

## Applied Mathematics, University of Dhaka

# Assignment AMTH -350

### Submitted To

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## **Submitted By**

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```
%Assignment 1
```

#### **Assignment 1**

```
clc
clear all
%ans to 1(a)
a1=[1:1:40];
A=reshape(a1,8,5)'
A = 5x8 double
     1
         2
               3
                         5
                               6
                                     7
                    12
     9
         10
               11
                          13
                               14
                                     15
                                          16
               19
                    20
    17
         18
                          21
                               22
                                     23
                                          24
               27
                    28
    25
         26
                          29
                               30
                                     31
                                          32
    33
         34
               35
                    36
                          37
                               38
                                     39
                                          40
B=[];
for i=[1 3 5]
    for j=1:8
        if j \sim = [1 \ 2 \ 4 \ 8]
            B=[B,A(i,j)];
        end
    end
end
for i=2:4
    for j=[1 2 4 8]
        if i \sim = [1 \ 3 \ 5]
            B=[B,A(i,j)];
        end
    end
end
B=reshape(B,4,5)
B = 4x5 double
     3
         19
               35
                    9
                          25
               35 9
37 10
     5
         21
                          26
     6
         22
                    12
               38
                          28
         23
               39
                    16
                          32
C=[A(5,:),A(1:4, 4)',A(1:4, 6)']
```

```
C = 1x16 double
```

```
%ans to ques no 2
clc
clear all
a=.75;
b=11.3;
x=[2,5,1,9];
y=[0.2,1.1,1.8,2];
z=[-3,2,5,4];
A1=(((x.^1.1).*(y.^(-2.)).*(z.^5.))./((a+b)^(b./3)))+a.*(((z./x)+(y./2))./z.^(a))

A1 =
-0.7783 + 0.3257i  0.4368 + 0.0000i  1.4052 + 0.0000i  0.6263 + 0.0000i
```

#### Ans to Ques no 3

```
%ans to ques no 3
clc
clear all
syms x1 x2 x3 x4
x_1=2*x1+x2+x3-x4-12;
x_2=x1+5*x2-5*x3+6*x4-35;
x_3=-7*x1+3*x2-7*x3-5*x4-7;
x_4=x1-5*x2+2*x3+7*x4-21;
[x1,x2,x3,x4]=solve(x_1,x_2,x_3,x_4);
disp('the roots are ');
```

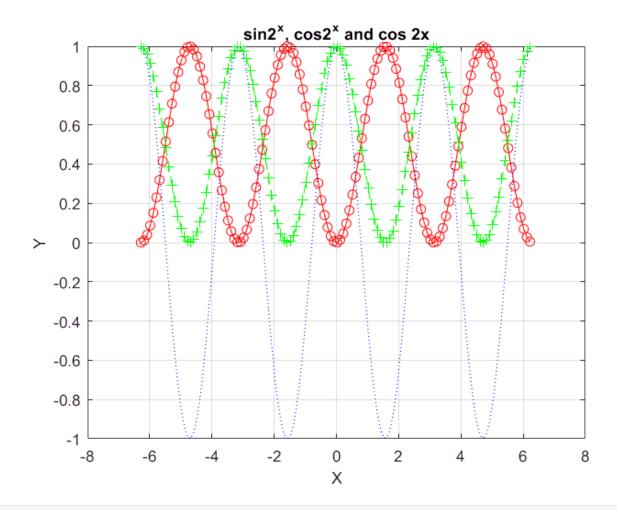
the roots are

```
double(x1),double(x2),double(x3),double(x4)
ans = 35.2780
```

```
ans = 35.2780
ans = -28.2511
ans = -40.8520
ans = -10.5471
```

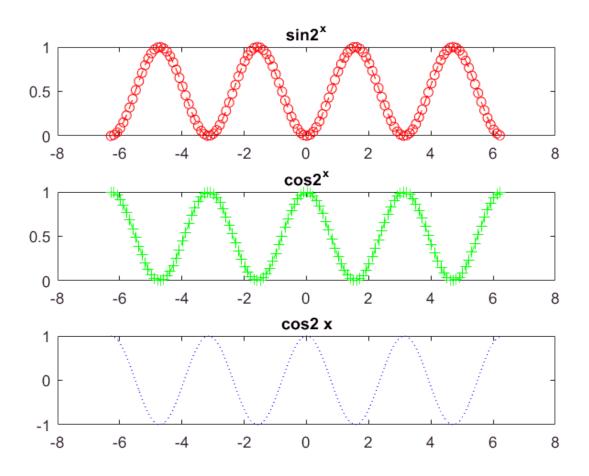
```
%ans to ques no 4
clc
clear all
x=[-2*pi:0.1:2*pi];
y1=(sin(x)).^2;
y2=(cos(x)).^2;
y3=cos(2.*x);
```

```
plot(x,y1,'ro-')
hold on
plot(x,y2,'g+--')
title('sin2^x, cos2^x and cos 2x')
hold on
plot(x,y3,'b:')
xlabel('X')
ylabel('Y')
grid on
```

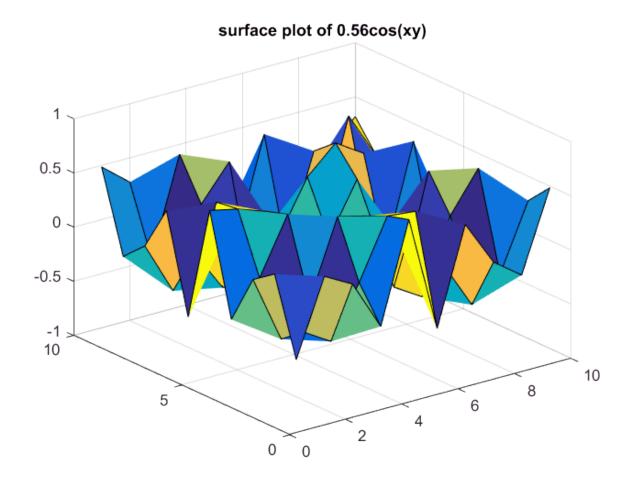


```
%subplot
clc
clear all
x=[-2*pi:0.1:2*pi];
y1=(sin(x)).^2;
y2=(cos(x)).^2;
y3=cos(2.*x);
subplot(3,1,1)
plot(x,y1,'ro--')
title('sin2^x')
subplot(3,1,2)
plot(x,y2,'g+--')
title('cos2^x')
subplot(3,1,3)
```

plot(x,y3,'b:')
title('cos2 x')
hold off



```
clc
clear all
[x,y]=meshgrid(1:1:10,10:10:100);
z=0.56.*cos(x.*y);
subplot(1,1,1)
surf(z);
title('surface plot of 0.56cos(xy)')
```



```
clc
clear all
syms x y
m=1;
n=1;
n1=-2;
f=x^2+y^2 -2*x*y +4;
%using function from command prompt

d=gradient(f)

d =
```

$$\begin{pmatrix} 2x - 2y \\ 2y - 2x \end{pmatrix}$$

```
a=subs(d,{x,y},{m,n})
```

 $\binom{0}{0}$ 

```
b=subs(d, \{x,y\}, \{m1, n1\})
 %using function from script file
  clc
  clear all
  syms x y
  f=x^2+y^2 -2*x*y +4;
 al=grad(f,1,1)
  a1 =
 b1=grad(f,1,-2)
  b1 =
Ans to Ques No 7
 %ans to ques no 7(a)
  clc
  clear all
  syms x x1 x2 x3 x4
 x1=[1 \ 0 \ -8 \ 7 \ 5 \ -8 \ 9];
  x2=roots(x1)
  x2 =
    -3.0613 + 0.0000i
    -1.2020 + 0.0000i
     1.7730 + 0.2025i
     1.7730 - 0.2025i
     0.3587 + 0.7996i
     0.3587 - 0.7996i
 %ans to ques no 7(b)
 x=simplify(dsolve('D2x +10*Dx+5*x=11', 'x(0)=1', 'Dx(0)=-1'))
```

```
\frac{\mathrm{e}^{-t\ (2\sqrt{5}+5)\ (35\sqrt{5}-60)}}{100} - \,\mathrm{e}^{t\ (2\sqrt{5}-5)}\ \left(\frac{7\sqrt{5}}{20} + \frac{3}{5}\right) + \frac{11}{5}
```

```
%ans to 7 c
f=x3^5-8*x3^4+5*x3^3-7*x3^2+11*x3-9;
f_1=diff(f,x3)
```

```
f_1 = 5x_3^4 - 32x_3^3 + 15x_3^2 - 14x_3 + 11
```

```
f_2=diff(f_1,x3)
```

```
f_2 = 20 x_3^3 - 96 x_3^2 + 30 x_3 - 14
```

```
%ans to 7(d)
g=1/(0.8*x4^2 +0.5*x4+2);
g_1=double(int(g,x4,0,5))
```

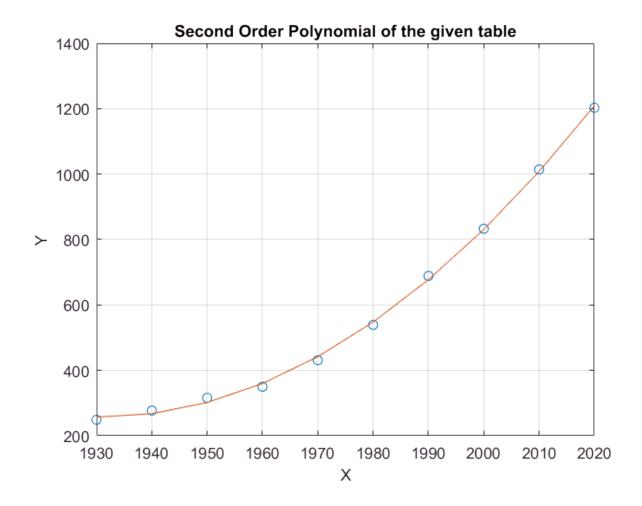
 $g_1 = 0.8774$ 

#### Ans to Ques No 8

```
%ans to 8(a)
clc
clear all
syms x y
x=[1930:10:2020];
y=[249 277 316 350 431 539 689 833 1014 1203];
p=polyfit(x,y,2);
```

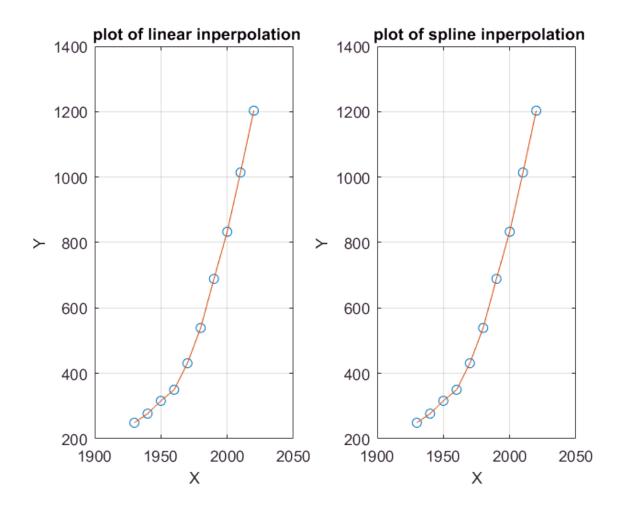
Warning: Polynomial is badly conditioned. Add points with distinct X values, reduce the degree of the polynomial, or try centering and scaling as described in HELP POLYFIT.

