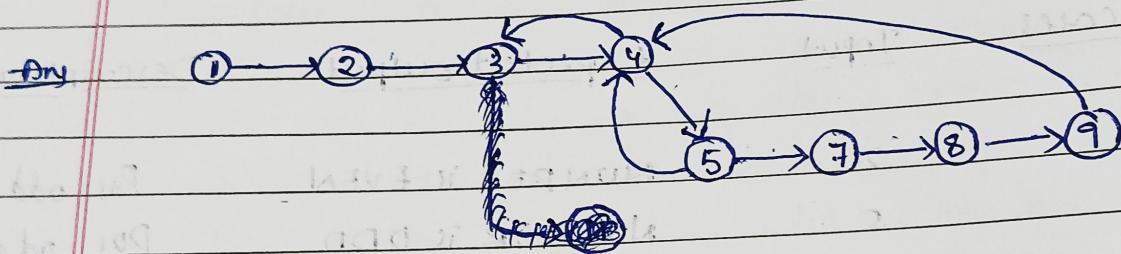


Assignment - White Box Testing

Date _____
Page _____

- 1) Consider the following program segment:
/*Sort takes an integer array and sorts it in ascending order*/
- ```
1. void sort (int arr[], int n) {
2. int i, j;
3. for (int i = 0; i < n - 1; i++)
4. for (j = i + 1; j < n; j++)
5. if (arr[i] > arr[j])
6. {
7. temp = arr[i];
8. arr[i] = arr[j];
9. arr[j] = temp;
10. }
11. }
```

- a) Draw the program graph for this program segment.



- b) Determine the cyclomatic Complexity for this program  
(Show the intermediate steps of your computation).

Ans For the given graph

$$\text{the cyclomatic Complexity } v(G) = E - N + 2$$

$N$  = number of Nodes

$E$  = Number of Edges.

Number of nodes ( $N$ ) = 8

Number of edges ( $E$ ) = 10

$$V(G) = 10 - 8 + 2$$

$$\boxed{V(G) = 4}$$

c) How is the cyclomatic Complexity metric useful?

The Cyclomatic Complexity metric is useful in

- estimation of structural complexity of code
- estimation of testing effort
- estimation of program reliability.

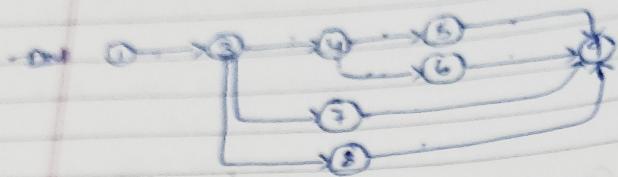
Cyclomatic Complexity metric is a measure of structural complexity of a program. The reason for this is it is computed based on the code structure.

It can also be told as measure of the maximum number of basis paths. Thus it indicates the minimum number of test cases required to achieve path coverage.

2) Consider the following program segment:

1. int find-maximum (int i, int j, int k)
2. {
3.     int max
4.     if ( $i > j$ ) then
5.         if ( $i < k$ ) then     max =  $i$ ;
6.         else     max =  $k$ ;
7.         elseif ( $j > k$ )     max =  $j$ ;
8.         else     max =  $k$
9.     return (max);
10. }

a) Draw the control flow graph for the program segment.



b) Determine the cyclomatic complexity for this program (show the intermediate steps of your computation).

Given Cyclomatic Complexity  $V(G) = E - N + 2$

$$E = \text{Number of Edges} = 10$$

$$N = \text{Number of Nodes} = 8$$

$$V(G) = 10 - 8 + 2$$

$$\boxed{V(G) = 4}$$

c) How is the cyclomatic complexity metric useful?

→ Cyclomatic Complexity metric is useful in

- a) estimation of structural complexity of code
- b) estimation of effort
- c) estimation of program readability.

3) Write a program to determine whether a number is even or odd.

