Sequence-to-Sequence Modelling

Tanmoy Chakraborty
Associate Professor, IIT Delhi
https://tanmoychak.com/



Introduction to Large Language Models



Sequence-to-Sequence Modeling



Neural Machine Translation?

• Neural Machine Translation (NMT) is a way to do Machine Translation with a *single neural* network.

• The neural network architecture is called sequence-to-sequence (aka seq2seq) and it involves *two* RNNs.





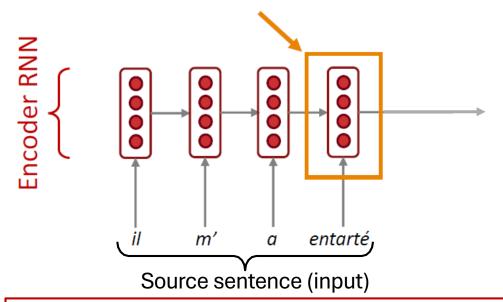
Neural Machine Translation (NMT)

The Sequence-to-Sequence Model

Encoding of the source sentence.

Provides initial hidden state

for Decoder RNN.

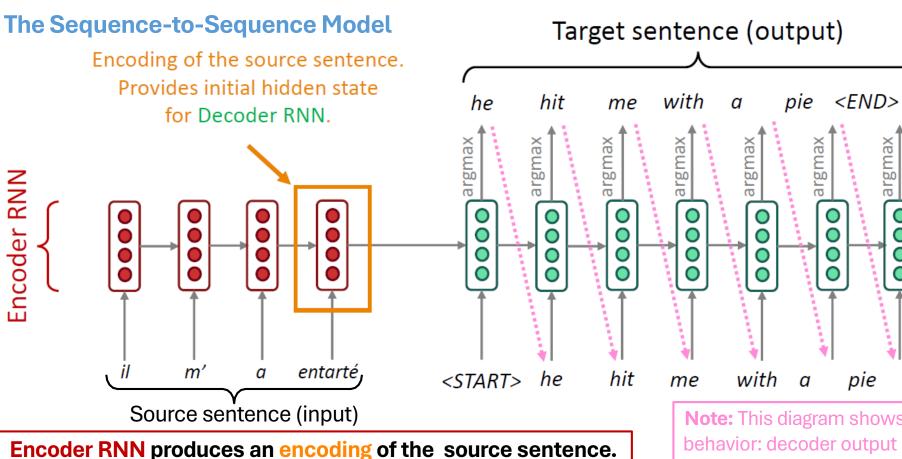


Encoder RNN produces an encoding of the source sentence.





Neural Machine Translation (NMT)



Decoder RNN is a Language Model that generates target sentence, conditioned on encoding.

coder RZZ

Note: This diagram shows **test time** behavior: decoder output is fed in as next step's input

argmax





Sequence-to-Sequence is Versatile!

- The general notion here is an encoder-decoder model
 - One neural network takes input and produces a neural representation
 - Another network produces output based on that neural representation
 - If the input and output are sequences, we call it a seq2seq model
- Sequence-to-sequence is useful for more than just MT
- Many NLP tasks can be phrased as sequence-to-sequence:
 - Summarization (long text → short text)
 - Dialogue (previous utterances → next utterance)
 - Parsing (input text → output parse as sequence)
 - Code generation (natural language → Python code)





Neural Machine Translation (NMT)

- The sequence-to-sequence model is an example of a Conditional Language Model
 - Language Model because the decoder is predicting the next word of the target sentence y
 - Conditional because its predictions are also conditioned on the source sentence x
- NMT directly calculates P(y|x)

$$P(y|x) = P(y_1|x) P(y_2|y_1, x) P(y_3|y_1, y_2, x) \dots P(y_T|y_1, \dots, y_{T-1}, x)$$

Probability of next target word, given target words so far and source sentence x

How to train an NMT system?