```
s=vpa(poly2sym(p),5);
y2=polyval(p,x);
subplot(1,1,1)
plot(x,y,'o',x,y2)
title('Second Order Polynomial of the given table')
grid on
xlabel('X')
ylabel('Y')
hold off
```



```
%ans to ques no 8(b)
x2=[1930:10:2020];
x est=1995;
y_lin=interp1(x,y,x2,'linear')
y_lin = 1x10 double
                                                                  539 · · ·
                    277
         249
                                316
                                           350
                                                       431
y_lin_est=interp1(x,y,x_est,'linear')
y_{lin_est} = 761
y_spl=interp1(x,y,x2,'spline');
y_spl_est=interp1(x,y,x_est,'spline')
y_{spl_est} = 759.6888
subplot(1,2,1)
plot(x,y,'o',x,y_lin)
title(' plot of linear inperpolation')
grid on
xlabel('X')
ylabel('Y')
subplot(1,2,2)
```

```
plot(x,y,'o',x,y_spl)
title(' plot of spline inperpolation')
grid on
xlabel('X')
ylabel('Y')
```

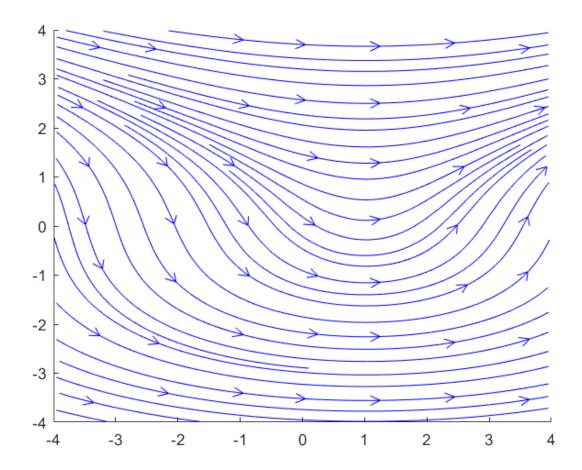


#### **Assignment 2**

```
clc
clear all
syms x y c
u(x,y)=(1+y^2);
v(x,y)=(x-1);
psi=int(u,y);
stream_line=psi+int(diff(psi,x)+v,x)+c
```

```
stream_line(x, y) = c + \frac{y(y^2+3)}{3} + \frac{x(x-2)}{2}
```

```
[x,y]=meshgrid(-4:0.5:4,-4:0.5:4);
uu=u(x,y);
vv=v(x,y);
streamslice(x,y,uu,vv)
```



```
clc
clear all
%ans to 2(a)
syms x y c
u(x,y)=(x^2/2-x^3/3);
v(x,y)=x^*(x-1)^*(y-1);
a=diff(u,x)+diff(v,y);
if a==0
    disp('The motion is possible')
else
    disp('the motion is not possible')
end
the motion is not possible
%ans to 2(b)
b=diff(v,x)-diff(u,y);
if b==0
    disp('The motion is irroational')
else
    disp('the motion is rotaional')
end
```

the motion is rotaional

```
%ans to 2(c)
stagnation_points=[];
[x,y]=solve(u==0,v==0,x,y);
stagnation_points=[x,y]
```

stagnation\_points =  $\begin{pmatrix} \frac{3}{2} & 1 \\ 0 & 0 \end{pmatrix}$ 

```
clc
clear all
syms a y x c;

u(x,y)=a*(x^2-y^2);
v(x,y)=-2*a*x*y;
pl=diff(u,x)+diff(v,y);
if pl==0
    disp('Stream Function Exists')
else
    disp('Stream Function doesnt Exists')
end
```

```
psi=int(u,y);
stream_func=psi+int(diff(psi,x)+v,x)+c
```

```
stream_func(x, y) = c + \frac{ay(3x^2 - y^2)}{3}
```

```
p2=diff(v,x)-diff(u,y);
if p2==0
    disp('Velocity Potential Exists')
else
    disp('Velocity Potential doesnt Exist')
end
```

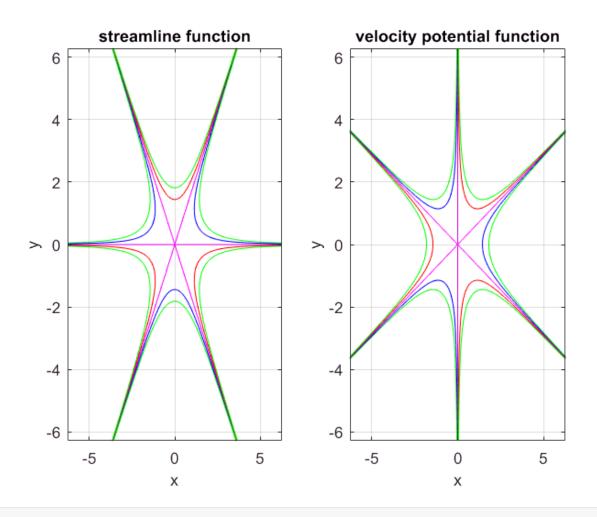
Velocity Potential Exists

```
phi=int(u,x);
velo_poten=phi+int(diff(phi,y)-v,y)+c
```

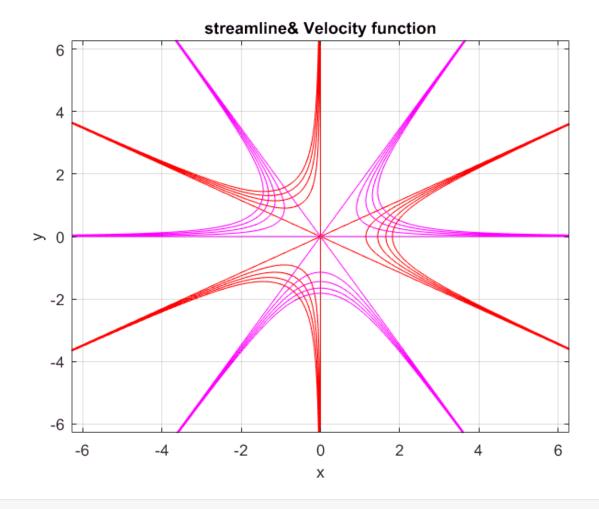
```
velo_poten(x, y) = c + \frac{ax(x^2-3y^2)}{3}
```

```
a=2; c=0;
st=c+a*y*(3*x^2-y^2)/3;
subplot(1,2,1)
s1=ezplot(st==0);
set(s1,'color','m')
grid on
hold on
s2=ezplot(st==a);
set(s2,'color','b')
hold on
s3=ezplot(st==-a);
set(s3,'color','r')
hold on
s4=ezplot(st==2*a);
set(s4,'color','g')
hold on
s5=ezplot(st==-2*a);
set(s5,'color','g')
title('streamline function')
hold off
vp=c+a*x*(x^2-3*y^2)/3;
subplot(1,2,2)
v1=ezplot(vp==0);
set(v1, 'color', 'm')
grid on
hold on
v2=ezplot(vp==a);
set(v2, 'color', 'b')
hold on
v3=ezplot(vp==-a);
set(v3,'color','r')
hold on
v4=ezplot(vp==2*a);
set(v4,'color','g')
hold on
```

```
v5=ezplot(vp==-2*a);
set(v5,'color','g')
title('velocity potential function')
hold off
```

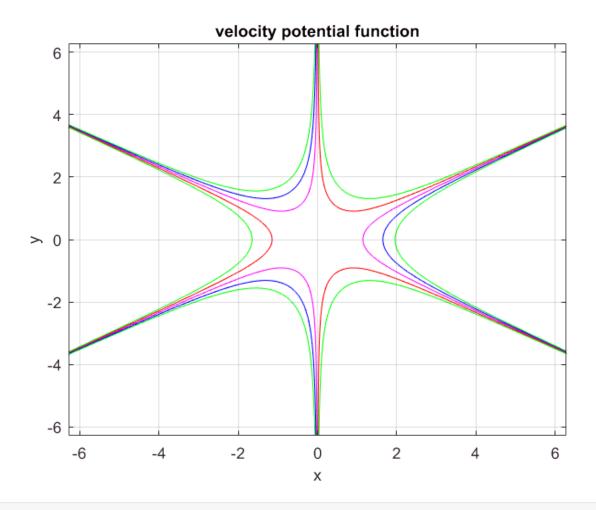


```
clc
clear all
syms x y
a=2; c=0;
st=c+a*y*(3*x^2-y^2)/3;
vp=c+a*x*(x^2-3*y^2)/3;
for n=0:4
    s1=ezplot(st==n);
set(s1,'color','m')
grid on
hold on
v2=ezplot(vp==n);
set(v2,'color','r')
hold on
end
title('streamline& Velocity function')
```