Draw the program graph and DD path graph. Find the independent paths.

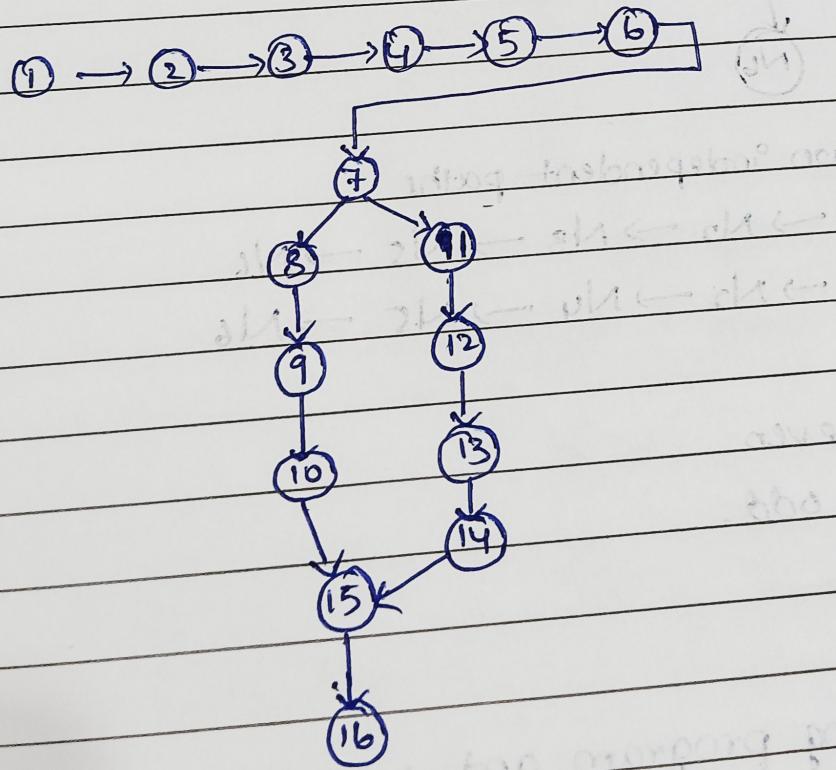
```

classmate
Date _____
Name _____

Ans > void main()
2. {
3. int num;
4. clrscr();
5. cout << "Enter number";
6. cin >> num;
7. if (num % 2 == 0)
8. {
9. cout << "Number is even";
10. }
11. else
12. {
13. cout << "Number is odd";
14. }
15. getch();
16. }

```

### Program graph



DD path graph

Program graph nodes

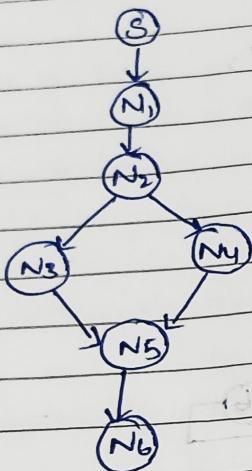
1  
2-6  
7  
8-10  
11-14  
15  
16

DD path Node

S  
N<sub>1</sub>  
N<sub>2</sub>  
N<sub>3</sub>  
N<sub>4</sub>  
N<sub>5</sub>  
D

Comments

Source Node  
Sequential Node  
decision Node  
Sequential Nodes  
Sequential nodes  
Junction node  
Destination node



Here there are two independent paths

path-1    S → N<sub>1</sub> → N<sub>2</sub> → N<sub>3</sub> → N<sub>5</sub> → N<sub>6</sub>

path-2    S → N<sub>1</sub> → N<sub>2</sub> → N<sub>4</sub> → N<sub>5</sub> → N<sub>6</sub>

path-1 if num is even

path-2 if num is odd.

④

- 4) Consider the following program and draw the program path graph and DD path graph. Also find out cyclomatic complexity and independent paths.

