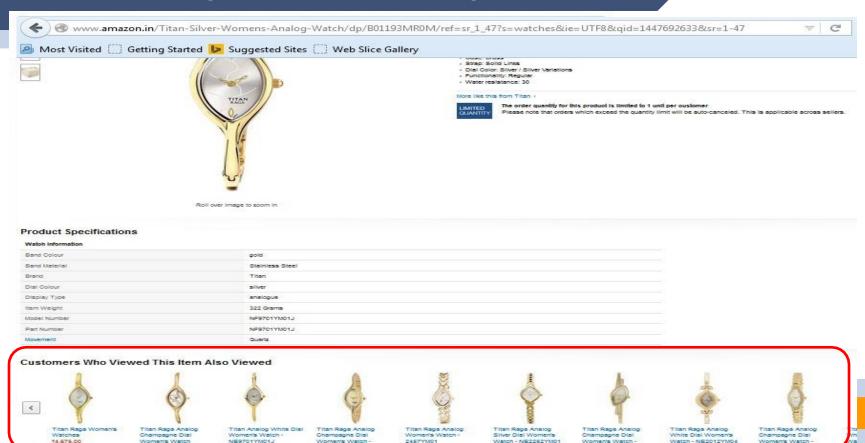
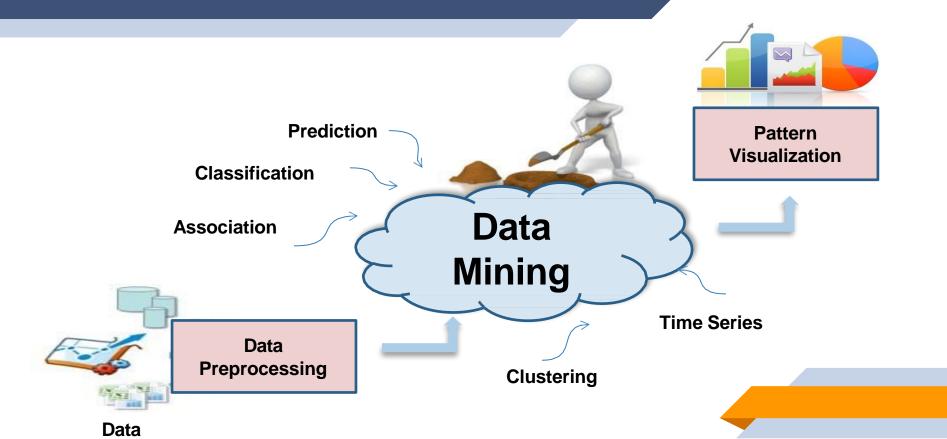
Supervised Learning & ANN Exploration in R

Data Mining - Real Time Eg.



Phases in Data Analysis



Data Mining?

- Data mining is a process of extracting
- Interesting
- Trivial
- Implicit
- Previously unknown &
- Potentially Useful Patterns /
- Knowledge from Large Data sets



Descriptive (UnSupervised) Data Mining

Group the following fruits

Apple Guava Grape Cherry

• According to Physical character, size:

RED COLOR AND BIG SIZE : Apple.

RED COLOR AND SMALL SIZE : Cherry

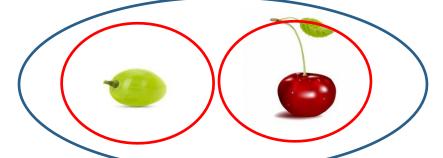
GREEN COLOR AND BIG SIZE : Guava

GREEN COLOR AND SMALL SIZE : Grape

Arrange them base on the color:

Size 1 GROUP : Grape & cherry.

Size 2 GROUP : Guava & Apple.

