Script Regression Modeling Project

You work for Motor Trend, a magazine about the automobile industry. Looking at a data set of a collection of cars, they are interested in exploring the relationship between a set of variables and miles per gallon (MPG) (outcome). They are particularly interested in the following two questions:

- "Is an automatic or manual transmission better for MPG"
- "Quantify the MPG difference between automatic and manual transmissions"

Analysis results Answer

- The automatic or manual tranmission as compared to MPG for this data set is not statistically significant.
- The MPG difference is 1.8 for automatic transmission vs. manual transmissions.

Step 1: Preprocessing

head(mtcars)

data overview

```
mpg cyl disp hp drat wt gsec vs am gear carb
# Mazda RX4
                 21.0 6 160 110 3.90 2.620 16.46 0 1
# Mazda RX4 Wag
                21.0 6 160 110 3.90 2.875 17.02 0 1
                                                             4
# Datsun 710
                 22.8 4 108 93 3.85 2.320 18.61 1 1
                                                             1
# Hornet 4 Drive
                 21.4 6 258 110 3.08 3.215 19.44 1 0
                                                             1
# Hornet Sportabout 18.7 8 360 175 3.15 3.440 17.02 0 0 3
                                                             2
# Valiant
                 18.1 6 225 105 2.76 3.460 20.22 1 0 3
                                                             1
```

check attributes

```
str(mtcars)
```

```
#'data.frame': 32 obs. of 11 variables:
# $ mpg : num    21 21 22.8 21.4 18.7 18.1 14.3 24.4 22.8 19.2 ...
# $ cyl : num    6 6 4 6 8 6 8 4 4 6 ...
# $ disp: num    160 160 108 258 360 ...
# $ hp : num    110 110 93 110 175 105 245 62 95 123 ...
# $ drat: num    3.9 3.9 3.85 3.08 3.15 2.76 3.21 3.69 3.92 3.92 ...
# $ wt : num    2.62 2.88 2.32 3.21 3.44 ...
# $ qsec: num    16.5 17 18.6 19.4 17 ...
# $ vs : num    0 0 1 1 0 1 0 1 1 1 ...
# $ am : num    1 1 1 0 0 0 0 0 0 0 ...
# $ gear: num    4 4 4 3 3 3 3 4 4 4 ...
# $ carb: num    4 4 1 1 2 1 4 2 2 4 ...
```

factories some attributes

```
mtcars$cyl <- as.factor(mtcars$cyl)
mtcars$vs <- as.factor(mtcars$vs)</pre>
```

```
mtcars$am <- as.factor(mtcars$am)
mtcars$gear <- as.factor(mtcars$gear)
mtcars$carb <- as.factor(mtcars$carb)</pre>
```

Step 2: Do Some Analysis

Apply linear regression modelling

```
fit.linear.mod <- lm(mpg ~ am, mtcars)
Im results</pre>
```

```
summary(fit.linear.mod)
```

First figures in the Appendix

Call:

```
lm(formula = mpg ~ am, data = mtcars)
```

Residuals:

```
Min 1Q Median 3Q Max -9.3923 -3.0923 -0.2974 3.2439 9.5077
```

Coefficients:

```
Estimate Std. Error t value Pr(>|t|) (Intercept) 17.147 1.125 15.247 1.13e-15 *** aml 7.245 1.764 4.106 0.000285 ***
```

```
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
```

Residual standard error: 4.902 on 30 degrees of freedom Multiple R-squared: 0.3598, Adjusted R-squared: 0.3385

F-statistic: 16.86 on 1 and 30 DF, p-value: 0.000285

review coefs

```
beta <- .7245
SE <- 1.764
t <- qt(1-0.05/2, df = length(mtcars$mpg) - 2)
c(beta - t*SE, beta + t *SE)
[1] -2.878069 4.327069</pre>
```

Note

From both the plots in Figure one,

• results of our coefficient summary, small p-value, and inclusion of 0 in the confidence internval, we reject the null hypothesis that tranmission affects MPG.

