

# ECE213: Digital Electronics



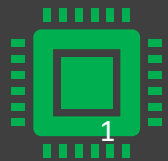
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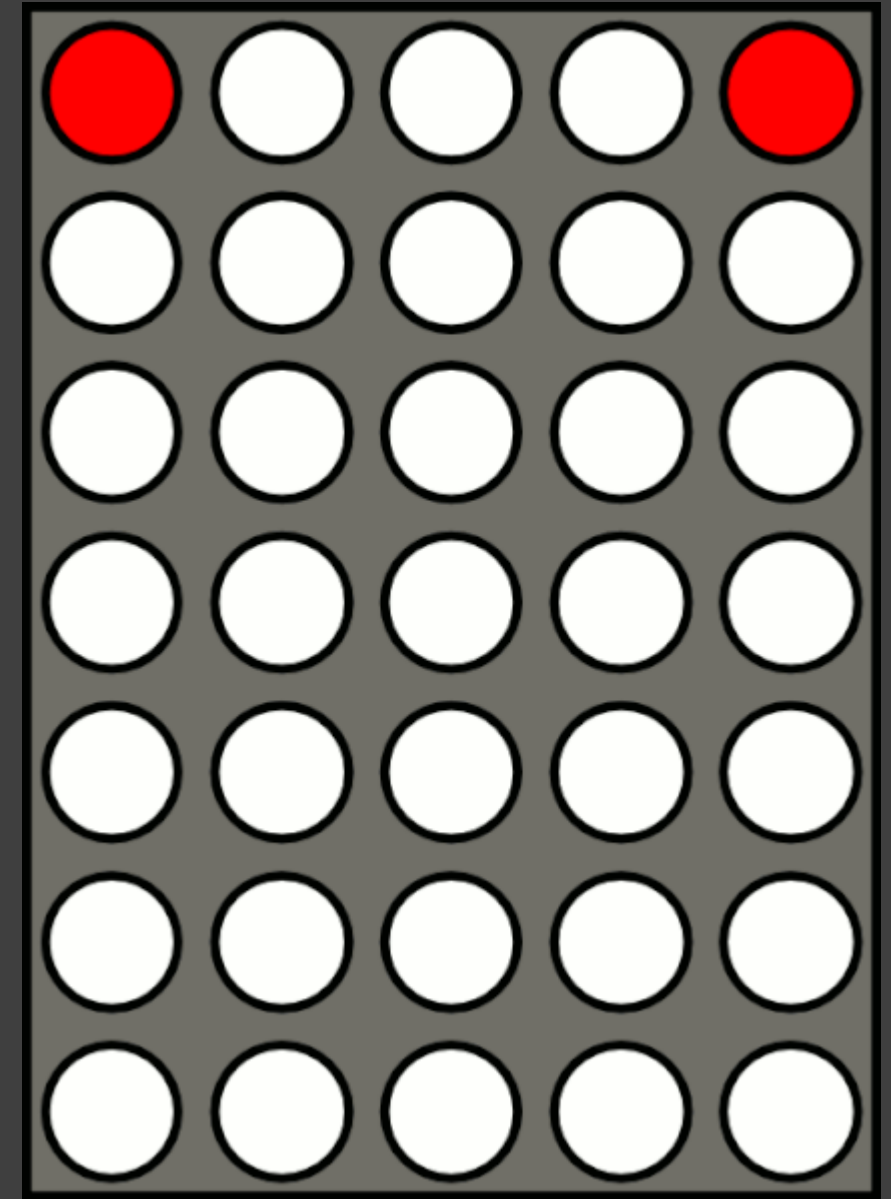




# The Course Contents

## Unit IV

*Introduction to Sequential Logic Circuits : Basic sequential circuits: SR-latch, D-latch, D flipflop, JK flip-flop, T flip-flop, Conversion of basic flip-flops*



# Introduction to Sequential Logic Circuits

Flip Flop Conversions :

- JK
- SR
- D
- T

To make your own flip flop-

FFX

A	S	Q	$\bar{Q}$
0	0	0	1
0	1	1	0
1	0	$\bar{Q}$	Q
1	1	Q	$\bar{Q}$

Reset ✓  
Set ✓  
Toggle ✓  
No change ✓

To convert

JK	to	SR
JK	to	D
JK	to	T
SR	to	JK
SR	to	D
SR	to	T
D	to	JK
D	to	SR
D	to	T
T	to	JK
T	to	SR
T	to	D

# Introduction to Sequential Logic Circuits

## Flip Flop Conversions

# Steps to convert the flip flop.

- Step 1: Find/Identify the available and require flip flop.
- Step 2: Make the excitation table of available flip flop.
- Step 3: Make the char. table of require flip flop.
- Step 4: Map the excitation table over the char. table.
- Step 5: Solve for the Boolean  $Q$ .
- Step 6: Implement the require flip flop using  $Q$ .

# Introduction to Sequential Logic Circuits

## Flip Flop Conversions

Ex Convert the JK to D flip flop.

