

Probability and probability Distributions

Statistic ← Continuous data

① Descriptive

② Inferential → Hypothesis Testing.

Notes

population mean = SM (sample) is mostly
Incorrect.

$$\underline{PM = SM} \quad \times$$

$$\boxed{PM = SM \pm \text{Margin of Error}}$$

can be correct.

5 years

* Always try to keep no. of sample ~~2000~~
at least 200 or
 ≥ 200

* According to Central limit theorem each
sample must have 30 data points.

* Continuous data

Continuous data

col
1

numerical value

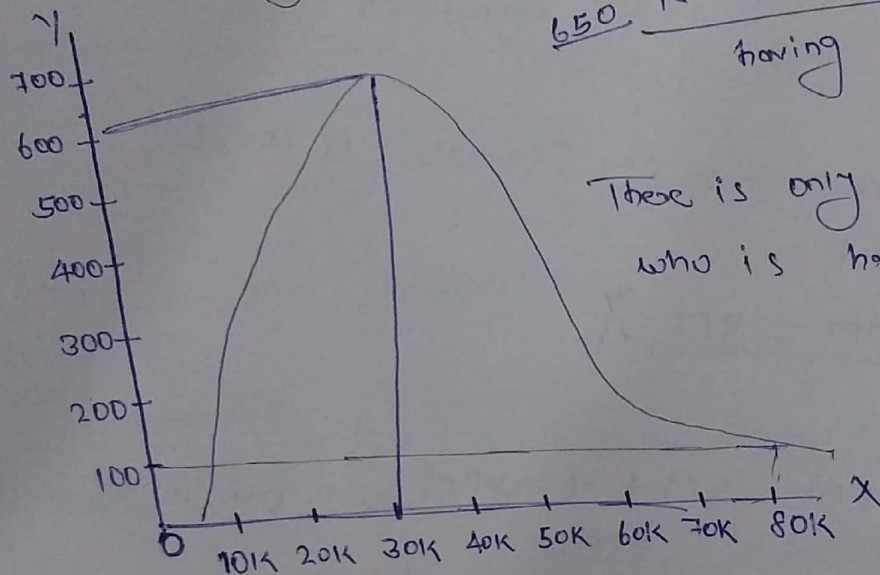
float

decimal

Kde — kernel density estimate.

When you have very extreme value at Right. for your graph is positively skewed.

(C) positively skewed



650 No of employee having only 30K salary

There is only 100 employee who is having 80 salary.

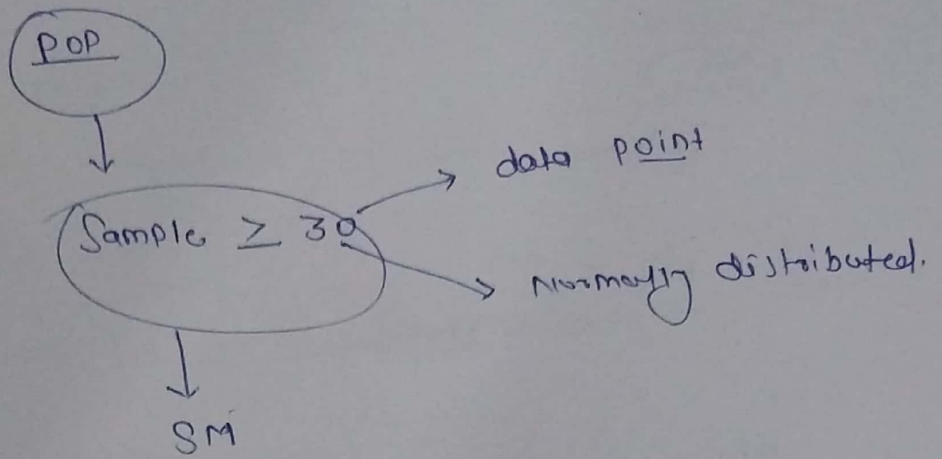
So, Analysis of graph tell there very less people who is getting ^{high} salary & maximum people are getting less salary.

So, the graph is negatively skewed.

* opposite of this graph is positively skewed and either Normal / no skewed

* The bigger the sample is, the better it is for us.

And



* If we don't have much resources in this case Sample Size more than or equal to 30. is also greater

$$SS = \geq 30$$

With Central limit theorem.

proven through.