```
clc
clear all
%ans to 4(a)
syms x y c
vp=(a*x^3)/3-(a*x*y^2)-2;
subplot(1,1,1)
v1=ezplot(vp==0);
set(v1, 'color', 'm');
grid on
hold on
v2=ezplot(vp==a);
set(v2,'color','b')
hold on
v3=ezplot(vp==-a);
set(v3,'color','r');
hold on
v4=ezplot(vp==2*a);
set(v4,'color','g');
hold on
v5=ezplot(vp==-2*a);
```

```
set(v5,'color','g');
title('velocity potential function')
hold off
```



```
%ans to 4(b)
clc
clear a
syms a x y c
phi(x,y)=a*x^3/3-a*x*y^2-2;
u=diff(phi,x)
```

```
u(x, y) = ax^2 - ay^2
```

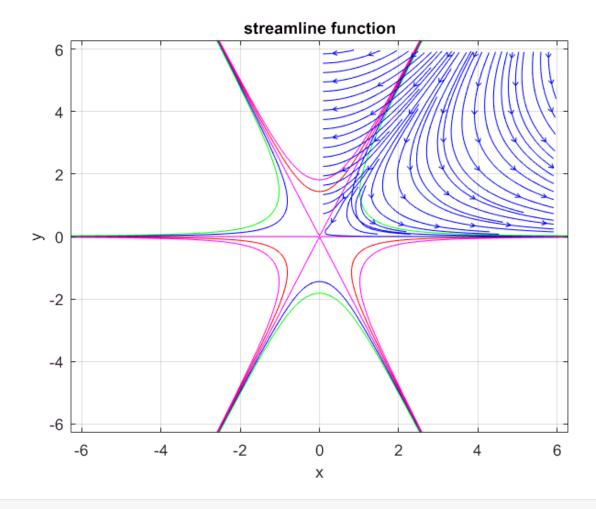
v=diff(phi,y)

v(x, y) = -2axy

```
psi=int(u,y);
stream_line=psi+int(diff(psi,x)+v,x)+c
```

```
stream_line(x, y) = c + \frac{ay(3x^2 - y^2)}{3}
```

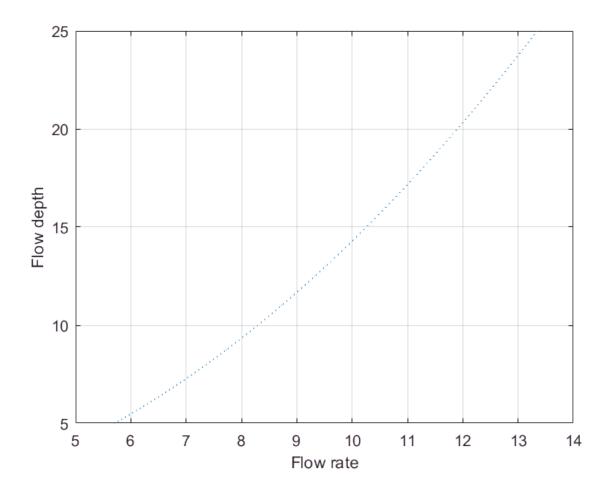
```
%ans to 4(c)
a=4; c=0;
st=c+(a*y*(3*x^2-y^2)/3)+a*(x^2)*y;
s1=ezplot(st==0);
set(s1,'color','m');
grid on
hold on
s2=ezplot(st==a);
set(s2,'color','b');
hold on;
s3=ezplot(st==-a);
set(s3,'color','r');
hold on;
s4=ezplot(st==2*a);
set(s4,'color','g');
hold on;
s5=ezplot(st==-2*a);
set(s5,'color','m')
title('streamline function');
hold on
[x y] = meshgrid(0:1:6,0:1:6);
u1=a*(x.^2 -y.^2);
v1=-2*a*(x.*y);
streamslice(x,y,u1,v1)
hold off
```



```
clc
clear all
cc=0.61;
a=1;
z1=5;
g=9.81;
z2=cc*a;
%(i)
if (0.1<(a/z1) || 0.2>(a/z1))
    p=z2*sqrt(2*g*(z1-z2)/(1-(z2/z1)^2));
else
    disp('change the value of a')
end
%(ii)
T=[];
c=[];
Z1=[5:0.25:25];
for i=1:length(Z1)
    c(i)=z2*sqrt(2*g*(Z1(i)-z2)/(1-(z2/Z1(i))^2));
    T(i,1:3)=[i Z1(i) c(i)];
```

```
61
                 20
                        11.903
                        11.98
62
              20.25
63
               20.5
                        12.056
64
              20.75
                        12.131
                        12.206
65
                 21
                        12.28
              21.25
66
                        12.354
67
               21.5
              21.75
                        12.428
68
69
                 22
                        12.501
70
              22.25
                        12.574
71
               22.5
                        12.646
72
              22.75
                        12.718
73
                 23
                        12.79
74
              23.25
                        12.861
75
               23.5
                        12.931
              23.75
76
                        13.002
77
                        13.072
                 24
78
              24.25
                        13.141
79
               24.5
                        13.211
80
              24.75
                        13.279
81
                 25
                        13.348
```

```
%(iii)
plot(c,Z1,':')
grid on
xlabel('Flow rate')
ylabel('Flow depth')
hold off
```



```
disp('the flow rate is not directly propotional to flow depth')
```

the flow rate is not directly propotional to flow depth

#### Ans To Ques No 6

```
clc
clear all
m=-.314;
syms x y r t c;
u1=diff((m/2*pi)*log(sqrt(x^2+(y-5)^2)),x);
v1=diff((m/2*pi)*log(sqrt(x^2+(y-5)^2)),y);
u2=diff((m/2*pi)*log(sqrt(x^2+(y+5)^2)),x);
v2=diff((m/2*pi)*log(sqrt(x^2+(y+5)^2)),x);
u=simplify(u1+u2);
v=simplify(v1+v2);
f=int(u,y)-int(v,x)+c
```

f =

$$C + \frac{157 \pi \log(x^2 + y^2 + 10 y + 25)}{2000} - \frac{157 \pi \left( \text{atan} \left( \frac{y}{x} - \frac{5}{x} \right) + \text{atan} \left( \frac{y}{x} + \frac{5}{x} \right) \right)}{1000} - \frac{157 \pi \text{ atan} \left( \frac{157 \pi x}{1000} \left( \frac{157 \pi y}{200} - \frac{157 \pi y}{1000} \right) \right)}{1000} \right)}{1000}$$

```
fpolar=subs(f,{x,y},{r*cos(t),r*sin(t)})
```

fpolar =

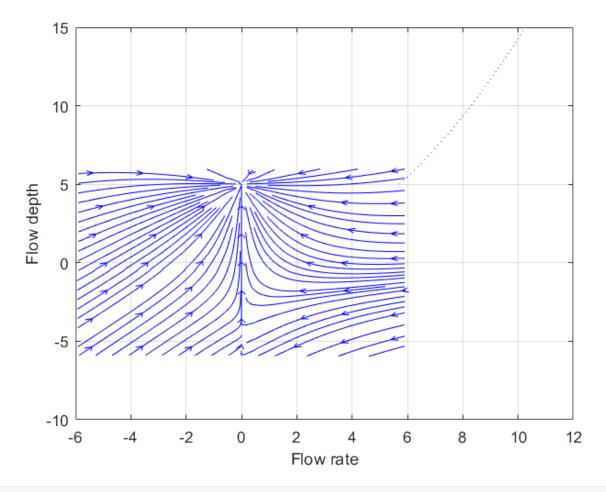
$$C + \frac{157 \pi \log(r^2 \cos(t)^2 + r^2 \sin(t)^2 + 10 r \sin(t) + 25)}{2000} - \frac{157 \pi \operatorname{atan} \left( \frac{157 \pi r \cos(t)}{1000 \left( \frac{157 \pi}{200} - \frac{157 \pi r \sin(t)}{1000} \right)} \right)}{1000} - \frac{157 \pi \left( \operatorname{atan} \left( \sigma_2 + \sigma_1 \right) - \operatorname{atan} \left( \sigma_2 - \sigma_1 \right) \right)}{1000} + \frac{1000 \pi \operatorname{atan} \left( \sigma_2 + \sigma_1 \right) - \operatorname{atan} \left( \sigma_2 - \sigma_1 \right) - \operatorname{atan$$

where

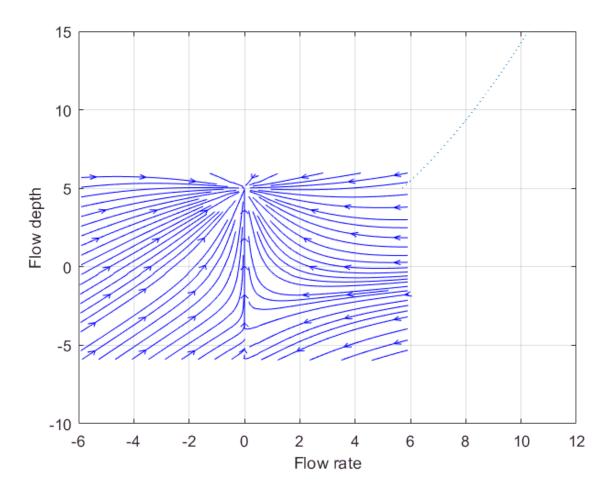
$$\sigma_1 = \frac{\sin(t)}{\cos(t)}$$

$$\sigma_2 = \frac{5}{r\cos(t)}$$

```
[x,y]=meshgrid([-6:.5:-.5 .5:.5:6],[-6:.5:-.5 .5:.5:6]);
ur=subs(u);
vr=subs(v);
subplot(1,1,1)
```



streamslice(x,y,ur,vr)