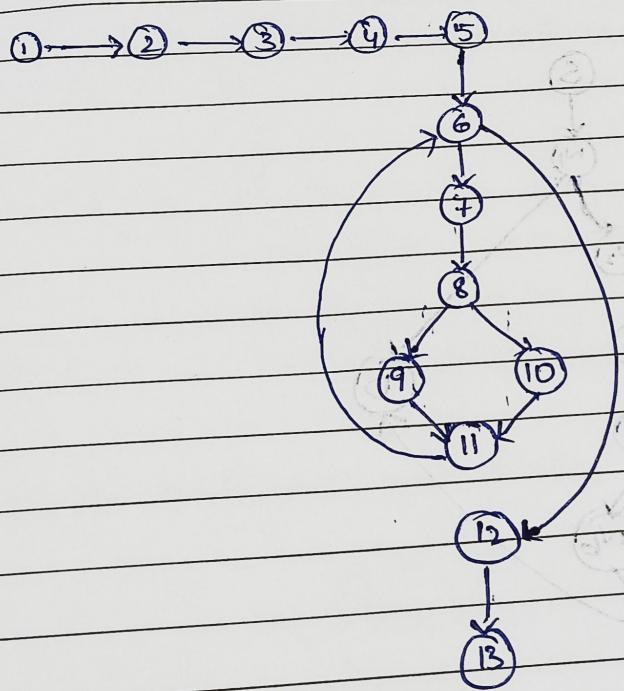
1. void main()  
2. {  
3. int x;  
4. scanf("%d", &x);  
5. if(x % 2 == 0)  
6. while(1){  
7. if(x % 5 == 0)  
8. {  
9. printf("Even number");  
10. }  
11. else  
12. {  
13. printf("Odd number");  
14. }  
15. }  
16. }

```

1. void main()
2. {
3. int x, y;
4. scanf ("%d\n", &x);
5. scanf ("%d\n", &y);
6. while (x != y)
7. {
8. if (x > y)
9. x = x - y;
10. else
11. y = y - x;
12. printf ("x = %d\n", x);
13. }
}

```

### Any Program - Path graph



Cyclomatic Complexity  $V(G) = E - N + 2$

$$E = 14, \quad N = 13$$

$$V(G) = 14 - 13 + 2$$

$$|V(G)| = 3$$

DD path graph

Program-graph nodes

- 1
- 2-5
- 6
- 7
- 8
- 9
- 10
- 11
- 12
- 12-13

DD path Nodes

S

N<sub>1</sub>

N<sub>2</sub>

N<sub>3</sub>

N<sub>4</sub>

N<sub>5</sub>

N<sub>6</sub>

N<sub>7</sub>

D

Comments

Source node

Sequential node

Decision node

Sequential node

Decision node

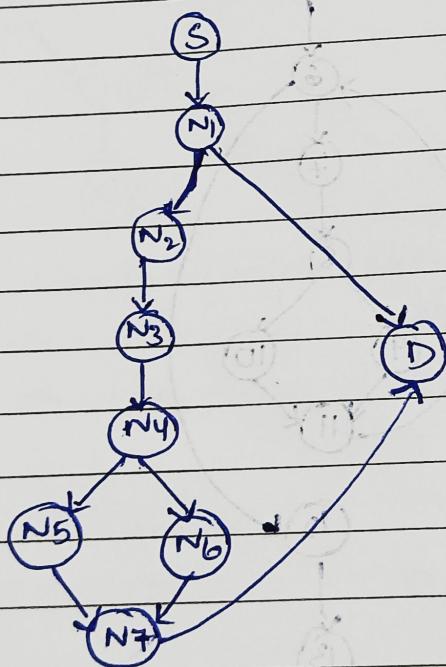
Sequential node

Sequential node

Junction node

Sequential node

Decision node.



