House Prices: Linear Regression

The House Prices dataset contains 79 explanatory variables describing residential homes in Ames, Iowa and their effects on the independent variable: SalePrice. While exploring the dataset of 1460 records, there are null values in the dependent variables, as seen in Figure 1. This is normal as these data are input by sellers and agents and could miss some information, or some variables like "PoolQC" can be null if there is no pool for the given house. To adjust, we will later replace the null value with the median for the numeric variables. Figure 2 shows a skewed distribution for the "SalePrice" after which we remove outliers in the data.

We then performed EDA on the dependent variable in Figures 3 and 4 exploring the correlation between "SalePrice" and quantitative dependent variables (14 have a >0.5 correlation coefficient) and category plots for each categorical variable. It can be seen that some categories lead to higher sales prices, such as the "EX" category in "FireplaceQU", meaning excellent numbers of fireplaces show a higher sales price.

To better understand how dependent variables are related to 79 features, we build a linear regression model to see which features are important. First, we split the dataset into train and test datasets, with 80% training and 20% testing. We then encode every categorical feature into multiple boolean dummy variables using Sklearn one-hot encoding. This allows us to factor in categorical variables in our regression model. We then add two additional features that could be useful: 'Nonlivingarea' - The sum of GarageArea, PoolArea, WoodDeckSF. These are non-living spaces a house has. 'QualityCondition' - The sum of OveralQual and OverallCond. A house's condition and quality are both important and worth evaluating together. Finally, we fill all null values with their respective variable median.

We first explored how simply scaling the training data using MinMax and Standard scaling would perform using the StatsModel OLS linear model. Figures 5 and 6 show the R^2 correlation coefficients are fairly high, around 0.95 meaning there's a strong correlation, when

predicting on the training data, as expected. When we test standard scaling on the test data, the value drops slightly to 0.855 (Figure 7). To improve upon this result, we used the standard scaling model and removed any columns that had p-values > 0.05. This would theoretically train a new model on a smaller set of dependent variables with a more statistically significant effect on 'SalesPrice'. Figure 8 shows an R^2 value around 0.92 for the training data and Figure 9 shows a slightly higher value of 0.857 for the testing set. Uploading this to Kaggle gave us a score of 0.37991 compared to ~0.48 when we uploaded our most basic linear regression model using standard scaling.

Performing feature selection using the p-values of the variables shows improvement in the linear model. When analyzing this dataset to identify important features of a residential house, one might consider further refining the feature set. Analyzing p-values is one method. Another would be combining this with the correlation heatmap shown during our EDA. Sellers and agents can then stage and show houses with these features in mind. To improve upon our models we can continue to perform this feature selection or try fitting a polynomial regression model to better fit our data. Based on our EDA and modeling we saw that overall quality, year it was built, and year the home was remodeled as some of the most important factors in final sale price.

Appendix

```
from google.colab import drive
drive.mount('/content/drive')
import pandas as pd
import matplotlib.pyplot as plt
```

```
import seaborn as sns
import sklearn
%cd /content/drive/My Drive/

df = pd.read_csv('Housing_Price/train.csv')
df.head(5)

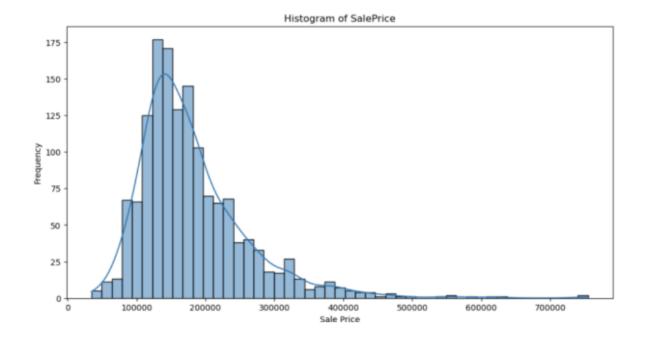
Id MSSubclass MSZoning LotFrontage LotArea Street Alley LotShape LandContour Utilities ... PoolArea PoolQC Fence MiscFeature MiscVal MoSold YrSold Sal

0 1 60 RL 65.0 8450 Pave NaN Reg Lvi AllPub ... 0 NaN NaN NaN 0 2 2008
1 2 20 RL 80.0 9600 Pave NaN Reg Lvi AllPub ... 0 NaN NaN NaN 0 5 2007
2 3 Clear output 68.0 11250 Pave NaN IR1 Lvi AllPub ... 0 NaN NaN NaN 0 9 2008
3 4 915PW (88 minutes apo) 60.0 9550 Pave NaN IR1 Lvi AllPub ... 0 NaN NaN NaN 0 2 2006
4 5 60 RL 84.0 14260 Pave NaN IR1 Lvi AllPub ... 0 NaN NaN NaN 0 2 2006
```

