

# Machine Translation

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Phrase-based Translation

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BLEU

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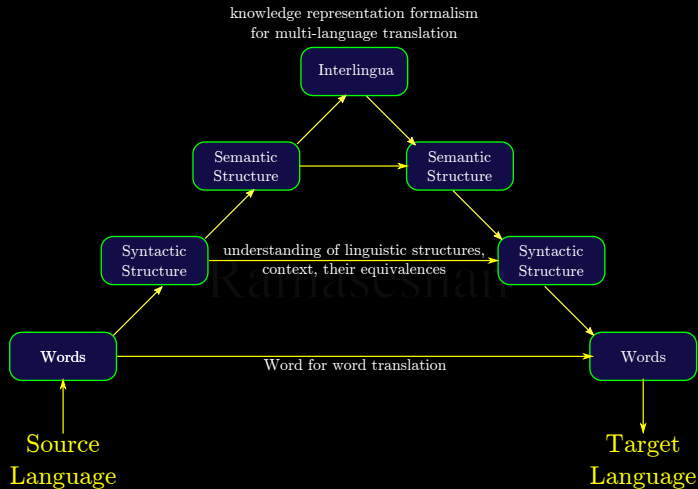
Combining n-gram precisions

Demo

Other Metrics

When I look at an article in Russian, I say "This is really written in English, but it has been coded in some strange symbols. I will now proceed to decode." (Warren Weaver, 1947)

# VAUQUOIS DIAGRAM - VARIOUS APPROACHES TO MT



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<sup>1</sup>Vauquois, B. (1968). "A survey of formal grammars and algorithms for recognition and transformation in machine translation," in Proceedings of IFIP Congress-6, pp. 254-260.

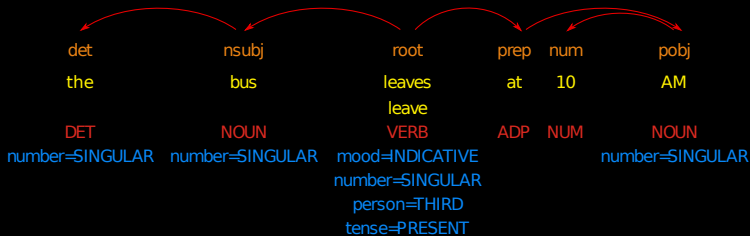
## WORD2WORD OR LITERAL TRANSLATION

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Every word from the source language is converted into the target language, one word at a time without considering the whole sentence as context

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# SYNTACTIC TRANSLATION



1. The source sentence is parsed to create a syntax tree
2. The nodes of the source tree is mapped to the nodes the similar syntax tree created for the target language -

$(subject)_s \rightarrow (subject)_t$

$(noun)_s \rightarrow (noun)_t$

$(det)_s \rightarrow (det)_t$

$(adj)_s \rightarrow (adj)_t$

3. Generate the sentence in the target language sentence from the parse tree

# SEMANTICS-BASED TRANSLATION

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- ▶ The meaning of the source sentence is obtained
- ▶ Using the semantics derived from the source sentence, the target sentence is generated

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- ▶ A meta-language format for representing knowledge independent of any language
- ▶ Instead of Translation systems for all possible pairs of languages, one representation would be used to generate translations
- ▶  $O(n^2) \rightarrow O(n)$
- ▶ Difficult to design efficient and comprehensive knowledge representation formalisms and due to the large amount of ambiguity

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- ▶ The idea of *the ability to make anyone speak to anyone without the boundary of languages* is the most appealing idea
- ▶ The goal of the automatic translation is to produce error-free translation
  - ▶ Preserve the meaning of the source language
- ▶ AMT is a hard problem
- ▶ Parallel corpora aid in the development of AMT

► Translation by analogy: Example based machine translation (EBMT) (lazy learning)

This is my house - Hii ni nyumba yangu

My dog loves to run - Mbwa wangu anapenda kukimbia

I run with my dog - Mimi kukimbia na mbwa wangu

My house is blue in color - Nyumba yangu ni rangi ya bluu

This is my dog -

- ▶ Translation by analogy: Example based machine translation (EBMT) (lazy learning)

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- ▶ Learn MT models from data: Statistical Machine Learning

- ▶ Translation models with language-specific parameters

- ▶ Train model parameters & apply to unseen data

Translations are generated using parameters and models which are derived from the analysis of bilingual text corpora.

- ▶ Every French string,  $f$ , is a possible translation of  $e$ . We assign to every pair of strings  $\{e, f\}$  a number  $P(f|e)$ , which we interpret as the probability that a translator, when presented with  $e$ , will produce  $f$  as his translation
- ▶ Given a French string  $f$ , the job of our translation system [Brown:1993:MSM:972470.972474] is to find the string  $e$  that the native speaker had in mind when he produced  $f$

F	E
comment allez-vous?	How are you? How do you do? How are you doing?
Comment ça va ? Vous allez bien? Ça va ?	

Let us assume that the task is to translate a French sentence  $f$  with a sequence  $(f_1, f_2, f_3, \dots, f_m)$  of length  $m$  and  $f_j$  for  $j \in (1, 2, 3, \dots, m)$  is the  $j^{th}$  word.

The translated English sentence will be assumed to have the sequence  $(e_1, e_2, e_3, \dots, e_n)$  and  $n$  is the length of the English sentence.

Let us assume that the corpus consists of the pair of source and translated sentences,  $(f^k \text{ and } e^k)$ .

