last != 0)
```

```
{
```

```
int i = 0, j = last;
```

```
while(i < j)
```

```
{
```

```
list[i] = merge(list[i], list[j]);
```

```
i++;
```

```
j--;
```

previous Question

```
if(i >= j)
```

```
last = j;
```

```
}
```

```
return list[0];
```

```
}
```

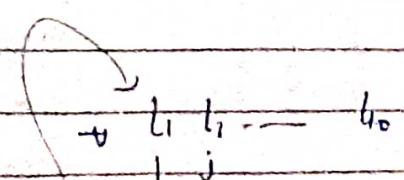
tags

Logic $l_1 l_2 l_3 l_4 l_5 l_6 l_7 l_8 l_9 l_{10} \rightarrow 10$ linked list
Intuition $i \quad i \quad i \quad i \quad i \quad j \quad j \quad j \quad j \quad j$
 $last = 9$

merging two lists & assign the head to $list[0]$

$i++, j--$

i	j
0	9
1	8
2	7
3	6
4	5
5	4
6	3
7	2
8	1
9	



assign $j = last$ means $j = 4$

$\rightarrow l_1 l_2 l_3 l_4 l_5 l_6 l_7 l_8 l_9 l_{10} \rightarrow l_4 l_5 l_6 l_7 l_8 l_9 l_{10}$
 $last = j = 0$

$\rightarrow l_1 l_2 l_3 l_4 l_5 l_6 l_7 l_8 l_9 l_{10}$ when $list[0]$;
 $list(first != 0) \rightarrow$ stop

+2+3+2+1

stack it push each ~~one~~ char are ~~wrong~~ to ~~for~~ classmate
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 ↓ ball down. (push all val in stack & then check over it &
 check (stack.pop(), sum, day) when 0;

XVII

Check for Palindromic LL

$1 \rightarrow 2 \rightarrow 3 \rightarrow 2 \rightarrow 1$	$1 \rightarrow 2 \rightarrow 2 \rightarrow 1$	$\cancel{1} \rightarrow \cancel{2}$	$1 \rightarrow 2 \rightarrow 3 \rightarrow 2 \rightarrow 1$
$0\text{lp} \rightarrow \text{True}$	$0\text{lp} \rightarrow \text{True}$	$\cancel{0}$	True

- a) Native, put elements in Array then check for Palindromy
 $T() = O(n) + O(n) \quad SC = O(n)$

- b) Find middle of LL, reverse right half of LL, now check the value of both LL by blantly

after / middle $1 \rightarrow 2 \rightarrow 3 \rightarrow 3 \rightarrow 2 \rightarrow 1$: $\Rightarrow 1 \rightarrow 2 \rightarrow 3 \rightarrow 1 \rightarrow 2 \rightarrow 3$ \Rightarrow check both halves for check value

```
bool f(listNode *head)
{
    listNode *slow = head, *fast = head;
    while(fast->next != NULL && fast->next->next != NULL)
    {

```

slow = slow->next;

fast = fast->next->next;

listNode *h = slow->next;

listNode *temp1 = NULL, *temp2;

while(h != NULL)

{

temp2->next = temp2 = h->next;

h->next = temp1;

temp1 = h;

h = temp2;

}

slow->next = temp1;

slow = slow->next;

- The flattened list will be pointed using the bottom pointer instead next pointer.

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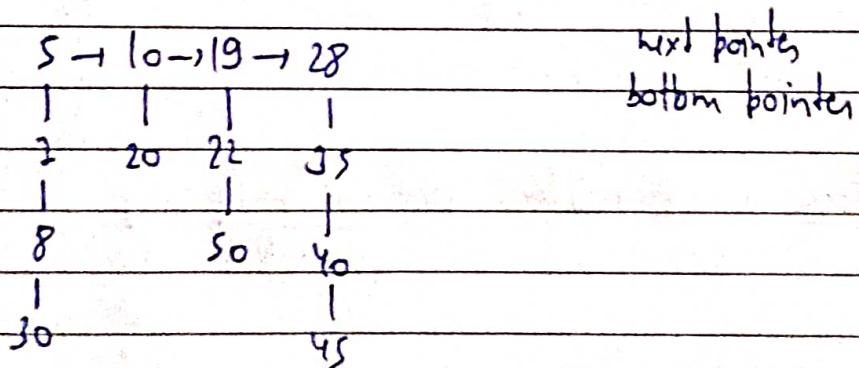
```

while (slow != NULL)
{
    if (head->val == slow->val)
        when 0:
            head = head->next;
            slow = slow->next;
    }
    when 1:
} // Remember interviewer may ask to merge back the
   original (then you again find middle & merge the second
   half of ll).

```

(XVI) Flattening a LL

- Given LL every node represent a sub-linked list.
- each of the sub-linked list is in sorted order



Q/p, 5->7->8->10->19->20->22->28->30->35->40->45->50

a) Iterative