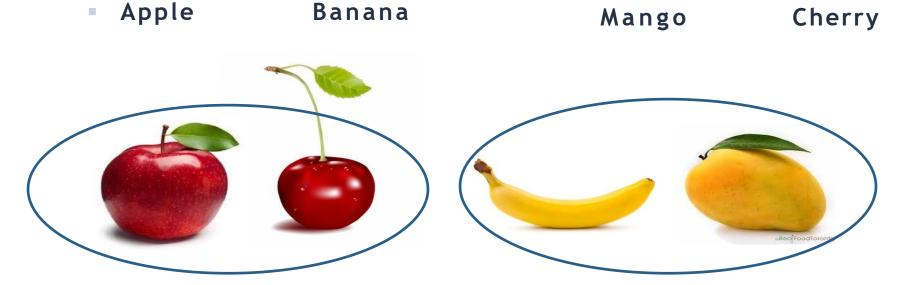




We didn't Learn the behavior; Grouping varies; Clustering

Predictive (Supervised) Data Mining

Group the following fruits



Already Learnt the behavior; Group confidently; Classificati

Mining Tasks

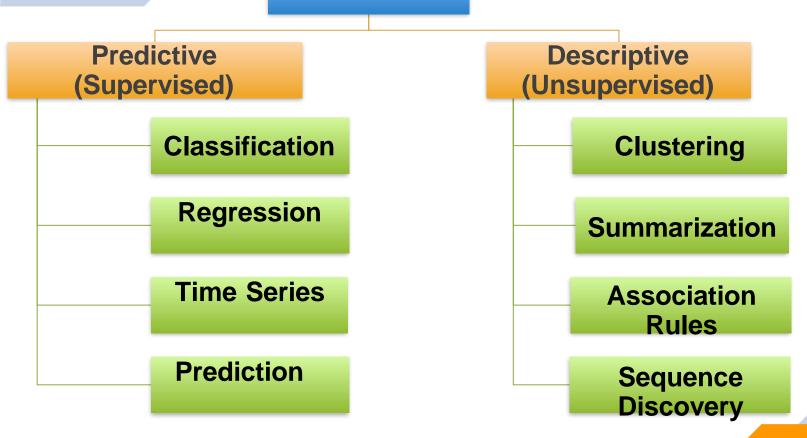
Identify a whether a patient has a specific disease or not based on Symptoms –

Predictive

Amazon recommends some products which are bought together

Descriptive

Data Mining



"Once you stop learning, you start dying" Albert Einstein

CLASSIFICATION

- ~ Predicts unknown class label
- ~ Classifies the data based on training set
- ~ Applications:
 - Credit Card Approval; Medical Diagnosis; Target Marketing; Fraud Detection;



CLASSIFICATION

- 1. Given a collection of records (Training set)
 - Each Record contains a Set of Attributes
 - One of the attributes is the Class (Label)
- 2. Find a Model for Class attribute as a function of the values of other attributes.
- 3. Goal: Previously unseen records should be assigned a class as accurately as possible.
- 4. A test set is used to determine the accuracy of the model.

CLASSIFICATION

Usually, the given data set is divided into Training and Test sets

Build the Model

Testing Data set

Validate the Model

Examples of Classification

- Predicting tumor cells as benign or malignant
- ~ Classifying credit card transactions as legitimate or fraudulent
- Classifying secondary structures of protein as alpha-helix, beta-sheet, or random coil
- ~ Categorizing news stories as finance, weather, entertainment, sports, etc_

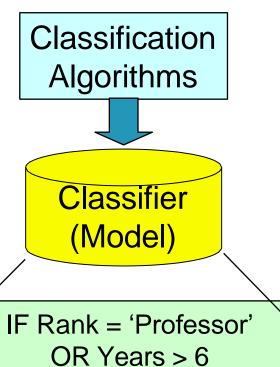
Classification Techniques

- ~ Decision Tree based Methods
- Naïve Bayes and Bayesian Belief
 Networks
- ~ Artificial Neural Networks (ANN)
- ~ Support Vector Machines (SVM)
- ~ Rule-based Methods
- ~ Memory based reasoning

Classification - Model Construction



Name	Rank	Years	Permanent
Arun	Assistant Prof	3	No
Vijay	Assistant Prof	7	Yes
Rohan	Professor	2	Yes
Kumar	Associate Prof	7	Yes
Rahul	Assistant Prof	6	No
Raj	Associate Prof	3	No



THEN Permanent = 'Yes'



Classifier

Testing Data Unseen Data

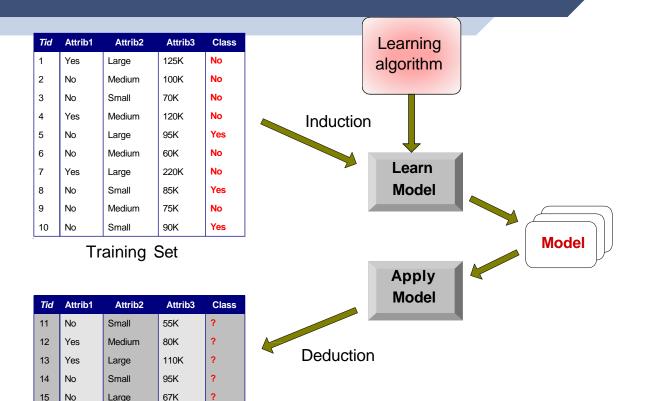
(Ramya, Professor, 4)

Permanent?