Ram Sanyog Kumar
19, 14, 25, 15, 7

→ $PM = \overline{SM \pm \text{Margin of Error}}$

Ram

This is the things so we are studying the Central Limit theorem. 1:30 hour: Min

Average income of Indian families

$$PM = SM \pm \text{Margin of Error}$$

$$PM = 25K$$

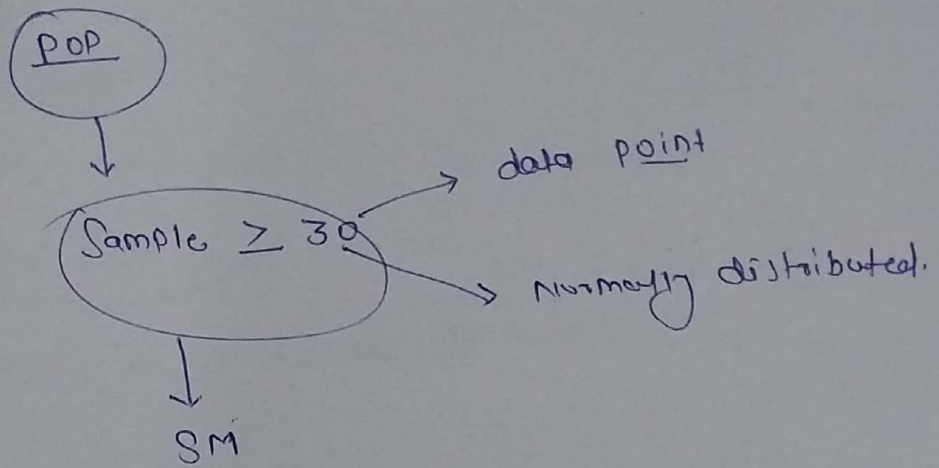
$$= 25 - 1 \text{ to } 25 + 1$$

$$= 24 \text{ to } 26 \rightarrow \text{Range / Interval}$$

- (35) (1) (0)
(2) (0)
(3) (0)

Mean

And



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[with Central limit theorem.]

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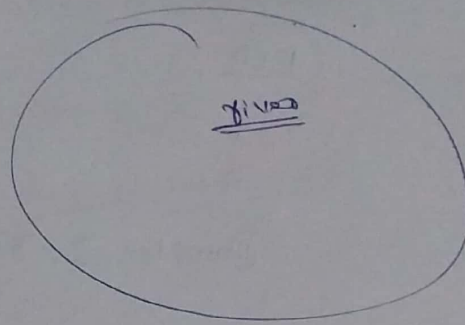
$$= 24 \text{ to } 26 \rightarrow \text{Range / Interval}$$

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- (2) (0)
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Mean

PM

fish



pop

if $PM = \frac{SM}{\text{Hook}}$

$\frac{PM}{\text{fish}} \longrightarrow \frac{SM \pm \text{Margin}}{\text{Net}}$

90% $\longrightarrow 25K \pm 1K \longrightarrow 24K \text{ to } 26K$
95% $\longrightarrow 25K \pm 1.5K \longrightarrow 23.5 \text{ to } 26.5K$
99% $\longrightarrow 25K \pm 2.5K$

Confidence Interval

90% + $\frac{24K \text{ to } 26K}{\downarrow \text{Interval}}$

CI = $\boxed{SM \pm \text{Margin}}$

PM

Formulas to find out Confidence Interval

$$CI = \bar{x} \pm Z^* \times \frac{S}{\sqrt{n}}$$

\downarrow
(Z)

will tell

Margin of error

\bar{x} : Sample Mean

S : Standard deviation of the Sample.

n : Sample Size

Z^* : Z-score for a certain confidence level.

Z^*	Confidence level	
1.65	90%	✓
1.96	95%	✓
2.58	99%	✓

MVI

Business Problem

Estimate whether the mean lead content in maggi packets is within the allowed range or not?