Step 1 av. JK key: D

Step 2 Excitation table of av. (JK)

$Q_n$	$Q_{n+1}$	J	K
0	0	0	X
0	1	1	X
1	0	X	1
1	1	X	0

Step 3 Char. table of key (D)

D	$Q_n$	$Q_{n+1}$	J	K
0	0	0	0	X
0	1	0	X	1
1	0	1	1	X
1	1	1	X	0

Step 4 Mapping

Step 5: Solve for each, for J

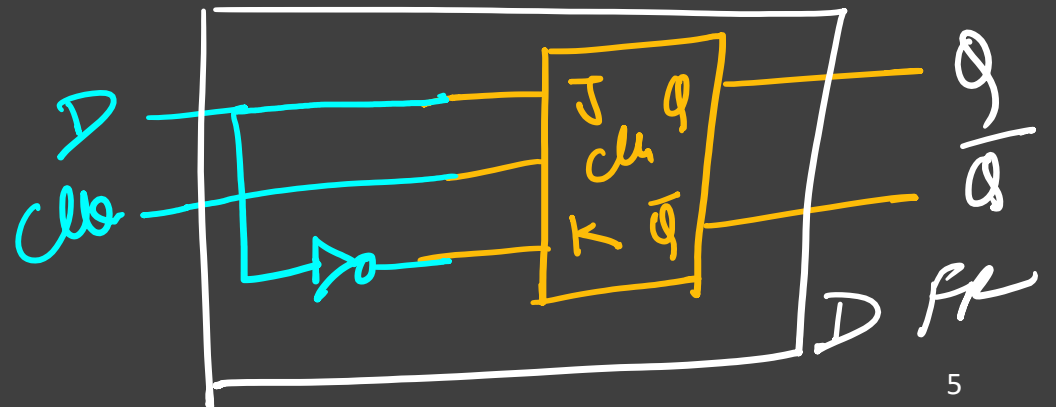
$Q_n$	0	1
D	0	X
1	1	X

$$J = D$$

for K

$Q_n$	0	1
D	X	1
1	X	0

$$K = \bar{D}$$



# Introduction to Sequential Logic Circuits

## Flip Flop Conversions

Cx Convert SR to JK

Sol. Step 1: as: SR req: JK

Step 2: Excitation table of as (SR)

$Q_n$	$Q_{n+1}$	S	R
0	0	0	X
0	1	0	0
1	0	0	1
1	1	X	0

Step 5: for  $S$  and  $R$

$J$	$K$	$Q_n$	$Q_{n+1}$	$S$	$R$
0	0	0	0	0	X
0	0	0	1	0	0
0	1	0	0	0	1
0	1	0	1	0	0
1	0	0	0	0	1
1	0	0	1	0	0
1	1	0	0	0	1
1	1	0	1	0	0
1	1	1	0	0	1
1	1	1	1	X	0

$$S = J \bar{Q}_n$$

for  $R$

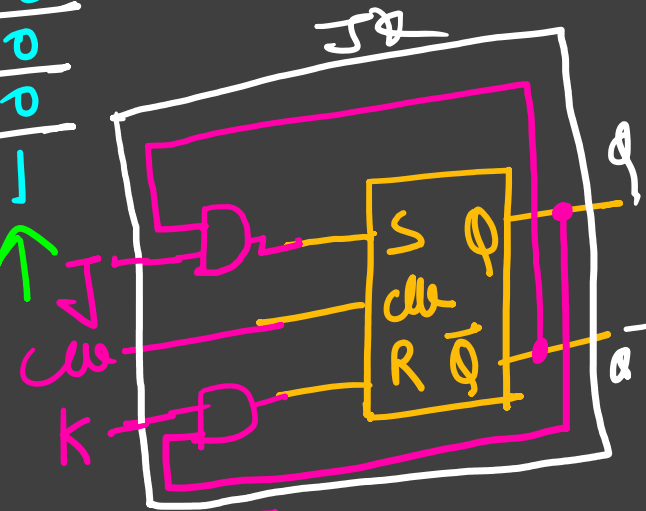
$J$	$K$	$Q_n$	$Q_{n+1}$	$S$	$R$
0	0	0	0	0	X
0	0	0	1	0	0
0	1	0	0	0	1
0	1	0	1	0	0
1	0	0	0	0	1
1	0	0	1	0	0
1	1	0	0	0	1
1	1	0	1	0	0
1	1	1	0	0	1
1	1	1	1	X	0

$$R = K Q_n$$

Step 3: Ch. table of JK

J	K	$Q_n$	$Q_{n+1}$	S	R
0	0	0	0	0	X
0	0	0	1	0	0
0	1	0	0	0	1
0	1	0	1	0	0
1	0	0	0	0	1
1	0	0	1	0	0
1	1	0	0	0	1
1	1	0	1	0	0
1	1	1	0	0	1
1	1	1	1	X	0