Independent paths

There were total of 3 independent paths in the DD path graph.

path-1:  $S \rightarrow N_1 \rightarrow N_2 \rightarrow N_3 \rightarrow N_5 \rightarrow N_7 \rightarrow D$

path-2:  $S \rightarrow N_1 \rightarrow N_2 \rightarrow N_3 \rightarrow N_4 \rightarrow N_6 \rightarrow N_7 \rightarrow D$

path-3:  $S \rightarrow N_1 \rightarrow D$

5) what is the value of the McCabe's cyclomatic Complexity metric for the following code segment?

```
1. int partition (int arr[], int l, int h) {
2. int x = arr[h], i = (l-1), t;
3. for (int j=l; j<=h-1; j++) {
4. if (arr[j] <= x) {
5. i++;
6. t = &arr[i]; &arr[i] = &arr[j]; &arr[j] = t;
7. }
8. }
9. t = &arr[i+1]; &arr[i+1] = &arr[h]; &arr[h] = t;
10. }
```

Identifying Decision points.

1.  $\text{for } (\text{int } j=1; j \leq h-1; j++)$

2.  $\text{if } (\text{arr}[j] <= x)$

These two are decision points.

McCabe's cyclomatic Complexity =  $D + 1$

$$= 2 + 1 = 3$$

$$\boxed{TCC = 3}$$

6) what would be the cyclomatic Complexity of the following program?

int find\_maximum(int i, int j, int k) {

    int max;

    if (i > j) then

        if (i > k) then max = i;

        else max = k;

    else if (j > k) max = j;

    else max = k;

    return (max)

}

Ans Identifying Decision points

There are total 8 decision points in the program.

1. if ( $i > j$ )

2. if ( $i > k$ )

3. else if ( $j > k$ )

So  $D = 3$

$CC = D + 1$

$CC = 3 + 1$

$CC = 4$

7) what is the cyclomatic complexity of the following C program?

Segment

int month;

switch (month)

{

    Case 1 : name = "January"; break;

    Case 2 : name = "February"; break;

    Case 3 : name = "March"; break;

    Case 4 : name = "April"; break;

    Case 5 : name = "May"; break;

    Case 6 : name = "June"; break;

case 7 : name = "July"; break;  
case 8 : name = "August"; break;  
case 9 : name = "September"; break;  
case 10 : name = "October"; break;  
case 11 : name = "November"; break;  
case 12 : name = "December"; break;  
default : name = "Invalid month"; break;

y

#### \* Identifying decision points

The whole switch statement is considered as single decision point

so D=1, it has 13 branches.

CC = D + 1

CC = 1 + 1

**CC = 2**

- 8) Consider the following C function named bin-search :

/\* num is the number the function searches in a presorted integer array arr \*/

int bin\_search (int num) {

int min, max;

min = 0;

max = 100;

while (min != max) {

if (arr[(min+max)/2] > num)

max = (min+max)/2;

else if (arr[(min+max)/2] < num)

min = (min+max)/2;

else return ((min+max)/2);

y

return (-1);

y

Design a test suite for the function bin-search that satisfies the following white-box testing strategies (show the intermediate steps in deriving the test cases):

- Statement Coverage
- Branch Coverage
- Condition Coverage
- Path Coverage

Any Statement Coverage  
It ensures that every executable statement in the program is executed atleast once.

Test-cases for Statement Coverage:

Test case-1 : The element is found in the array (this ensures the return statement inside loop is executed)

Test case-2 : The element is not found in the array (this ensures the return (-1) statement is executed)

Ex:-

Test case-1 : num = 49

Test case-2 : num = 102

Branch Coverage

It ensures that every Branch of conditional statements is executed atleast once.