#Null Value Columns
nullseries= df.isna().sum()
print(nullseries[nullseries > 0])

Figure 1

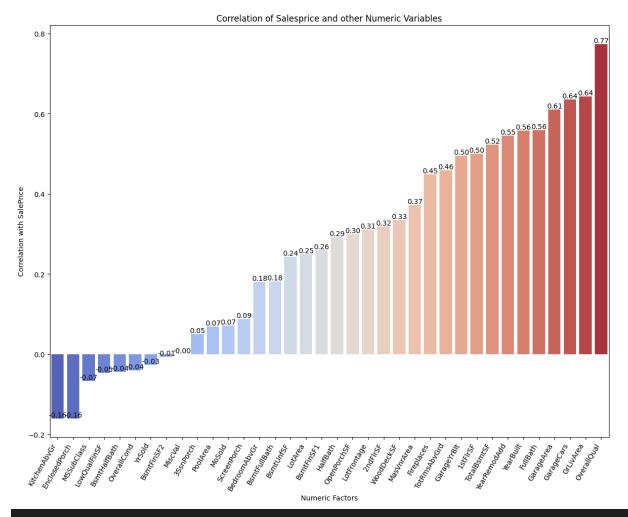
```
# Histogram for SalePrice
plt.figure(figsize=(12,6))
sns.histplot(df['SalePrice'],kde=True)
plt.title('Histogram of SalePrice')
plt.xlabel('Sale Price')
plt.ylabel('Frequency')
```



drop outliers Q1 = y_train.quantile(0.25) Q3 = y_train.quantile(0.75) IQR = Q3-Q1 lower_bound = Q1 - 1.5 * IQR upper_bound = Q3 + 1.5 * IQR outliers = y_train[(y_train < lower_bound) | (y_train > upper_bound)] # Remove outliers from the dataset y_train_cleaned = y_train.drop(outliers.index) x_train_cleaned = x_train.drop(outliers.index) #Create heat map of all numeric variables # Select only numeric variables x_train_numeric = x_train_cleaned.select_dtypes(include=['int64', 'float64']).drop(columns=['Id']) # Calculate the correlation matrix train_data = pd.concat([x_train_numeric, y_train_cleaned], axis=1)

```
correlation_matrix = train_data.corr()
correlation_matrix =
correlation_matrix['SalePrice'].drop('SalePrice').sort_values()
correlation_matrix=correlation_matrix.sort_values()

# Plot barplot for correlation
plt.figure(figsize=(12, 10))
bar_plot = sns.barplot(x=correlation_matrix.index, y=correlation_matrix,
palette='coolwarm')
plt.title('Correlation of Salesprice and other Numeric Variables')
bar_plot.set_xticklabels(bar_plot.get_xticklabels(), rotation=60,
ha='right') # Rotate x-axis labels
plt.xlabel('Numeric Factors')
plt.ylabel('Correlation with SalePrice')
for index, value in enumerate(correlation_matrix):
plt.text(index, value, f'{value:.2f}', ha='center', va='bottom')
plt.tight_layout() # Adjust layout to prevent clipping of labels
plt.show()
```

