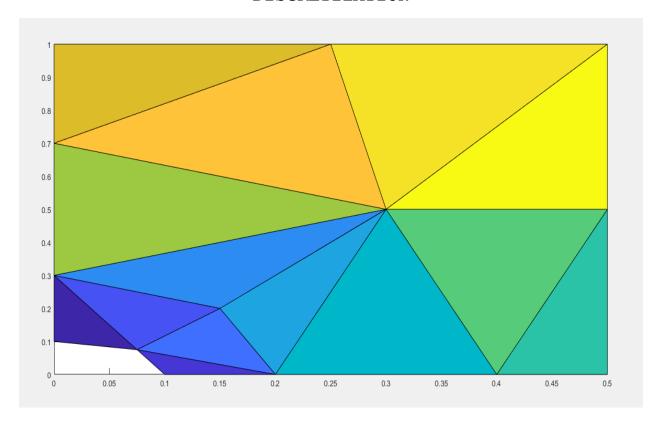
MATLAB CODE FOR INGLIS PROBLEM

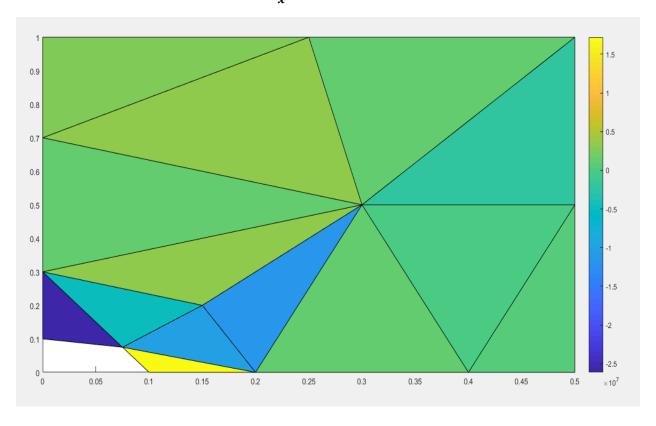
```
clc
clear all
%Connectivity Matrix
A=[1,2,3;2,4,5;2,6,3;2,5,6;3,6,7;5,7,6;5,8,7;8,9,10;7,8,10;3,7,11;11,12,13;7,
12,11;7,14,12;7,10,14];
%Coordinate Matrix
C = [0, 10; 7.5, 7.5; 0, 30; 10, 0; 20, 0; 15, 20; 30, 50; 40, 0; 50, 0; 50, 50; 0, 70; 25, 100; 0, 100;
50,1001*0.01;
figure;
col1=(0:1/13:1)';
patch('Faces',A,'Vertices',C,'FaceVertexCData',col1,'FaceColor','flat');
D = ((200*10^9) / (1-(0.3)^2)) * [1,0.3,0;0.3,1,0;0,0,0.35];
G=zeros(28);
t=0.01;
for i=1:14
                  for j=1:3
                                   x(j) = C(A(i,j),1);
                                    y(j) = C(A(i,j),2);
                 end
                 Ae=0.5*det([1,x(1),y(1);1,x(2),y(2);1,x(3),y(3)]);
                 B = (0.5/Ae) * [y(2) - y(3), 0, y(3) - y(1), 0, y(1) - y(2), 0; 0, x(3) - x(2), 0, x(1) - y(2), 0; 0, x(3) - x(2), 0, x(3) - x(2), 0, x(3) - x(3), 0, x
x(3), 0, x(2) - x(1); x(3) - x(2), y(2) - y(3), x(1) - x(3), y(3) - y(1), x(2) - x(1), y(1) - x(2), x(2) - x(3), y(3) - y(3), x(4) - x(4), y(4) - 
y(2);
                  k=0.5*t*Ae*B'*D*B;
                 for m=1:3
                                    for n=1:3
                 G(2*A(i,m)-1,2*A(i,n)-1) = G(2*A(i,m)-1,2*A(i,n)-1)+k(2*m-1,2*n-1);
                 G(2*A(i,m)-1,2*A(i,n)) = G(2*A(i,m)-1,2*A(i,n))+k(2*m-1,2*n);
                 G(2*A(i,m), 2*A(i,n)) = G(2*A(i,m), 2*A(i,n)) + k(2*m, 2*n);
                 G(2*A(i,m), 2*A(i,n)-1) = G(2*A(i,m), 2*A(i,n)-1)+k(2*m, 2*n-1);
                                   end