$f^k = (f_1^k, f_2^k, \dots, f_m^k)$  where  $f_j^k$  is the  $j^{th}$  word in the  $k^{th}$  French sentence of length  $m$

$e^k = (e_1^k, e_2^k, \dots, e_n^k)$  where  $e_j^k$  is the  $j^{th}$  word in the  $k^{th}$  English sentence of length  $n$

The parallel corpora are available from Canadian parliamentary proceedings (the *Hansards*) and from Europarl data. Europarl data consists of proceedings from the European parliament, and consists of translations between several European languages

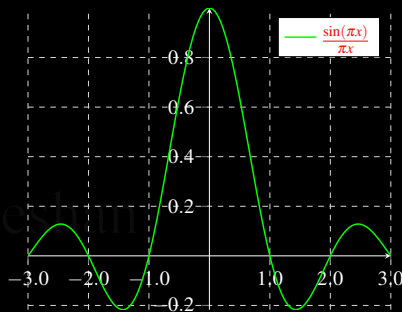
A parallel corpora is a collection of corpus that contains a collection of original text and its translation in various languages. In most cases, parallel corpora contain data from two languages.

English	French
Resumption of the session	Reprise de la session
I declare resumed the session of the European Parliament adjourned on Friday 17 December 1999, and I would like once again to wish you a happy new year in the hope that you enjoyed a pleasant festive period.	Je déclare reprise la session du Parlement européen qui avait été interrompue le vendredi 17 décembre dernier et je vous renouvelle tous mes vœux en espérant que vous avez passé de bonnes vacances.
You have requested a debate on this subject in the course of the next few days, during this part-session	Vous avez souhaité un débat à ce sujet dans les prochains jours, au cours de cette période de session.

The *arguments of the maxima* function  $f$  is defined for a set  $D$  as

$$\arg \max_{x \in D} f(x) = x | f(x) \geq f(y), \forall y \in D$$

In other words, the argmax are the points of the domain of some function at which the function values are maximized



The argmax of the function  $\frac{\sin(\pi x)}{\pi x}$  is 0 as the function has the global maximum value of 1

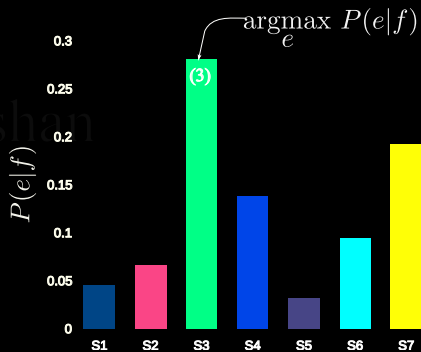


Given a French sentence  $f$ , find the most likely English sentence  $e$  that maximizes  $P(e|f)$ . The *arguments of the maxima* function  $f$  is defined as,

$$\operatorname{argmax}_e P(e|f) \quad (1)$$

The English sentence  $e$ , out of all such sentences, which yields the highest value for  $P(e|f)$ . It is possible to have more than one translation for a given sentence. In such cases, *argmax* finds one English

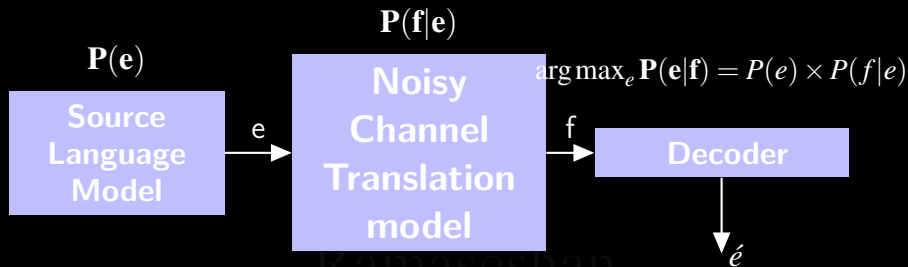
sentence  $e$  that yields the highest value for  $P(e|f)$ .



# THE NOISY CHANNEL MODEL

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The noisy channel model. The Language Model generates an English sentence  $e$ . The Translation Model transmits  $e$  as the French sentence  $f$ . The decoder finds the English sentence  $\hat{e}$  which is most likely to have given rise to  $f$  [**Manning1999**].  $P(e)$  is the distribution over which sentences are likely in English and  $P(f|e)$  is the translation model that indicates the likelihood seeing the French sentence  $f$  as a translation of  $e$

Many bilinguals, whose mother tongue is not English, may think of the sentence they want to speak in their mother tongue first and then speak out the translated version in

## BAYES' RULE FOR MT

By applying Bayes' Theorem, the translation problem is broken down into two smaller problems. Assume that we have a French sentence  $f$  and we would like to translate into an English sentence  $e$ .