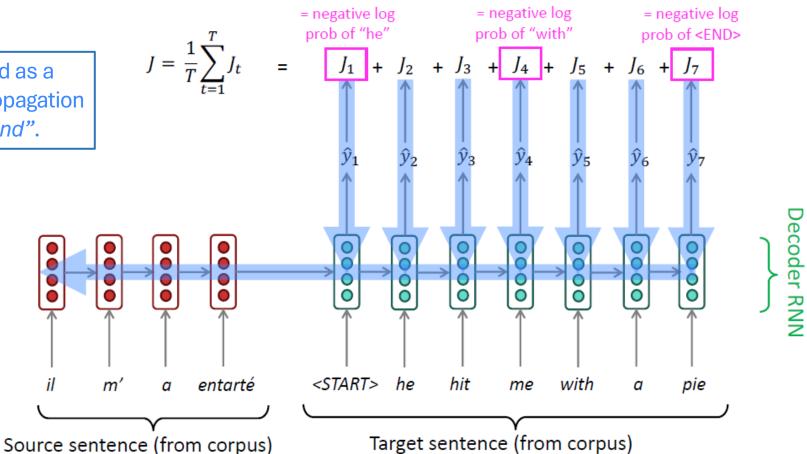


Training an NMT System

Seq2seq is optimized as a single system. Backpropagation operates "end-to-end".

Encoder RNN

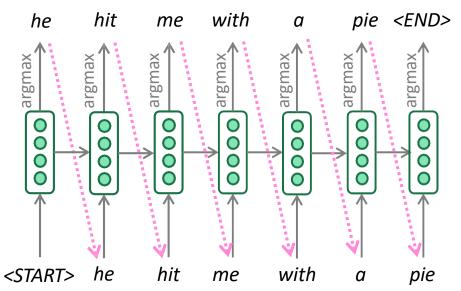
m'





Greedy decoding

We saw how to generate (or "decode") the target sentence by taking argmax on each step
of the decoder.



- This is greedy decoding (take most probable word on each step)
- Problems with this method?







Problems With Greedy Decoding

- Greedy decoding has no way to undo decisions!
- Input: il a m'entarté (he hit me with a pie)
- → he hit _____
- → he hit a _____ (whoops! no going back now...)

How to fix this?





Exhaustive Search Decoding

Ideally we want to find a (length T) translation y that maximizes

$$P(y|x) = P(y_1|x) P(y_2|y_1, x) P(y_3|y_1, y_2, x) \dots, P(y_T|y_1, \dots, y_{T-1}, x)$$

$$= \prod_{t=1}^{T} P(y_t|y_1, \dots, y_{t-1}, x)$$

- We could try computing all possible sequences y
- This means that on each step t of the decoder, we're tracking V^t possible partial translations, where V is vocab size
- This O(V^T) complexity is far too expensive!





Beam Search Decoding

- Core idea: On each step of decoder, keep track of the k most probable partial translations (which we call hypotheses)
 - *k* is the beam size (in practice around 5 to 10)
- A hypothesis y_1, \dots, y_t has a score which is its log probability:

score
$$(y_1, ..., y_t) = \log P_{LM}(y_1, ..., y_t | x) = \sum_{i=1}^t \log P_{LM}(y_i | y_1, ..., y_{i-1}, x)$$

- Scores are all negative, and higher score is better
- We search for high-scoring hypotheses, tracking top *k* on each step
- Beam search is not guaranteed to find optimal solution
 - But much more efficient than exhaustive search!





Beam Search Decoding: Example





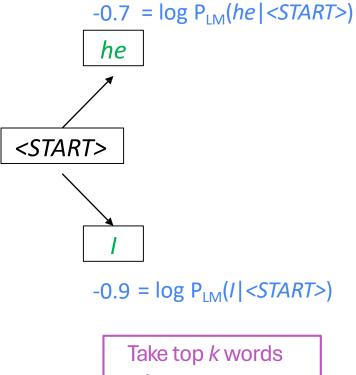


Beam size = k = 2.

