# IS624 - Assignment4

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### Contents

8.1. Recreate the simulated data from Exercise 7.2:

```
simulated <- mlbench.friedman1(200, sd = 1)
simulated <- cbind(simulated$x, simulated$y)
simulated <- as.data.frame(simulated)
colnames(simulated) [ncol(simulated)] <- "y"</pre>
```

(a) Fit a random forest model to all of the predictors, then estimate the variable importance scores. Did the random forest model significantly use the uninformative predictors (V6 – V10)?

#### **Answer**:

```
model1 <- randomForest(y ~ ., data = simulated, importance = TRUE,
    ntree = 1000)
rfImp1 <- varImp(model1, scale = TRUE)
print(kable(rfImp1[order(-rfImp1), , drop = FALSE]))</pre>
```

|     | Overall    |
|-----|------------|
| V1  | 56.5339235 |
| V4  | 54.4219257 |
| V2  | 47.0573003 |
| V5  | 22.2624307 |
| V3  | 11.2954742 |
| V6  | 3.7921306  |
| V7  | 0.7651840  |
| V10 | -0.7977709 |
| V9  | -1.2492892 |
| V8  | -1.6608095 |

Yes, the model uses V1 - V5 mostly, and the V6 - V10 predictors were not as important due to their negative importance values. I decided to set scale to TRUE, unlike the book, as I think the results are clearer.

(b) Now add an additional predictor that is highly correlated with one of the informative predictors. Fit another random forest model to these data. Did the importance score for V1 change? What happens when you add another predictor that is also highly correlated with V1?

#### Answer:

```
# Create model2 with only one dupe column
simulated2 <- simulated
```

```
simulated2$duplicate1 <- simulated2$V1 + rnorm(200) *</pre>
model2 <- randomForest(y ~ ., data = simulated2, importance = TRUE,</pre>
    ntree = 1000)
rfImp2 <- varImp(model2, scale = TRUE)</pre>
# Create model3 with two dupe columns
simulated3 <- simulated2</pre>
simulated3$duplicate2 <- simulated3$V1 + rnorm(200) *</pre>
    0.1
model3 <- randomForest(y ~ ., data = simulated3, importance = TRUE,</pre>
    ntree = 1000)
rfImp3 <- varImp(model3, scale = TRUE)
# Print results across models
rfImp1 <- rbind(rfImp1, data.frame(Overall = c(0, 0),
    row.names = c("duplicate1", "duplicate2")))
rfImp2 <- rbind(rfImp2, data.frame(Overall = c(0),
    row.names = c("duplicate2")))
results <- cbind(rfImp1, rfImp2, rfImp3)</pre>
colnames(results) <- c("Model1", "Model2", "Model3")</pre>
print(kable(results))
```

|            | Model1     | Model2     | Model3     |
|------------|------------|------------|------------|
| V1         | 56.5339235 | 30.9149923 | 25.5658734 |
| V2         | 47.0573003 | 47.4464000 | 49.3460618 |
| V3         | 11.2954742 | 9.0746736  | 9.8212920  |
| V4         | 54.4219257 | 49.5984101 | 52.5773767 |
| V5         | 22.2624307 | 21.2223497 | 24.9173535 |
| V6         | 3.7921306  | 2.8806927  | 1.6400997  |
| V7         | 0.7651840  | 0.9219038  | 0.7310063  |
| V8         | -1.6608095 | -0.2735145 | -2.1458119 |
| V9         | -1.2492892 | 1.3157743  | 0.7552134  |
| V10        | -0.7977709 | 1.1440765  | -0.0911344 |
| duplicate1 | 0.0000000  | 28.1554053 | 26.3079847 |
| duplicate2 | 0.0000000  | 0.0000000  | 17.4077553 |
|            |            |            |            |

Yes, the overall importance score for V1 decreases (from 39.08 to 28.8 to 23.62 during the sample run above). Other scores change but not by much, while the new duplicate predictors gain in their relative importance (for example, duplicate1 has similar scores as V3, which shows how dangerous correlated predictors can be).

(c) Use the cforest function in the party package to fit a random forest model using conditional inference trees. The party package function varimp can calculate predictor importance. The conditional argument of that function toggles between the traditional importance measure and the modified version described in Strobl et al. (2007). Do these importances show the same pattern as the traditional random forest model?