Step 4: Map K



# Introduction to Sequential Logic Circuits

## Flip Flop Conversions

Ex: Convert D to JK

Sol. Step 1

Step 2

as: D

Key JK

Example table

$Q_n$	$Q_{n+1}$	D
0	0	0
0	1	1
1	0	0
1	1	1

Steps Char. table

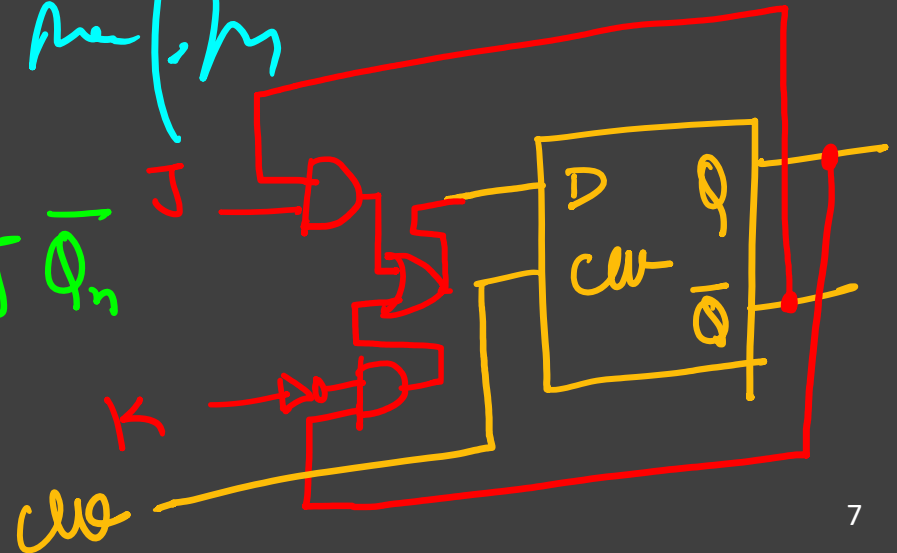
J	K	$Q_n$	$Q_{n+1}$	D
0	0	0	0	0
0	0	1	1	1
0	1	0	0	0
0	1	1	0	0
1	0	0	1	1
1	0	1	1	1
1	1	0	0	0
1	1	1	0	0

Step 4: Derive eq.

Step 5: Derive eq.

J	K	$Q_n$	$Q_{n+1}$	D
0	0	0	0	0
0	0	1	1	1
0	1	0	0	0
0	1	1	0	0
1	0	0	1	1
1	0	1	1	1
1	1	0	0	0
1	1	1	0	0

$$D = \bar{K}Q_n + J\bar{Q}_n$$



# Introduction to Sequential Logic Circuits

## Flip Flop Conversions

Ex Convert T to FF X (The truth table is on slide no 3.)

Sol 1) Qu: T Req: X

3) Char table

2)

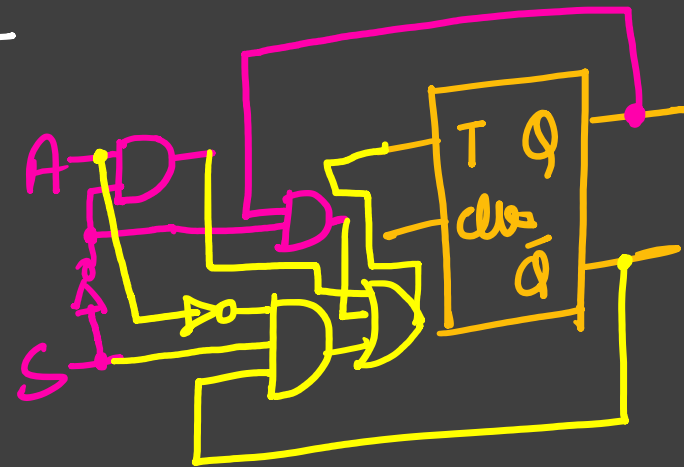
$Q_n$	$Q_{n+1}$	T
0	0	0
0	1	1
1	0	1
1	1	0

A	S	$Q_n$	$Q_{n+1}$	T
0	0	0	0	0
0	0	1	0	0
0	1	0	1	1
0	1	1	1	0
1	0	0	0	1
1	0	1	0	1
1	1	0	1	0
1	1	1	1	0

5)

A	$S Q_n$	01	11	10
0	0	0	0	1
1	1	1	0	0

$$T = A\bar{S} + \bar{S}Q_n + \bar{A}S\bar{Q}_n$$





# Introduction to Sequential Logic Circuits

## Flip Flop Conversions

Next CA

Syllabus - Unit 3 & unit 4

Type - MCQ

No. of Ques - 30

Time - 1 hr 9 April 2021 (On Friday, in Makeup class)

Date : ~~10 April 2021~~ (on tutorial)

(0.25)

Note! -ve Marking of  $\frac{1}{4}$ th for every wrong question

⇒ Check! : OAS / Google form.