<START>

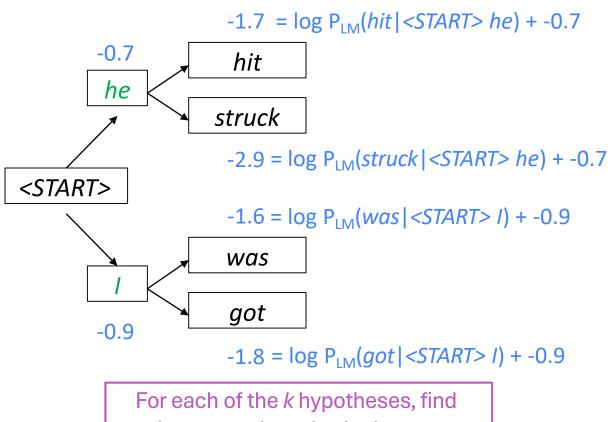
Calculate prob
distribution of next word

Beam size = k = 2. Blue numbers =
$$score(y_1, \dots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \dots, y_{i-1}, x)$$



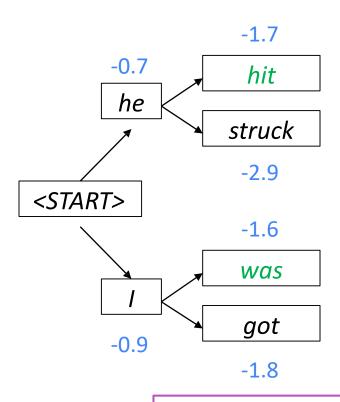
and compute scores

Beam size = k = 2. Blue numbers =
$$score(y_1, \ldots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$$



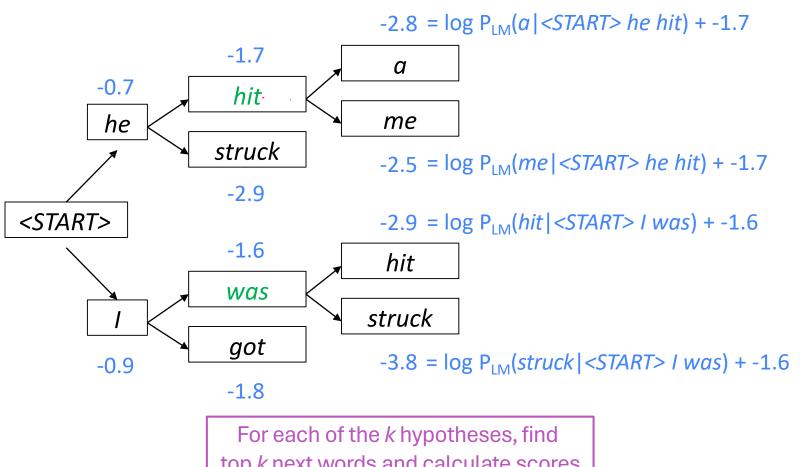
top *k* next words and calculate scores

Beam size = k = 2. Blue numbers =
$$score(y_1, \dots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \dots, y_{i-1}, x)$$



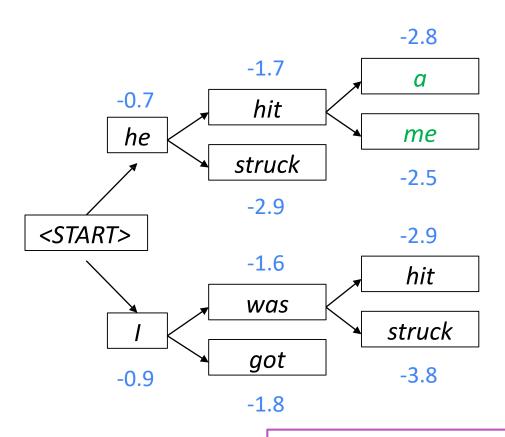
Of these k^2 hypotheses, just keep k with highest scores

Beam size = k = 2. Blue numbers =
$$score(y_1, \ldots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$$