```
clc
clear all
n=9;
n v=[1:n]';
ferm=zeros(n,1);
mers=zeros(n,1);
pri ferm={};
pri mers={};
for i=1:n
    mers(i)=(2^{(i)})-1;
    ferm(i)=2^{(2^{(i)})+1};
    if mers(i)==1
        pri mers(i)={'unit'};
    elseif isprime(mers(i))==1
        pri_mers(i)={'prime no'};
    else
        pri_mers(i)={'composite no'};
    end
    if ferm(i)==1
        pri_ferm(i)={'unit'};
    elseif isprime(ferm(i))==1
        pri_ferm(i)={'prime no'};
```

```
ans =
                       pri_mers
                                          ferm
                                                          pri_ferm
    n_v
           mers
    1
                    'unit'
             1
                                                       'prime no'
    2
                    'prime no'
                                                       'prime no'
             3
                                                 17
    3
            7
                    'prime no'
                                                        'prime no'
                                                257
                    'composite no'
    4
            15
                                                        'prime no'
                                             65537
                                       4.295e+09
    5
            31
                    'prime no'
                                                       'composite no'
                    'composite no'
    6
            63
                                        1.8447e+19
                                                       'composite no'
                    'prime no'
    7
                                       3.4028e+38
                                                       'composite no'
           127
                    'composite no' 1.1579e+77
'composite no' 1.3408e+154
    8
                                                       'composite no'
           255
                                       1.1579e+77
    9
           511
                                                       'composite no'
```

```
clc
clear all;
%n=input('Enter no');
n=1250;
f=factor(n);
p=unique(factor(n));
s=size(p,2);
a = [];
T=[];
%calculating the alpha values
for i=1:s
    a=[a nnz(f(1,:)==p(1,i))];
end
%calculating Tau function
tau fun=1;
for i=1:s
    tau fun=tau fun*(a(1,i)+1);
end
```

```
T = 1x2 double
1 	 2
T = 2x2 double
1 	 2
2 	 10
```

```
tau_fun
```

```
tau fun = 10
%calculating sigma function
sig=1;
for i=1:s
    sig=sig*(p(1,i)^(a(1,i)+1)-1)/(p(1,i)-1);
end
sig
sig = 2343
%calculating Phi function
phi=1;
for i=1:s
    phi=phi*(1-1/p(1,i));
end
phi
phi = 0.4000
%verifying if Tau and Sigma is correct
l=length(divisors(n));
sss=sum(divisors(n));
if (l==tau_fun && sss==sig)
    disp('both function is accurate')
```

both function is accurate

disp('Errror for Sigma')

disp('Errror for Tau')

elseif l==tau fun

else

end

```
if k==n-1 && i==n-1
            R(k,i)=n;
        elseif k==n-1 && i==n
            R(k,i)=n-1;
        elseif m==i
            R(k,i)=n;
            c=i;
        elseif i==n
            R(k,i)=c;
        elseif m==0
            R(k,i)=n-1;
        else
            R(k,i)=m;
        end
    end
end
robin=[];
if q==1
for j=1:n-1
    for l=1:n
        if R(j,l)==n
            R(j,l)=0
        else
        end
    end
end
R=R(:,1:n1);
no of team=n1;
else
 no_of_team=n;
end
col={};
row={};
col name='Team%d';
ro name='round-%d';
for i=1:no of team
    col(i)={sprintf(col name,i)};
    row(i)={sprintf(ro name,i)};
end
T=array2table(R,'RowNames',row(1:size(R,1)),'VariableNames',col)
```

T =	Team1	Team2	Team3	Team4	Team5	Team6	Team7	Team8
round-1	7	6	5	8	3	2	1	4
round-2	8	7	6	5	4	3	2	1
round-3	2	1	7	6	8	4	3	5
round-4	3	8	1	7	6	5	4	2
round-5	4	3	2	1	7	8	5	6
round-6	5	4	8	2	1	7	6	3
round-7	6	5	4	3	2	1	8	7

#### **Assignment 3**

\_

#### Ans to Ques No-1

\_

```
%ans to ques no 1(a)
%Jacobi Iteration Method
clc;
clear all;
A=[10 \ -1 \ 2 \ 0 \ ; -1 \ 11 \ -1 \ 3 \ ; \ 2 \ -1 \ 10 \ -1; \ 0 \ 3 \ -1 \ 8];
b=[6;25;-11;15];
[m,n] = size(A);
for i=1:m
    r=abs(A(i,:));
    d=sum(r)-r(i);
    if(r(i) \le d)
         error('the matrix is not Diagonolly dominant!')
    end
end
x=zeros(m,1)';
tol=0.000001;
err=inf;
k=0;
while err>tol
    for i=1:m
         p=0;
         for j=1:n
             if(i\sim=j)
                  p=p+(-A(i,j)*x(j));
             end
         end
         y(i)=(p+b(i))/A(i,i);
    end
    err=max(abs(x-y));
    q=round(k);
    T(k+1,1:5)=[k x(1) x(2) x(3) x(4)];
    x=y;
    k=k+1;
end
array2table(T, 'VariableNames', {'iteration', 'x1', 'x2', 'x3', 'x4'})
```

ans = iteration	x1	x2	x3	x4
0	Θ	0	0	0
1	0.6	2.2727	-1.1	1.875
2	1.0473	1.7159	-0.80523	0.88523
3	0.93264	2.0533	-1.0493	1.1309
4	1.0152	1.9537	-0.96811	0.97384
5	0.98899	2.0114	-1.0103	1.0214

```
6
              1.0032
                        1.9922
                                 -0.99452
                                              0.99443
7
                        2.0023
             0.99813
                                    -1.002
                                               1.0036
8
                        1.9987
                                 -0.99904
              1.0006
                                              0.99889
9
             0.99967
                        2.0004
                                   -1.0004
                                               1.0006
10
             1.0001
                        1.9998
                                -0.99983
                                              0.99979
11
             0.99994
                        2.0001
                                   -1.0001
                                               1.0001
12
                   1
                             2
                                  -0.99997
                                               0.99996
             0.99999
13
                             2
                                        - 1
                                                     1
                             2
                                  -0.99999
                                               0.99999
14
                   1
                             2
15
                   1
                                         - 1
                                                     1
16
                   1
                             2
                                         - 1
                                                     1
17
                   1
                             2
                                                     1
                                         - 1
```

```
%ans to ques no b
%Gausi Saudel method
clc;
clear all;
A=[10 -1 2 0 ; -1 11 -1 3 ; 2 -1 10 -1; 0 3 -1 8];
b=[6;25;-11;15];
[m,n] = size(A);
x=[0 \ 0 \ 0 \ 0];
err=inf;
c=1;
tol=0.00001;
GS(1,:)=x;
while err>tol
    for i=1:m
        p=0;
        q=0;
        for j=1:n
           if (j<i)
                p=p+(-A(i,j)*y(j));
           elseif (j>i)
                q=q+(-A(i,j)*x(j));
           end
        y(i)=(p+q+b(i))/A(i,i);
    end
    err=max(abs(x-y));
    x=y;
    c=c+1;
    GS(c,:)=x;
end
it=(1:c);
```

it = 1x8 double

2

3

5

1

iteration	x1	x2	x3	x4
1	0	0	Θ	0
2	0.6	2.3273	-0.98727	0.87886
3	1.0302	2.0369	-1.0145	0.98434
4	1.0066	2.0036	-1.0025	0.99835
5	1.0009	2.0003	-1.0003	0.99985
6	1.0001	2	-1	0.99999
7	1	2	-1	1
8	1	2	-1	1

```
clc
clear all;
A=[10 -1 2 0 ; -1 11 -1 3 ; 2 -1 10 -1; 0 3 -1 8];
b=[6;25;-11;15];
[m,n] = size(A);
if (m\sim=n)
    error('Square matrix needed')
end
x=[0 \ 0 \ 0 \ 0];
err=inf;
k=1;
tol=0.00001;
w=1.25;
T=[];
while err>tol
    for i=1:m
        p=0;
        q=0;
        for j=1:n
        if(j<=i-1)
             p=p+(-A(i,j)*y(j));
        elseif(j>=i+1)
             q=q+(-A(i,j)*x(j));
        end
        end
        y(i)=(1-w)*x(i)+w*(p+q+b(i))/A(i,i)
    end
    err=max(abs(x-y));
    x=y;
    k=k+1;
end
```

```
y = 0.7500
y = 1x2 double
    0.7500
              2.9261
y = 1x3 double
    0.7500
              2.9261
                        -1.1967
y = 1x4 double
    0.7500
              2.9261
                        -1.1967
                                   0.7851
y = 1x4 double
    1.2275
              2.9261
                        -1.1967
                                   0.7851
```

v -	1x4 doubl			
,		1.8452	-1.1967	0.7851
,		1.8452	-1.0539	0.7851
y =	1.2275 1x4 doubl		-1.0539	1.1179
y =	0.9373 1x4 doubl		-1.0539	1.1179
y =	0.9373 1x4 doubl		-1.0539	1.1179
y =	0.9373 1x4 doubl		-0.9580	1.1179
y =	0.9373 1x4 doubl		-0.9580	0.9840
y =	1.0033 1x4 doubl		-0.9580	0.9840
y =	1.0033 1x4 doubl		-0.9580	0.9840
y =	1.0033 1x4 doubl		-1.0116	0.9840
y =	1.0033 1x4 doubl		-1.0116	0.9955
у =	1.0038 1x4 doubl		-1.0116	0.9955
у =	1.0038 1x4 doubl		-1.0116	0.9955
у =	1.0038 1x4 doubl		-0.9990	0.9955
у =	1.0038 1x4 doubl		-0.9990	1.0026
y =	0.9984 1x4 doubl		-0.9990	1.0026
y =	0.9984 1x4 doubl		-0.9990	1.0026
у =	0.9984 1x4 doubl		-0.9996	1.0026
у =	0.9984 1x4 doubl		-0.9996	0.9995
y =	1.0003 1x4 doubl		-0.9996	0.9995
	1.0003	2.0003	-0.9996	0.9995

