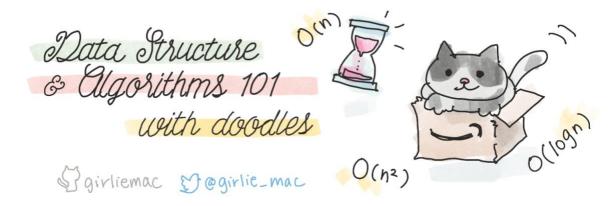
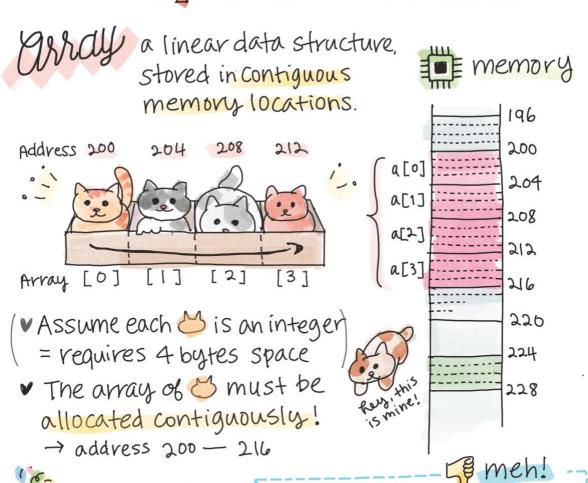
<codedaily/>



Data Structures Appray & Linked List



Bryay!

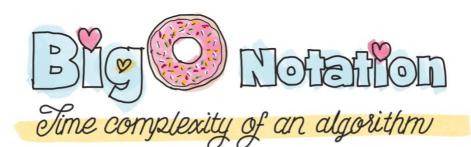
 \sim can randomly access w/ index $a[2] \rightarrow ($

Contiguous = no extra memory allocated = no memory overflow fixed size. Large space may not be avail for big array

= took the space! =

@ Insert + delete elements are costly.

> may need to create a new copy of the array + allocate at a new advess.



"How much time it takes to run a function as "
the size of the input grows."

Const number of elements n = [5, 3, 6] n = 5

Let's see if there is a needle in the haystack!

Const numNeedles=(haystack, needle) > {
 let count=0
 for(let i=0; haystack.length; i++) {
 if(haystack[i] = needle) Count+=1;
 }
 return count;



How long does it take to execute when the number of elements (n) is:

execution time grows linearly as array size increases! this is

Linear time
Complexity

1

5

10

20

0(n)

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Let's see if we have some function that doesn't actually loop the array:

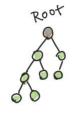
const alwaysTrueNoMatterWhat = (naystack) → { return true;

Array size n=10 has no effect n=20 on the runtime time n=30 on the runtime n=30

Const has Duplicates = (ovr) \Rightarrow \{ \text{ toop thrue} \\
for (let i = 0; i < arr.length; i++) Loop thrue \\
let item = arr [i]; \\
if (arr. slice (i+1). index of (item)!==-1) \{
, return true; \quad \text{2} \\
return false; \quad \text{array look up} \\
\text{veturn false;} \quad \text{vl index of method} \end{array}

Data Structures

Shary Search Free



Binary tree

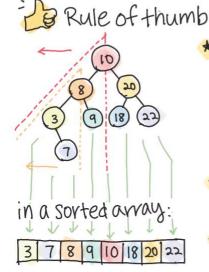
tree data structure each node has at most 2 children 7 Binary heap

s Binary Search Tree

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BST

- a.k.a. Ordered or Sorted binary tree
- fast look up
 e.g. phone number lookup table by name



* each value of all nodes in the left subtrees is lesser

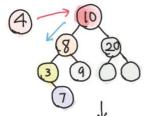
 \triangle (10's left subtrees: 8, 3, 9, 7

 $48:3,7 \leftarrow \text{smaller than parent}$

- * each value of all nodes in the right subtrees is larger
- * no duplicate values

in Insertion

→ Always add to the lowest spot to be a leaf \$\mathbb{B}\$ No rearrange!



Let's add 4

- 1. Compare W/ the root first.
- 2.4<10 so go left.
- 3. then compare withe next, &
- 4 (4) < (8) so go left

Complexity:

5. Compare withe 3

Ave. O(logn)

b. 4>3 sogoright.

Worst. O(n)

7. Compare W/ the 1

8. (1) < (1) , so add to the left. Done.

Data Structures

0(10gn)

Worst. O(n)

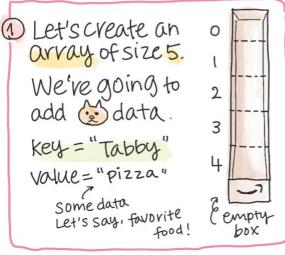


from left subtree ...