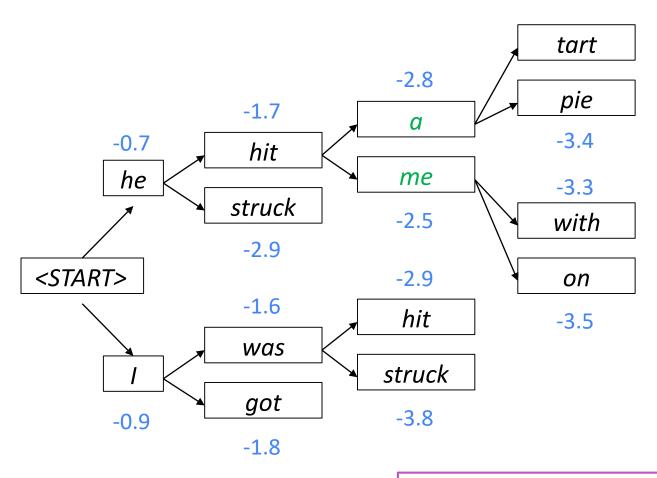
top *k* next words and calculate scores

Beam size = k = 2. Blue numbers =
$$score(y_1, \dots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \dots, y_{i-1}, x)$$



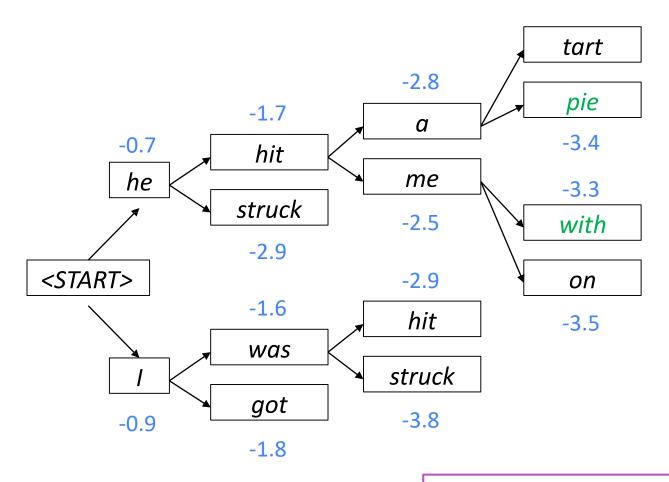
Of these k^2 hypotheses, just keep k with highest scores

Beam size = k = 2. Blue numbers =
$$score(y_1, \ldots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$$



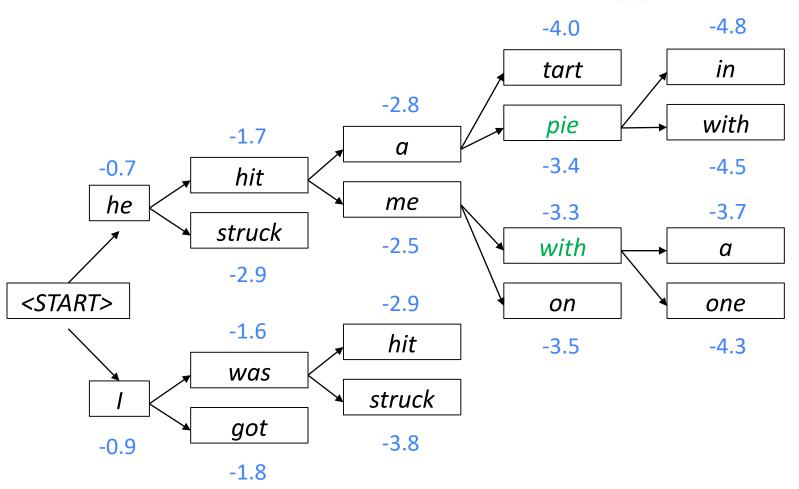
For each of the *k* hypotheses, find top *k* next words and calculate scores

Beam size = k = 2. Blue numbers =
$$score(y_1, \dots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \dots, y_{i-1}, x)$$