Name	Rank	Years	Permanent
Vignesh	Assistant Prof	2	No
Anand	Associate Prof	7	No
Chirstina	Professor	5	Yes
Parul	Assistant Prof	7	Yes

Illustrating Classification Task

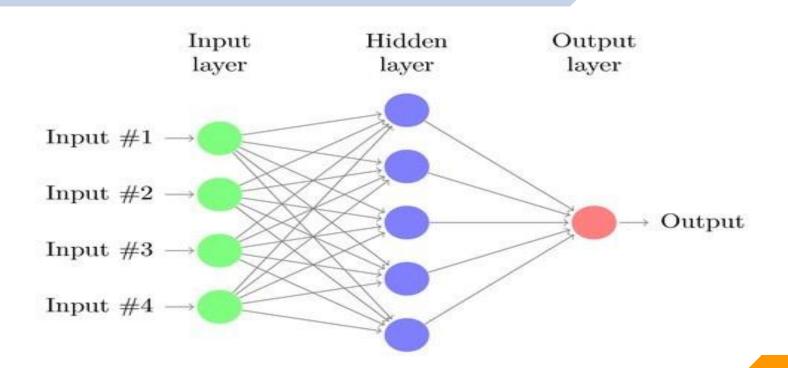


Test Set

Artificial Neural Network

- Artificial Neural Network was Introduced to Model the Way in which the human brain Performs a Particular Task or Function of Interest
- ~ These networks
- Learn from experience
- Generalize from previous examples to new ones and
- Abstract essential characteristics from inputs containing irrelevant data.
- The Feed-forward Artificial Neural Network (FNN) is used for classification of the Web Pages
- The training of the network is a classification problem where the weights are incremented or decremented in

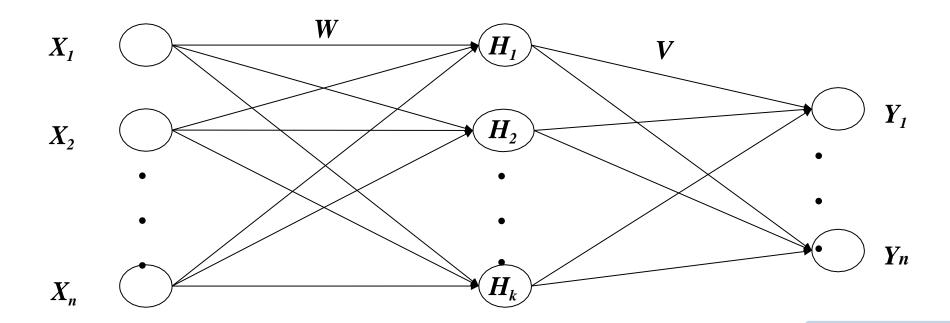
Artificial Neural Networks



Feedforward Neural Network

- Consisting of a number of neurons which are connected by weighted links.
- ~ Neurons are organized in several layers namely
 - An input layer
 - One or more hidden layers and
 - An output layer.
- Input layer receives an external input, and passes it via weighted connections to the units in the first hidden layer.

Feedforward Neural Network



The neurons in that hidden layer compute their activations and pass them to neurons in succeeding layer and so on.

~ Finally neurons in the output layer will give output for the input value.

In this network, the signal travel in only one direction i.e., no feedback and thus the output of any layer does not affect the same layer?

Training

- It can be viewed as a nonlinear optimization problem in which the goal is to find a set of weights that minimizes the network errors.
- ~ Training of the adaptable weights of the network may be performed for the whole network or by proceeding in a layer-by-layer manner.
- ~ Training the network may be
 - supervised or unsupervised training method. 23

1. Supervised Training

It requires training pair consisting of input vector and desired output vector.

~ This performs **training at offline** i.e., the training phase of the network is distinct from operation phase.

~ This is the most frequently used technique in the field of network.

2. Unsupervised Training

It requires no target vector for the output, it solely has only input vectors.

~ This performs training at online i.e., the training and operation phase of the network occurs at the same time.

~ The training algorithm modifies network weights to produce output vectors that are consistent.

