```
In [ ]:
        Que 1 what are the three measures of central tendency
        Ans 1 three measure central tendanc are
            a)Mean
            b)median
            c)mode
        Que 2-What is the difference between the mean, median, and mode? How are they
        central tendency of a dataset?
        Ans 2-mean is the average of a given data set, median is the middlemost data
        value and the mode represents the most frequently occurring data value in the
        set
        Que 3-Q3. Measure the three measures of central tendency for the given height
        [178, 177, 176, 177, 178.2, 178, 175, 179, 180, 175, 178.9, 176.2, 177, 172.5, 178, 176.5]
In [1]:
        import numpy as np
        a=[178,177,176,177,178.2,178,175,179,180,175,178.9,176.2,177,172.5,178,176.5]
In [2]: # mean
        np.mean(a)
Out[2]: 177.01875
In [3]:
        # for median
        np.median(a)
Out[3]: 177.0
In [4]:
        # for mode
        from scipy import stats
        stats.mode(a)
Out[4]: ModeResult(mode=array([177.]), count=array([3]))
In [6]:
        Que 4-Find the standard deviation for the given data:
        [178,177,176,177,178.2,178,175,179,180,175,178.9,176.2,177,172.5,178,176.5]"""
Out[6]: ''
In [7]: b=[178,177,176,177,178.2,178,175,179,180,175,178.9,176.2,177,172.5,178,176.5]
```

```
In [8]: # for the standard
np.std(b)
```

Out[8]: 1.7885814036548633

```
In [ ]: """
```

Que 5-How are measures of dispersion such as range, variance, and standard deviation used to describe the spread of a dataset? Provide an example. Ans 5-

The range is the easiest way to calculate dispersion. The range is calculated by subtracting the lowest number from the highest number in a data set

If the highest value in a dataset is 50 and the lowest value is 12. Then the range would be calculated by completing the calculation 50 - 12. Therefore, it is 38

for standard-

Let's take a look and simplify how the standard deviation can be calculated.

Find the mean of the data set (x).

Subtract the mean from each value in the data set; this is the deviation from

Square each deviation.

Find the sum of the squared deviations  $(\Sigma)$ .

Divide this number by n-1 (the total number of values in the data set minus 1)

Find the square root of this number.

Let us try this with a data set. Suppose we have a data set of 48, 71, 34, 62,

Find the mean:  $x = (48 + 71 + 34 + 62 + 54 + 43) \div 6 = 52$ 

Subtract the mean from each value in the data set:

47-52 = -5

70-52 = 18

33-52 = -19

61-52 = 9

53-52 = 1

42-52 = -10

Square each deviation:  $(-5)^2 = 25$ ,  $18^2 = 324$ ,  $(-19)^2 = 361$ ,  $9^2 = 81$ ,  $1^2 = 1$ ,

Find the sum of the squared deviations: 25 + 324 + 361 + 81 + 1 + 100 = 892

Divide this number by n-1: 892 / 6-1 = 892/5 = 178.4

Find the square root of this number: √178.4 = 13.36

Thus the SD is 13.36.

```
0.00
 In [ ]:
         Que 6-What is a Venn diagram?
         Ans 6-A Venn diagram is a widely used diagram style that shows the logical
         relation between sets, popularized
 In [ ]:
         Que 7-For the two given sets A = (2,3,4,5,6,7) \& B = (0,2,6,8,10). Find:
         (i) A B
         (ii) A U B"""
In [10]: A={2,3,4,5,6,7}
         B=\{0,2,6,8,10\}
Out[10]: {2, 6}
In [11]: # for find the intersection
         A.intersection(B)
Out[11]: {2, 6}
In [12]: # for find the union
         A.union(B)
Out[12]: {0, 2, 3, 4, 5, 6, 7, 8, 10}
```