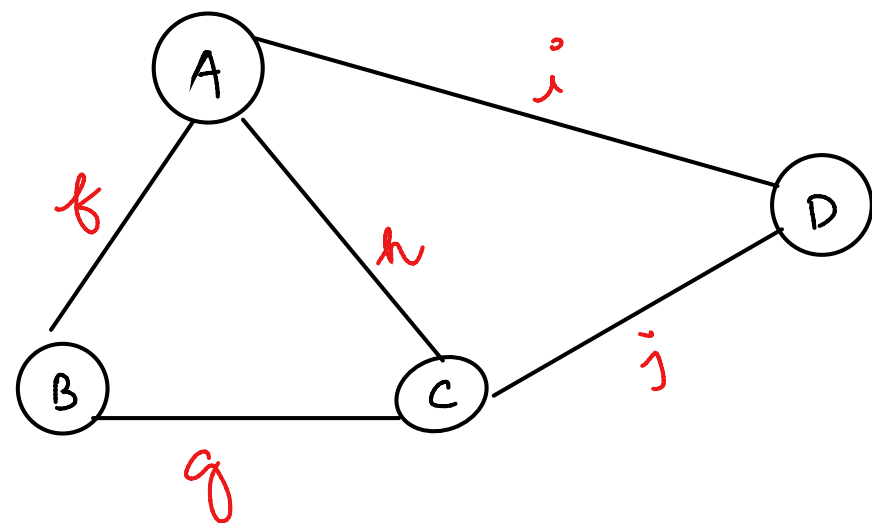


Edge List



Vertex-Count(), edge-Count()

Vertices()

edges()

get-edge(A,B), remove-edge()

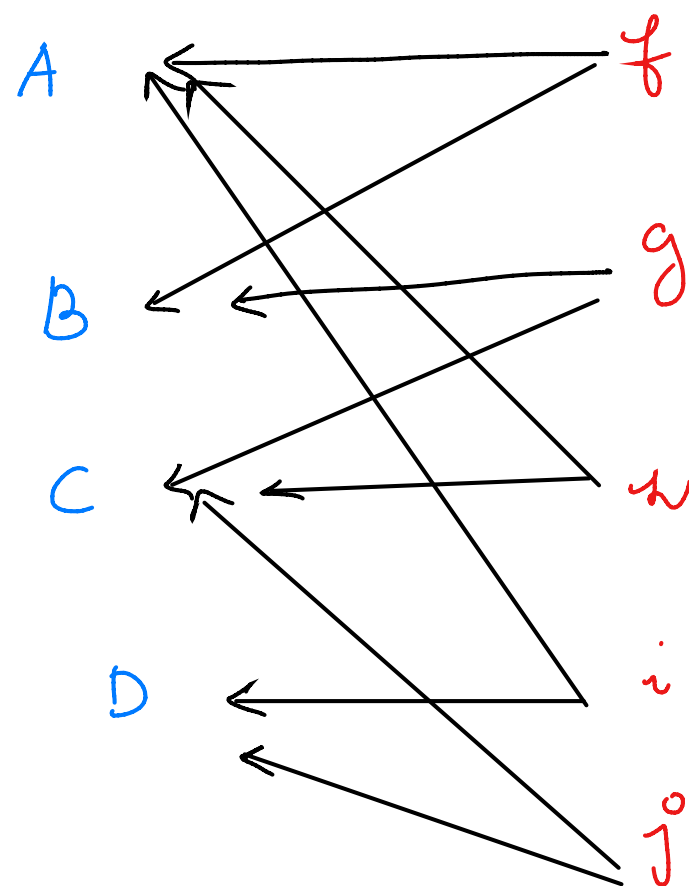
add-vertex(V), add-edge(e, V, v)

remove-vertex()