                 end
                 x=[];
                  y=[];
end
f=zeros(28,1);
f(24,:)=100*10^6*t*0.25;
f(26,:)=100*10^6*t*0.25*0.5;
f(28,:)=100*10^6*t*0.25*0.5;
f(1,:) = [];
G(:,1) = [];
G(1,:) = [];
f(5-1,:)=[];
G(:,5-1)=[];
G(5-1,:)=[];
f(8-2,:)=[];
G(:, 8-2) = [];
G(8-2,:)=[];
```

```
f(10-3,:)=[];
G(:,10-3)=[];
G(10-3,:)=[];
f(16-4,:)=[];
G(:,16-4) = [];
G(16-4,:)=[];
f(18-5,:)=[];
G(:,18-5)=[];
G(18-5,:)=[];
f(21-6,:)=[];
G(:,21-6)=[];
G(21-6,:)=[];
f(25-7,:)=[];
G(:,25-7)=[];
G(25-7,:)=[];
De=G\backslash f;
GDe = [0; De(1:3); 0; De(4:5); 0; De(6); 0; De(7:11); 0; De(12); 0; De(13:14); 0; De(15:17);
0; De (18:20)];
si=[];
for i=1:14
    for j=1:3
        x(j) = C(A(i,j),1);
        y(j) = C(A(i,j),2);
    end
    Ae=0.5*det([1,x(1),y(1);1,x(2),y(2);1,x(3),y(3)]);
    B=(0.5/Ae)*[y(2)-y(3),0,y(3)-y(1),0,y(1)-y(2),0;
        0, x(3) - x(2), 0, x(1) - x(3), 0, x(2) - x(1);
        x(3)-x(2), y(2)-y(3), x(1)-x(3), y(3)-y(1), x(2)-x(1), y(1)-y(2)];
    de=[];
    for k=1:3
    de=[de;GDe(((2*A(i,k))-1),1);GDe((2*A(i,k)),1)];
    end
    e=B*de;
    si=[si,D*e];
end
figure;
col2=(si(1,:))';
patch('Faces',A,'Vertices',C,'FaceVertexCData',col2,'FaceColor','flat');
colorbar;
figure;
col3=(si(2,:))';
patch('Faces',A,'Vertices',C,'FaceVertexCData',col3,'FaceColor','flat');
colorbar;
figure;
col4 = (si(3,:))';
patch('Faces',A,'Vertices',C,'FaceVertexCData',col3,'FaceColor','flat');
colorbar;
```

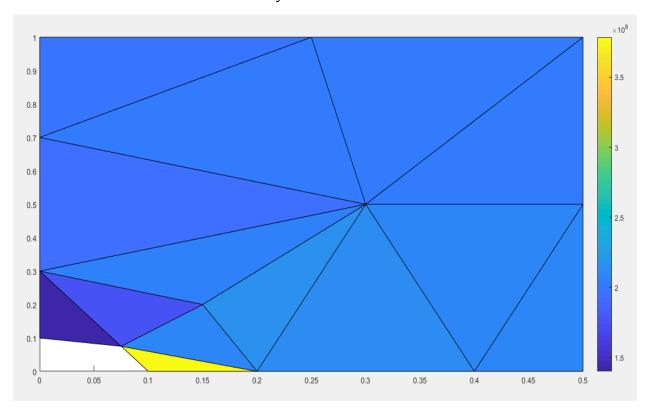
DISCRETIZATION



 $\sigma_{\scriptscriptstyle \mathcal{X}}$ VARIATION



σ_y VARIATION



 au_{xy} VARIATION