Allowed range = 2.5 ppm (part per million)

Let's take value

$n = 100$ (maggi packet)

$\bar{x} = 2.3 \text{ ppm}$ ① 2.20 ppm

$S = 0.3 \text{ ppm}$ ② 2.43 ppm

③ 2.37 ppm

④ 2.21 ppm

⑤ 2.28 ppm

$\frac{100}{SM} \rightarrow 2.23 \text{ ppm}$

50 M

100 M

PM

X

$$CI = \bar{x} \pm z^* \frac{s}{\sqrt{n}}$$

$$= 2.3 \pm 2.58 \times \frac{0.3}{\sqrt{100}}$$

$$= 2.3 \pm 2.58 \times 0.03$$

$$= 2.3 \pm 0.07$$

$$= 2.3 + 0.07 \text{ to } 2.3 - 0.07$$

ppm

$$CI = [2.23 \text{ ppm to } 2.37 \text{ ppm}]$$

99% Confidence

$$z^*$$

90%
95%
99%

pop

maggi

100%
out of this
1

For Study :- Statquest

Financial Analyst

Stock (Apple) → [50-60%]

90% confidence

→ [45-75%]
95%

→ [30-80%]
99%

Hypothesis Testing 16

di16@995388811
 more note of the class because you can revise the video again & Time



So Inferential Statistics is

way to $\xrightarrow{\text{PM}} \text{SM} \pm \text{Margin}$
 $\uparrow \quad \leftarrow$

$$CI = \text{SM} \pm \text{Margin}$$

$$= 29.5 \pm 1$$

$$= 28.5 \text{ to } 30.5$$

(the) average life = 30 months \rightarrow is - Correct

$$\frac{5M}{1}$$

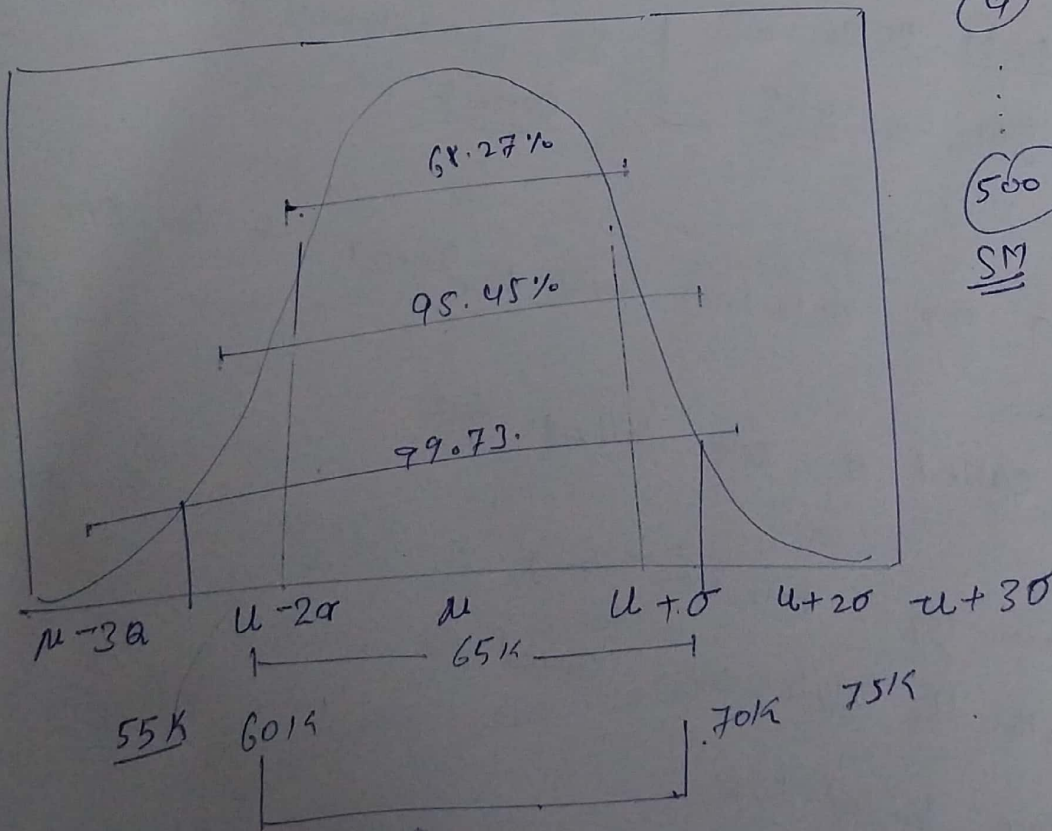
$$\frac{500}{88}$$

$$\textcircled{1} 28$$

$$\textcircled{2} 27.2$$

$$\textcircled{3} 31$$

$$\textcircled{4} 30.5$$



$$\frac{500}{SM} = \underline{\underline{29.5}}$$

2019

Salary

2019 people

$$M = 65K$$

$$SD = 5K$$

68.27% people earning
60K - 70K salary.