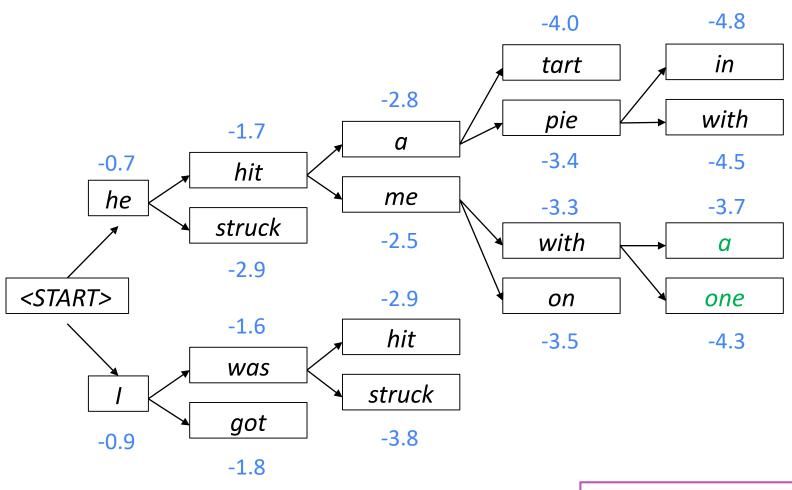
Of these k^2 hypotheses, just keep k with highest scores

Beam size = k = 2. Blue numbers =
$$score(y_1, ..., y_t) = \sum_{i=1}^{t} log P_{LM}(y_i|y_1, ..., y_{i-1}, x)$$



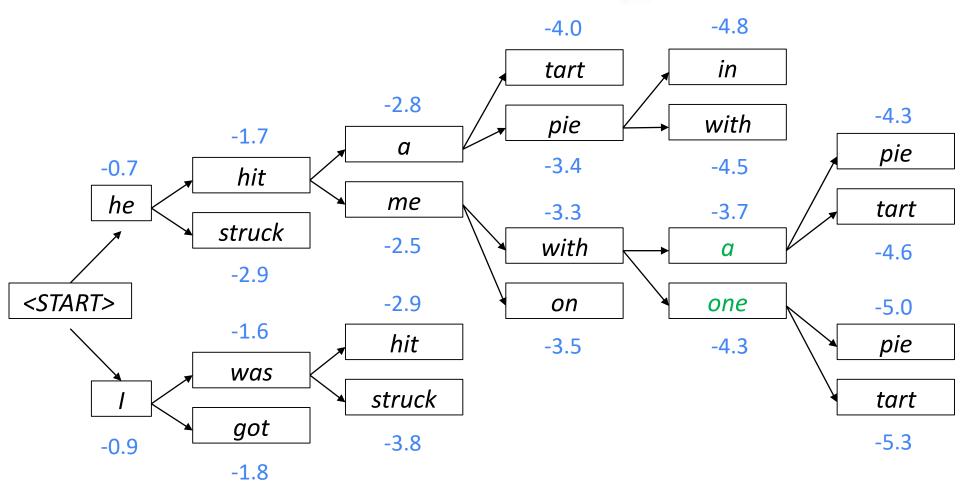
For each of the *k* hypotheses, find top *k* next words and calculate scores

Beam size = k = 2. Blue numbers =
$$score(y_1, \ldots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \ldots, y_{i-1}, x)$$

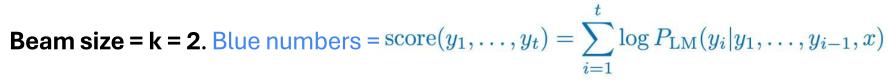


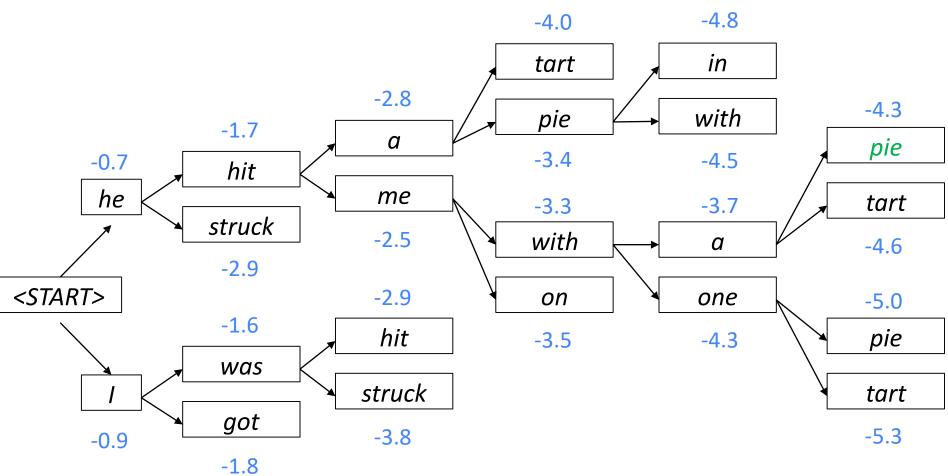
Of these k^2 hypotheses, just keep k with highest scores

