

Intelligent Systems

Exercise 10 - Classification and Anomalies

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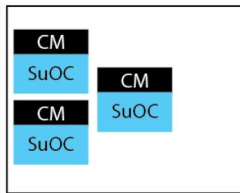
University of Kiel, Winter Term 2019

1. Quantifying self-organised systems
2. Dynamic degree of self-organisation

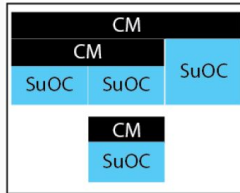
Quantifying self-organised systems

- A. compute the static degree of self-organisation**
- B. categorise the static degree of self-organisation

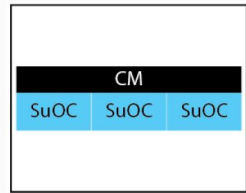
Compute the static degree of self-organisation



System 1



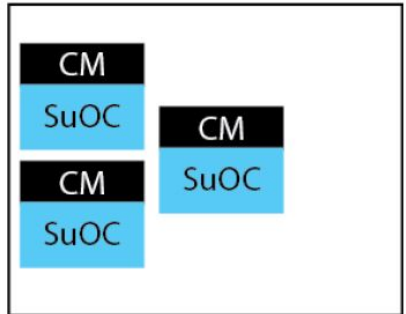
System 2



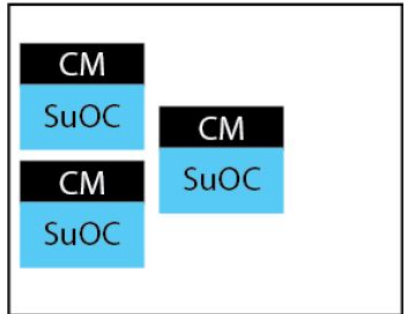
System 3

Three different self-organised systems.

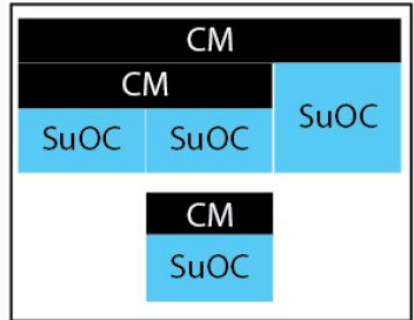
1. A SYSTEM 1



Strongly self-organised
$k = 3$
$m = 3$
$(3 : 3)$



1. A SYSTEM 2



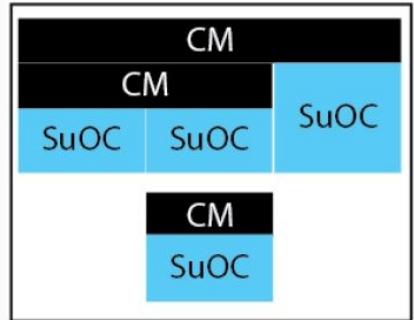
1. A SYSTEM 2

Self-organised

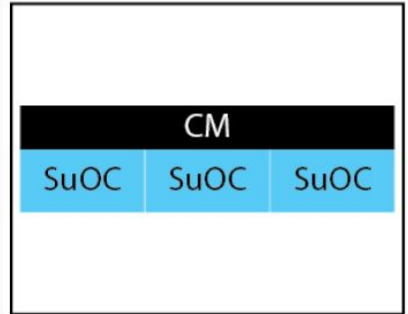
$$k = 2$$

$$m = 4$$

$$(2 : 4)$$



1. A SYSTEM 3

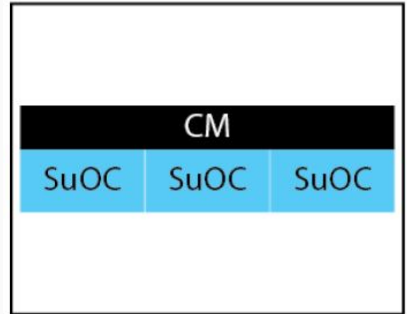


Weakly self-organised

$$k = 1$$

$$m = 3$$

$$(1 : 3)$$



A. compute the static degree of self-organisation

B. categorise the static degree of self-organisation

Let S be an adaptive system consisting of m elements ($m > 1$) and k fully or partially distributed control mechanisms CM ($k \geq 1$). Then, the static degree of self-organisation is given as $(k : m)$, which is categorised under one of the following categories:

Strongly self-organised system

A system with $k = m$ and a static degree of self-organisation ($m : m$) is named **strongly self-organised**

Self-organised

A system with $m > k > 1$ and a static degree of self-organisation ($k : m$) is named **self-organised**.

Weakly self-organised

A system with $k = 1$ and a static degree of self-organisation ($1 : m$) is named **weakly self-organised**.

categorise the static degree of self-organisation

System 1	System 2	System 3
$k = 3$ $m = 3$ (3 : 3)	$k = 2$ $m = 4$ (2 : 4)	$k = 1$ $m = 3$ (1 : 3)
\Rightarrow strongly s.-o.	\Rightarrow s.-o.	\Rightarrow weakly s.-o.

Remark:

s.-o. = self-organised

Dynamic degree of self-organisation

- A. Build two graphs of the system for each observation**
- B. Quantify the self-organization of the process between the two observations

Build two graphs of the system for each observation

Observation₁

- Request message of size 10-packets using TCP protocol from router ID-102 to router ID-101
- Request message of size 12-packets using UDP protocol from router ID-101 to router ID-203
- Request message of size 03-packets using UDP protocol from router ID-203 to router ID-100
- Request message of size 06-packets using TCP protocol from router ID-100 to router ID-203
- Request message of size 01-packets using TCP protocol from router ID-007 to router ID-101
- Request message of size 05-packets using TCP protocol from router ID-101 to router ID-102

Two new routers of ID-301 and ID-311 added.

Observation₂

- Request message of size 05-packets using TCP protocol from router ID-102 to router ID-101
- Request message of size 03-packets (each) using UDP protocol from router ID-101 to routers ID-100 and ID-007
- Request message of size 12-packets (each) using UDP protocol from router ID-100 to routers ID-301 and ID-311
- Request message of size 01-packets using TCP protocol from router ID-301 to router ID-203
- Request message of size 10-packets using TCP protocol from router ID-100 to router ID-203

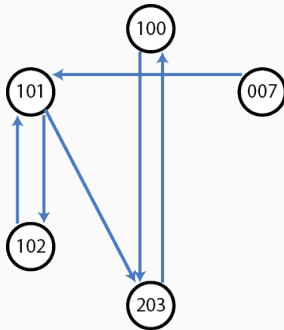
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Observation₂

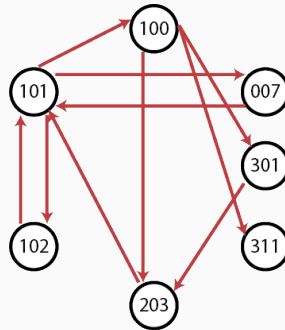
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- Request message of size 06-packets using UDP protocol from router ID-203 to router ID-101
- Request message of size 02-packets using TCP protocol from router ID-007 to router ID-101
- Request message of size 05-packets using TCP protocol from router ID-101 to router ID-102

2. A OBSERVATION OF NETWORK'S TOPOLOGY



Observation 0



Observation 1

- A. Build two graphs of the system for each observation
- B. Quantify the self-organization of the process between the two observations**

Quantify the self-organization of the process between the two observations

Formula given from the lecture:

$$\Delta(G_1, G_2) = \frac{|\{e_{ij} : e_{if} \in E_1 \oplus e_{ij} \in E_2\}|}{0.5 * (|V_1| + |V_2|)}$$

$$\Delta(G_1, G_2) = \frac{8}{0.5 * (5 + 7)} \approx 1.33$$