$$\frac{65K - 5K}{M - 1 \times SD}$$

$$\downarrow$$

$$60K$$

$$+ M + 1 \times SD$$

$$65 + 5K$$

$$\underline{70K}$$

* Note

Through Central limit theorem when my $SS \geq 30$
and we plot these 30 values then I will
normally distributed.

50 types
SS

$$\frac{40M}{SM} = \frac{31.8}{30}$$

So population mean is
correct

* when my selection level is going to be one
side.

We called it one tailed test.

* When my selection level is going to be so
both the side we called it
two tailed test.

* Rejection area should be of 5% of int. area.

$$Z = \frac{x - \mu}{\sigma}$$

Z = Standard Score

x = observed value

σ = Standard deviation of sample

Null hyp. Cont: $=, <=, >=$
Alternate Hyp. Co: $\neq, >, <$

According to Question

Null hyp	$<=$
Alt	$>$

Note: - Our aim is always to reject the null hypothesis.

Step 1 - BPS

Step 2 NH & AH

try to the reject the null hypothesis through some test.

Step 3 sample data collection

Step 4 SM \rightarrow Z-value of SM

$$Z = \frac{x - \mu}{\sigma(SD)}$$

⑤ SM vs PM (with margin)

⑥ if SM's Z-value falls into rejection region. (population mean claim is rejected)
or Null hypothesis will be rejected

(old) Rejection
Region
Method

* Always Go with
P-value

~~1:20~~
I

Steps (Critical value)

⇒ SM ⇒ SM Z value ⇒ Critical
values, critical value vs SM Z value
⇒ then deciding we are rejecting
the null hypothesis or not

* Note Significant level gives us 5% rejection area.

* Notes:- When our P-value is less than the
Significant value means 0.05 or 0.05 then only
we can reject the null hypothesis.

or Let's

Z-test

SD

↓

P-value (0.03)

3%

97% → ANH

Has it mean 97% proof is against the null hypothesis and 3% in favour of null hypothesis.

And

We can reject the null hypothesis when we have the proof against the null hypothesis, and it should be major [%] percentage.

→ Journey of hypothesis testing:-

1.) BPS

② NH & AH

③ Sample data → Hyp test.

④ Sample data → Hypothesis Test.

⑤ proof against NH in the form of p-value or Critical value.

⑥ we should use the p-value to make the final decision.

⑦ if the p-value is $\leq \frac{SL}{(\alpha)} (5\%)$

alpha
 α

$\beta \rightarrow$ Beta

Then the proof in favour of NH is too weak & the proof against NH is too strong. So we can reject the null hypothesis.

P-value \neq (0.05)



we fail to reject H_0

In the favor of H_0 , $0.43 < 0.05$ so we don't have enough proof to reject the null hypothesis.

Z-test (Assumptions)

- ① Sample size ≥ 30
- ② Data should be normally distributed
- ③ population standard deviation must be given to us.
- ④ Sample should be randomly collected.

(Note) For 2
In checking this the data is normally distributed or not plotting will not help.
So to verify this we will use another test which

→ Shapiro Wilk's test.

T-test

① Sample size ≥ 30 or Sample size ≤ 30 . ↗ so data is normally distributed (Assumption)

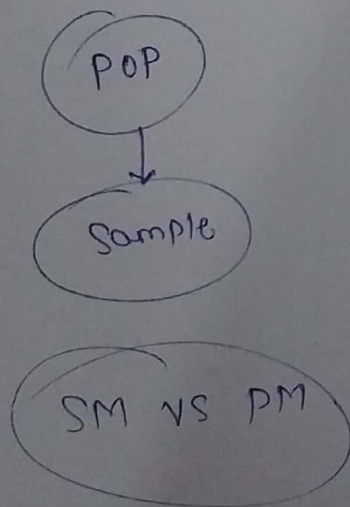
② Data should be normally distributed.

