Experiment No.5

Q1. You have a dataset of individuals with information on their age, height, weight, and BMI

(Body Mass Index). Analyze the data to:

- o Calculate the mean, median, and standard deviation of each variable.
- o Determine if there is a correlation between height and weight.
- o Visualize the distribution of age using a histogram and check for any outliers using a boxplot.

Program:-

```
data <- data.frame(
 age = c(25, 30, 22, 45, 55, 33, 41, 19, 60, 28),
 height = c(170, 165, 160, 175, 180, 168, 172, 158, 177, 169),
 weight = c(70, 60, 55, 80, 90, 65, 75, 50, 85, 62),
 bmi = c(24.2, 22.0, 21.5, 26.1, 27.8, 23.0, 25.4, 20.0, 27.1, 21.7)
)
#1. Calculate mean, median, and standard deviation of each variable
mean age <- mean(data$age)
median age <- median(data$age)
sd age <- sd(data$age)
mean height <- mean(data$height)
median height <- median(data$height)</pre>
sd height <- sd(data$height)</pre>
mean weight <- mean(data\$weight)</pre>
median weight <- median(data\sueight)</pre>
sd weight <- sd(data$weight)
mean bmi <- mean(data$bmi)
median bmi <- median(data$bmi)
sd bmi <- sd(data$bmi)
```

Print results

cat("Age - Mean:", mean_age, "Median:", median_age, "SD:", sd_age, "\n")
cat("Height - Mean:", mean_height, "Median:", median_height, "SD:", sd_height, "\n")
cat("Weight - Mean:", mean_weight, "Median:", median_weight, "SD:", sd_weight, "\n")
cat("BMI - Mean:", mean_bmi, "Median:", median_bmi, "SD:", sd_bmi, "\n")

2. Correlation between height and weight

correlation <- cor(data\$height, data\$weight)</pre>

cat("Correlation between height and weight:", correlation, "\n")

3. Visualize age distribution with a histogram

hist(data\$age, main = "Age Distribution", xlab = "Age", col = "skyblue", border = "black") boxplot(data\$age, main = "Boxplot of Age", ylab = "Age", col = "orange")

Output:-

Print results

Age - Mean: 35.8 Median: 31.5 SD: 13.97458

Height - Mean: 169.4 Median: 169.5 SD: 7.058486

Weight - Mean: 69.2 Median: 67.5 SD: 13.15548

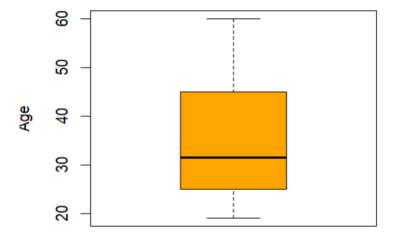
BMI - Mean: 23.88 Median: 23.6 SD: 2.642726

2. Correlation between height and weight

Correlation between height and weight: 0.9790361

3. Visualize age distribution with a histogram

Boxplot of Age



Q2. A company provides sales data for its products, including variables like product price,

units sold, and profit. Your task is to:

- o Calculate the average sales, median price, and total profit.
- o Analyze the variability in sales across products using standard deviation.
- o Visualize the sales and profit data using scatter plots and draw conclusions about the relationship between price and profit.

Program:-

```
sales data <- data.frame(
 product = c("A", "B", "C", "D", "E"),
 price = c(100, 150, 120, 130, 90),
 units sold = c(200, 300, 250, 150, 180),
 profit = c(5000, 8000, 6000, 4000, 4500)
)
# 1. Calculate average sales, median price, and total profit
sales data$sales <- sales data$price * sales data$units sold # Calculate total sales for each
product
average sales <- mean(sales data$sales) # Average sales
median price <- median(sales data$price) # Median product price
total profit <- sum(sales data$profit) # Total profit
# Print results
cat("Average Sales:", average sales, "\n")
cat("Median Price:", median price, "\n")
cat("Total Profit:", total profit, "\n")
# 2. Analyze variability in sales using standard deviation
sales sd <- sd(sales data$sales)</pre>
cat("Standard Deviation of Sales:", sales sd, "\n")
# 3. Visualize sales and profit data using scatter plots
plot(sales data$price, sales data$profit,
   main = "Price vs Profit",
   xlab = "Price",
```

```
ylab = "Profit",

pch = 19, col = "blue")

plot(sales_data$sales, sales_data$profit,

main = "Sales vs Profit",

xlab = "Sales",

ylab = "Profit",

pch = 19, col = "orange")
```