From the probabilistic perspective, we want to find the English sentence  $e$  that has maximal probability given the French sentence  $f$ . Using Bayes rule we can write this problem as

$$P(e|f) = \frac{P(f|e)P(e)}{P(f)}$$

We can find the English sentence using **the *argmax***

$$\begin{aligned}\arg\max_e &= \arg\max_e P(e|f) \\ &= \arg\max_e \frac{P(f|e)P(e)}{P(f)}\end{aligned}$$

$$\hat{e} = \arg\max_e P(f|e)P(e)$$

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$P(f|e)$  – the translation model and

$P(e)$  – the English Language Model

The problem is reduced to modeling these 2 distributions

Now we have to estimate the parameters of the  $P(f|e)$  from the training examples  $(f^k, e^k)$  for  $k = 1 \dots n$

$$P(w_2|w_1) = \frac{f(w_1, w_2)}{f(w_1)}$$

$f(w_1, w_2)$  is the number of times  $w_2$   
appeared after  $w_1$

$$P(w_3|w_1, w_2) = \frac{f(w_1, w_2, w_3)}{f(w_1, w_2)}$$

$f(w_1, w_2, w_3)$  is the number of times  $w_3$   
appeared after  $w_1$  and  $w_2$

- ▶ Newer ways of forming a sentence is common.
- ▶ It is possible that a trained model will see a new n-gram
- ▶ These new n-grams results in  $P(x|y) = 0$
- ▶  $P(x|y) = 0$  will propagate through and produce a zero probability for the entire sentence
- ▶ Smaller probabilities too create a very small value

To avoid  $P(x|y) = 0$ , linear interpolation is used.

$$P(w_3|w_2, w_1) = \lambda_1 P(w_3|w_2, w_1) + \lambda_2 P(w_2|w_1) + \lambda_3 P(w_1) + \lambda_4$$

$$\text{where } \lambda_1(0.95) + \lambda_2(0.04) + \lambda_3(0.008) + \lambda_4(0.002) = 1$$

For new words and n-grams,  $P(x|y)$  will always have a small value

I want to eat Chinese food. I want English food. I want to eat english food

$$P_1(\text{english}|\text{want}) = 0.0011$$

$$P_2(\text{chinese}|\text{want}) = 0.0065$$

$$P_3(\text{to}|\text{want}) = 0.66$$

$$P_4(\text{eat}|\text{to}) = 0.28$$

$$P_4(\text{order}|\text{to}) = 0.18$$

$$P_5(\text{want}|I) = 0.32$$

$$P_6(\text{food}|\text{english}) = 0.015$$

$$P_7(\text{food}|\text{chinese}) = 0.15$$

$$P_8(\text{chinese}|\text{eat}) = 0.34$$

$$P_{10}(\text{english}|\text{eat}) = 0.001$$

$$P_{11}(i|<s>) = 0.25$$

$$P_{12}(</s>|\text{food}) = 0.12$$

I want \_\_\_\_\_ food

I want to \_\_\_\_\_ food.

To avoid underflow values of multiplication to find  $P(e)$ , one can use  $\log$   
 $\log(P_1 * P_2 * P_3 * P_4 \dots P_n) = \log(P_1) + \log(P_2) + \log(P_3) + \log(P_4) \dots \log(P_n)$

Can we apply Bayes rule for evaluation of the model? A model can be evaluated based on the test data

$$P(model|testing\ data\ set) = \frac{P(model)P(testing\ data\ set|model)}{P(testing\ data\ set)} \quad (2)$$

- ▶ A better model is one which assigns a higher probability to the word that actually occurs
- ▶ The best model is the one that optimizes the  $P(model)P(testing\ data\ set|model)$
- ▶ A model that outputs zero probability for any unknown sentence will be discarded



- ▶ The tiny numbers of  $P(e)$  may underflow any floating point scheme.
- ▶ An n-gram model will assign a very tiny  $P(e)$  for long sequences.
- ▶ Many n-gram conditional probabilities may also be a very small value
- ▶ The product for  $P(e)$  will be tiny

To compare models,  $\mathbb{P} = 2^{-\log_2(P(e))/|V|}$  is computed.  $|V|$  is the number of words in the test data.  $\mathbb{P}$  is known as the perplexity score.

$$\mathbb{P} \propto \frac{1}{P(e)}$$

A good model will have a relatively small perplexity score. The lower the perplexity, the better the model is.

$P(f|e)$  is the chance that upon seeing  $e$ , a translator will produce  $f$ .

$$P(f|e) = \frac{\text{Count of } (f,e)}{\text{Count of } (e)}$$

In simple terms, translating from French to English is to identify the bag of words in English and later form syntactically correct sentences.

In this model, there is no need to use any French to English translated corpus to train the language model.

**Is this correct and will it work?**

The	book	is	on	the	table
Le	livre	est	sur	la	table

$$P(\text{french}|\text{english})$$

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Le	livre	est	sur	la	table
The	book	is	on	the	table

$$P(\text{English}|\text{French})$$

## HOW CAN WE TRANSLATE?

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- ▶ What steps do we take to translate a language?
- ▶ As non-native speakers, how do we frame English sentences?
- ▶ Do we have a BoW for English, before writing any English sentences?
- ▶ Do we assemble word-for-word translation in mind before writing any English sentences?
- ▶ Do we assemble BoW in both languages before writing?
- ▶ Can it be thought of string rewriting?
- ▶ Identify a corresponding word in the other language and use its language model to build the sentence?

## TRANSLATION MODEL WITH A FIXED LENGTH OF FRENCH SENTENCE

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By fixing the size of the French sentence to  $m$  words, we will assume that there is some distribution  $P(m|n)$  that models the conditional distribution of French sentence length  $m$  conditioned on the English sentence length  $n$ . We could also choose a set of words  $(f_1, f_2, f_3, \dots, f_m)$

Now, we can write – the conditional probability of the French sentence is conditioned on the English words of length  $n$  and the French sentence of length  $m$ .

$$P(f_1, f_2, f_3, \dots, f_m | e_1, e_2, e_3, \dots, e_n, m) \quad (3)$$

Is it easy or hard to estimate the distribution of equation (3)?