Backpropagation(BP)

- Algo rithmbasic Supervised training algorithm for training multi-layered feedforward neural networks.
- ~ The basic idea of this algorithm is the repeated application of the chain rule to compute the influence of each weight in the network with respect to an arbitrary error function.
- The problem associated with this method is slow convergence and local minima entrapment.

Error

$$MSE = (1/N)(\cdot_{j=1,N}\cdot_{i=1,m}(y_i-d_i)^2)$$

where,

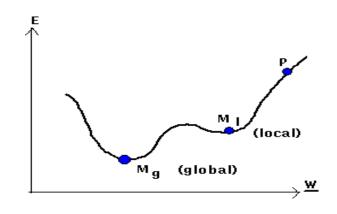
y – represents output layer neuron output

d - represents desired value for that.

Local & Global Minimum

The smallest overall value of a set, function over its entire range is "Global Minimum"

A relative minimal value within some neighborhood that may not be a Global minimum is "Local Minimum"



Local minimum corresponds to a partial solution for a network in response to the training data.

Neural Network: Classification

File: creditset

```
install.packages("neuralnet")
library(neuralnet)
creditset<-read.csv("E:/Materials/SIT
Tumkur/Session V Classification/creditset.csv")
View(creditset)</pre>
```

BP Algorithm

- 1.Generate random numbers for the weight vectors in the range [-1.5 1.5]
- 2. Feed input, For each input pattern

compute output of the feedforward network, find the sum of absolute covariances using the formula,

$$F_{j} = (1/N)^{M} | Y_{k=1} | Y_{j,t} - Y_{j} | (e_{k,t} - e_{k}) |, j = 1,...H$$

3. Repeat steps 1 and 2 for H candidate hidden units.

Algorithm

Calculate the output error and

Calculate the nonlinear output error using (5) &

(6)

$$e_{1j}^{l} = f^{-1}(d_{j}^{l}) - net_{j}^{l}$$
 (5)

$$e_{2j}^{l} = (d_{j}^{l}) - y_{j}^{l}$$
 (6)

- 6. Calculate the weights to be added for the output layer using (8) $\Delta w_{ii} = \mu \lambda e_{1i}^{\ l} y_i^{\ l-1} + \mu f^{\ l} (net_j^{\ l}) e_{2j}^{\ l} y_i^{\ l-1}$ (8)
- 7. Update the weights of the output layer using (13)

Algorithm

8. Calculate the weights to be added for the hidden layer using (10)

$$\Delta w_{ji}^{l} = \mu \lambda e_{1j}^{l} y_{i}^{l-1} + \mu f^{1}(net_{j}^{l}) e_{2j}^{l} y_{i}^{l-1}$$
 (8)

- 9. Update the weights of the hidden layer using (13) $w_{ii} = w_{ii} + \Delta w_{ii}$ (13)
- 10. Repeat steps to change weights until the desired accuracy is obtained

Bring neuralnet in action

```
> library(neuralnet)
Loading required package: grid
Loading required package: MASS
Warning message:
package 'neuralnet' was built under R version 3.1.3
>
```

Create training and testing data sets

- > trainset<- creditset[1:800,]</pre>
- > testset<- creditset[801:2000,]</pre>

Machine Learn

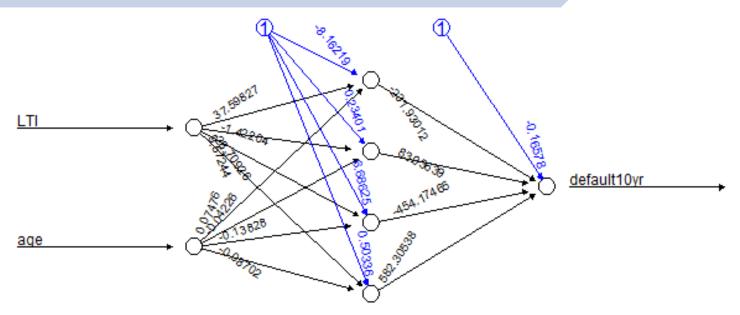
> trainset<- creditset[1:800,]
> testset<- creditset[801:2000,]</pre>