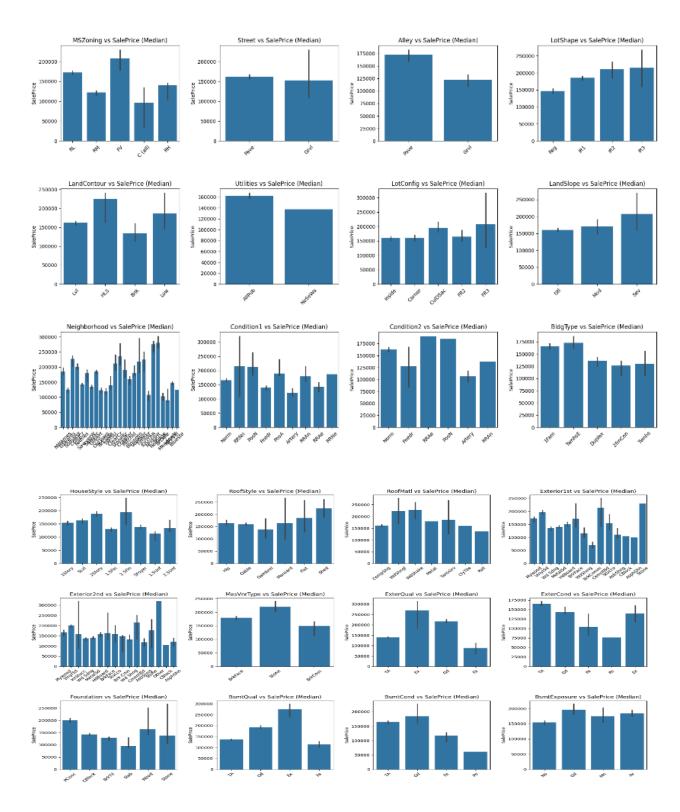


```
categorical_variables =
x_train_cleaned.select_dtypes(include=['object']).columns.tolist()
categorical_variables

['MSZoning',
    'Street',
    'Alley',
    'LotShape',
    'LandContour',
    'Utilities',
    'LotConfig',
    'LandSlope',
    'Neighborhood',
```

```
'Condition1',
 'Condition2',
 'BldgType',
 'HouseStyle',
 'RoofStyle',
 'Exterior1st',
 'Exterior2nd',
 'MasVnrType',
 'ExterQual',
 'ExterCond',
 'Foundation',
 'BsmtQual',
 'BsmtCond',
 'BsmtExposure',
 'BsmtFinType1',
 'BsmtFinType2',
 'Heating',
 'HeatingQC',
 'CentralAir',
 'Electrical',
 'KitchenQual',
 'Functional',
 'FireplaceQu',
 'GarageType',
 'GarageFinish',
 'GarageQual',
 'GarageCond',
 'PavedDrive',
 'PoolQC',
 'Fence',
 'MiscFeature',
 'SaleType',
 'SaleCondition']
import numpy as np
```

```
num plots = len(categorical variables)
cols per row = 4
rows = num plots // cols per row + 1
fig, axes = plt.subplots(rows, cols per row, figsize=(18, 4*rows))
for idx, col in enumerate(categorical variables):
row idx = idx // cols per row
col idx = idx % cols per row
ax = axes[row idx, col idx]
sns.barplot(x=x train cleaned[col], y=y train cleaned,
estimator=np.median, ax=ax)
ax.set title(f'{col} vs SalePrice (Median)')
ax.tick params(axis='x', rotation=45) # Rotate x-axis labels for better
ax.set xlabel('') # Remove x-axis label for better clarity
ax.set ylabel('SalePrice')
plt.tight layout() # Adjust layout to prevent overlapping
plt.subplots adjust(hspace=0.5) # Add vertical spacing between subplots
if num plots % cols per row != 0:
for i in range(cols per row - (num plots % cols per row)):
fig.delaxes(axes[-1, -(i+1)])
```