It is hard to estimate  $P(f|e,m)$  directly.  
Let us introduce the concept of  
alignment variables

- ▶ Consider a seed word in English that starts the translation process
- ▶ Assume this seed word,  $a_j$ , as the alignment word at the position  $j^{th}$  in the English sentence
- ▶ The alignment  $a$  is  $\{a_1, a_2, a_3, \dots, a_m\}$ , where  $a_j \in \{0, n\}$
- ▶ The possible alignments are  $(n+1)^m$
- ▶ The idea is to find the most likely alignment

Alignment probability depends on positions of the words, and position relative to neighbors. The likelihood of an alignment depends on how many words align to a certain position

Automatic alignment is the backbone of SMT

# BIJECTIVE ALIGNMENT

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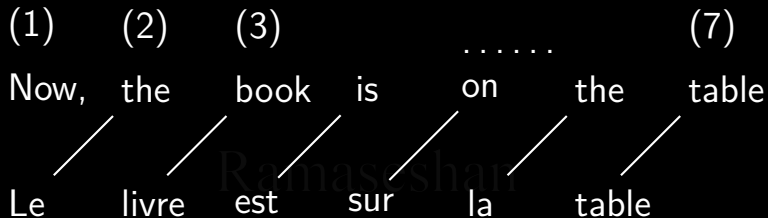
- ▶ Every word in each text is coupled to exactly one word in the other text.
- ▶ No word remains uncoupled or left out





## ALIGNMENT - EXAMPLE 1

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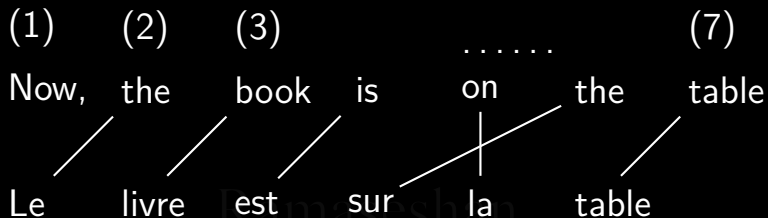


$n = 7$  and  $m = 6$

The alignment  $(a_1, a_2, a_3, a_4, a_5, a_6) = \{2, 3, 4, 5, 6, 7\}$

## ALIGNMENT - EXAMPLE 2

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$n = 7$  and  $m = 6$

The alignment  $(a_1, a_2, a_3, a_4, a_5, a_6) = \{2, 3, 4, 6, 5, 7\}$

The index of the alignment refers to the location of the French word and the value refers to the location of the English word





# ALIGNMENT - ANOTHER REPRESENTATION

	the	book	is	on	the	table
le						
livre						
est						
sur						
la						
table						

One-to-one translation

	le	reste	appartement	aux	autochtones
the					
balance					
was					
the					
territory					
of					
the					
aboriginal					
people					

	and	the	program	has	been	implemented
le						
programme						
a						
ete						
mis						
en						
application						

One-to-Many translation

Some examples are from the paper "The Mathematics of Statistical Machine Translation: Parameter Estimation"

<https://www.aclweb.org/anthology/J93-2003>

- ▶ Insertion - A NULL token is inserted if the target language does not have the equivalent source language word
- ▶ One2Many - A source word may translate into more than one target word
- ▶ Many2One - Many source words translate into one target word

## SAMPLE TABLE FOR TRANSLATION PROBABILITY

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$e$  = Now the book is on the table

$f$  = Le livre est sur la table

	Now	the	book	is	on	the	table
Le	0.006	<b>0.47</b>	0.341	0.018	0.128	0.023	0.014
livre	0.108	0.076	<b>0.416</b>	0.046	0.048	0.241	0.065
est	0.194	0.101	0.03	<b>0.421</b>	0.15	0.057	0.047
sur	0.035	0.116	0.075	0.197	<b>0.434</b>	0.121	0.022
la	0.244	0.023	0.289	0.013	0.159	<b>0.289</b>	0.242
table	0.108	0.136	0.099	0.035	0.136	0.05	<b>0.436</b>

$$t(le|the) > t(le|on) > \dots > t(le|book) > t(le|now)$$

The parameter,  $t(f|e)$ , is the conditional probability of generating a French word  $f$  from an English word  $e$ .

IBM models are statistical machine translation models. They learn the model parameters by using bilingual corpus. They were part of many SMT systems for more than 20 years

- ▶ Lexical translation model (word2word)
- ▶ Alignment decisions are independent
- ▶ All alignments are equally likely
- ▶ The length of the source language sentence is fixed,  $m$
- ▶ More than one source language word,  $(f_j)$ , can be aligned to a single target language word  $(e_{a_j})$



# IBM MODEL 1 - TRANSLATION PROBABILITY

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English sentence -  $e_1, e_2, e_3, \dots, e_n$

French Sentence -  $f_1, f_2, f_3, \dots, f_m$

$a = \{a_1, a_2, a_3, \dots, a_m\}$  - alignment indicates that from which English word each French word originated from - each alignment,  $a_j \in [0, m]$ . Estimate the translation probability

$$P(f, a | e, m) = P(a | e, m) \times P(f | a, e, m) \quad (4)$$

where  $P(a | e, m)$  is the probability distribution of possible alignments

$$\begin{aligned} P(f | e, m) &= \sum_{a \in A} P(f, a | e, m) \\ &= \sum_{a \in A} P(a | e, m) \times P(f | a, e, m) \end{aligned} \quad (5)$$

