In [ ]: # Preparing notebook and loading data import pandas as pd df = pd.read\_csv('data.csv') # Identifying missing or null values missing\_values = df.isnull().sum() # Imputing missing values df['column'].fillna(value, inplace=True) # Checking for data types data\_types = df.dtypes # Assigning correct data types df['column'] = pd.to\_datetime(df['column']) # Dealing with duplicated data df.drop\_duplicates(inplace=True) Sorting and Filtering In [ ]: # Sorting dataset df.sort\_values(by='column', ascending=False, inplace=True) # Boolean indexing filtered\_data = df[df['column'] > 5] # Query Method filtered\_data = df.query('column > 5') # isin Method filtered\_data = df[df['column'].isin([1, 2, 3])] # Combining Conditions filtered\_data = df[(df['column1'] > 5) & (df['column2'] < 10)]</pre> # Using Loc and iloc subset = df.loc[:, ['column1', 'column2']] **Data Joining** In [ ]: # Data joining merged\_data = pd.merge(df1, df2, on='key\_column') # Data concatenation concatenated\_data = pd.concat([df1, df2], axis=0) **EDA** methods In [ ]: # Value counts method value\_counts = df['column'].value\_counts() # Describe data description = df.describe() # Group by analysis grouped\_data = df.groupby('column').mean() pivot\_table = pd.pivot\_table(df, values='values', index=['index\_column'], columns=['column']) # Crosstab analysis cross\_tab = pd.crosstab(df['column1'], df['column2']) # Correlation analysis correlation\_matrix = df.corr() # Data Visualisations In [ ]: import matplotlib.pyplot as plt # Bar charts plt.bar(x\_values, y\_values) plt.xlabel('X-axis label') plt.ylabel('Y-axis label') plt.title('Bar Chart') plt.show() # Pie charts plt.pie(sizes, labels=labels, autopct='%1.1f%%') plt.title('Pie Chart') plt.show() # Line charts plt.plot(x\_values, y\_values) plt.xlabel('X-axis label') plt.ylabel('Y-axis label') plt.title('Line Chart') plt.show() # Histogram plt.hist(data, bins=10) plt.xlabel('X-axis label') plt.ylabel('Frequency') plt.title('Histogram') plt.show() # Scatterplot plt.scatter(x\_values, y\_values) plt.xlabel('X-axis label') plt.ylabel('Y-axis label') plt.title('Scatter Plot') plt.show() # Heatmap import seaborn as sns sns.heatmap(data, cmap='viridis') plt.title('Heatmap') plt.show() # Boxplot plt.boxplot(data) plt.xlabel('X-axis label') plt.ylabel('Y-axis label') plt.title('Box Plot') plt.show() **Data Transformations** In [ ]: # Checking the distribution sns.distplot(data) # Normality test from scipy.stats import shapiro stat, p = shapiro(data)**if** p > 0.05: print('Data looks normally distributed') print('Data does not look normally distributed') # Square root transformation sqrt\_transformed\_data = np.sqrt(data) # Logarithmic transformation log\_transformed\_data = np.log(data) # Boxcox transformation from scipy.stats import boxcox boxcox\_transformed\_data, \_ = boxcox(data) # Yeo-Johnson transformation from scipy.stats import yeojohnson yeo\_johnson\_transformed\_data, \_ = yeojohnson(data) Statistical Tests In [ ]: # One sample t-test from scipy.stats import ttest\_1samp stat, p = ttest\_1samp(data, popmean) # Independent sample t-test from scipy.stats import ttest\_ind stat, p = ttest\_ind(data1, data2) # One-way ANOVA from scipy.stats import f\_oneway stat,  $p = f_{oneway}(data1, data2, data3)$ # Chi-square test for independence from scipy.stats import chi2\_contingency stat, p, dof, expected = chi2\_contingency(observed) # Pearson correlation correlation\_matrix = df.corr() # Linear regression analysis import statsmodels.api as sm  $X = sm.add\_constant(X)$ model = sm.OLS(y, X)results = model.fit() print(results.summary()) Feature Engineering In [ ]: # Dealing with date df['date\_column'] = pd.to\_datetime(df['date\_column']) df['year'] = df['date\_column'].dt.year df['month'] = df['date\_column'].dt.month df['day'] = df['date\_column'].dt.day # Feature encoding encoded\_data = pd.get\_dummies(df['categorical\_column']) # Feature binning bins = [0, 25, 50, 75, 100]labels = ['Low', 'Medium', 'High', 'Very High'] df['binned\_feature'] = pd.cut(df['feature'], bins=bins, labels=labels) # Feature mapping mapping\_dict = {'low': 0, 'medium': 1, 'high': 2} df['mapped\_feature'] = df['feature'].map(mapping\_dict) # Creating dummies dummy\_variables = pd.get\_dummies(df['categorical\_feature']) **Data Preprocessing** In [ ]: **from** sklearn.preprocessing **import** StandardScaler, MinMaxScaler from sklearn.decomposition import PCA from sklearn.model\_selection import train\_test\_split # Selecting features X = df[['feature1', 'feature2']] # Standard scaler scaler = StandardScaler() X\_scaled = scaler.fit\_transform(X) # MinMax scaler scaler = MinMaxScaler() X\_scaled = scaler.fit\_transform(X) # Principal component analysis  $pca = PCA(n_components=2)$ X\_pca = pca.fit\_transform(X\_scaled) # Train test split X\_train, X\_test, y\_train, y\_test = train\_test\_split(X, y, test\_size=0.2, random\_state=42) Regression ML In [ ]: from sklearn.linear\_model import LinearRegression from sklearn.tree import DecisionTreeRegressor from sklearn.ensemble import RandomForestRegressor from sklearn.metrics import mean\_squared\_error, accuracy\_score # Linear regression ML model linear\_regression\_model = LinearRegression() linear\_regression\_model.fit(X\_train, y\_train) linear\_regression\_predictions = linear\_regression\_model.predict(X\_test) linear\_regression\_mse = mean\_squared\_error(y\_test, linear\_regression\_predictions) # Decision Tree regressor ML model decision\_tree\_model = DecisionTreeRegressor() decision\_tree\_model.fit(X\_train, y\_train) decision\_tree\_predictions = decision\_tree\_model.predict(X\_test) decision\_tree\_mse = mean\_squared\_error(y\_test, decision\_tree\_predictions) # Random Forest regressor ML model random\_forest\_model = RandomForestRegressor() random\_forest\_model.fit(X\_train, y\_train) random forest predictions = random forest model.predict(X test) random\_forest\_mse = mean\_squared\_error(y\_test, random\_forest\_predictions) print("Linear Regression MSE:", linear\_regression\_mse) print("Decision Tree MSE:", decision\_tree\_mse) print("Random Forest MSE:", random\_forest\_mse) Classification ML In [ ]: from sklearn.linear\_model import LogisticRegression from sklearn.tree import DecisionTreeClassifier from sklearn.ensemble import RandomForestClassifier from sklearn.metrics import classification\_report # Logistic regression ML model logistic\_regression\_model = LogisticRegression() logistic\_regression\_model.fit(X\_train, y\_train) logistic\_regression\_predictions = logistic\_regression\_model.predict(X\_test) logistic\_regression\_accuracy = accuracy\_score(y\_test, logistic\_regression\_predictions) # Decision Tree classification ML model decision\_tree\_model = DecisionTreeClassifier() decision\_tree\_model.fit(X\_train, y\_train) decision\_tree\_predictions = decision\_tree\_model.predict(X\_test) decision\_tree\_accuracy = accuracy\_score(y\_test, decision\_tree\_predictions) # Random Forest classification ML model random\_forest\_model = RandomForestClassifier() random\_forest\_model.fit(X\_train, y\_train) random\_forest\_predictions = random\_forest\_model.predict(X\_test) random\_forest\_accuracy = accuracy\_score(y\_test, random\_forest\_predictions) print("Logistic Regression Accuracy:", logistic\_regression\_accuracy) print("Decision Tree Accuracy:", decision\_tree\_accuracy) print("Random Forest Accuracy:", random\_forest\_accuracy) **KMeans Clustering** In [ ]: from sklearn.cluster import KMeans import matplotlib.pyplot as plt # Calculate WCSS for different values of k WCSS = []**for** i **in** range(1, 11): kmeans = KMeans(n\_clusters=i, init='k-means++', random\_state=42) kmeans.fit(X) wcss.append(kmeans.inertia\_) # Plot the elbow method graph plt.figure(figsize=(10,6)) plt.plot(range(1, 11), wcss, marker='o', linestyle='--') plt.title('Elbow Method') plt.xlabel('Number of Clusters (k)') plt.ylabel('WCSS') plt.xticks(range(1, 11)) plt.grid(True) plt.show() # Choose the optimal number of clusters based on the elbow method # From the graph, select the point where the decrease in WCSS breaks down (elbow point) # In this example, let's assume the optimal number of clusters is 3 # Build KMeans clustering model with the optimal number of clusters  $optimal_k = 3$ kmeans = KMeans(n\_clusters=optimal\_k, init='k-means++', random\_state=42) kmeans.fit(X)

# Get cluster labels for each data point

cluster\_labels = kmeans.labels\_

**Data Cleaning**