```

Node * flatten(Node *root)
{
    if (root == NULL || root->next == NULL) when root:
        Node *head = root, *nxt = root;
    while (head->next != NULL)
    {

```

Node * h = head->next;

nxt = merge(root, head->next);

head = h;

remember ~~arrow~~ (\rightarrow next) change to (\rightarrow bottom)

} return nxt;

b)

Recursive

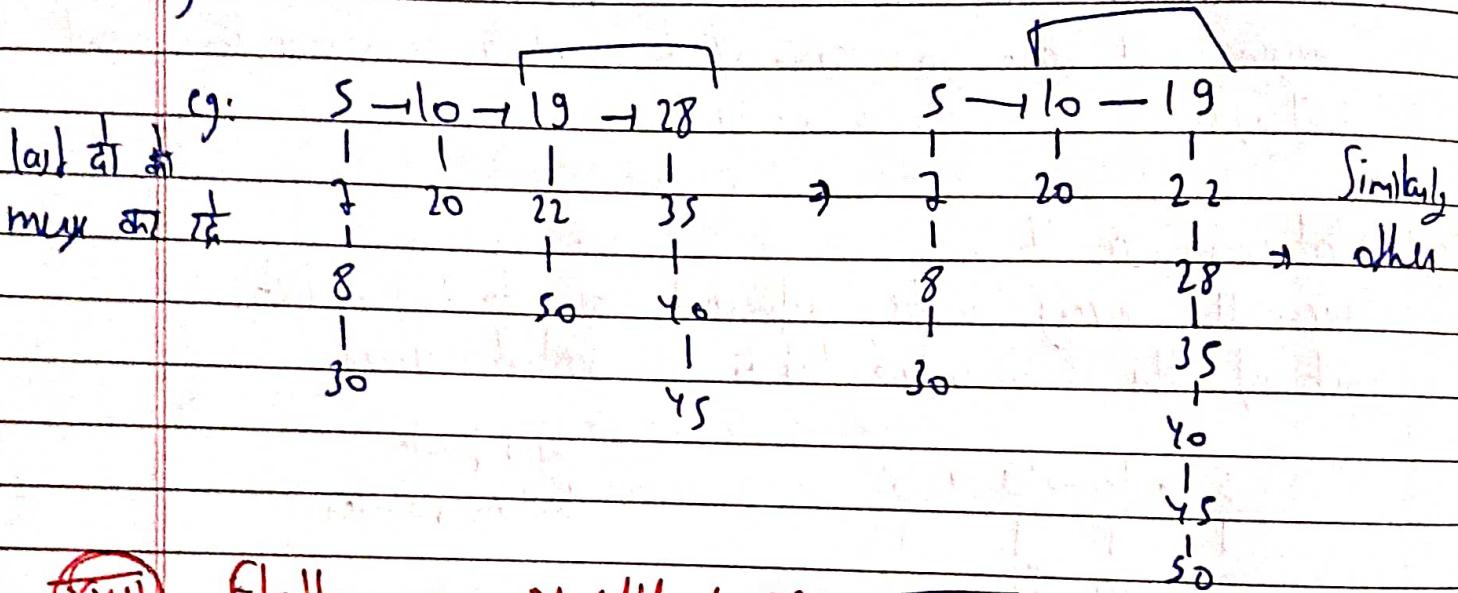
```