### Answer:

```
# Build conditional forest models on the variant
# data sets
model1.cforest <- cforest(y ~ ., data = simulated)</pre>
model2.cforest <- cforest(y ~ ., data = simulated2)</pre>
model3.cforest <- cforest(y ~ ., data = simulated3)</pre>
# Find the variable importance from the conditional
# forest models
imp1.cforest <- party::varimp(model1.cforest)</pre>
imp2.cforest <- party::varimp(model2.cforest)</pre>
imp3.cforest <- party::varimp(model3.cforest)</pre>
# To combine into one table, need to add some rows
imp1.cforest <- rbind(as.data.frame(imp1.cforest),</pre>
    data.frame(imp1.cforest = c(0, 0), row.names = c("duplicate1",
        "duplicate2")))
imp2.cforest <- rbind(as.data.frame(imp2.cforest),</pre>
    data.frame(imp2.cforest = c(0), row.names = c("duplicate1")))
# Print results
results.cforest <- data.frame(model1 = imp1.cforest,</pre>
    model2 = imp2.cforest, model3 = imp3.cforest)
colnames(results.cforest) <- c("Orig Model", "Model w/ Dupe",</pre>
    "Model w/ 2 Dupes")
print(kable(results.cforest, caption = "Variable Importance Across Models"))
```

Table 3: Variable Importance Across Models

|                     | Orig Model | Model w/ Dupe | Model w/ 2 Dupes |
|---------------------|------------|---------------|------------------|
| V1                  | 8.5468369  | 3.8812715     | 3.4090842        |
| V2                  | 6.8326442  | 6.1510202     | 5.9973252        |
| V3                  | 0.0730809  | 0.0067587     | -0.0254594       |
| V4                  | 8.4233886  | 7.0283161     | 6.5538858        |
| V5                  | 1.8948773  | 1.5198802     | 1.4704666        |
| V6                  | 0.0035832  | -0.0431127    | 0.0084757        |
| V7                  | 0.0395047  | 0.0635187     | 0.0379936        |
| V8                  | -0.0112969 | -0.0008807    | -0.0151039       |
| V9                  | -0.0104745 | 0.0251427     | 0.0173890        |
| V10                 | -0.0331175 | -0.0135344    | -0.0463026       |
| duplicate1          | 0.0000000  | 5.9682738     | 5.1321124        |
| ${\it duplicate 2}$ | 0.0000000  | 0.0000000     | 1.4324943        |

|                        | Orig Model | Model w/ Dupe | Model w/ 2 Dupes |
|------------------------|------------|---------------|------------------|
| $\overline{\text{V1}}$ | 5.3802458  | 1.6025194     | 1.2530366        |
| V2                     | 5.4926456  | 4.8881107     | 4.6901711        |
| V3                     | 0.0132711  | -0.0141322    | -0.0227616       |
| V4                     | 6.7023292  | 5.3234814     | 5.3868344        |
| V5                     | 1.1894489  | 1.0374333     | 0.9950283        |
| V6                     | -0.0051026 | -0.0130307    | 0.0059756        |
| V7                     | 0.0188659  | 0.0079896     | 0.0233327        |
| V8                     | -0.0069813 | 0.0013708     | -0.0217417       |
| V9                     | 0.0022450  | 0.0066764     | 0.0114505        |
| V10                    | 0.0174840  | 0.0221737     | -0.0205907       |
| duplicate1             | 0.0000000  | 2.3155143     | 1.7130853        |
| duplicate 2            | 0.0000000  | 0.0000000     | 0.4552489        |

The pattern does seem to repeat itself for conditional models, with both ways of calculating variable importance.

(d) Repeat this process with different tree models, such as boosted trees and Cubist. Does the same pattern occur?