1. Find the alignment -  $P(a|e, m) = \frac{1}{(1+n)^m}$
2. Find the French word alignment probability, given the alignment variable, English word and fixed length of French Sentence  $P(f|a, e, m) = \prod_{j=1}^m t(f_j|e_{a_j})$
3. Find the most probable alignment variables for every pair of  $e$  and  $f$  using,

$$P(f, a|e, m) = P(a|e, m) \times P(f|a, e, m) \quad (6)$$

$$= \frac{1}{(1+n)^m} \times \prod_{j=1}^m t(f_j|e_{a_j}) \quad (7)$$

$$t(f_j|e_{a_j}) = \frac{C(f_j, e_{a_j})}{\sum_{a \in A} C(f_j, e_{a_j})} \quad (8)$$

$n = 7$  and  $m = 6$

$e = \text{Now the book is on the table}$

$f = \text{Le livre est sur la table}$

$a = \{2, 3, 4, 5, 6, 7\}$

$$\begin{aligned} P(f|a, e, m) &= t(\text{Le}|\text{the}) \times t(\text{livre}|\text{book}) \\ &\quad \times t(\text{est}|\text{is}) \times t(\text{sur}|\text{on}) \times t(\text{la}|\text{the}) \\ &\quad \times t(\text{table}|\text{table}) \end{aligned}$$

$$t(\text{le}|\text{the}) = \frac{\text{Count}(\text{the}, \text{Le})}{\text{Count}(\text{the})} \dots$$

$$P(f, a|e, 6) = \frac{1}{(1+7)^6} \times P(f|a, e, 6)$$

- ▶ If the alignments are known, then it is possible to estimate the translation probabilities by counting the aligned words
- ▶ If the translation probabilities are known, then it is possible to estimate the alignments
- ▶ We do not know both - Incomplete data
- ▶ Hence an iterative approach with refinement of these values over time is used

If we had complete data, would could estimate model

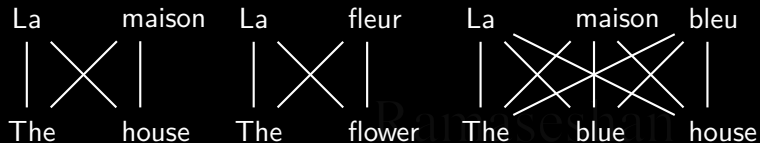
if we had the model, we could fill in the missing information

To solve this incomplete problem, we use ***Expectation maximization*** algorithm

1. Initialize model parameters (equally likely)
2. Assign probabilities to the missing data
3. Estimate model parameters from completed data
4. Iterate steps 2-3 until convergence

## EXPECTATION MAXIMIZATION - INITIAL STEP

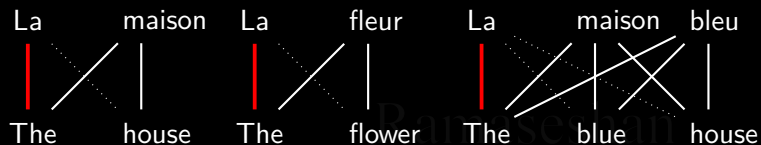
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Initialize the alignments - equally likely

# EXPECTATION MAXIMIZATION - ITERATION 1

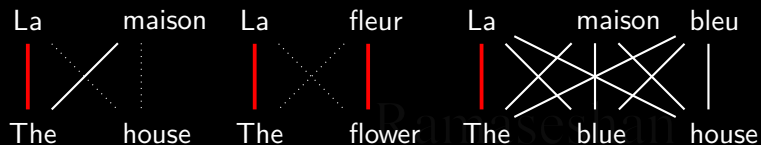
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The alignment between **La** and **The** is more likely

## EXPECTATION MAXIMIZATION - ITERATION 2

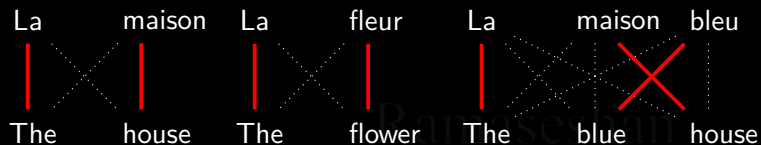
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The alignment between **fleur** and **flower** is more likely

# EXPECTATION MAXIMIZATION - ITERATION N

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The alignments after convergence



The conditional probability  $P(f, a|e, m)$  will be taken for redefinition

IBM Model 2 = IBM Model 1 + distortion parameter

A new parameter, distortion parameter,  $q(j|i, n, m)$  is introduced in the computation of  $P(a|e, m)$ .

$q(j|i, n, m)$  is the probability of alignment variable  $a_i$  taking the value  $j$ , conditioned on the lengths  $n$  and  $m$  of the English and French sentences, respectively

and

$i \in \{1, m\}$  and  $j \in \{0, m\}$

Two parameters of the alignment model are defined as

1. The conditional probability of generating a French word  $f_j$ , given the English word,  $e_j - t(f_j|e_i)$ , where  $n$  and  $m$  are the lengths of the English and French sentences, respectively
2.  $q(j|i,n,m)$  is the probability of alignment variable  $a_i$  taking the value  $j$ , conditioned on the lengths  $n$  and  $m$  of the English and French sentences, respectively.