degree-vertex(), incident-edges

V

E



$O(1)$

$O(n)$ \rightarrow # vertices

$O(m)$ \rightarrow # edges

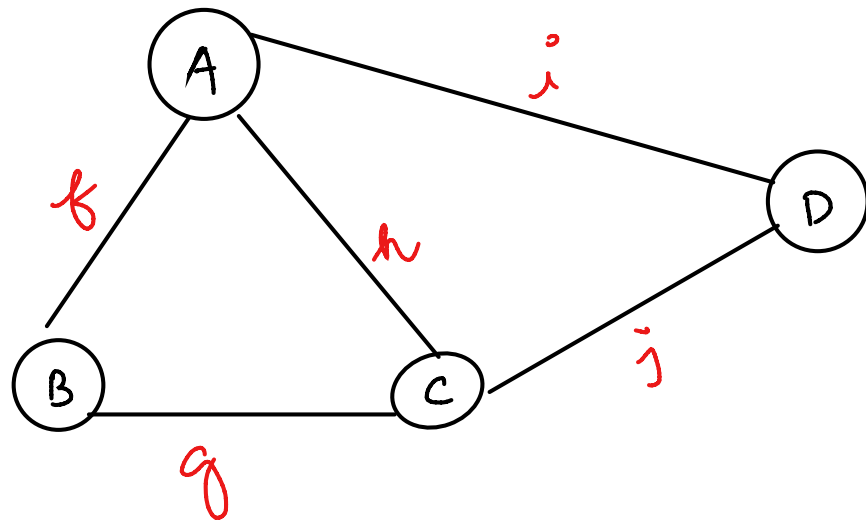
$O(m)$

$O(1)$

$O(n)$

$O(m)$

Adjacency List



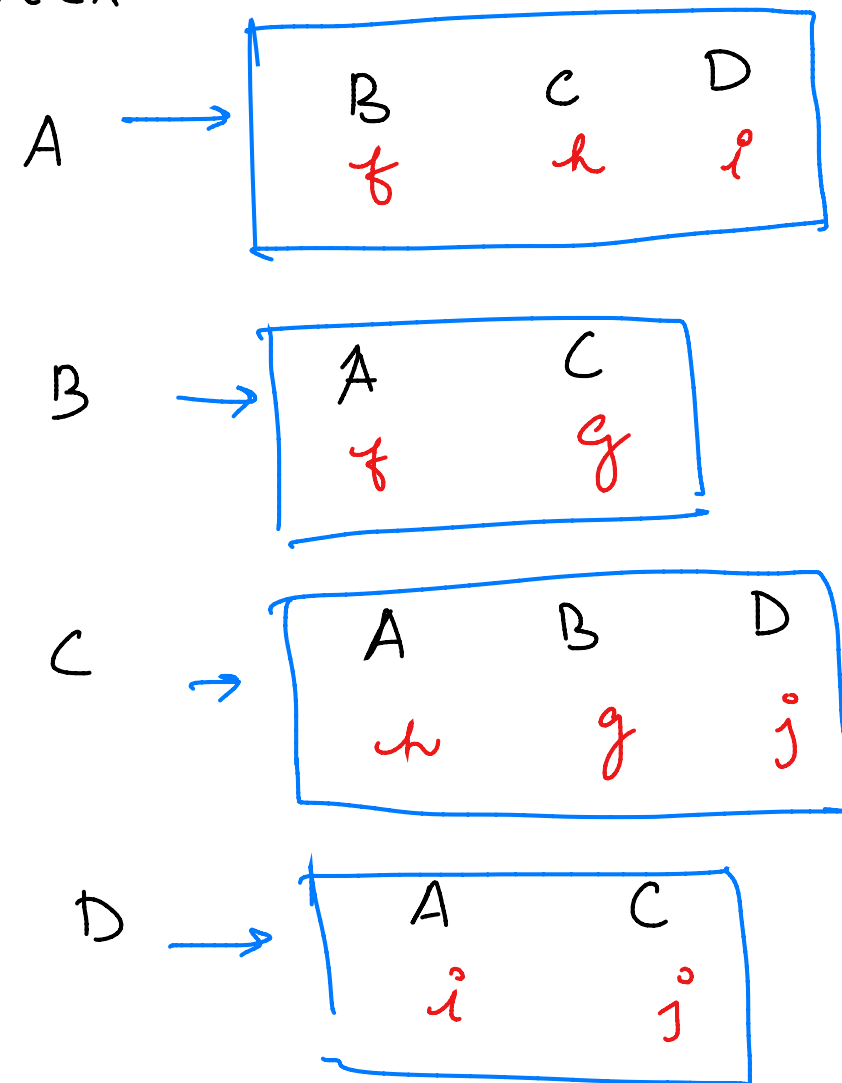
$$\text{get_edge}(A, B) = O(\min(d_A, d_B))$$