Let machine learn

Creditnet <- neuralnet(default10yr~LTI+age, trainset, hidden=4, lifesign="minimal", linear.output=FALSE, threshold=0.1)

```
> creditnet<-neuralnet(default10yr~LTI + age, trainset, hidden = 4, lifesign
 = "minimal", linear.output = FALSE, threshold = 0.1)
hidden: 4
            thresh: 0.1
                        rep: 1/1 steps: 71925 error: 0.08578 time
: 53.05 secs
> creditnet<-neuralnet(default10yr~LTI + age, trainset, hidden = 4, lifesign
 = "minimal", linear.output = FALSE, threshold = 0.1)
            thresh: 0.1 rep: 1/1 steps: 12232 error: 0.3743
hidden: 4
                                                                    time
: 8.01 secs
> creditnet<-neuralnet(default10yr~LTI + age, trainset, hidden = 4, lifesign
 = "minimal", linear.output = FALSE, threshold = 0.1)
                                               6389 error: 0.75657 time
hidden: 4
            thresh: 0.1
                          rep: 1/1 steps:
: 4.23 secs
> creditnet<-neuralnet(default10yr~LTI + age, trainset, hidden = 4, lifesign
 = "minimal", linear.output = FALSE, threshold = 0.1)
            thresh: 0.1 rep: 1/1
hidden: 4
                                      steps:
                                                515 error: 11.77955 time
: 0.33 secs
> creditnet<-neuralnet(default10yr~LTI + age, trainset, hidden = 4, lifesign
 = "minimal", linear.output = FALSE, threshold = 0.1
hidden: 4
            thresh: 0.1 rep: 1/1 steps: 86201 error: 0.04036 time
: 56.43 secs
```

> plot(creditnet, rep = "best")



Error: 0.040355 Steps: 86201

Preparing for results

```
> temp_test<- subset(testset, select = c("LTI", "age"))
> creditnet.results<- compute(creditnet, temp_test)
> results<- data.frame(actual = testset$default10yr, prediction= creditnet.results$net.result)</pre>
```

Results

```
> results[100:115,]
    actual
                  prediction
900
            6.361327751e-71
901
            1.943534917e-32
902
         0 3.377113112e-119
903
         1 1.000000000e+00
904
            3.463046655e-17
905
           3.466677914e-85
906
         0 2.505847008e-52
907
         1 9,999999317e-01
908
            5.119846572e-04
909
         0 2.671280086e-96
910
            1.045441835e-14
911
            1.000000000e+00
912
           1.804893653e-119
91.3
         1 1.000000000e+00
914
         0 9.093234050e-86
91.5
            1.139237172e-29
```

Lets round them up

```
> results$prediction<- round(results$prediction)
> results[100:115,]
    actual prediction
900
901
902
903
904
905
906
907
908
909
910
911
912
913
914
915
```

Classification Results

> table(results\$actual, results\$prediction)

```
0 1
0 1035 1
1 0 164
```

Neural Network: Prediction File: mtcars

```
> mtcars <- read.csv("C:/Users/inurture1/Desktop/session7_NN/mtc</pre>
ars.csv")
> View(mtcars)
> install.packages("neuralnet")
  There is a binary version available (and will be
  installed) but the source version is later:
          binary source
neuralnet 1.32 1.33
trying URL 'http://cran.rstudio.com/bin/windows/contrib/3.1/neur
alnet_1.32.zip'
Content type 'application/zip' length 58727 bytes (57 Kb)
opened URL
downloaded 57 Kb
package 'neuralnet' successfully unpacked and MD5 sums checked
The downloaded binary packages are in
        C:\Users\inurture1\AppData\Local\Temp\RtmpeUOOOH\downloa
ded_packages
> library(neuralnet)
Loading required package: grid
Loading required package: MASS
Warning message:
package 'neuralnet' was built under R version 3.1.3
```

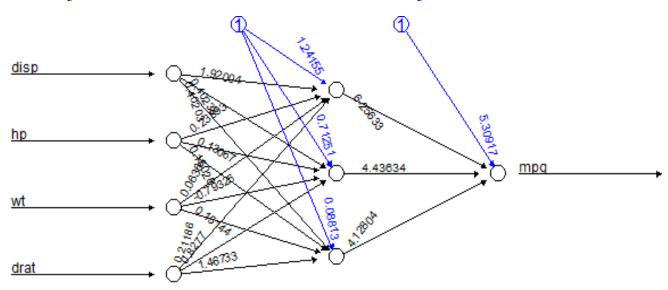
Create training and testing data sets

- > trainset<-mtcars[1:20,]</pre>
- > testset<-mtcars[21:32,]</pre>

Build NN Predictive Model

Network Diagram

> plot(mtcarsnet, rep = "best")