```
y = 1x4 double
   1.0003
           2.0003
                     -1.0002
                                 0.9995
y = 1x4 double
   1.0003
             2.0003
                      -1.0002
                                 0.9999
y = 1x4 double
             2.0003
   1.0000
                                 0.9999
                      -1.0002
y = 1x4 double
   1.0000
           1.9999
                      -1.0002
                                 0.9999
y = 1x4 double
   1.0000
           1.9999
                      -1.0000
                                 0.9999
y = 1x4 double
   1.0000
            1.9999
                      -1.0000
                                 1.0001
y = 1x4 double
   1.0000
            1.9999
                      -1.0000
                                 1.0001
y = 1x4 double
   1.0000
             2.0000
                      -1.0000
                                 1.0001
y = 1x4 double
   1.0000
            2.0000
                      -1.0000
                                 1.0001
y = 1x4 double
   1.0000
             2.0000
                       -1.0000
                                 1.0000
y = 1x4 double
   1.0000
             2.0000
                      -1.0000
                                 1.0000
y = 1x4 double
   1.0000
           2.0000
                      -1.0000
                                 1.0000
y = 1x4 double
   1.0000
             2.0000
                      -1.0000
                                 1.0000
y = 1x4 double
   1.0000
           2.0000
                      -1.0000
                                 1.0000
y = 1x4 double
   1.0000
           2.0000
                      -1.0000
                                 1.0000
y = 1x4 double
   1.0000
            2.0000
                      -1.0000
                                 1.0000
y = 1x4 double
   1.0000
             2.0000
                      -1.0000
                                 1.0000
y = 1x4 double
   1.0000 2.0000
                     -1.0000
                                 1.0000
```

#### disp('the required answer is ')

the required answer is

Χ

```
%Ans to 2a
%Gaussian Elemination
clc;
clear all;
C=[2 -3 2; -4 2 -6; 2 2 4];
b=[5;14;18];
A=[C b];
n=size(A,1);
x=zeros(n,1);
sol=[];
T=zeros(n,n);
for i=1:n-1
    for j=i+1:n
        m=A(j,i)/A(i,i);
        A(j,:)=A(j,:)-m*A(i,:);
    end
end
x(n)=A(n,n+1)/A(n,n);
for i=n-1:-1:1
    summ=0;
    for j=i+1:n
        summ=summ+A(i,j)*x(j,:);
        x(i,:)=(A(i,n+1)-summ)/A(i,i);
    end
end
disp('the Gausian Elemination value is')
```

the Gausian Elemination value is

```
Α
A = 3x4 double
    2.0000
             -3.0000
                        2.0000
                                   5.0000
         0
             -4.0000
                       -2.0000
                                  24.0000
         0
                   0
                       -0.5000
                                 43.0000
fprintf('the value of x1, x2 and x3 are')
the value of x1, x2 and x3 are
Χ
X = 3x1 double
   144
    37
   -86
```

#### Ans To Ques No 2(b)

\_

```
%Ans to 2b
%Gauss Jordan
clc;
clear all;
C=[2 -3 2; -4 2 -6; 2 2 4];
b=[5;14;18];
A=[C b];
n=size(A,1);
x=zeros(n,1);
sol=[];
T=eye(n,n);
for i=1:n-1
    for j=i+1:n
        m=A(j,i)/A(i,i);
        A(j,:)=A(j,:)-m*A(i,:);
    end
end
x(n)=A(n,n+1)/A(n,n);
for i=n-1:-1:1
    summ=0;
    for j=i+1:n
        summ = summ + A(i,j) *x(j,:);
        x(i,:)=(A(i,n+1)-summ)/A(i,i);
    end
end
GJ=[];
for i=n:-1:1
    summ=0;
    c=A(i,end);
    if i \sim = 3
        k=i+1;
    for j=n-i:-1:1
        summ = summ + A(i,k) * A(k,end);
        k=k+1;
    c=A(i,end)-summ;
    A(i,end)=c/A(i,i);
end
GJ=[T,A(:,end)];
```

```
GJ = 3x4 \ double
1 0 0 144
```

```
0 1 0 37 0 0 1 -86

disp('so the Gauss Jordan Value is ')

so the Gauss Jordan Value is
```

```
array2table(GJ,'VariableNames',{'x1','x2','x3','Value'})
```

```
ans =
       x2 x3
   x1
                 Value
            0
                 144
   1
       0
   0
       1
            0
                 37
       0
   0
            1
                 -86
```

-

```
clc
clear all
A=[-4 \ 14 \ 0; -5 \ 13 \ 0; -1 \ 0 \ 2];
n=size(A,1);
tol=0.00001;
x=ones(n,1);
err=inf;
while (err> tol)
    x1=A*x;
    [v,p]=\max(abs(x1));
    lambda=x1(p);
    x2=x1/lambda;
    err=max(abs(x2-x));
    x=x2;
    vec= x;
end
fprintf('the required eigen value is %10.5f\n', lambda)
```

the required eigen value is 6.00005

```
array2table(vec,'VariableNames',{'EigenVector'})
```

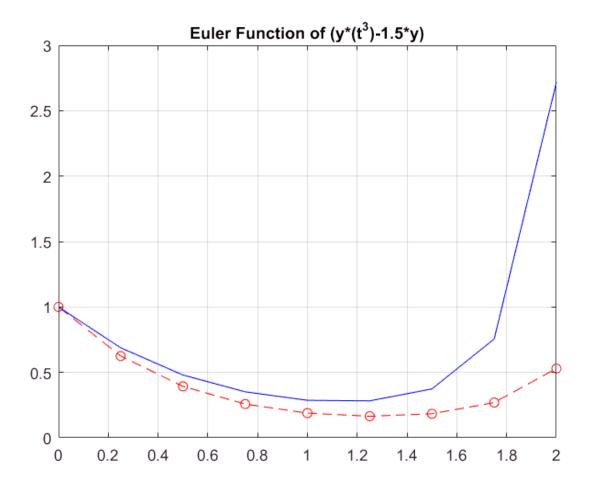
```
ans =
    EigenVector
-----

1
0.71429
-0.24999
```

```
%ans to 4(I)
%Euler Method
clc
clear all
t0=0;
tend=2;
y0=1;
h1=0.25;
n=(tend-t0)/h1;
t=[t0:h1:tend];
y1=zeros(n+1,1);
y(1)=y0;
exact=exp(((t.^4)/4)-1.5*t);
T=[];
%*(y*(t^3)-1.5*y)
for i=1:n;
    y(i+1)=y(i)+ h1*(y(i)*(t(i)^3)-1.5*y(i));
    T(i,1:3)=[i y(i) y(i+1)];
array2table(T,'VariableNames',{'iteration','fy','fy 1'})
```

```
ans =
   iteration
                 fy
                          fy_1
   1
                            0.625
   2
                          0.39307
                  0.625
   3
                0.39307
                          0.25795
   4
                0.25795
                          0.18842
   5
                0.18842
                          0.16487
   6
                0.16487
                          0.18355
   7
                0.18355
                          0.26959
                0.26959
                          0.52969
```

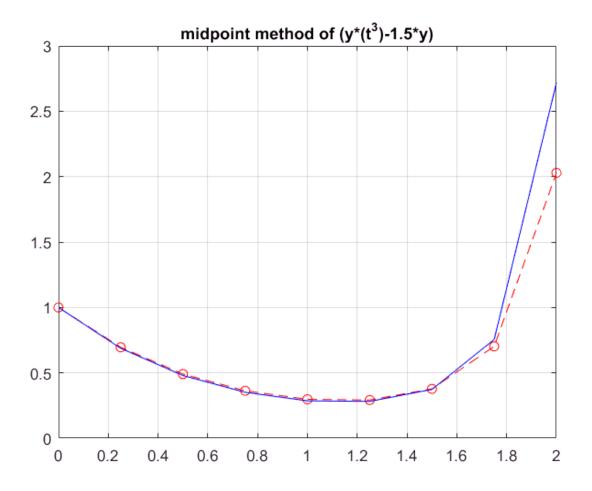
```
plot(t,y,'ro--',t,exact,'b')
grid on
title('Euler Function of (y*(t^3)-1.5*y)')
```



```
%ans to ques no 4(ii)
%Midpoint Method
clc
clear all
syms x
t0=0;
tend=2;
y0=1;
h=0.25;
n=(tend-t0)/h;
t=[t0:h:tend];
y=zeros(n+1,1);
y(1)=y0;
exact=exp(((t.^4)/4)-1.5*t);
T=[];
%*(y*(t^3)-1.5*y)
for i=1:n;
    k1=y(i)*(t(i)^3)-1.5*y(i);
    k2=(y(i)+h*k1/2)*((t(i)+h/2)^3)-1.5*(y(i)+h*k1/2);
    y(i+1)=y(i)+(h)*(k2);
     T(i,1:3)=[i y(i) y(i+1)];
end
array2table(T, 'VariableNames', {'iteration', 'fy', 'fy_1'})
```

```
ans =
    iteration
                fy
                           fy_1
                            0.69571
    2
                 0.69571
                            0.4907
    3
                 0.4907
                            0.36311
    4
                 0.36311
                            0.29792
    5
                 0.29792
                            0.2926
    6
                 0.2926
                            0.37759
    7
                 0.37759
                             0.7028
                             2.029
                 0.7028
```

```
plot(t,y,'ro--',t,exact,'b')
grid on
title('midpoint method of (y*(t^3)-1.5*y)')
```



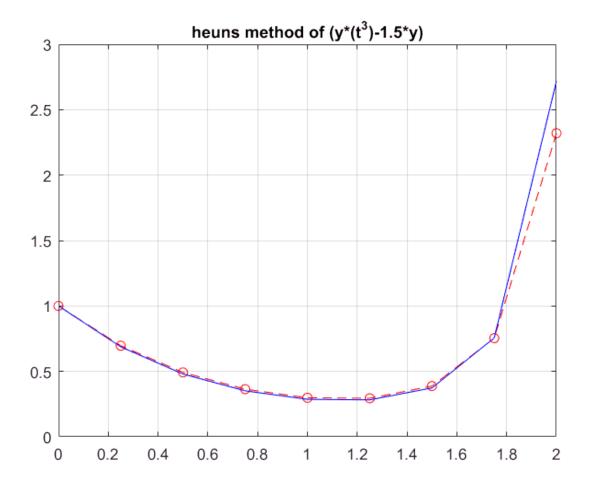
```
%ans to ques 4(ii)
%Heuns Method
clc
clear all
t0=0;
tend=2;
y0=1;
h=0.25;
```

