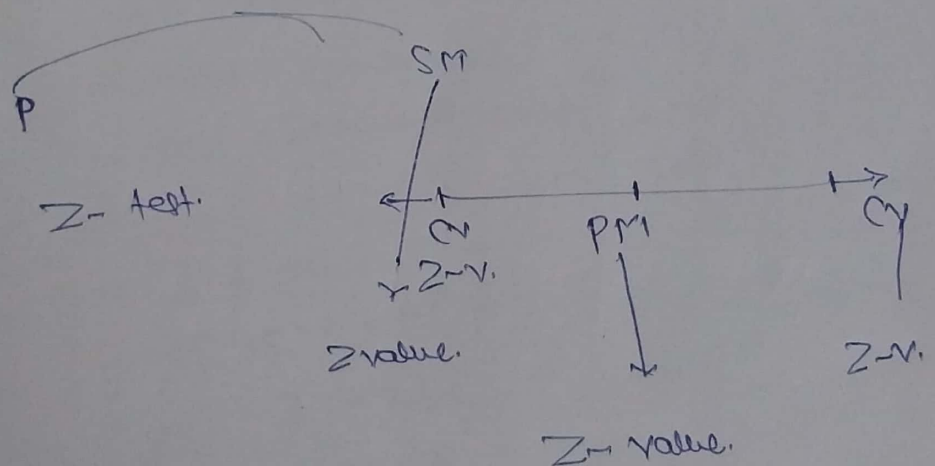


Final Part of Inferential Statistics

Z-test \rightarrow numerical sample

- ① Sample size ≥ 30
 - ② Data should be normally distributed.
 - ③ population standard deviation must be given to us.
 - ④ Sample should be randomly collected
- \rightarrow Shapiro Wilk test for normality.

(38 min)



$$Z = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}}$$

$$Z = \frac{SM - PM}{PSD / \sqrt{n}}$$

Problems

Suppose a company is evaluating the impact of a new training program on the productivity of its employees. The company has data on the average productivity of its employees before implementing the new training program. The average productivity

was 50 units per day with a known pop Standard deviation of 5 units. After implementing the training program, the company measured the productivity of a random sample of 30 employees. The sample employees have an average productivity 53 units per day. The company wants to know if the new training program has significantly improved the the productivity of the employees.

$$\begin{aligned} \mu &= 50 \text{ units.} \\ \sigma &= 5 \text{ units} \\ n &= 30 \text{ (n)} \\ \bar{x} &= 53 \text{ units.} \end{aligned}$$

Note :- Z-test works with numpy library.

→ Import numpy as np
from statsmodels.stats.weightstats import

Ztest

sample_data = list(np.random.randn(50, 59)
size = 30))

$$Z = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}}$$

Note the Z value of population mean is always zero (0)

$$t = \frac{\bar{x} - \mu}{\sigma / \sqrt{n}}$$

$$\begin{aligned}
 Z\text{-Score} &= \frac{\bar{x} - \mu}{\text{PSD} \sqrt{n}} \\
 &= \frac{53 - 50}{5/\sqrt{30}} \\
 &= \frac{3}{5/\sqrt{30}} \\
 &= \frac{3}{5/5.4772255751} \\
 &= \frac{3}{0.9128709292} \\
 &= \underline{3.286335449}
 \end{aligned}$$

Notes:- $P < 0.05 \rightarrow$ Not normally distributed,
 \swarrow according to Shapiro
 Wilk test.

$P \geq 0.05 \rightarrow$ normally distributed.

Since we are here working with two dataset

So

$$\begin{array}{ccc}
 S_1 & = & S_2 \\
 \text{Variance} & & \text{Variance}
 \end{array}$$