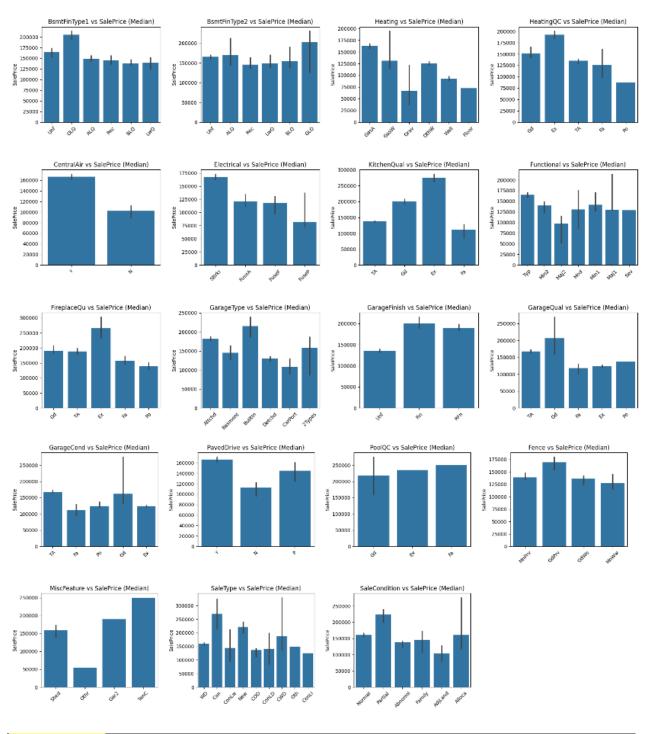


Figure 4

from sklearn.model_selection import train_test_split

x = df.drop(columns=['SalePrice'])

/ = df['SalePrice']

```
x train, x test, y train, y test = train test split(x, y, test size=0.3,
random state=42)
x train cleaned encoded = pd.get dummies(x train cleaned)
x train cleaned encoded.head(5)
    Id MSSubClass LotFrontage LotArea OverallQual OverallCond YearBuilt YearRemodAdd MasVnrArea BsmtFinSF1 ... SaleType_ConLw SaleType_New SaleType_Oth
5 rows × 283 columns
x train cleaned encoded['QualityCondition'] = x train cleaned encoded['Overa
llQual']+x train cleaned encoded['OverallCond']
x_train_cleaned_encoded.fillna(x_train_cleaned_encoded.median())
```

Regression Model 1 with Min Max Scaling

```
# Create Linear Model with Min/Max Scaling of Independt Variable
from sklearn.preprocessing import MinMaxScaler
import statsmodels.api as sm

scaler = MinMaxScaler()
x_train_scaled = scaler.fit_transform(x_train_cleaned_encoded) # fit it on
the training data

# Assuming X_train_cleaned_encoded is a DataFrame and the linear
regression model is already fitted
```

```
model1 = sm.OLS(y train cleaned, x train scaled with const).fit()
y pred1 = model1.predict(x train scaled with const)
from sklearn.metrics import mean squared error
from sklearn.metrics import r2 score
mse = mean squared error(y train cleaned, y pred1)
print("Mean Squared Error:", mse)
# Calculate the R^2 score
r2 = r2 score(y train cleaned, y pred1)
print("R^2 Score:", r2)
Mean Squared Error: 190427348.26248127 R^2 Score:
0.9453845247988569
```

Regression Model 2 with Standard Scaling

```
# Create Linear Model with Standard Scaling of Independent Variable
from sklearn.preprocessing import StandardScaler
import statsmodels.api as sm

scaler = StandardScaler()
x_train_scaled = scaler.fit_transform(x_train_cleaned_encoded) # fit it on
the training data
```

```
model2 = sm.OLS(y train cleaned, x train scaled with const).fit()
y pred2 = model2.predict(x train scaled with const)
from sklearn.metrics import mean squared error
from sklearn.metrics import r2 score
mse = mean squared error(y train cleaned, y pred2)
print("Mean Squared Error:", mse)
r2 = r2 score(y train cleaned, y pred2)
print("R^2 Score:", r2)
Mean Squared Error: 190427348.26248115 R^2 Score:
```