Error: 396.381 Steps: 58

Lets find results

```
> temp_test<-subset(testset, select = c("disp", "hp", "wt", "dra
t"))
> mtcarsnet.results<- compute(mtcarsnet, temp_test)
> results<- data.frame(actual = testset$mpg, prediction = mtcars
net.results$net.result)</pre>
```

Results

```
> results
           prediction
   actual
     21.5 20.12987887
21
22
     15.5 20.12987887
23
     15.2 20.12987887
24
     13.3 20.12987887
25
     19.2 20.12987887
26
     27.3 20.12987887
27
     26.0 20.12987887
28
     30.4 20.12987887
29
     15.8 20.12987887
30
     19.7 20.12987887
31
     15.0 20.12987887
32
     21.4 20.12987887
```

RMSE

```
> error <- results$actual - results$prediction
> rmse<- function(error)
+ {
+ sqrt(mean(error^2))
+ }
> rmse(error)
[1] 5.27047195
> |
```

Thank you

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Role of external experts in Curriculum Design

BoS Members

Representatives from University, Alumni, Academia and Industry Dean, Head and all the Faculty members of the department

Meeting

Yearly once

Process

Need Analysis
Feedback from Alumni, Students
Feedback from Faculty Members, Industry

Impact

Improved Placements - Curriculum in par with Industry Improved Examination Results - Evaluation Criteria More Practical Components

Student Achievements - Research



- hypothesis, among the most practical approaches to certain types of learning problems
- 2. <u>Incremental</u>: Each training example can incrementally increase/decrease the probability that a hypothesis is correct. Prior knowledge can be combined with observed data.
- 3. <u>Probabilistic prediction</u>: Predict multiple hypotheses, weighted by their probabilities
- 4. <u>Standard</u>: Even when Bayesian methods are computationally intractable, they can provide a standard of optimal decision making against which other methods can

Bayesian Theorem: Basics

- ~ Let *X* be a data sample whose class label is unknown
- \sim Let H be a Hypothesis that X belongs to class C
- \sim For classification problems, determine P(H|X): the probability that the hypothesis holds given the observed data sample X
- $\sim P(H)$: prior probability of hypothesis H (i.e. the initial probability before we observe any data, reflects the background knowledge)
- $\sim P(X)$: probability that sample data is observed
- $\sim P(X/H)$: probability of observing the sample X, given that the hypothesis holds

Bayesian Theorem

 Given training data X, posteriori probability of a hypothesis H, P(H|X) follows the Bayes theorem

$$P(H \mid X) = \frac{P(X \mid H)P(H)}{P(X)}$$

- Informally, this can be written as
 - posteriori = likelihood x prior / evidence
- ~ MAP (maximum $\overline{\underline{p}}$ os tegri ori) abx pP (maximum $\overline{\underline{h}}$ os tegri ori) abx pP (maximum $\overline{\underline{h}}$ os tegri ori) abx P

 Practical difficulty: require initial knowledge of many probabilities, significant computational cost

Naïve Bayesian Classifierr

~ A simplified assumption: Attributes are conditionally independent:

$$P(X \mid C_i) = P(x_k \mid C_i)$$

$$k = 1$$

- ~ The product of occurrence of say 2 elements x_1 and x_2 , given the current class is C, is the product of the probabilities of each element taken separately, given the same class $P([y_1,y_2], C) = P(y_1, C) * P(y_2, C)$
- No dependence relation between attributes
- ~ Greatly reduces the computation cost, only count the class distribution.
- \sim Once the probability $P(X|C_i)$ is known, assign X to the class with maximum $P(X|C_i) * P(C_i)$

Training Dataset

Class:

C1:buys_computer=
'yes'
C2:buys_computer=
'no'

Data sample

X =(age<=30, Income=medium, Student=yes Credit_rating= Fair)

age	income	student	credit_rating	buys_computer
<=30	high	no	fair	no
<=30	high	no	excellent	no
3040	high	no	fair	yes
>40	medium	no	fair	yes
>40	low	yes	fair	yes
>40	low	yes	excellent	no
3140	low	yes	excellent	yes
<=30	medium	no	fair	no
<=30	low	yes	fair	yes
>40	medium	yes	fair	yes
<=30	medium	yes	excellent	yes
3140	medium	no	excellent	yes
3140	high	yes	fair	yes
>40	medium	no	excellent	no