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$$P(a|e,m) = \prod_{j=1}^m q(a_j|j,n,m), \text{ where } a = \{a_1, a_2, a_3, \dots, a_m\}$$

$$\therefore P(f,a|e,m) = \prod_{j=1}^m q(a_j|j,n,m)t(f_j|e_{a_j})$$

$$\tilde{e} = \arg \max_{e \in E} = P(e) \times P(a|e,m) \times P(f,a|e,m)$$

$n = 7$  and  $m = 6$

$e$  = Now the book is on the table

$f$  = Le livre est sur la table

$a = \{2, 3, 4, 5, 6, 7\}$

$$P(a|e, m) = q(2|1, 7, 6)$$

$$\times q(3|2, 7, 6)$$

$$\times q(4|3, 7, 6)$$

$$\times q(5|4, 7, 6)$$

$$\times q(6|5, 7, 6)$$

$$\times q(7|6, 7, 6)$$

$$P(f|a, e, m) = P(Le|the)$$

$$\times t(livre|book)$$

$$\times t(est|is)$$

$$\times t(sur|on)$$

$$\times t(la|the)$$

$$\times t(table|table)$$

$$P(le|the) = \frac{\text{Count}(the, Le)}{\text{Count}(the)} \dots$$

$$P(f, a|e, 6) = P(a|e, 6) \times P(f|a, e, m)$$

If we know the parameters  $q$  and  $t$ , it is easy to find the most probable alignment sequence  $a$  for any pair of French and English sentences.

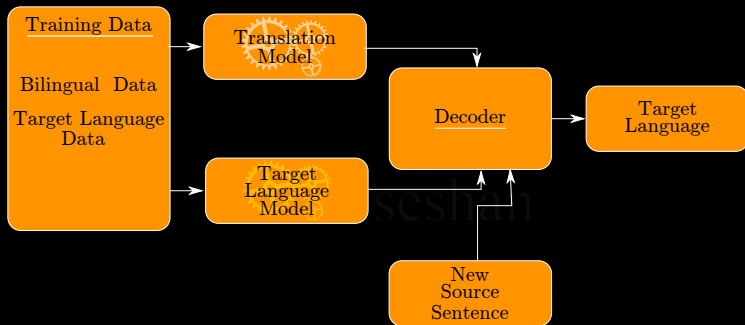
Ramaseshan

$$a_j = \arg \max_{e \in E} q(a|j, l, m) \times t(f_j|e_a), \quad \text{for } j = 1..m$$

There other models that improve the translation probability. These model are no longer used, but they are used in state of the art NMT models

- ▶ To estimate the lexical probability  $t(f|e)$
- ▶ To derive alignments

## Statistical Machine Translation



The translation model represents the probable word translations. The language model encodes the generative model that computes the sentence confidence in terms of probability. The decoder searches for the most likely target word sequence from a large amount of hypotheses using these two models

le	livre	est	sur	la	table
the	book	been	about	the	table
it	pound	have	over	it	desk
	ledger	belong	out		tableware
	volume	eastern	of		table-top
	novel	eastward	after		booth
	textbook	easterly	on		bench
	0.07781586	is	to		chart
	0.19699646	was	in		desktop
	0.05338291	has	of		panel
	0.27595864	are	at		board
	0.2202764		for		
	0.17556973		with		

$e$	$t(f e)$	$e$	$t(f e)$	$e$	$t(f e)$	$e$	$t(f e)$
book	0.1167	been	0.0297	about	0.0213	table	0.2213
pound	0.0204	have	0.0989	have	0.0091	desk	0.1091
ledger	0.0214	is	0.1739	over	0.1025	booth	0.0105
novel	0.1063	was	0.1063	on	0.1563	bench	0.1563
textbook	0.1237	has	0.0447	in	0.1694	board	0.0013

$$t(le|the) = \frac{\text{Count}(the, Le)}{\text{Count}(the)} \dots$$

$$\begin{aligned}
 P(f|a, e) &= t(le|the) \times t(livre|book) \times t(est|is) \times t(sur|on) \\
 &\quad \times t(la|the) \times t(table|table) \\
 &= \frac{\epsilon}{7^7} \times 0.3 \times 0.1237 \times 0.1739 \times 0.1563 \times 0.26 \times 0.2213 \\
 &= 7.0472227e - 11
 \end{aligned}$$



### What next?

A phrase-based translation system can consider inputs and outputs in terms of sequences of phrases and can handle more complex syntaxes than word-based systems. However, long-term dependencies are still difficult to capture in phrase-based systems



- ▶ Uses Noisy-channel model
- ▶ Uses phrase (contiguous subsequence of a sentence or a span of tokens) as the atomic unit - not to be confused with the Linguistic phrases
- ▶ Four stages
  1. Use IBM model to align words
  2. Phrase-to-Phrase alignments
  3. Extraction of phrases
  4. Construct phrase probability table

Let  $e$  be the target language and  $f$  be the foreign language. Let  $e_i$  be the  $i^{th}$  word and  $f_j$  be the  $j^{th}$  word for  $e, f$ , respectively

$$\hat{e} = \arg \max_{e \in E} P(e) t(f|e) \quad (9)$$

$\arg \max$  is a search operation to predict the English sentence with the highest probability

## ADVANTAGES OVER WORD2WORD TRANSLATION

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- ▶ Many to many translation possible - can handle non-compositional phrases and idioms
- ▶ Use of local context - using nearest neighbors
- ▶ The number words in the phrase may dictate the correct word order
- ▶ If the learned phrases are longer, the whole sentence is translated

# HOW TO FIND PHRASE ALIGNMENTS?

---

Use symmetrization of the alignments -

- ▶ Use alignment in both directions  
Find Source  $\rightarrow$  Target and Target  $\rightarrow$  Source alignments
- ▶ Intersection provides precise alignments
- ▶ Union helps in adding intermediate points