Node *flatten(Node *root)
{

```

$y(\text{root} == \text{NULL} \text{ || } \text{root} \rightarrow \text{next} == \text{NULL})$ when root;
 $\text{Node} *\text{ans} = \text{flatten}(\text{root} \rightarrow \text{next});$
 $\text{Node} *\text{new} = \underline{\text{myle}}(\text{root}, \text{ans});$
when $\text{ans} \neq \text{NULL};$

}



(XVII)

Flatten a Multilevel DLL

10/12

val	
next	
prev	child
1	2
2	3
3	4
4	5
5	6
6	7
7	8
8	9
9	10
10	11
11	12
12	13
13	14
14	15
15	16
16	17
17	18
18	19
19	20
20	21
21	22
22	23
23	24
24	25
25	26
26	27
27	28
28	29
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30	31
31	32
32	33
33	34
34	35
35	36
36	37
37	38
38	39
39	40
40	41
41	42
42	43
43	44
44	45
45	46
46	47
47	48
48	49
49	50
50	51
51	52
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68	69
69	70
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74	75
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77	78
78	79
79	80
80	81
81	82
82	83
83	84
84	85
85	86
86	87
87	88
88	89
89	90
90	91
91	92
92	93
93	94
94	95
95	96
96	97
97	98
98	99
99	100

head

cum 1

1

↑↓

1↓

2

2

↑↓

child

1↓

3

3

↑↓

4

cum 2

2↓

5

2↓

6

3↓

7

3↓

8

4↓

9

4↓

10

5↓

11

5↓

12

6↓

13

6↓

14

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15

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49↓

99

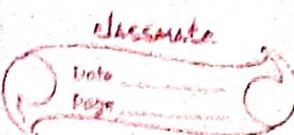
49↓

100

50↓

पहला तर्फ
तब cum != NULL

→ Return the head of the flattened list & make
the child = NULL of all Node



Node *f(Node *head)

{ Node *cur = head;

while (cur != NULL)

{

 if (cur->child != NULL)

{

 Node *temp = cur->next;

 cur->next = cur->child;

 (cur->next)->prev = cur;

 cur->child = NULL;

 } while (Node *h = cur->next);

 while (h->next != NULL)

 h = h->next;

 h->next = temp;

 } if (temp != NULL)

 temp->prev = h;

 } cur = cur->next;

} return head;

XVIII Swap Nodes in Path

1 → 2 → 3 → 4 → 5 → 6 → N

Obj 2 → 1 → 4 → 3 → 6 → 5 → N

[] | []

[] | []

classmate
Date _____
Page _____

4.4 ~~for each node till out from~~

`ListNode * p = head;`

`if (head == NULL || head->next == NULL) return head;`
`ListNode * curr = head, * prev = head, * next = head->next;`
`head = head->next;`
`while (curr != NULL && curr->next != NULL)`

`(curr->next = next);`

`next = curr->next;`

`curr = curr->next->next;`

`if (curr == NULL)`

`break;`

`prev = curr->next;`

`if (next == NULL)`

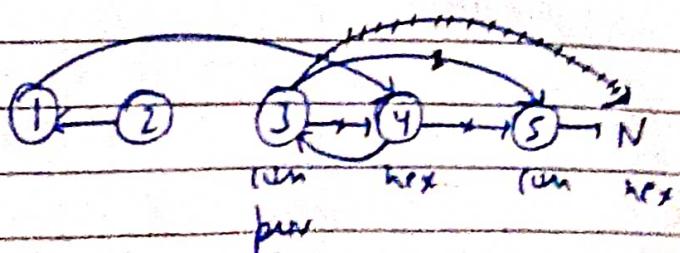
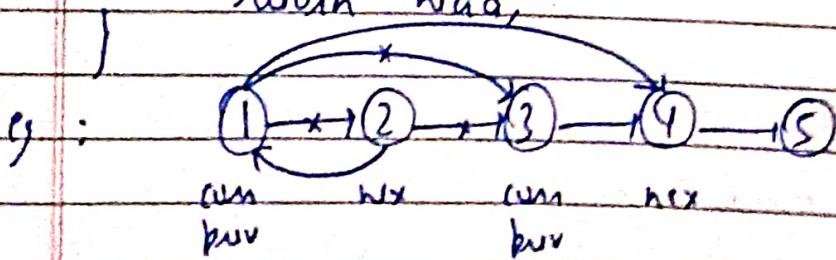
`(prev->next = curr);`

`break;`

`prev->next = next;`

`prev = curr;`

`return head;`



`if (next == NULL)`

`prev->next = curr;`

`break;`