```
n=(tend-t0)/h;
t=[t0:h:tend];
y=zeros(n+1,1);
y(1)=y0;
exact=exp(((t.^4)/4)-1.5*t);
T=[];
%*(y*(t^3)-1.5*y)
for i=1:n;
    k1=(y(i)*(t(i)^3))-1.5*y(i);
    k2=((y(i)+h*k1)*((t(i)+h)^3)-1.5*(y(i)+h*k1));
    y(i+1)=y(i)+(h/2)*(k1+k2);
    T(i,1:3)=[i y(i) y(i+1)];
end

array2table(T,'VariableNames',{'iteration','fy','fy_1'})
```

```
ans =
   iteration
               fy
                       fy 1
                      0.69653
   1
   2
              0.69653
                        0.492
   3
                0.492 0.36393
   4
              0.36393 0.29827
   5
              0.29827 0.29441
   6
              0.29441
                       0.3879
              0.3879 0.75367
   7
              0.75367
   8
                       2.3204
```

```
plot(t,y,'ro--',t,exact,'b')
grid on
title('heuns method of (y*(t^3)-1.5*y)')
```

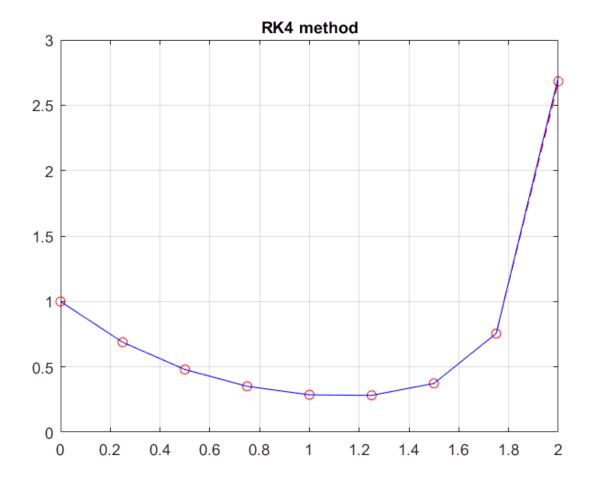


```
%ans to ques no 4(iv)
%RK-4 method
clc
clear all
syms x
t0=0;
tend=2;
y0=1;
h=0.25;
n=(tend-t0)/h;
t=[t0:h:tend];
y=zeros(n+1,1);
y(1)=y0;
exact=exp(((t.^4)/4)-1.5*t);
T=[];
%*(y*(t^3)-1.5*y)
for i=1:n;
    k1=y(i)*(t(i)^3)-1.5*y(i);
    k2=(y(i)+h*k1/2)*((t(i)+h/2)^3)-1.5*(y(i)+h*k1/2);
    k3=(y(i)+h*k2/2)*((t(i)+h/2)^3)-1.5*(y(i)+h*k2/2);
    k4=(y(i)+h*k3)*((t(i)+h)^3)-1.5*(y(i)+h*k3);
    y(i+1)=y(i)+(h/6)*(k1+2*k2+2*k3+k4);
    T(i,1:6)=[i k1 k2 k3 k4 y(i+1)];
end
```

# array2table(T,'VariableNames',{'iteration','k1','k2','k3','k4','Y'})

ans = iterat:	ion k1	k2	k3	k4	Υ
1	-1.5	-1.2172	-1.2701	-1.013	0.68802
2	-1.0213	-0.81099	-0.84903	-0.65417	0.47987
3	-0.65982	-0.49907	-0.52431	-0.37604	0.35143
4	-0.37888	-0.2524	-0.26552	-0.14252	0.28654
5	-0.14327	-0.020462	-0.021632	0.12739	0.28237
6	0.12795	0.32809	0.3556	0.69614	0.37368
7	0.70066	1.2874	1.4921	2.8818	0.75458
8	2.9122	5.6957	7.4673	17.039	2.6828

```
plot(t,y,'ro--',t,exact,'b')
grid on
title('RK4 method')
```

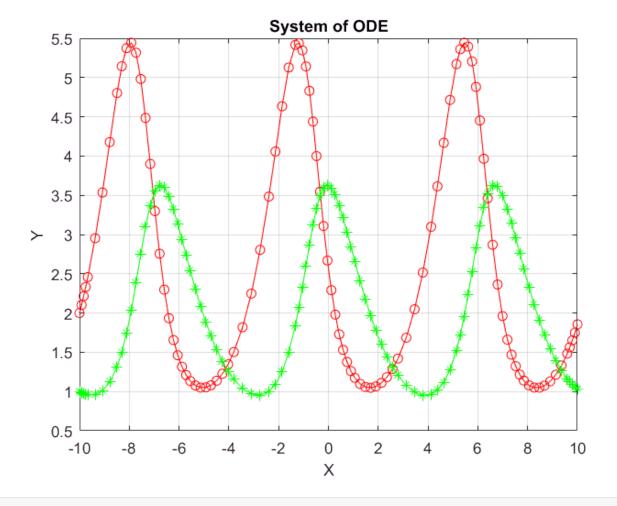


## Ans to Ques No 5

\_

```
clc
clear all ;
f = @(t,x) [1.2*x(1)-0.6*x(1)*x(2); -.8*x(2)+0.3*x(1).*x(2)];
[t xsol]=ode45(f,[-10 10],[2 1])
t = 101x1 double
  -10.0000
   -9.9163
   -9.8325
   -9.7488
   -9.6651
   -9.3713
   -9.0775
   -8.7837
   -8.4899
   -8.2997
xsol = 101x2 double
    2.0000
             1.0000
    2.1039
            0.9847
            0.9722
    2.2147
            0.9626
    2.3326
            0.9561
    2.4579
    2.9526
            0.9594
            1.0092
    3.5355
    4.1774 1.1194
4.8029 1.3142
5.1442 1.4988
figure
```

```
figure
plot(t,xsol(:,1),'r-o',t,xsol(:,2),'g*-')
title('System of ODE')
grid on
xlabel('X')
ylabel('Y')
```



```
%ans to ques 5(b)
clc
clear all;
mu=3;
f = @(t,y) [y(2);mu*(1-y(1)^2)*y(2)-y(1)];

[t xsol]=ode45(f,[-10 10],[1 0])

t = 385x1 double

-10.0000
-9.9999
-9.9999
-9.9998
-9.9998
-9.9998
-9.9998
-9.9995
-9.9993
```

-9.9990 -9.9988 -9.9975

xsol = 385x2 double

-0.0001

1.0000

1.0000

```
1.0000 -0.0001

1.0000 -0.0002

1.0000 -0.0005

1.0000 -0.0007

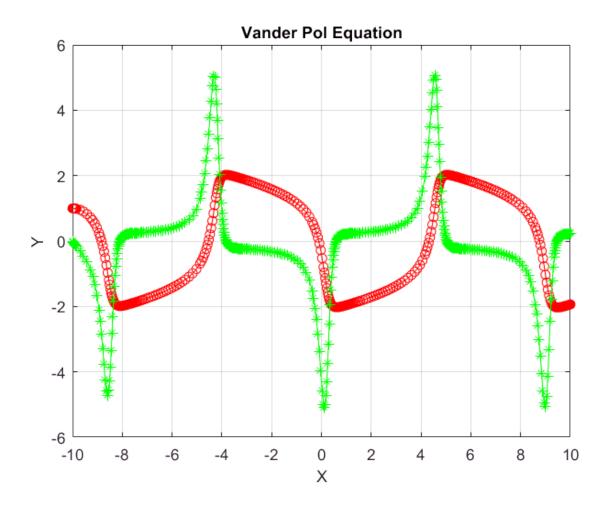
1.0000 -0.0010

1.0000 -0.0012

1.0000 -0.0025

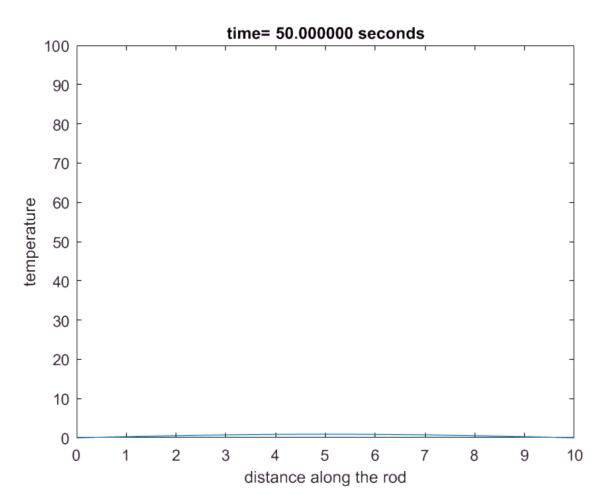
:
```

```
figure
plot(t,xsol(:,1),'r-o',t,xsol(:,2),'g*-')
title('Vander Pol Equation')
grid on
xlabel('X')
ylabel('Y')
```



```
%Answer to the question no:6 clc clear rho=1; cp=1;
```

```
k=1;
A=k/rho/cp;
lx=10;
nx=21;
nt=500;
dx=lx/(nx-1);
c=1;
C=0.1;
dt=0.1;
tn=zeros(1,nx);
x=linspace(0,lx,nx);
tn(:)=100;
t=0;
for n=1:nt
    tc=tn;
    t=t+dt;
    for i=2:nx-1
        tn(i)=tc(i)+dt*A*((tc(i+1)-2*tc(i)+tc(i-1))/dx/dx);
    end
    tn(1)=0;
    tn(end)=0;
    plot(x,tn)
    set(gca, 'ylim', [0,100]);
    xlabel('distance along the rod')
    ylabel('temperature')
    title(sprintf('time= %f seconds',t));
    pause(0.01);
end
```



## **Assignment 4**