# SYMMETRIZATION OF ALIGNMENTS

A method for aligning phrase-to-phrase alignments for a pair of sentences (F,E) is called as ***symmetrization***

		English to Spanish							
		Maria	no	daba	una	bofetada	a	la	bruja verde
Mary	did	■							
not	slap		■						
the	green			■	■	■			
witch								■	

		Spanish to English							
		Maria	no	daba	una	bofetada	a	la	bruja verde
Mary	did	■							
not	slap		■						
the	green					■		■	
witch									■

$$e \rightarrow f \cap f \rightarrow e$$

	Maria	no	daba	una	bofetada	a	la	bruja	verde
Mary									
did									
not									
slap									
the									
green									
witch									

$$e \rightarrow f \cup f \rightarrow e$$

	Maria	no	daba	una	bofetada	a	la	bruja	verde
Mary									
did									
not									
slap									
the									
green									
witch									



# HEURISTICS FOR GROWING ALIGNMENTS

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1. To insert new alignment point, search for the alignment points in  $P(e|f) \cup P(f|e)$  alignments
2. If not available in (1), do not fill alignment points
3. Check for points that are not aligned already
4. Start filling the diagonal neighbors and adjacent points

$$e \rightarrow f \cap f \rightarrow e$$

	Maria	no	daba	una	bofetada	a	la	bruja	verde
Mary									
did									
not									
slap									
the									
green									
witch									

$$e \rightarrow f \cup f \rightarrow e$$

	Maria	no	daba	una	bofetada	a	la	bruja	verde
Mary									
did									
not									
slap									
the									
green									
witch									

	Maria	no	daba	una	bofetada	a	la	bruja	verde
Mary									
did									
not									
slap									
the									
green									
witch									

Symmetrization heuristic adds neighboring alignment points from the union and unaligned points to the intersection



*Alignment filling Heuristics*

1.  $A = f2E \cap e2f$
2. Grow alignment points using  $f2E \cup e2f$
3. Finalize

Och and Ney, A Systematic Comparison of Various Statistical Alignment Models, Comp. Linguistics 2003)

# EXTRACTION OF PHRASES

The goal is to extract every possible pair of  $(f, e)$

	Maria	no	daba	una
Mary				
did				
not				
slap				
the				
green				
witch				

	Maria	no	daba	una
Mary				
did				
not				
slap				
the				
green				

	Maria	no	daba	una	bofetada	a	la	bruja	verde
Mary									
did									
not									
slap									
the									
green									
witch									

	Maria	no	daba	una
Mary				
did				
not				
slap				
the				
green				
witch				

A phrase-pair  $(e, f)$  is consistent only when

- There is at least one word in  $e$  aligned to a word in  $f$
- There are no words in  $f$  aligned to words outside  $e$
- There are no words in  $e$  aligned to words outside  $f$
- (Maria, Mary)
- (no, did not)
- (Maria no, Mary did not)
- x (no daba, did not slap)
- (no dabauna bof, did not slap)
- (daba una bof, slap)
- (a la, the)
- (verde, green)
- (bruja, witch)
- (brujaverde, green witch)
- x (Maria no daba una bofetada, Mary did not slap)
- (Maria no daba una bofetada a la, Mary did not slap the)
- (daba una bofetada a la bruja verde, slap the green witch)
- (Maria no daba una bofetada a la bruja verde, Mary did not slap the green witch)

# EXAMPLE - TAMIL2ENGLISH

English to Tamil

	அரசன்	தனது	கண்ணாடியுடன்	முயலைப்	பார்த்தார்
The					
king					
saw					
the					
rabbit					
with					
his					
glasses					

Tamil to English

	அரசன்	தனது	கண்ணாடியுடன்	முயலைப்	பார்த்தார்
The					
king					
saw					
the					
rabbit					
with					
his					
glasses					

English to Tamil

	அரசன்	தனது	கண்ணாடியுடன்	முயலைப்	பார்த்தார்
The					
king					
saw					
the					
rabbit					
with					
his					
glasses					

Tamil to English

	அரசன்	தனது	கண்ணாடியுடன்	முயலைப்	பார்த்தார்
The					
king					
saw					
the					
rabbit					
with					
his					
glasses					

Tamil to English

	அரசன்	தனது	கண்ணாடியுடன்	முயலைப்	பார்த்தார்
The					
king					
saw					
the					
rabbit					
with					
his					
glasses					

## SIZE OF THE PHRASE TABLE

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- ▶ Very large size, bigger than the parallel corpora, to reside in memory
- ▶ Extract all the phrases and store them in a database or disk

- ▶ Collect all the phrase pairs from the parallel corpora
- ▶ Assign probabilities to phrase translations<sup>2</sup>

$$\text{Relative frequency} = t(\bar{f}|\bar{e}) = \frac{\text{count}(\bar{e}, \bar{f})}{\sum_i \text{count}(\bar{e}, \bar{f}_i)} \quad (10)$$

*Example*

$$t(daba\ una\ bo\ fetada|slap) = \frac{C(daba\ una\ bo\ fetada, slap)}{C(slap)} \quad (11)$$

---

<sup>2</sup>Refer Koehn's Paper

$$\begin{aligned}\hat{e} &= \arg \max_{e \in E} P(e|f) \\ &= P(e) \times p(f|e)\end{aligned}\tag{12}$$

$$= \arg \max_{e \in E} \prod_{j=1}^J t(\bar{f}_j|\bar{e}_j) d(a_j - b_{j-1}) P(e)\tag{13}$$