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Naïve Bayesian Chassifier

Good results obtained in most of the cases

~ Disadvantages

- Assumption: class conditional independence, therefore loss of accuracy
- Practically, dependencies exist among variables
- ► E.g., hospitals: patients: Profile: age, family history etc

Symptoms: fever, cough etc., Disease: lung cancer, diabetes etc

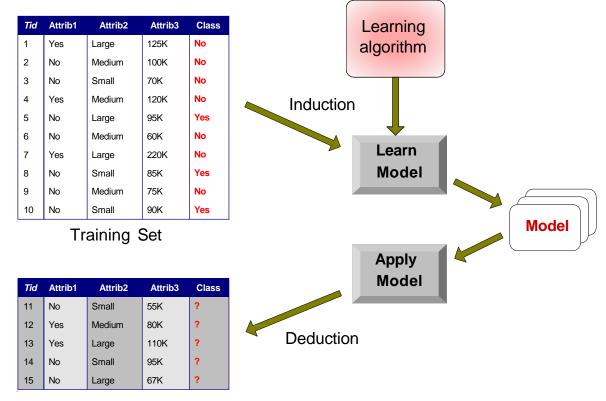
Dependencies among these cannot be modeled by Naïve
 Bayesian Classifier

```
=0.6
NaivenBavesianu@lassifietruys_computer="yes") =
 =0.4444
     P(income="medium"
                                | buys computer="no") =
                                                              2/5
 0.4
     P(student="yes"
                        | buys computer="yes) =
     P(student="yes"
                        | buys computer="no") =
     P(credit rating="fair"
                                | buys computer="yes
 =0.667
     P(credit rating="fair"
                                | buys computer="no") =
                                                              2/5
 =0.4
     X=(age<=30, income =media
     P(X|Ci):
```

667

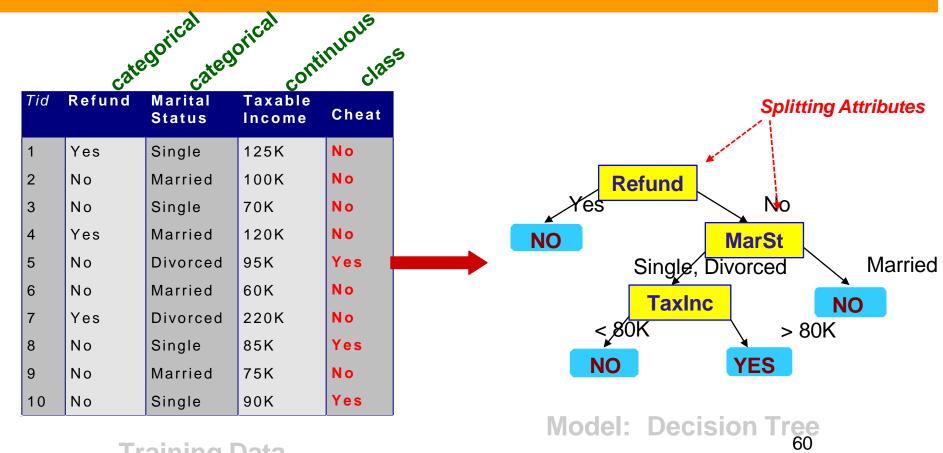
P(X)

Illustrating Classification Task



Test Set

Decision Tree



Training Data

Naïve Bayes Classification

```
summary(iris)
classifier<-naiveBayes(iris[,1:4], iris[,5])</pre>
mode1 = table(predict(classifier, iris[,-5]), iris[,5])
save(mode1,file="mymodel.rda")
pairs(iris[1:4], main = "Iris Data"
(red=setosa, green=versicolor, blue=virginica)",
    pch = 21, bg = c("red", "green", "blue")[unclass(iris$Species)])
table(predict(classifier, iris[,-5]), iris[,5])
```

```
summary(iris)
classifier<-naiveBayes(iris[,1:4], iris[,5])
mode1 = table(predict(classifier, iris[,-5]), iris[,5])
save(mode1,file="mymodel.rda")
pairs(iris[1:4], main = "Iris Data"
(red=setosa,green=versicolor,blue=virginica)",
pch = 21, bg = c("red", "green", "blue")
[unclass(iris$Species)])
table(predict(classifier, iris[,-5]), iris[,5])
```