```
%bisection method
clc
clear all
syms x
a=0.5;
b=1.5;
it=25;
T=[];
A(1)=a;
B(1)=b;
tol=0.00001;
f=@(x)exp(x)-2-cos(exp(x)-2);
i=1;
j=1;
c(1)=double((a+b)/2);
err(1)=abs(f(c(1)));
if (f(a)*f(b)>0)
    error('the bisection method not possible')
    stop
end
while abs(f(c(i)))>tol
    if(f(c(i))*f(b))<0
       a=c(i);
       else
        b=c(i);
    end
    i=i+1;
    c(i)=(a+b)/2;
    A(i)=a;
    B(i)=b;
    err(i)=double(abs(f(c(i))));
end
it=[1:i];
T=[it',A',c',B',err'];
array2table(T, 'VariableNames', {'iteration', 'A', 'c', 'B', 'errorr'})
```

ans	= iteration	А	С	В	errorr
	1	0.5	1	1.5	0.034656
	2	1	1.25	1.5	1.41
	3	1	1.125	1.25	0.60908
	4	1	1.0625	1.125	0.26698
	5	1	1.0313	1.0625	0.11115
	6	1	1.0156	1.0313	0.037003
	7	1	1.0078	1.0156	0.00086443
	8	1	1.0039	1.0078	0.016973
	9	1.0039	1.0059	1.0078	0.0080734
	10	1.0059	1.0068	1.0078	0.0036093

```
11
             1.0068
                       1.0073
                                  1.0078
                                             0.0013737
             1.0073
                                            0.00025492
12
                       1.0076
                                  1.0078
13
             1.0076
                       1.0077
                                  1.0078
                                            0.00030468
14
             1.0076
                       1.0076
                                  1.0077
                                            2.4859e-05
15
             1.0076
                       1.0076
                                  1.0076
                                            0.00011504
16
             1.0076
                       1.0076
                                  1.0076
                                            4.5089e-05
17
             1.0076
                       1.0076
                                  1.0076
                                            1.0115e-05
18
             1.0076
                       1.0076
                                  1.0076
                                            7.3722e-06
```

```
%fixed point
clc
clear all;
g1=@(x) (x-exp(x))^(1/3);
g2=@(x) (x^3 + exp(x));
q3=@(x) log(x-x^3);
tol=0.0001;
kmax=30;
x=zeros(1,kmax);
\times(1)=1;
T=[];
T(1,1:4)=[0 x(1) g1(x(1)) 0];
for n=1:kmax
    x(n+1)=g1(x(n));
    er=abs(x(n+1)-x(n));
    T(n+1,1:4)=[n x(n+1) g1(x(n)) er];
    if er<=tol
        break
    end
end
it=T(1:n+1,1);
xn=T(1:n+1,2);
qval=T(1:n+1,3);
err=T(1:n+1,4);
table(it,xn,gval,err)
```

```
ans =
    it
                 xn
                                     gval
                                                     err
     0
                1+0i
                               0.59887+1.0373i
                                                         0
     1
          0.59887+1.0373i
                               0.59887 + 1.0373i
                                                    1.1121
     2
          0.64874-0.55514i
                               0.64874-0.55514i
                                                    1.5932
     3
                                                    1.3597
          0.63523+0.80451i
                               0.63523+0.80451i
                               0.65387-0.69709i
          0.65387-0.69709i
                                                   1.5017
     5
          0.65283 + 0.749i
                               0.65283+0.749i
                                                    1.4461
     6
          0.65748-0.72552i
                               0.65748-0.72552i
                                                    1.4745
     7
                                                   1.4623
          0.65731+0.73676i
                               0.65731+0.736761
     8
          0.65836-0.73162i
                               0.65836-0.73162i
                                                    1.4684
     9
          0.65832+0.73408i
                               0.65832+0.73408i
                                                    1.4657
    10
          0.65855-0.73295i
                               0.65855-0.73295i
                                                    1.467
    11
          0.65855+0.73349i
                               0.65855+0.73349i
                                                    1.4664
    12
           0.6586-0.73324i
                                0.6586-0.73324i
                                                    1.4667
```

```
13
      0.65859+0.73336i
                          0.65859+0.73336i
                                              1.4666
                          0.65861-0.73331i
14
      0.65861-0.73331i
                                              1.4667
15
      0.65861+0.73333i
                          0.65861+0.73333i
                                              1.4666
16
      0.65861-0.73332i
                          0.65861-0.73332i
                                              1.4667
17
      0.65861+0.733331
                          0.65861+0.733331
                                              1.4666
18
      0.65861-0.73332i
                          0.65861-0.73332i
                                              1.4667
19
      0.65861+0.73333i
                          0.65861+0.733331
                                              1.4667
20
      0.65861-0.73333i
                          0.65861-0.73333i
                                              1.4667
21
      0.65861+0.733331
                          0.65861+0.73333i
                                              1.4667
22
      0.65861-0.733331
                          0.65861-0.733331
                                              1.4667
23
      0.65861+0.733331
                          0.65861+0.73333i
                                              1.4667
24
      0.65861-0.733331
                          0.65861-0.73333i
                                              1.4667
25
      0.65861+0.733331
                          0.65861+0.733331
                                              1.4667
26
      0.65861-0.73333i
                          0.65861-0.73333i
                                              1.4667
27
      0.65861+0.733331
                          0.65861+0.733331
                                              1.4667
28
      0.65861-0.733331
                          0.65861-0.73333i
                                              1.4667
29
      0.65861+0.73333i
                          0.65861+0.733331
                                              1.4667
30
      0.65861-0.733331
                          0.65861-0.73333i
                                              1.4667
```

## 2nd func

```
clc
clear all;
g1=@(x) (x-exp(x))^(1/3);
g2=@(x) (x^3 + exp(x));
g3=@(x) log(x-x^3);
tol=0.0001;
kmax=30;
x=zeros(1,kmax);
x(1)=1;
T=[];
T(1,1:4)=[0 x(1) g2(x(1)) 0];
for n=1:kmax
    x(n+1)=g2(x(n));
    er=abs(x(n+1)-x(n));
    T(n+1,1:4)=[n x(n+1) g2(x(n)) er];
    if er<=tol</pre>
        break
    end
end
it=T(1:n+1,1);
xn=T(1:n+1,2);
gval=T(1:n+1,3);
err=T(1:n+1,4);
table(it,xn,gval,err)
```

ans	=			
	it	xn	gval	err
	0	1	3.7183	Θ
	1	3.7183	3.7183	2.7183
	2	92.601	92.601	88.883
	3	1.6449e+40	1.6449e+40	1.6449e+40
	4	Inf	Inf	Inf
	5	Inf	Inf	NaN
	6	Inf	Inf	NaN
	7	Inf	Inf	NaN

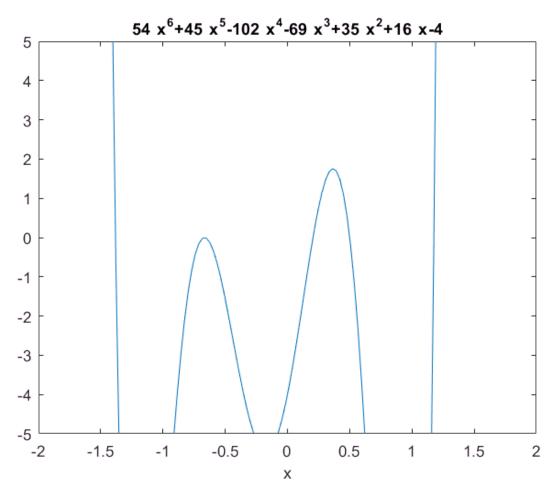
```
8
              Inf
                              Inf
                                              NaN
 9
              Inf
                              Inf
                                              NaN
10
              Inf
                              Inf
                                              NaN
11
                                              NaN
              Inf
                              Inf
12
                                              NaN
              Inf
                              Inf
13
              Inf
                              Inf
                                              NaN
14
              Inf
                              Inf
                                              NaN
15
              Inf
                              Inf
                                              NaN
16
              Inf
                              Inf
                                              NaN
17
              Inf
                              Inf
                                              NaN
18
              Inf
                              Inf
                                              NaN
19
                                              NaN
              Inf
                              Inf
20
              Inf
                              Inf
                                              NaN
21
              Inf
                              Inf
                                              NaN
22
              Inf
                              Inf
                                              NaN
23
                                              NaN
              Inf
                              Inf
24
              Inf
                              Inf
                                              NaN
25
              Inf
                              Inf
                                              NaN
26
                                              NaN
              Inf
                              Inf
27
              Inf
                              Inf
                                              NaN
28
              Inf
                              Inf
                                              NaN
29
              Inf
                              Inf
                                              NaN
30
              Inf
                              Inf
                                              NaN
```

## 3rd function

```
clc
clear all;
g1=@(x) (x-exp(x))^(1/3);
g2=@(x) (x^3 + exp(x));
g3=@(x) log(x-x^3);
tol=0.0001;
kmax=30;
x=zeros(1,kmax);
x(1)=1;
T=[];
T(1,1:4)=[0 x(1) g3(x(1)) 0];
for n=1:kmax
    x(n+1)=g3(x(n));
    er=abs(x(n+1)-x(n));
    T(n+1,1:4)=[n x(n+1) g3(x(n)) er];
    if er<=tol</pre>
        break
    end
end
it=T(1:n+1,1);
xn=T(1:n+1,2);
gval=T(1:n+1,3);
err=T(1:n+1,4);
table(it,xn,gval,err)
```