Test-cases

case-1 : The condition  $\text{if } (\text{arr}[(\text{min}+\text{max})/2] > \text{num})$  is true.

case-2 : The condition  $\text{if } (\text{arr}[(\text{min}+\text{max})/2] < \text{num})$  is true

case-3 The else condition is true

Ex:- arr = [1, - - 100]

case-1 : num = 20       $\text{arr}[50] > 20$  (presorted array)

case-2 : num = 80       $\text{arr}[50] < 80$

case-3 : num = 50       $\text{arr}[50] = 50$

### Conditional Coverage

It ensures that each condition in Conditional Statement takes on all possible outcomes.

#### Test-cases

case-1 :  $\text{arr}[(\text{min}+\text{max})/2] > \text{num}$  is true

case-2 :  $\text{arr}[(\text{min}+\text{max})/2] > \text{num}$  is false

case-3 :  $\text{arr}[(\text{min}+\text{max})/2] < \text{num}$  is true

case-4 :  $\text{arr}[(\text{min}+\text{max})/2] < \text{num}$  is false

#### Ex

case-1 : num=20

case-2 : num=80

case-3 : num=50

### Path Coverage

It ensures all possible paths in the program are executed.

#### Test-cases

Case-1 : First if condition is true

Case-2 : The next else if Condition is true

Case-3 : The number is found (else statement is executed)

Case-4 : The array only has one element and ( $\text{min} == \text{max}$ )

#### Ex

case-1 : num=25

case-2 : num=75

case-3 : num=50

case-4 : Array has only one element (50) num=50

Q) Consider the following C function named Sort

/\* Sort takes an \* integer array and sorts it in ascending order \*/

```

void sort (int a[], int n) {
 int i, j;
 for (i=0; i<n-1; i++)
 for (j=i+1; j<n; j++)
 if (a[i] > a[j]) {
 int temp = a[i];
 a[i] = a[j];
 a[j] = temp;
 }
}

```

y

- a) Determine the cyclomatic complexity of the sort function
- b) Design a test-suite for the function sort that satisfies the following white box testing strategies.
- i) Statement Coverage
  - ii) Branch Coverage
  - iii) Condition Coverage
  - iv) Path Coverage

Ans a)  $CC = D + 1$

Identifying decision points:

1.  $\text{for } (i=0; i < n-1; i++)$
2.  $\text{for } (j=i+1; j < n; j++)$
3.  $\text{if } (a[i] > a[j])$

So  $D = 3$

$$CC = D + 1$$

$$\boxed{CC = 4}$$

### 5) Statement Coverage:

It ensures that every executable statement in the program is executed atleast once.

### Test-Cases

case-1: Array with more than one element in unsorted order  
So if statement executes and swap occurs.

Ex: [5, 2, 1]

case-2: Array already in sorted order so that no swap occurs.

Ex: [1, 2, 3, 4]

### Branch Coverage

It ensures that both true and false of each decision point are executed at least once.

### Test-Cases

case-1: An unsorted array [5, 2, 1] ensures the if Condition is true and loop continues ( $i < n-1$  and gen both true)

case-2: Already sorted array [1, 2, 3, 4] ensures the if Condition is false and no swap occurs and test false branches.

case-3: A single element array [1] so ( $i < n-1$ ) being false immediately.

### Condition Coverage

It ensures each condition in a decision is tested for both true and false outcomes independently.

### Test-Cases

case-1: An unsorted array [5, 2, 1] test the true Condition  $a[i] > a[j]$

case-2: A sorted array [1, 2, 3, 4] test the false Condition  $a[i] > a[j]$

case-3: An array with two equal elements [1, 1] test the false Condition  $a[i] > a[j]$

case-4: A single element array like [1] ensures that the for loop doesn't iterate.

### Path Coverage

It ensures that all possible paths of programs are executed at least once.

#### Test-Cases

case-1: An unsorted array: [5, 2, 1] ensures the if condition is true and swap occurs (path-1 followed)

case-2: A sorted array [1, 2, 3, 4] ensures the if condition is false (path-2)

case-3: A single element array [1] ensures the for loop is not entered (path-3)

case-4: An empty array (path-4).