#### Answer:

#### **Boosted Trees**

Table 5: Variable Importance Across gbm Models

|            | Orig Model | Model w/ Dupe | Model w/ 2 Dupes |
|------------|------------|---------------|------------------|
| V1         | 56.00400   | 35.527170     | 45.677192        |
| V2         | 26.91284   | 35.207799     | 29.474551        |
| V3         | 17.08316   | 19.889965     | 14.667900        |
| V4         | 0.00000    | 9.375067      | 8.370285         |
| V5         | 0.00000    | 0.000000      | 1.810073         |
| V6         | 0.00000    | 0.000000      | 0.000000         |
| V7         | 0.00000    | 0.000000      | 0.000000         |
| V8         | 0.00000    | 0.000000      | 0.000000         |
| V9         | 0.00000    | 0.000000      | 0.000000         |
| V10        | 0.00000    | 0.000000      | 0.000000         |
| duplicate1 | 0.00000    | 0.000000      | 0.000000         |
| duplicate2 | 0.00000    | 0.000000      | 0.000000         |

#### Cubist

```
# Create cibist models
model1.cubist <- cubist(x = subset(simulated, select = c(-y)),</pre>
    y = simulated$y)
model2.cubist <- cubist(x = subset(simulated2, select = c(-y)),</pre>
    y = simulated2$y)
model3.cubist <- cubist(x = subset(simulated3, select = c(-y)),</pre>
    y = simulated3$y)
imp1.cubist <- varImp(model1.cubist)</pre>
imp2.cubist <- varImp(model2.cubist)</pre>
imp1.cubist <- rbind(as.data.frame(imp1.cubist), data.frame(Overall = c(0,</pre>
    0), row.names = c("duplicate1", "duplicate2")))
imp2.cubist <- rbind(as.data.frame(imp2.cubist), data.frame(Overall = c(0),</pre>
    row.names = c("duplicate1")))
# Print results
results.cubist <- data.frame(model1 = imp1.cubist,
    model2 = imp2.cubist, model3 = varImp(model3.cubist),
    row.names = rownames(results.cforest_true))
colnames(results.cubist) <- c("Orig Model", "Model w/ Dupe",</pre>
    "Model w/ 2 Dupes")
print(kable(results.cubist, caption = "Variable Importance Across cubist Models"))
```

Table 6: Variable Importance Across cubist Models

|                        | Orig Model | Model w/ Dupe | Model w/ 2 Dupes |
|------------------------|------------|---------------|------------------|
| $\overline{\text{V1}}$ | 50         | 50            | 50               |
| V2                     | 50         | 50            | 50               |
| V3                     | 50         | 50            | 50               |
| V4                     | 50         | 50            | 50               |
| V5                     | 0          | 50            | 0                |
| V6                     | 0          | 50            | 0                |
| V7                     | 0          | 0             | 0                |
| V8                     | 0          | 0             | 0                |
| V9                     | 0          | 0             | 0                |
| V10                    | 0          | 0             | 0                |
| duplicate1             | 0          | 0             | 0                |
| duplicate2             | 0          | 0             | 0                |

Answer: A similar patterns emerges with V1's importance oging down as we add duplicate columns. Unlike the previous models, however, we see that the other non0important variables are just not used at all in the inital model, and adding dupes has the effect of adding some importance to other variables. The cubist models are esp. odd, since V5 and V6 are added with one dupe, but two dupes brings them back to 0.

- 8.6. Return to the permeability problem described in Exercises 6.2 and 7.4. Train several tree-based models and evaluate the resampling and test set performance:
  - (a) Which tree-based model gives the optimal resampling and test set performance?
  - (b) Do any of these models outperform the covariance or non-covariance based regression models you have previously developed for these data? What criteria did you use to compare models' performance?
  - (c) Of all the models you have developed thus far, which, if any, would you recommend to replace the permeability laboratory experiment?

#### Answer:

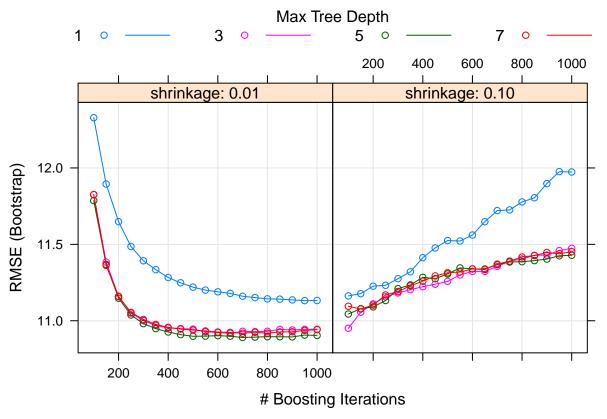
#### Cleanup

```
# Get rid of any predictors that are nero-zero
# variance
nearZero <- nearZeroVar(fingerprints)</pre>
fingerprints.filtered <- fingerprints[, -nearZero]</pre>
# Filter out highly correlated predictors
# correlations <- cor(fingerprints.filtered)</pre>
# highCorr <- findCorrelation(correlations, cutoff
# = .9) fingerprints.filtered <-</pre>
# fingerprints.filtered[, -highCorr]
# Split the data into a training and test set
indx <- createDataPartition(permeability, p = 0.8,</pre>
    list = FALSE)
fingerprints.train <- fingerprints.filtered[indx, ]</pre>
fingerprints.test <- fingerprints.filtered[-indx, ]</pre>
permeability.train <- permeability[indx, ]</pre>
permeability.test <- permeability[-indx, ]</pre>
# fingerprints.train <-</pre>
# fingerprints.filtered[1:124, ] fingerprints.test
# <- fingerprints.filtered[125:165, ]</pre>
# permeability.train <- permeability[1:124, ]</pre>
# permeability.test <- permeability[125:165, ]</pre>
```