So

there is Levene test for checking the

Variance

Levene Test

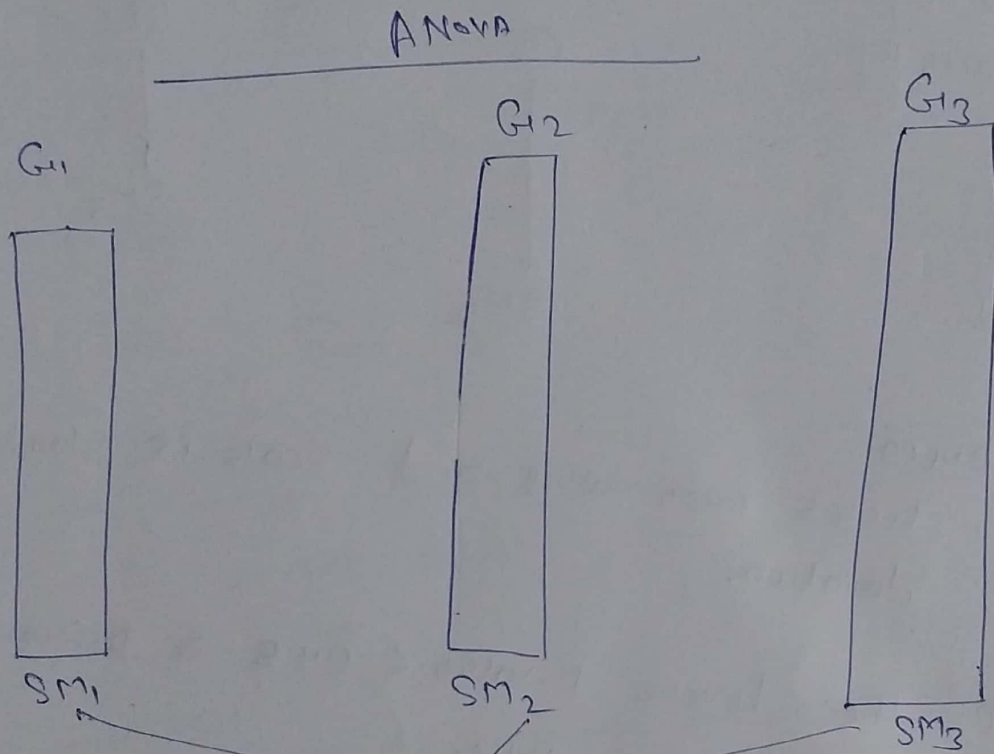
$P < 0.05 \rightarrow$ Variance not Same

$P \geq 0.05 \rightarrow$ Variance are Same

\swarrow Checked the
 normality
 \nwarrow normally distributed

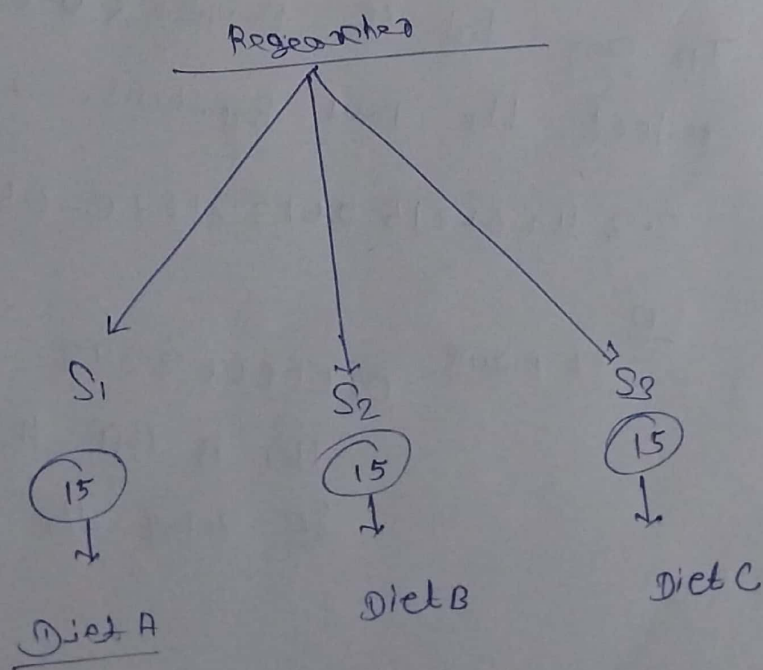
11:54:52

→ ANOVA uses F-Test to check the null hypothesis.



one way anova

Is there a significant difference between these three sample means or not.



In one month
weight loss

- ① 3.8 kg
- ② 4.1 kg
- ③ 2.15 kg

↓
SM₁

In one month
weight loss

- ①
- ②
- ③

↓
SM₂

In one month
weight loss

- ①
- ②
- ③

↓
SM₃

Notes: in ANOVA
LoC = 5 mean values and scale is standard deviation.

Notes: if the Levene p-value < 0.05 → Different variance of each value.

if the Levene test p-value > 0.05 → we have same variance in each test.

⇒ In any test if p-value < 0.05 we will reject the null hypothesis.

Imp 2.242621530132167e-05

So

It means

0.000002242

this is less than < 0.05

So reject the null hypothesis

perform Levene's test for equal variance.

levene-stat, levene-p-value = levene (diet-A-loss,
diet-B-loss, diet-C-loss)

print (levene-p-value)

Test → must package

→ PRT

Que Chiq test

SQL

→ Time series

→ random forest

→ OOPS

→ CT CT, common table expression, view