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## You must show your work to get full credit.

A problem with the discrete logistic equation

$$N_{t+1} = N_t + rN_t \left(1 - \frac{N_t}{K}\right)$$

is that the right hand side of this equation becomes negative if  $N_t$  is very large. But this would imply that  $N_{t+1}$  is negative, which makes no sense biologically. One way people have fixed this problem is by using the equation

 $N_{t+1} = N_t e^{r\left(1 - \frac{N_t}{K}\right)}$ 

where r is still the per capita growth rate for the unconstrained population and K is still the carrying capacity. Let us analyze this model when r = 1.2 and K = 100. Then the equation becomes

$$N_{t+1} = N_t e^{1.2\left(1 - \frac{N_t}{100}\right)}$$

	$r_{t+1} = r_t$	
To do this enter \Y1 = Xe^(1.2^(1- \Y2 = X Xmin=0 Xmax=150		
and use <b>ZoomFit</b> to are the equilibrium J	plot these functions. The graphs should intersect	at two points. These points
1.	What is first equilibrium point?	N* = 0
	What is $f'(N_*)$ (that is the slope) at this point?	3.32
	Is this point stable or unstable?	Unstable
2.	What is second equilibrium point?	100
	What is $f'(N_*)$ (that is the slope) at this point?	2
	Is this point stable or unstable?	Stayle
3. If $N_0 = 110$ then	$find     N_1 =$	97.56
		100.46
	An estimate of $N_{50}$	2 100