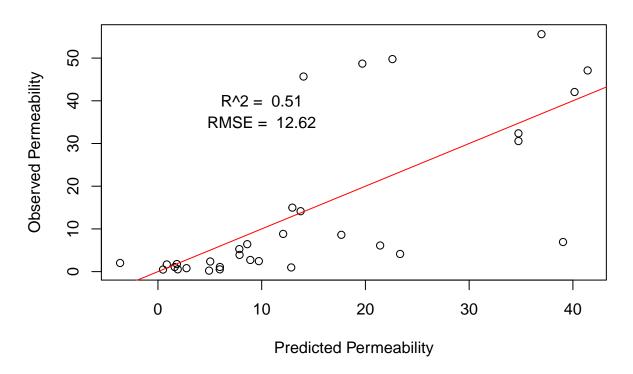
#### **Boosted Trees**

```
## Loading required package: plyr
##
## Attaching package: 'plyr'
##
## The following object is masked from 'package:modeltools':
##
## empty

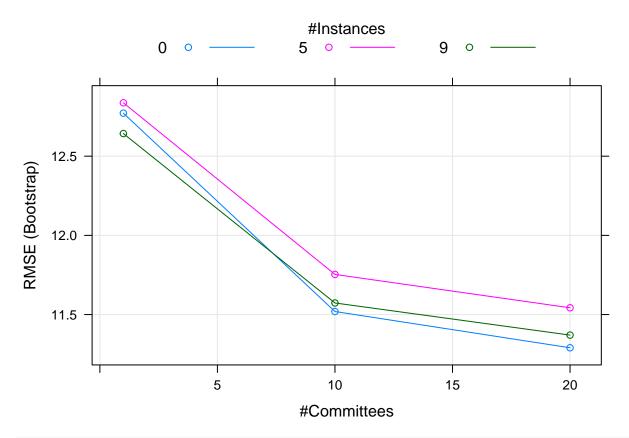
# Plot model
plot(permeability.models.gbm)
```