multi-variant analysis

```
fit.all.vars <- lm(mpg ~ . , mtcars)</pre>
```

explore nesesary variables

library(MASS)

```
aci.step <- stepAIC(fit.all.vars, direction="both", trace=FALSE)</pre>
summary(aci.step)
exploring results
Call:
lm(formula = mpg \sim cyl + hp + wt + am, data = mtcars)
Residuals:
   Min
           10 Median 30
                                Max
-3.9387 -1.2560 -0.4013 1.1253 5.0513
Coefficients:
           Estimate Std. Error t value Pr(>|t|)
(Intercept) 33.70832 2.60489 12.940 7.73e-13 ***
          -3.03134 1.40728 -2.154 0.04068 *
-2.16368 2.28425 -0.947 0.35225
cyl6
cyl8
          hp
          wt
am1
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 2.41 on 26 degrees of freedom
Multiple R-squared: 0.8659, Adjusted R-squared: 0.8401
F-statistic: 33.57 on 5 and 26 DF, p-value: 1.506e-10
```

• As we see the significant variables in relation to the mpg are cyl(cylinders), hp(horsepower) and wt(weight)

Step 3: Compare models

```
anova(fit.linear.mod, aci.step)
```

comp. results Analysis of Variance Table

Step 4: Find Significance of the transmission type on mpg

check coefs

coefficients(summary(aci.step))

```
Estimate Std. Error t value Pr(>|t|)
(Intercept) 33.70832390 2.60488618 12.940421 7.733392e-13
cyl6 -3.03134449 1.40728351 -2.154040 4.068272e-02
cyl8 -2.16367532 2.28425172 -0.947214 3.522509e-01
hp -0.03210943 0.01369257 -2.345025 2.693461e-02
wt -2.49682942 0.88558779 -2.819404 9.081408e-03
am1 1.80921138 1.39630450 1.295714 2.064597e-01
```

Reviewing the p-values in the summary data, we can see that the p-value for am (automatic vs. manual transmission) is not significant in the measurement of mpg. This can be proven with the confidence interval formula as done previously in the Exploratory analysis section.

```
beta1 <- 1.80921138  #From the summary for am SE1 <- 1.39630450  #From the summary for am t1 <- qt(1-0.05/2, df = length(mtcars$mpg) - 2) c(beta1 - t1*SE1, beta1 + t1*SE1)
```

```
[1] -1.042423 4.660846
```

Since the confidence interval includes 0 and the p-value is greater than .05, the difference between an automatic tranmission and a manual transmission does not significantly impact mpg(miles per gallon). It does however show that an automatic transmission is 1.8 greater than a manual transmission.

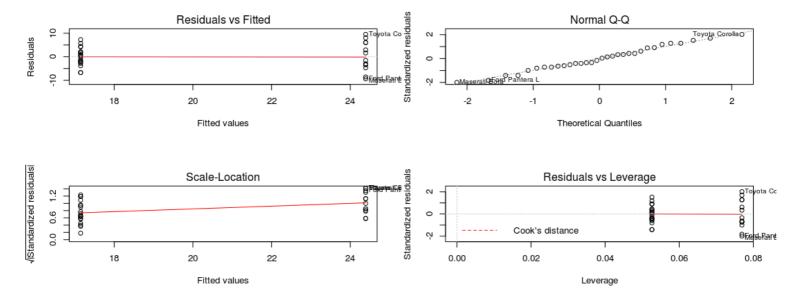
Concluded Results

The best fit in model 2 it is shown that the Normal Q-Q graph is normally distributed and the Scale-Location graph has a a steady variance. This is improved from Figure 1 where only am(transmission type) was compared with mpg. Upon further review, it was determined that am did not have a significant impact on mpg.

Appendix

lm figure

```
par(mfrow=c(2,2))
plot(fit.linear.mod);
abline(fit.linear.mod)
```



Multivariant figure

par(mfrow=c(2,2))
plot(aci.step);
abline(aci.step)