↳ Shapiro will test for normality.

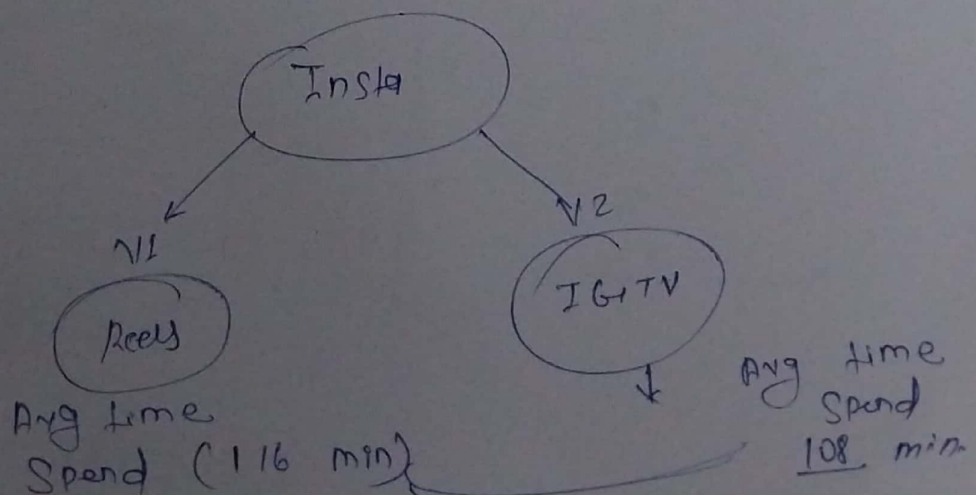
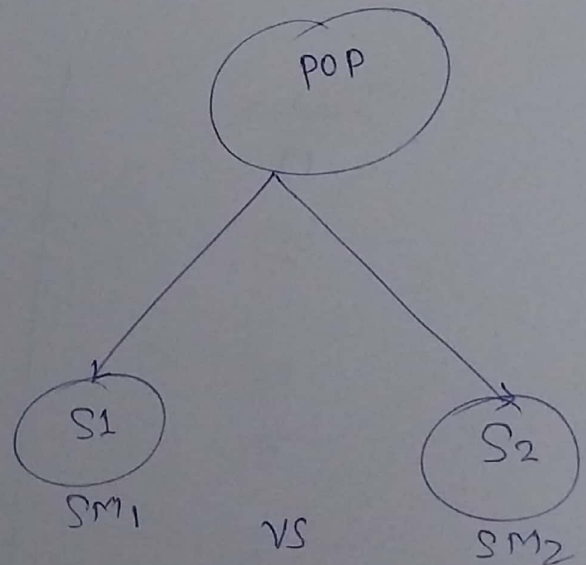
③ Sample Standard deviation.

Notes T-test is most life test rather than any other.

One sample
t-test or Z-test



Two sample
t-test or Z-test



ANOVA → Numerical Data
for 3 or more than 3 samples.
→ Analysis of Variances

Chi-Squared Test of Ind.
↓
use on Categorical Data

Suppose

Starbucks

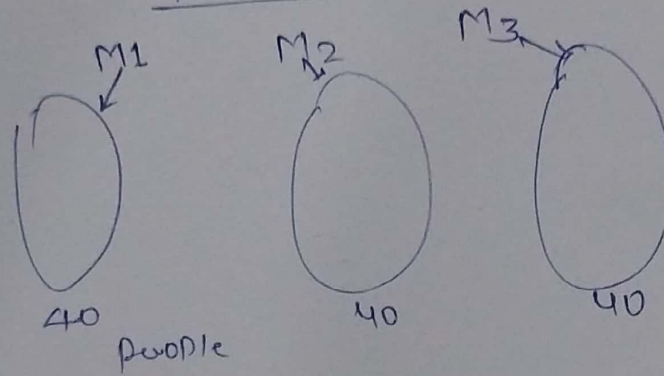
Gender	Preference
M	T
F	C
F	C
M	C
M	T
M	C
F	T
F	C
M	T

Example of ANOVA

Take help of Shikha

Sir

Pharmd



Book to DS in Shikha Sir, Rithub.
Statistical thinking for programmers.