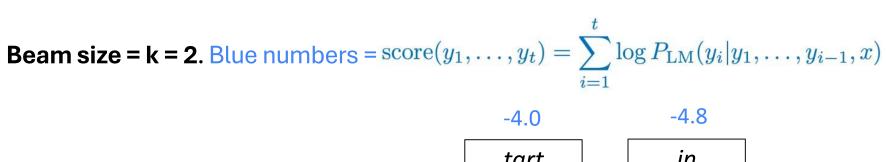
Beam size = k = 2. Blue numbers =
$$score(y_1, \dots, y_t) = \sum_{i=1}^t log P_{LM}(y_i|y_1, \dots, y_{i-1}, x)$$

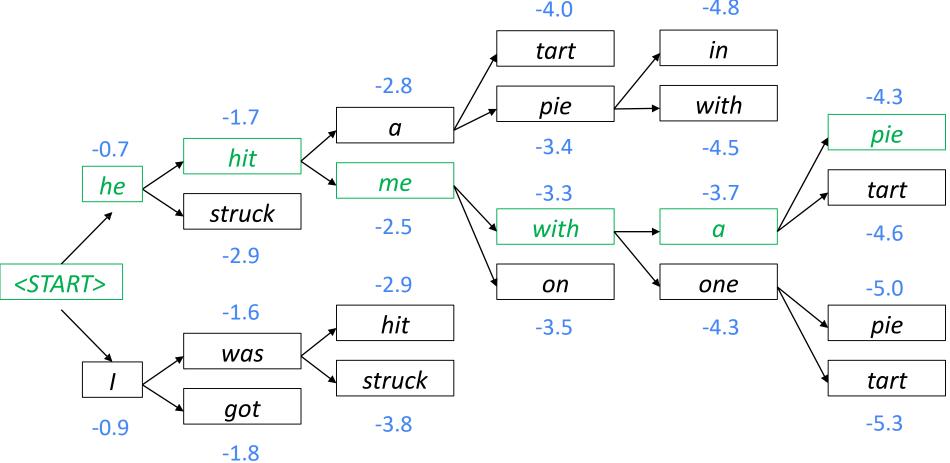


For each of the *k* hypotheses, find top *k* next words and calculate scores









Beam Search Decoding: Stopping Criterion

- In greedy decoding, usually we decode until the model produces a <END> token
 - For example: <START> he hit me with a pie <END>
- In beam search decoding, different hypotheses may produce <END> tokens on different timesteps
 - When a hypothesis produces <END>, that hypothesis is complete.
 - Place it aside and continue exploring other hypotheses via beam search.
- Usually we continue beam search until:
 - We reach timestep T (where T is some pre-defined cutoff), or
 - We have at least n completed hypotheses (where n is pre-defined cutoff)





Beam Search Decoding: Finishing Up

- We have our list of completed hypotheses.
- How to select top one with highest score?
- Each hypothesis y_1, \dots, y_t on our list has a score

score
$$(y_1, ..., y_t) = \log P_{LM}(y_1, ..., y_t | x) = \sum_{i=1}^t \log P_{LM}(y_i | y_1, ..., y_{i-1}, x)$$

- **Problem:** longer hypotheses have lower scores
- Fix: Normalize by length. Use this to select the top one instead:

$$\frac{1}{t} \sum_{i=1}^{t} \log P_{LM}(y_i|y_1,\ldots,y_{i-1},x)$$