Adjacency map instead of list

$$\text{get_edge}(A, B) = O(1)$$

Vertex

Adjacency list



Adjacency Matrix $n \times n$ matrix

	A	B	C	D	E
A		f	h	i	
B	f		g		
C	h	g		j	
D	i		j		
E					

undirected graph

get-edge(A, B) = $O(1)$

If we want to add extra vertices then we have to
spend n^2 new operations to copy the matrix.

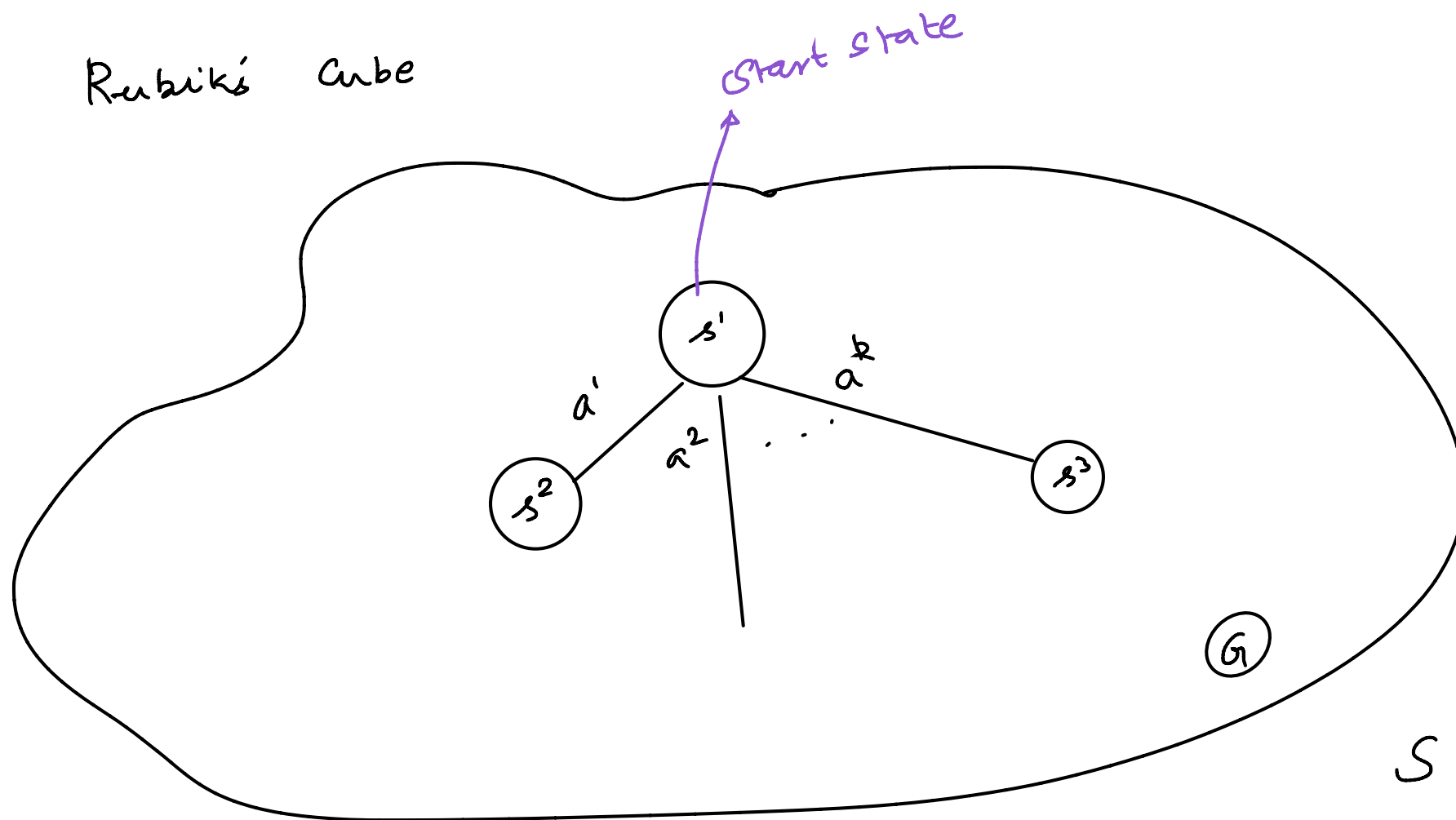
Graph Search

Breadth First, Depth First, Least Cost First, Heuristic

Applies to

- Graph Search
- Deterministic State Space Search

Rubik's Cube



Goal

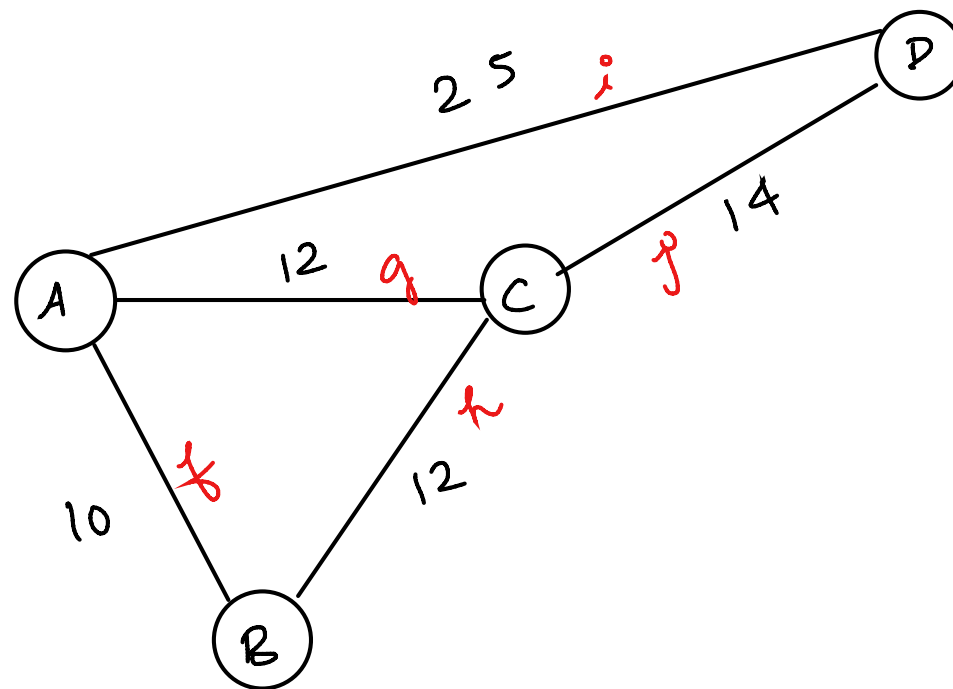
1	2	3	4
5	6	7	8
9	10	11	12
13	14	15	///

empty square

Start State

1	3	6	4
5	9	2	8
9	4	7	12
13	14	15	///

Road Network:



Costs are not same across edges.

First consider cost of edge to be 1.

Problem: Starting from start state (or start vertex) S we want to reach the Goal State (or goal vertex) G

Assume: unit step cost or edge cost = 1.

Data Structure :

- Search Tree
- Frontier (Implemented as a Priority Queue)
Queue / Stack
- Explored List (Optional)

Node in Search Tree

* vertex / state	:	n. STATE / n. vertex
* parent	:	n. Parent
* action / edge	:	n. Action / n. Edge
* Path cost	:	n. cost

Tree Search: No explored List

Graph Search: use Explored List

Tree Search

* Frontier = { Start State / vertex }

* do

* If Frontier = Empty \Rightarrow Search failed

* Pick a node \in Frontier, Frontier = Frontier - Node

* If node = Goal then stop (trace route back to start)

* Frontier = Frontier + children(node)