

1. Given a string `s`, return *the longest palindromic substring* in `s`.

Example 1:

Input: `s = "babad"`

Output: `"bab"`

Note: `"aba"` is also a valid answer.

Example 2:

Input: `s = "cbbd"`

Output: `"bb"`

Example 3:

Input: `s = "a"`

Output: `"a"`

Example 4:

Input: `s = "ac"`

Output: `"a"`

2. Roman numerals are represented by seven different symbols: **I**, **V**, **X**, **L**, **C**, **D** and **M**.

Symbol	Value
I	1
V	5
X	10
L	50
C	100
D	500
M	1000

For example, 2 is written as **II** in Roman numeral, just two one's added together. 12 is written as **XII**, which is simply **X** + **II**. The number 27 is written as **XXVII**, which is **XX** + **V** + **II**.

Roman numerals are usually written largest to smallest from left to right. However, the numeral for four is not **IIII**. Instead, the number four is written as **IV**. Because the one is before the five we subtract it making four. The same principle applies to the number nine, which is written as **IX**. There are six instances where subtraction is used:

- **I** can be placed before **V** (5) and **X** (10) to make 4 and 9.
- **X** can be placed before **L** (50) and **C** (100) to make 40 and 90.
- **C** can be placed before **D** (500) and **M** (1000) to make 400 and 900.

Given an integer, convert it to a roman numeral.

Example 1:

Input: num = 3

Output: "III"

Example 2:

Input: num = 4

Output: "IV"

Example 3:

Input: num = 9

Output: "IX"

Example 4:

Input: num = 58

Output: "LVIII"

Explanation: L = 50, V = 5, III = 3.

Example 5:

Input: num = 1994

Output: "MCMXCIV"

Explanation: M = 1000, CM = 900, XC = 90 and IV = 4.

Constraints: `1 <= num <= 3999`

3. Given a string containing digits from 2–9 inclusive, return all possible letter combinations that the number could represent. Return the answer in **any order**.

A mapping of digit to letters (just like on the telephone buttons) is given below. Note that 1 does not map to any letters.



Example 1:

Input: digits = "23"

Output: ["ad","ae","af","bd","be","bf","cd","ce","cf"]

Example 2:

Input: digits = ""

Output: []

Example 3:

Input: digits = "2"

Output: ["a","b","c"]

Constraints:

- `0 <= digits.length <= 4`
- `digits[i]` is a digit in the range `['2', '9']`.

- Given two integers `dividend` and `divisor`, divide two integers without using multiplication, division, and mod operator.

Return the quotient after dividing `dividend` by `divisor`.

The integer division should truncate toward zero, which means losing its fractional part. For example, `truncate(8.345) = 8` and `truncate(-2.7335) = -2`.

Note:

- Assume we are dealing with an environment that could only store integers within the 32-bit signed integer range: $[-2^{31}, 2^{31} - 1]$. For this problem, assume that your function **returns $2^{31} - 1$ when the division result overflows.**

Example 1:

Input: `dividend = 10, divisor = 3`

Output: 3

Explanation: $10/3 = \text{truncate}(3.33333..) = 3$.

Example 2:

Input: `dividend = 7, divisor = -3`

Output: -2

Explanation: $7/-3 = \text{truncate}(-2.33333..) = -2$.

Example 3:

Input: `dividend = 0, divisor = 1`

Output: 0

Example 4:

Input: `dividend = 1, divisor = 1`

Output: 1

Constraints:

- `$-2^{31} \leq \text{dividend}$, $\text{divisor} \leq 2^{31} - 1$`
- `$\text{divisor} \neq 0$`

5.

Given an array of integers `nums` sorted in ascending order, find the starting and ending position of a given `target` value.

If `target` is not found in the array, return `[-1, -1]`.

Follow up: Could you write an algorithm with $O(\log n)$ runtime complexity?

Example 1:

Input: `nums = [5,7,7,8,8,10]`, `target = 8`

Output: `[3,4]`

Example 2:

Input: `nums = [5,7,7,8,8,10]`, `target = 6`

Output: `[-1,-1]`

Example 3:

Input: `nums = []`, `target = 0`

Output: `[-1,-1]`

Constraints:

- `0 <= nums.length <= 105`
- `-109 <= nums[i] <= 109`
- `nums` is a non-decreasing array.
- `-109 <= target <= 109`

6.

Given an array of **distinct** integers `candidates` and a target integer `target`, return *a list of all **unique combinations** of `candidates` where the chosen numbers sum to `target`*. You may return the combinations in **any order**.

The **same** number may be chosen from `candidates` an **unlimited number of times**. Two combinations are unique if the frequency of at least one of the chosen numbers is different.

It is **guaranteed** that the number of unique combinations that sum up to `target` is less than `150` combinations for the given input.

Example 1:

Input: `candidates = [2,3,6,7]`, `target = 7`

Output: `[[2,2,3],[7]]`

Explanation:

2 and 3 are candidates, and $2 + 2 + 3 = 7$. Note that 2 can be used multiple times.

7 is a candidate, and $7 = 7$.

These are the only two combinations.

Example 2:

Input: `candidates = [2,3,5]`, `target = 8`

Output: `[[2,2,2,2],[2,3,3],[3,5]]`

Example 3:

Input: `candidates = [2]`, `target = 1`

Output: `[]`

Example 4:

Input: `candidates = [1]`, `target = 1`

Output: `[[1]]`

Example 5:

Input: `candidates = [1]`, `target = 2`

Output: `[[1,1]]`

Constraints:

- `1 <= candidates.length <= 30`
- `1 <= candidates[i] <= 200`
- All elements of `candidates` are **distinct**.
- `1 <= target <= 500`