## **Observed versus Predicted Permeability from GBM Model**

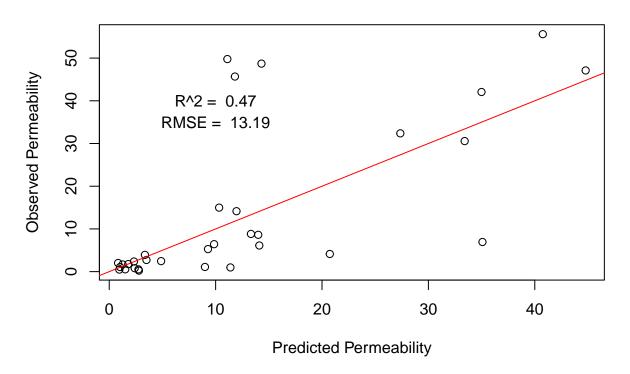


### Cubist



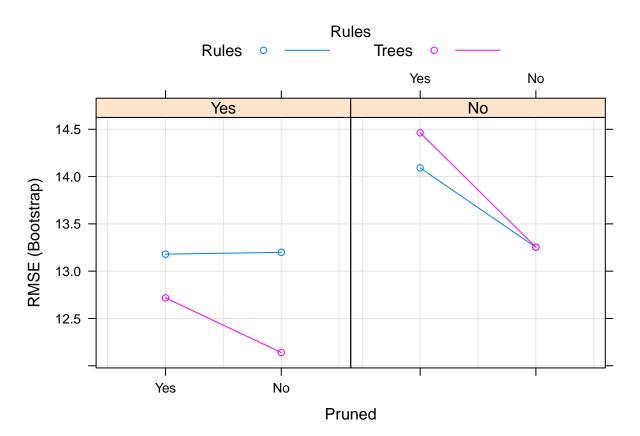
```
# Residuals
permeability.predict.cubist <- predict(permeability.models.cubist,
    fingerprints.test)
plot(permeability.predict.cubist, permeability.test,
    main = "Observed versus Predicted Permeability from Cubist Model",
    xlab = "Predicted Permeability", ylab = "Observed Permeability")
abline(0, 1, col = "red")
text(10, 40, paste("R^2 = ", round(cor(permeability.test,
    permeability.predict.cubist)^2, 2)))
text(10, 35, paste("RMSE = ", round(sqrt(sum((permeability.test -
    permeability.predict.cubist)^2)/length(permeability.test)),
    2)))</pre>
```

## **Observed versus Predicted Permeability from Cubist Model**

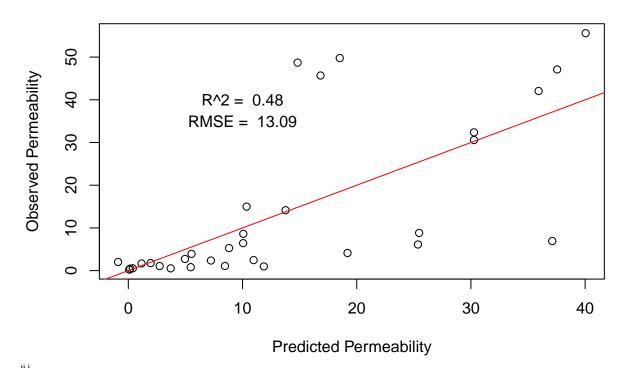


### Model Trees

```
permeability.models.m5 <- train(x = fingerprints.train,
    y = permeability.train, method = "M5")
plot(permeability.models.m5)</pre>
```

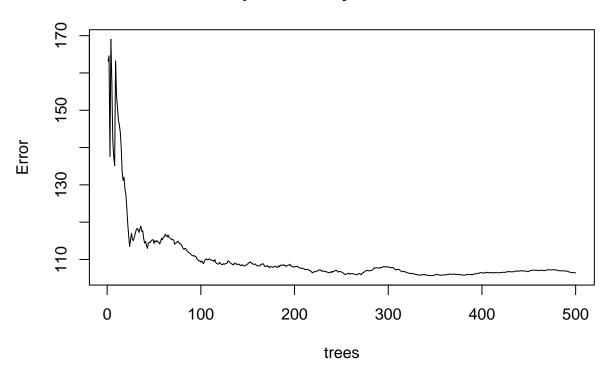


## Observed versus Predicted Permeability from Model Tree (weka) Moc

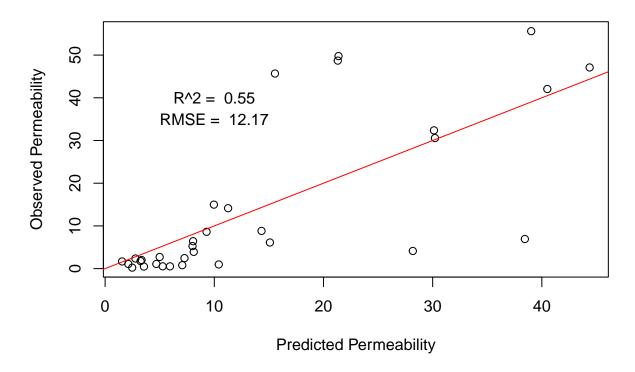


## Random Forest

## permeability.models.rf



## **Observed versus Predicted Permeability from RandomForest Mode**



### Disucssion

Sadly, looking back at my old models, I realized I messed up when doing the data split, and ended up using the same train and test sets. This makes it impossible to go back and compare my old models until I go back to them and re-eavluate them. This makes me quite sad.

For now, none of these models really did that well and I would not be comfortable suggesting their use. This week I cannot spend too much time on this, but I would play with the preprocessing code (should I increase threshold for correlated variables) as well as the model params.