```
1
      -Inf
               -Inf
                        Inf
 2
       NaN
                NaN
                        NaN
 3
       NaN
                NaN
                        NaN
 4
       NaN
                NaN
                        NaN
 5
       NaN
                NaN
                        NaN
 6
       NaN
                NaN
                        NaN
 7
       NaN
                NaN
                        NaN
 8
       NaN
                NaN
                        NaN
 9
       NaN
                NaN
                        NaN
10
       NaN
                NaN
                        NaN
11
       NaN
                NaN
                        NaN
12
       NaN
                NaN
                        NaN
13
       NaN
                NaN
                        NaN
14
       NaN
                NaN
                        NaN
15
       NaN
                NaN
                        NaN
16
       NaN
                NaN
                        NaN
17
       NaN
                NaN
                        NaN
18
       NaN
                NaN
                        NaN
19
       NaN
                NaN
                        NaN
20
       NaN
                NaN
                        NaN
21
       NaN
                NaN
                        NaN
22
       NaN
                NaN
                        NaN
23
       NaN
                NaN
                        NaN
24
       NaN
                NaN
                        NaN
25
       NaN
                NaN
                        NaN
26
       NaN
                NaN
                        NaN
27
       NaN
                NaN
                        NaN
28
       NaN
                NaN
                        NaN
29
       NaN
                NaN
                        NaN
30
       NaN
                NaN
                        NaN
```

```
%secent method
clc
clear all
f=@(x) 54*x.^6+45*x.^5-102*x.^4-69*x.^3+35*x.^2+16*x-4;
y1=[54 45 -102 -69 35 16 -4];
Y=unique(real((roots(y1))));
ezplot(f)
axis([-2,2,-5,5]);
```



```
xx(1,1)=-2;
xx(1,2)=-2.01;
xx(2,1)=-.5;
xx(2,2)=-.490;
xx(3,1)=0.1;
xx(3,2)=0.101;
xx(4,1)=0.6;
xx(4,2)=0.601;
xx(5,1)=1.0;
xx(5,2)=1.01;
tol=0.0001;
for j=1:5
    clear T
    k=2;
    rt=xx(j,1);
    err=0;
    i=1;
    T(1,1:4)=[0 \text{ rt } Y(j) \text{ err}];
for k=2:40
    xx(j,k+1)=xx(j,k)-vpa(((xx(j,k)-xx(j,k-1))*f(xx(j,k))/(f(xx(j,k))-f(xx(j,k-1)))));
    rt=xx(j,k+1);
    err=abs(Y(j)-rt);
    T(i+1,1:4)=[i rt Y(j) err];
    i=i+1;
```

=			
iteration	root_found	exact_sol	errorr
0	-2	-1.3813	0
1	-1.7704	-1.3813	0.38913
2	-1.6619	-1.3813	0.28061
3	-1.5498	-1.3813	0.16849
4	-1.4736	-1.3813	0.092269
5	-1.4208	-1.3813	0.039458
6	-1.3929	-1.3813	0.011635
7	-1.3831	-1.3813	0.0017524
8	-1.3814	-1.3813	8.56e-05
9	-1.3813	-1.3813	6.4951e-07
L0	-1.3813	-1.3813	2.4188e-10
11	-1.3813	-1.3813	8.8818e-16
	0 1 2 3 4 5 6 7 8 9	0 -2 1 -1.7704 2 -1.6619 3 -1.5498 4 -1.4736 5 -1.4208 6 -1.3929 7 -1.3831 8 -1.3814 9 -1.3813	0 -2 -1.3813 1 -1.7704 -1.3813 2 -1.6619 -1.3813 3 -1.5498 -1.3813 4 -1.4736 -1.3813 5 -1.4208 -1.3813 6 -1.3929 -1.3813 7 -1.3831 -1.3813 8 -1.3814 -1.3813 9 -1.3813 -1.3813 10 -1.3813 -1.3813

the calculated root is -1.3812985 we got the result after iteration 11 ans =

iteration	${\sf root\_found}$	exact_sol	errorr
Θ	-0.5	-0.66667	0
1	-0.59764	-0.66667	0.069026
2	-0.62174	-0.66667	0.044922
3	-0.64053	-0.66667	0.026137
4	-0.65051	-0.66667	0.016159
5	-0.65681	-0.66667	0.0098604
6	-0.66059	-0.66667	0.0060782
7	-0.66292	-0.66667	0.0037435
8	-0.66436	-0.66667	0.0023104
9	-0.66524	-0.66667	0.0014263
10	-0.66579	-0.66667	0.00088097

the calculated root is -0.6657857 we got the result after iteration 10 ans =

5	=			
	iteration	root_found	exact_sol	errorr
	0	0.1	0.20518	0
	1	0.20355	0.20518	0.0016287
	2	0.20506	0.20518	0.00012655
	3	0.20518	0.20518	3.0546e-07
	4	0.20518	0.20518	5.7845e-11

the calculated root is 0.2051829
we got the result after iteration 4
ans =

iteration root\_found exact\_sol errorr

```
0.5
              0.6
0
                                         0
                             0.02253
0.0062541
0.00052576
         0.52253
                    0.5
1
2
          0.50625
                     0.5
          0.50053
0.50001
3
                     0.5
4
                    0.5
                                1.3318e-05
5
              0.5
                     0.5
                                2.9059e-08
                      0.5
6
              0.5
                                1.6092e-12
```

the calculated root is 0.5000000
we got the result after iteration 6
ans =

iteration	root_found	exact_sol	errorr
Θ	1	1.1761	0
1	2.0054	1.1761	0.82926
2	1.0183	1.1761	0.15779
3	1.0265	1.1761	0.14963
4	1.5876	1.1761	0.41149
5	1.0521	1.1761	0.12401
6	1.075	1.1761	0.10112
7	1.2905	1.1761	0.11438
8	1.1338	1.1761	0.042322
9	1.1602	1.1761	0.015965
10	1.1793	1.1761	0.003148
11	1.1759	1.1761	0.00020681
12	1.1761	1.1761	2.5756e-06
13	1.1761	1.1761	2.1239e-09
14	1.1761	1.1761	2.0872e-14

the calculated root is 1.1761156 we got the result after iteration 14

```
%newton method
clc
clear all

syms x df
f(x)=14*x.*exp(x-2) - 12*exp (x-2) -7*x.^3 +20*x.^2-26*x+12;
df(x)=diff(f,x);
tol=0.00001;
max_it=50;
in_g=[0 3];
for k=1:2
    p0=in_g(k);
    sol=vpasolve(f==0,x,p0);
T=[];
T(1,1:6)=[0 sol p0 0 0];
```

```
for i=1:max it
        p=p0-vpa(f(p0)/df(p0));
       T(i+1,1:6)=[i \text{ sol } p \text{ (sol-p)}/(\text{sol-p0})^2 \text{ (sol-p)}/(\text{sol-p0})];
       if abs(sol-p) \le tol \mid \mid vpa(f(p)) = 0
            resul=p;
            break
       else
            p0=p;
       end
   end
if i==max it
            disp('more iteration needed')
else
            it=T(:,1);
            ext root=T(:,2);
            ap root=T(:,3);
            error1=T(:,4);
            error2=T(:,5);
            error3=T(:,6);
            table(it,ext_root,ap_root,error1,error2,error3)
            fprintf('the exact soln in %10.7f\n', sol)
            fprintf('the exact root in %10.7f\n', p)
            fprintf('Iteration required\n', i)
       end
end
```

ans =	t e	ext_root	ap_root 	error1	error2	error3 
0	0	.85714	0	0	0	0
1	0	.85714	0.40327	0.45387	0.61777	0.52951
2	0	.85714	0.66072	0.19642	0.95351	0.43277
3	0	.85714	0.80106	0.056087	1.4537	0.28555
4	0	.85714	0.85075	0.0063906	2.0315	0.11394
5	0	.85714	0.85705	9.6514e-05	2.3632	0.015102
6	0	.85714	0.85714	2.2478e-08	2.4131	0.0002329

the exact soln in 0.8571429 the exact root in 0.8571428

Iteration required

4115	= it	ext root	ap_root	error1	error2	error3
	0	2	3	Θ	0	0
	1	2	2.7339	-0.73385	-0.73385	0.73385
	2	2	2.5298	-0.52977	-0.98373	0.72191
	3	2	2.3767	-0.37667	-1.3421	0.711
	4	2	2.2641	-0.26415	-1.8618	0.70127
	5	2	2.183	-0.18303	-2.6232	0.69292
	6	2	2.1256	-0.12557	-3.7482	0.68604
	7	2	2.0855	-0.085462	-5.4204	0.68061
	8	2	2.0578	-0.057815	-7.9159	0.6765
	9	2	2.0389	-0.038938	-11.649	0.67349
	10	2	2.0261	-0.026141	-17.241	0.67135
	11	2	2.0175	-0.017511	-25.624	0.66985
	12	2	2.0117	-0.011711	-38.195	0.66882
	13	2	2.0078	-0.0078245	-57.048	0.66811
	14	2	2.0052	-0.0052239	-85.326	0.66764
	15	2	2.0035	-0.003486	-127.74	0.66732

16 17 18 19 20 21 22 23 24 25 26 27 28	2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	2.0023 2.0016 2.001 2.0007 2.0005 2.0003 2.0002 2.0001 2.0001	-0.0023255 -0.001551 -0.0010343 -0.00068968 -0.00045984 -0.00030659 -0.0002044 -0.00013627 -9.0852e-05 -6.0569e-05 -4.038e-05 -2.692e-05 -1.7947e-05	-191.36 -286.8 -429.95 -644.67 -966.76 -1449.9 -2174.6 -3261.6 -4892.2 -7338 -11007 -16510 -24765	0.6671 0.66696 0.66686 0.66675 0.66672 0.66667 0.66668 0.66668 0.66667 0.66667
28 29	2	2	-1.7947e-05 -1.1965e-05	-24765 -37147	0.66667 0.66667
30	2	2	-7.9764e-06	-55720	0.66667

the exact soln in 2.0000000 the exact root in 2.0000080 Iteration required