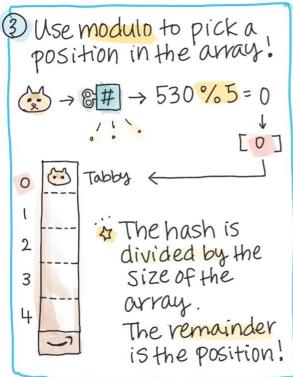
Data Structures Hash Table

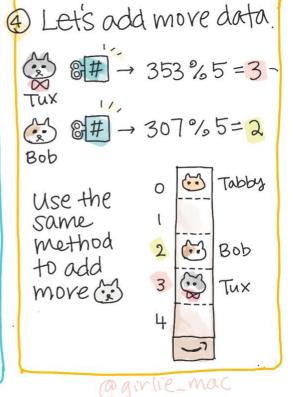
20 A hash table is used to index large amount of data 20 Quick key-value look up. O(1) on average L. Faster than brute-force linear search



② Calculate the hash value by using the Key. "Tabby".
e.g. ASCII code, MD5, SHA1

\$\frac{1}{2} \rightarrow \frac{1}{2} \right





23 Collision.

hash Ta

3

Now we want to add move data. Let's add "Bengal"

(3) "Bengal" > 8 # > 617%5 = 2

But [2] slot has been taken by "Bob" already! = collision! solet's Chain Bengal next to Bob! = chaining



key: "Bengal" Value: "Dosa"

Keep adding data

0 3

← ()(1)



Searching for data

Let's look up the value for Bob"

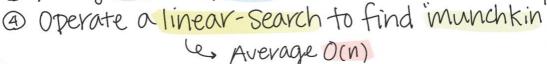
① Get the hash → 307

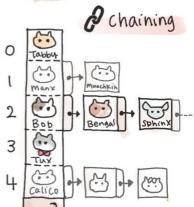
2 Get the index - 307 % 5 = 2

3 Look up Array [2] - found!

*Let's look up "munchkin"

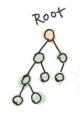
- 1 Hash -> 861
- ② Index → 861%5=1
- 3 Array[1] "Manx"





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Data Structures Cinary Hea



Deach node has at most 2 children

7 Binary search tree

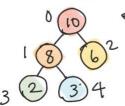
> Binary heap = .

· Complete tree

min neap or max heap

w used for priority queue heapsort etc.

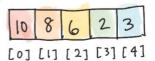
: Max heap



-the voot largest

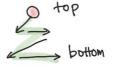
(Minheap is the opposite!)

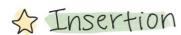
in array



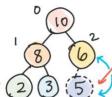
reach node has 0-2 children

· always fill top-bottom, left-right





Let's add 5 to the heap!

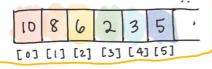


1. add to the next

2. Compare w/ its parent

3. the parent is greater.

Coolit's done! Let's add more!



Add 7

1. Add to the next node

2. Compore W parent.

Oh, no!

the parent is Smaller than its Child! Swapthem!!!

108



Add to the next node & repeat the process!

10 9 Ogirlie-mac

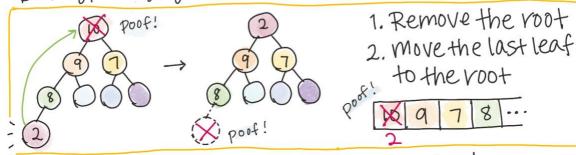
Data Structures Binary Heap

Heap Deletion

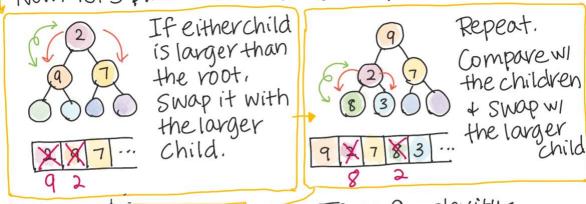


e.g. priority queue

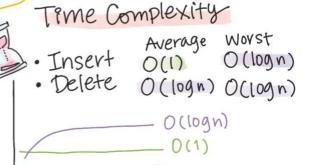
But typically, you would delete root + heapify!



Now, let's place them in the correct order!







@girlie_mac

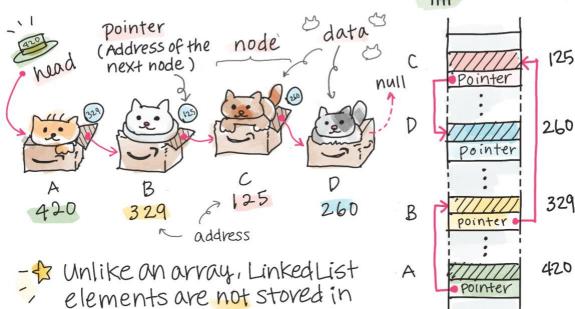
Data Structures Linked list rray & Linked List

: ★ a linear data structure : * each element is a separated object & elements are linked w/ pointers



125

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yay! Ein Dynamic data

= Size can grow or shrink

Contiguous locations.

Insert + delete element are flexible.

- → no need to shift nodes like array insertion
- memory is allocated at runtime

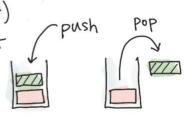
meh!

- @ No vandom access memory.
 - → Need to traverse n times
 - > time complexity is O(n). array is O(1)
- @ Reverse traverse is hard





A Stack is a LIFO (Last-in-First-out) data structure, where an element added last (=push) gets removed first (=pop)



just like a Stack of ice cream scoope!



= Stack as an array in vays in JavaScript omg, the bottom one is always melting !!

let Stack = []; stack is:

Stack. push ('mint choc'); // ['mint choc']

stack.push ('vanilla'); // ['mint choc', 'vanilla']

Stack push ('strawberry'); "[mint choc, 'vanilla',

'Strawberry'] let eaten = stack. pop(); 1/ eaten is

'Strawberry' in Time Complexity is O(1) for both pop + push.

['mint choc', 'vanilla]