0.9453845247988569

Standard Scaled Linear Regression Using Test Data

```
from sklearn.preprocessing import StandardScaler
x test cleaned encoded = pd.get dummies(x test)
```

```
']+x test cleaned encoded['PoolArea']+x test cleaned encoded['WoodDeckSF']
Qual']+x test cleaned encoded['OverallCond']
x test cleaned encoded =
x test cleaned encoded.fillna(x test cleaned encoded.median())
missing cols = set(x test cleaned encoded.columns) -
x test cleaned encoded=x test cleaned encoded.drop(columns=missing cols)
missing cols = set(x train cleaned encoded.columns) -
for c in missing cols:
x test cleaned encoded[c] = False
print(len(x test cleaned encoded.columns))
print(len(x train cleaned encoded.columns))
train columns = x train cleaned encoded.columns
x test cleaned encoded = x test cleaned encoded[train columns]
scaler = StandardScaler()
x test scaled = scaler.fit transform(x test cleaned encoded) # fit it on
x test scaled = sm.add constant(x test scaled)
y pred = model2.predict(x test scaled)
```

```
#Performance Evaluation
from sklearn.metrics import mean_squared_error
from sklearn.metrics import r2_score

mse = mean_squared_error(y_test, y_pred)
print("Mean Squared Error:", mse)

# Calculate the R^2 score
r2 = r2_score(y_test, y_pred)
print("R^2 Score:", r2)

# Mean Squared Error: 3532384093.1461596
# R^2 Score: 0.49378953419641747

Mean Squared Error: 1006609493.12079 R^2 Score:
0.8557472101112479

Figure 7
```

OLS Model and Feature Selection Using P-Value

```
import numpy as np

# View the summary of the model

#print(model2.summary())

# Extract the pvalues from the first model

model2_p_values = model2.pvalues

model2_p_values = model2_p_values[1:]

# Check to see how many have large pvalues

print(len(model2_p_values))

print(len(model2_p_values[model2_p_values > 0.05]))
```

```
print(len(column_names))
x train remove cols = x train cleaned encoded.copy()
x train remove cols.drop([col for (index, col) in enumerate(column names)
if model2_p_values[index] > 0.05],axis=1,inplace=True)
print(len(x train remove cols.columns))
scaler = StandardScaler()
x train remove cols scaled with const =
np.asarray(sm.add constant(x train remove cols scaled))
model3 = sm.OLS(y train cleaned,
y pred3 = model3.predict(x train remove cols scaled with const)
from sklearn.metrics import mean squared error
mse = mean squared error(y train cleaned, y pred3)
print("Mean Squared Error:", mse)
print("R^2 Score:", r2)
Mean Squared Error: 263234390.2897185 R^2 Score:
0.9245031165631754
```

```
from sklearn.preprocessing import MinMaxScaler
x test cleaned encoded = pd.get dummies(x test)
Qual']+x test cleaned encoded['OverallCond']
x test cleaned encoded =
x test cleaned encoded.fillna(x test cleaned encoded.median())
x test cleaned encoded=x test cleaned encoded.drop(columns=missing cols)
set(x test cleaned encoded.columns)
x test cleaned encoded[c] = True
print(len(x test cleaned encoded.columns))
print(len(x train cleaned encoded.columns))
x test remove cols = x test cleaned encoded.copy()
```

```
x test remove cols.drop(col, axis=1, inplace=True)
print(len(x test remove cols.columns))
print(len(x train remove cols.columns))
x test remove cols = x test remove cols[train columns]
scaler = StandardScaler()
x test standard scaled = sm.add constant(x test standard scaled)
y pred = model3.predict(x test standard scaled)
from sklearn.metrics import mean squared error
mse = mean squared error(y test, y pred)
print("Mean Squared Error:", mse)
print("R^2 Score:", r2)
Mean Squared Error: 994225725.938798 R^2 Score:
0.8575218734514443
```

```
df=pd.read csv('Housing Price/test.csv')
df encoded = pd.get dummies(df)
]+df encoded['WoodDeckSF']
df encoded = df encoded.fillna(df encoded.median())
df encoded=df encoded.drop(columns=missing cols)
for c in missing cols:
df encoded[c] = False
print(len(df encoded.columns))
print(len(x train cleaned encoded.columns))
df remove cols = df encoded.copy()
df remove cols.drop(col, axis=1, inplace=True)
df remove cols = df remove cols[train columns]
```

```
scaler = MinMaxScaler()
df_encoded_scaled = scaler.fit_transform(df_remove_cols) # fit it on the
training data

# predict using trained model
df_encoded_scaled = sm.add_constant(df_encoded_scaled)

y_pred = model3.predict(df_encoded_scaled)

df=pd.read_csv('Housing_Price/test.csv')
result=pd.concat([df['Id'],pd.DataFrame(y_pred)],axis=1)
result.rename(columns={0:'SalePrice'},inplace=True)
result.to_csv('Housing_Price/model3prediction.csv',index=False)
```

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Figure 10