Output:-

Print results

Average Sales: 26140

Median Price: 120

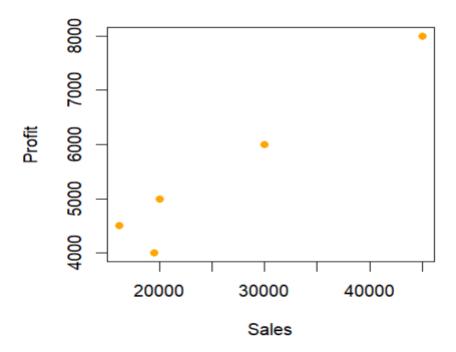
Total Profit: 27500

2. Analyze variability in sales using standard deviation

Standard Deviation of Sales: 11738.74

3. Visualize sales and profit data using scatter plots

Sales vs Profit



- Q3. You have a dataset containing the exam scores of students in three subjects:
- Mathematics, Science, and English. Analyze the scores to:
- o Compute the mean, median, and mode for each subject.
- o Identify the subject with the highest variability in scores (using standard deviation).
- o Create a boxplot for each subject and analyze the spread and outliers.
- o Visualize the relationship between Mathematics and Science scores using a scatter plot and determine if there is a trend.

Program:-

```
scores <- data.frame(
 student = c(1, 2, 3, 4, 5, 6, 7, 8, 9, 10),
 mathematics = c(90, 85, 78, 92, 88, 84, 76, 91, 89, 77),
 science = c(88, 79, 85, 95, 91, 80, 83, 92, 87, 78),
 english = c(85, 82, 90, 86, 80, 88, 84, 87, 91, 79)
)
# 1. Compute the mean, median, and mode for each subject
mean math <- mean(scores$mathematics)</pre>
median math <- median(scores$mathematics)</pre>
mode math <- as.numeric(names(sort(table(scores$mathematics), decreasing = TRUE)[1]))
mean sci <- mean(scores$science)
median sci <- median(scores$science)
mode sci <- as.numeric(names(sort(table(scores\science), decreasing = TRUE)[1]))
mean eng <- mean(scores$english)
median eng <- median(scores$english)
mode eng <- as.numeric(names(sort(table(scores$english), decreasing = TRUE)[1]))
# Print results for each subject
cat("Mathematics - Mean:", mean math, "Median:", median math, "Mode:", mode math,
"\n")
cat("Science - Mean:", mean sci, "Median:", median sci, "Mode:", mode sci, "\n")
cat("English - Mean:", mean eng, "Median:", median eng, "Mode:", mode eng, "\n")
# 2. Identify the subject with the highest variability using standard deviation
```

```
sd math <- sd(scores$mathematics)
sd sci <- sd(scores$science)
sd eng <- sd(scores$english)</pre>
cat("Standard Deviation - Mathematics:", sd math, "\n")
cat("Standard Deviation - Science:", sd sci, "\n")
cat("Standard Deviation - English:", sd eng, "\n")
max sd <- max(sd math, sd sci, sd eng)
if (\max sd == sd math) {
 cat("Subject with highest variability: Mathematics\n")
\} else if (max sd == sd sci) {
 cat("Subject with highest variability: Science\n")
} else {
 cat("Subject with highest variability: English\n")
}
# 3. Create boxplots for each subject
boxplot(scores$mathematics, main = "Boxplot for Mathematics", ylab = "Scores", col =
"lightblue")
boxplot(scores\science, main = "Boxplot for Science", ylab = "Scores", col = "lightgreen")
boxplot(scores$english, main = "Boxplot for English", ylab = "Scores", col = "lightcoral")
# 4. Visualize the relationship between Mathematics and Science scores using a scatter plot
plot(scores$mathematics, scores$science,
   main = "Mathematics vs Science Scores",
  xlab = "Mathematics Scores",
  ylab = "Science Scores",
  pch = 19, col = "blue")
abline(lm(scores\science ~ scores\mathematics), col = "red")
Output:-
# Print results for each subject
Mathematics - Mean: 85 Median: 86.5 Mode: 76
Science - Mean: 85.8 Median: 86 Mode: 78
English - Mean: 85.2 Median: 85.5 Mode: 79
```

Standard Deviation - Mathematics: 6.055301

Standard Deviation - Science: 5.82714

Subject with highest variability: Mathematics

3. Create boxplots for each subject

Mathematics vs Science Scores