- ▶  $t(\bar{f}_j|\bar{e}_j)$  is the probability score for the translation of the phrase  $f$ , given  $e$
- ▶  $d(a_j - b_{j-1})$  is the reordering score for the phrase which is modeled by the distortion probability distribution.  $a_j$  denotes the start position of the foreign word and  $b_{j-1}$  denotes the end position of the foreign phrase translated into the  $j - 1$  English phrase.
- ▶ This could be simplified by  $\alpha^{|a_j - b_{j-1} - 1|}$
- ▶  $P(e)$  is the language model - could be a trigram/fourgram model  
 $p(w_i|w_{i-(n-1)}, \dots, w_{i-1})$



- ▶ Start with an empty hypothesis
- ▶ A sequence of untranslated foreign words and a possible set of phrases for English are chosen
- ▶ The foreign words are marked as translated and the probability cost of the hypothesis is updated
  - ▶  $cost = p(e) \times t(\bar{f}_i | \bar{e}_i) \times d(.)$

# BILINGUAL EVALUATION UNDERSTUDY - BLEU FOR MACHINE TRANSLATION

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- ▶ Human evaluations are extensive but expensive
- ▶ A need for quick, reusable, inexpensive method that correlates highly with human evaluation
- ▶ Many aspects of translation, including adequacy and fluency should be considered during the automatic evaluation
- ▶ Automatic evaluation is a boon to developers of MT
- ▶ Two important aspects required for automatic evaluation
  1. A good metric
  2. A good/gold standards as references

- ▶ Many translations possible for a given sentence
- ▶ A good translator identifies a good candidate using adequacy and fluency

The main idea is to use a weighted average of variable length phrase matches against the reference translations<sup>3</sup>

Candidate 1: **It is a guide to action which ensures that the military always obeys the commands of the party**

Candidate 2: **It is to insure the troops forever hearing the activity guidebook that party direct**

Reference: **It is a guide to action that ensures that the military will for ever heed Party commands**

If many words and phrases are shared between the candidate and the reference translations, then it a good choice

Can n-grams help in matching the words and phrases?

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<sup>3</sup>Papineni, K., Roukos, S., Ward, T. & Zhu, W.-J., Bleu: a Method for Automatic Evaluation of Machine Translation

## MODIFIED- N-GRAM PRECISION

Compare the number of n-grams in the candidate and in the reference translation

Penalize models that produces many words of the same type

► Count the number of times a word occurs in any single reference translation

►  $Count_{clip} = \min(Count, MaxRefCount)$

Candidate 1: **It is a guide to action which ensures that the military always obeys the commands of the party**

Candidate 2: **It is to insure the troops forever hearing the activity guidebook that party direct**

Reference: **It is a guide to action that ensures that the military will for ever heed Party commands**

Modified unigram precision (candidate 2) =  $\frac{8}{14}$

Modified bigram precision (Candidate 1) =  $\frac{8}{17}$

Candidate: **the the the the the the the**

Reference: **the cat is on the mat**

Modified unigram precision =  $\frac{2}{7}$

Modified bigram precision = 0

Modified Unigram precision defines the adequacy of the translation, while modified bigram precision matches the fluency of the translation

- ▶ Modified n-gram precisions decay exponentially as  $n$  increases<sup>4</sup>
- ▶ BLEU uses a average log with a uniform weights to tackle the decay problem to get a score equivalent to the geometric mean of modified n-gram precisions
- ▶  $c < r$  inflates the precision
- ▶ A brevity penalty (BP) is introduced when  $c \leq r$

$$BP = \begin{cases} 1, & \text{if } c > r \\ \exp(1 - \frac{r}{c}), & \text{if } c \leq r \end{cases}$$

where  $r$  is the effective length of the reference corpus and  $c$  is the length of the candidate sentence

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<sup>4</sup>Papineni, K., Roukos, S., Ward, T. & Zhu, W.-J., Bleu: a Method for Automatic Evaluation of Machine Translation

BLEU score is obtained by

$$BLEU = BP \cdot \exp \sum_{n=1}^N w_n \log p_n \quad (14)$$

where  $N$  is the n-gram size (BLEU uses 4-gram by default),  $w_n$  is the weights associated with unigram, bigram, trigram and 4-grams, and  $p_n$  is the modified precision score of the test corpus. The sum of  $w_n = 1$  and  $w_n = \frac{1}{N}$

$$p_n = \frac{\sum_{c \in C} \sum_{ngrams \in C} Count_{clip}(ngrams)}{\sum_{c' \in C} \sum_{ngrams' \in C'} Count(ngrams')} \quad (15)$$

BLEU Demo

Ramaseshan

BLEU is designed as a corpus measure

- ▶ Machine translation
- ▶ Image labeling
- ▶ Text summarization
- ▶ Speech recognition

Ramaseshan



- ▶ NIST - National Institute of Standards and Technology - based on BLEU
- ▶ METEOR - Metric for Evaluation of Translation with Explicit ORdering
  - Uses stemming and synonymy matching
- ▶ WER - Word Error Rate
  - ▶ Uses edit distance (Levenshtein distance)
  - ▶ Finds minimum number of edit operations such as insertion, deletions or substitutions, needed to change the candidate sentence into the reference sentence
- ▶ GLEU - Google BLEU
  - ▶ Correlates well with BLEU, and works with sentence level translation

